

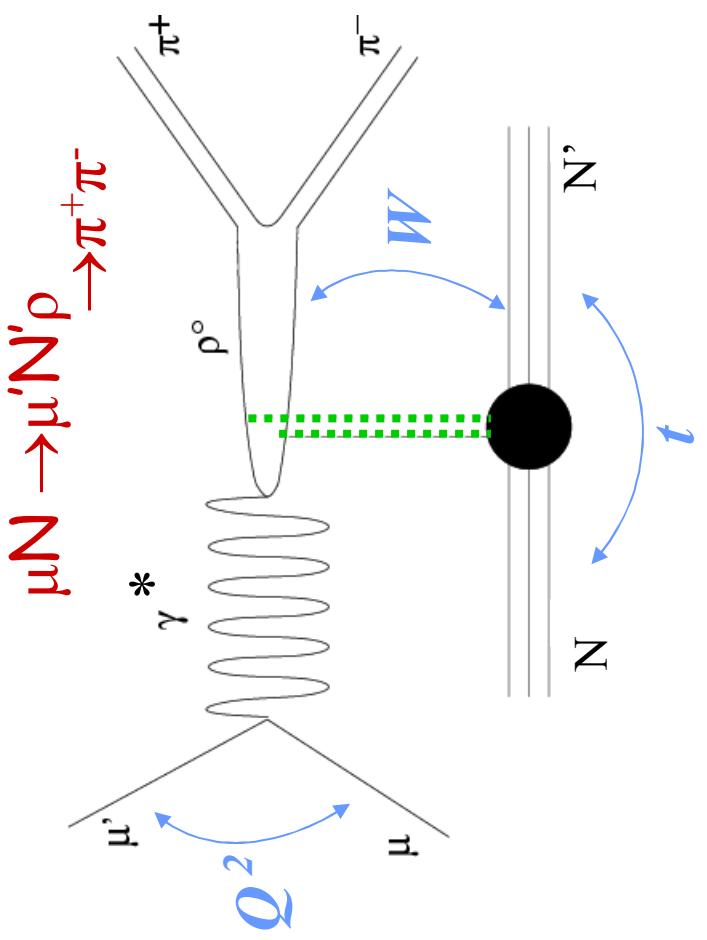
Diffractive ρ° production at COMPASS



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On behalf of the COMPASS collaboration

- Physics motivations
- COMPASS experiment
- Ongoing analysis
- Preliminary results
- Prospects for the future

Description of the diffractive ρ° production



Regge theory,
pQCD calculations (for σ_L), ...

At low energy $W < 5$ GeV:
exchange of 2 quarks
or of Reggeon
 ρ, ω ($J^P=1^-$),
 a_2, f_2 ($J^P=2^+$),
 a_3, f_3 ($J^P=3^-$), ...

At higher energy :
exchange of 2 gluons
or of Pomeron

COMPASS: $10^{-2} < Q^2 < 10$ GeV 2 ,
 $< W > = 10$ GeV, t small

Experimental observations (NMC, E665, ZEUS, H1, HERMES):
the helicity of γ^* is approximately retained by the ρ° meson \equiv **SCHC**
the exchange object has natural parity $P=(-1)^J \equiv$ **NPE**

Spin properties of the production amplitudes

Angular Distribution of the production and decay of $\rho \rightarrow \pi^+ \pi^-$

⇒ **Spin density matrix elements** \equiv bilinear combinations
of the helicity amplitudes $A(\gamma^*(\lambda_\gamma) \rightarrow \rho(\lambda_\rho)) \equiv T_{\lambda_\rho \lambda_\gamma}$

$$\lambda_\gamma = \pm 1, 0 \quad \lambda_\rho = \pm 1, 0$$

if NPE $T_{-\lambda_\rho - \lambda_\gamma} = (-1)^{\lambda_\rho - \lambda_\gamma} T_{\lambda_\rho \lambda_\gamma}$

