

H1 search for a narrow baryonic resonance decaying to K^0 s $p(\bar{p})$

Christiane Risler, DESY
on behalf of the H1 collaboration

April 27th, DIS 2005, Madison, USA



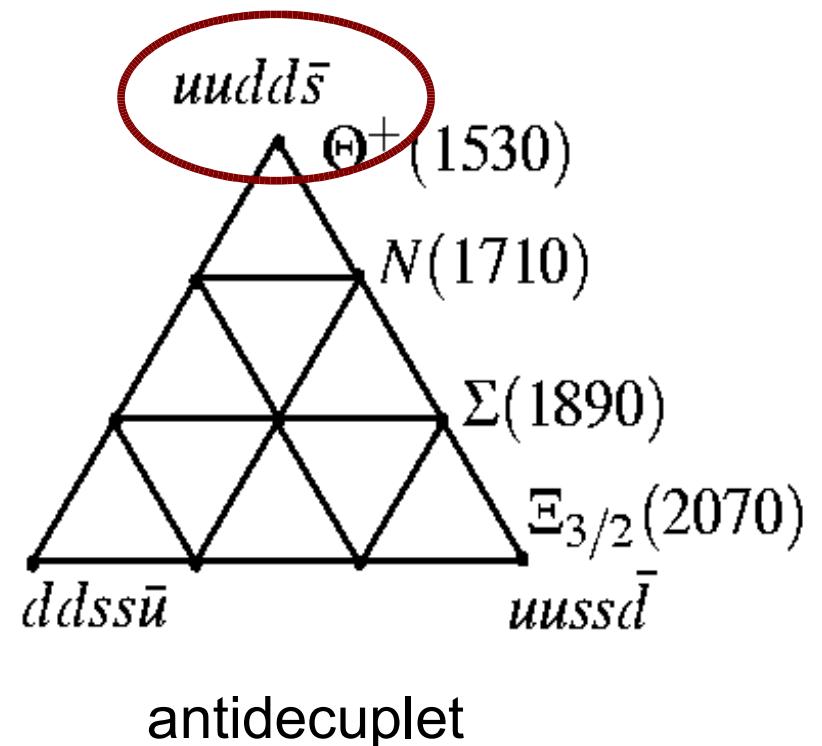
Outline:

- Introduction
- Reconstruction of K^0 s p
- Results
- Summary

Pentaquarks

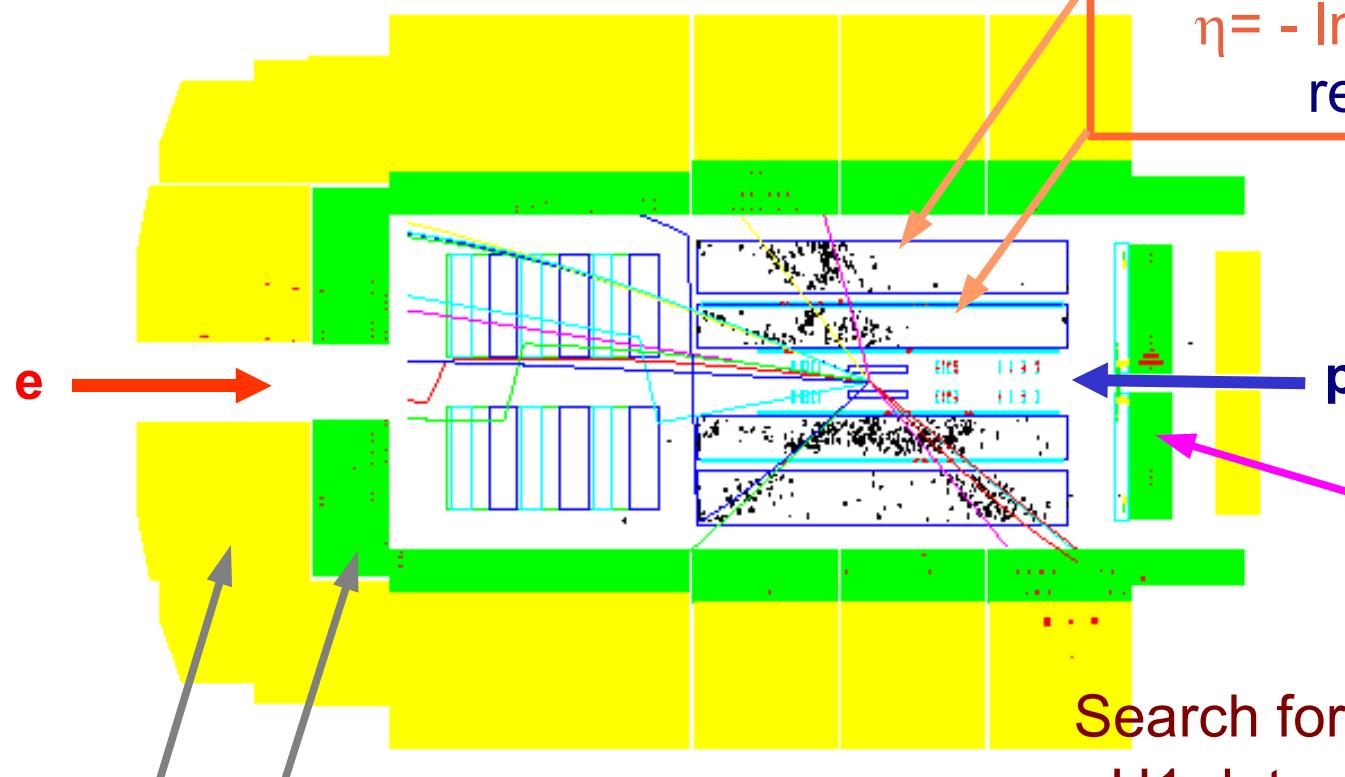
- many observations of baryonic resonances in $K+n$ (exotic) and also in K^0_s p channel
- interpreted as pentaquarks
- also many non-observations

$\Theta^+ \rightarrow K^+ n$ exotic
 $\Theta^+ \rightarrow K^0_s p$ maybe exotic



H1 detector at HERA

$E_e = 27.6 \text{ GeV}$
 $E_p = 920 (820) \text{ GeV}$
 $\sqrt{s} \approx 300-320 \text{ GeV}$



Lar Calorimeter

Central jet chamber CJC
tracking, particle ID via dE/dx
acceptance $-1.75 < \eta < 1.75$
 $\eta = -\ln \tan \theta/2$
rec. of K^0_s , protons

backward
electromagnetic
calorimeter SpaCal
rec. of scattered e

Search for state decaying to $K^0_s p(\bar{p})$

- H1 data, 96-00, 75 pb^{-1}
DIS events, $5 < Q^2 < 100 \text{ GeV}^2$,
 $0.1 < y < 0.6$

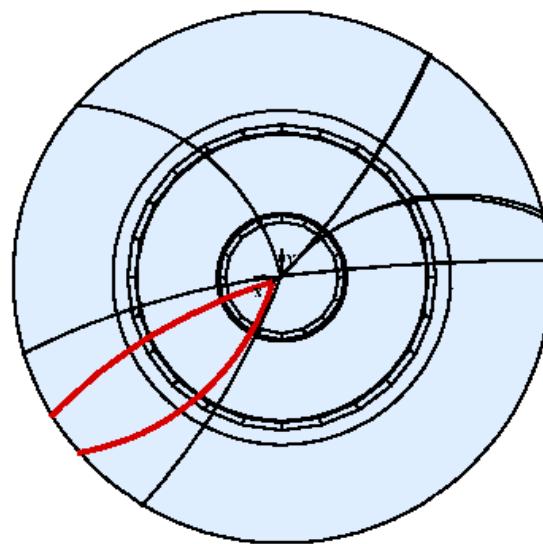
K^0_s reconstruction

K^0_s selection

secondary vertices : combinations
of oppositely charged tracks
 $p_T(K^0_s) > 0.3 \text{ GeV}$, $|\eta| < 1.5$

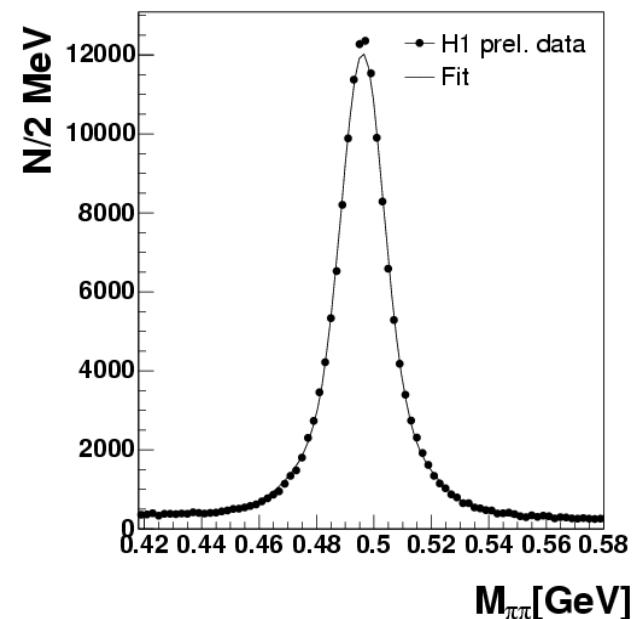
remove combinatorial
background and contaminations
from Λ decays, photon conversions

K^0_s in the central
jet chamber



$K^0_s \rightarrow \pi^+ \pi^-$

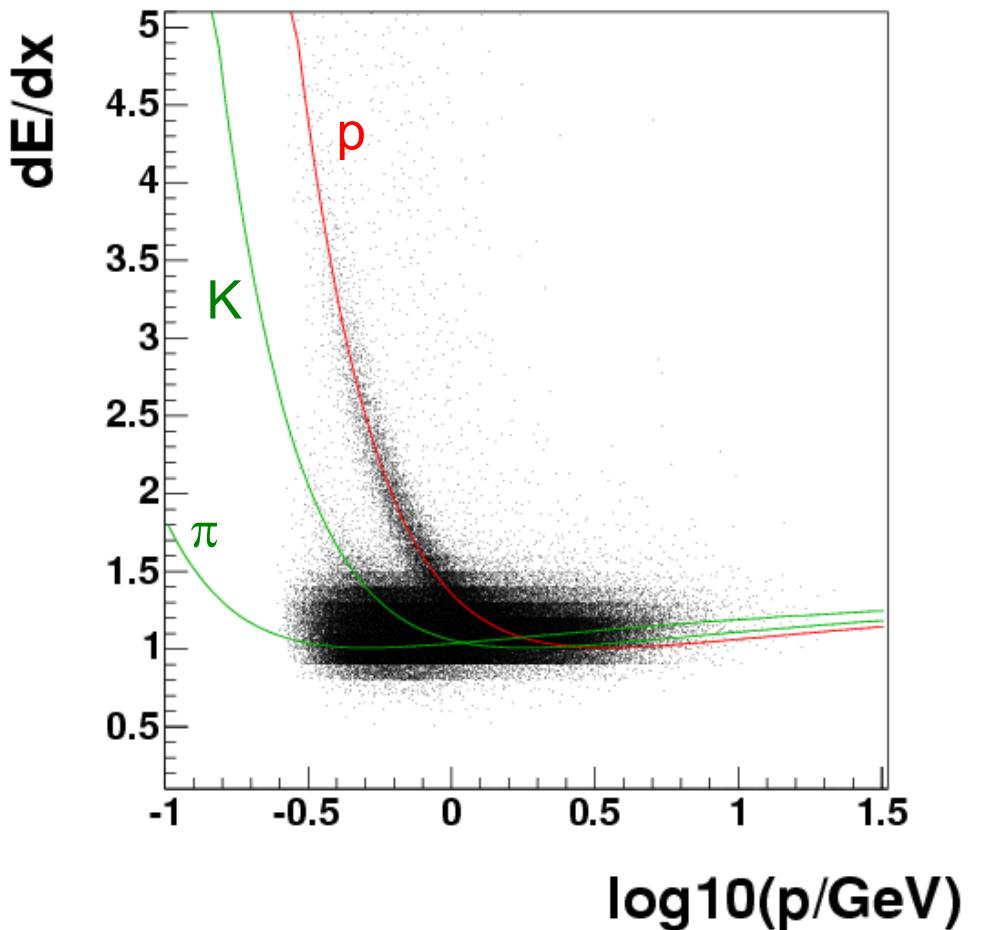
Inclusive K^0_s signal $Q^2 > 5 \text{ GeV}^2$



