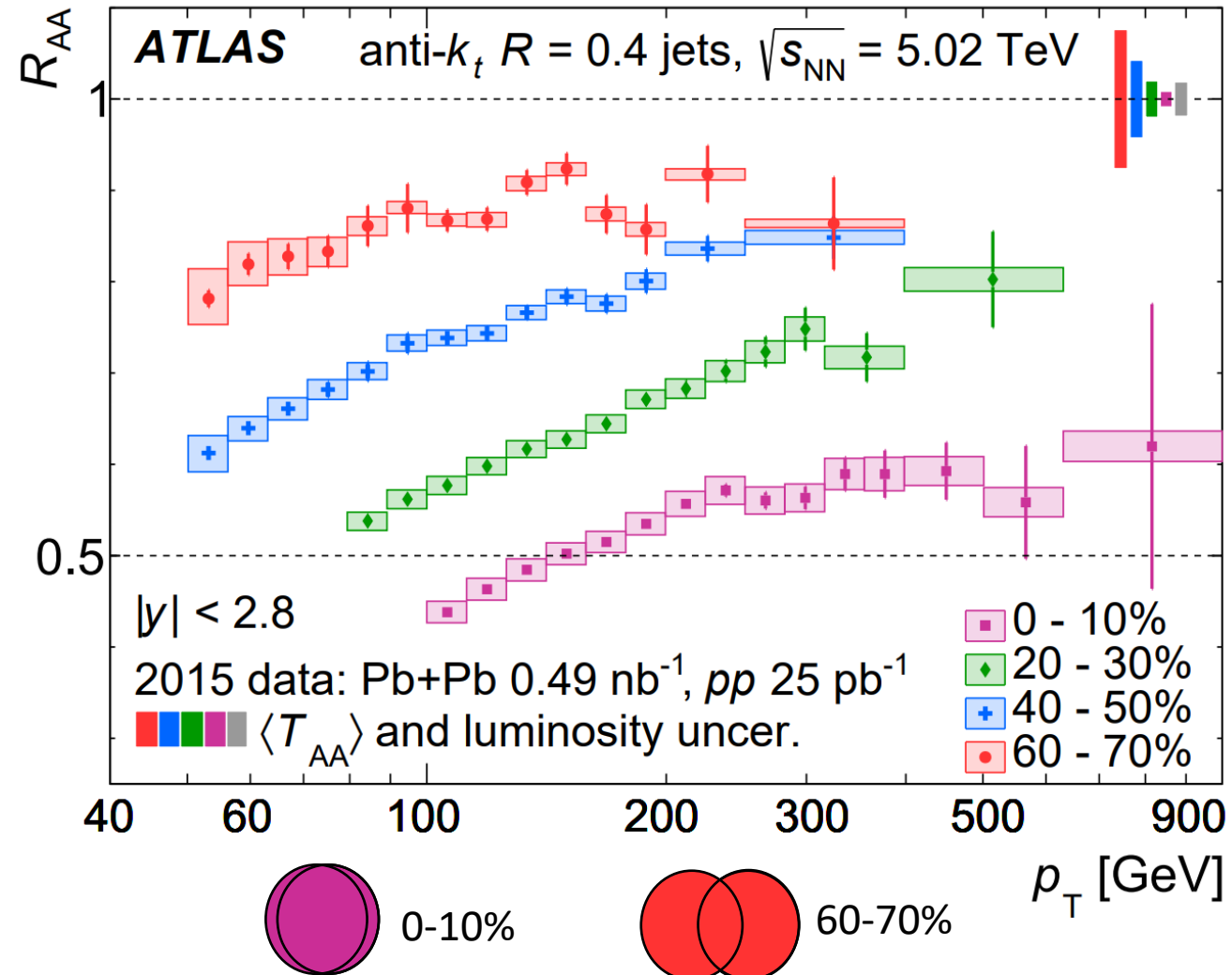


Dijet Measurements in Heavy Ion Collisions

Timothy Rinn

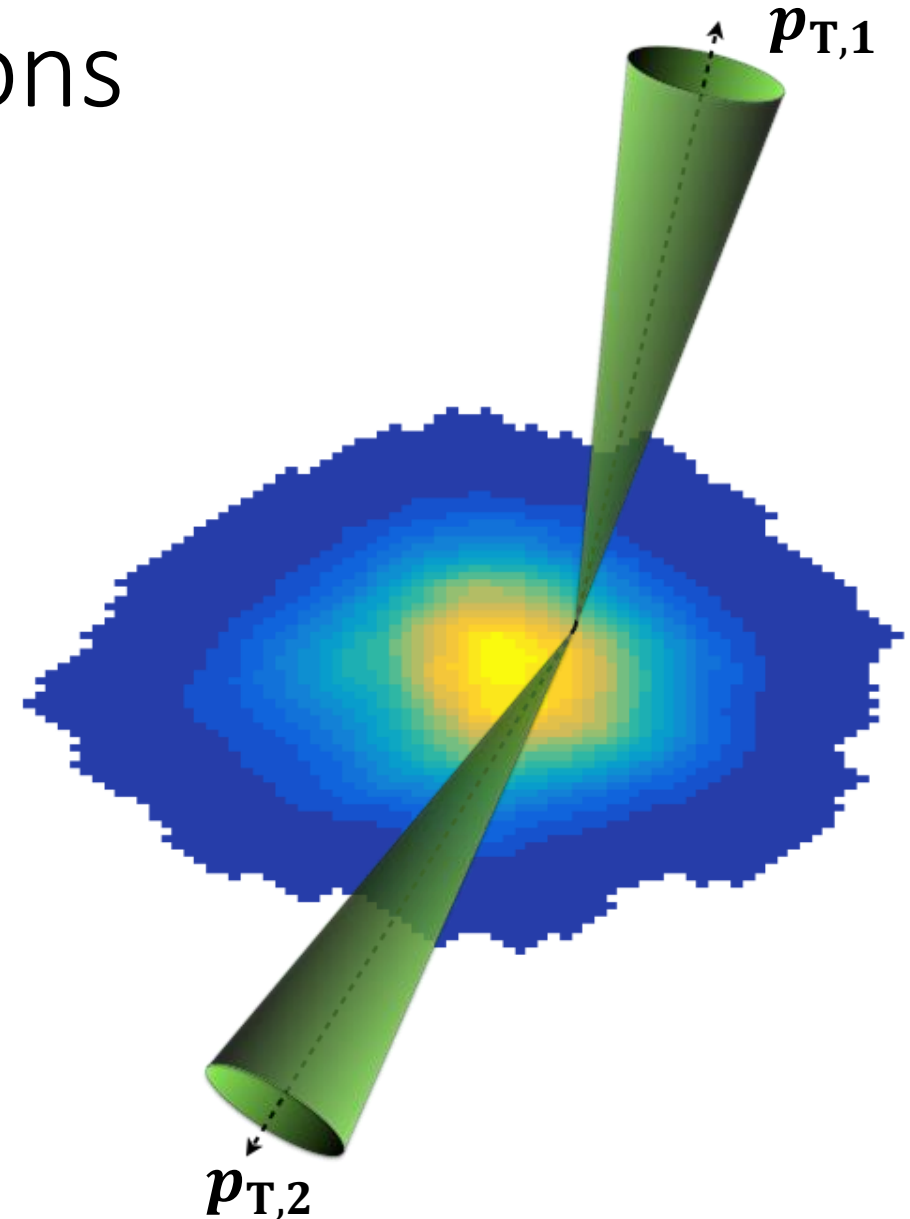
Jet quenching in heavy ion collisions

- Jet constituents lose energy while traversing the Quark Gluon Plasma
 - Results in phenomenon known as Jet Quenching
- R_{AA} provides key evidence of jet momentum modification
 - Differential measurements of jet modifications are needed to understand the mechanisms of jet energy loss