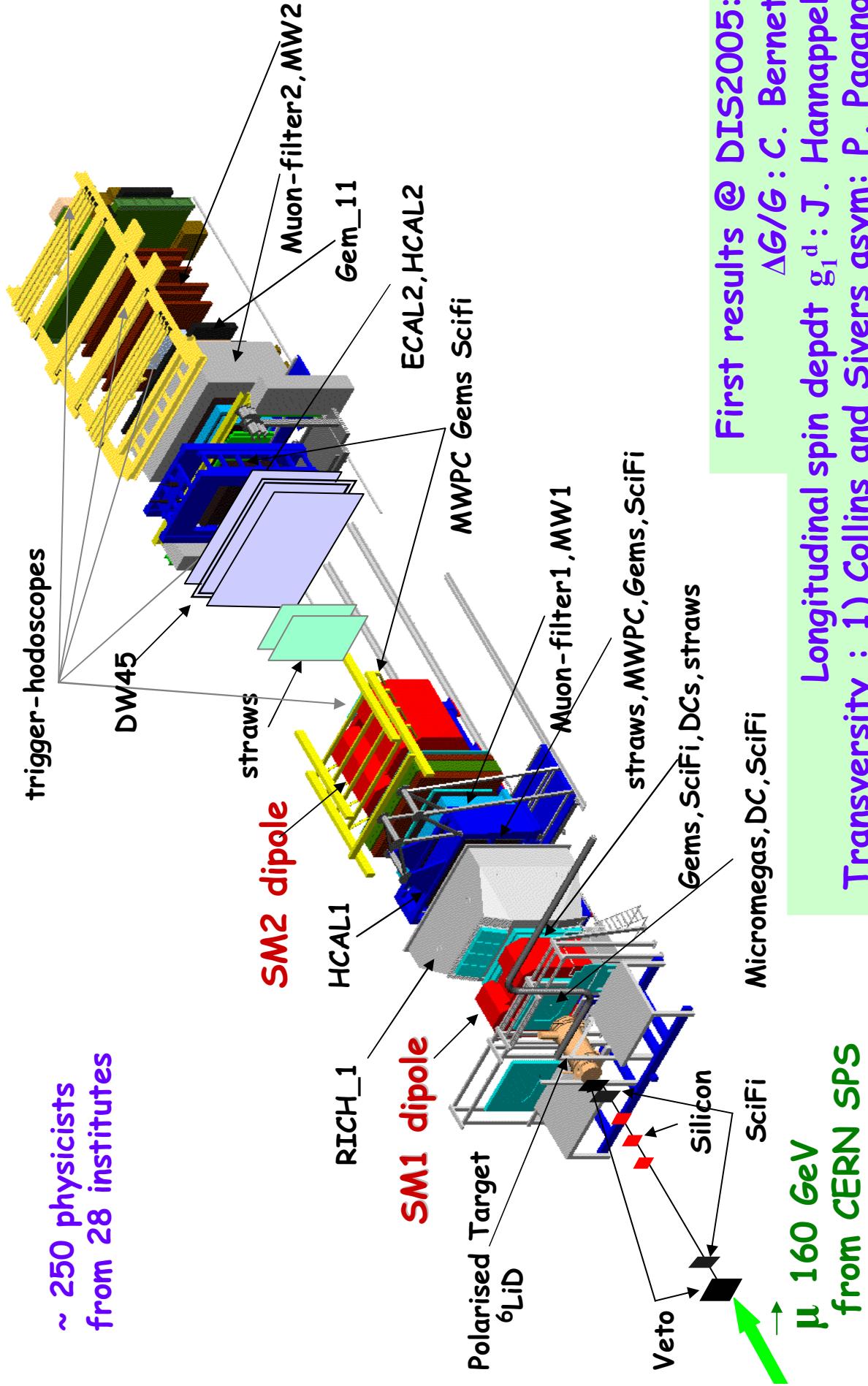
9 helicity amplitudes reduce to five 5 independent amplitudes :

$A(L \rightarrow L), A(T \rightarrow T) \gg A(T \rightarrow L) > A(L \rightarrow T) > A(T \rightarrow -T)$
i.e. $T_{00}, T_{11} \gg T_{01} > T_{10} > T_{-11}$

SCHC \gg single helicity flip $>$ double helicity flip

SCHNC

COMPASS experiment



First results @ DIS2005:

$\Delta G/G$: C. Bernet

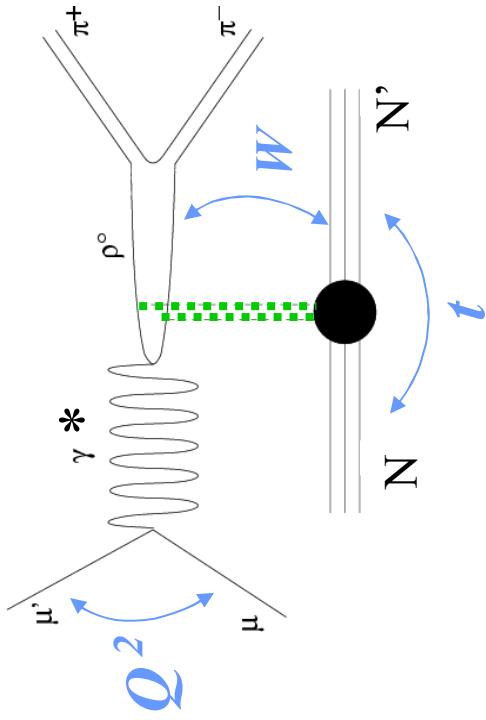
Longitudinal spin dep't g_1^d : J. Hannappel

Transversity : 1) Collins and Sivers asym: P. Pagano

2) 2 hadrons correlation: R. Joosten

Selection of the sample

- Topology :
 - 1 incoming μ and 1 scattered μ
 - only 2 hadrons of opposite charge
 - vertex in the ${}^6\text{LiD}$ polarized target

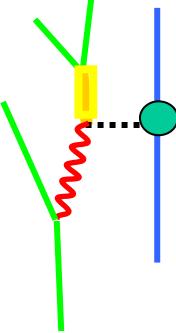


- Kinematical conditions:

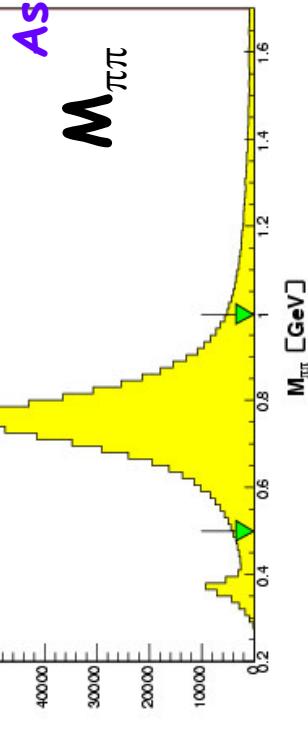
- $v > 30 \text{ GeV}$
- $E_{\mu'} > 20 \text{ GeV}$
- $Q^2 > 0.01 \text{ GeV}^2$

Focus on Incoherent Exclusive ρ^0 production...