from fit:
 $N(K^0_s) \approx 140\,000$

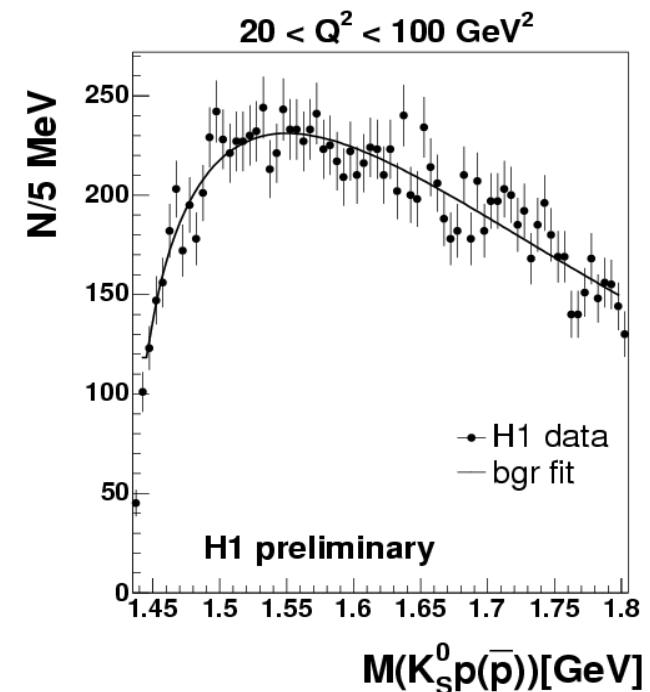
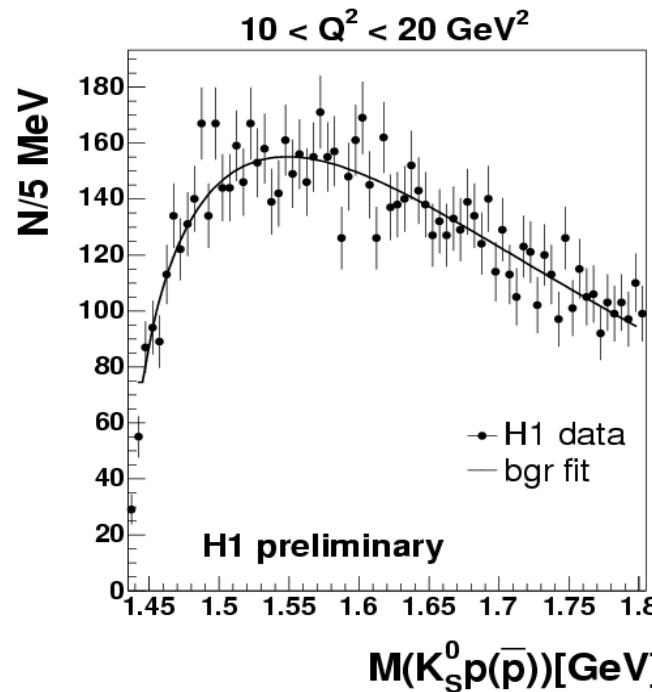
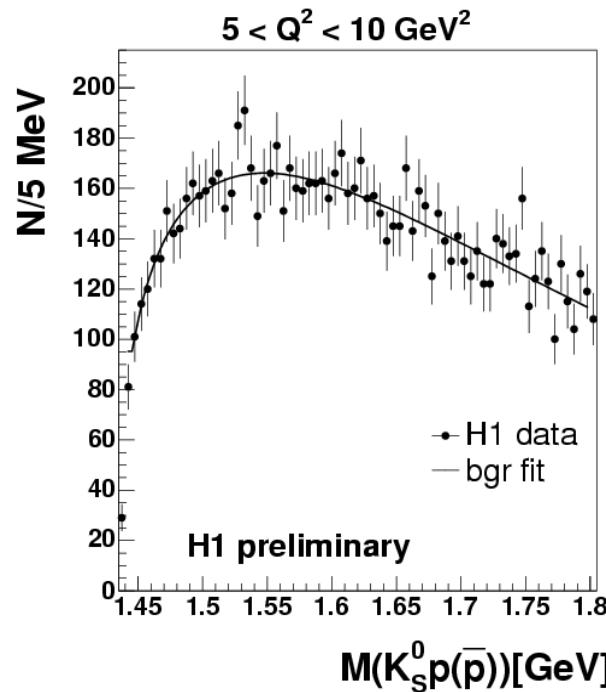
Proton selection via energy loss dE/dx

- resolution for minimal ionizing particles ~8%
- most probable dE/dx : phenomen. parameterisation (Bethe Bloch)
- use likelihoods for separation of protons and π large momentum range
- average proton efficiency ~90%
- π -suppression probability 86%
96 % at low momenta ($p < 1.5$ GeV)



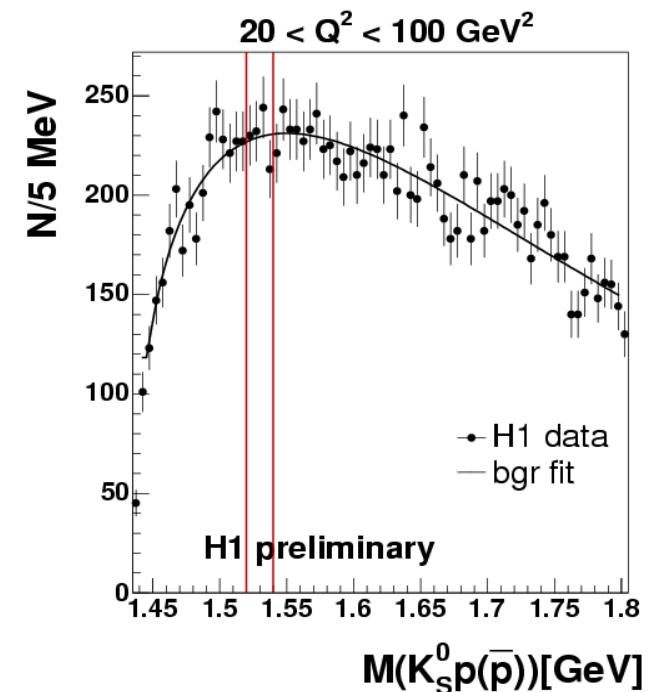
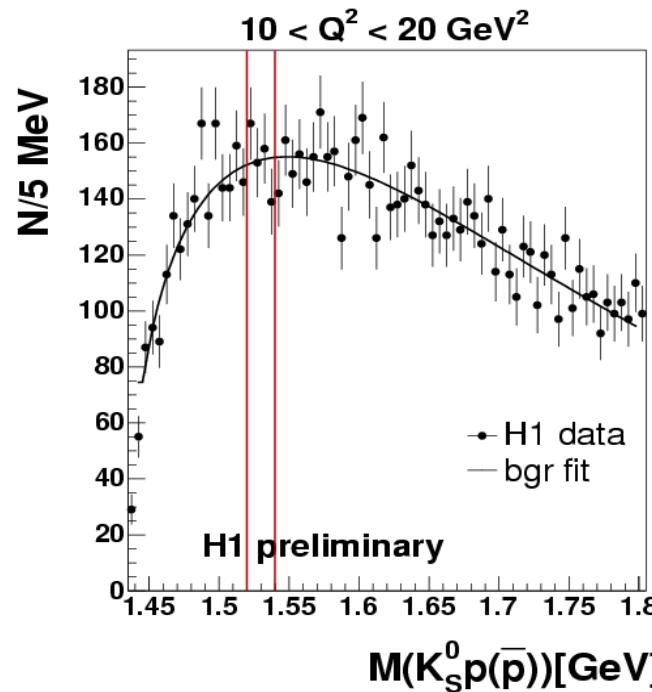
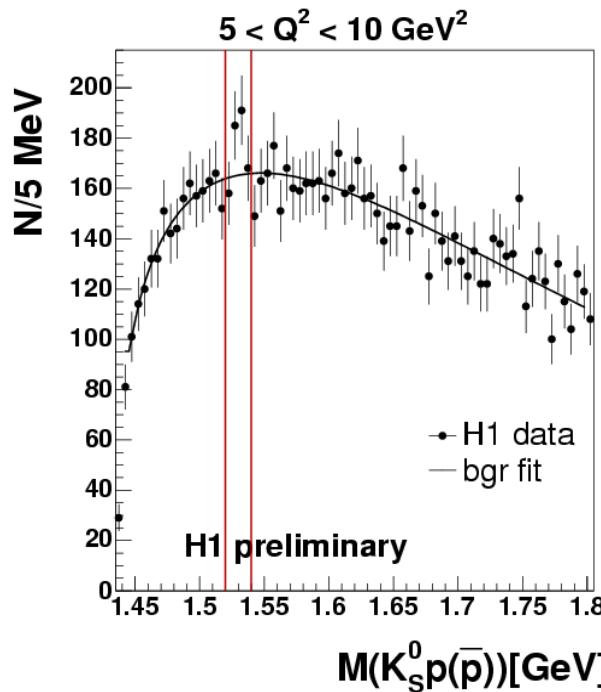
Invariant $K^0_S p(\bar{p})$ mass

visible range : $p_T(K^0_S p) > 0.5, |\eta(K^0_S p)| < 1.5$



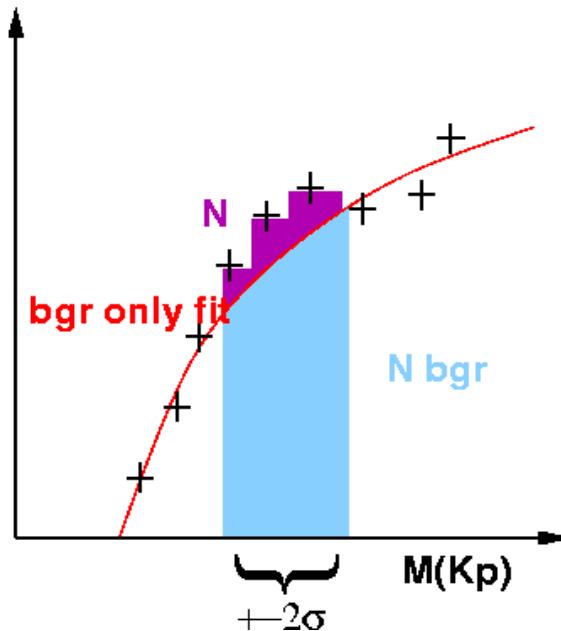
Invariant $K^0_S p(\bar{p})$ mass

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no significant signal in the interesting mass range 1.52 to 1.54 GeV

Extracting Upper Limits on θ^+ production



- fit background
- background subtraction in integration window
 $M \pm 10 \text{ MeV}, \pm 16 \text{ MeV}$
corr. to 2σ assuming a resolution of 5(8) MeV
- scan M in the range 1.48 to 1.7 GeV
- upper limit on $N(\theta^+)$ (95% C.L.)

