

Neutral- and charged-kaon Bose-Einstein correlations in DIS

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on behalf of the



ZEUS

Collaboration

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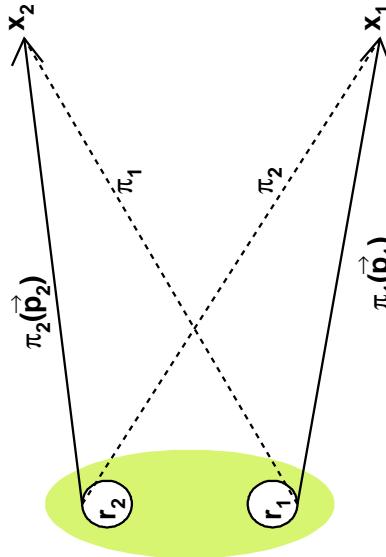
Outline

1. Bose-Einstein effect
2. Why do we study BEC?
3. Method of measurement
4. Goldhaber parametrisation
5. Data sample and particle identification
6. BEC for K^\pm pairs
7. BEC for $K_s^0 K_s^0$
8. Theoretical predictions for $r(m)$ - where are we?
9. Conclusions

Bose-Einstein effect

Consider two bosons with momenta
 \vec{p}_1, \vec{p}_2 produced at points r_1 and r_2 :

Related to the particle interferometry



From the symmetrization of wave function of identical bosons QM probability of finding a pair of bosons is given:

$$|A|^2 = 1 + \cos((\vec{p}_1 - \vec{p}_2) \cdot (\vec{r}_1 - \vec{r}_2))$$

- reflected in the two particle densities of identical boson as an enhancement in the production of identical bosons with similar momenta
- related to the space-time characteristic of the particle emission source

Why do we study BEC?

- New information about non-perturbative QCD and hadronization processes.
 - emission volume in different reactions: ee, ep, hh, AA.
 - radius dependence on the produced hadron mass $r(m)$.

What was done?

- LEP results indicate a hierarchy in emission-source radius:

$$r(m_\pi) > r(m_K) > r(m_\Lambda)$$

Bose-Einstein effect in experiment

Experimentally the correlation function can be measured from two-particle distribution $R(Q_{12}) = \frac{P(Q_{12})}{P_{ref}(Q_{12})}$ as a function of the four-momenta difference of the two particles:

$$Q_{12} = \sqrt{-(p_1 - p_2)^2} = \sqrt{M^2 - 4m_{boson}^2}$$

where:

$P(Q_{12})$ - normalized density distribution of the number of identical boson-pairs

$P_{ref}(Q_{12})$ - the number of boson-pairs in reference sample (no BEC)

Method of measurement

Reference sample to extract the Bose-Einstein effect:

- main experimental problem
- should be identical to the data sample and not contain BE effect

Solution:

- reference sample \Rightarrow Monte Carlo
without BEC - sensitive to the
differences between DATA and MC

$$R(Q_{12}) = \frac{P(Q_{12})_{data}}{P(Q_{12})_{MC\,noBEC}}$$

- reference sample \Rightarrow two bosons
are taken from different events
all correlations are removed

$$R'_{mix}(Q_{12}) = \frac{P(Q_{12})_{data}}{P_{mix}(Q_{12})_{data}}$$

- double ratio method \Rightarrow mixed

$$R_{mix}(Q_{12}) = \frac{P(Q_{12})_{data}}{P_{mix}(Q_{12})_{data}} / \frac{P(Q_{12})_{MC\,noBEC}}{P_{mix}(Q_{12})_{MC\,noBEC}} \leftarrow \text{correction coefficient}$$

Goldhaber parametrisation

Standard parametrisation of $R(Q_{12})$ is Goldhaber parametrisation:

$$R(Q_{12}) = \alpha(1 + \lambda e^{-Q_{12}^2 r^2})(1 + \delta Q_{12})$$

where:

λ - coherence strength factor (meaning $\lambda = 0$ for fully coherent and $\lambda = 1$ for fully incoherent source)

r - is a geometrical radius of the presumably spherical boson emitting source

α - the normalization factor

$(1 + \delta Q_{12})$ - background

This parametrisation is expected for a spherical boson emitting source (r).