Incoherent exclusive ρ^0 production

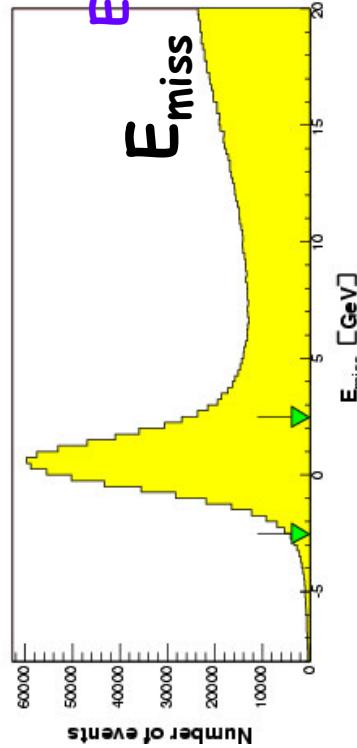


$\pi^+\pi^-$ invariant mass



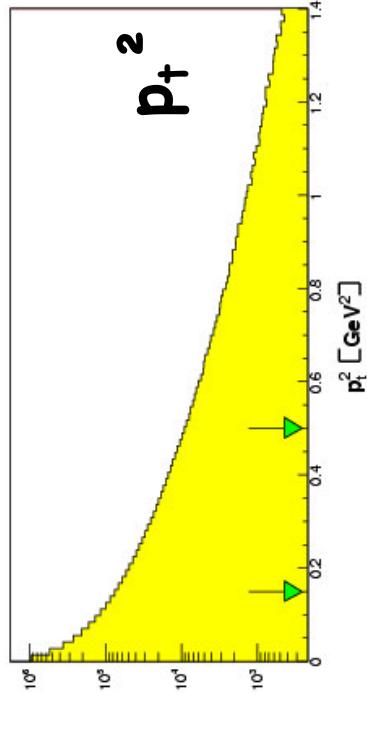
Assuming both hadron are π
 $0.5 < M_{\pi\pi} < 1$ GeV

E_{miss}



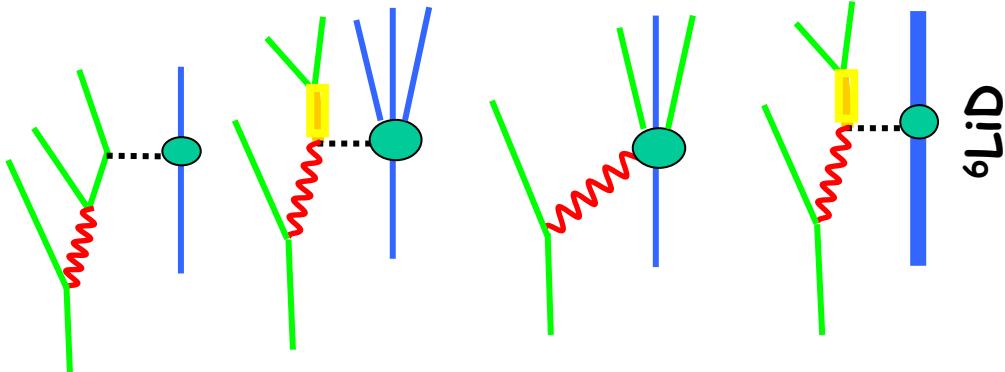
Exclusivity of the reaction
 $E_{\text{miss}} = (M_X^2 - M_N^2) / 2M_N$
 $-2.5 < E_{\text{miss}} < 2.5$ GeV

pT2



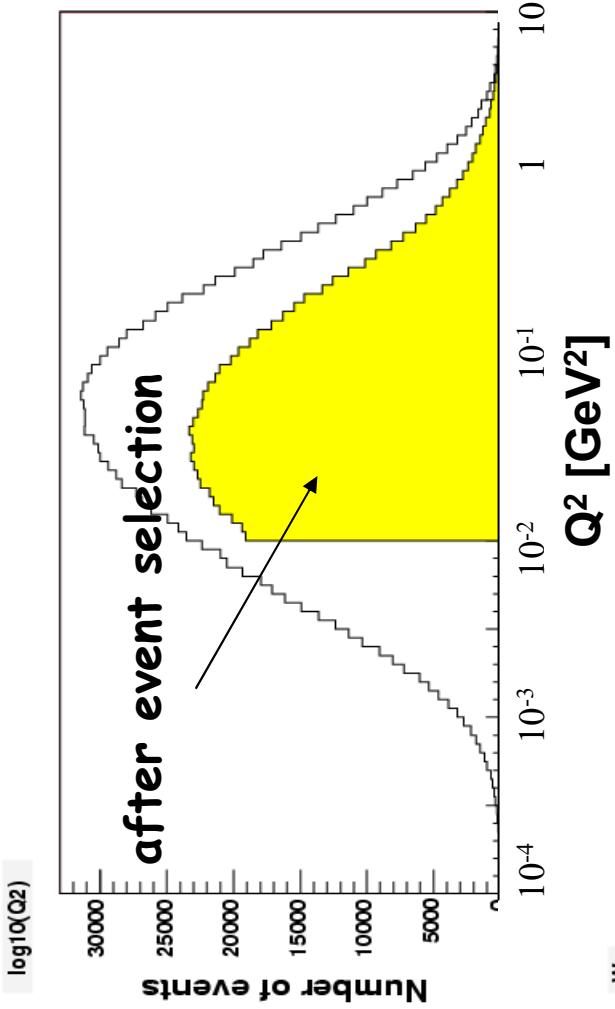
Incoherent production
 $0.15 < p_T^2 < 0.5$ GeV²
 scattering off a
 quasi-free nucleon