Dijets in heavy ion collisions

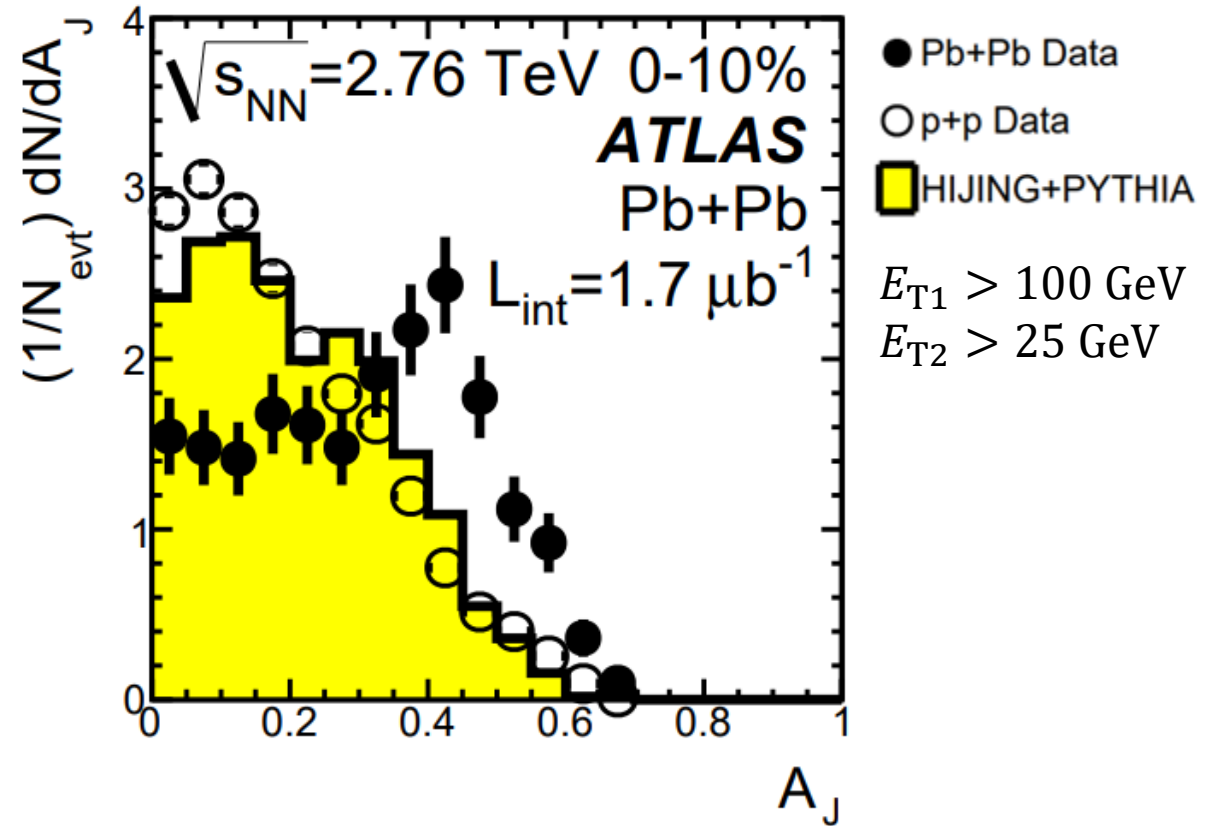
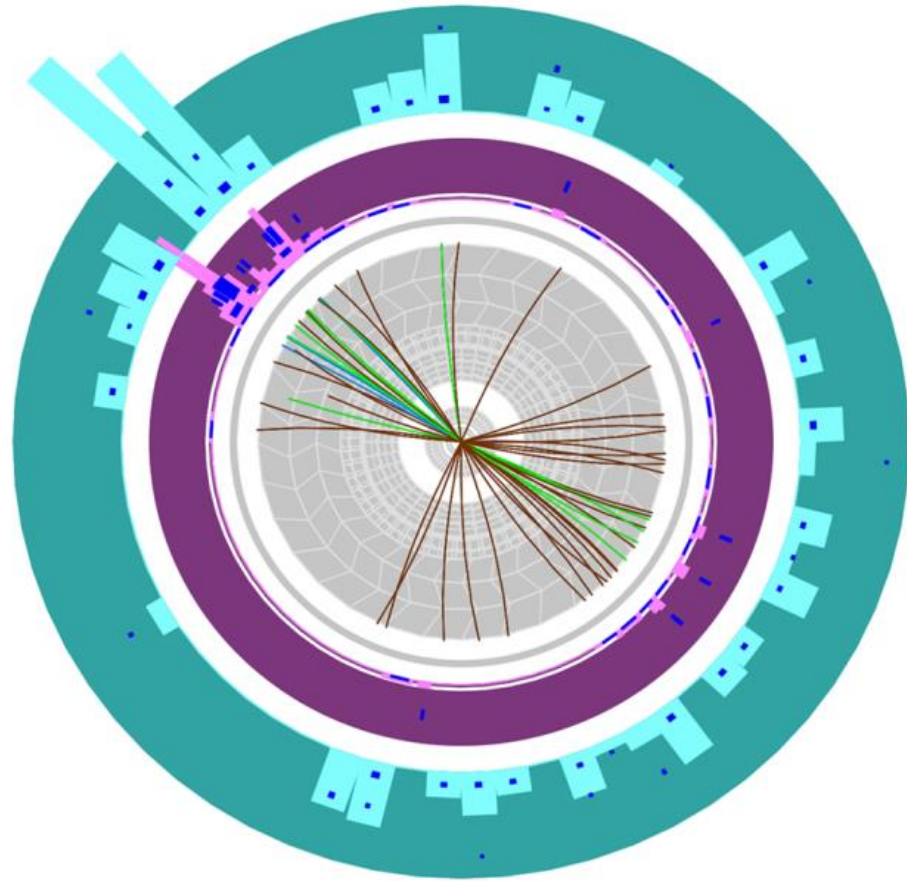
- Hard scattering processes produce balanced partons
 - Significant jet asymmetries observed in heavy ion collisions
- Back-to-back jet pairs provide access to asymmetric energy loss
 - Path length dependent energy loss
 - Energy loss fluctuations