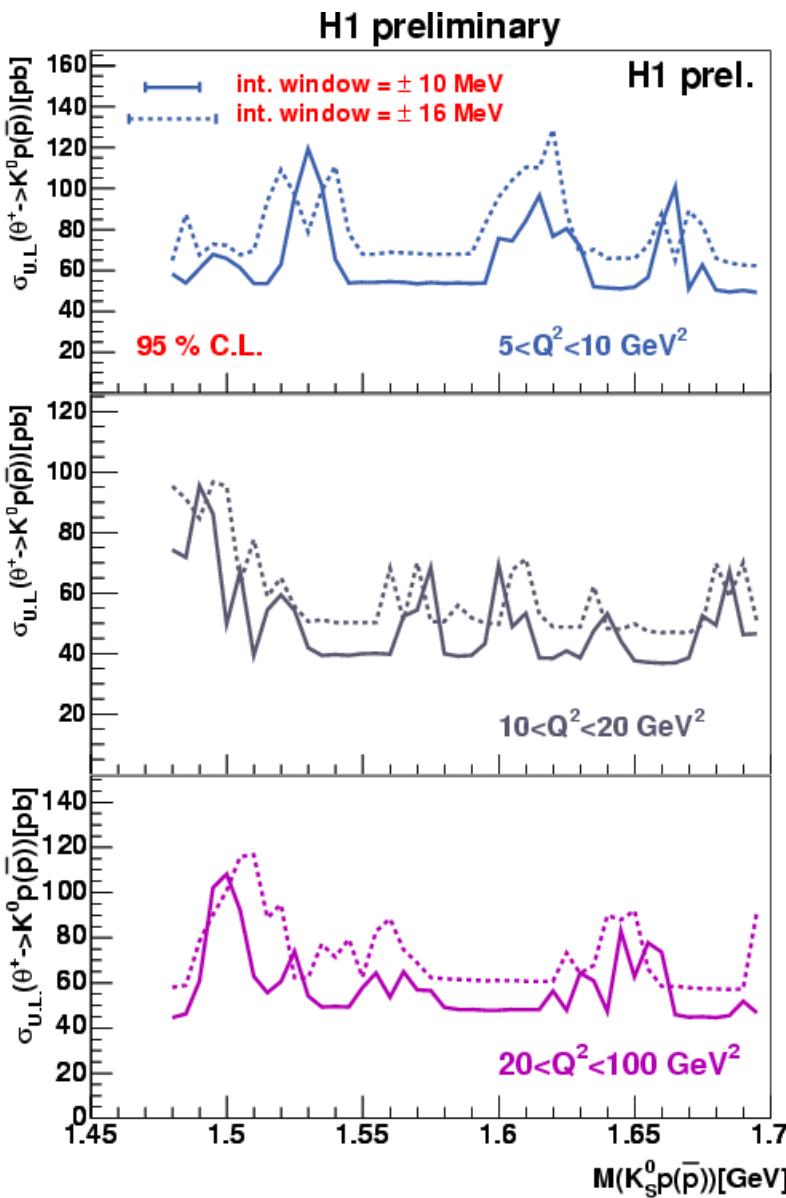
$$\sigma_{\text{U.L.}}(\theta^+ \rightarrow K^0 p) = \frac{N_{\text{u.l.}}(\theta^+ \rightarrow K^0_s p)}{\text{BR} * \varepsilon * L}$$

- $\text{BR}(K^0_s \rightarrow \pi^+ \pi^-) * \text{BR}(K^0 \rightarrow K^0_s) = 0.343$
- $L = 75 \text{ pb}^{-1}$

Signal Monte Carlo

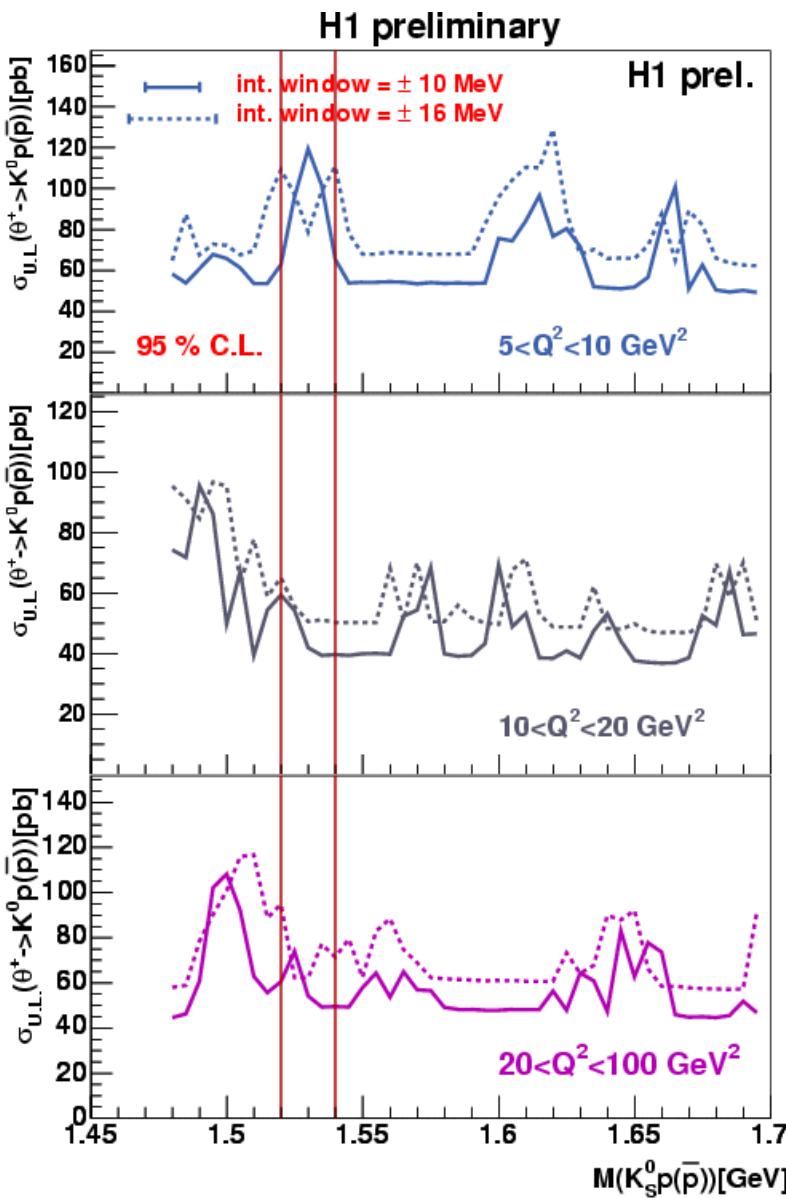
- RAPGAP 3.1
- change decay properties of Σ^* to $M=1.52(1.54)$, $\sigma=0$
- detector resolution $\sim 5 \text{ MeV}$
- acceptance $\varepsilon \approx 5 \%$

Upper Limit (95% C.L.) on $\sigma(ep \rightarrow e\theta X \rightarrow eK^0 p(\bar{p}) X)$



- $5 < Q^2 < 100 \text{ GeV}^2, 0.1 < y < 0.6$
- visible range :
 $p_T(K^0 s p) > 0.5, |\eta(K^0 s p)| < 1.5$
- different fluctuations in Q^2 bins
- 95% C.L. upper limit on cross section
 $\sigma_{U.L.}(ep \rightarrow e\theta X \rightarrow eK^0 p(\bar{p}) X) \sim 40-120 \text{ pb}$

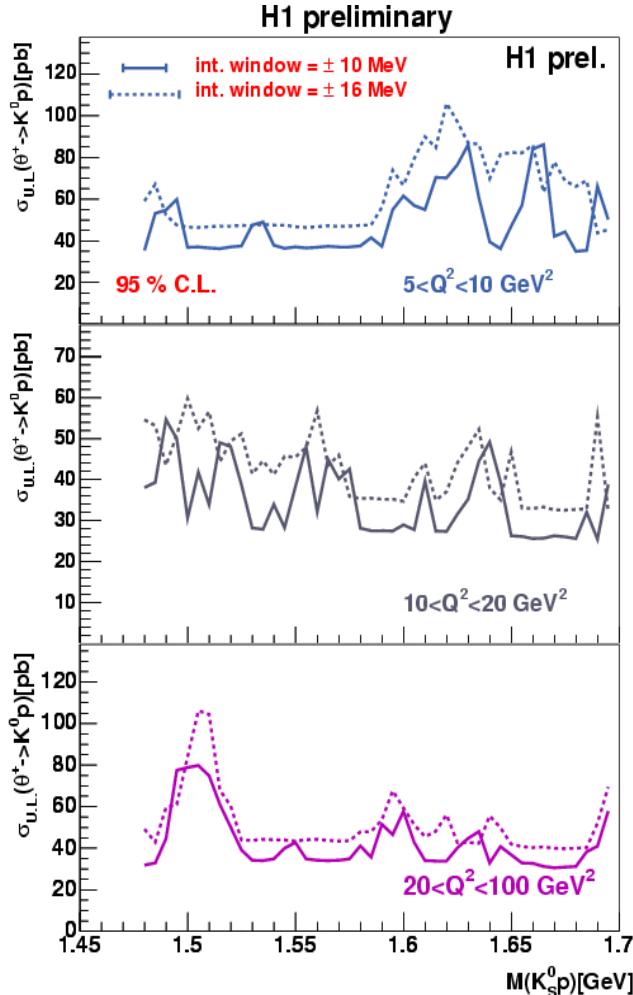
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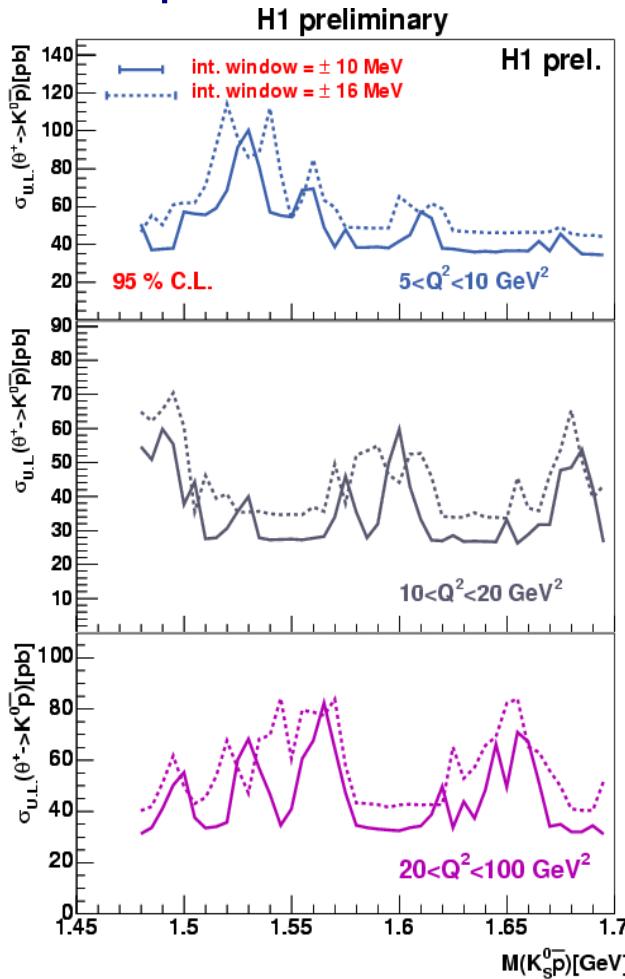
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Upper Limit (95% C.L.) on $\sigma(ep \rightarrow e\theta X \rightarrow eK^0 p(\bar{p})X)$: charges