Background proc.
 rejected :



6LiD

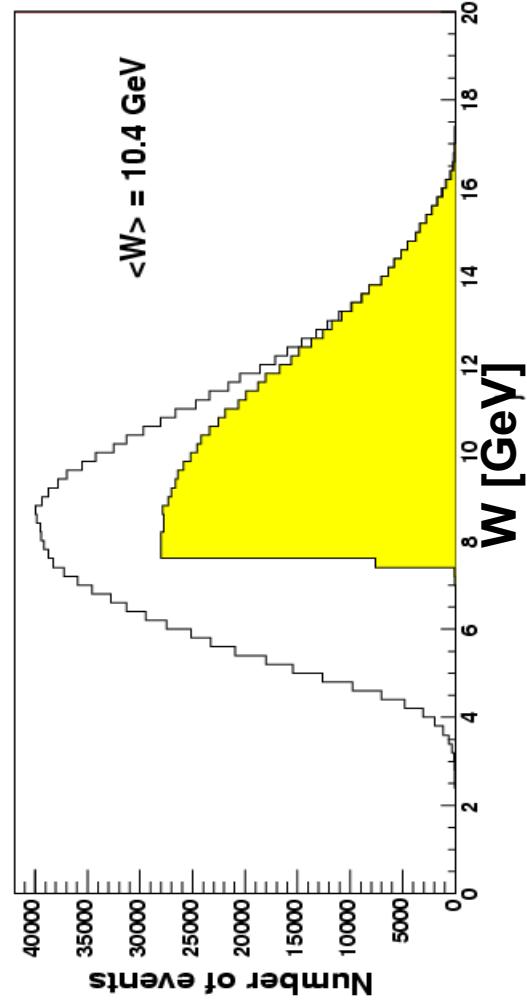
Kinematical domain of the final sample



2002 : this analysis
~ 700,000 evts (whole range)
~ 20,000 evts ($Q^2 > 1 \text{ GeV}^2$)

2003 and 2004:

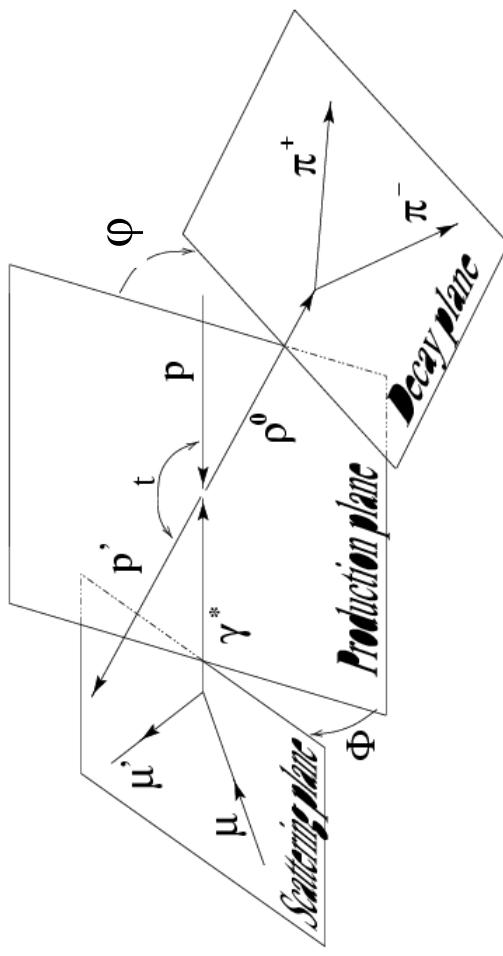
- trigger coverage improved
- enlarged acceptance at high Q^2 (up to 20 GeV)
- ~ 4 times more statistics



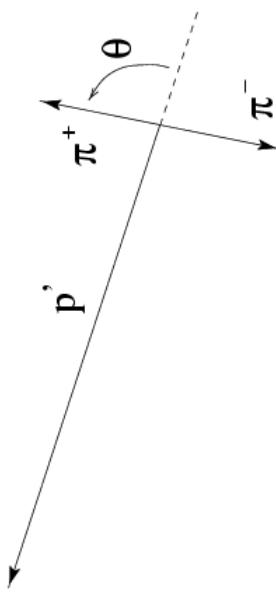
$\langle W \rangle = 10.4 \text{ GeV}$

ρ^0 angular distributions $W(\cos\theta, \phi, \Phi)$
depends on the **Spin density matrix elements**
 \Rightarrow 23 (15) observables with polarized (unpolarized) beam