$$A_J = \frac{E_{T1} - E_{T2}}{E_{T1} + E_{T2}}, \Delta\phi > \frac{\pi}{2}$$

Asymmetric energy loss

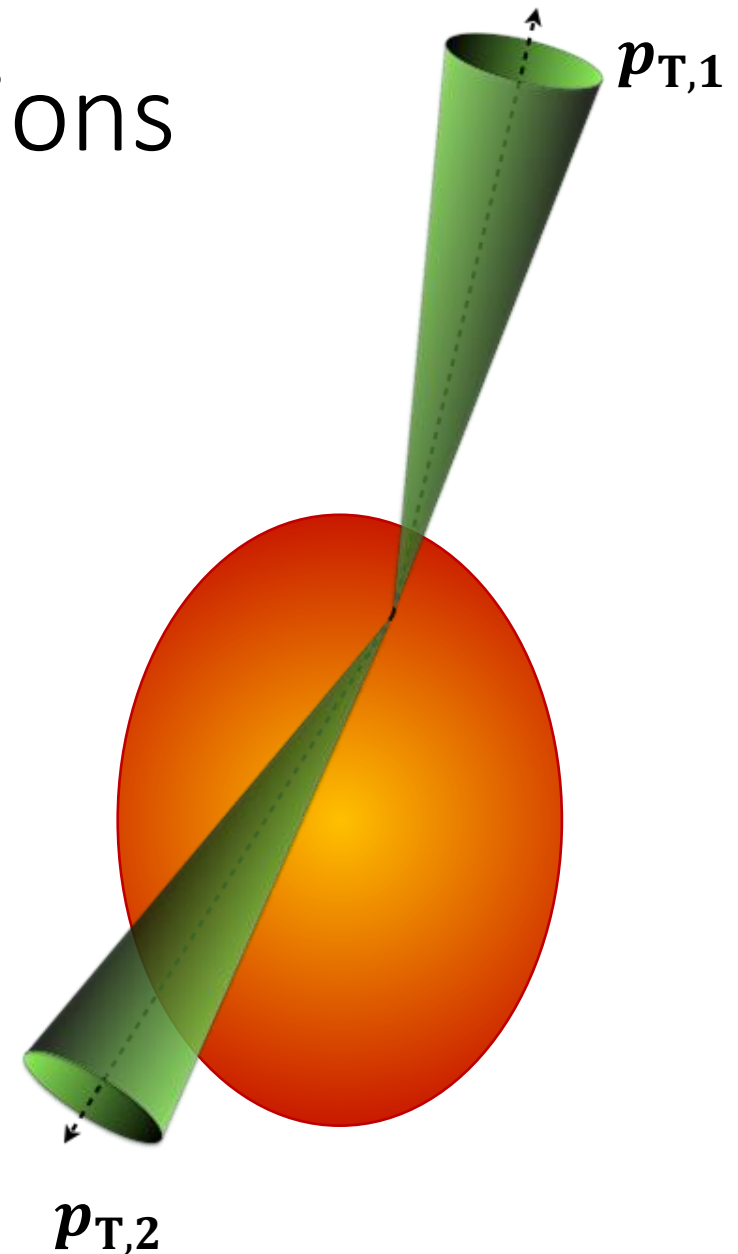
[Phys.Rev.Lett.105:252303,2010](https://arxiv.org/abs/1005.4552)



Early Dijet measurements in Pb+Pb collisions observed significant modifications of E_T balance of back-to-back jets

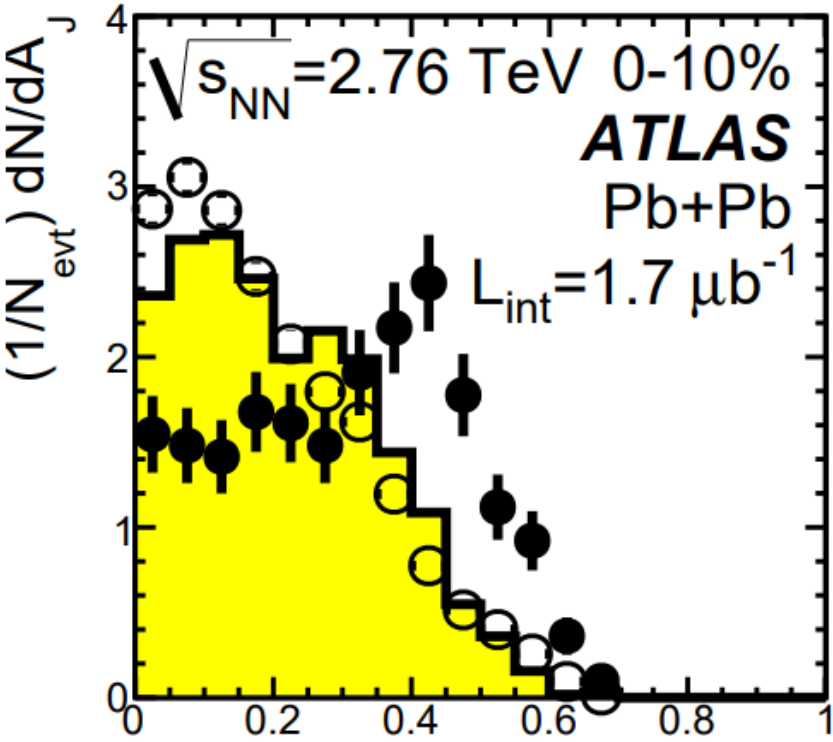
A picture of dijets in HI collisions

- Leading jets are produced near the surface and rapidly exit the medium
 - Short trajectory through QGP
 - Largely unmodified
- Subleading jets traverse a large path length in the QGP
 - Significant QGP interaction and large energy loss



Early dijet results:

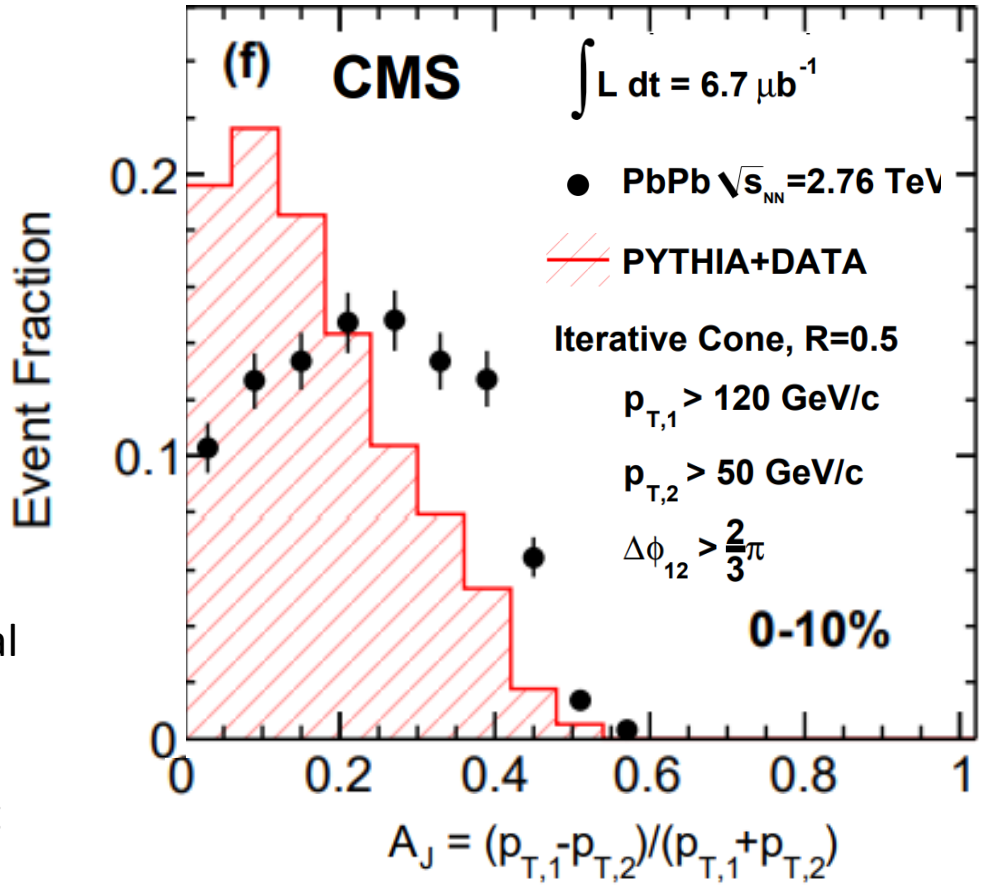
[Phys.Rev.Lett.105:252303,2010](#)



$$A_J = \frac{E_{T1} - E_{T2}}{E_{T1} + E_{T2}}, \Delta\phi > \frac{\pi}{2}$$

Significant modification from pp observed in central Pb+Pb
 ➤ CMS and ATLAS observed enhancement of intermediate A_J