protons



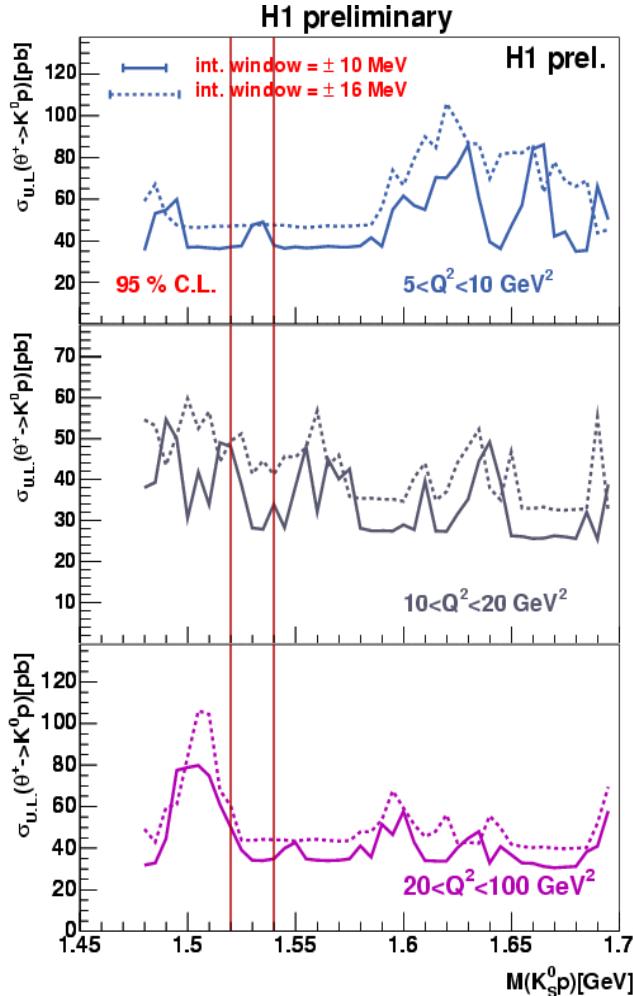
antiprotons



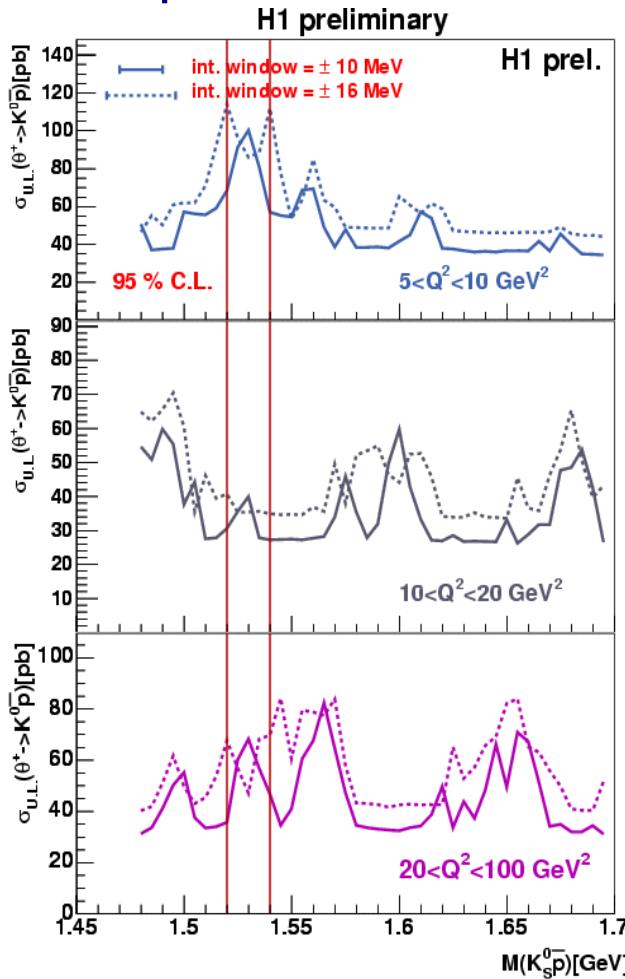
- limits for $K^0 s p$ and $K^0 s \bar{p}$ compatible
- fluctuations at different masses for p and \bar{p}

Upper Limit (95% C.L.) on $\sigma(ep \rightarrow e\theta X \rightarrow eK^0 p(\bar{p})X)$: charges

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antiprotons



- limits for $K^0 s p$ and $K^0 s \bar{p}$ compatible
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Comparison with ZEUS

ZEUS: signal at 1.522 GeV observed

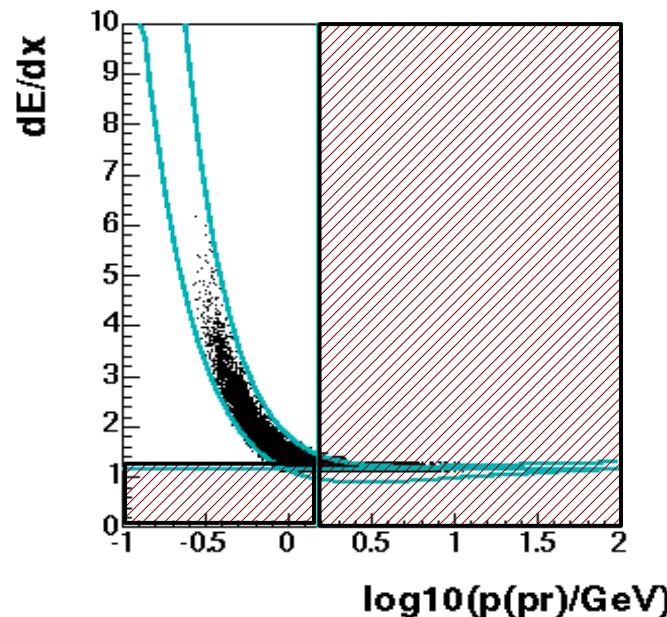
$Q^2 > 20 \text{ GeV}^2$, $0.04 < y < 0.95$, $p_T > 0.5$, $|\eta| < 1.5$

$\sigma(ep \rightarrow e \theta X \rightarrow e K^0 p X) = 125 \pm 27(\text{stat}) + 36 - 28 \text{ (syst.) pb (prel.)}$

dE/dx selection, $p(pr) < 1.5 \text{ GeV}$

low-momentum dE/dx selection:

- use visual selection of bands in dE/dx , momentum
- $dE/dx > 1.15$
- proton momentum $< 1.5 \text{ GeV}$



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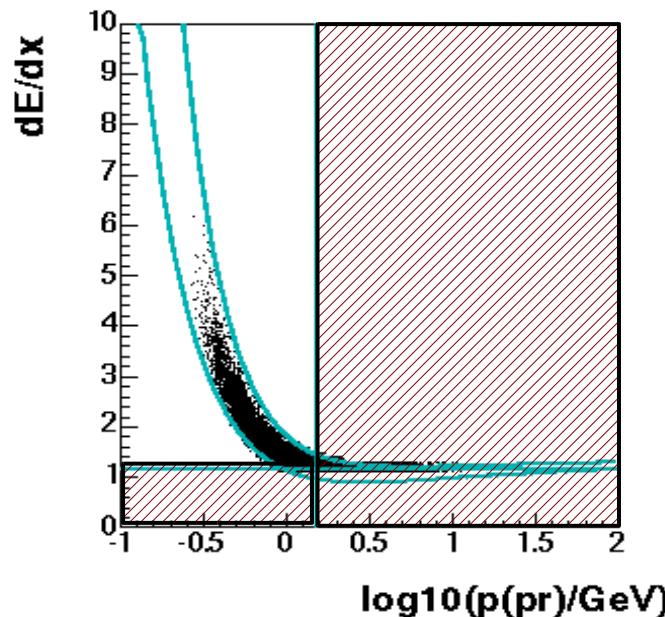
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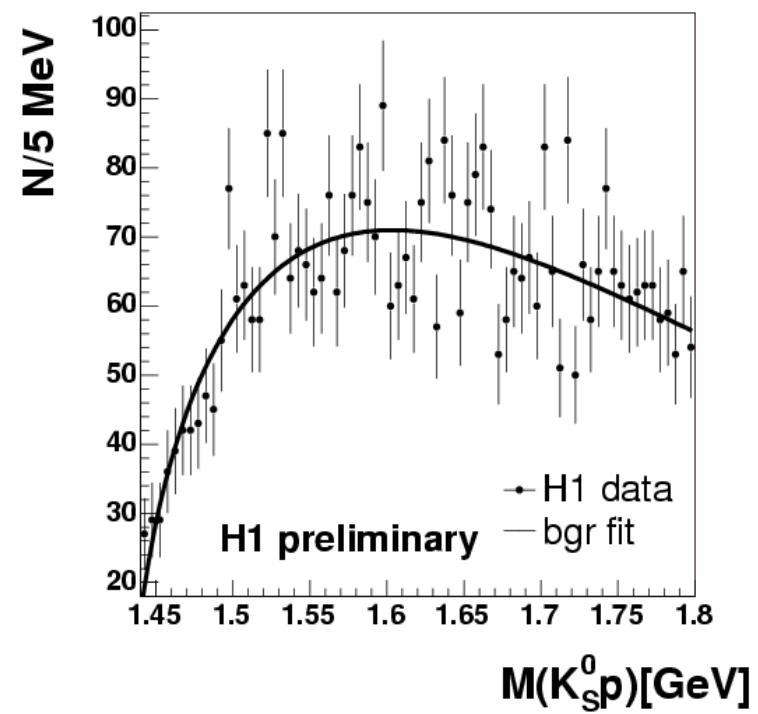
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 $0.1 < y < 0.6$



