# EXTENDING THE RUNO4 BAD AREA CUT 

Kr-83m injection data

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## RUNO4 ${ }^{\text {83MKR DATASETS }}$

- Using single-scatter ${ }^{83 \mathrm{~m}} \mathrm{Kr}$ injection data from Run04:
> kr83minjections_TB1.mat
> kr83minjections_TB2.mat
> kr83minjections_TB3.mat
> kr83minjections_TB4.mat
- Evan created these with filter code
- Plan: Use ${ }^{83 \mathrm{~m}} \mathrm{Kr}$ data to extend the bad area cut as this provides high statistics dataset of $32.1 \mathrm{keV}+9.4$ keV IC electrons.
- May merge within an event to look like a 41.5 keV signal.


FIG. 1. Decay schematic of ${ }^{83 \mathrm{~m}} \mathrm{Kr}$. The width of each column is proportional to the branching fraction of that decay mode, the vertical divisions are proportional to energy partitioning among internal conversion electrons, Auger electrons, x-rays, and gamma-rays. Numerical values from Reference [2].
arXiv:0905.1766

## GOOD AREA AND BAD AREA

> Good area $=$ S1 + S2;

- Bad area $=$ full event area - good area;
> Bad area cut removes events where the event window has anomalies such as electron trains, glow, etc.
- LUX only keeps 10 pulses/event, so using the full_event_area_phe RQ captures the area of all signal area above baseline, even if the PulseFinder did not classify it as a pulse.
> Designed for single-scatter events.
- Calibrate bad area cut using high statistics datasets such as tritium (earlier incarnation of Run04 bad area cut) or ${ }^{83 \mathrm{~m}} \mathrm{Kr}$ (now).

Filter code creates "goodarea" and "badarea" RQs using uncorrected, raw S1 and S2 areas.


## LOG $_{10}\left(\right.$ BAD AREA) VS. LOG ${ }_{10}(G O O D$ AREA)



## LOG $_{10}\left(\right.$ BAD AREA) VS. LOG ${ }_{10}(G O O D$ AREA)



- Roughly classify events into populations to study S1 \& S2 areas, energies, and any anomalies in Visualux.
> (red) Population 1
> (white) Population 1b
> (blue) Population 2
> (green) Population 3
- (magenta) Population 4


## VISUALUX: POPULATION 1





> Scanned 100 events of pop1 in VisuaLux. Events are singlescatter with the S2 followed by several-to-dozens of SE and SPE.

- (lower right) View of typical pulses following an S2. These don't qualify as e-trains, but there are likely to be $>10$ pulses/event.



## VISUALUX: POPULATION 1B



## VISUALUX: POPULATION 2



## VISUALUX: POPULATION 3



- Scanned 100 events of pop3 in VisuaLux. Events are classified as single-scatter, but $91 \%$ of the events looked like a double-scatter with the 1st S2 misclassified as an "else" or class 5 pulse. The S1 often, but not always, looked like 2 discernible S1 pulses.
> The "else" pulse contributes to the "bad area!"


## VISUALUX: POPULATION 3, CONTINUED







- Scanned 100 events of pop3 in VisuaLux. 7\% of scanned events had baseline problems either before or after the S 2 pulse.
> (lower right) View of a baseline shift early in the event window before the S1 pulse.
- $2 \%$ of events simply had a super large S1 pulse after the S2 contributing to the bad area. The pattern was S1, S2, big S1.
 [800 5


## VISUALUX: POPULATION 4



## XY POSITIONS OF THE POPULATIONS





- (upper left) Population 1 has a uniform elfistribution in $x-y$ which looks like Kr.
- (upper center) Population 2 is concentrated at -x near the 9:00 panel.
> (upper right) Population 1 b is mostly uniform with an excess near the walls.
> (lower left) Population 3 is mostly uniform.
> (lower right) Population 4 is fairly uniform but may have a drift time dependence.


## DRIFT POSITIONS OF THE POPULATIONS





> (upper left) Population 1 is mostly uniform in drift vs. $r^{2}$.
> (upper center) Population 2 is concentrated toward the top of the detector.