[Phys.Rev.C84:024906,2011](#)



Unfolded dijet analysis overview:

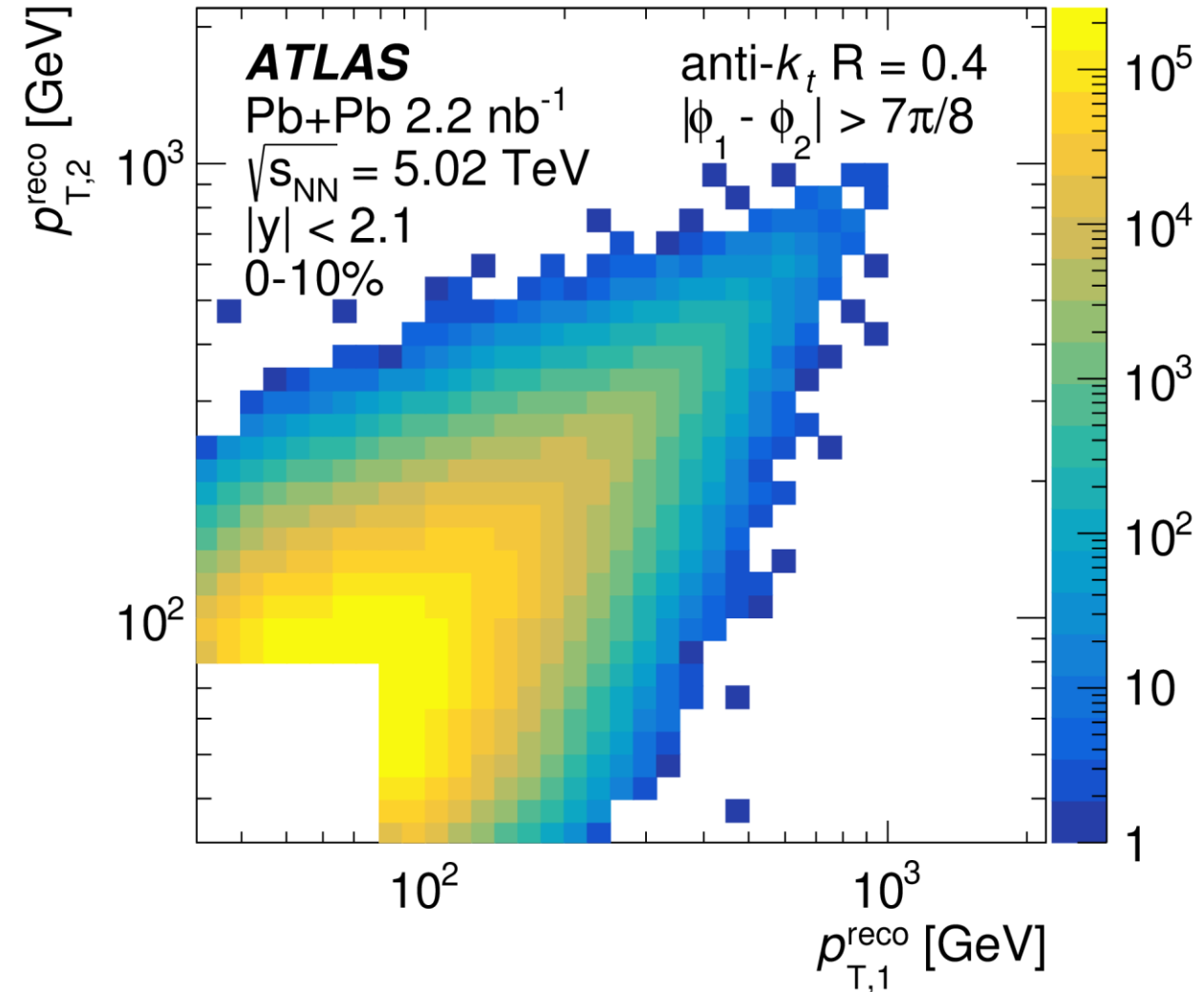
Two-dimensional $(p_{T,1}, p_{T,2})$ distributions are measured for the leading dijet pair per event

Unfolded for detector effects using 2D Bayesian unfolding

- Simultaneously correct for migrations of leading and subleading jet p_T

Unfolded 2D distributions can be projected/integrated to extract dijet observables

<https://arxiv.org/pdf/2205.00682.pdf>



$$x_J \equiv p_{T,2}/p_{T,1}$$

Dijet balance observables

Per dijet pair normalized x_J distributions: $\frac{1}{N_{pair}} \frac{dN_{pair}}{dx_J}$

- Enables direct comparison of the x_J shape across centrality in Pb+Pb and in pp

Absolutely normalized x_J distributions: $\frac{1}{N_{evt}\langle T_{AA} \rangle} \frac{dN_{pair}}{dx_J}$

- Enables evaluation of the dijet per event yields as a function of x_J
- Provides insight into the dynamics of dijet energy loss

