

aCORN

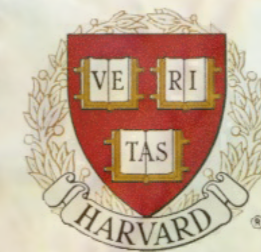
A Precision Measurement of the Electron-Antineutrino
Correlation " a " in Neutron Beta Decay



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New Orleans, LA



Neutron Decay Parameters

Phenomenological ($J = 1/2 \rightarrow J = 1/2$) beta decay formula [Jackson, Treiman, Wyld, 1957] :

$$dW \propto \frac{1}{\tau} F(E_e) \left[1 + a \frac{\vec{p}_e \cdot \vec{p}_\nu}{E_e E_\nu} + b \frac{m_e}{E_e} + A \frac{\vec{\sigma}_n \cdot \vec{p}_e}{E_e} + B \frac{\vec{\sigma}_n \cdot \vec{p}_\nu}{E_\nu} + D \frac{\vec{\sigma}_n \cdot (\vec{p}_e \times \vec{p}_\nu)}{E_e E_\nu} \right]$$

For allowed beta decay, neglecting recoil order terms, the standard electroweak model (Weinberg, Glashow, Salam, et al.) predicts:

$$a = \frac{1 - \lambda^2}{1 + 3\lambda^2} \quad b = 0 \quad A = -2 \frac{\lambda^2 + \text{Re}(\lambda)}{1 + 3\lambda^2} \quad B = 2 \frac{\lambda^2 - \text{Re}(\lambda)}{1 + 3\lambda^2}$$

$$D = 2 \frac{\text{Im}(\lambda)}{1 + 3\lambda^2} \approx 0 \quad \tau \propto \frac{1}{g_V^2 + 3g_A^2} \quad \text{where} \quad \lambda \equiv \frac{g_A}{g_V}$$

aCORN Collaboration

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Indiana University

W. K. Bauder, B. Collett, G. L. Jones, K. Stockton
Hamilton College

A. Komives
DePauw University

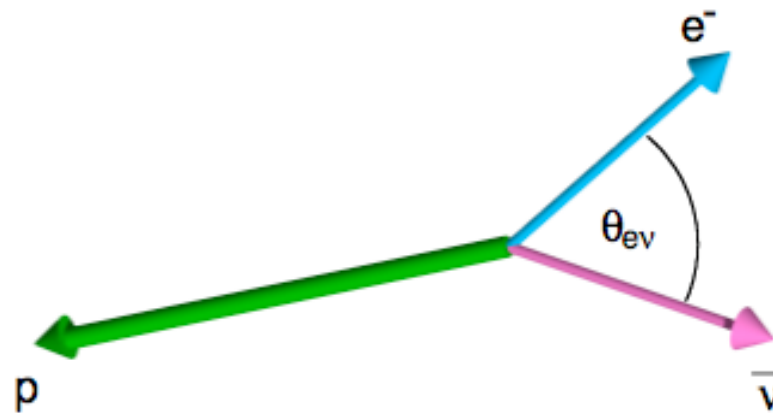
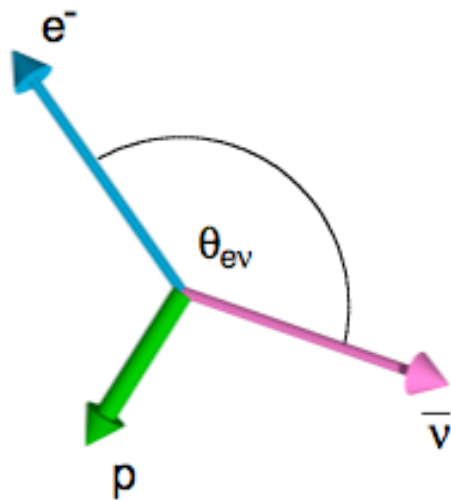
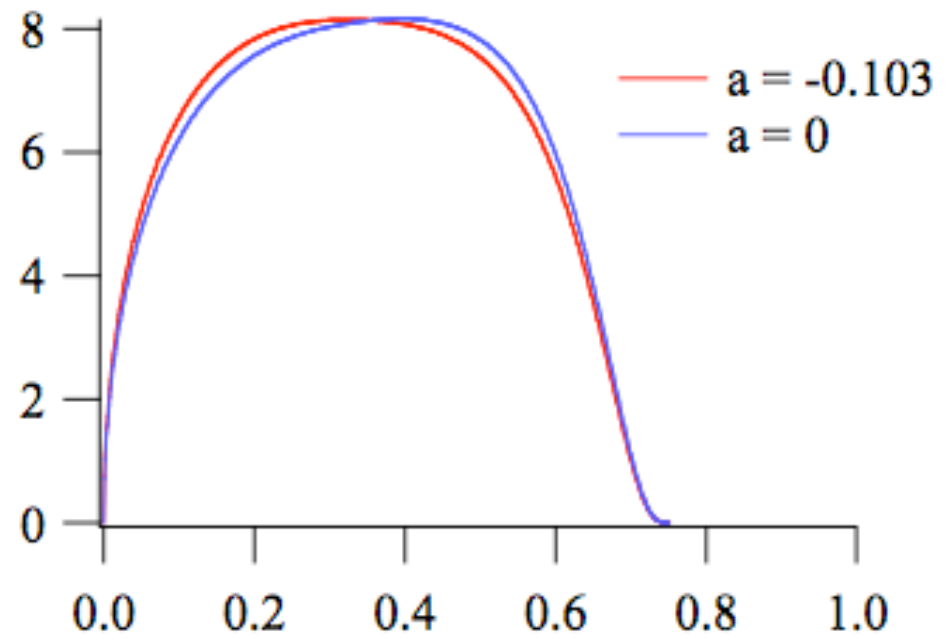
B. G. Yerozolimsky
Harvard University

graduate student
undergraduate

Standard method for measuring the e- $\bar{\nu}$ correlation:

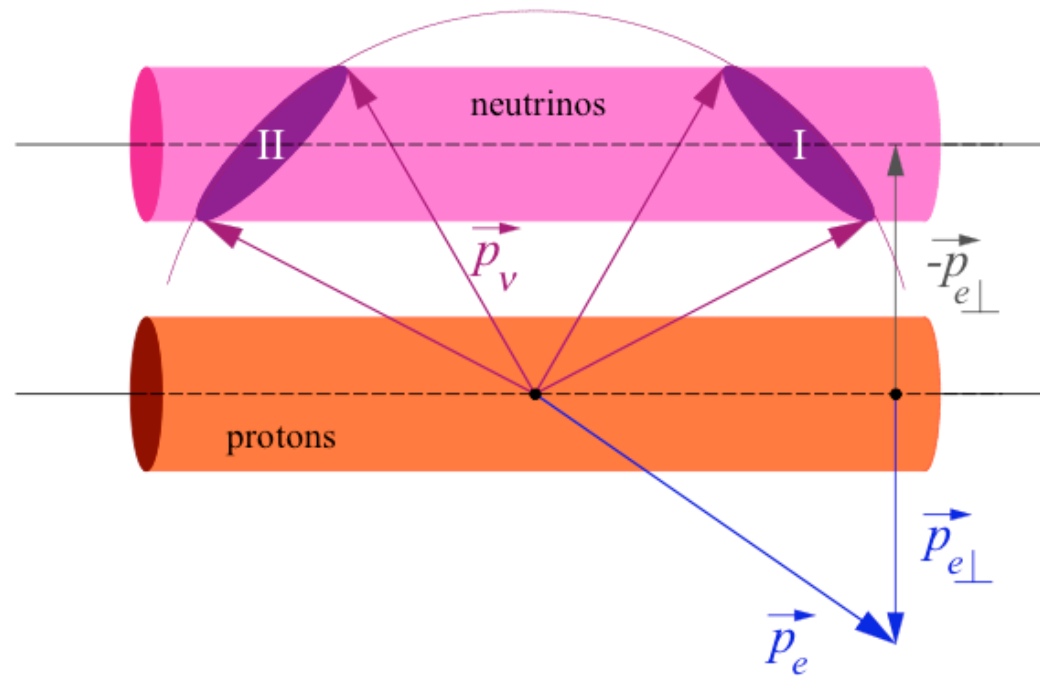
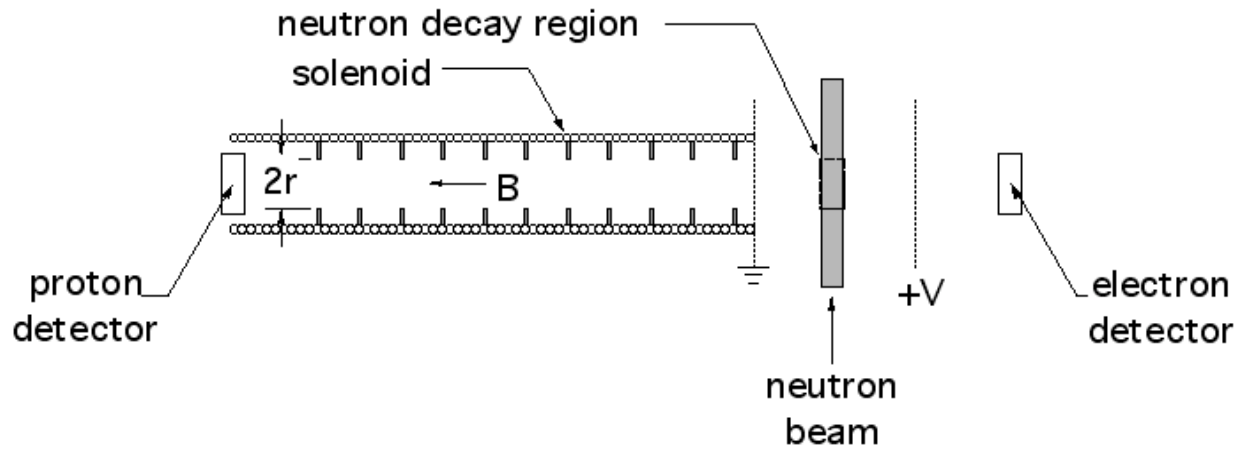
recoil energy spectrum

statistically most advantageous

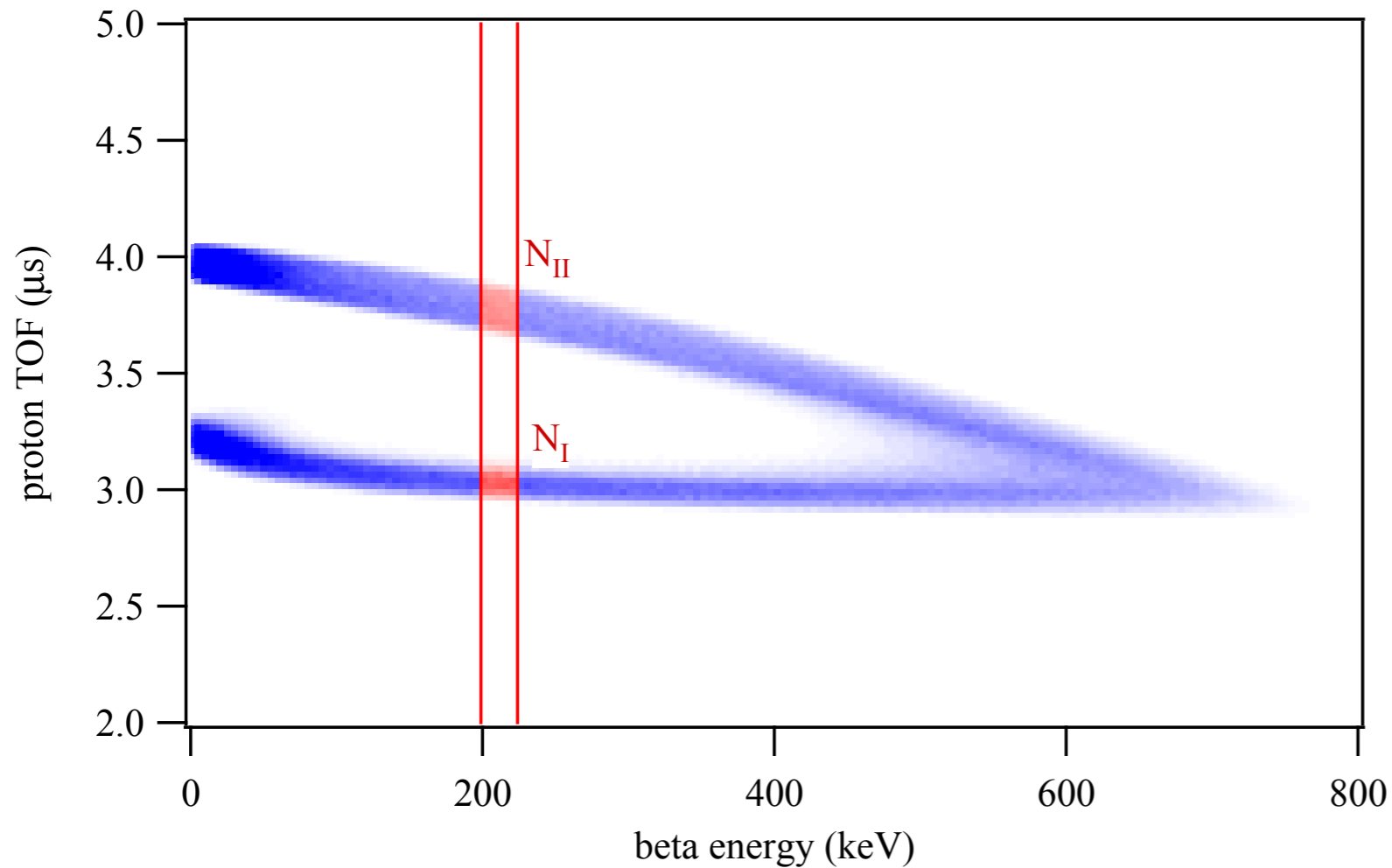


A Novel Method to Measure α

(Yerozolimsky and Mostovoy, 1996)



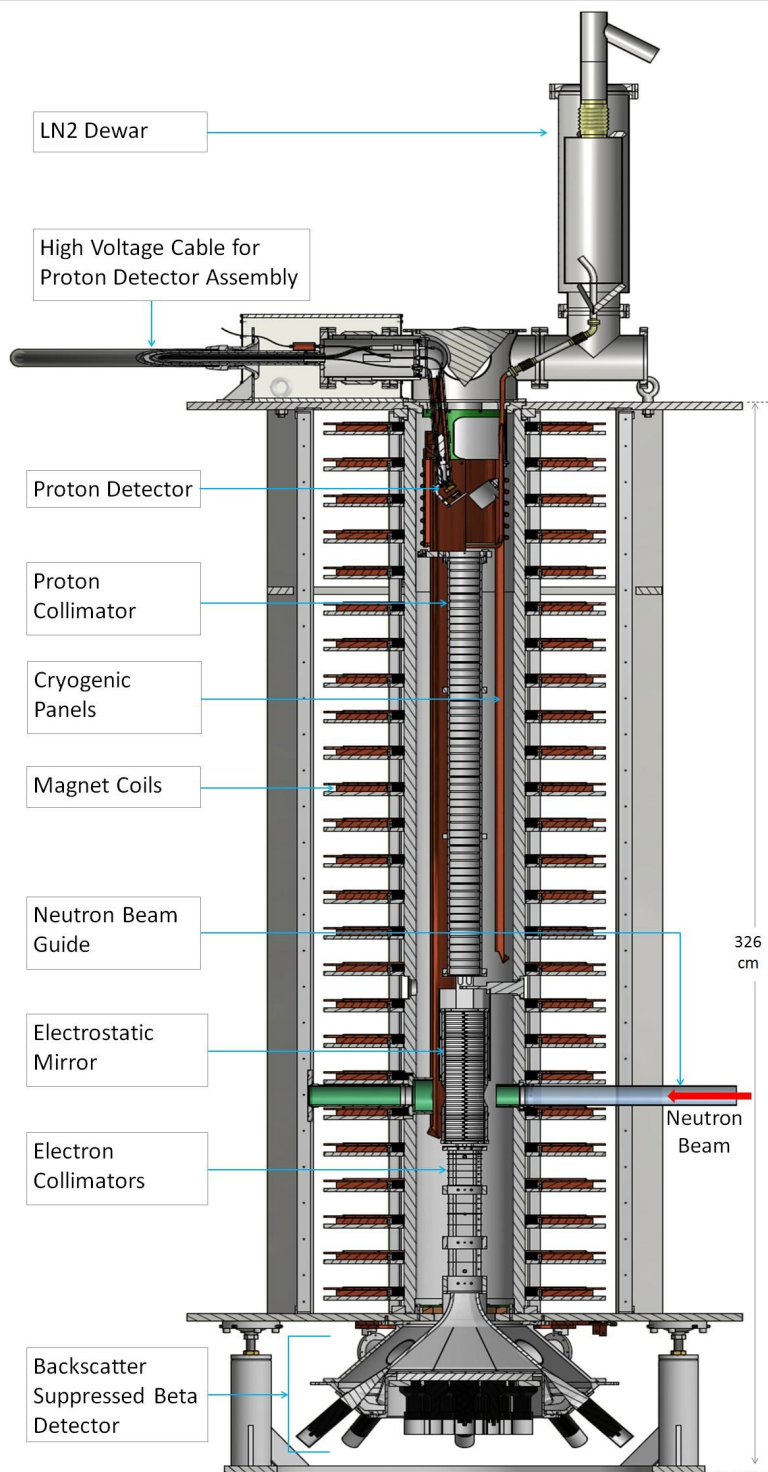
We separate groups I and II by beta energy and proton time-of-flight (TOF)



$$X(E) = \frac{N_I - N_{II}}{N_I + N_{II}} = a f_a(E)$$

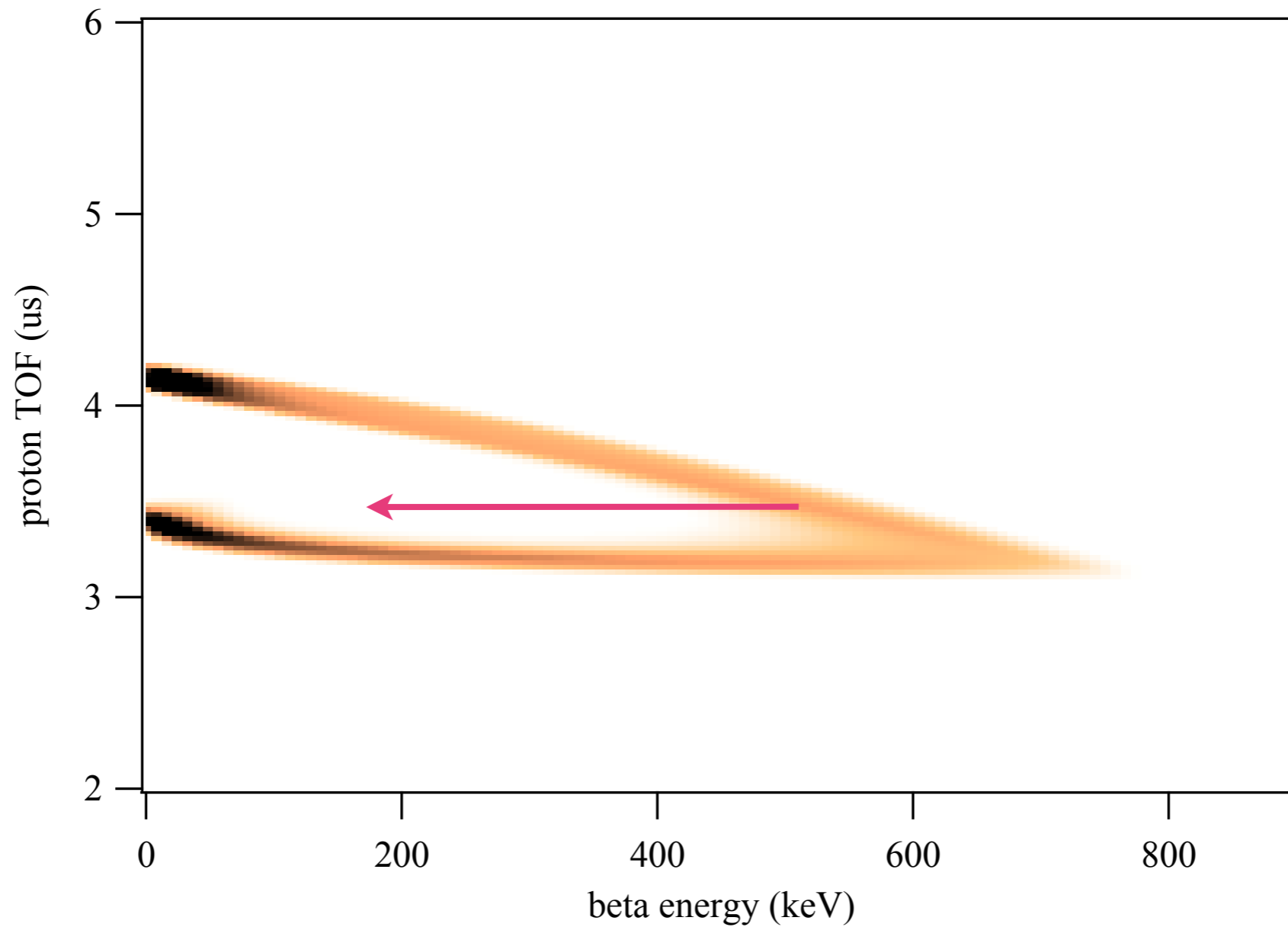
wishbone asymmetry

geometric function



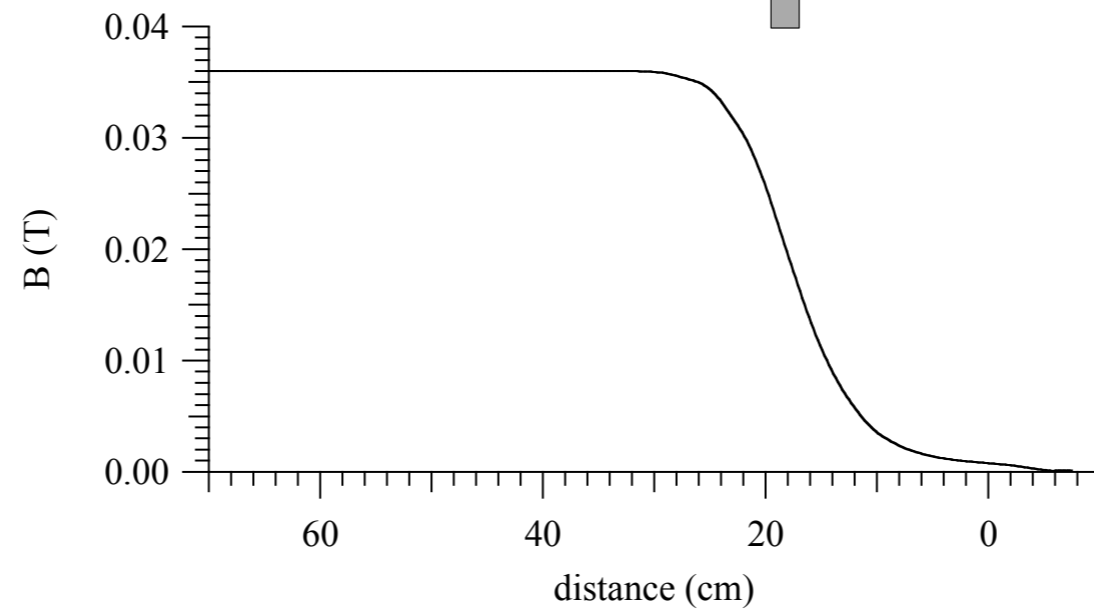
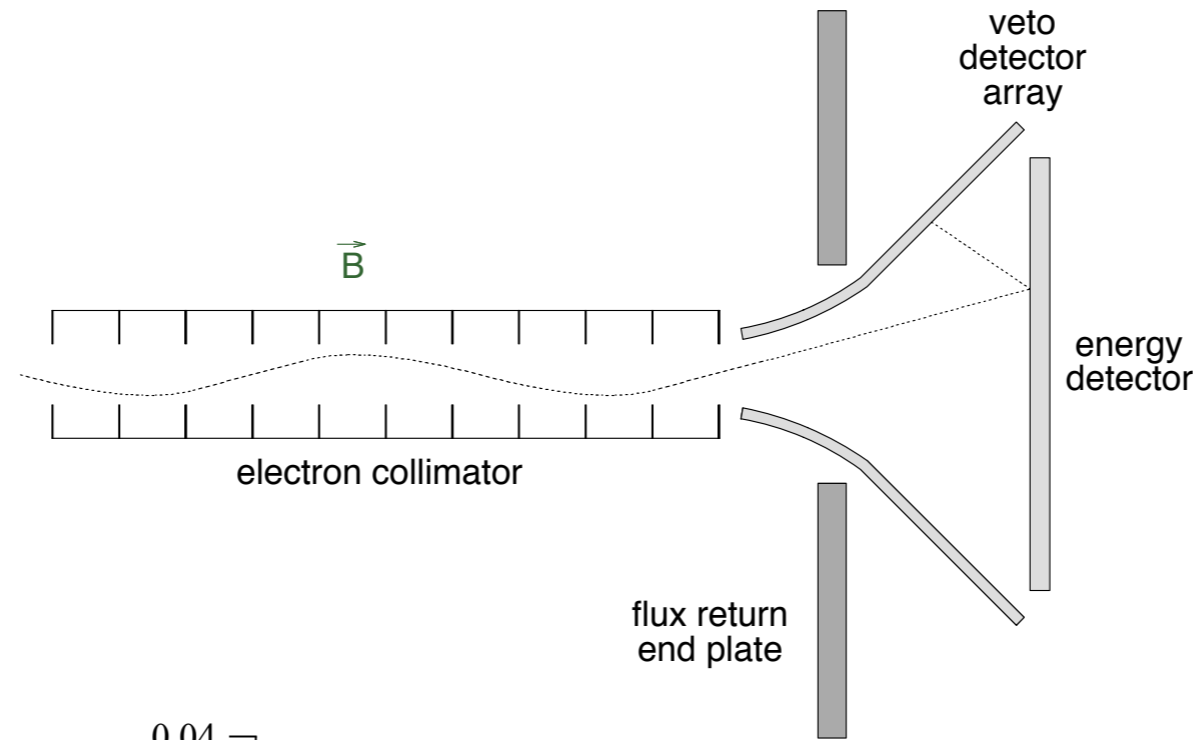
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Electron backscatter

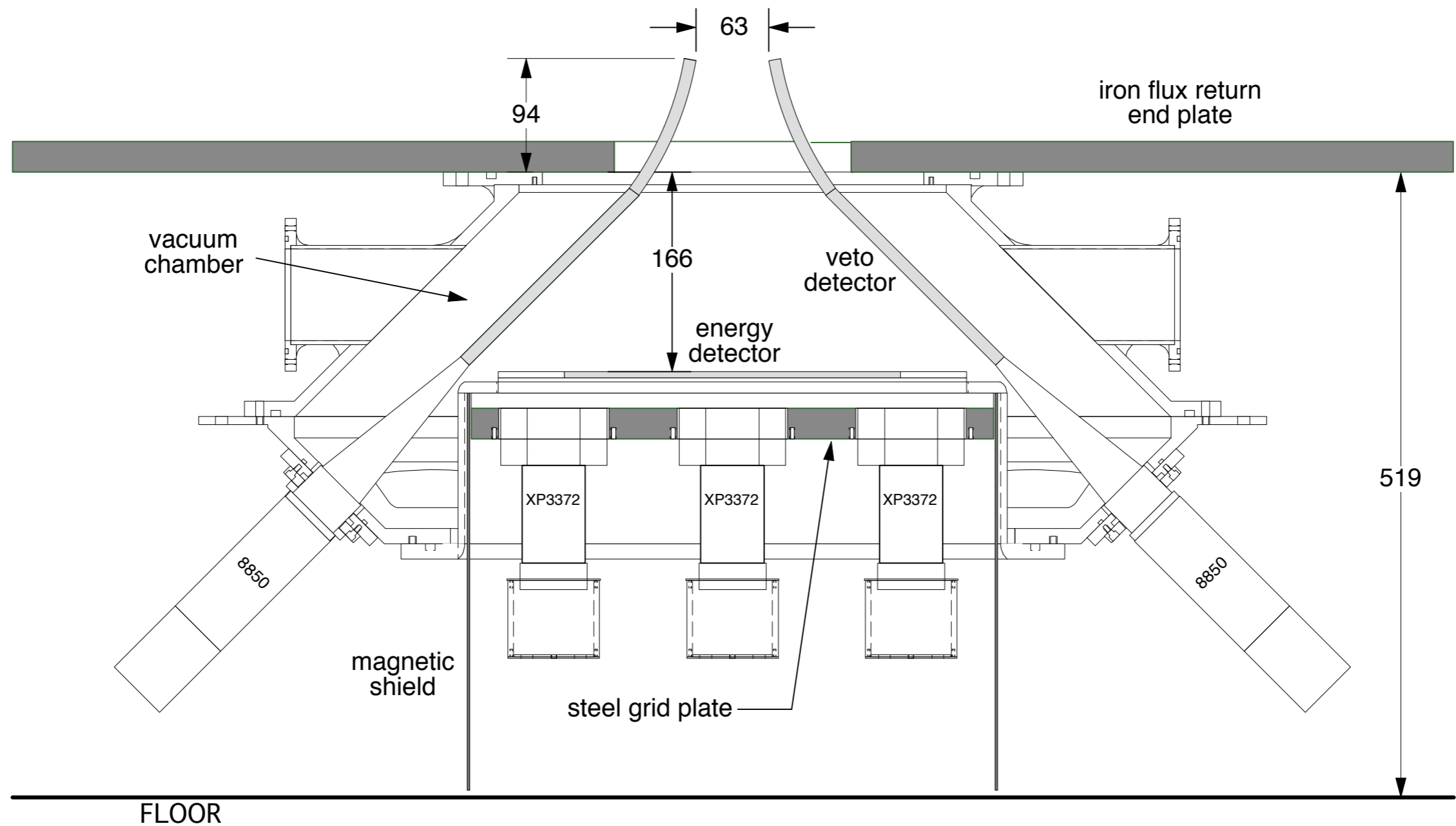


Electron backscatter will cause electrons to appear at a lower, incorrect energy, filling in the gap between the branches.