Event & particle selection

DIS event sample

$$2 < Q^2 < 15000 \text{ GeV}^2$$

Data sample (ZEUS)

$$96/00 e^\pm p \Rightarrow \mathcal{L} = 121 pb^{-1}$$

Track selection requirements:

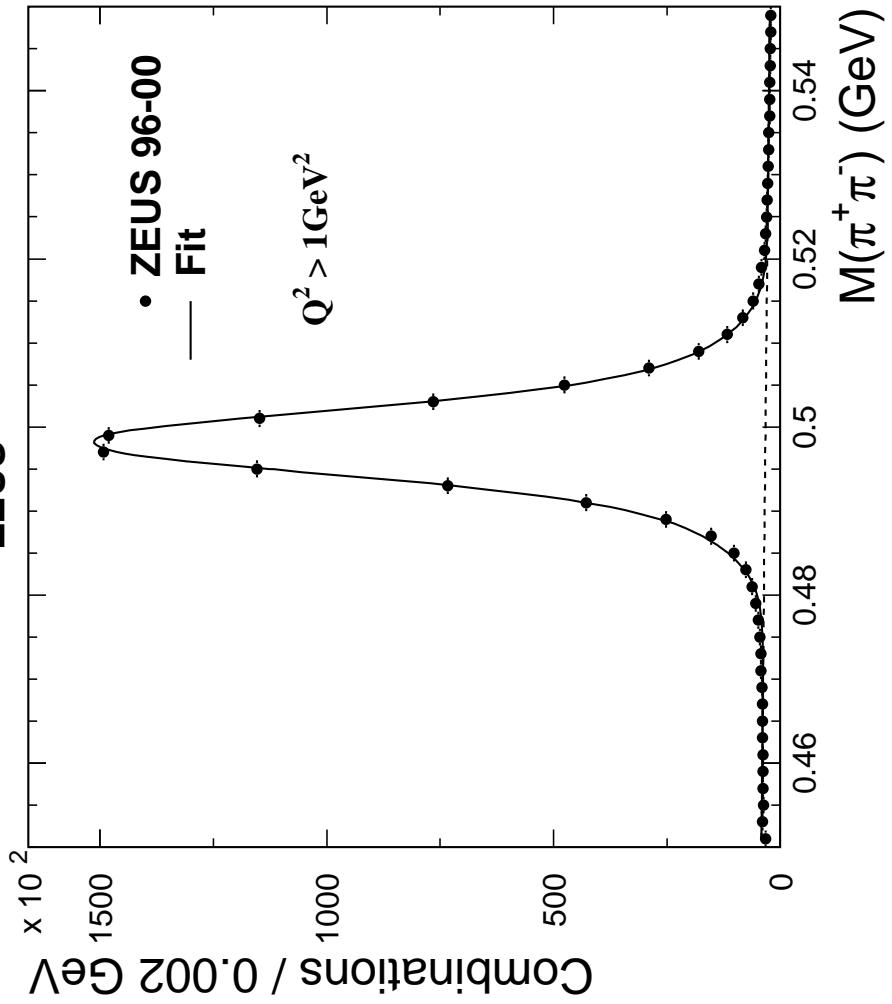
- $p_T > 0.15 \text{ GeV}$
- $|\eta| < 1.75$

Charged kaons selection:

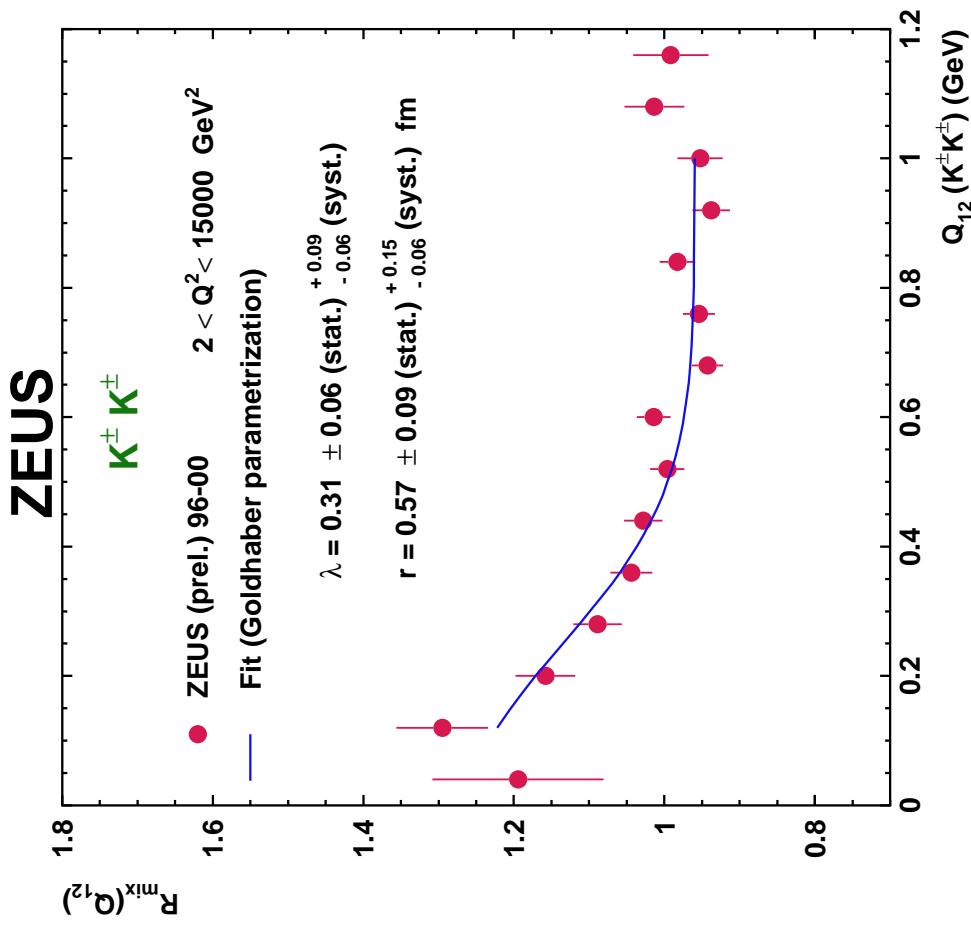
- cuts on the ionization ($\frac{dE}{dx}$) and
- total track momentum $p < 0.9 \text{ GeV}$

Neutral kaons selection reconstructed from V^0 :

- cuts on the $M_{p\pi} > 1.12 \text{ GeV}$ and
- $|M_{\pi\pi} - M(K_s^0)| < 20 \text{ MeV}$