Dijet balance observables

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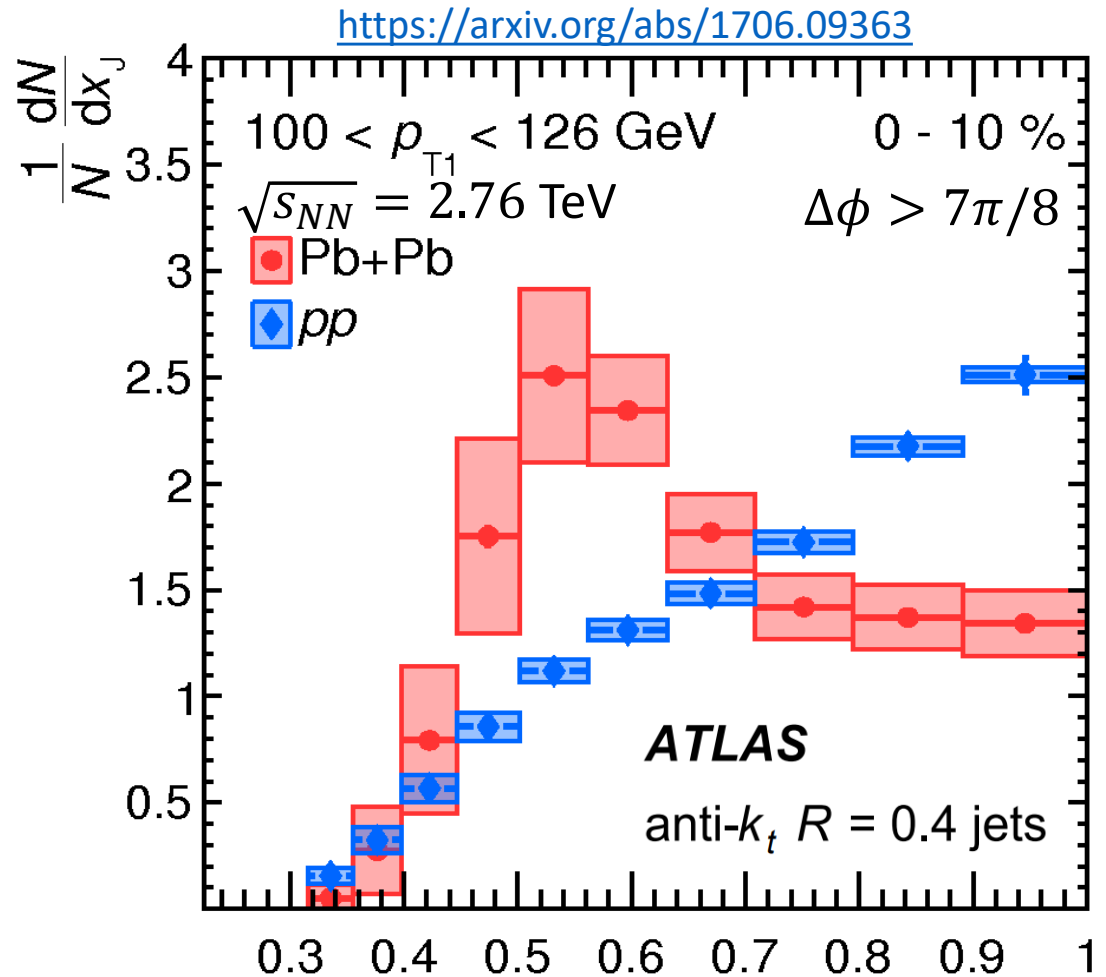
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$$x_J \equiv p_{T,2}/p_{T,1}$$

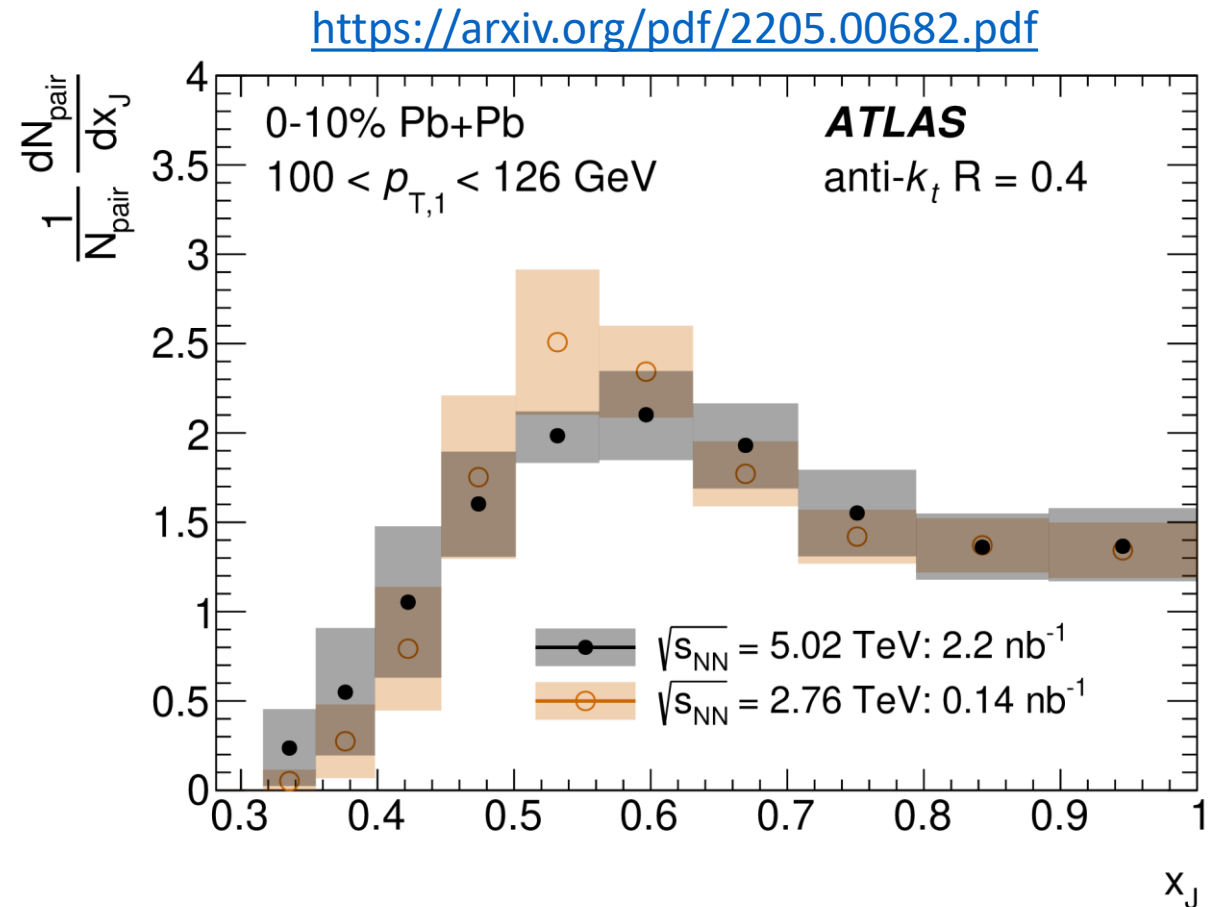
Pair normalized x_J distributions

- Fully unfolded measurements of the x_J shape enables direct comparisons between Pb+Pb and pp collisions
- Significant modification from pp collisions are observed
- A peak was observed in 0-10% Central Pb+Pb at $x_J \approx 0.5$
 - Explaining this behavior has been a challenge in the community