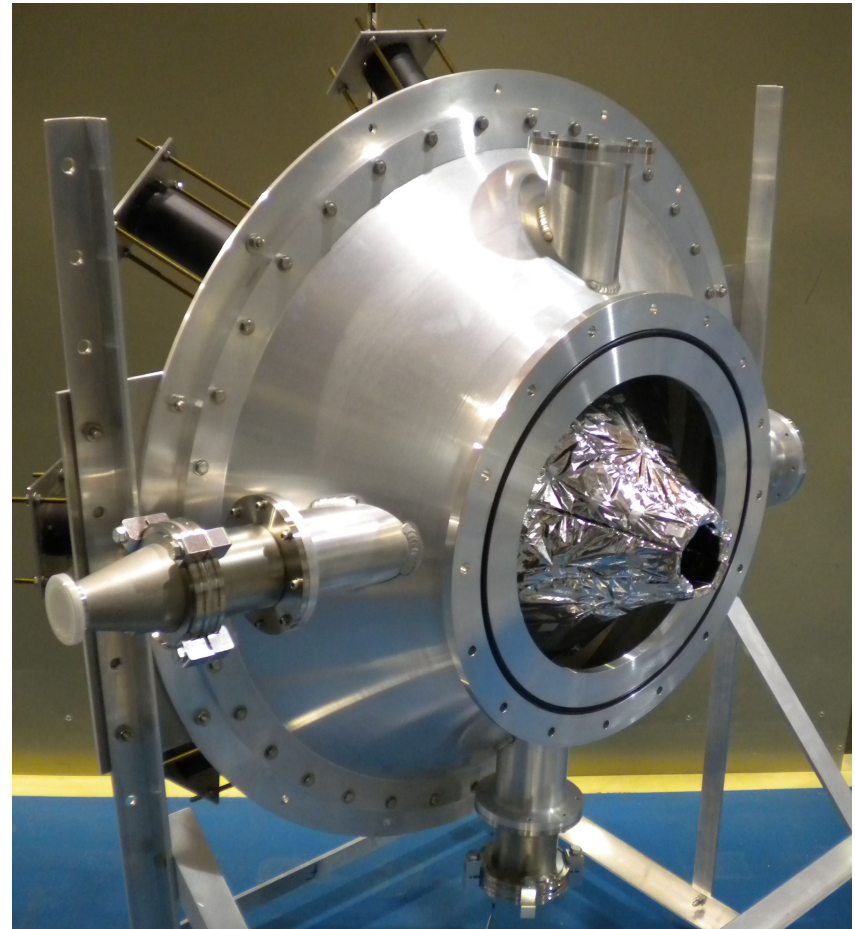
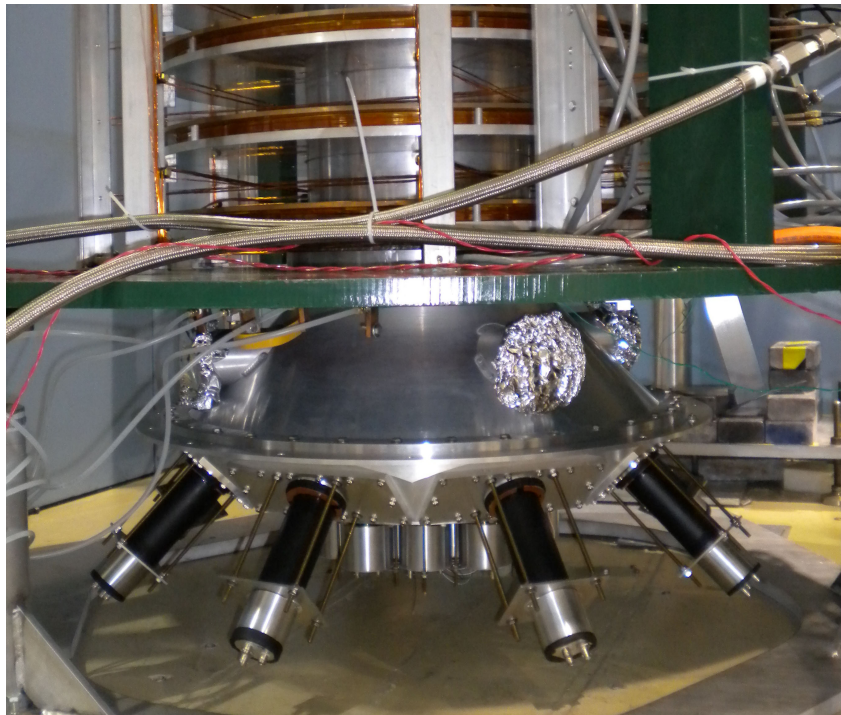
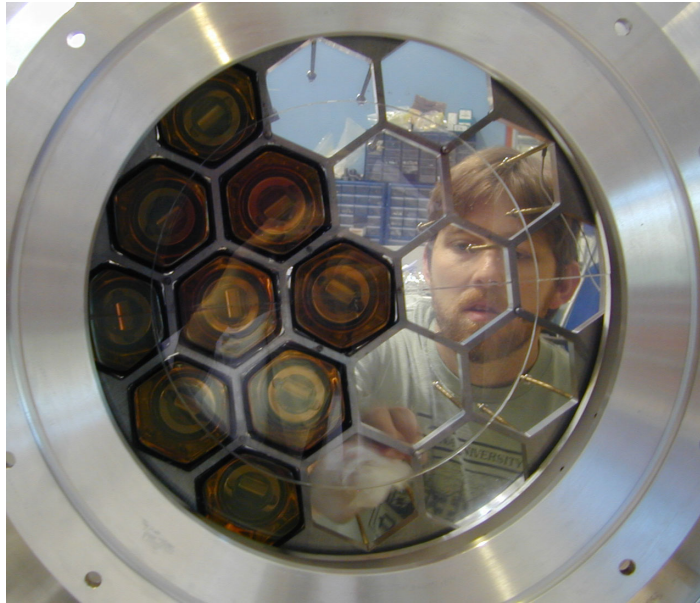
Backscatter Suppressed Beta Spectrometer



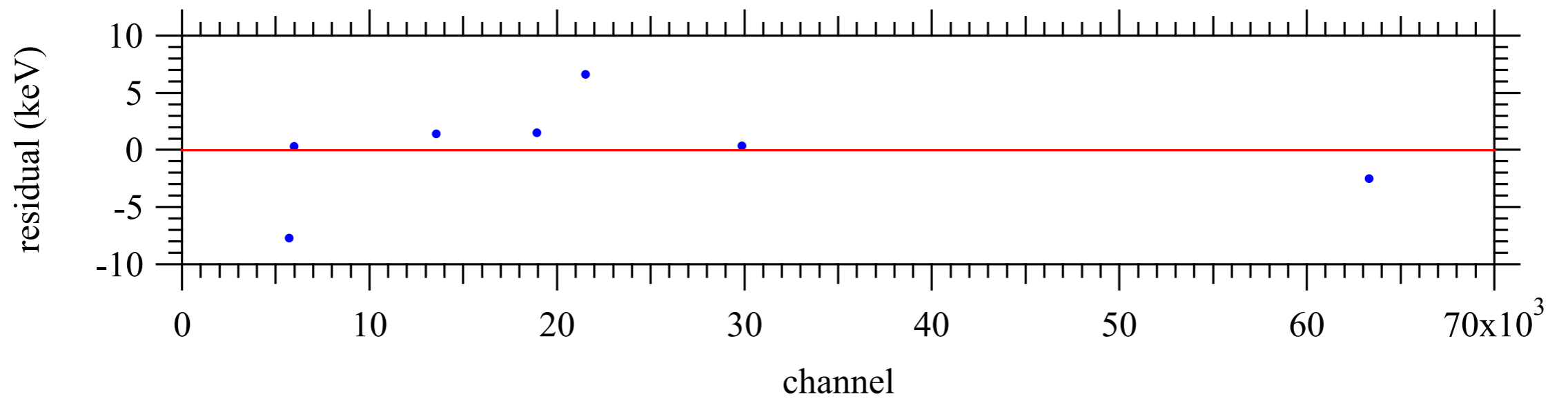
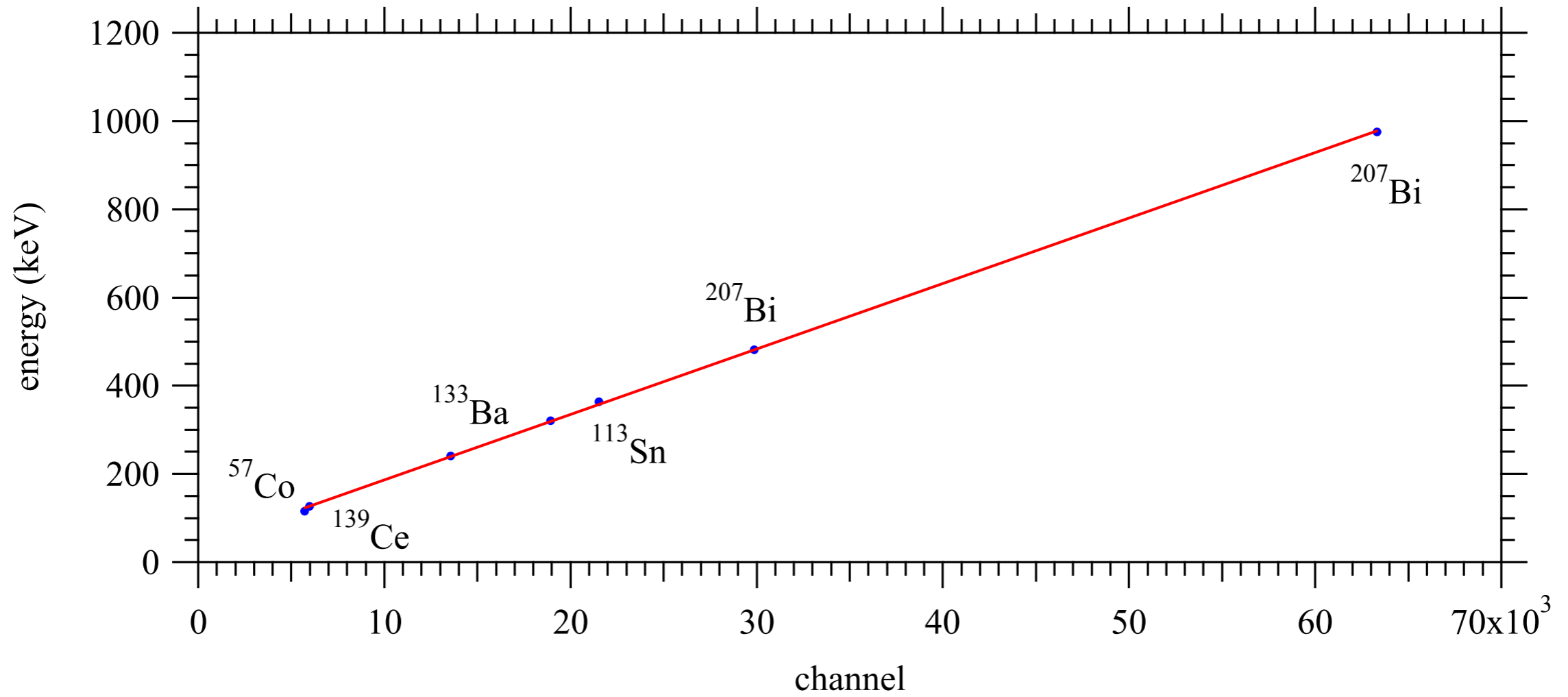
aCORN backscatter suppressed beta spectrometer



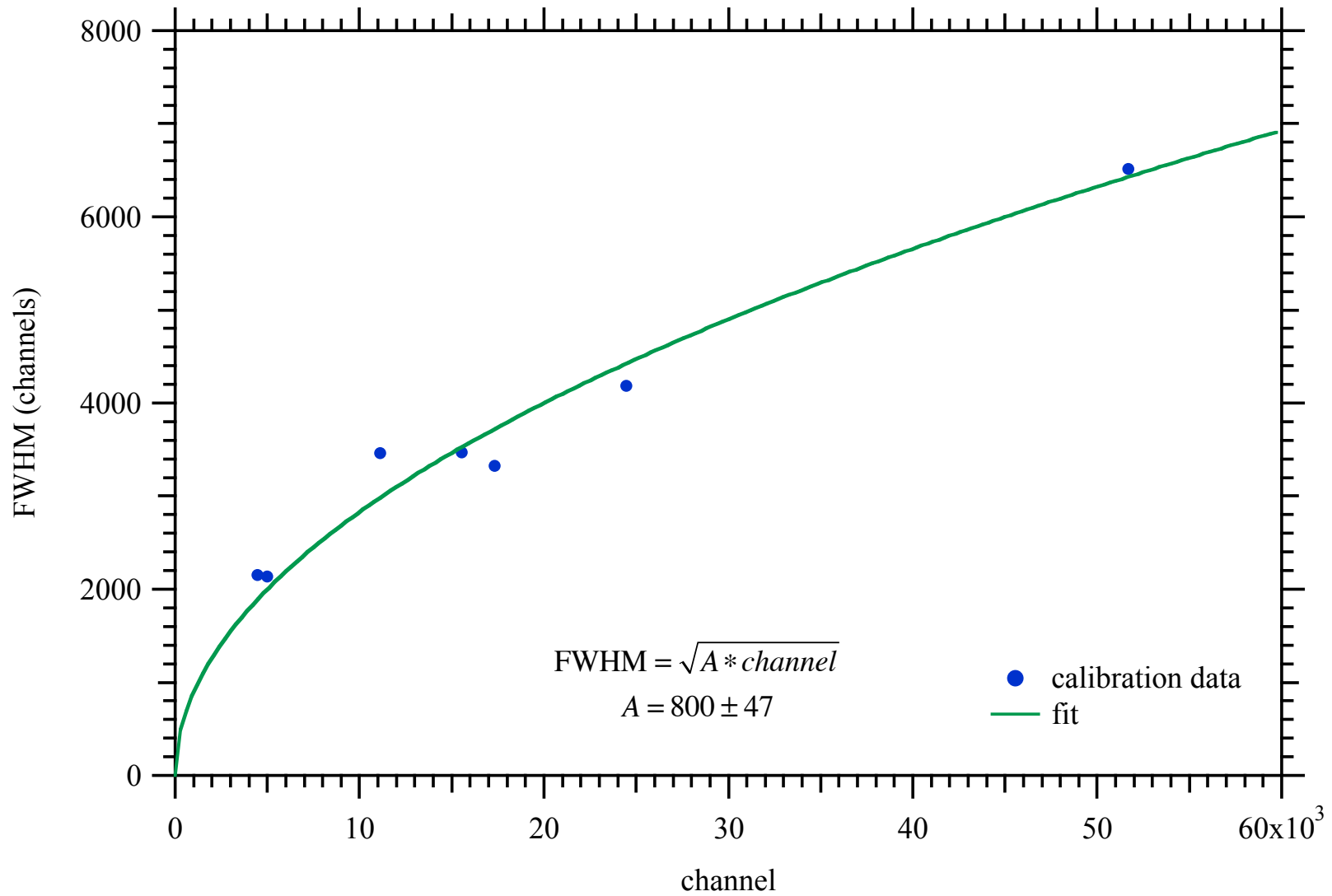
aCORN Beta Spectrometer



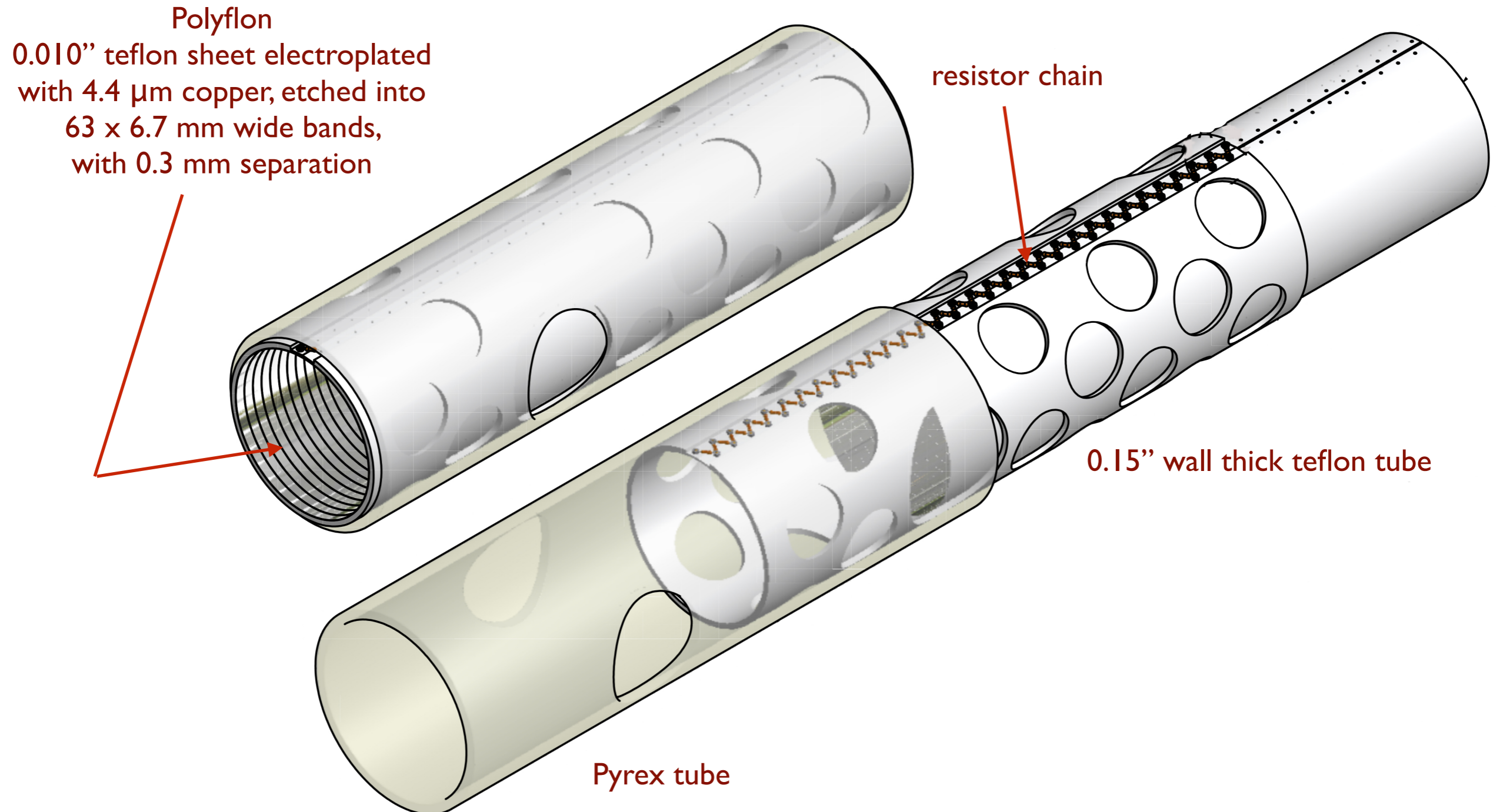
Beta Spectrometer Energy Response



Beta Spectrometer Energy Resolution (FWHM)

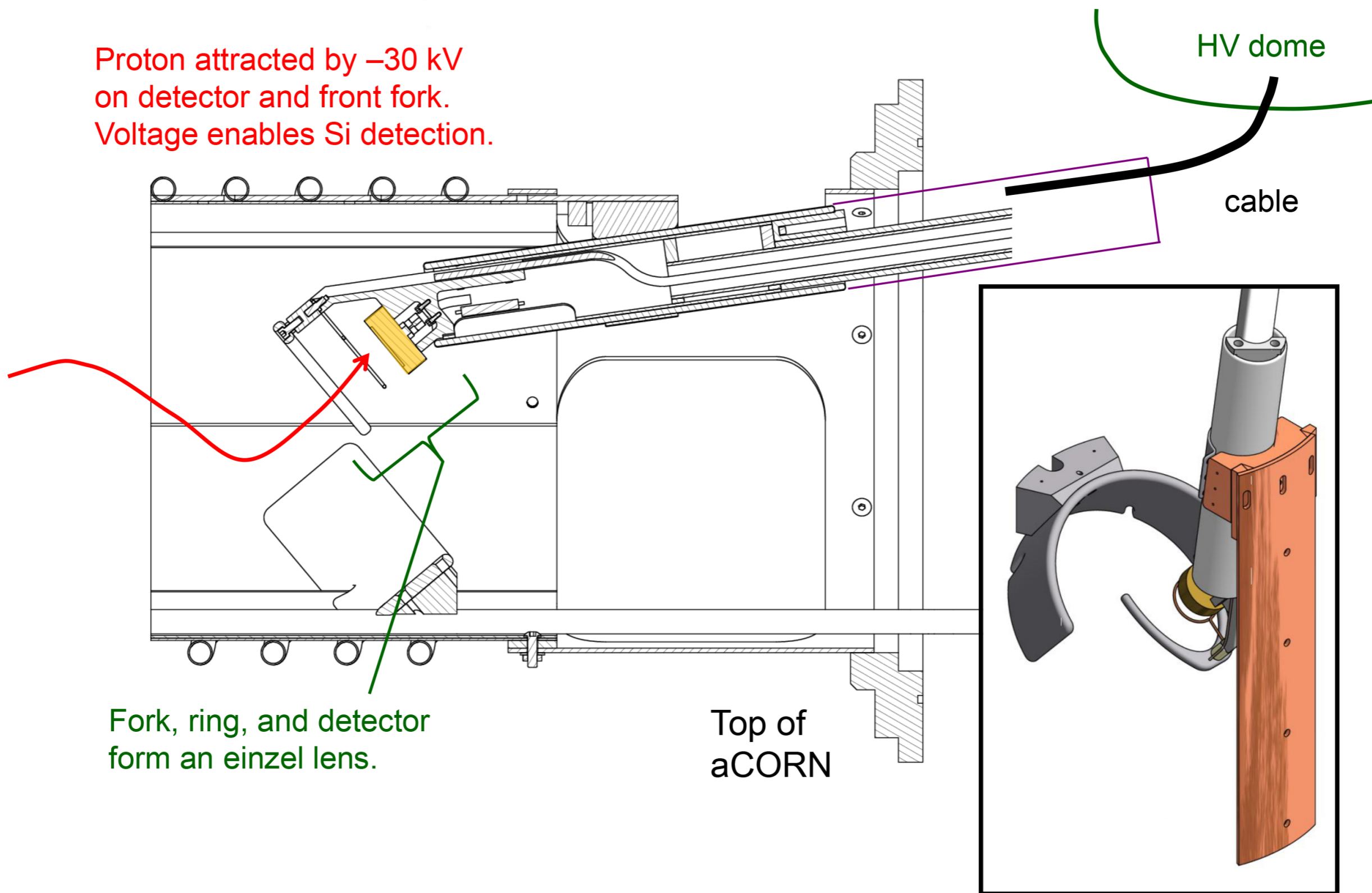


Electrostatic mirror



Proton detector

Proton attracted by -30 kV on detector and front fork.
Voltage enables Si detection.



Fork, ring, and detector form an einzel lens.