$\gamma^* p$ center-of-mass frame



ρ^0 rest frame

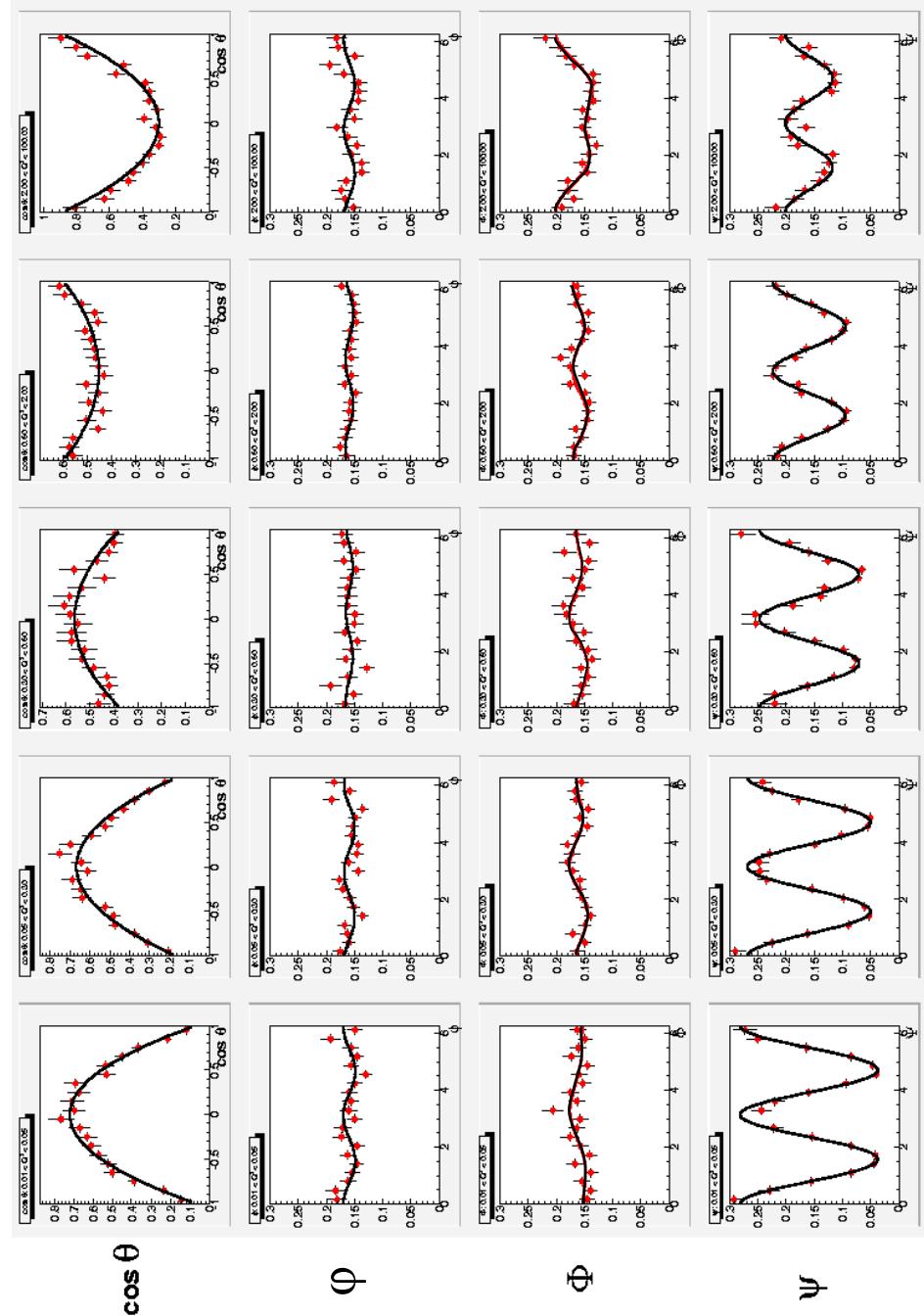


This analysis:
only one-dimensional
angular distribution

We will use also:
 $\psi = \phi - \Phi$

Angular distributions

0.01 < Q^2 < 0.05 < Q^2 < 0.3 < Q^2 < 0.6 < Q^2 < 2.0 < Q^2 < 10 GeV^2



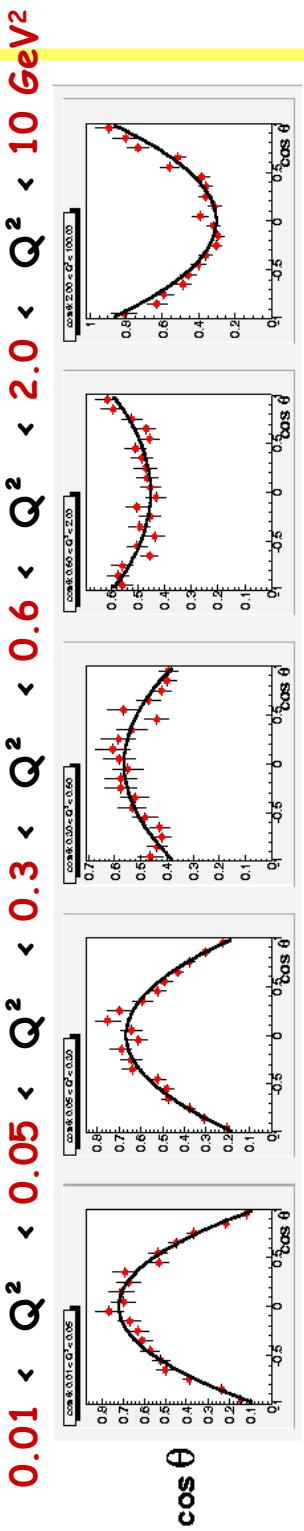
Preliminary :