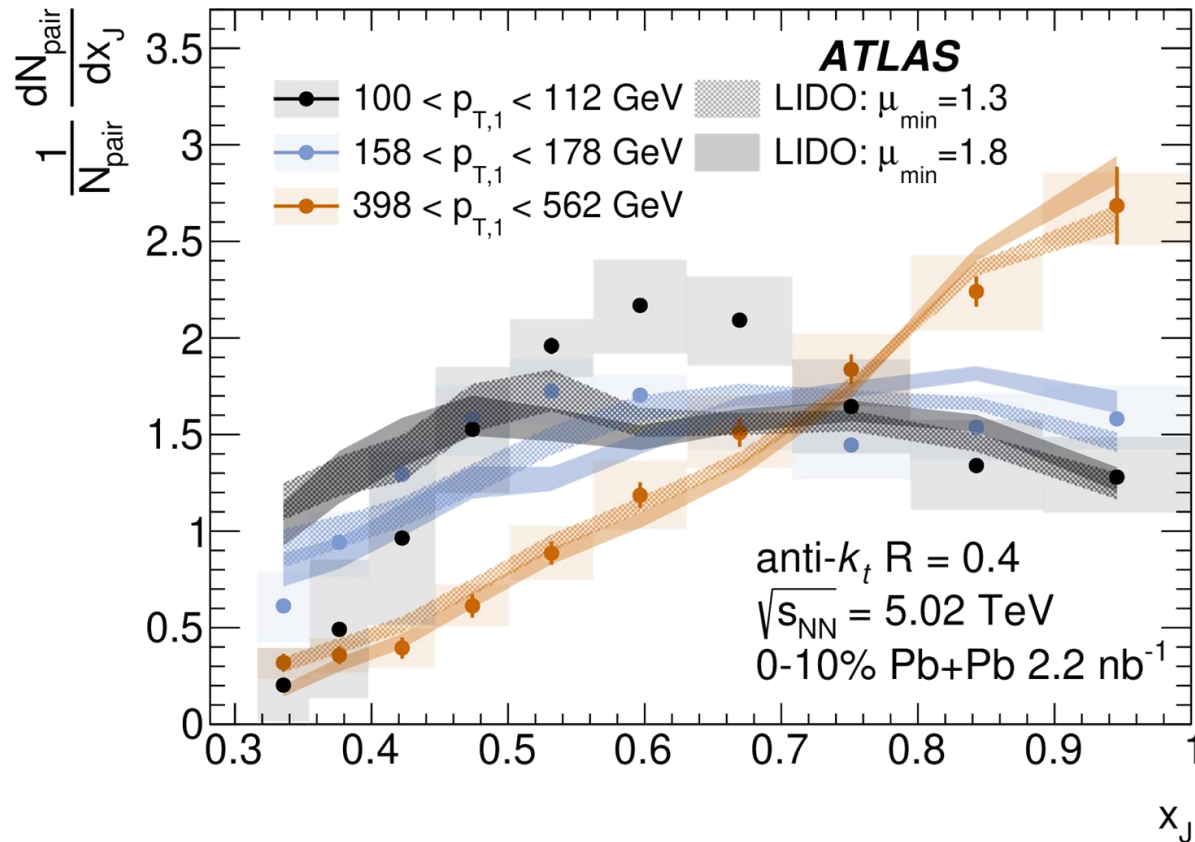
Pair normalized x_J distributions

- Utilizing the large LHC Run 2 sample the measurement of the dijet momentum balance was repeated
- 5.02 TeV analysis reproduces the peak observed in earlier measurements



Pair normalized x_J : comparison with theory

<https://arxiv.org/pdf/2205.00682.pdf>



LIDO is a transport model containing both radiative and collisional energy loss sources and tuned to world R_{AA} data

LIDO well predicts the x_J shape for intermediate and high $p_{T,1}$ in central events

➤ Does not reproduce the peak observed at intermediate x_J at low $p_{T,1}$

Dijet x_J observables

Per dijet pair normalized x_J distributions: $\frac{1}{N_{pair}} \frac{dN_{pair}}{dx_J}$

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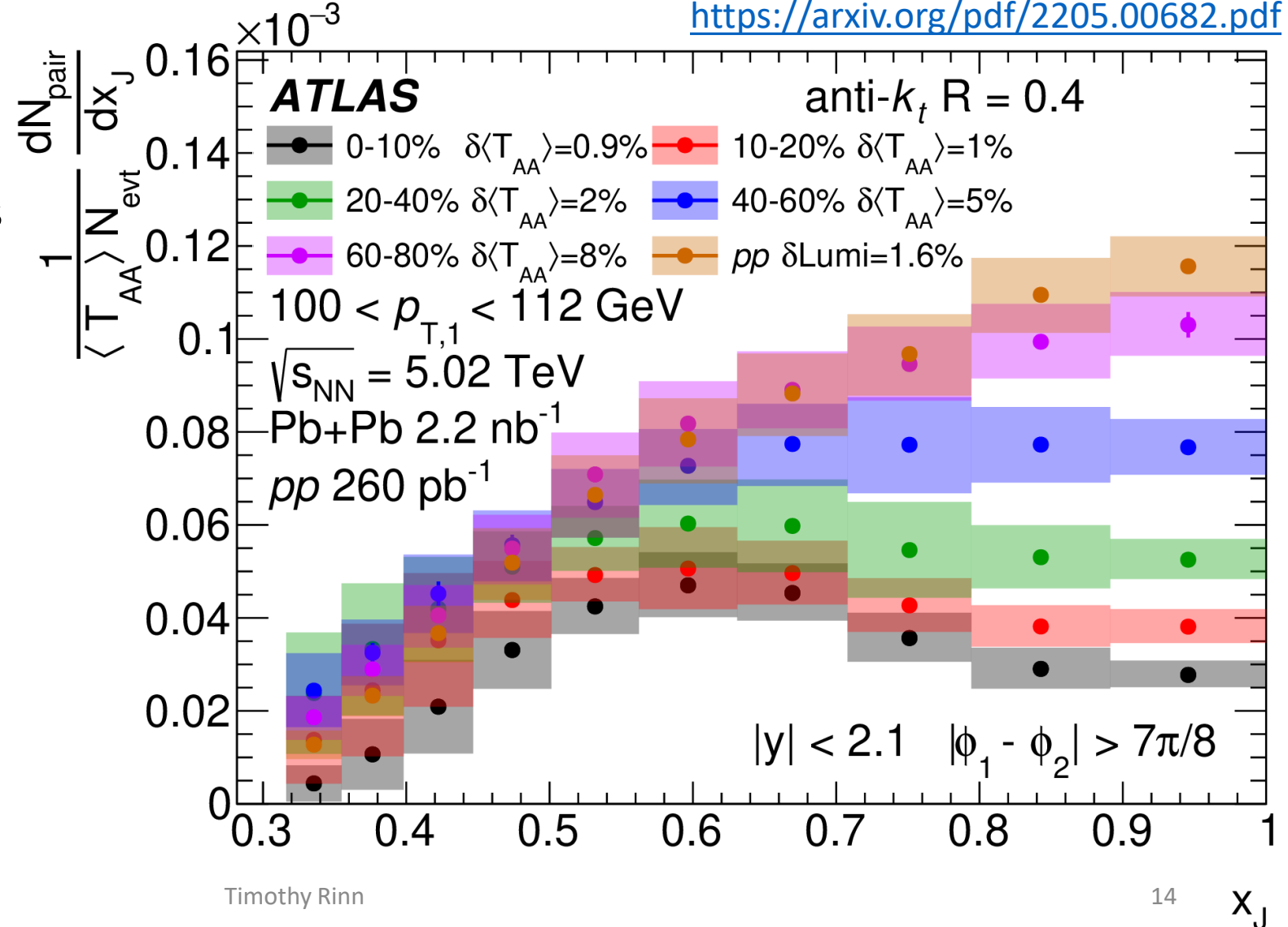
Absolutely normalized x_J

Using a $\frac{1}{\langle T_{AA} \rangle N_{evt}}$ normalization enables the study of dijet yields as a function of x_J