Top of aCORN

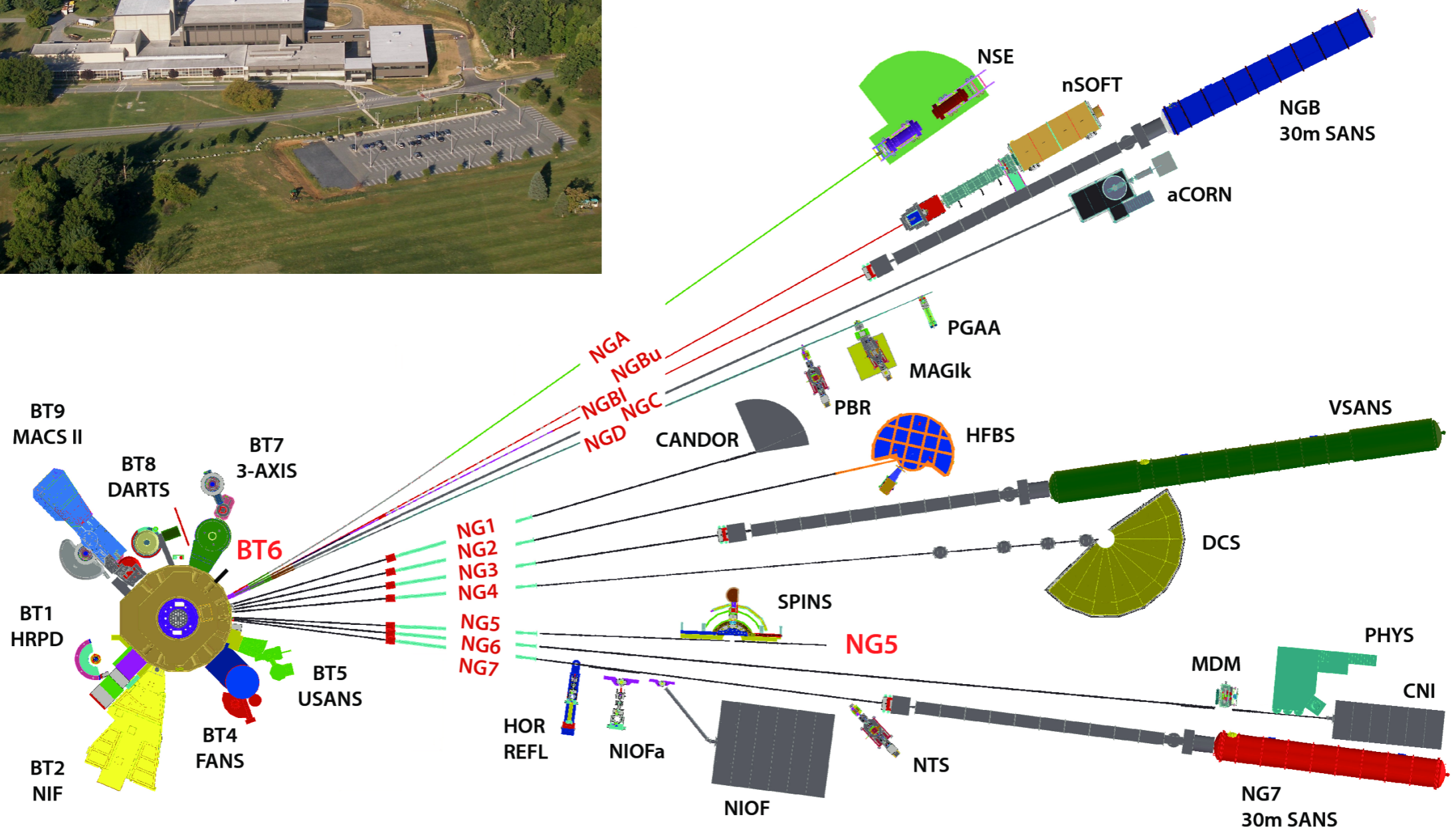
HV dome

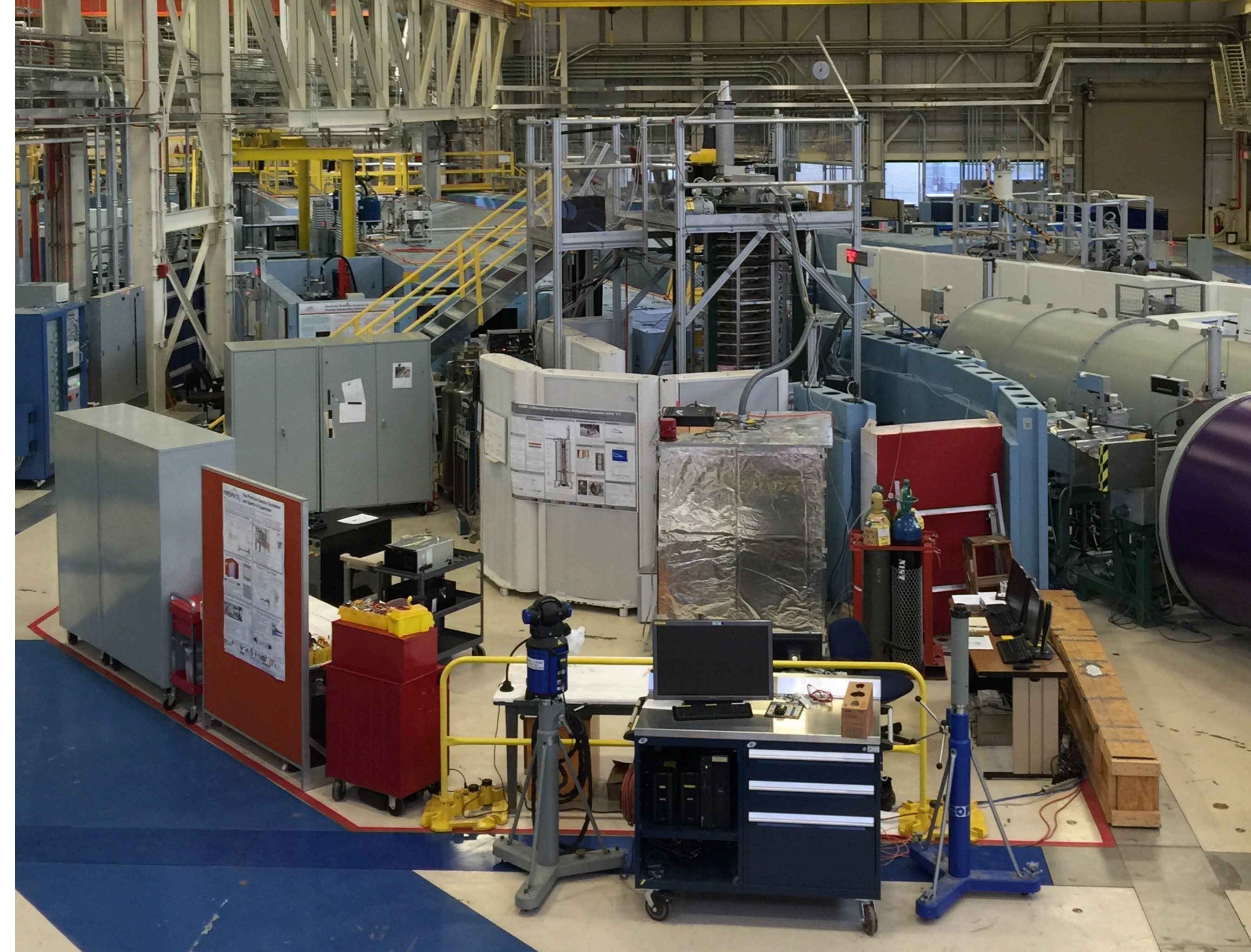
cable

aCORN proton detector

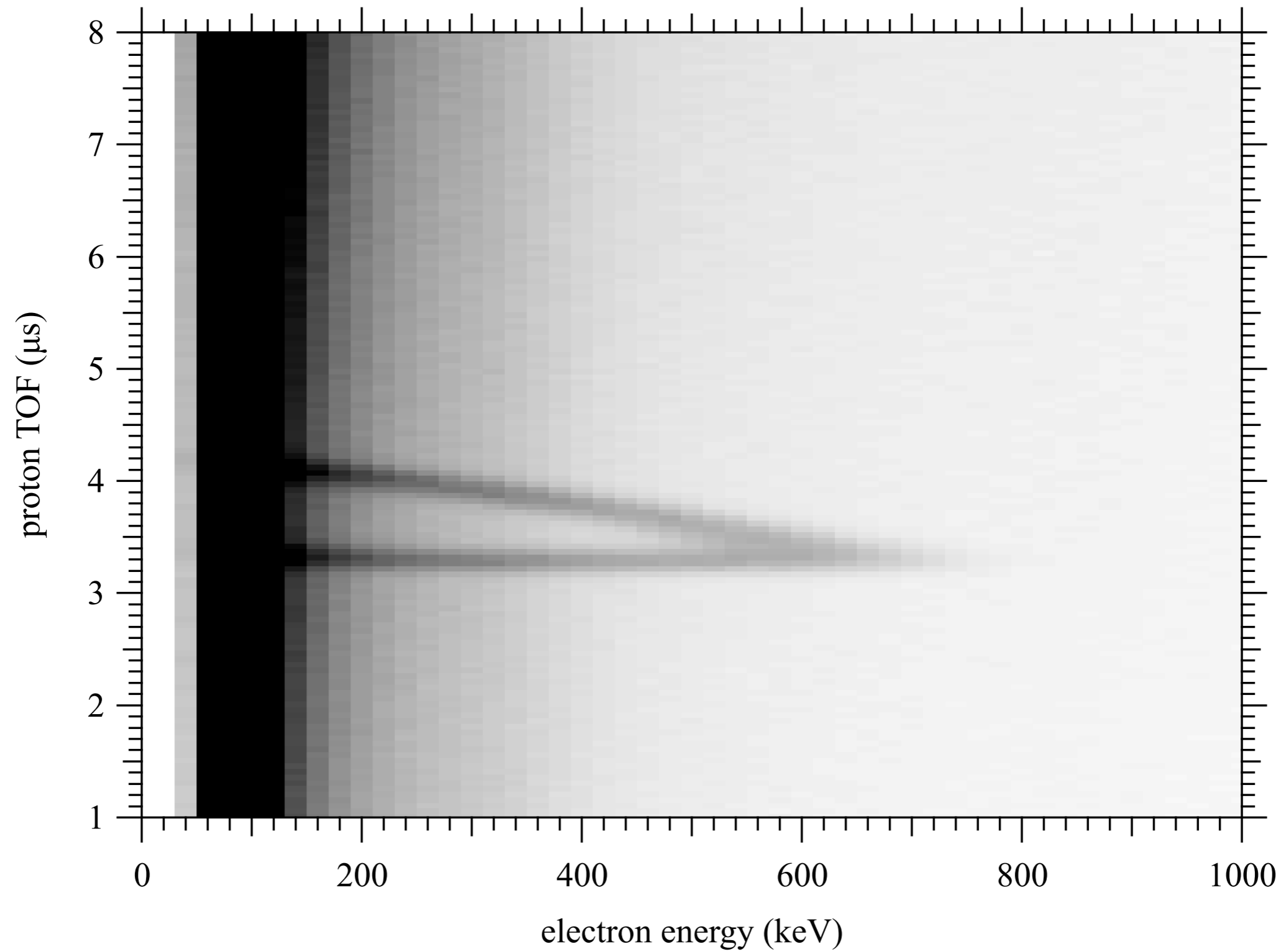


NIST Center for Neutron Research

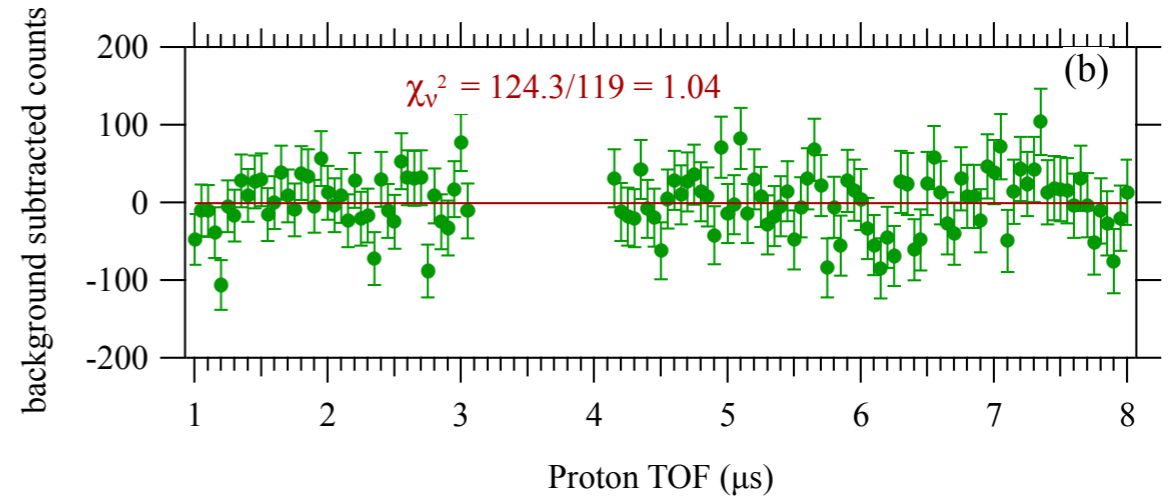
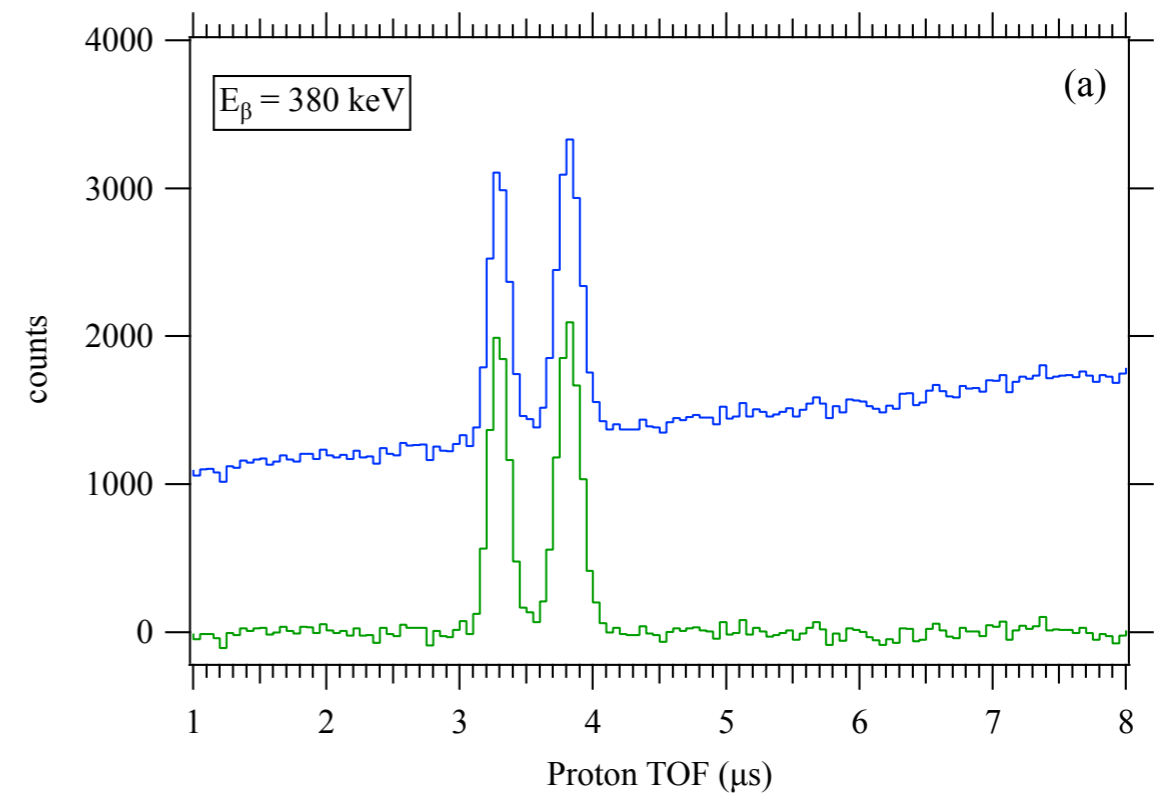
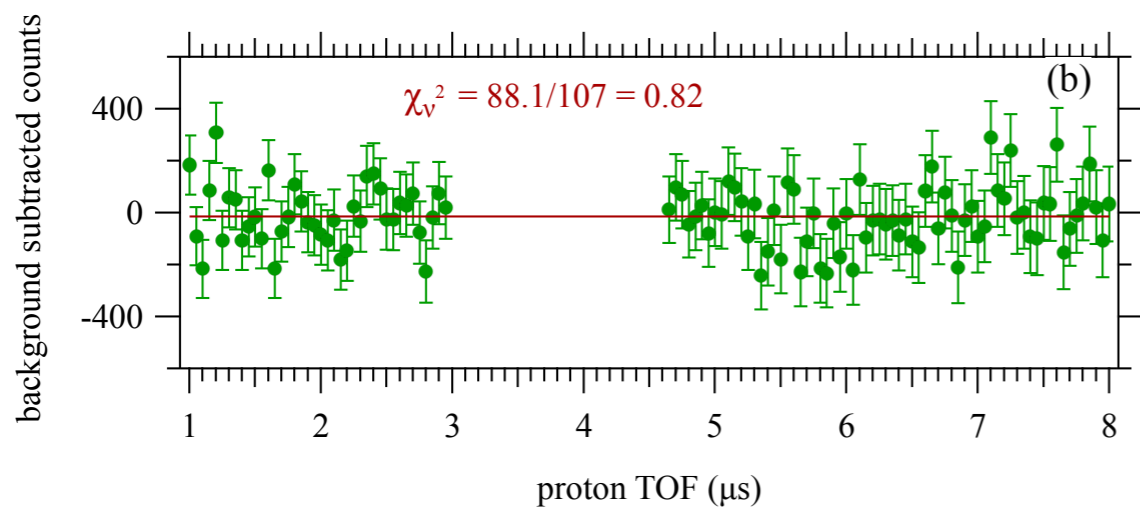
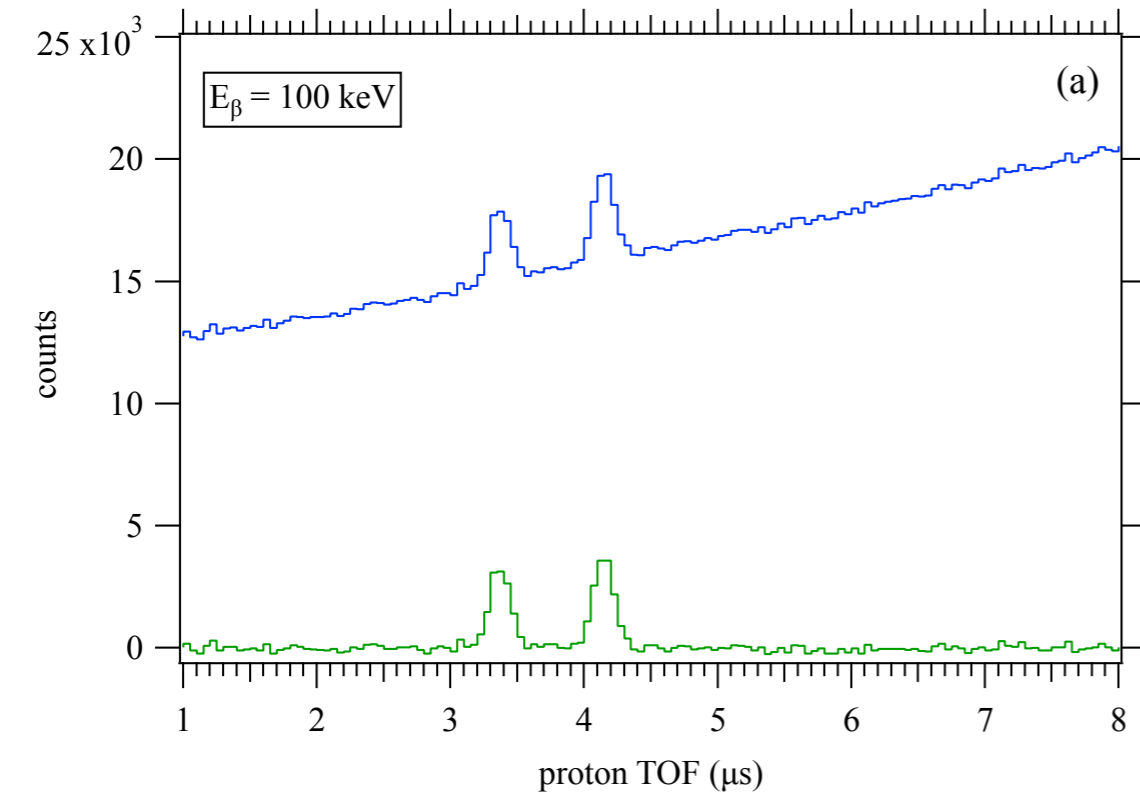




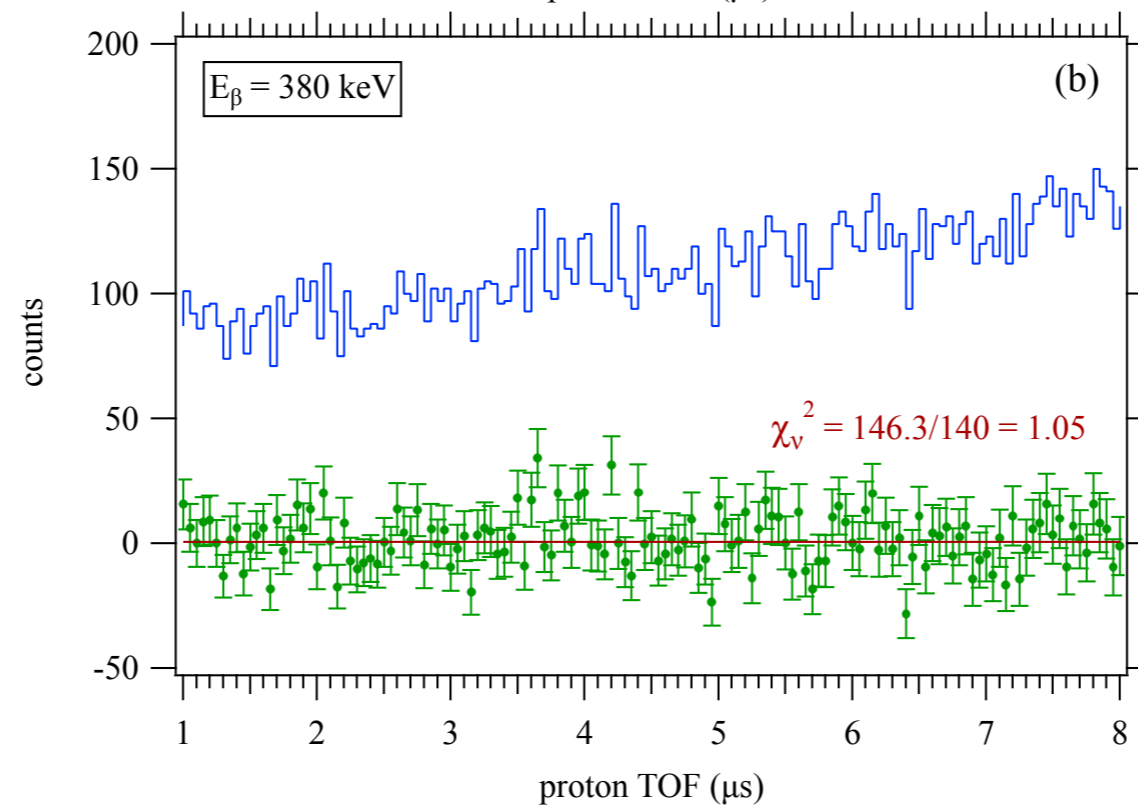
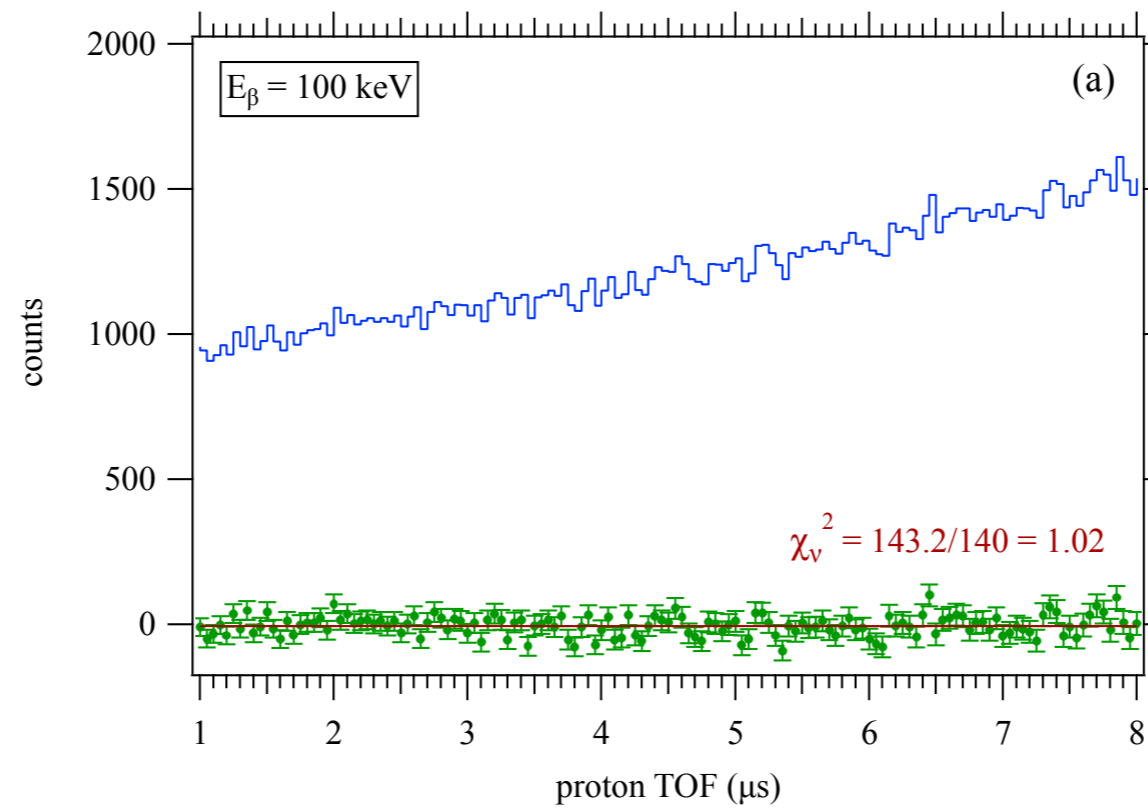
aCORN NG-C Raw Wishbone