- (upper right) Population 1b is concentrated near the bottom and walls of the detector.
- (lower left) Population 3 is near the top of the detector.
> (lower right) Population 4 is near the bottom of the detector.


## IDENTITY OF HOTSPOT IN POPULATION 1



> Population 1 has a hotspot evident in drift vs. $\mathrm{R}^{2}$.
$>$ Cut to select this hotspot: Population 1 \& (drift time $<80 \mu \mathrm{~s}) \&\left(500<\mathrm{R}^{2}<600 \mathrm{~cm}^{2}\right)$
> (left) Plot the $x-y$ positions of events in this hotspot. These largely are concentrated at -y near the 6:00 panel.
> (right) PMT map. PMT 26 had problems during Run04; maybe this is the culprit behind high counts? Otherwise, PMTs 23, 24, 31 or some problem near them are suspect.

## S1 AREAS




Population 1b has S1 pulse areas much larger than seen in populations 1, 2, 3,
or 4.



## S2 AREAS




Population 1b has S2 pulse areas much larger than seen in populations 1, 2, 3,
or 4.



## RECONSTRUCTED ENERGIES




Population 1b has reconstructed energies much larger than seen in populations 1, 2,

$$
3 \text {, or } 4 \text {. }
$$




Populations 1, 2, and 4 have energies $\sim 41 \mathrm{keV}$ consistent with ${ }^{83 m} \mathrm{Kr}$.

## SUMMARY OF KR-83M POPULATIONS

| Population | Energy <br> $[\mathrm{keV}]$ | XY | Drift | Event <br> anomalies |
| :---: | :---: | :---: | :---: | :---: |
| 1 | $\sim 41$ | Uniform | Uniform | - |
| 1 b | $>100$ | Walls | Bottom, <br> Walls | E-trains |
| 2 | $\sim 41$ | $-X$ | Top | Baseline <br> issues |
| 3 | $\sim 33$ | Uniform | Top | Misclassified <br> double-scatter |
| 4 | $\sim 41$ | $\sim$ Uniform | Bottom | - |

Population 1 has the expected energy, xy, and drift distributions of ${ }^{83 m} \mathrm{Kr}$ events, and it is free of anomalies that contribute to excessive bad area. This population extending to $\log 10($ good area $)=4.6$ will be used to set the bad area cut.

## APPLY RUN04 FIDUCIAL CUT


> (above) Apply the Run04 fiducial cut which uses the raw radius to cut 3 cm in from the wall as calculated in the script setRMax using look-up tables. The fiducial cut also cuts on drift time: $40<$ drift time $<300 \mu$ s.

> (above) For comparison, this is the plot of $\log 10$ (bad area) vs. $\log 10$ (good area) without a fiducial cut applied.

- Many "extra" populations that were not classified as $1,1 b, 2,3$, or 4 will disappear with a fiducial cut.
> Many events in population 1b disappear with the fiducial cut.
- The colorbar re-scaled, so the counts are relatively smaller with the fiducial cut.


## CONSTRUCTING A NEW BAD AREA CUT WITH ${ }^{\text {B3MKR, FIDUCIAL CUT }}$

1. ${ }_{83 \mathrm{~m}} \log 10$ (good area) in the vicinity of ${ }^{83 \mathrm{~m}} \mathrm{Kr}$ data distribution with fiducial cut applied (see table).
2. Calculate the $\log 10$ (bad area) value at which $\mathrm{X} \%$ of the data in the bin of $\log 10$ (good area) is below.
> Initial Run04 bad area cut determined from tritium data kept $99 \%(X=99)$ of the data within the $\log 10$ (good area) bin. This only cut $1 \%$ of the events as having too much bad area.
3. Determine the best value of $X$ (ie., what percentile to keep).
4. Fit the $\log 10$ (bad area) values at $\mathrm{X} \%$ to calculate a cut line as a function of $\log 10($ good area) and $\log 10(b a d$ area).