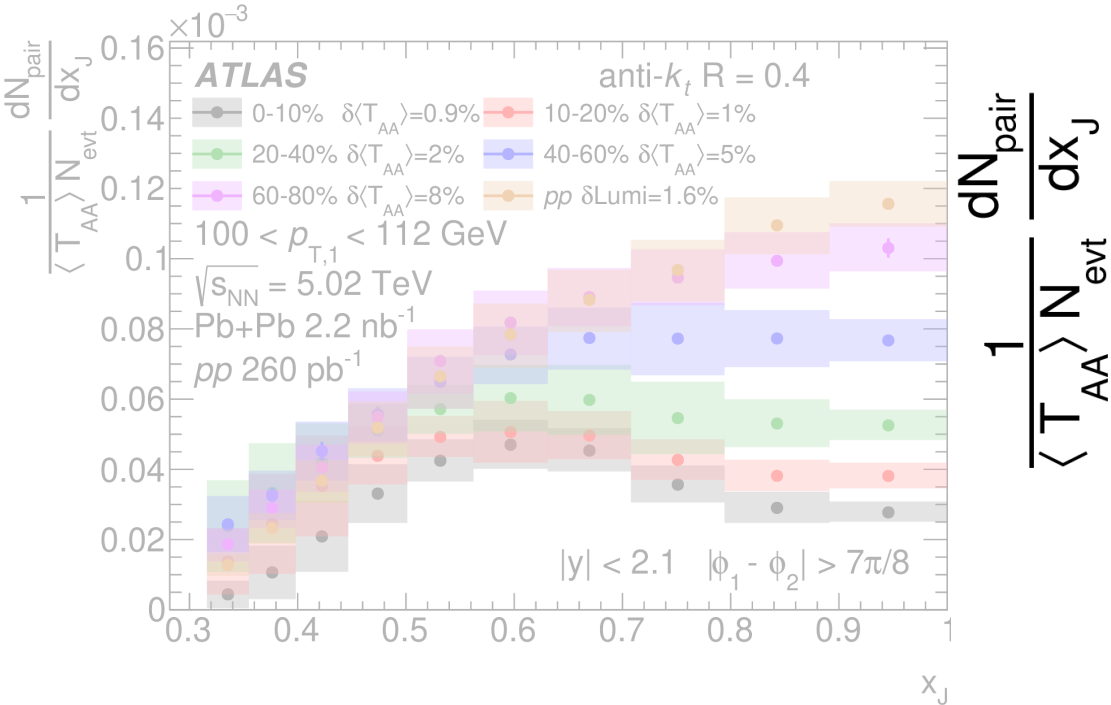
The peak shape observed at intermediate x_J stems from the **favorable suppression of symmetric dijets**