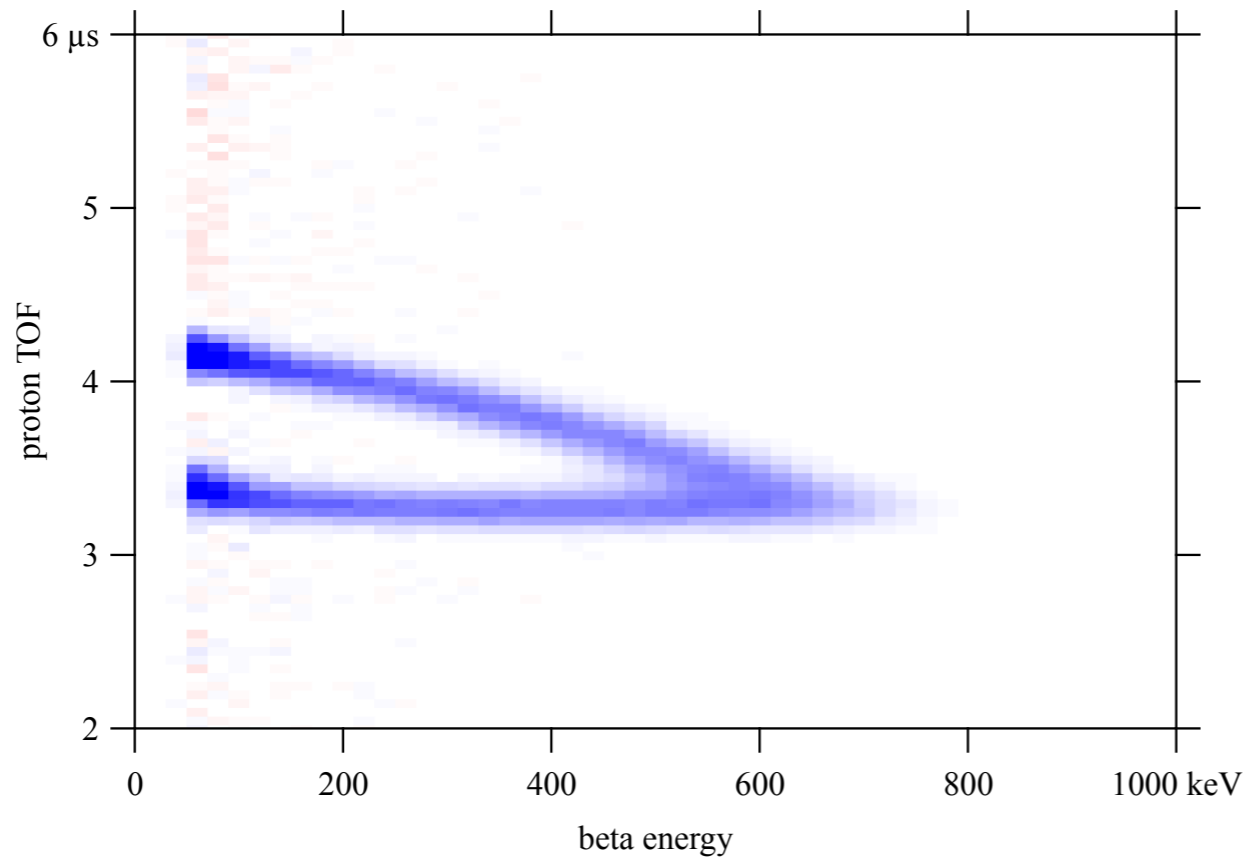


aCORN Wishbone Energy Slices

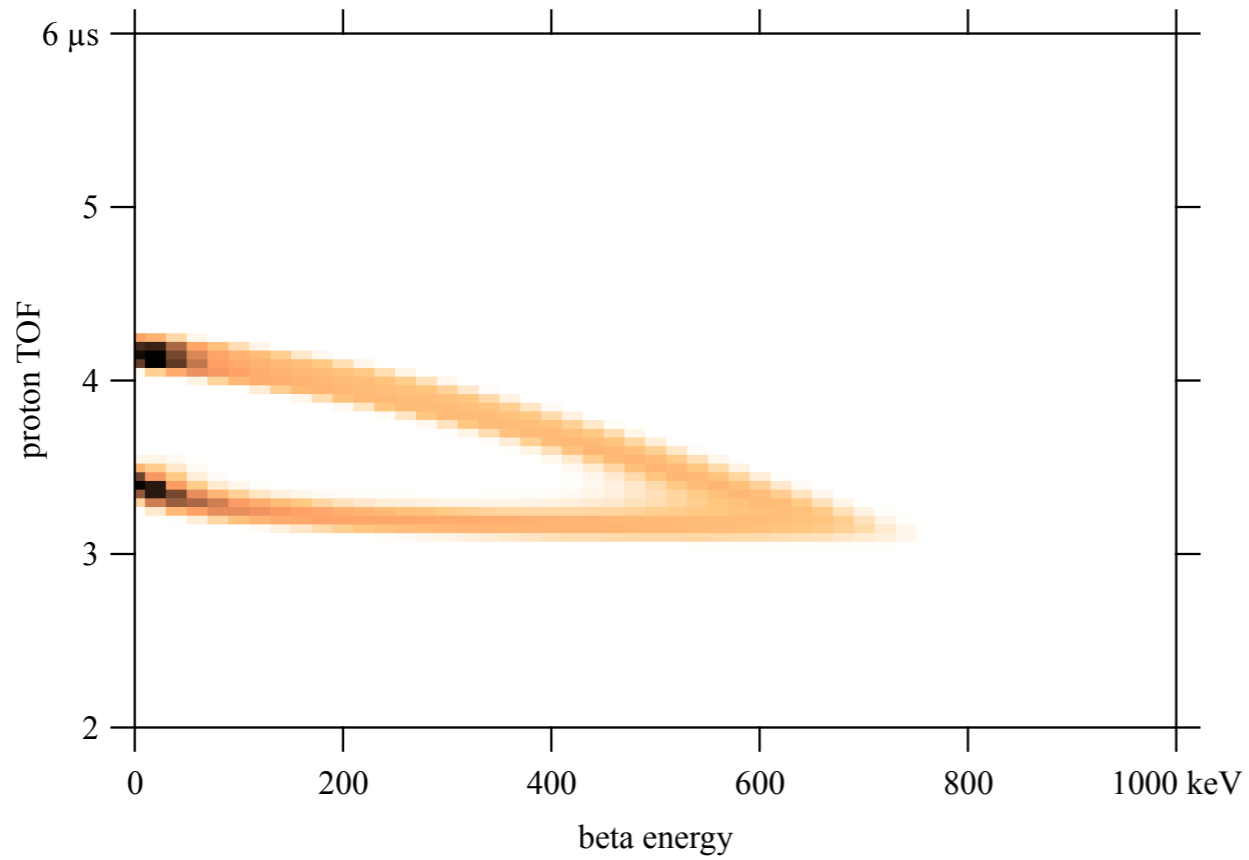


aCORN Wishbone Reversed Mirror





Background-Subtracted
Wishbone Data



aCORN Monte Carlo

The geometric function $f_a(E)$

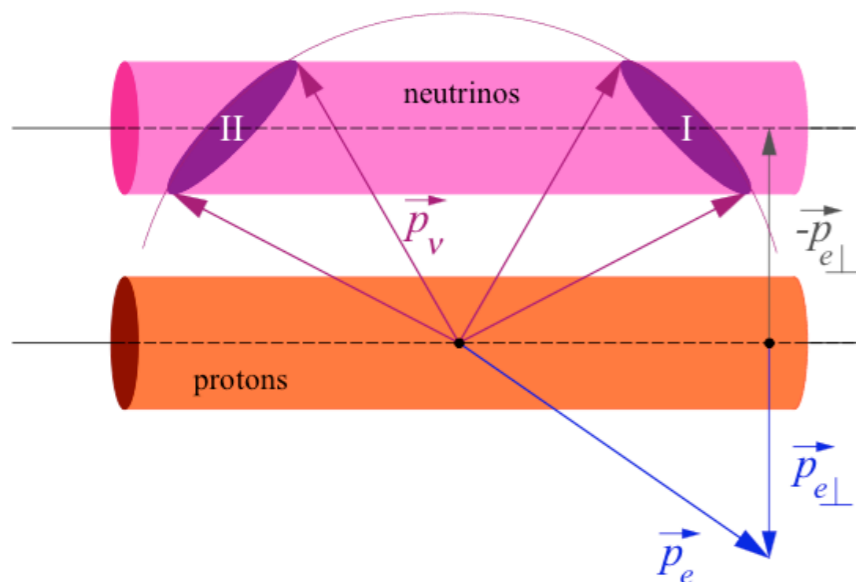
wishbone asymmetry: $X(E) = a f_a(E)$

$$f_a(E) = \frac{1}{2} v (\phi^I(E) - \phi^{II}(E))$$

$\phi^I(E), \phi^{II}(E)$ are the average angle between electron and antineutrino momentum vectors for all momenta within the aCORN acceptance, independent of the beta decay distributions.

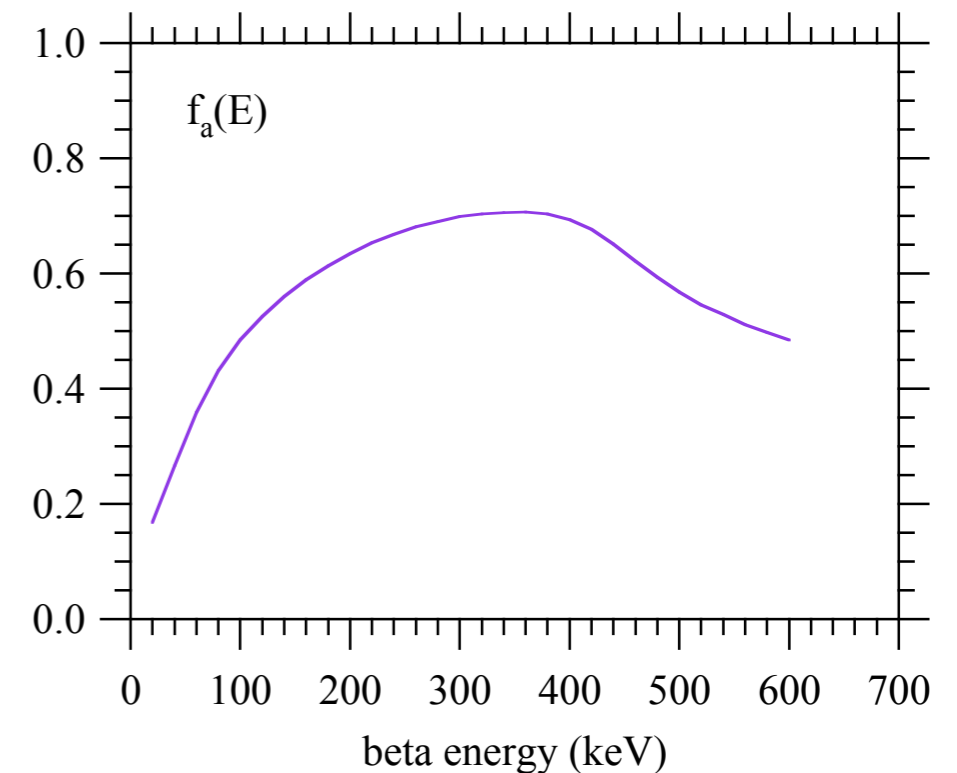
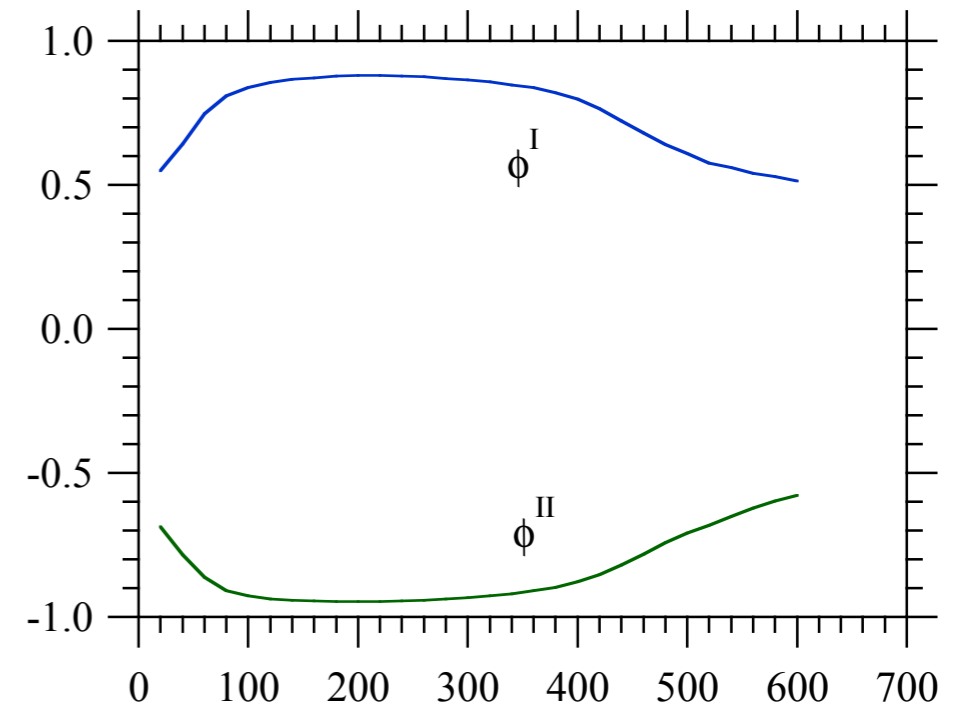
$f_a(E)$ depends ONLY on:

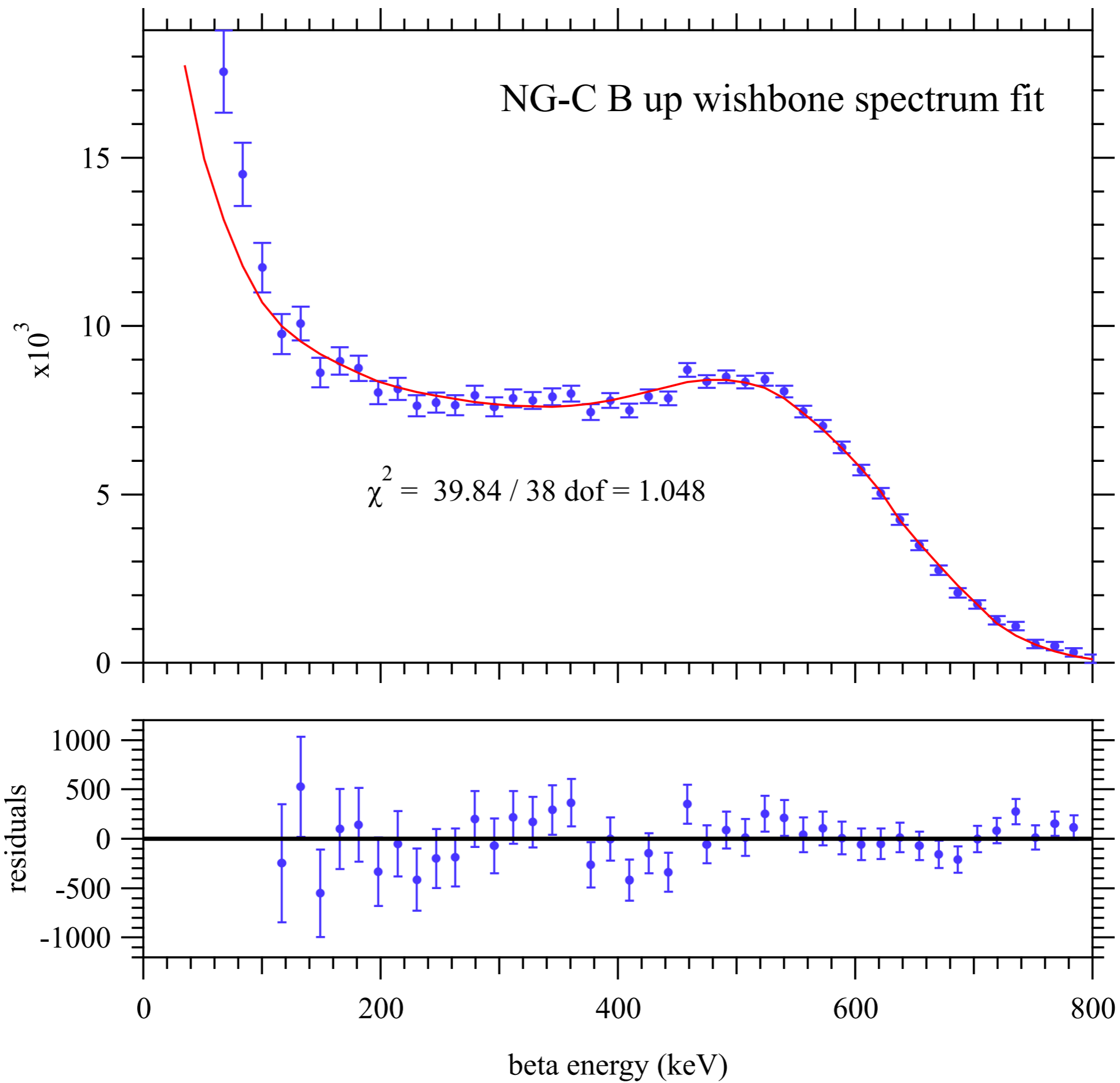
- magnetic field strength
- collimator geometry
- neutron beam density distribution (weakly)



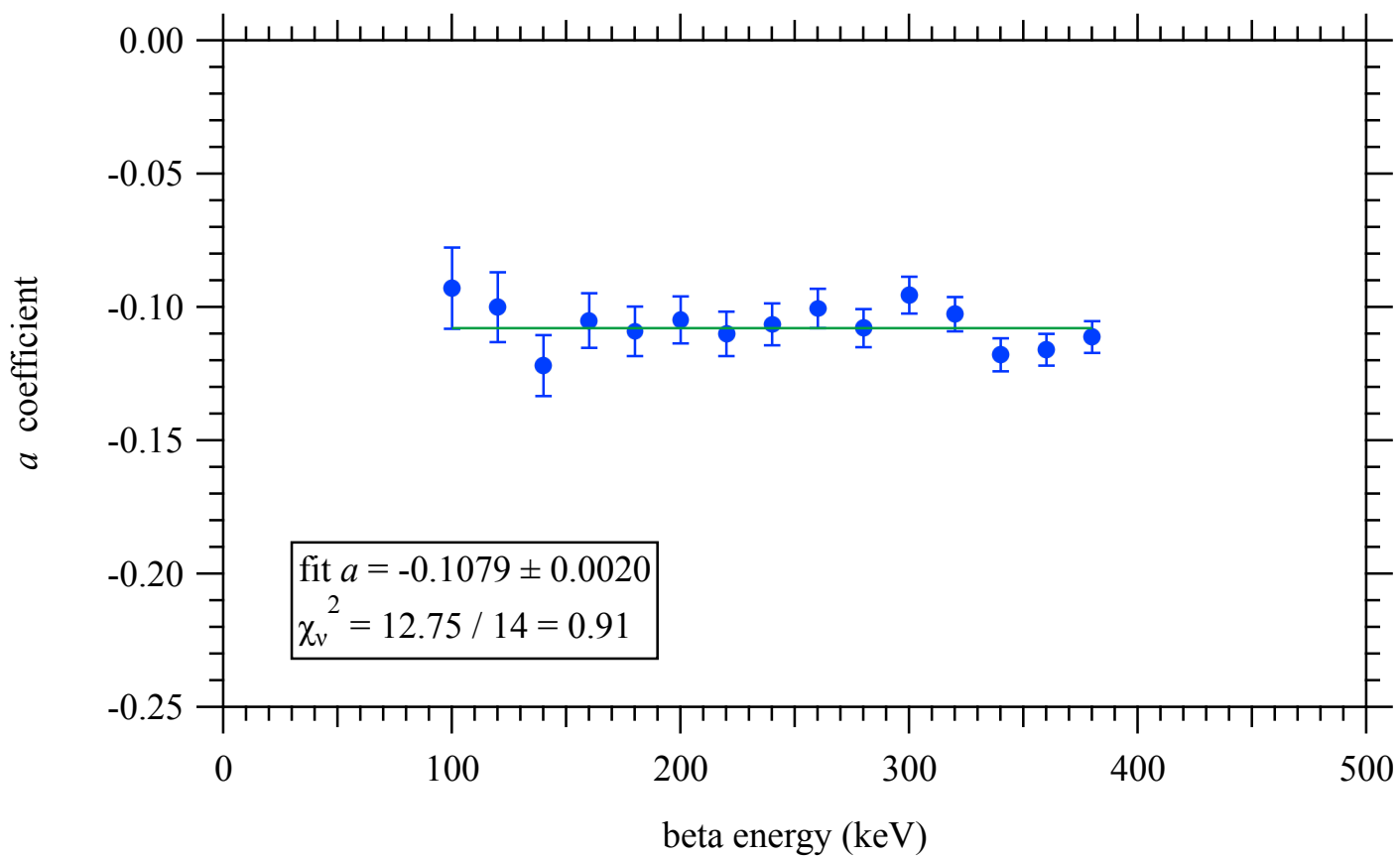
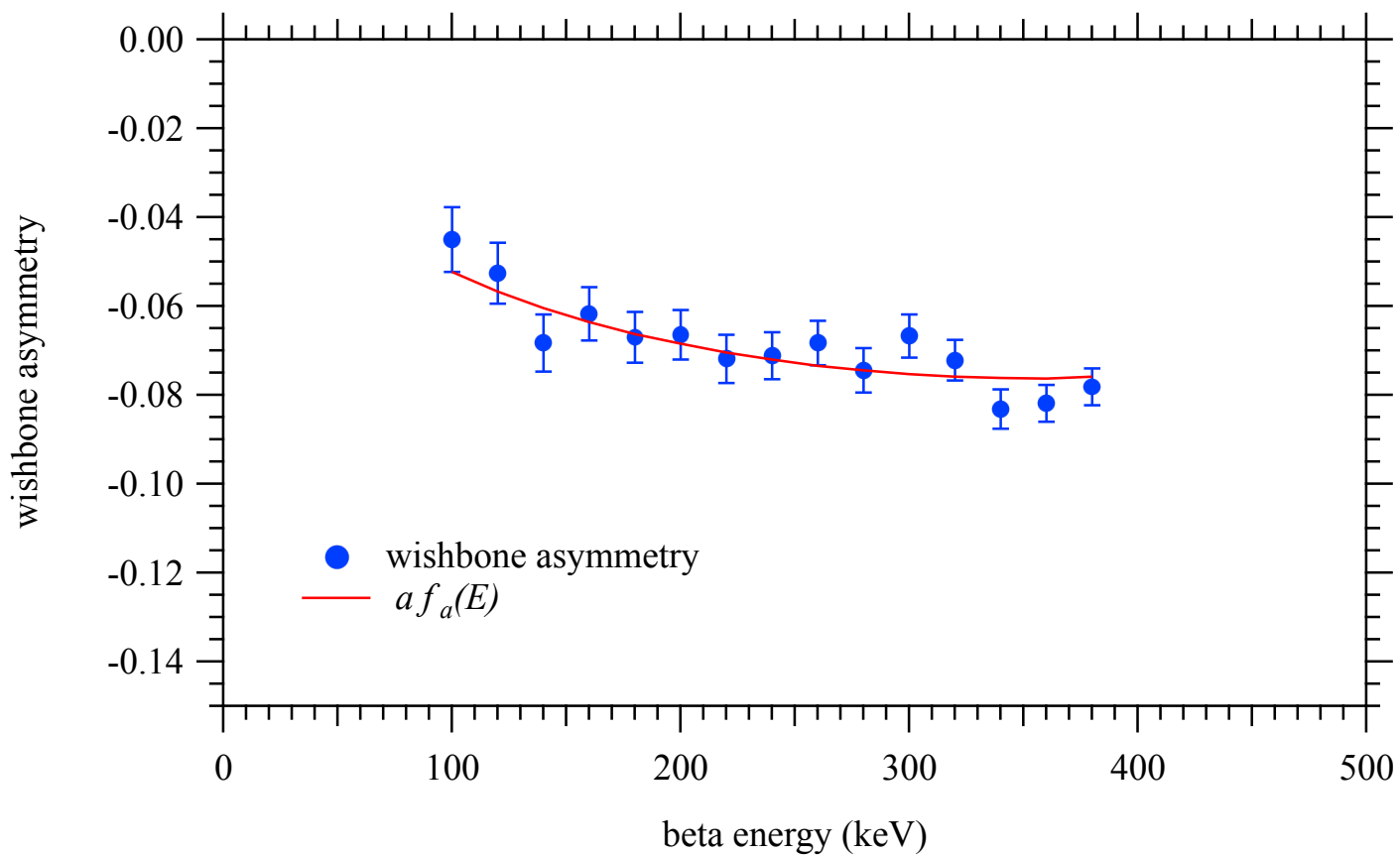
$$\phi^I(E) = \frac{\int d\Omega_e \int_I d\Omega_v \cos \theta_{ev}}{\Omega_e \Omega_v^I}$$

$$\phi^{II}(E) = \frac{\int d\Omega_e \int_{II} d\Omega_v \cos \theta_{ev}}{\Omega_e \Omega_v^{II}}$$





NG-C B up combined

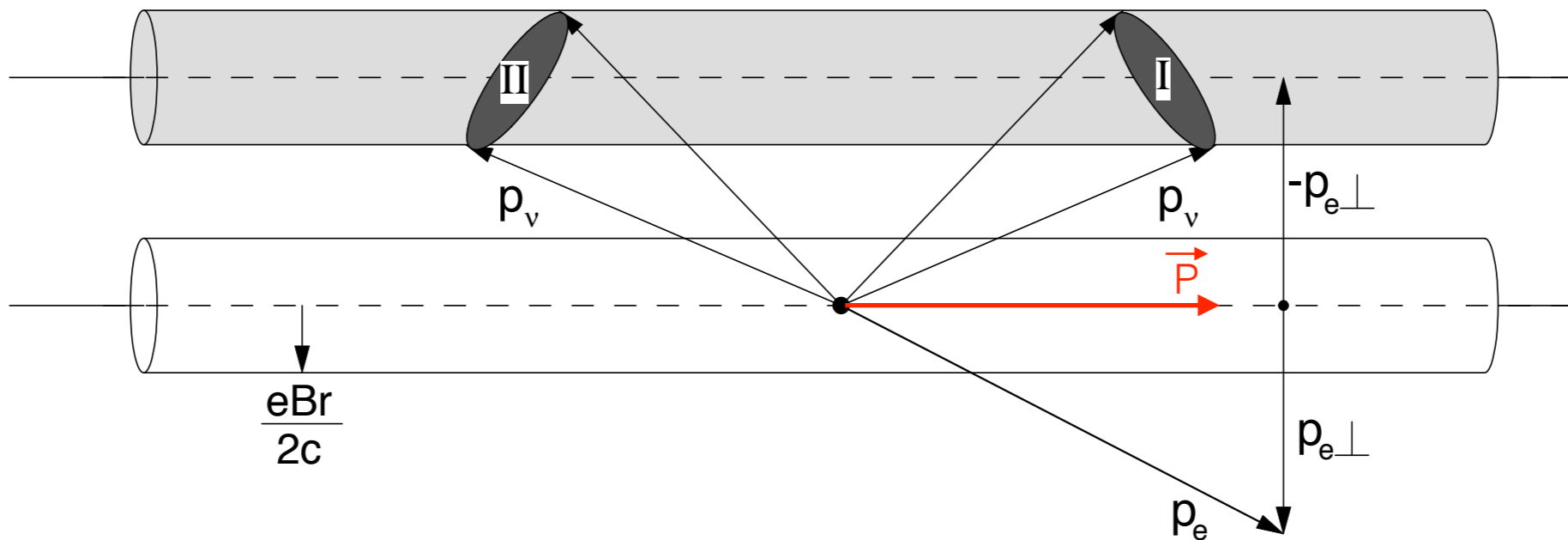


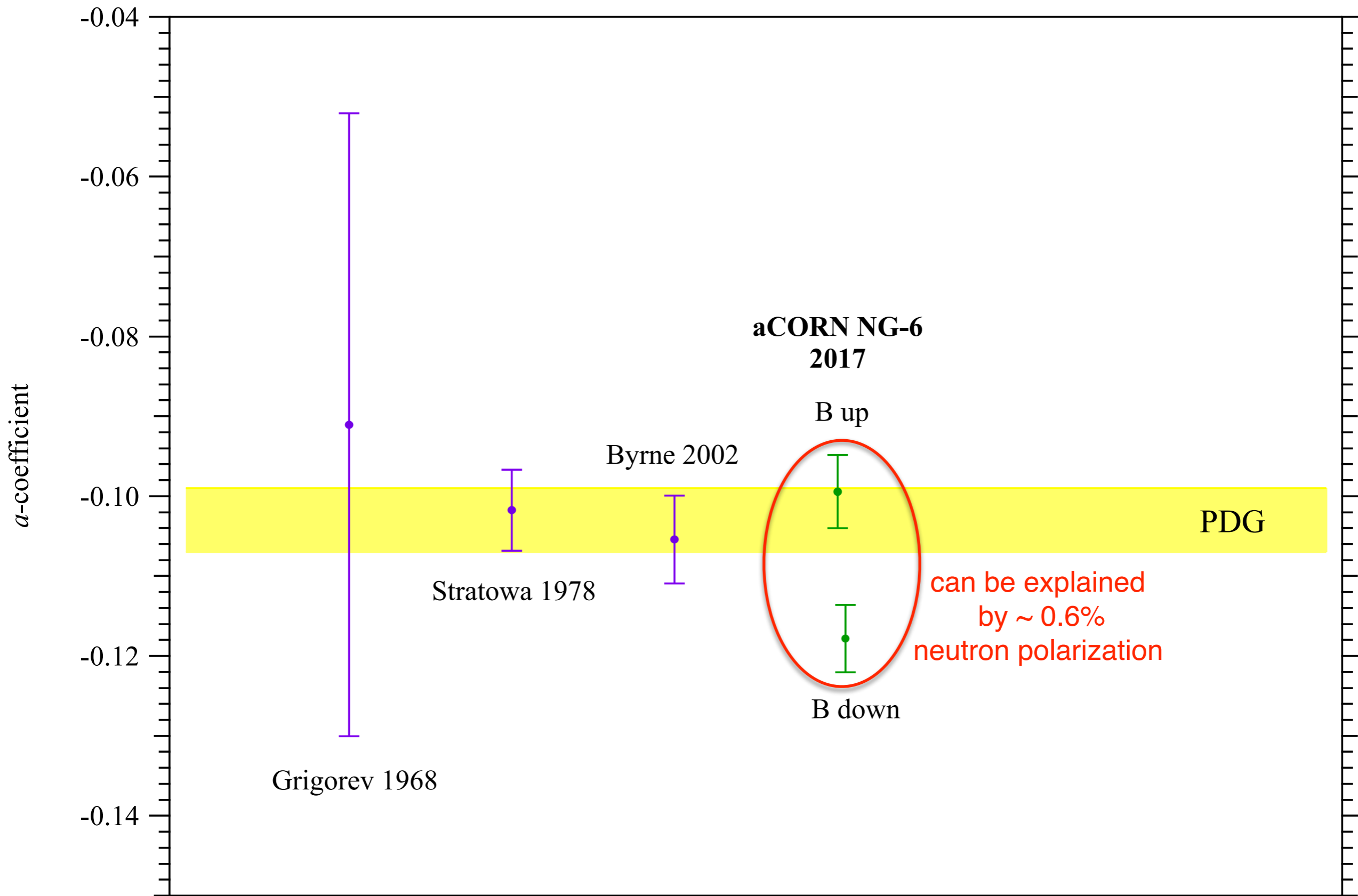
Beam Polarization

With a polarized neutron beam:

$$\text{wishbone asymmetry } A_{wb} = af_a(E_\beta) + PBf_B(E_\beta)$$

$$\frac{Bf_B(E_\beta)}{af_a(E_\beta)} \approx 14$$

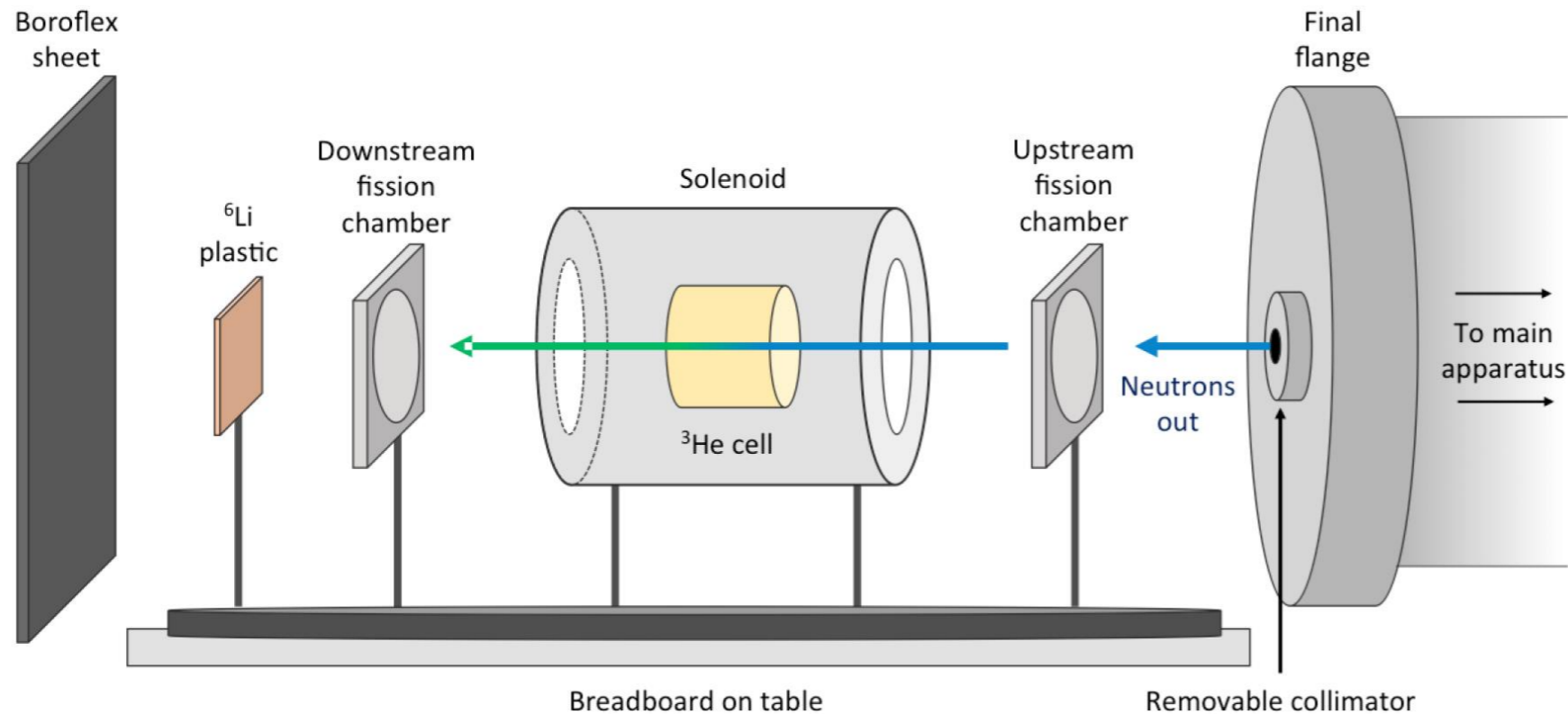




Neutron Polarimetry with Polarized ^3He (SEOP)



$$P_n = \frac{T_n^\uparrow - T_n^\downarrow}{2T_0 \sinh(\sigma_n N_{\text{He}} P_{\text{He}} L)}$$

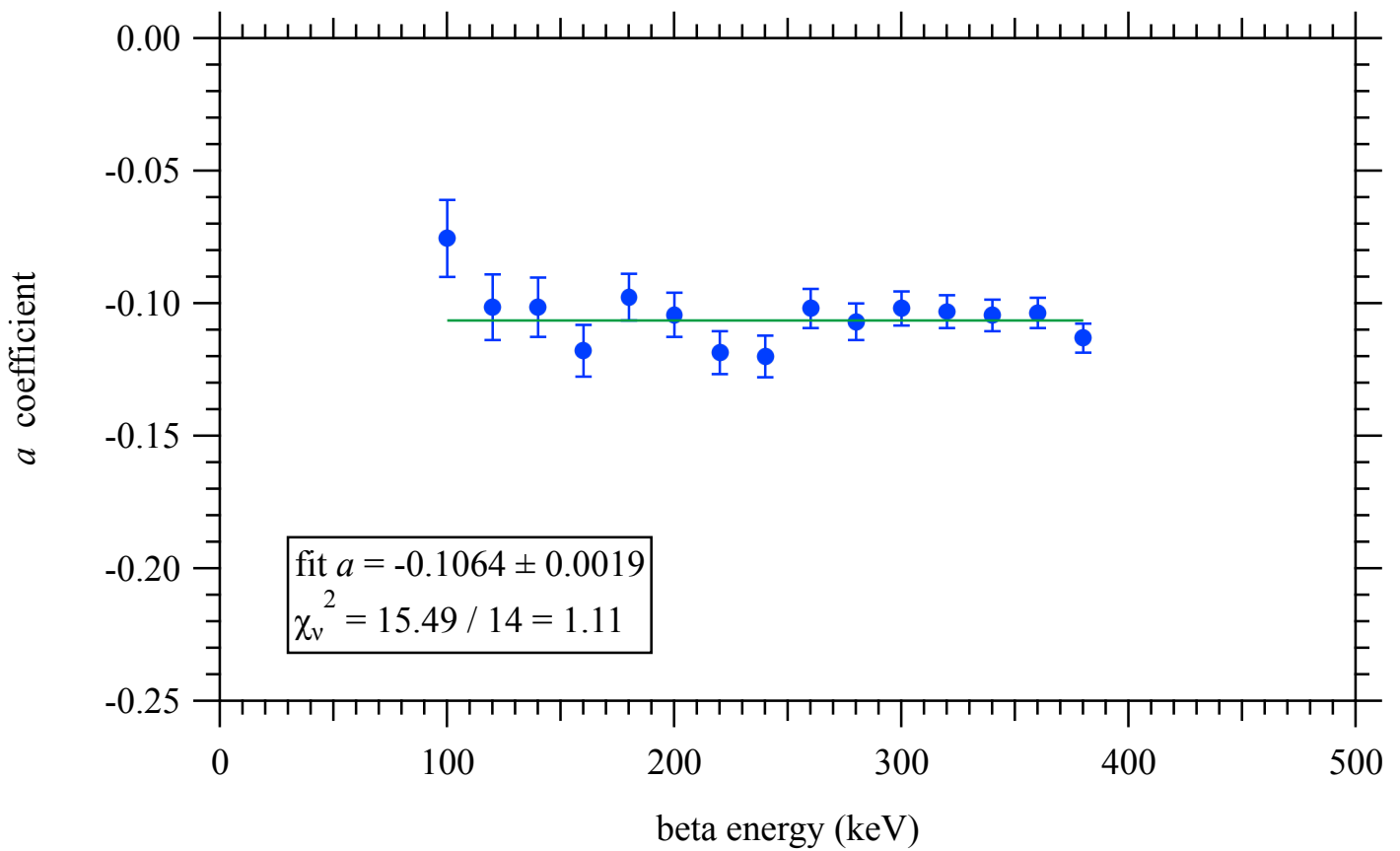
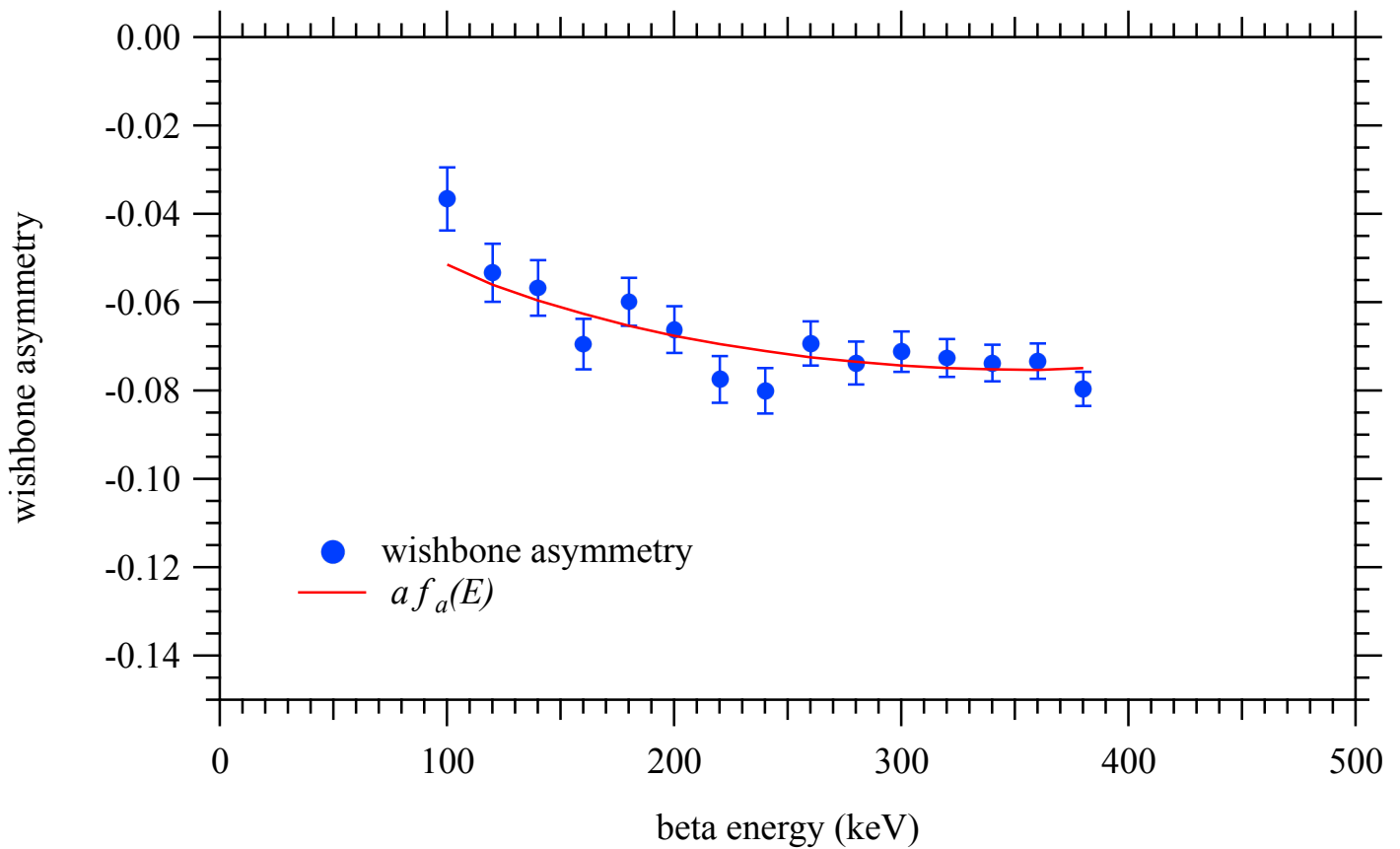


Neutron Polarimetry with Polarized ^3He (SEOP)

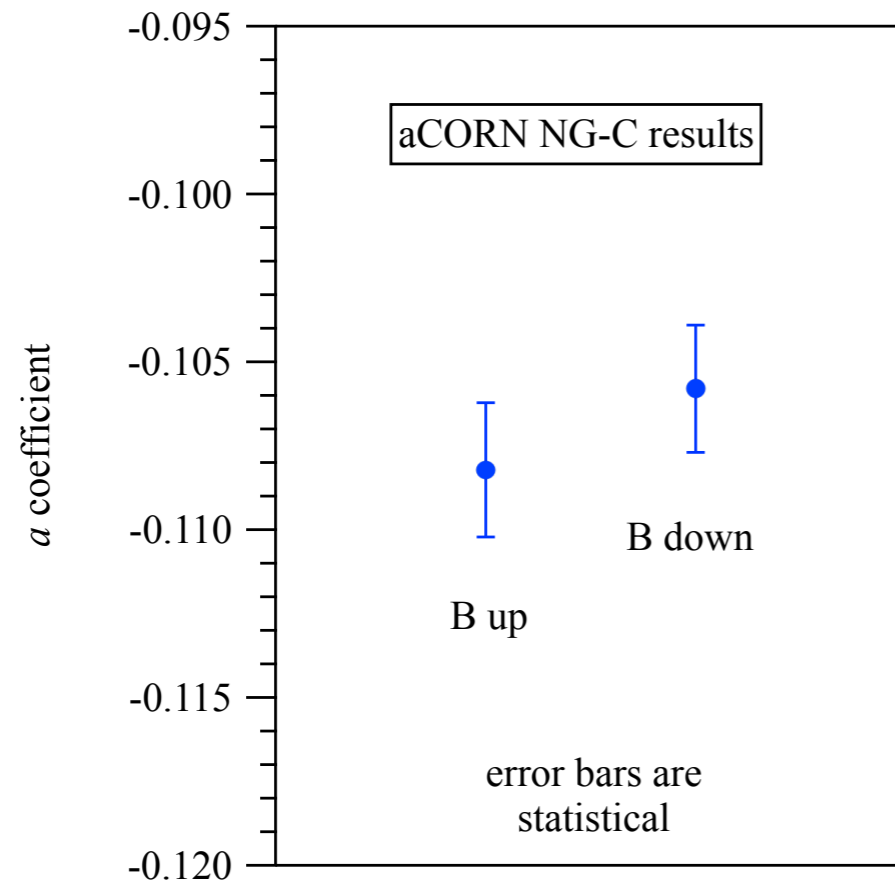
Blind Analysis Strategy:

1. aCORN physics data collected on NG-C:
 - B up: Aug. — Dec. 2015
 - B down: Feb. — Jul. 2016
 - B up: Aug. — Sep. 2016
2. Neutron polarization on NG-C measured in summer 2016 and result embargoed (the blind).
3. All B up data analyzed and systematics evaluated and vetted by the collaboration. A B up result is obtained.
4. All B down data analyzed using the same fixed methods and routines. A B down result is obtained and compared to the B up.
5. “Box opened” on measured neutron polarization.

NG-C B down combined

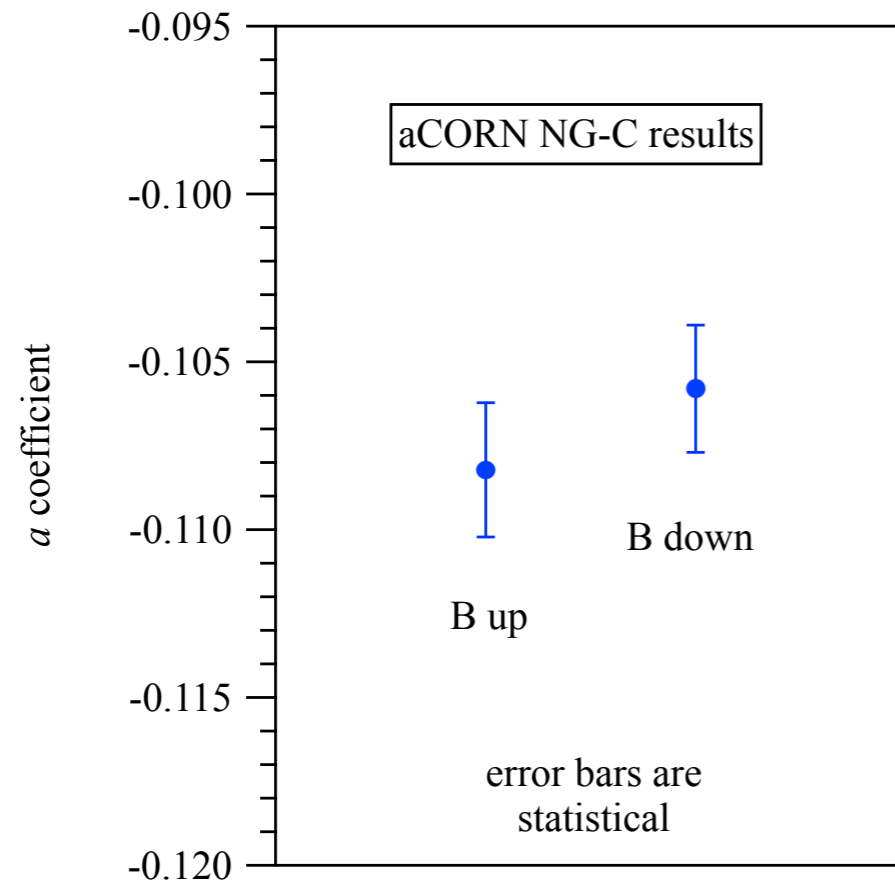


aCORN NG-C Preliminary Result



The difference implies
 $P_n = 0.8 \pm 1.0 \times 10^{-3}$

aCORN NG-C Preliminary Result

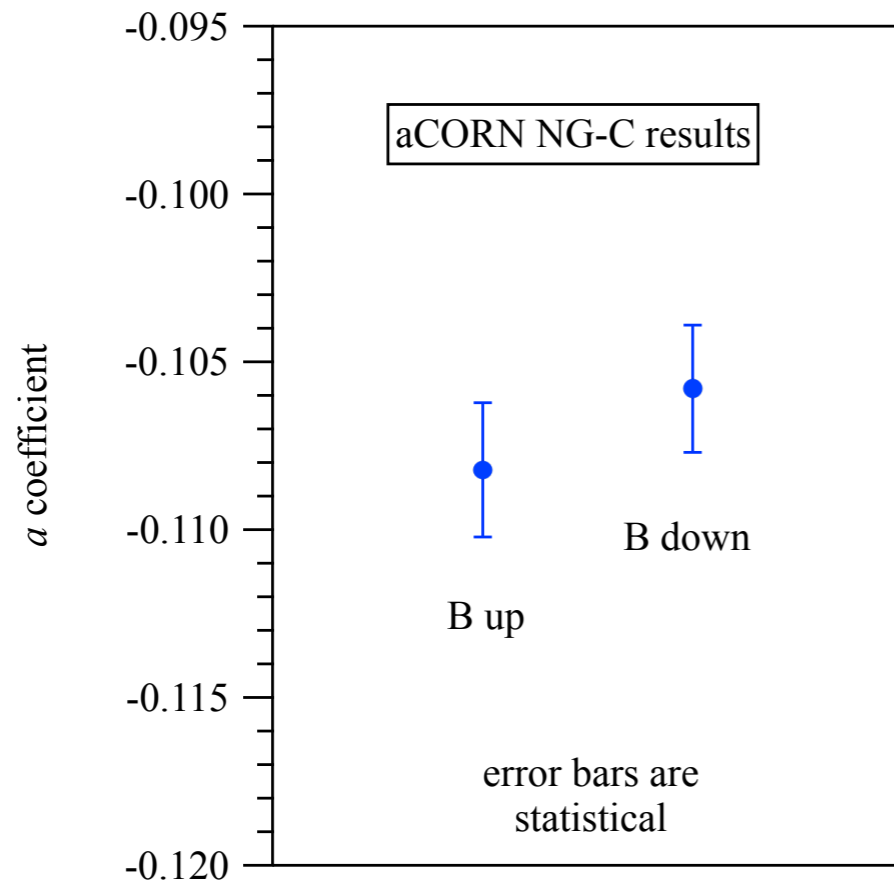


Polarimetry “box” opened
on Wed. April 10, 2019

The difference implies

$$P_n = 0.8 \pm 1.0 \times 10^{-3}$$

aCORN NG-C Preliminary Result



Polarimetry “box” opened
on Wed. April 10, 2019

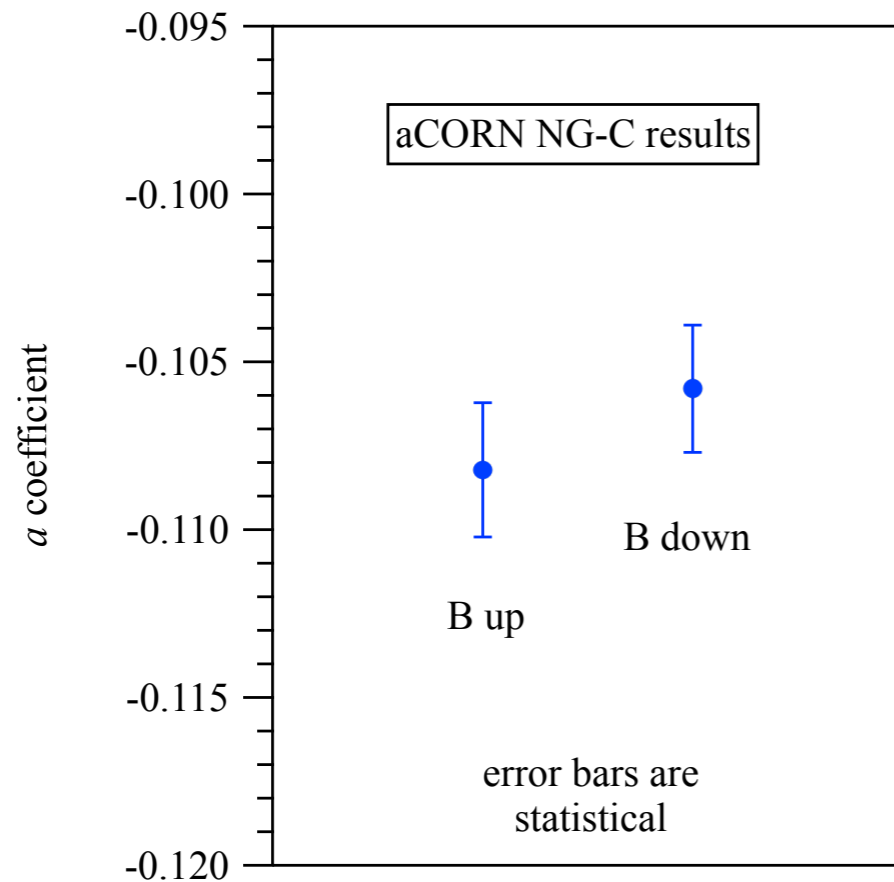
$$P_n = 7 \pm 9 \times 10^{-5}$$

most precise ever
using polarized ^3He !

The difference implies

$$P_n = 0.8 \pm 1.0 \times 10^{-3}$$

aCORN NG-C Preliminary Result



Polarimetry “box” opened
on Wed. April 10, 2019

$$P_n = 7 \pm 9 \times 10^{-5}$$

most precise ever
using polarized ^3He !