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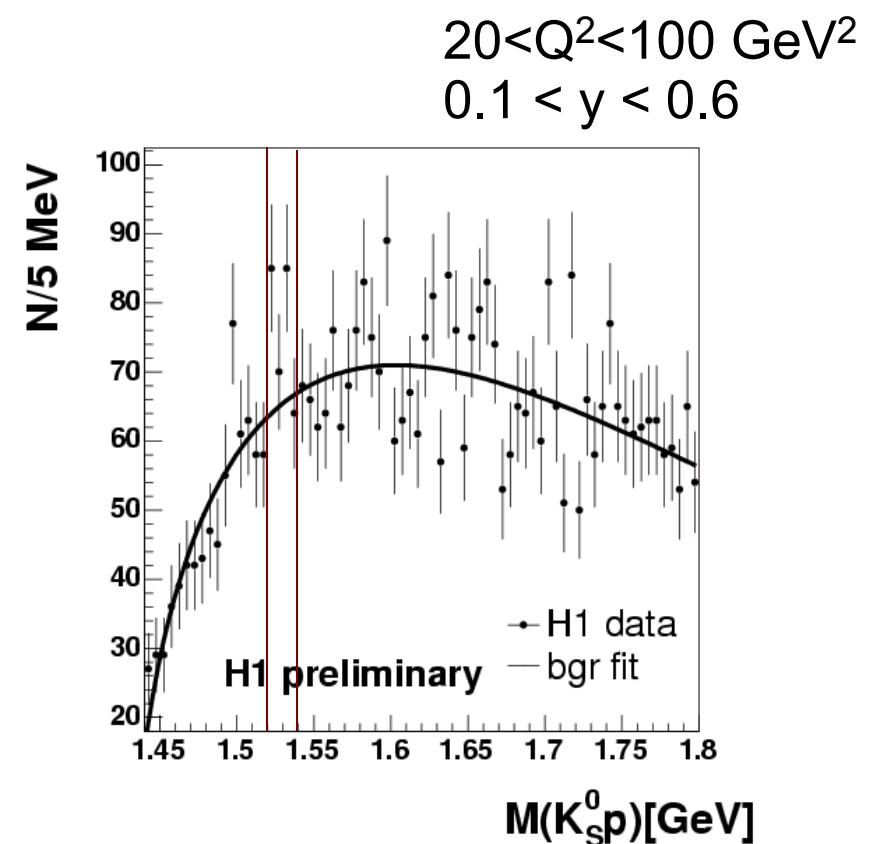
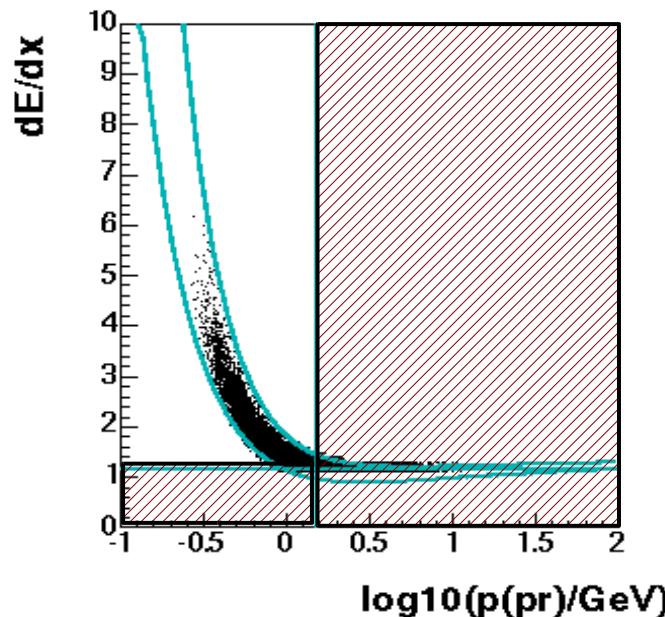
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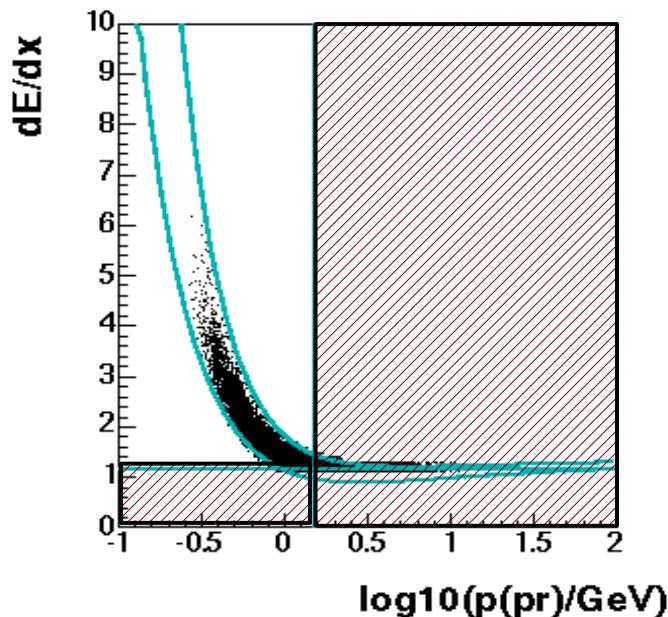
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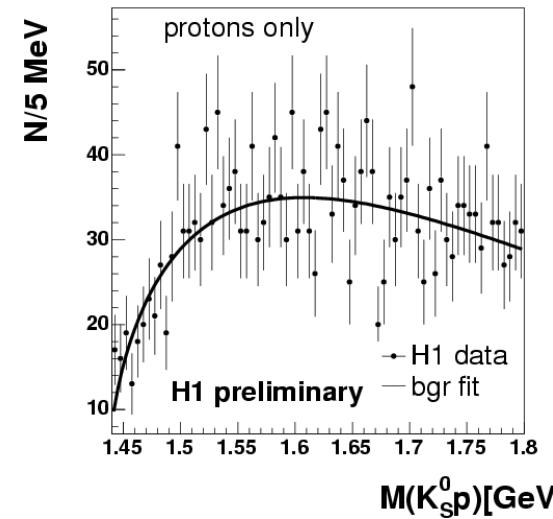
separate charges:

low-momentum dE/dx selection:

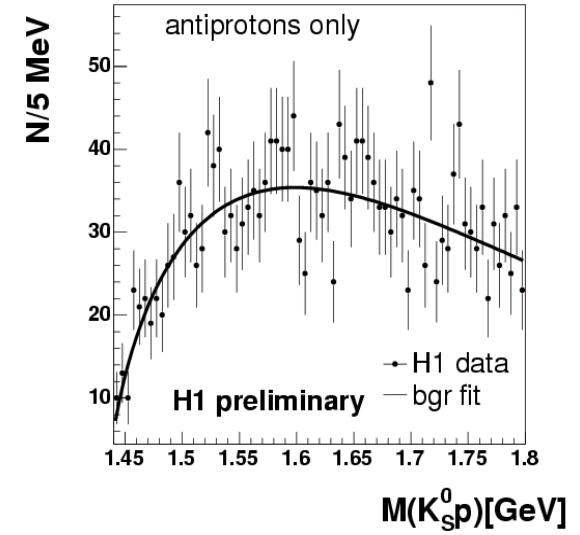
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invariant $K^0 s$ p mass



invariant $K^0 s \bar{p}$



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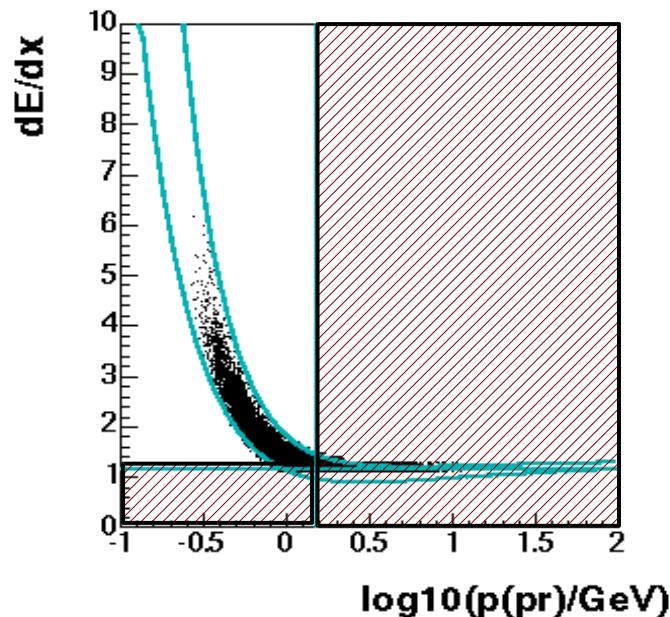
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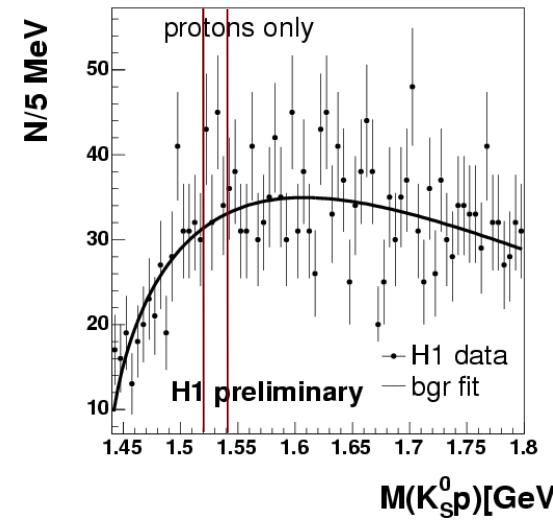
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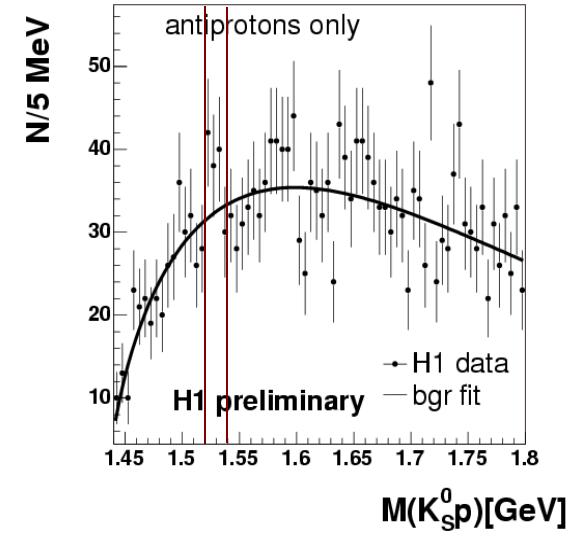
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invariant $K^0 s$ p mass