- Corrected for Acceptance, smearing and efficiency (MC:DIPSI gen)

- Background not subtracted

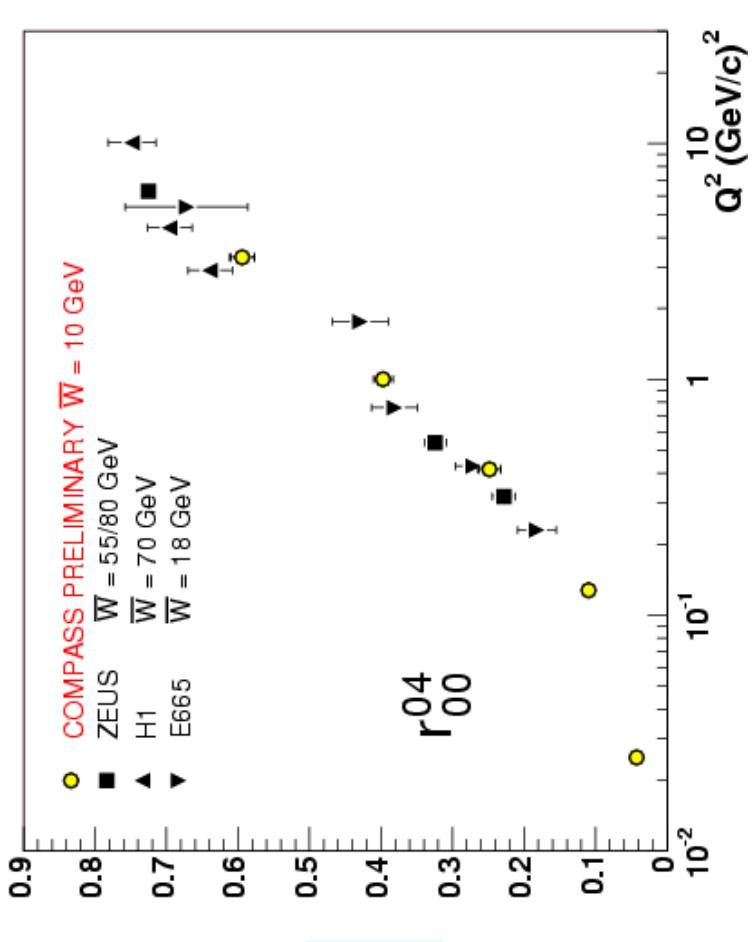
Statistical error only, limited by MC

Measurement of r_{00}^{04}



Distribution :

$$W(\cos\theta) = \frac{3}{4} \left[(1 - r_{00}^{04}) + (3r_{00}^{04} - 1) \cos^2\theta \right]$$



Spin density matrix elements:

$$r_{00}^{04} = \frac{|\mathcal{T}_{01}|^2 + (\varepsilon + \delta)|\mathcal{T}_{00}|^2}{N_T(1 + (\varepsilon + \delta)R)} \xrightarrow{\text{SCHC}} \frac{\sigma_L}{\sigma_{T\text{Tot}}} \quad N_T = |\mathcal{T}_{11}|^2 + |\mathcal{T}_{10}|^2$$