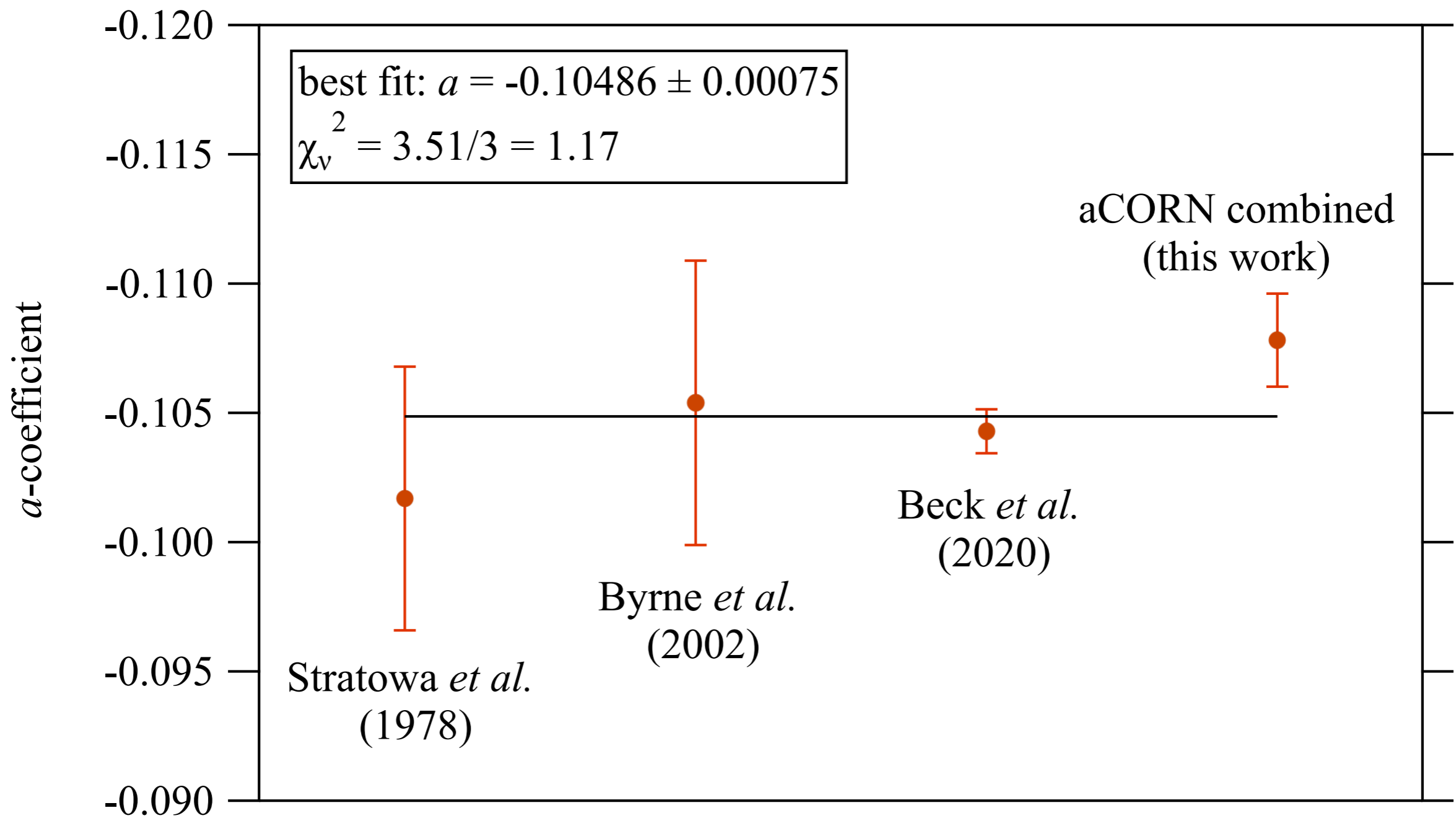
The difference implies
 $P_n = 0.8 \pm 1.0 \times 10^{-3}$

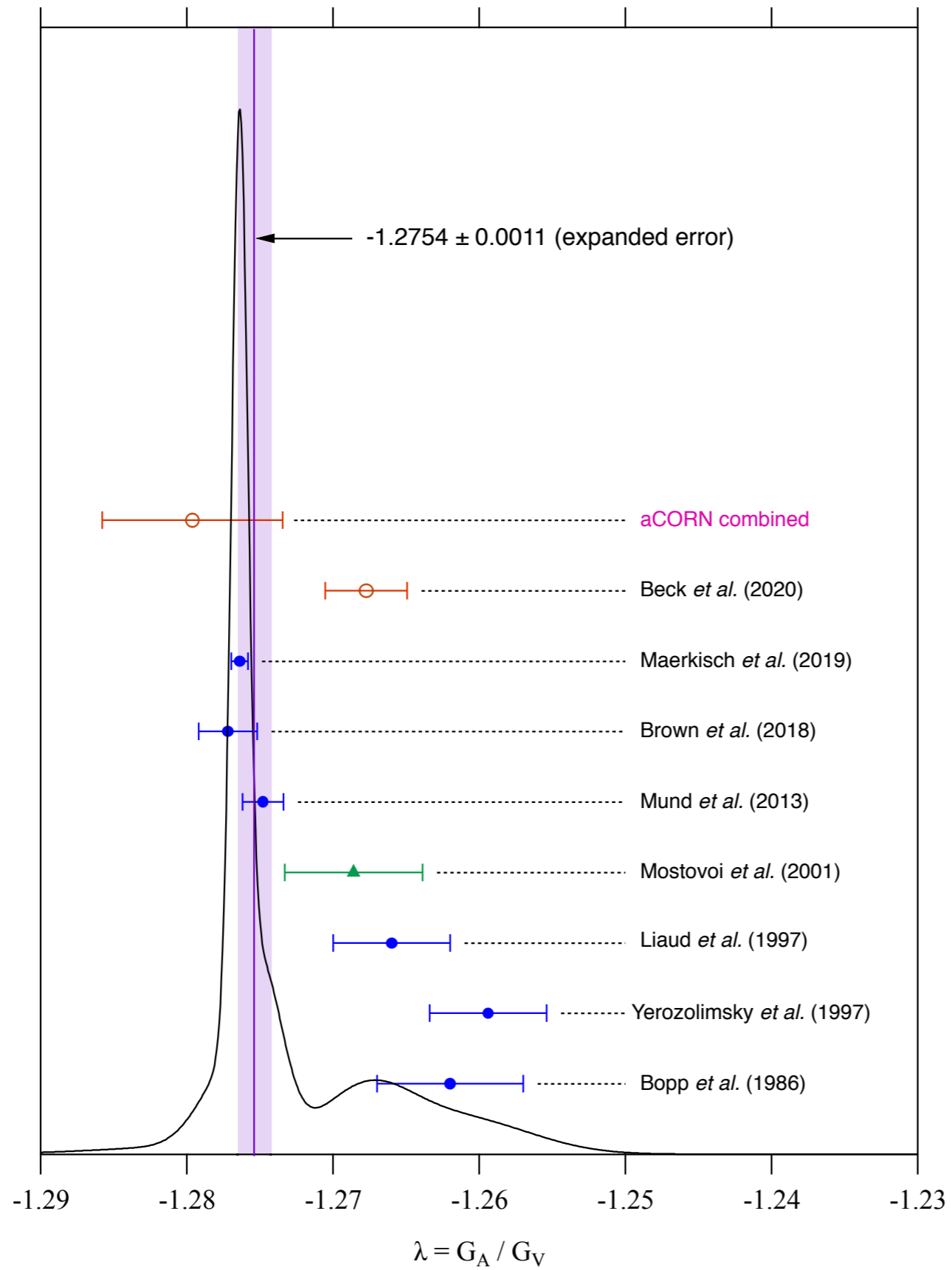
Agreement!

aCORN NG-C Result

systematic	correction	1σ uncertainty	relative uncertainty
<i>e</i> scattering	-0.00083	0.00083	0.0077
wishbone asymmetry		0.00064	0.0060
residual gas		0.00048	0.0045
proton scattering		0.00038	0.0035
beta energy calibration		0.00030	0.0028
electrostatic mirror	0.00161	0.00032	0.0030
absolute magnetic field	0.00023	0.00023	0.0022
energy loss in grid	-0.00111	0.00022	0.0020
proton collimator alignment	0.00046	0.00020	0.0019
magnetic field shape	0.00018	0.00011	0.0010
electrostatic mirror alignment	0.00025	0.00009	0.0008
neutron beam density	-0.00045	0.00009	0.0008
proton focusing	0.00036	0.00055	0.0051
total systematic	0.00070	0.00148	0.0137
statistical		0.00136	0.0126
combined uncertainty		0.00201	0.0186

$a = -0.1076 \pm 0.0014$ (stat) ± 0.0015 (sys); 1.9%
Hassan, *et al.* Phys. Rev. C **103**, 045502 (2021)





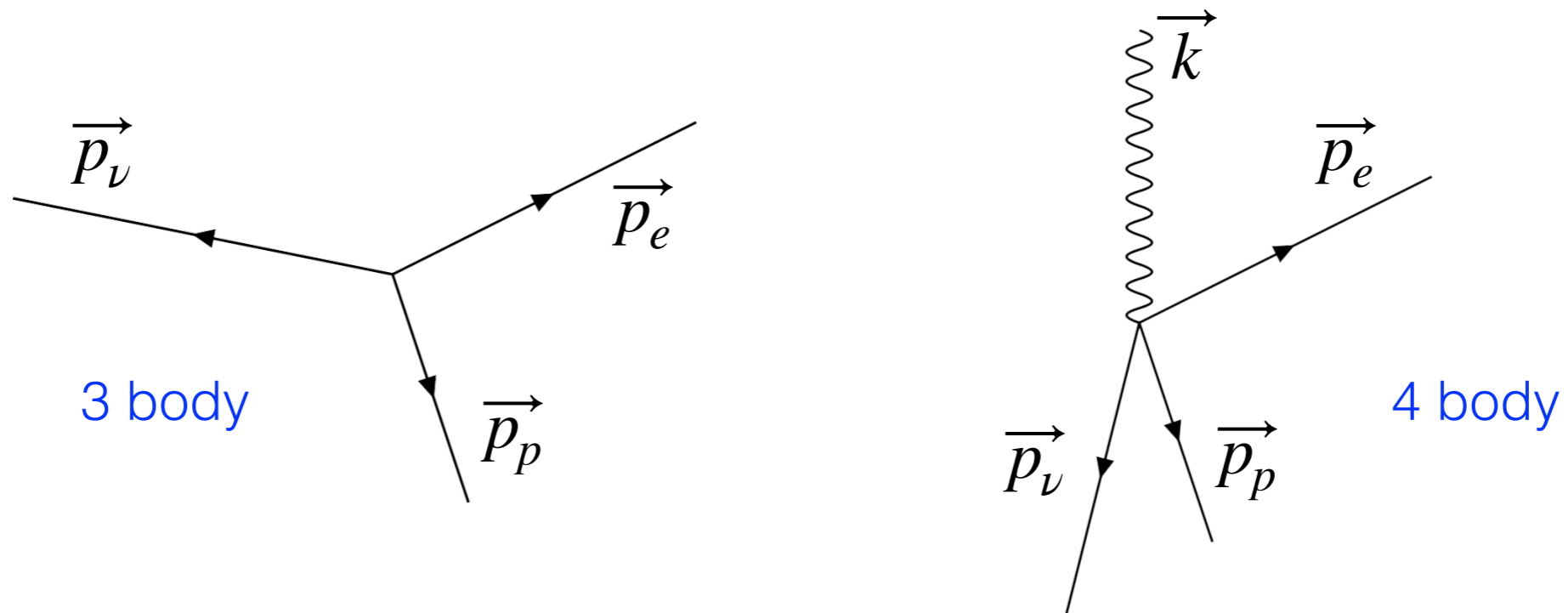
4-body radiative correction

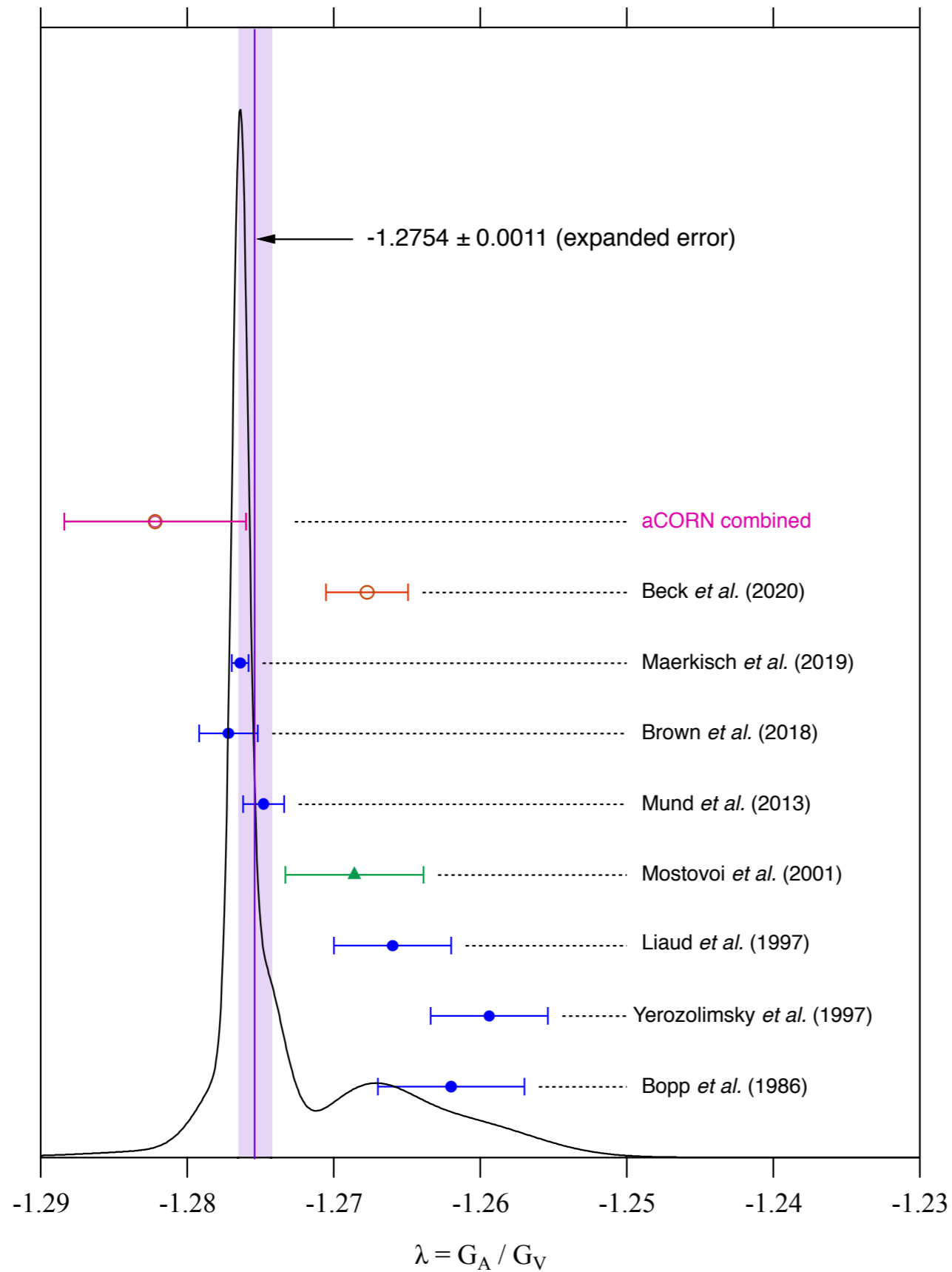
Radiative corrections to neutron and nuclear β -decays: a serious kinematics problem in the literature

Ferenc Glück*¹

¹Karlsruhe Institute of Technology, IAP, 76021 Karlsruhe, POB 3640, Germany

arXiv:2205.05042 (May 2022)





including the
calculated order- α 4-body
radiative correction

F. Glück,
Phys. Rev. D **47**, 47 (1993);
arXiv:2205.05042 (2022)

-0.7% shift!
(preliminary)

aCORN B

A precision measurement of the neutrino asymmetry (B -coefficient)
in free neutron decay

$$dW \propto \frac{1}{\tau} F(E_e) \left[1 + a \frac{\vec{p}_e \cdot \vec{p}_\nu}{E_e E_\nu} + b \frac{m_e}{E_e} + A \frac{\vec{\sigma}_n \cdot \vec{p}_e}{E_e} + \underbrace{B \frac{\vec{\sigma}_n \cdot \vec{p}_\nu}{E_\nu}}_{\text{circled}} + D \frac{\vec{\sigma}_n \cdot (\vec{p}_e \times \vec{p}_\nu)}{E_e E_\nu} \right]$$

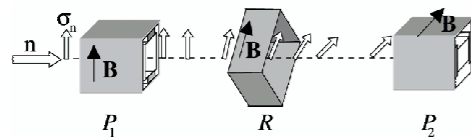
Systematics

	correction	σ
electrostatic mirror	0.0058	0.0012
absolute B field	-0.0001	0.0005
B field shape	0.0003	0.0008
proton soft threshold	-0.0031	0.0007
residual gas	0.0005	0.0005
e scattering	-0.0015	0.0015
beta spect. energy cal.		0.00031
proton collimator alignment		0.0005
p scattering	0.00041	0.00050
wishbone asymmetry calc.		0.0008
total systematic	0.0023	0.0026

Polarization and Polarimetry

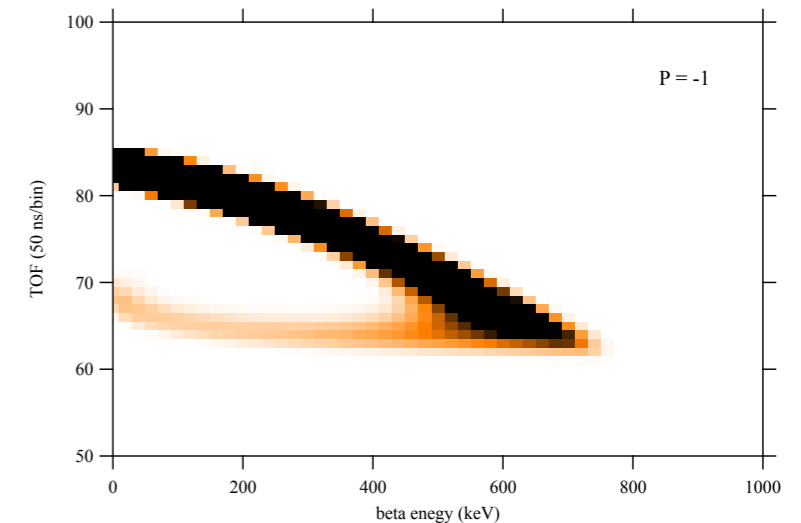
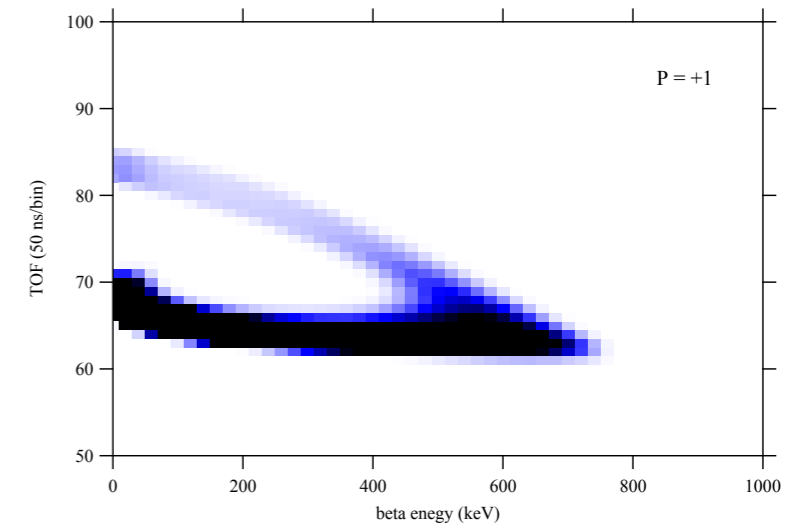
assume the PERKEO II crossed supermirror
polarizer (XSM) scheme
[Mund, et al., PRL 110, 172502 (2013)]

achieved: $P = 0.997 \pm .001$
 $s = 0.998 \pm .001$



all but two are strongly
cancelled by the spin flip

$$\text{goal: } \frac{\sigma_B}{B} < 0.003 \text{ (sys)}$$

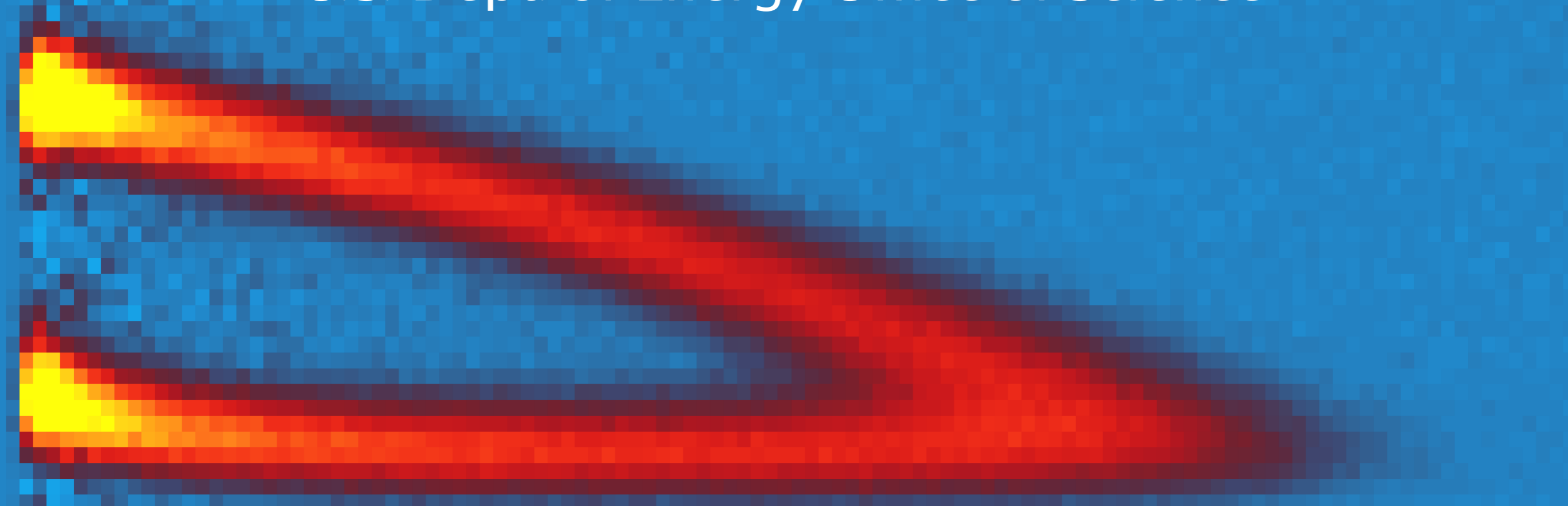


We gratefully acknowledge support from:

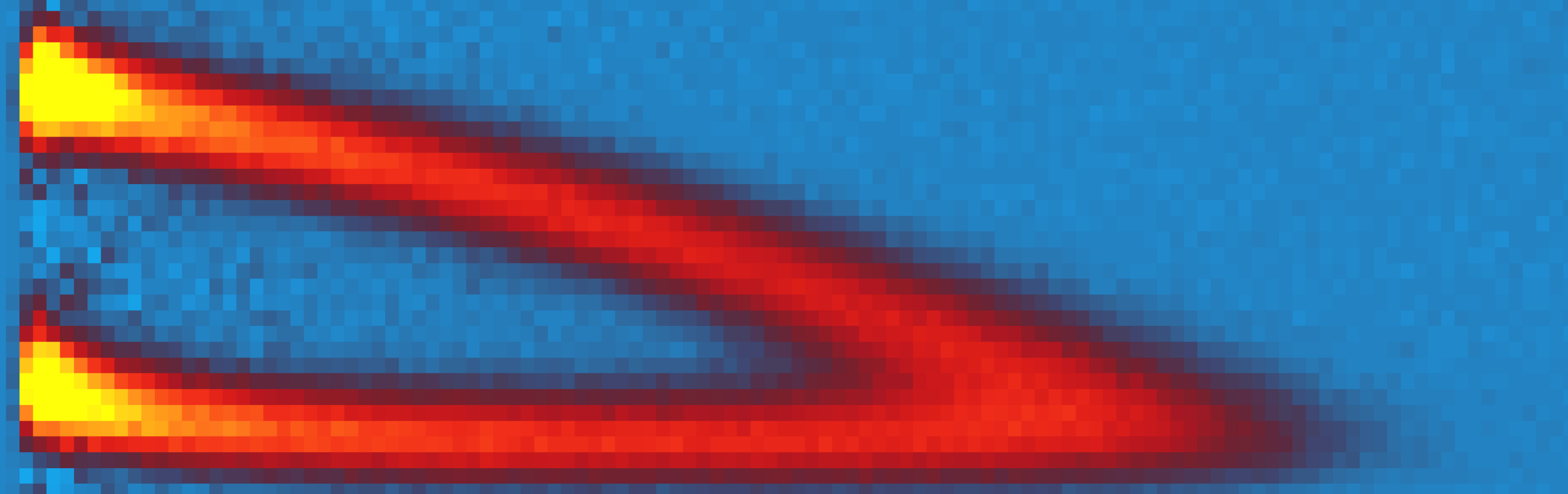
National Science Foundation

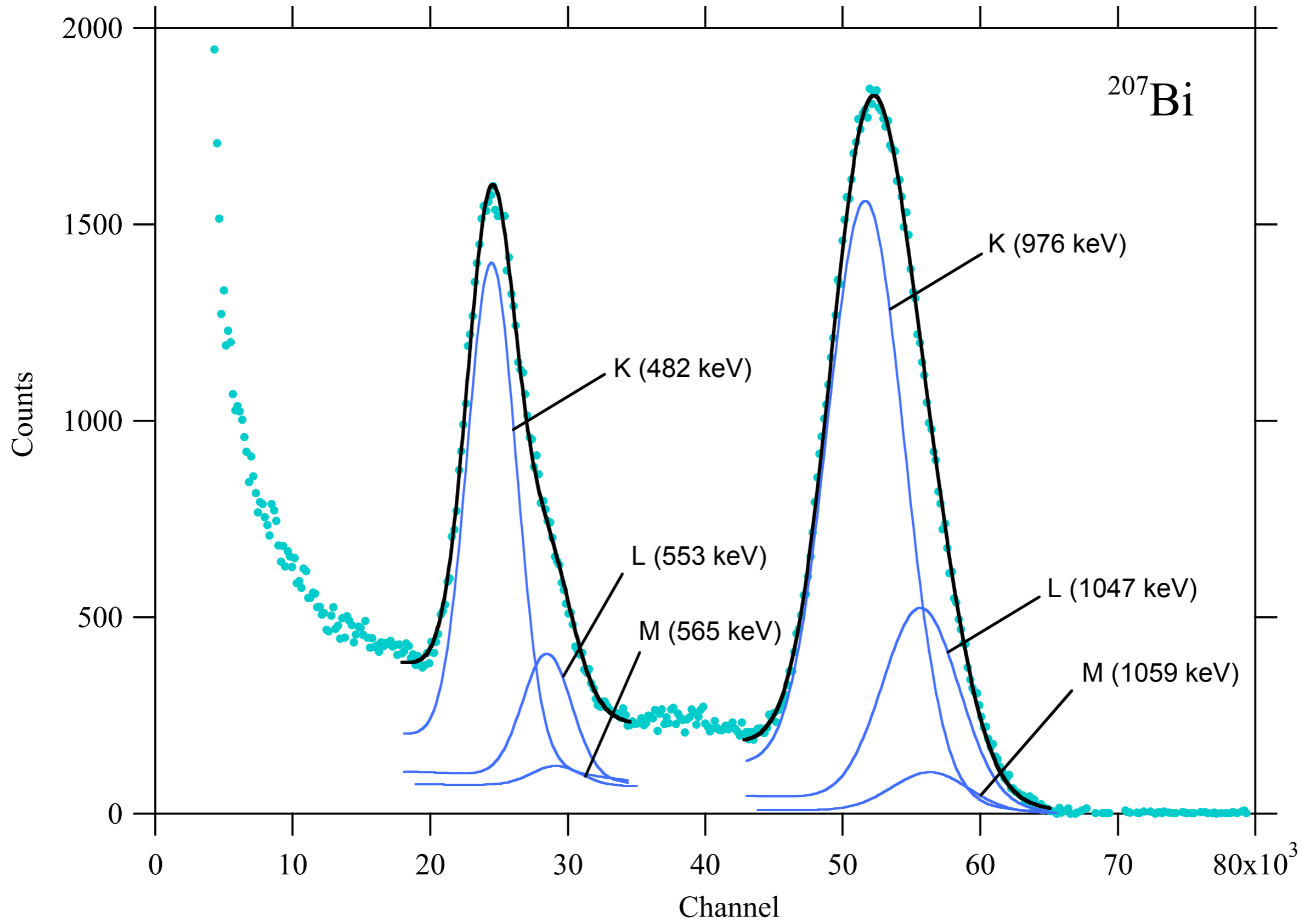
NIST, U.S. Dept. of Commerce

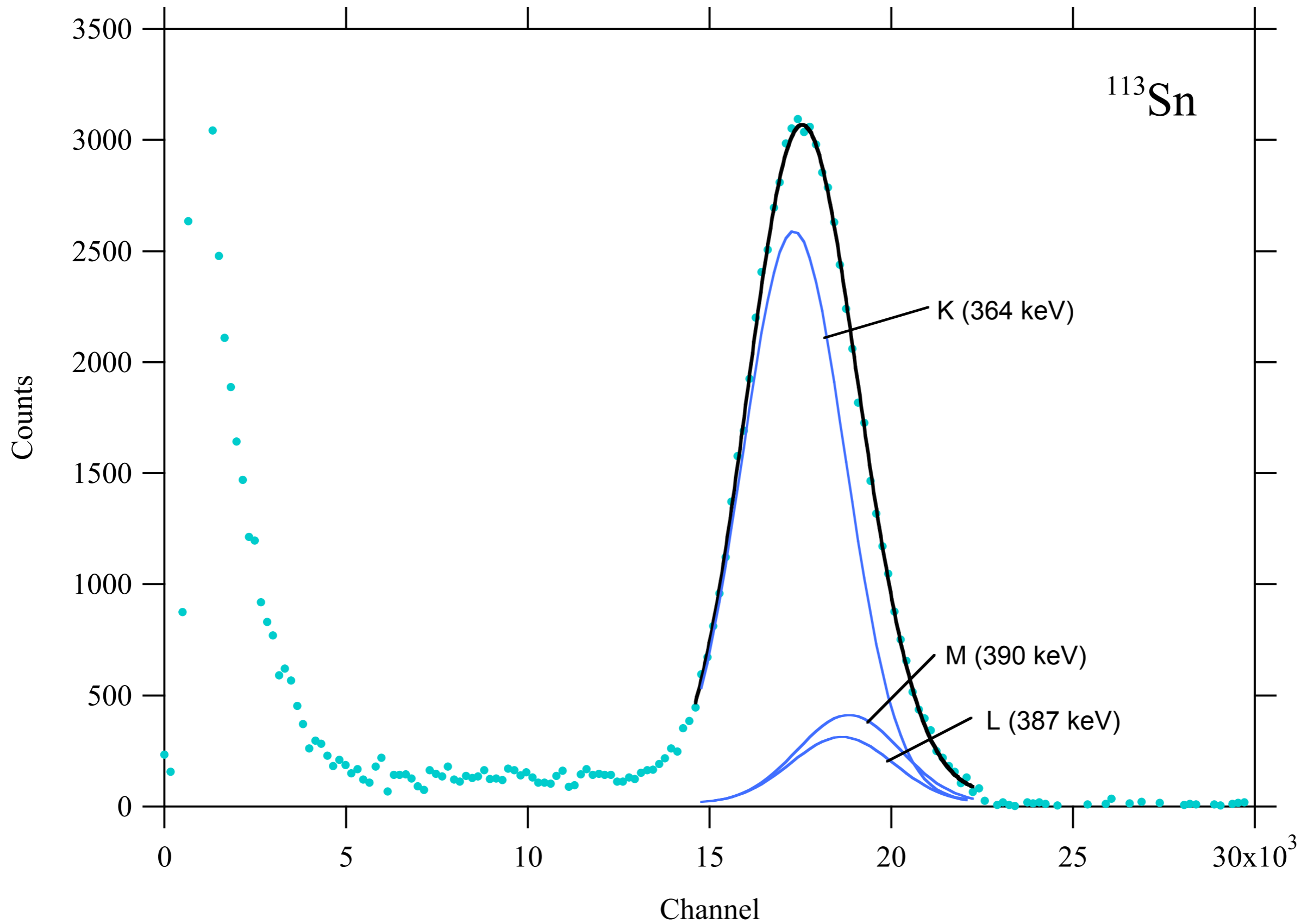
U.S. Dept. of Energy Office of Science



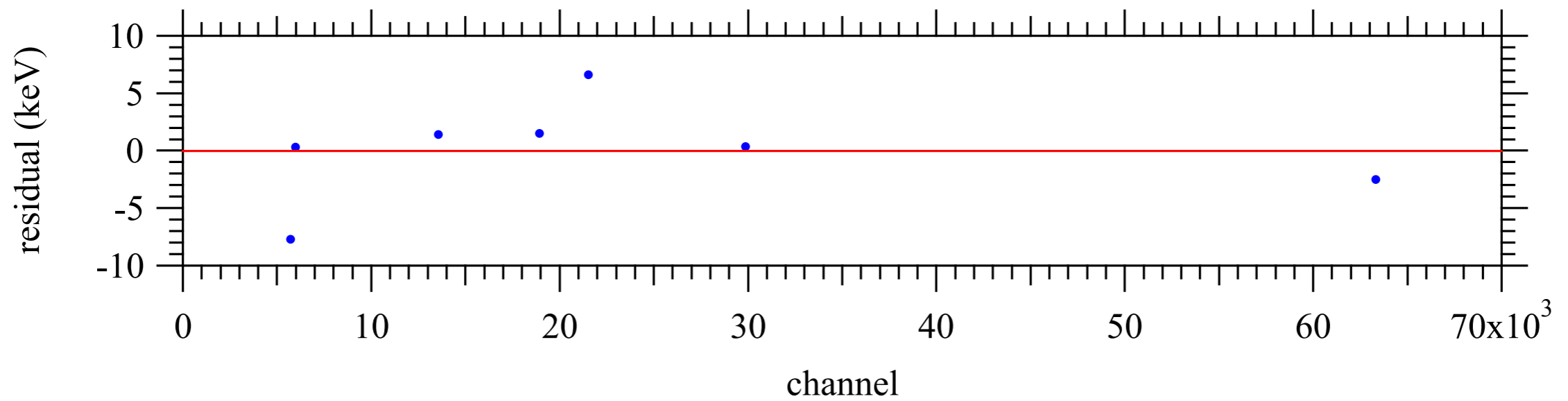
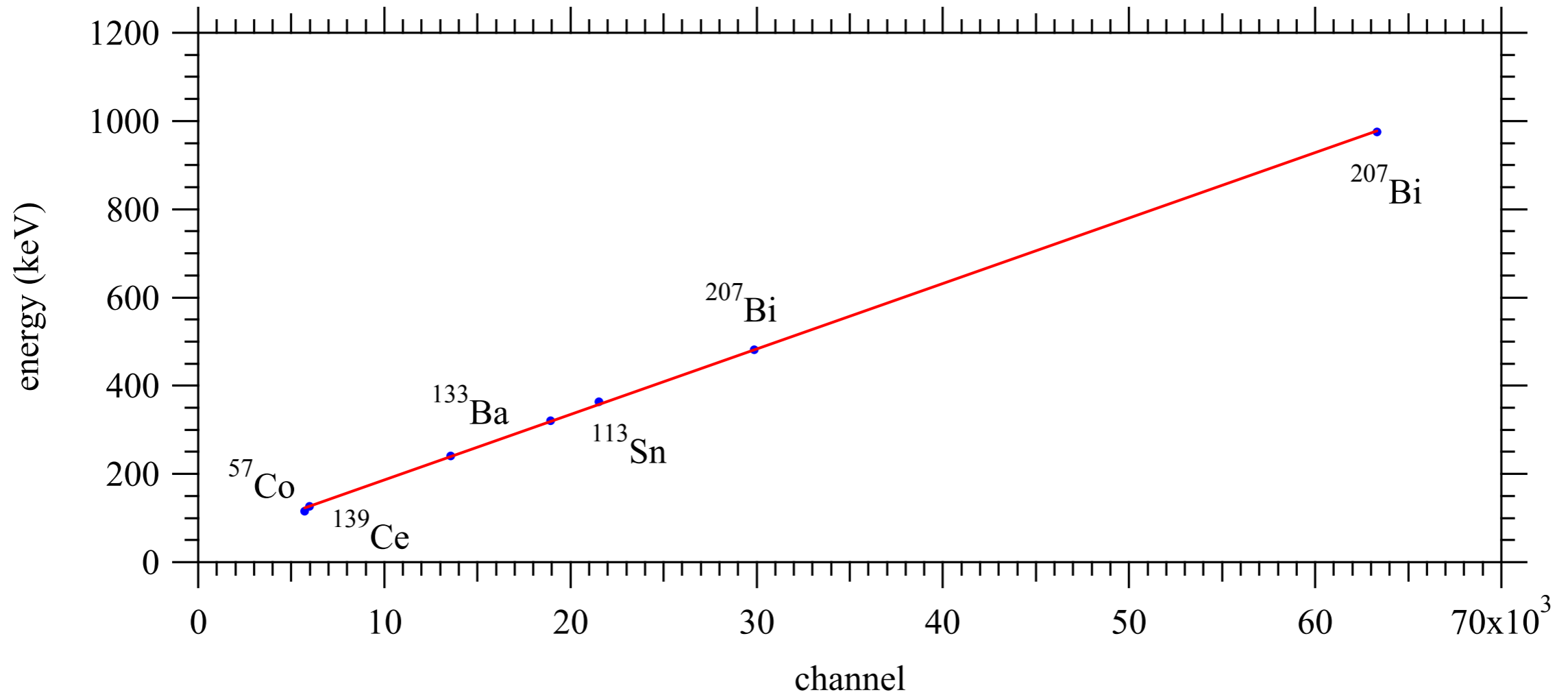
Thank you!



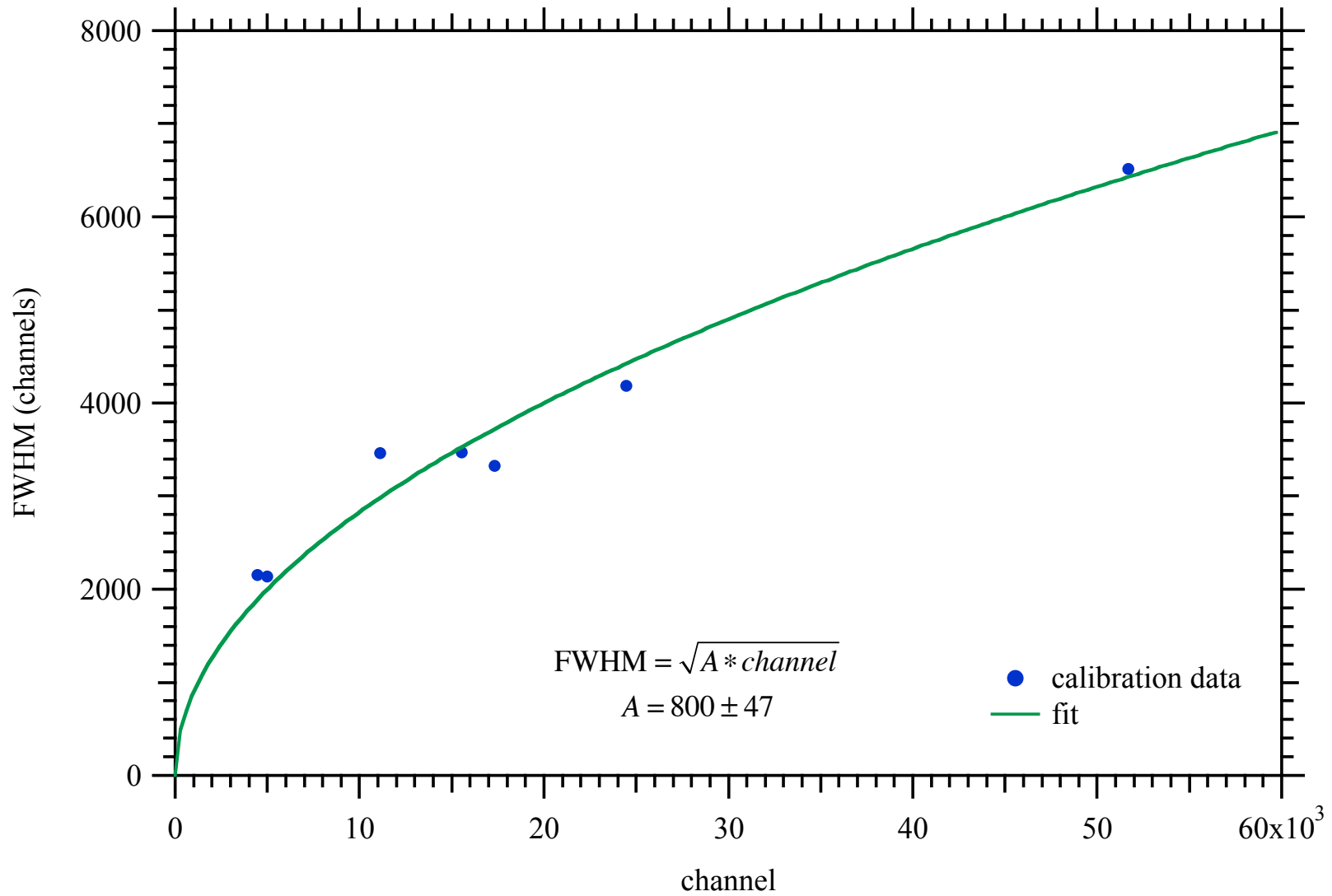




Beta Spectrometer Energy Response



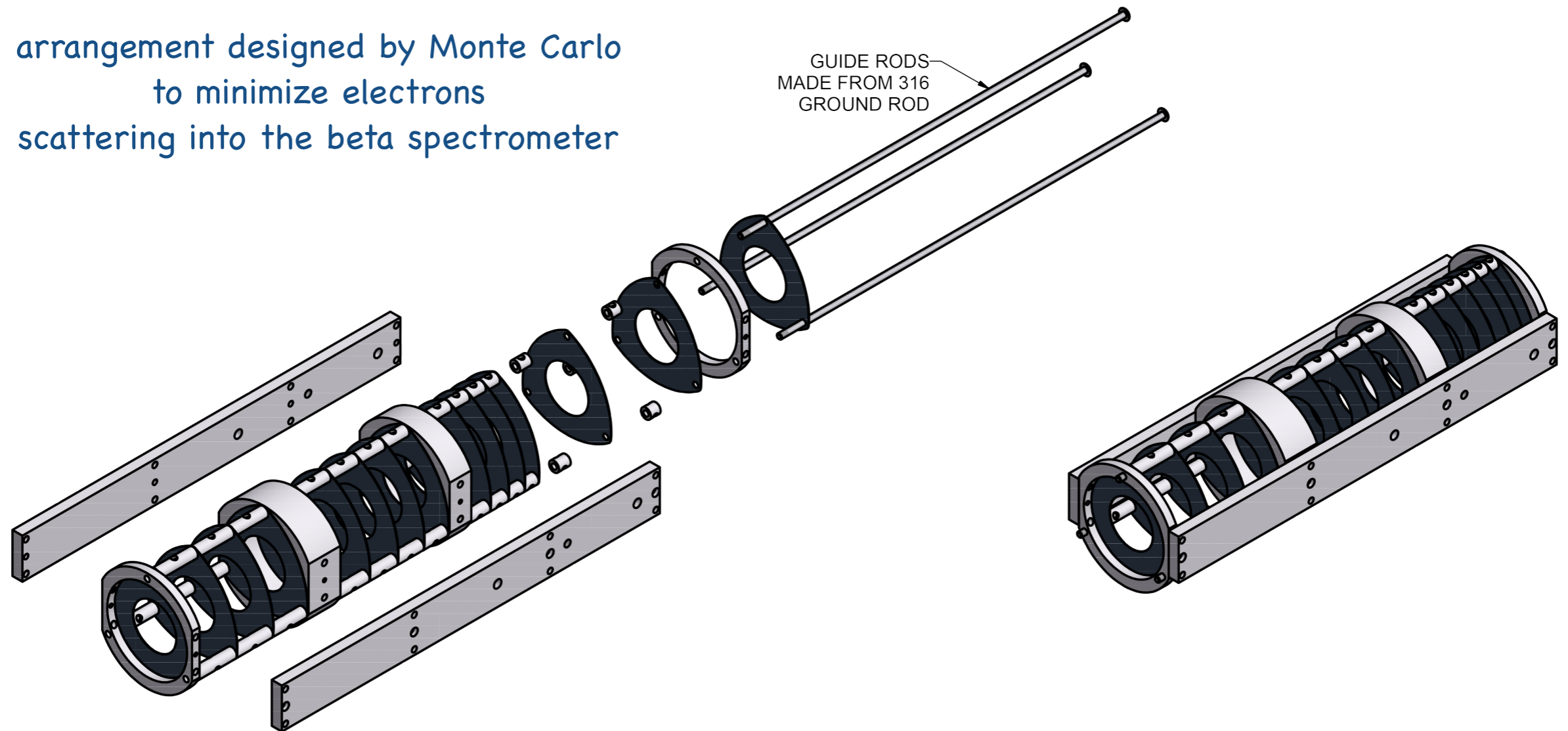
Beta Spectrometer Energy Resolution (FWHM)



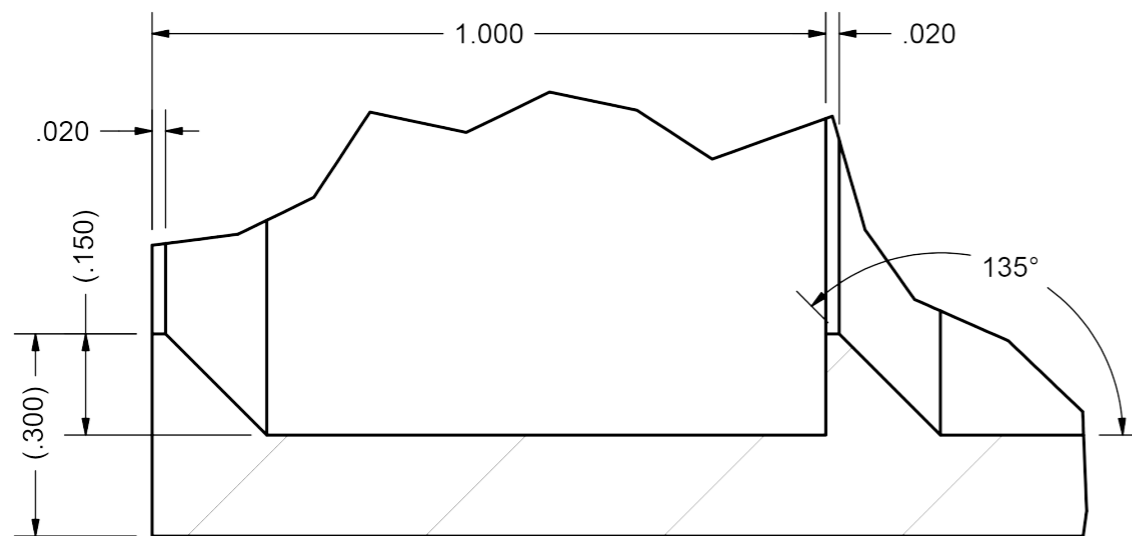
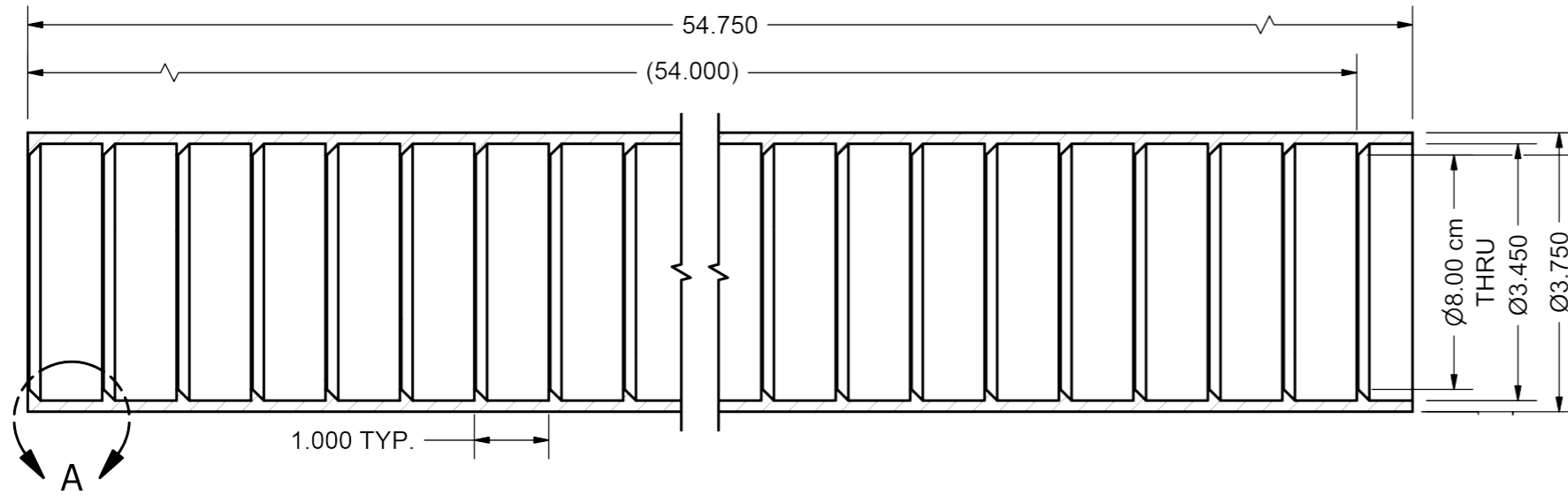
Beta Collimator

17 x 0.5 mm precision cut
tungsten collimation elements
with graded spacing
axes aligned to 0.005"

arrangement designed by Monte Carlo
to minimize electrons
scattering into the beta spectrometer



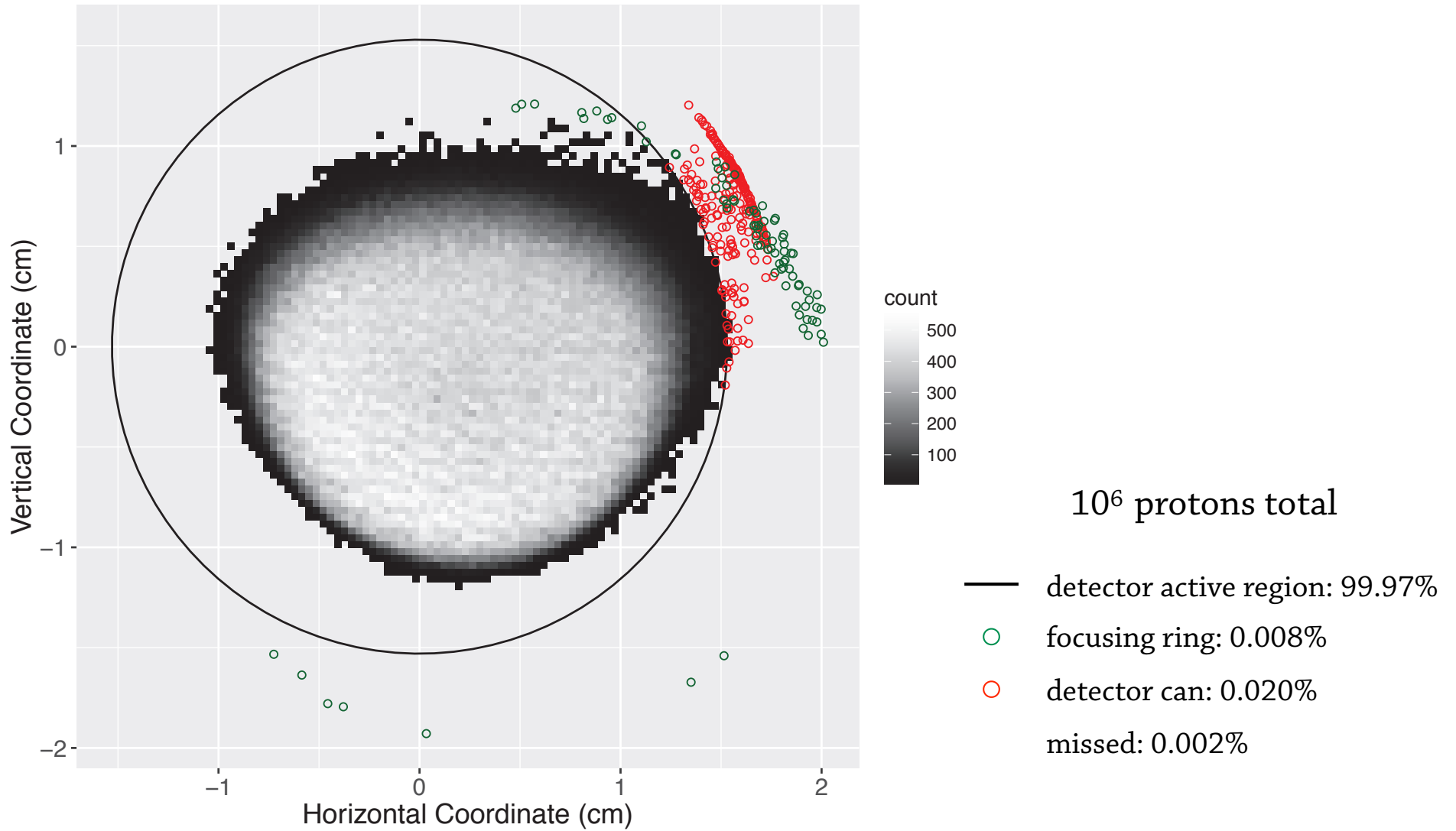
Proton collimator



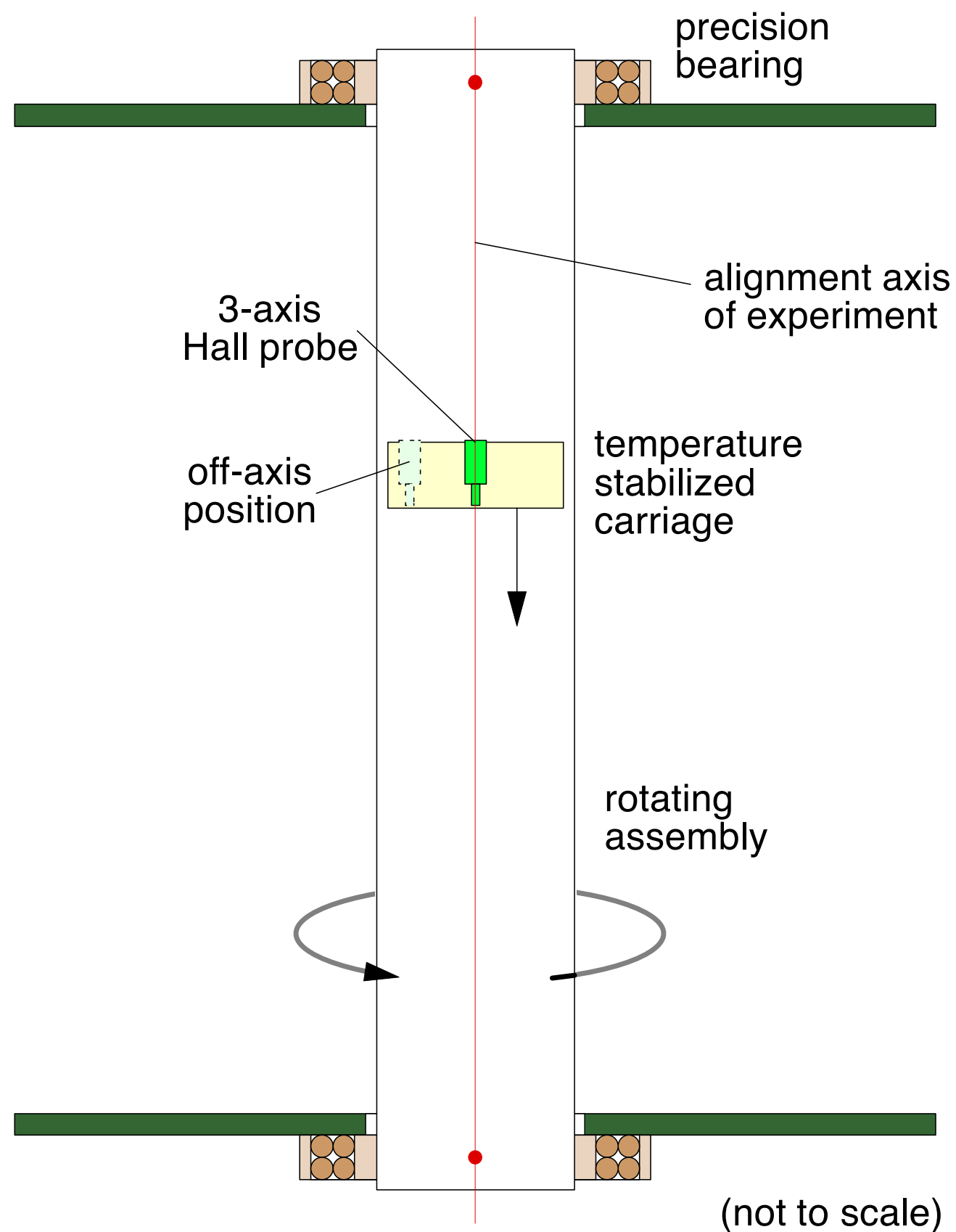
DETAIL A, TYP. 55 PLACES

140 cm long monolithic Al tube
with 55 precision-turned
collimation elements

Proton Focusing Simulation



aCORN magnetic field mapper



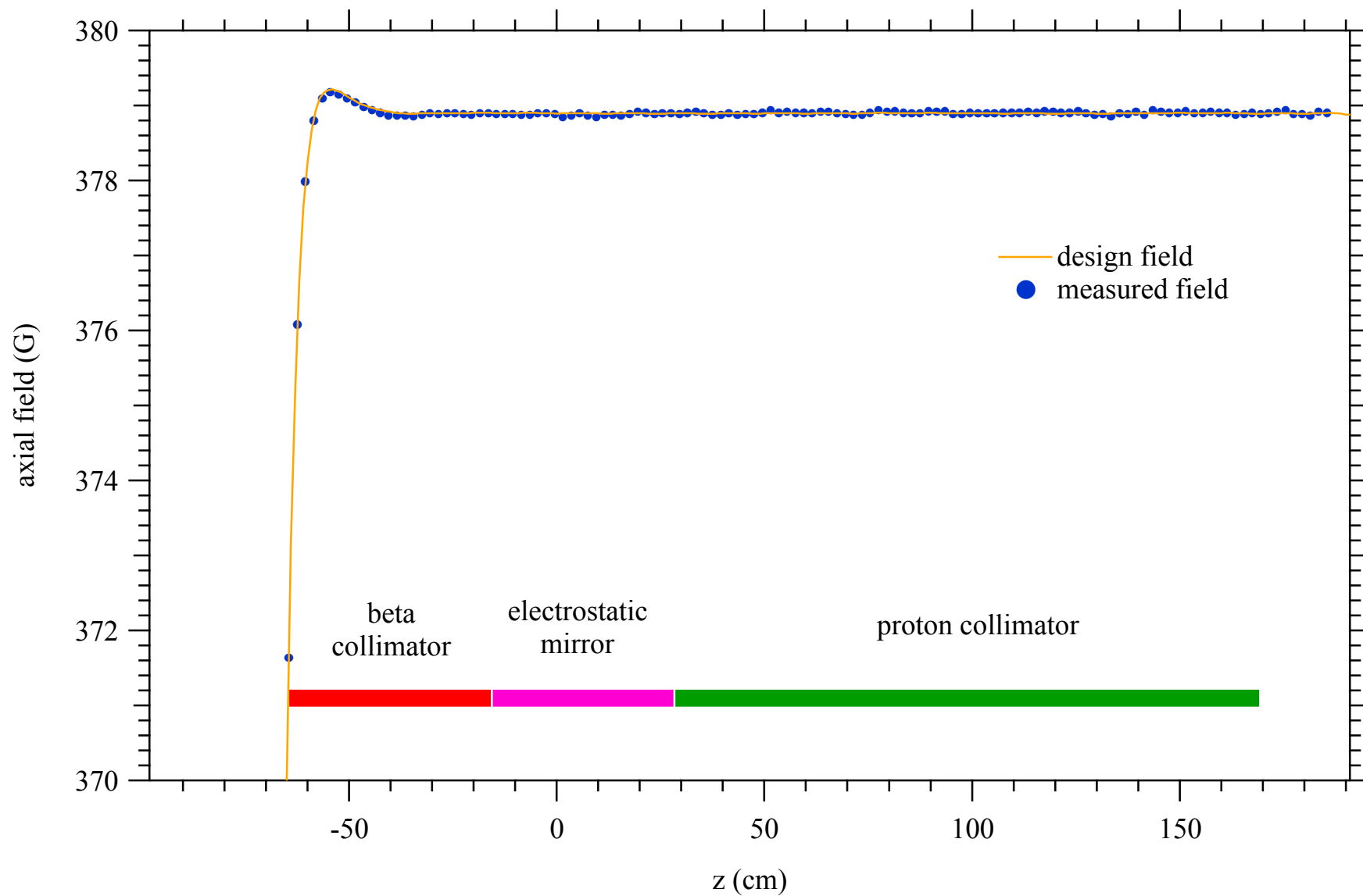
Precision bearings at top and bottom define a precise alignment axis.