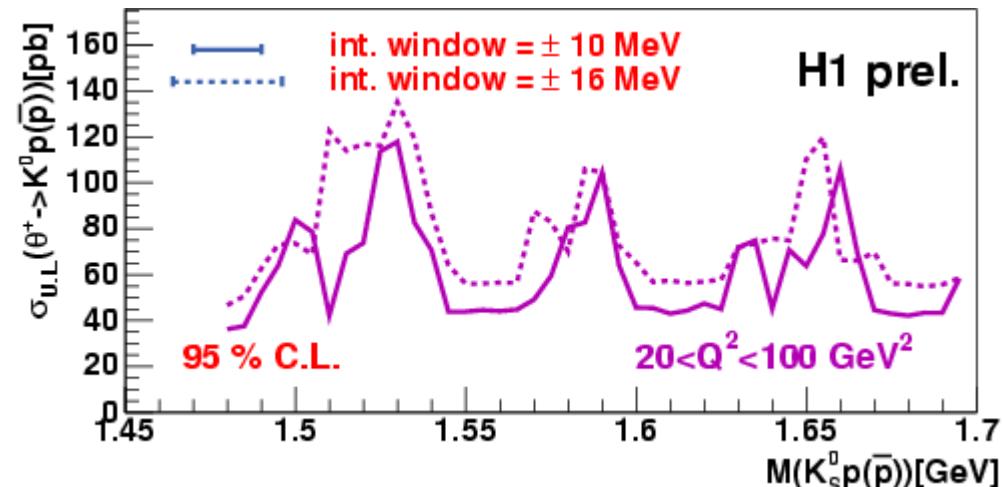


invariant $K^0 s \bar{p}$

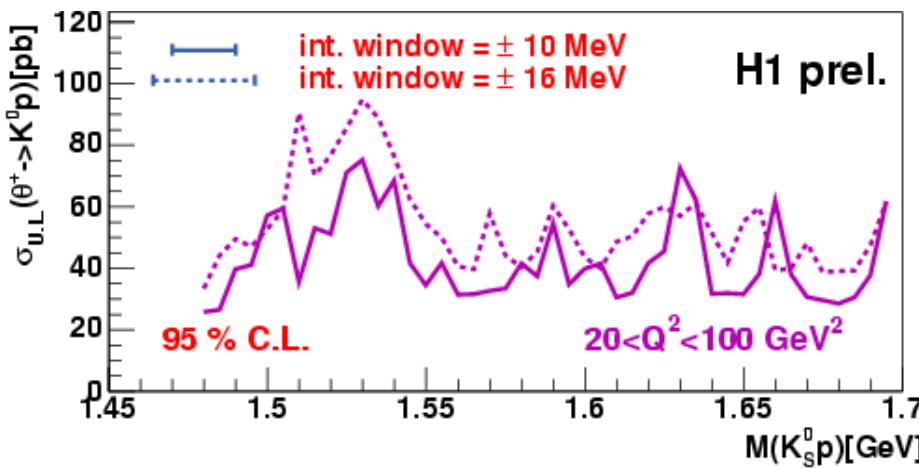


Upper Limit (95% C.L.) on $\sigma(ep \rightarrow e\theta^0 X \rightarrow e K^0 p(\bar{p}) X)$: low p selection

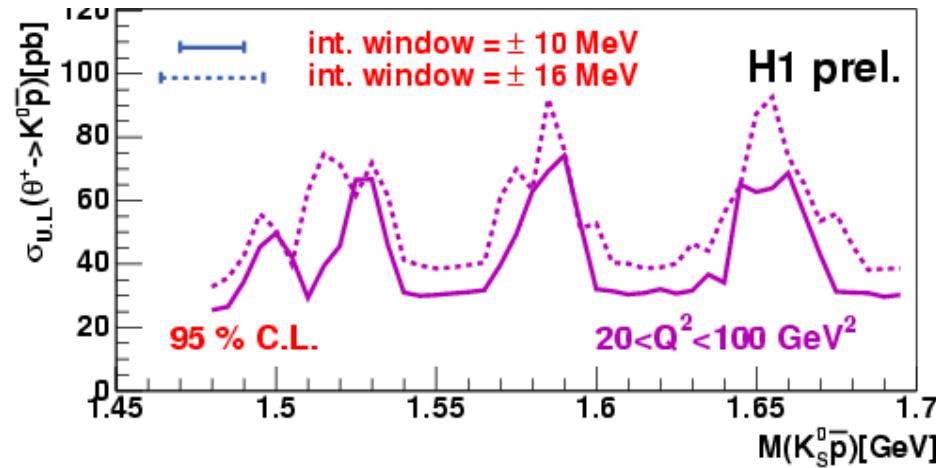
low-momentum dE/dx selection
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protons



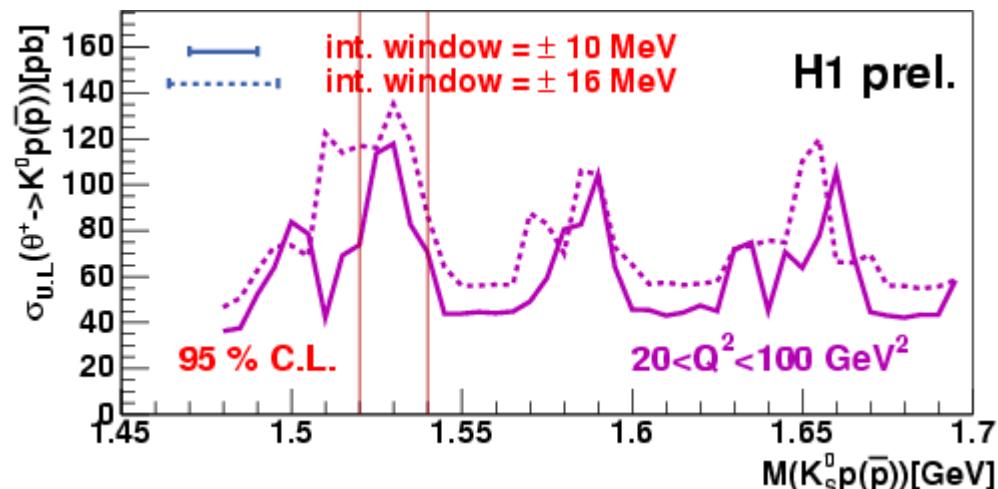
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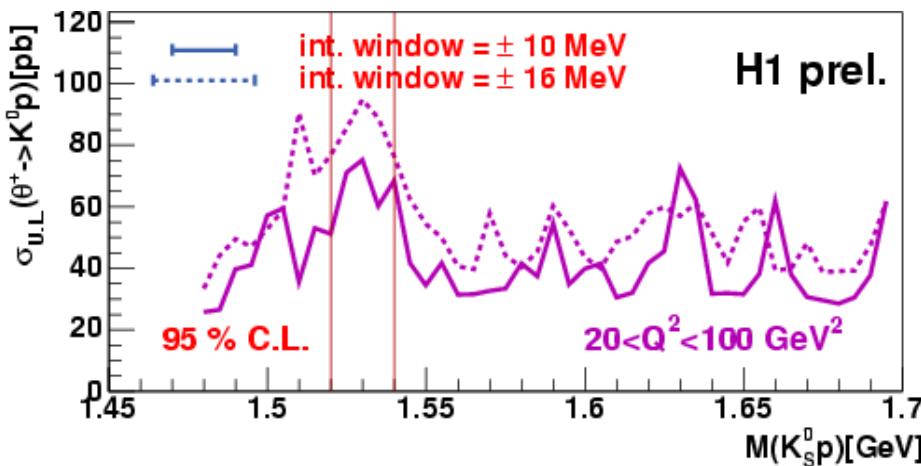
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low-momentum dE/dx selection
 $20 < Q^2 < 100 \text{ GeV}^2$
 $0.1 < y < 0.6$

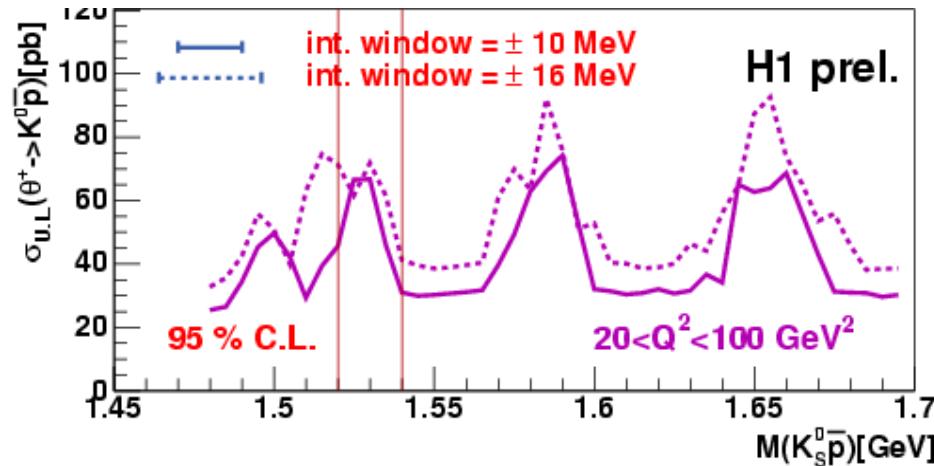
$M = 1.52 \text{ GeV}$ $\sigma_{U.L.} \sim 100 \text{ pb}$



protons



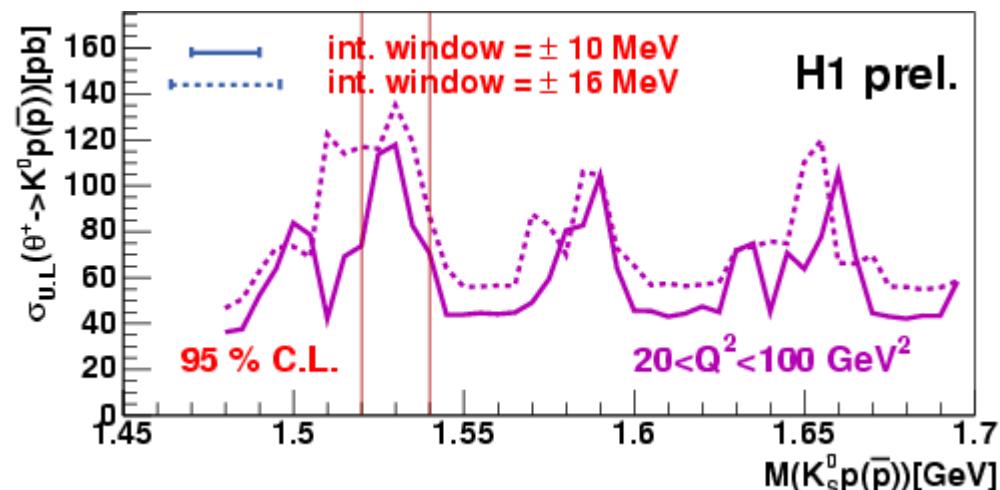
antiprotons



Upper Limit (95% C.L.) on $\sigma(ep \rightarrow e\theta^+X \rightarrow eK^0 p(\bar{p})X)$: low p selection

low-momentum dE/dx selection
 $20 < Q^2 < 100 \text{ GeV}^2$
 $0.1 < y < 0.6$

$M=1.52 \text{ GeV}$ $\sigma_{U.L.} \sim 100 \text{ pb}^*$



ZEUS observation:

$Q^2 > 20 \text{ GeV}^2$, $0.04 < y < 0.95$, $p_T > 0.5$, $|\eta| < 1.5$

$\sigma(ep \rightarrow e^+ + X \rightarrow eK^0 pX) = 125 \pm 27(\text{stat}) + 36 - 28 \text{ (syst.) pb (prel.)}$

$\sigma_{U.L.} \sim 100 \text{ pb}$ not in contradiction with ZEUS measured cross section

* at $M=1.522 \text{ GeV}$ assuming a resolution of 5 (8) MeV

$\sigma_{U.L.} = 89.6 (116.3) \text{ pb}$

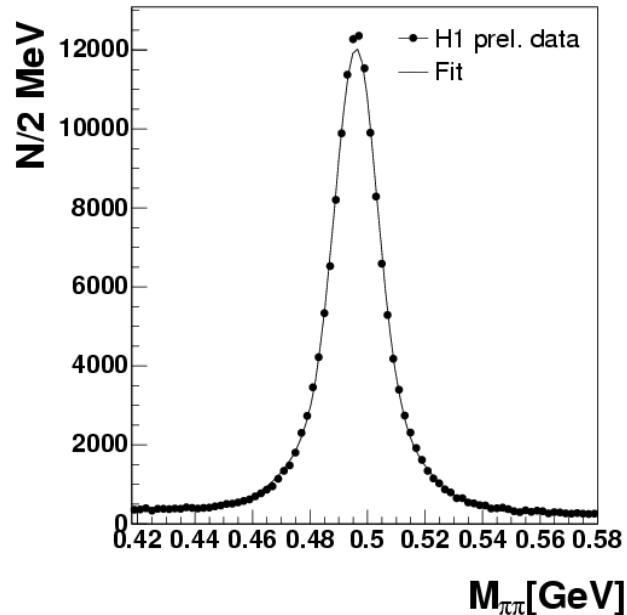
Summary

- search for a baryonic resonance decaying to $K^0_S p(\bar{p})$ performed
- no significant signal observed
- 95% C.L. upper limit on cross section in different Q^2 ranges
visible range: $p_T(K^0_S p) > 0.5$, $|\eta(K^0_S p)| < 1.5$
 $\sigma_{U.L.}(e p \rightarrow \theta X \rightarrow K^0 p(\bar{p}) X) \sim 40 - 120 \text{ pb}$ for $M = 1.48 - 1.7 \text{ GeV}$
- similar selection and phase space as for the ZEUS analysis
 - no significant signal observed
 - upper limit on cross section compatible with the preliminary ZEUS cross section

Backup Slides

K^0_s Signal

$Q^2 > 5 \text{ GeV}^2$

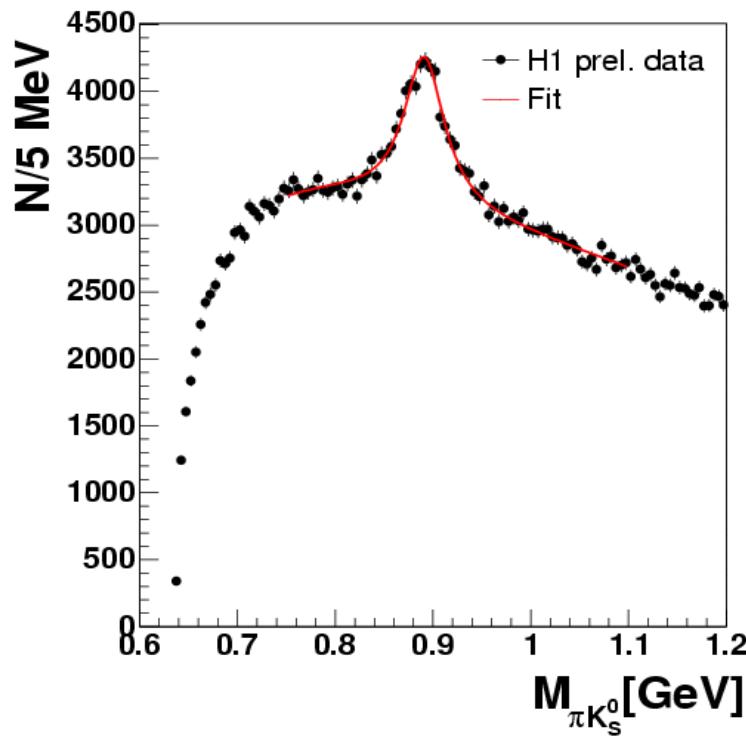


Result from fit: (bgr function + 2 gaussians)
 $N = 142505 \pm 430$
 $M = 496.08 \pm 0.03 \text{ MeV}$
 $\sigma_1 = 7.06 \pm 0.07 \text{ MeV}$
 $\sigma_2 = 17.47 \pm 0.02 \text{ MeV}$

Invariant $K^0_s \pi$ mass

- combine K^0_s with primary tracks
- no dE/dx requirement

K^* signal



result from fit: (conv. B.W. and gaussian)

$$M = 891 \pm 1 \text{ MeV}$$

$$(\text{PDG } M = 891.66 \pm 0.26 \text{ MeV})$$

$$N = 18939 \pm 844 \text{ (stat.)}$$

$$\Gamma = 50.8 \text{ MeV (fixed)}$$

$$(\text{PDG } \Gamma = 50.8 \pm 0.9 \text{ MeV})$$

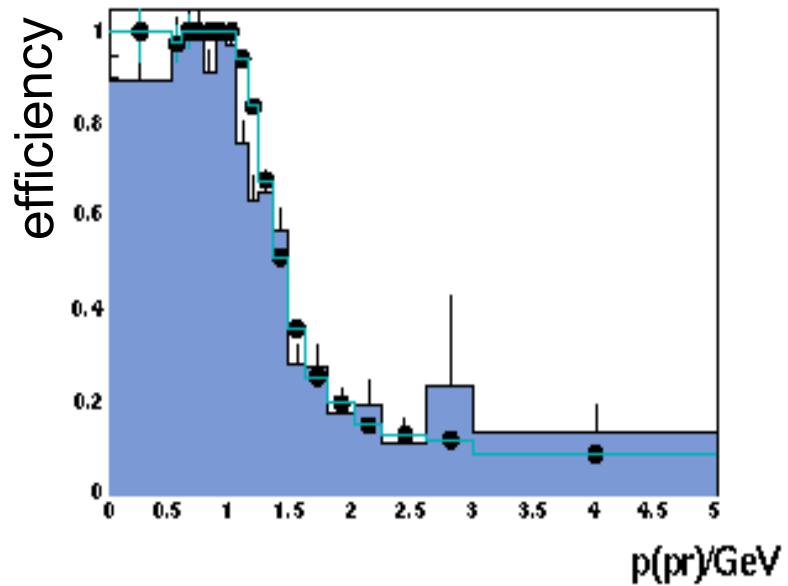
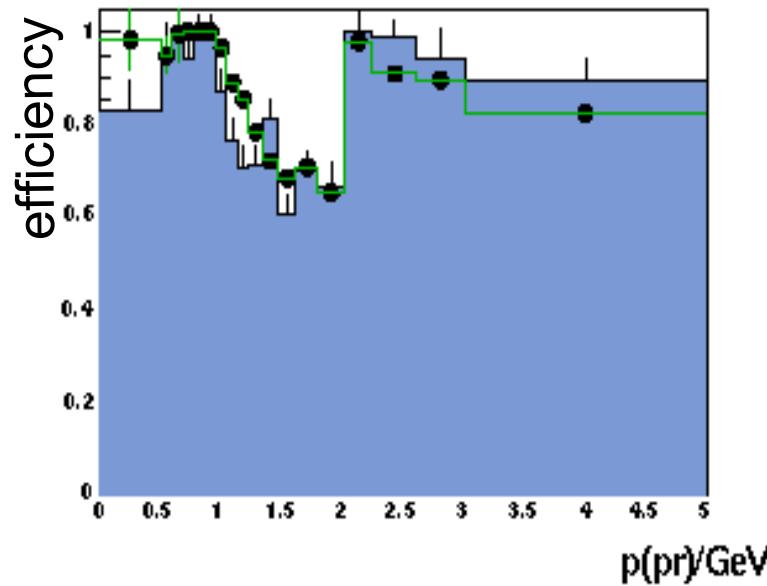
$$\sigma = 7.79 \pm 2.34 \text{ MeV}$$

mass and width
agree with expectations

Proton selection efficiency

- momentum dependent cut on Likelihoods
- $p \leq 2\text{GeV}$: >25hits, LH>30%
- $p > 2\text{GeV}$: >15 hits, LH>10%

- like ZEUS - bands
- without cut $p(\text{pr}) < 1.5$



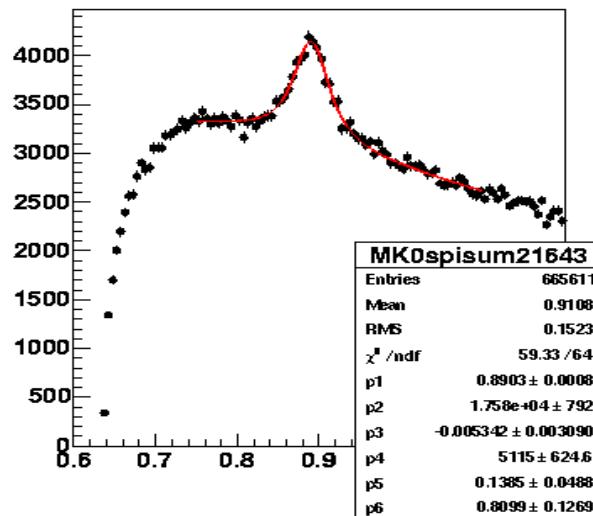
dE/dx efficiency described by MC within $\sim 5\%$
possible differences in p_t and η distribution of protons from Λ or Θ^+
contribution to systematic uncertainty: $\pm 10\%$

Proton selection efficiency

- $N(K^*)$ before and after dE/dx selection:
 20975 ± 841 K^* and 3064 ± 207 K^*
 14 % of pions survive dE/dx cut
- $N(K^*)$ before and after low momentum dE/dx selection,
 $p(pr) < 1.5$ GeV:
 17581 ± 792 K^* 681 ± 131 K^*
 3.8% of pions survive dE/dx cut