| Bin | Min $\log 1$ O(good area) | Max $\log 10(g o o d$ area) | Counts/bin |
| :---: | :---: | :---: | :---: |
| 1 | 3.6 | 3.65 | 205 |
| 2 | 3.65 | 3.7 | 761 |
| 3 | 3.7 | 3.75 | 3,431 |
| 4 | 3.75 | 3.8 | 14,027 |
| 5 | 3.8 | 3.85 | 49,636 |
| 6 | 3.85 | 3.9 | 145,712 |
| 7 | 3.9 | 3.95 | 346,520 |
| 8 | 3.95 | 4 | 659,300 |
| 9 | 4 | 4.05 | 976,625 |
| 10 | 4.05 | 4.1 | $1,206,623$ |
| 11 | 4.1 | 4.15 | $1,324,571$ |
| 12 | 4.15 | 4.2 | $1,311,733$ |
| 13 | 4.2 | 4.25 | $1,096,535$ |
| 14 | 4.25 | 4.3 | 724,735 |
| 15 | 4.3 | 4.35 | 375,968 |
| 16 | 4.35 | 4.4 | 166,485 |
| 17 | 4.4 | 4.45 | 69,411 |
| 18 | 4.45 | 4.5 | 24,112 |
| 19 | 4.5 | 4.55 | 5,621 |
| 20 | 4.55 | 4.6 | 741 |

## FIND THE 99\% VALUE IN EACH BIN OF GOOD AREA



## HISTOGRAM THE BAD AREA WITH THE 99\% VALUES

> Plot the histogram of $\log _{10}$ (bad area) for each of the 20 bins in good area. The $99 \%$ $\log _{10}(\mathrm{bad}$ area) value for each bin is shown as a dashed line.

- (top left) The 99\% values for bins 4 and 5 are shown as red and black dashed lines, respectively. Bins 1-3 obviously have large populations near bad areas of $\sim 10,000$ phd and have no dashed lines drawn.
- (bottom right) The 99\% values for bins 16-20 are far from the main distribution due to a tail at high bad area.





## TESTING DIFFERENT X\% VALUES, FIDUCIAL CUT APPLIED



- Mark the value of $\log _{10}$ (bad area) at which $\mathrm{X} \%$ of the events in each bin are below with a white " $x$ ".
> (top left) Setting the bad area cut at $99 \%$ is too stringent as it lets in events from population 2 which was plagued with baseline issues and other high bad area anomalies.
> (top center) Setting the bad area cut at $98 \%$ seems optimal as it does not keep events from population 2 but doesn't cut too deeply into the main Kr-83m blob.


## HISTOGRAM THE BAD AREA WITH THE 98\% VALUES

> Plot the histogram of $\log _{10}$ (bad area) for each of the 20 bins in good area. The $98 \%$ $\log _{10}(\mathrm{bad}$ area) value for each bin is shown as a dashed line.

- (top left) The $98 \%$ values for bins 4 and 5 are shown as red and black dashed lines, respectively. Bins 1-3 obviously have large populations near bad areas of $\sim 10,000$ phd and have no dashed lines drawn.
- (bottom right) The 98\% values for bins 16-20 are closer to the main distribution than they were at $99 \%$.





## COMPARE VARIOUS X\% VALUES ACROSS THE GOOD AREA BINS

- For each of the 20 bins in $\log _{10}$ (good area), plot the bad area at which $\mathrm{X} \%$ of the event in the bin are below.
- Bins 1 and 2 have smaller stats and too many events with high bad area and are off-scale. These aren't used in the fit.
- Bin 3 only has reasonable values for $95-97 \%$. As setting the cut at $98 \%$ looks reasonable, bin 3 will be excluded from the fit.
> Using 99\% is unfortunately too poorly behaved due to the presence of population 2 with its high bad area.



## FIT 98\% VALUES



- (above) Apply a linear fit to the $98 \%$ values of $\log _{10}$ (bad area) at the centers of the $\log _{10}$ (good area) bins. The first 3 bins are excluded from the fit as there was excessive bad area.
$>\log 10$ (bad area) $=0.7765^{*} \log 10($ good area $)-0.3954$;


## APPLY ERROR BARS

- Calculate error bars as follows:

1. Calculate number of events " N " in the top $2 \%$ of each bin.
2. Sort the bad areas in each bin.
3. Find the indices sqrt $(\mathrm{N})$ above and below the $98 \%$ value's index.
4. Calculate lower(upper) error bar as the difference between the bad area at the $98 \%$ value and the bad area at an index sqrt(N) below(above) the index of the $98 \%$ value.