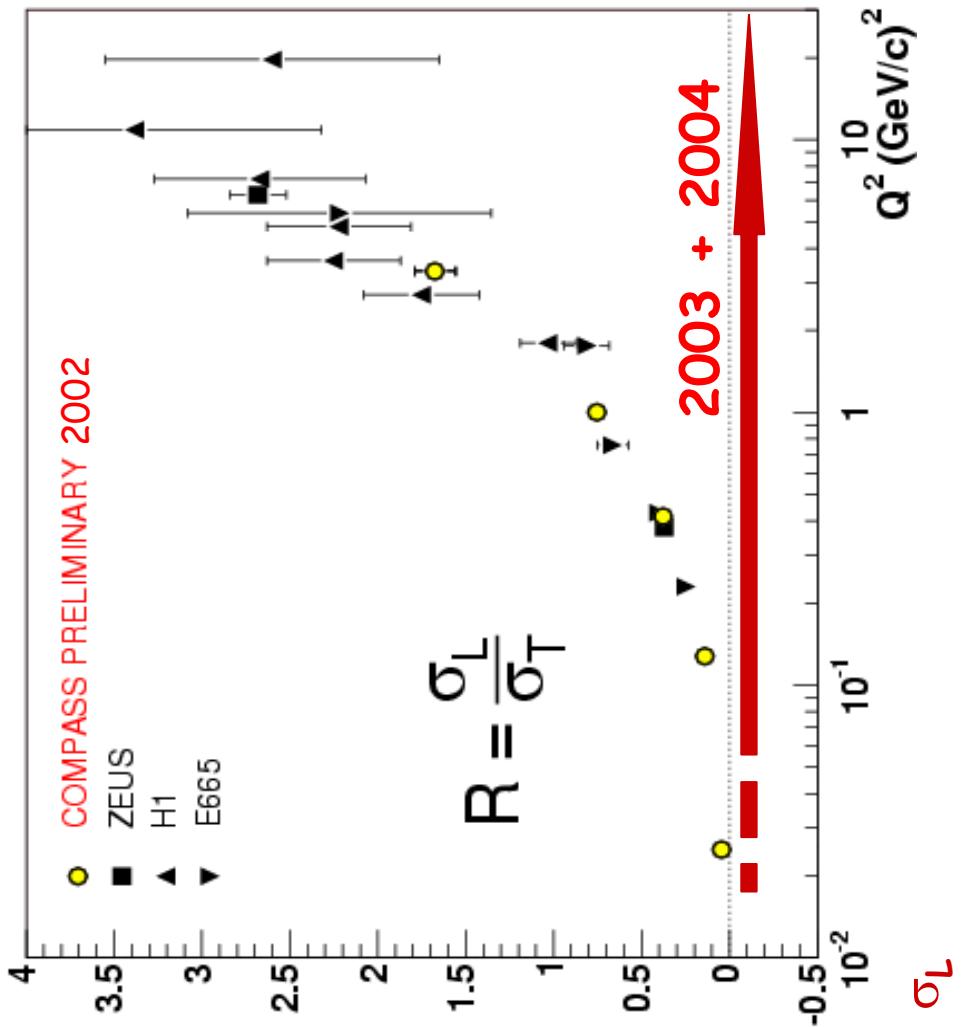
$$R = \sigma_L/\sigma_T \quad N_T = |\mathcal{T}_{11}|^2 + |\mathcal{T}_{10}|^2$$

$\mathcal{T}_{\lambda p \lambda \gamma}$ are helicity amplitudes
meson photon

Determination of $R_{\rho^0} = \sigma_L / \sigma_T$

If SCHC holds :
only $T_{00} \neq 0$
 $T_{11} \neq 0$
Then :

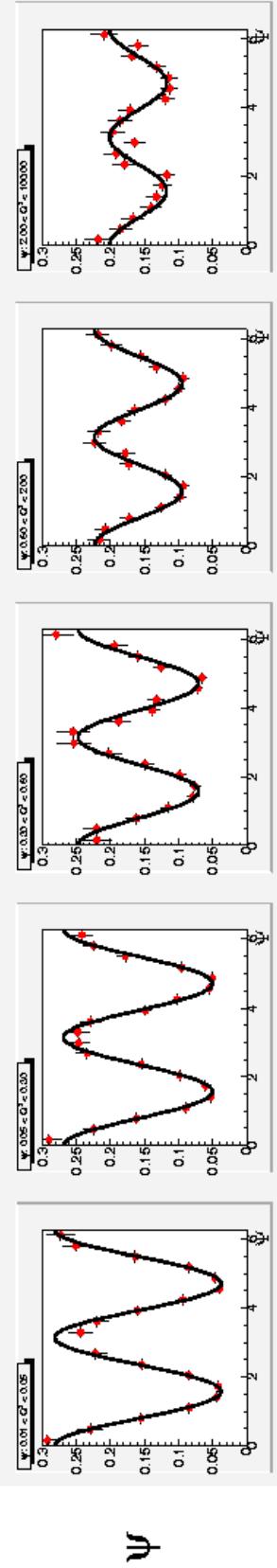
$$R = \frac{\sigma_L}{\sigma_T} = \frac{1}{(\varepsilon + \delta)} \frac{r_{00}^{04}}{1 - r_{00}^{04}}$$



Impact on GPD study:
easy determination of σ_L
factorisation only valid for σ_L

Measurement of r_{1-1}^1

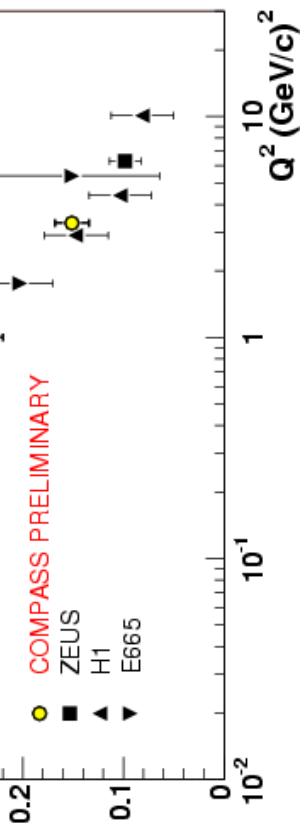
$0.01 < Q^2 < 0.05 \text{ < } Q^2 < 0.3 \text{ < } Q^2 < 0.6 \text{ < } Q^2 < 2.0 \text{ < } Q^2 < 10 \text{ GeV}^2$