Computer-controlled servo motors rotate and translate the mapper to separate axial and transverse field components.

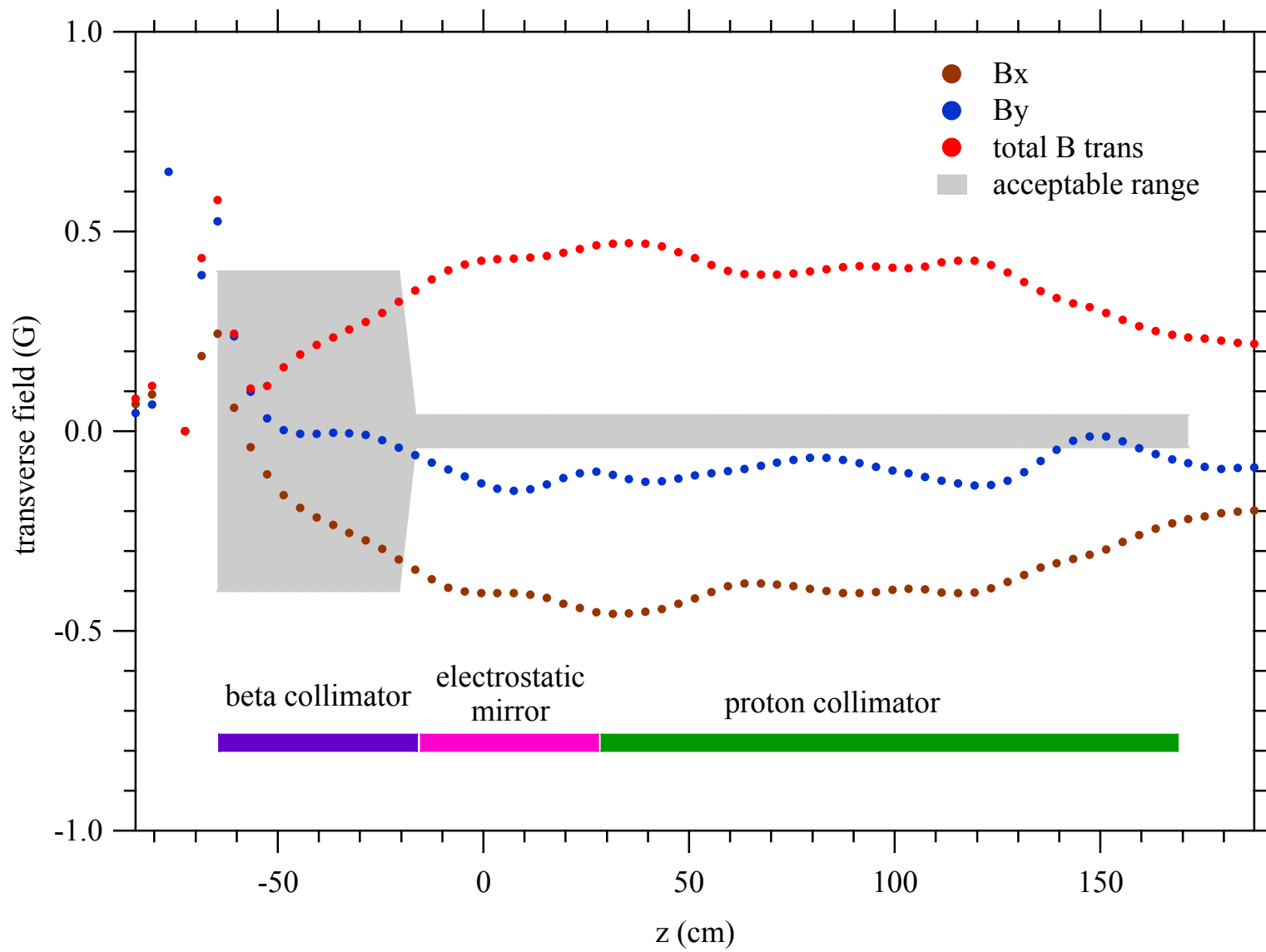
The off-axis Hall probe measures field gradients.

The collimation insert is later optically aligned to the bearing centers.

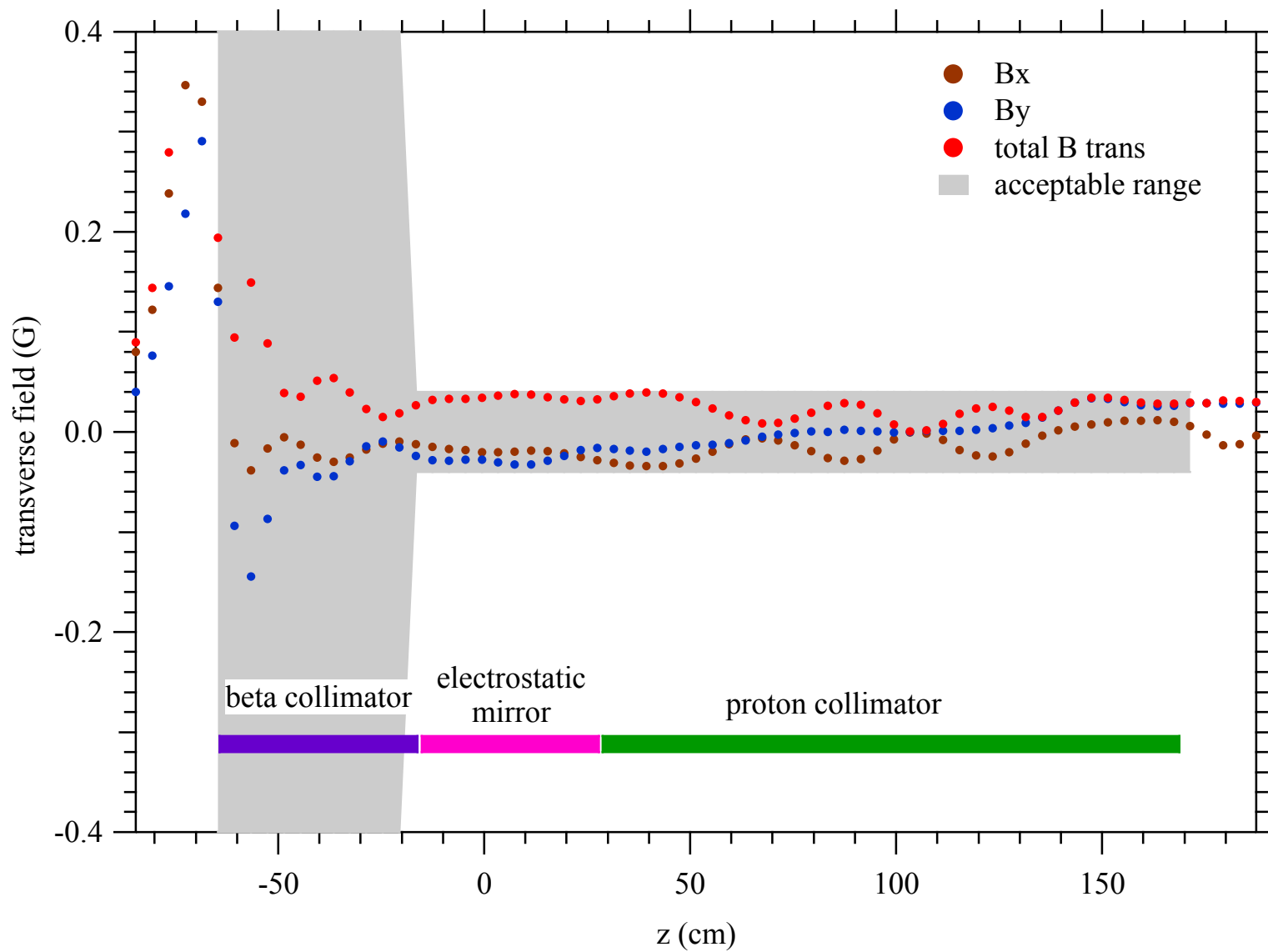
aCORN Axial Magnetic Field



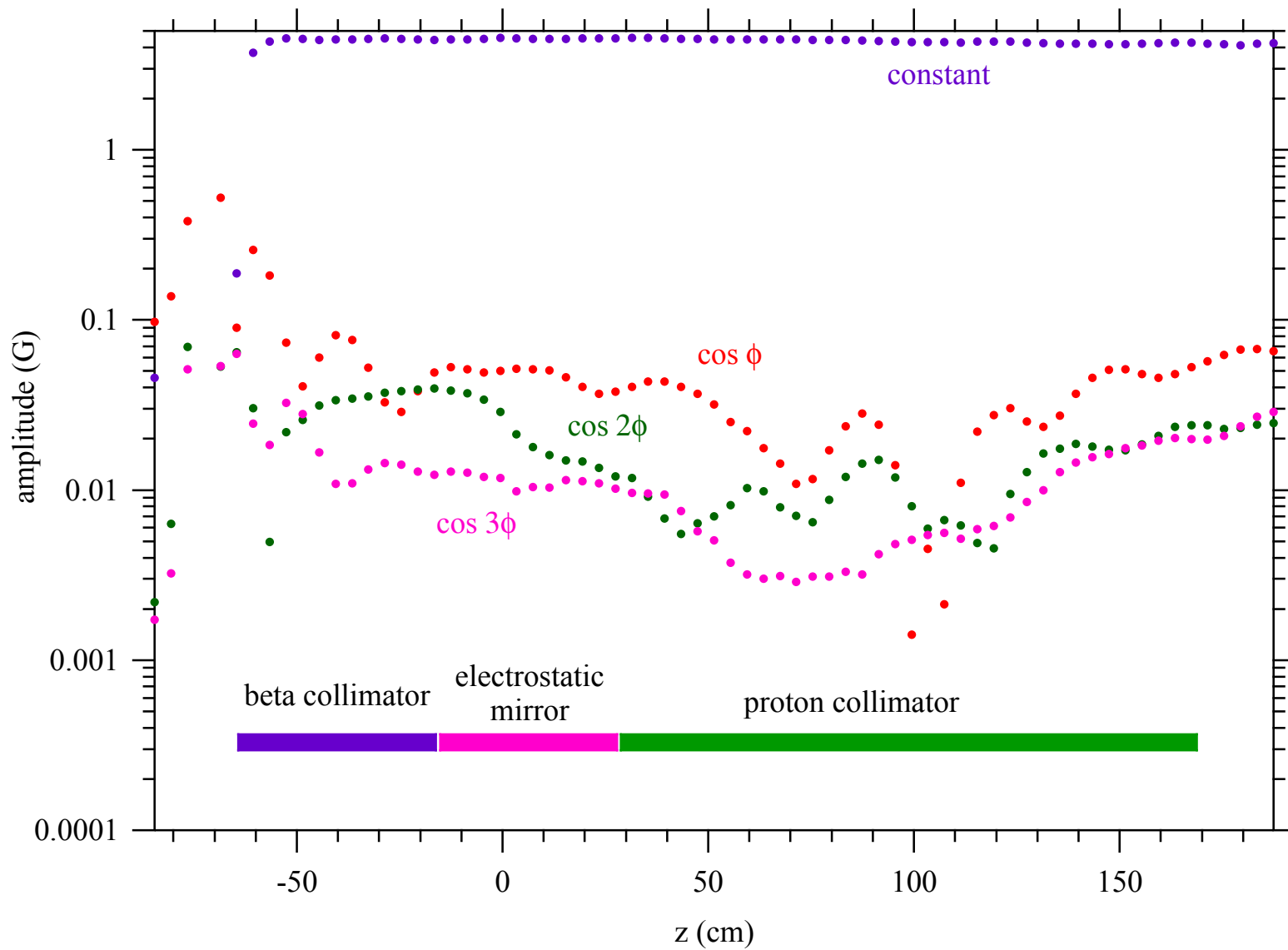
Transverse Field Map with No Transverse Trim



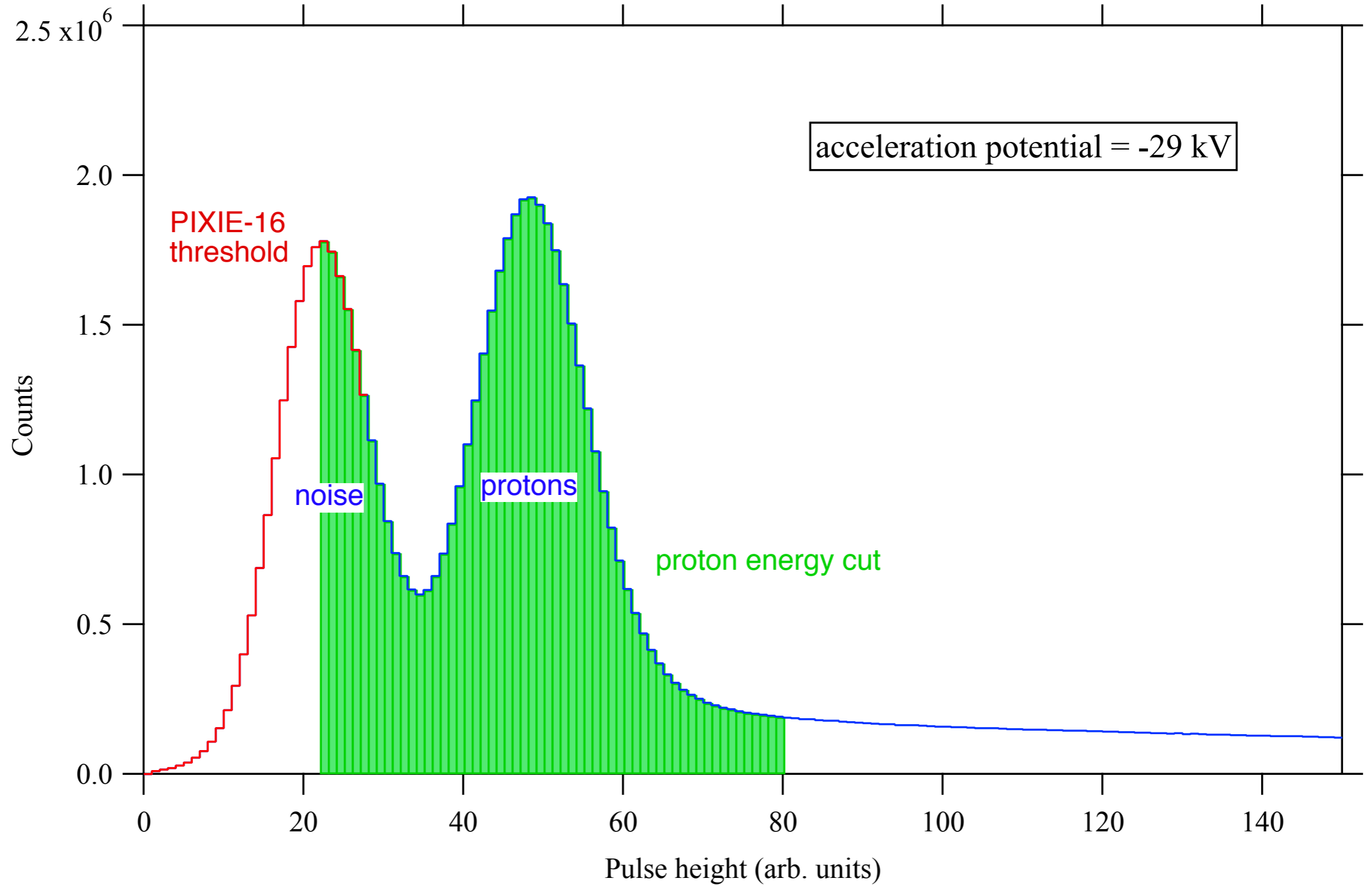
Transverse Field Map with Transverse Trim



Transverse Decomposition, With Transverse Trim, V Probe



Proton Energy Spectrum



Electrostatic mirror correction

detailed 3D COMSOL model of NG-6 mirror

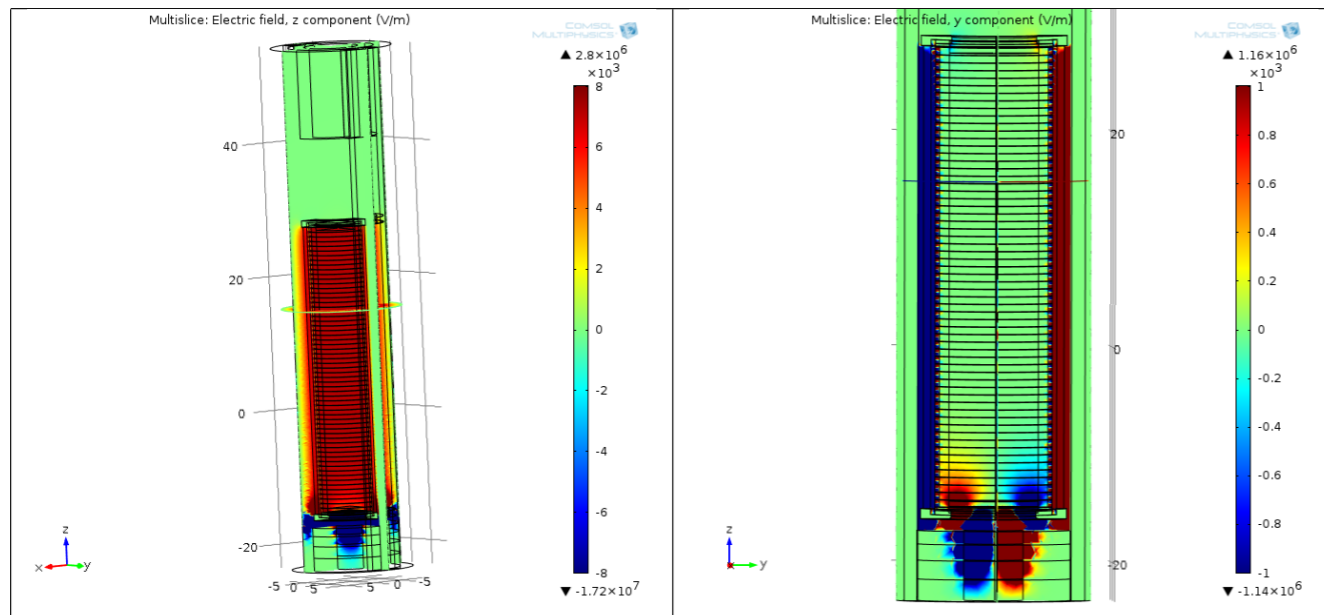
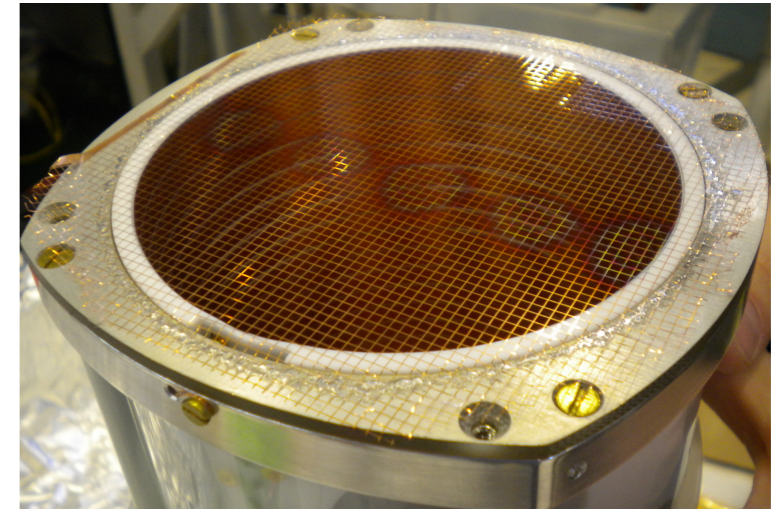
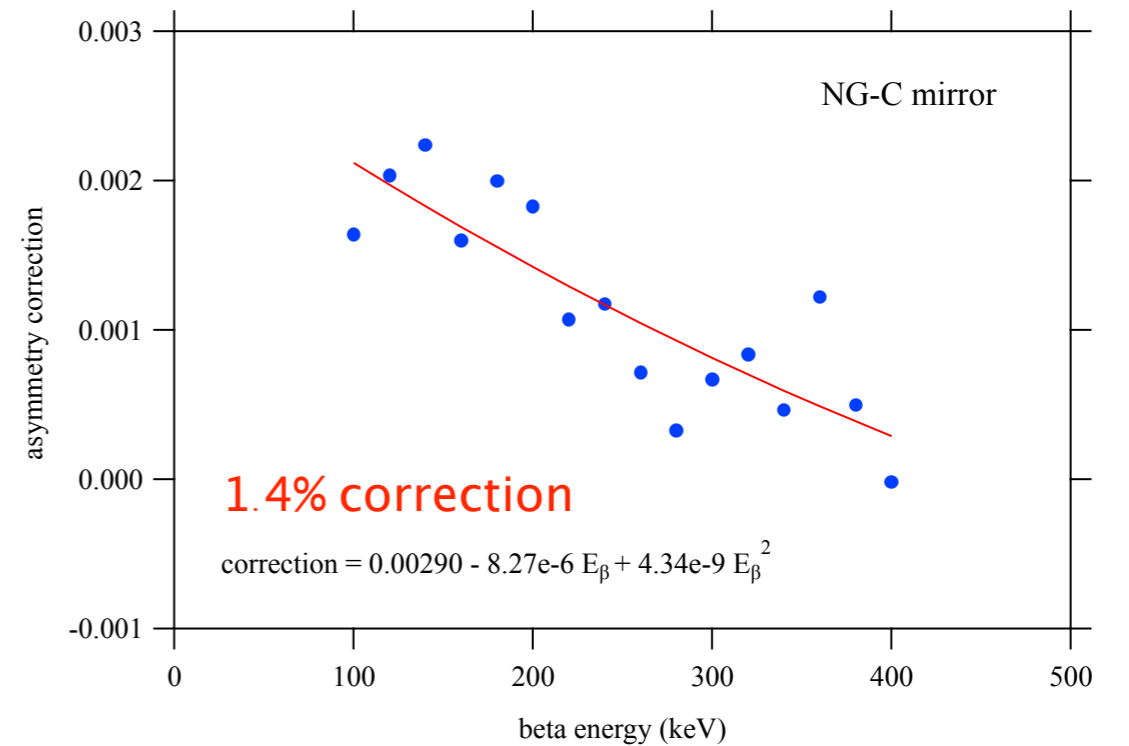
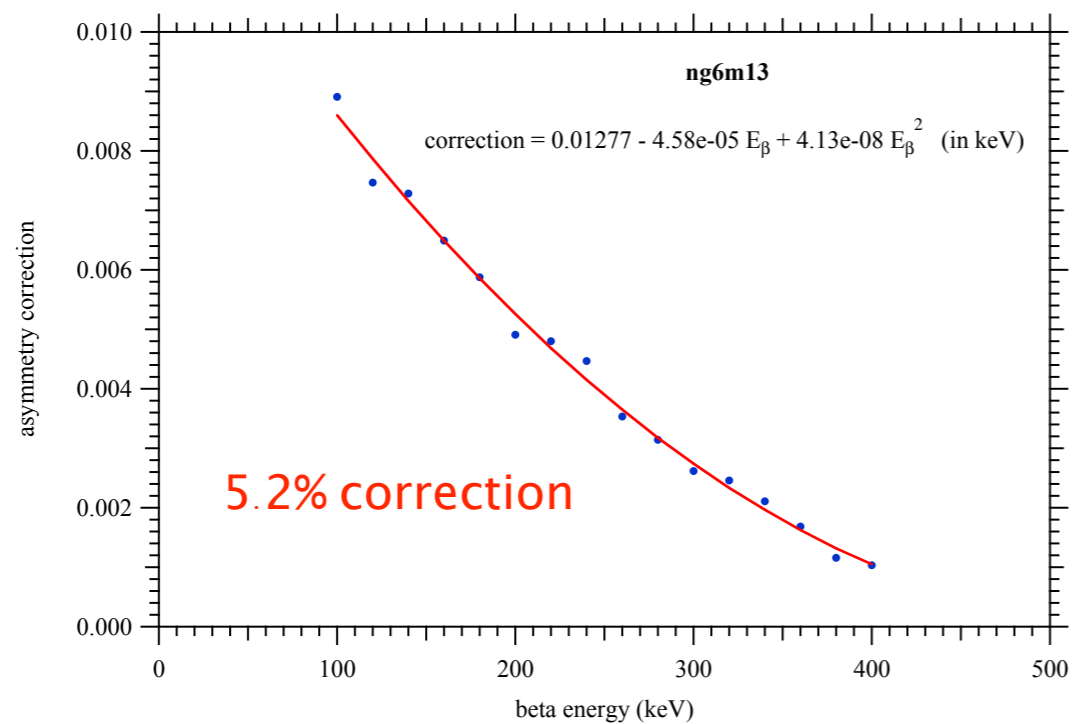


Figure 2: Axial (l) and Transverse (r) Electric fields in NG6Mirror13

crossed wire top grid (NG-C)



4th order RK p transport simulation



Beta backscatter systematic correction