(above) Plot the Kr-83m data with the upper and lower error bars. At large values of $\log _{10}$ (good area), the statistics get poorer so outliers become more significant.
(left) Same as above, but zoomed in to see error bars more clearly.

## UPPER AND LOWER ERROR BARS FOR 98\%

| Bin | Min log10(good area) | Max log10(good area) | Counts/bin | Lower error bar [phd] | Upper error bar [phd] |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 1 | 3.6 | 3.65 | 205 | - | - |
| 2 | 3.65 | 3.7 | 761 | - | - |
| 3 | 3.7 | 3.75 | 3,431 | - | - |
| 4 | 3.75 | 3.8 | 14,027 | 4.76 | 4.58 |
| 5 | 3.8 | 3.85 | 49,636 | 2.12 | 2.47 |
| 6 | 3.85 | 3.9 | 145,712 | 1.14 | 1.34 |
| 7 | 3.9 | 3.95 | 346,520 | 0.76 | 0.90 |
| 8 | 3.95 | 4 | 659,300 | 0.61 | 0.56 |
| 9 | 4 | 4.05 | 976,625 | 0.68 | 0.55 |
| 10 | 4.05 | 4.1 | $1,206,623$ | 0.58 | 0.56 |
| 11 | 4.1 | 4.15 | $1,324,571$ | 0.77 | 0.69 |
| 12 | 4.15 | 4.2 | $1,311,733$ | 0.85 | 1.03 |
| 13 | 4.2 | 4.25 | $1,096,535$ | 1.07 | 1.38 |
| 14 | 4.25 | 4.3 | 724,735 | 1.91 | 2.55 |
| 15 | 4.3 | 4.35 | 375,968 | 3.57 | 4.35 |
| 16 | 4.35 | 4.4 | 166,485 | 7.42 | 7.28 |
| 17 | 4.4 | 4.45 | 69,411 | 10.49 | 15.77 |
| 18 | 4.45 | 4.5 | 24,112 | 85.37 | 119.39 |
| 19 | 4.5 | 4.55 | 5,621 | 94.75 | 326.28 |
| 20 | 4.55 | 4.6 | 741 | 93.42 | 1267.64 |

## FIT 98\% VALUES, WEIGHTS APPLIED



- (above) Apply a linear fit to the $98 \%$ values of $\log _{10}$ (bad area) at the centers of the $\log _{10}$ (good area) bins weighted using error bars. The first 3 bins are excluded from the fit as there was excessive bad area.
> Weights $=([\text { upper }+ \text { lower error bar }] / 2)^{-2}=(\text { average error bar length })^{-2}$
- Bad area cut at high areas: $\log _{10}($ bad area $)=0.7004^{*} \log _{10}($ good area $)-0.1073$;


## APPLY BAD AREA CUT TO THE KR-83M DATA



[^0]
## NEXT STEPS

- Apply the bad area cut to the Run04 background data.
- Handle very high areas beyond main 83 mKr population.
- (below) Extend x-axis to $10^{6}$ phd where the bad area cut bisects the population 1 b letting in too much bad area.
> Either decide to restrict this bad area cut to only be relevant up to $10^{4.6}$ phd or change the slope again.



## EXTRA SLIDES

## XY POSITIONS OF POPULATIONS: FIDUCIAL CUT APPLIED


$40<\mathrm{drift}<300 \mu \mathrm{~s}, \mathrm{R}$ cut 3 cm from wall


> Applying a fiducial cut results in fairly uniform distributions for all but population 2 which still has a concentration at -x.

## DRIFT POSITIONS OF POPULATIONS: FIDUCIAL CUT APPLIED




$40<$ drift $<300 \mu \mathrm{~s}, \mathrm{R}$ cut 3 cm from wall


- Population 1: Applying a fiducial cut removed the hotspot and left a fairly uniform distribution.
> Population 1b has many wall events removed.
> Populations 2 and 3 are still concentrated near the top.
> Population 4 is still concentrated near the bottom.


[^0]:    $\log _{10}($ bad area $)=0.7004^{*} \log _{10}($ good area $)-0.1073$