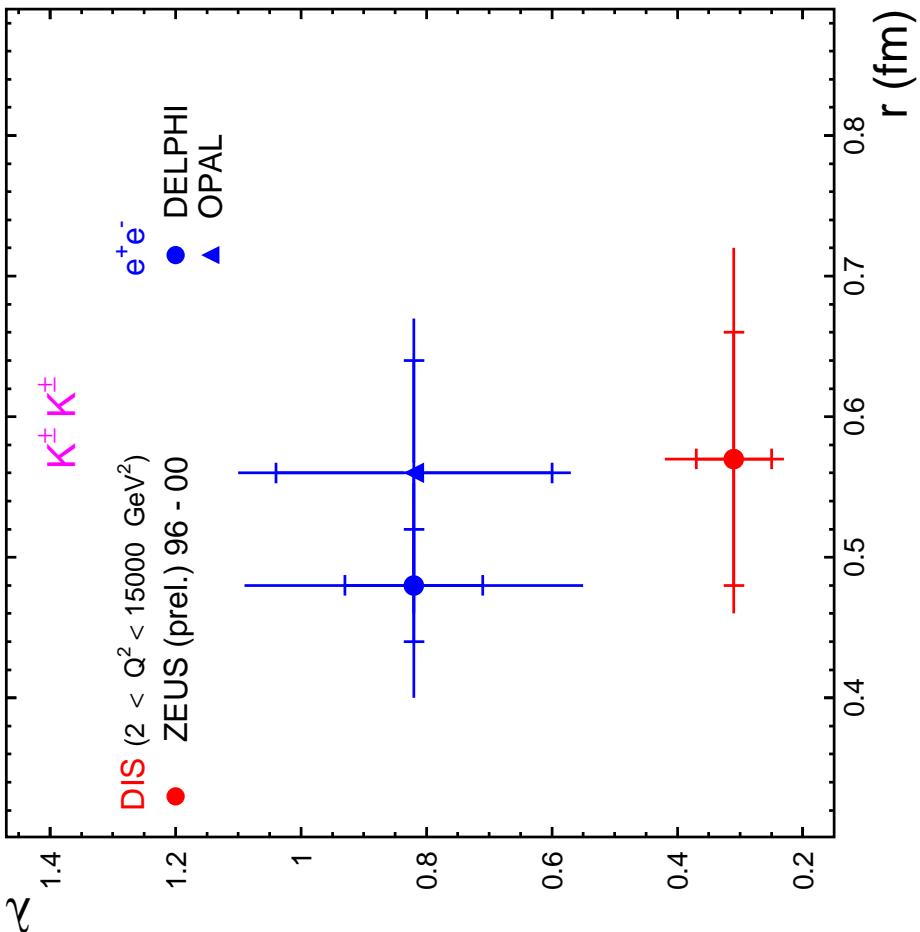


Results for $K^\pm K^\pm$

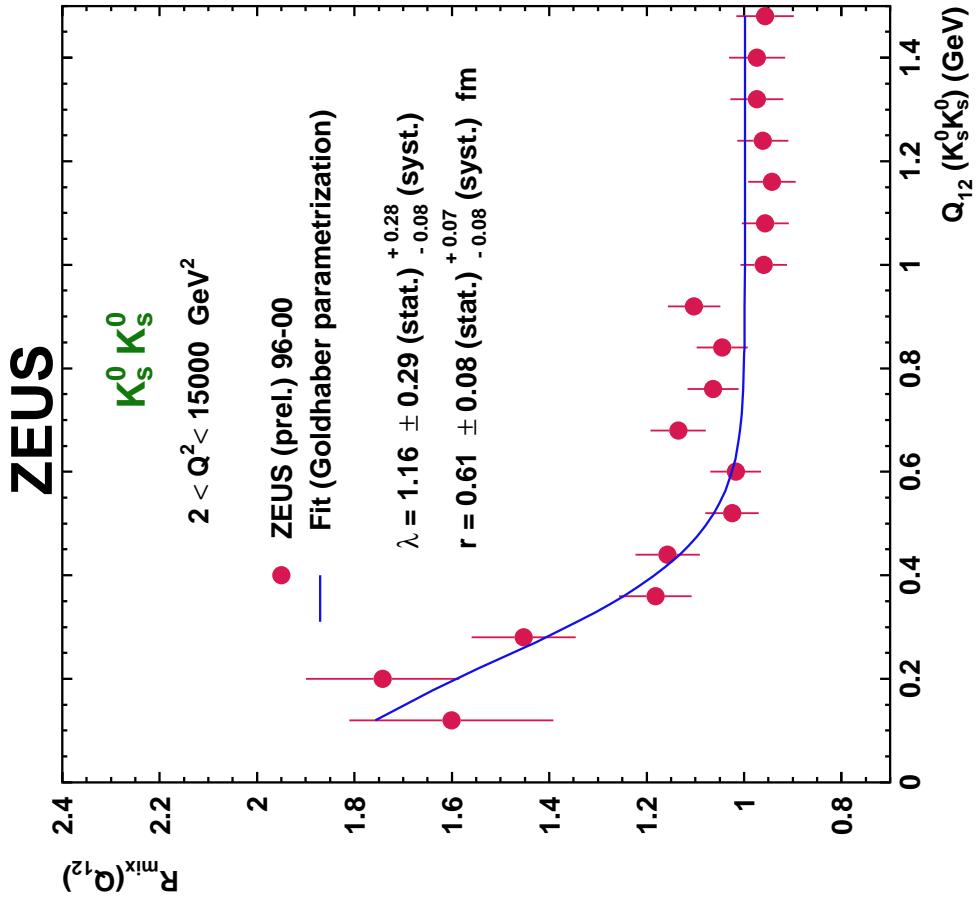


- BE effect clearly visible
- double ratio method
- 3 - parameter fit ($\delta = 0$)
- r value for K^\pm similar to π (ZEUS)
charged pions (ZEUS)
 $r = 0.666 \pm 0.009(\text{stat}) {}^{+0.022}_{-0.036}(\text{syst}) \text{ fm}$
- somewhat smaller λ value than for pions