Distribution, if SCHC holds:

$$W(\psi) = \frac{1}{2\pi} |1 + 2\varepsilon \cdot r_{1-1}^1 \cos 2\psi|$$

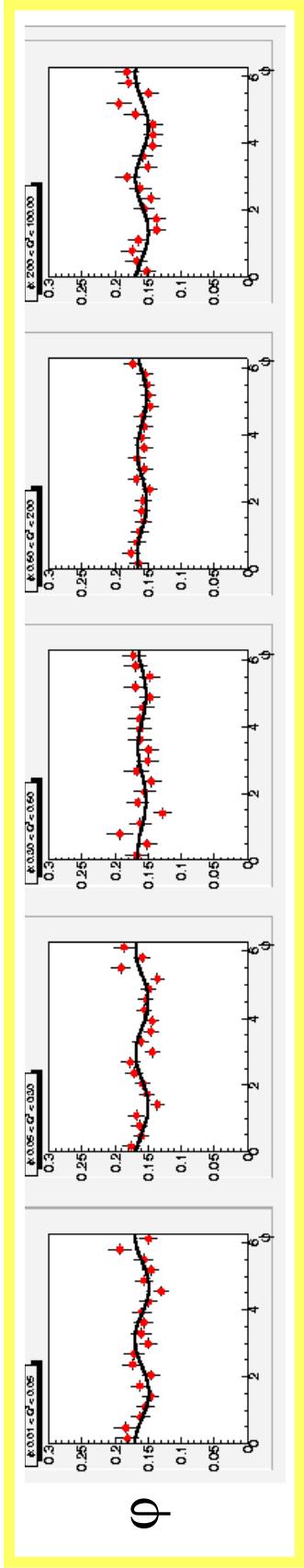
with $\psi = \varphi - \Phi$



if in addition, NPE holds:

$$r_{1-1}^1 = \frac{1}{2} \left| 1 - r_{00}^{04} \right|$$

Measurement of r_{1-1}^{04} and $\text{Im } r_{1-1}^3$



Distribution :

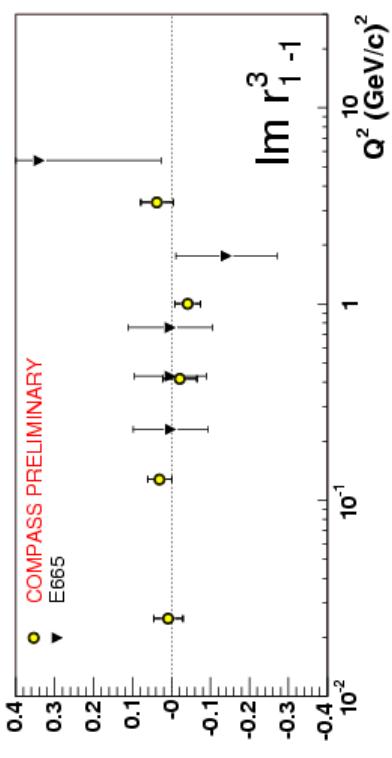
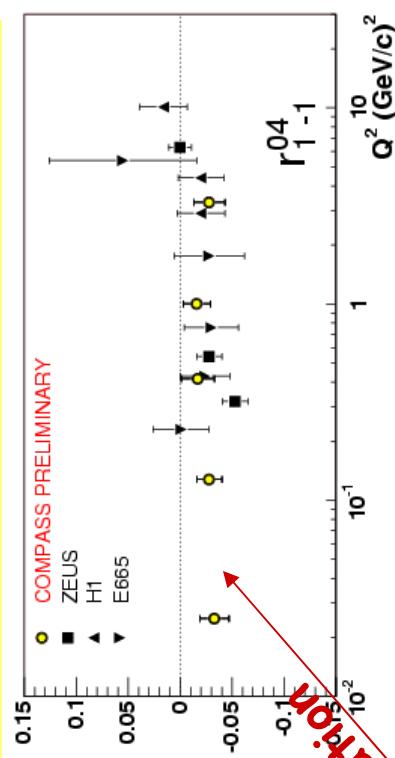
$$W(\phi) = \frac{1}{2\pi} [1 - 2r_{1-1}^{04} \cos 2\phi + 2\text{Im } r_{1-1}^3 P_\mu \sqrt{1 - \varepsilon^2} \sin 2\phi]$$

beam polarisation

Spin density matrices:

$$r_{1-1}^{04} = \frac{\text{Re}(T_{11} T_{-11}^*) - (\varepsilon + \delta) |T_{10}|^2}{N_T (1 + (\varepsilon + \delta) R)} = 0$$

$\text{Im } r_{1-1}^3 = \dots = 0 \longrightarrow \text{If SCHC holds}$



Conclusions and perspectives

Incoherent exclusive ρ° production under investigation:

- high statistics from photo-production to the hard regime
- larger acceptance at high Q^2 in 2003 and 2004 (up to 20 GeV^2)

Preliminary results on a few Spin Density Matrix Elements:

- only statistical errors are shown (dominated by MC)
- systematics to be evaluated (background contamination)
 - **SDME in agreement with other experiments**
 - **weak violation of SCHC observed**

Double spin longitudinal asymmetry for ρ° production (NPE control)

Spin asymmetries for transversally polarised target (GPD study)

Exclusive production of ϕ and J/Ψ also observed and will be studied

ρ^0 mass distribution

Söding parametrization:

$$\frac{dN}{dm_{\pi\pi}} = \left| A \cdot \frac{\sqrt{m_{\pi\pi} m_\rho \Gamma(m_{\pi\pi})}}{m_{\pi\pi}^2 - m_\rho^2 + im_\rho \Gamma(m_{\pi\pi})} + B \right|^2 + f_{PS}$$