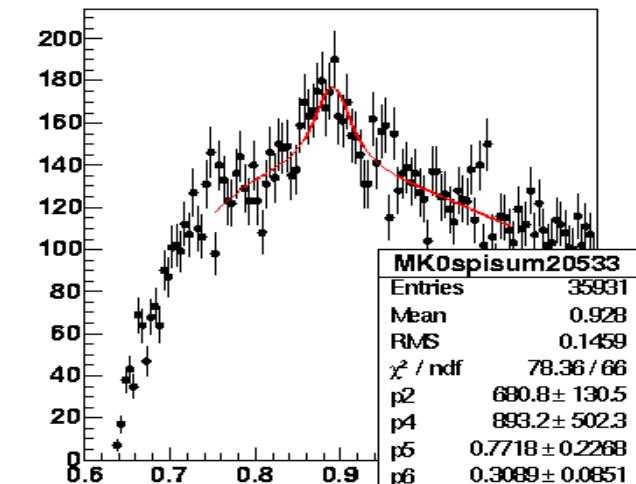
Invariant $M(K^*_0 s\pi)$, $p(pr) < 1.5$ GeV before and after dE/dx selection:

MK0spisum Q2>2,ST,no dEdx,ppr<1.5



$M(K^*_0 s\pi)/\text{GeV}$

MK0spisum Q2>2,ST,ZEUS dEdx



$M(K^*_0 s\pi)/\text{GeV}$

Limit Extraction

- **Fitting procedure:** 3 different hypothesis

1) bgr only:

$$f(M) = a * (M - (m_K + m_p))^b * \exp(- (M - (m_K + m_p))^c)$$

2) exclude signal region from fit

3) bgr + gaussian signal

- upper limit on N (95 % C.L.)
$$N + 1.64 * \sqrt{N}$$
- upper limit on $N(\theta^+)$ (95% C.L.) :

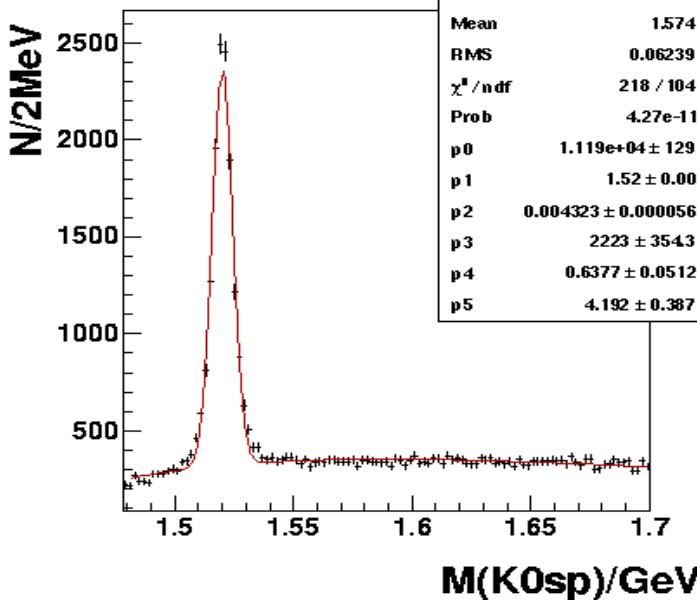
$$(max(N - Nbgr, 0) + 1.64 * \sqrt{N}) / 0.95$$

95% C.L.

extrapol
from 2σ

Detector resolution estimated from Signal MC

No dE/dx selection



RAPGAP3.1

changed decay properties of Σ^*

$\theta^+ \rightarrow K^0_S p$ at $M=1540$ MeV and $M=1520$ MeV

Fit Result: $M=1520$ MeV

$M=1519.5 \pm 0.1$ MeV

$\sigma=4.323 \pm 0.056$ MeV

Fit Result: $M=1540$ MeV

$M=1539.7 \pm 0.1$ MeV

$\sigma=4.839 \pm 0.084$ MeV

- detector resolution ~ 5 MeV

Acceptances (before proton ID) :

$5 < Q^2 < 10$ $10 < Q^2 < 20$ $20 < Q^2 < 100$ GeV 2

$M=1520$ 6.52 % 7.82 % 7.3%

$M=1540$ 6.77 % 7.9 % 7.64%

(contribution to systematic error 3%)

Systematic uncertainties

Different fit methods

- bgr function only, full mass range
- bgr function, exclude signal region $M \pm 2\sigma$
- fit bgr + signal (fixed width)

Differences small ~2%
always use most
conservative

Averaging weights

- average weight in Q2 bins (from fit)

+ - 4%

dE/dx

- efficiency described within 5%

+ - 10 %

Trigger efficiencies S2/S61 (corrected by using MC)

- discrepancy of up to 8%

+ - 8%

Tracking

- single tracks: 1.8% uncertainty, 3 tracks ~6%

+ - 6%

e reconstruction

-

+ - 10%

Model dependence

- difference between signal MC $M=1520$ and $M=1540$

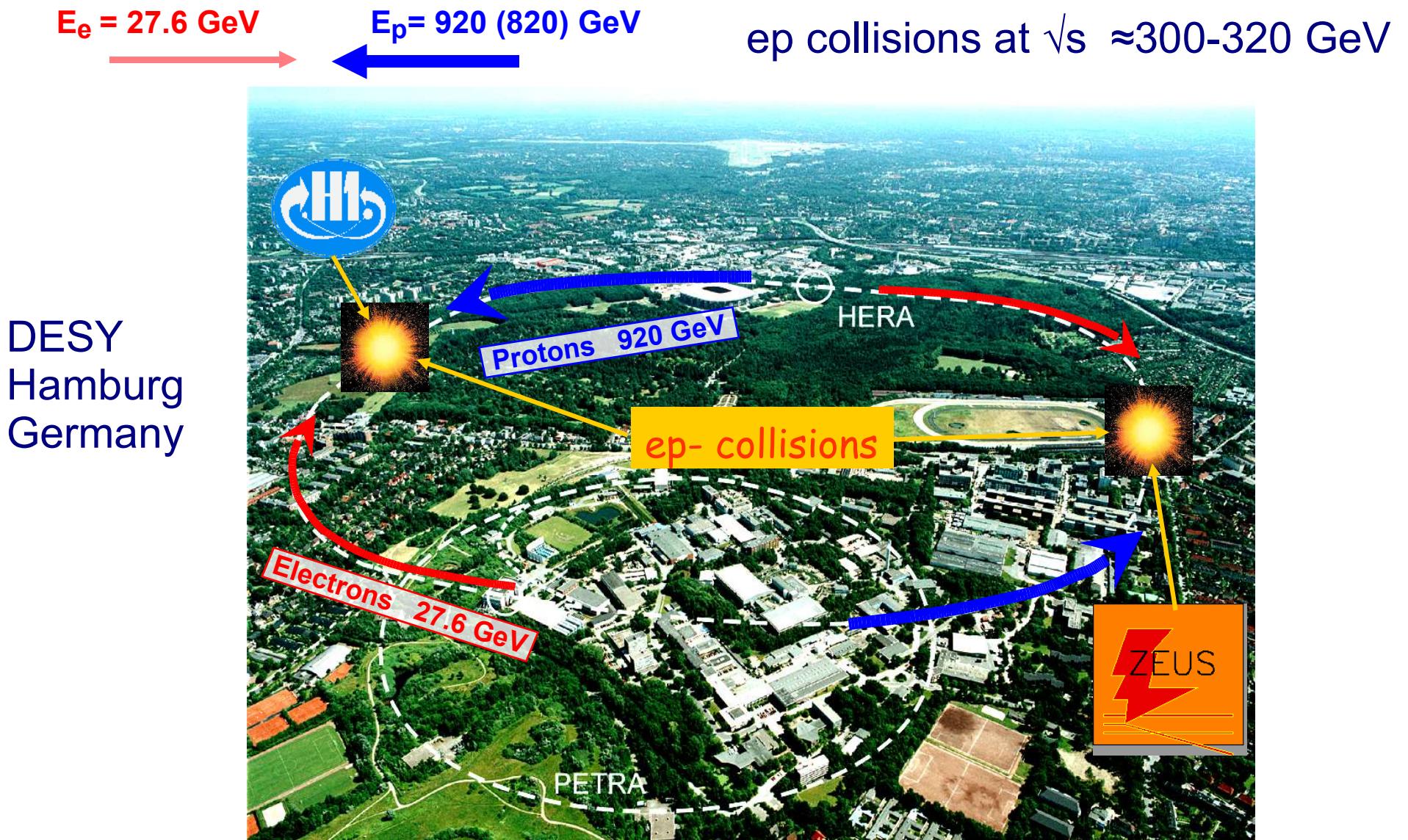
+ - 3%

Lumi

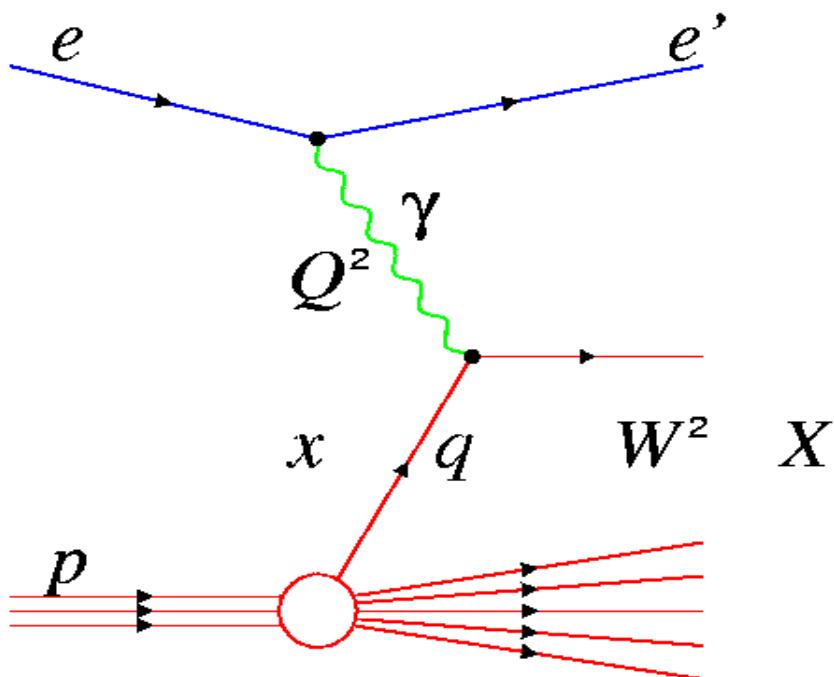
+ - 1.5 %

Total increase upper limit by 18.1 %

The HERA accelerator



Deep-inelastic scattering (DIS) kinematics



$E_e = 27.6 \text{ GeV}$

$E_p = 920 \text{ (820) GeV}$

$\sqrt{s} \approx 300\text{-}320 \text{ GeV}$

kinematics:

pairs of Lorentz invariants:

- 4-momentum transfer squared
$$Q^2 = -q^2$$
- Bjorken scaling variable: momentum fraction of proton carried by quark
$$x = Q^2/(2 q P)$$
- inelasticity $y = qP/kP$
- mass of the hadronic system
$$W^2 = (P + q)^2$$

Kinematic regimes:

- $Q^2 > 1 \text{ GeV}^2$: DIS

scattered e in detector