Comparison with LEP for $K^\pm K^\pm$

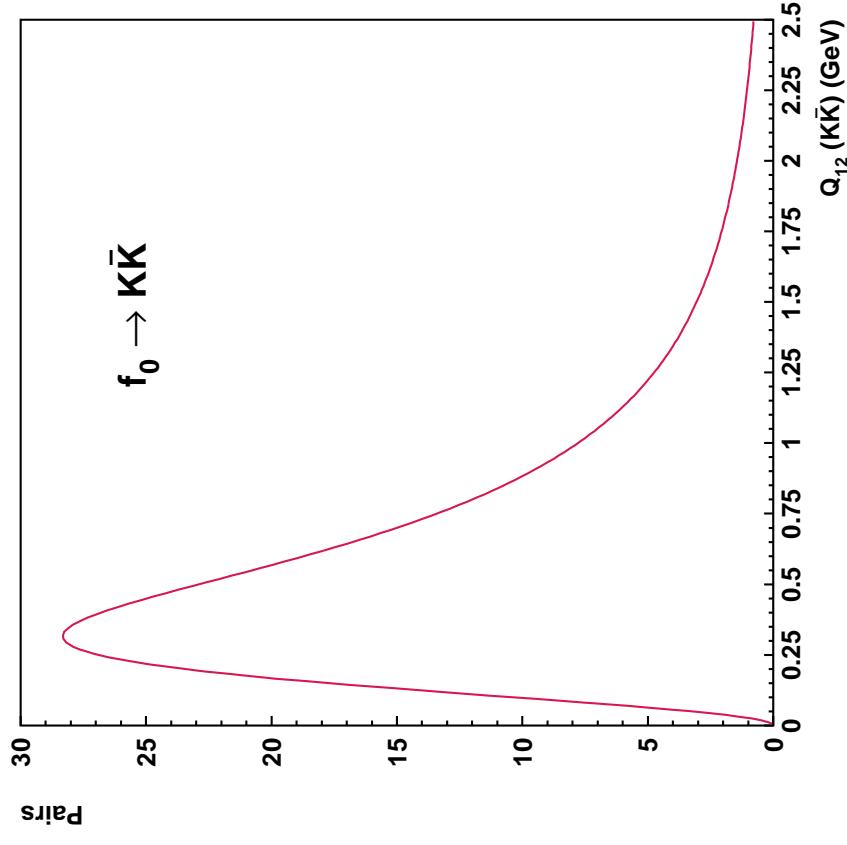
- Good agreement with LEP for radius
 - Smaller λ value
-
- Possible explanation
- High probability that at least one kaon in the kaon-pair is produced in $\phi_0(1020)$ decay (strong signal in data).
 - DATA populate mostly proton fragmentation region - different than in $e^+ e^-$.
⇒ Proton influence is expected.
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- | Method | r (fm) | λ^2 |
|-----------------------------------|--------|-------------|
| DIS (2 < $Q^2 < 15000$ GeV 2) | ~0.5 | ~1.25 |
| DIS (prel.) 96 - 00 | ~0.8 | ~1.15 |
| $e^+ e^-$ | ~0.8 | ~1.15 |
| DELPHI | ~0.9 | ~1.1 |
| OPAL | ~0.8 | ~1.15 |

Results for $K_S^0 K_S^0$



- BE effect clearly visible
- double ratio method
- 3 - parameter fit ($\delta = 0$)
- r value for K_S^0 is in good agreement with K^\pm charged kaons (ZEUS)
 $r = 0.57 \pm 0.09(\text{stat})^{+0.15}_{-0.06}(\text{sys}) \text{ fm}$
- r value for K_S^0 is similar to π (ZEUS)
 $r = 0.666 \pm 0.009(\text{stat})^{+0.022}_{-0.036}(\text{sys}) \text{ fm}$
- rather large λ value

Why is our λ so high?



- Low Q_{12} region is affected by the $f_0(980)$ resonance (not well described by the simulation).
 - Using Breit-Wigner curve we subtracted 5% f_0 contribution from data sample.
- Conclusion
- Small contribution of such resonance can significantly decrease λ value.

derived from:

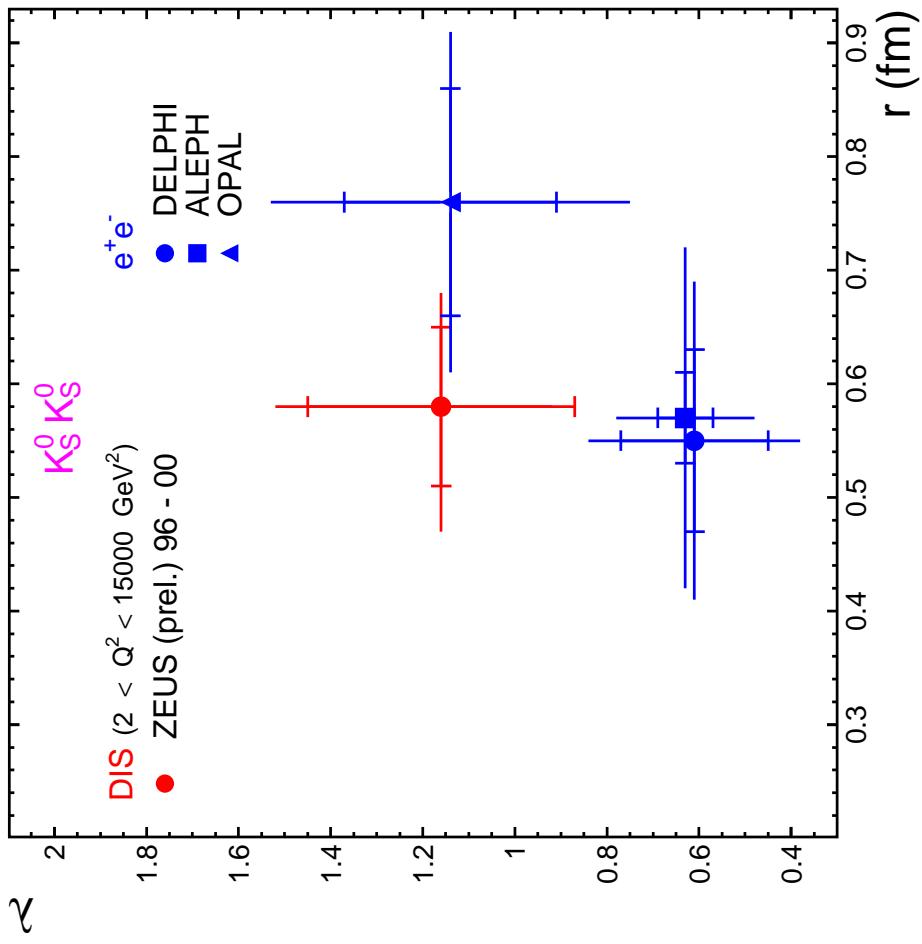
Breit-Wigner distribution proposed by Flatté^a:

$$\frac{d\sigma}{dm_{KK}} = \frac{N_F \cdot m_0^2 \cdot \Gamma_{KK}}{(m_0^2 - m_{KK}^2)^2 + (m_0 \cdot (\Gamma_{\pi\pi} + \Gamma_{KK}))^2}$$

^aPhys. Lett. B63 (1976) 224

Comparison with LEP for $K_S^0 K_S^0$

- Agreement with LEP for radius within systematic errors
 - Higher λ value (ALEPH, DELPHI)
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- Possible explanation
- Low Q_{12} region is affected by the $f_0(980)$ resonance
 - We do not know the percentage contribution of this resonance in our data sample
 - Some LEP's experiments removed an influence of $f_0(980)$ (ALEPH, DELPHI).



The dependence of r on the mass

- Experiment
 - Results seem to show the r dependence on the hadron mass:
$$r(m_\pi) > r(m_K) > r(m_\Lambda)$$
 - Theory bcd
 - The string LUND model predicts the rather inverse dependence $r(m)$.
 - Heisenberg uncertainty relations and QCD via virial theorem describe the tendency in the data.
 - Conclusions
 - Still not clear situation.
 - We need more precise r measurements for the source size to better explore $r(m)$.
 - We need more measurements for heavier particles (proton, $\Lambda \Rightarrow \text{DIS} - \text{ZEUS}$).
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- | Hadron mass (GeV) | $r = m_\pi / m_K$ |
|-------------------|-------------------|
| 0.55 | 0.75 |
| 0.60 | 0.72 |
| 0.65 | 0.70 |
| 0.70 | 0.75 |
| 0.75 | 0.78 |
| 0.80 | 0.82 |
| 0.85 | 0.85 |
| 0.90 | 0.88 |
| 1.00 | 0.90 |
| 1.10 | 0.92 |

^bG.Alexander, I.Cohen, E.Levin Phys. Lett. B452 (1999) 159
^cG.Alexander Rep. Prog. Phys. 66 (2003) 481-522

^dB.Andersson, 1983 Phys. Rep. 97 31

Conclusions

- Radius for kaons is consistent with pions.
 - Results for radius are compatible with LEP.
 - The λ strength factor is different for neutral and charged kaons.
 - The influence of $f_0(980)$ resonance in the correlation function for neutral kaons may change the λ value.
- Next step
- More studies on the influence of resonances are needed.
 - Radius for protons from Fermi-Dirac correlations.

Thank you for your attention!