- No evidence for enhancement over pp of intermediate x_J

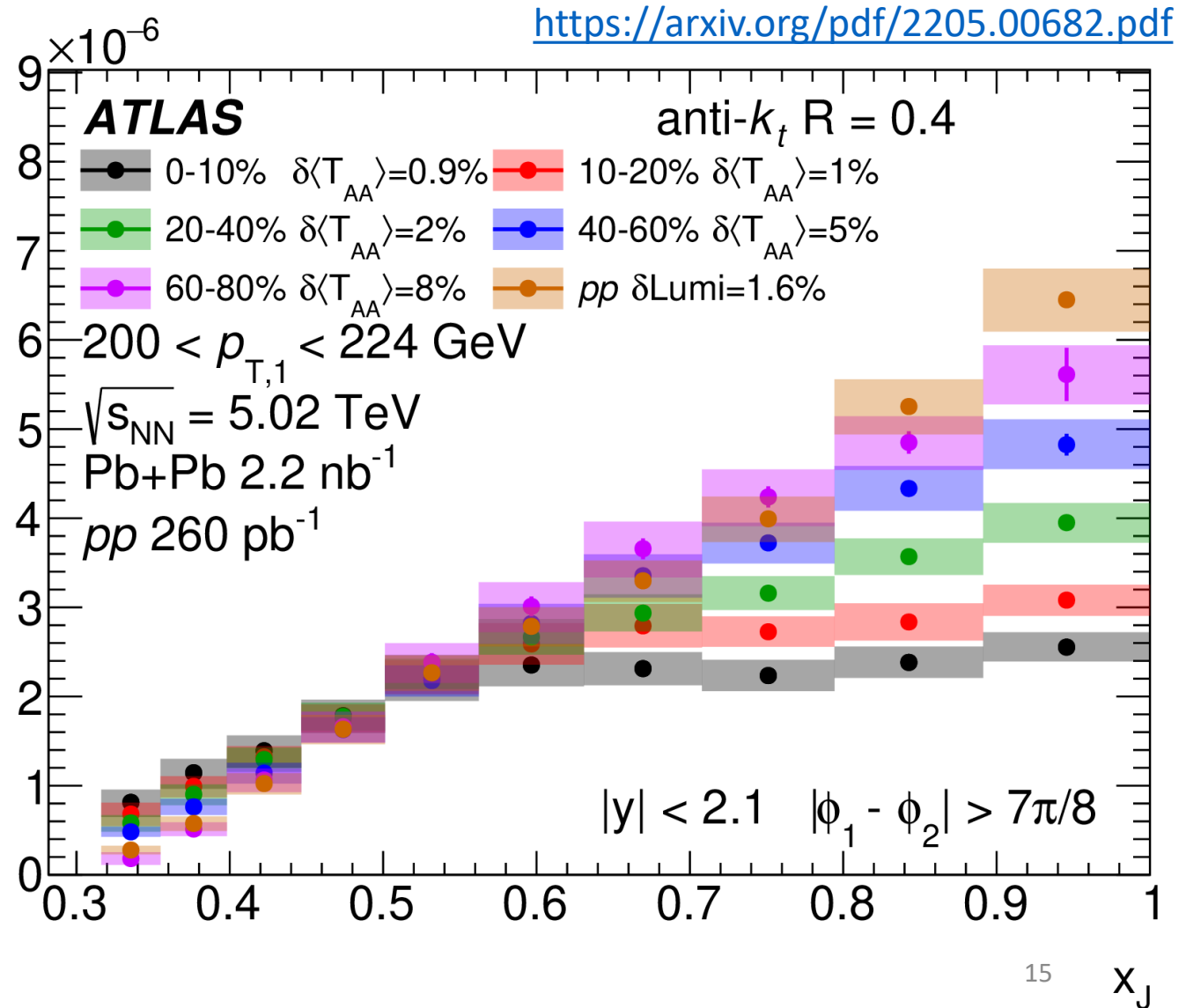
<https://arxiv.org/pdf/2205.00682.pdf>



Absolutely normalized x_J



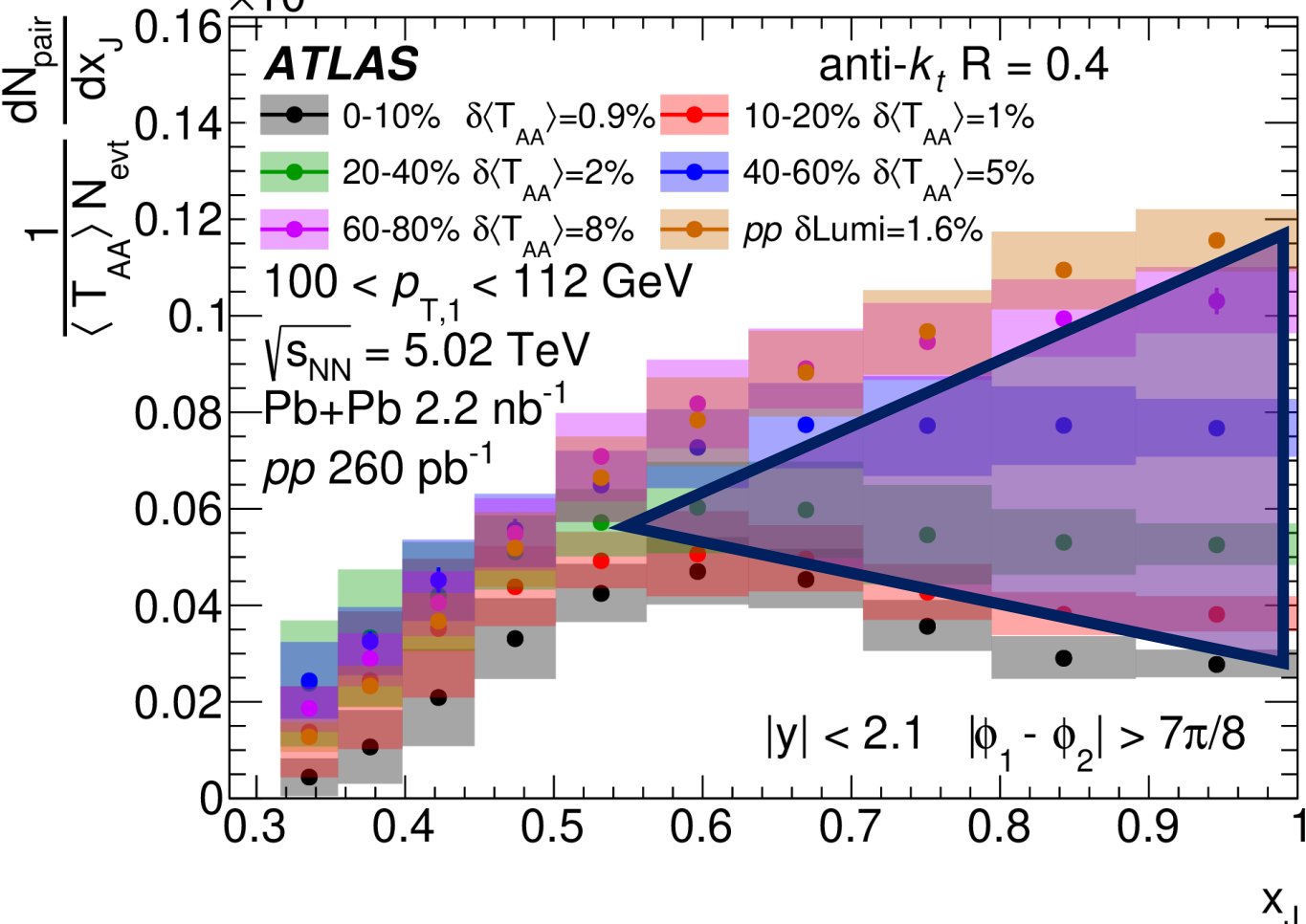
The systematic suppression of symmetric dijets persists with increasing $p_{T,1}$



<https://arxiv.org/pdf/2205.00682.pdf>

Dijet quenching: Some thoughts

<https://arxiv.org/pdf/2205.00682.pdf>



Why is there no enhancement over pp at low x_J ?

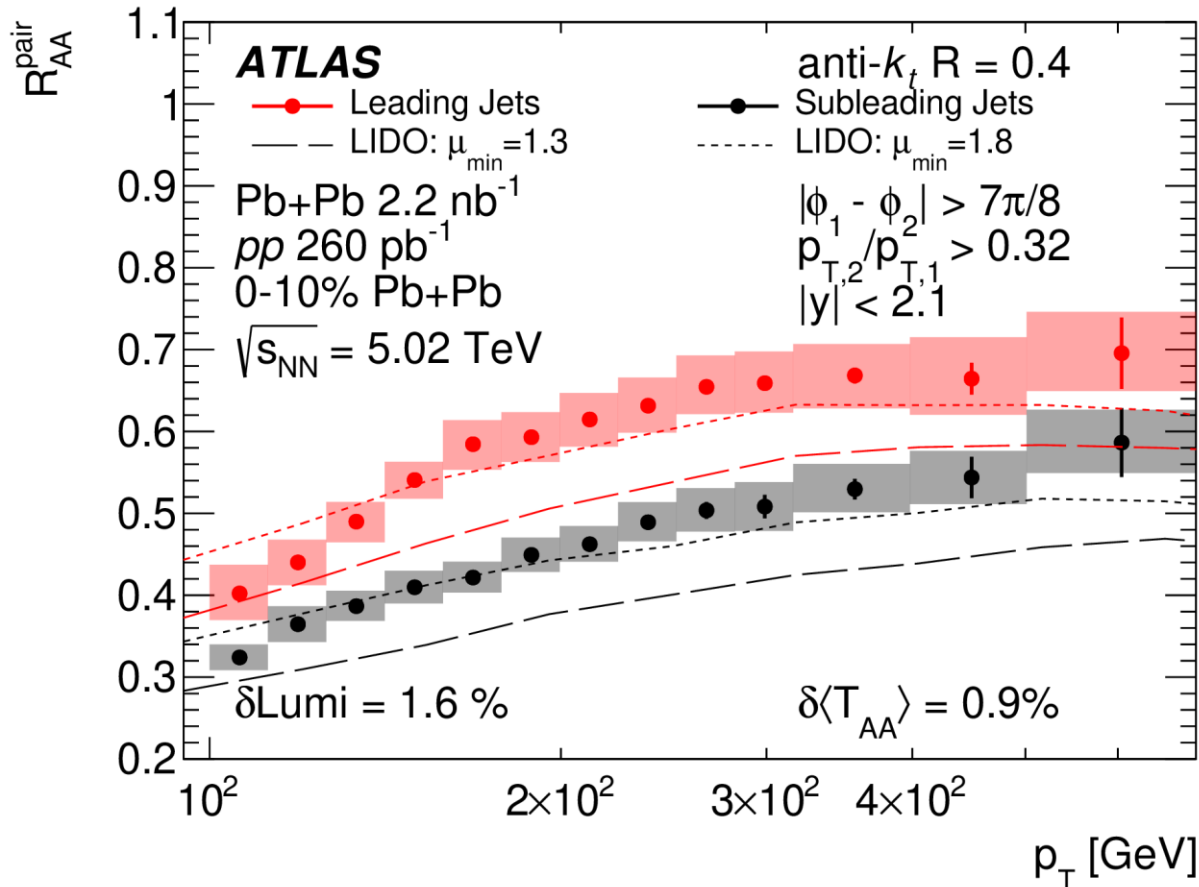
- **Suppression of both jets is key!**
 - Both leading and subleading jets lose significant energy

How does this compare to expectations from surface bias effects?

- Surface Bias expected to create a significant enhancement asymmetric jets

Dijet nuclear modification factors (R_{AA}^{pair})

<https://arxiv.org/pdf/2205.00682.pdf>



Significant suppression of both leading and subleading jets are observed across jet p_T

Subleading jets are systematically more suppressed than leading jets

$$R_{AA}^{pair}(p_{T,1}) = \frac{\frac{1}{\langle T_{AA} \rangle N_{evt}^{AA}} \int_{0.32 \times p_{T,1}}^{p_{T,1}} \frac{d^2 N_{pair}^{AA}}{dp_{T,1} dp_{T,2}} dp_{T,2}}{\frac{1}{L_{pp}} \int_{0.32 \times p_{T,1}}^{p_{T,1}} \frac{d^2 N_{pair}^{pp}}{dp_{T,1} dp_{T,2}} dp_{T,2}}$$

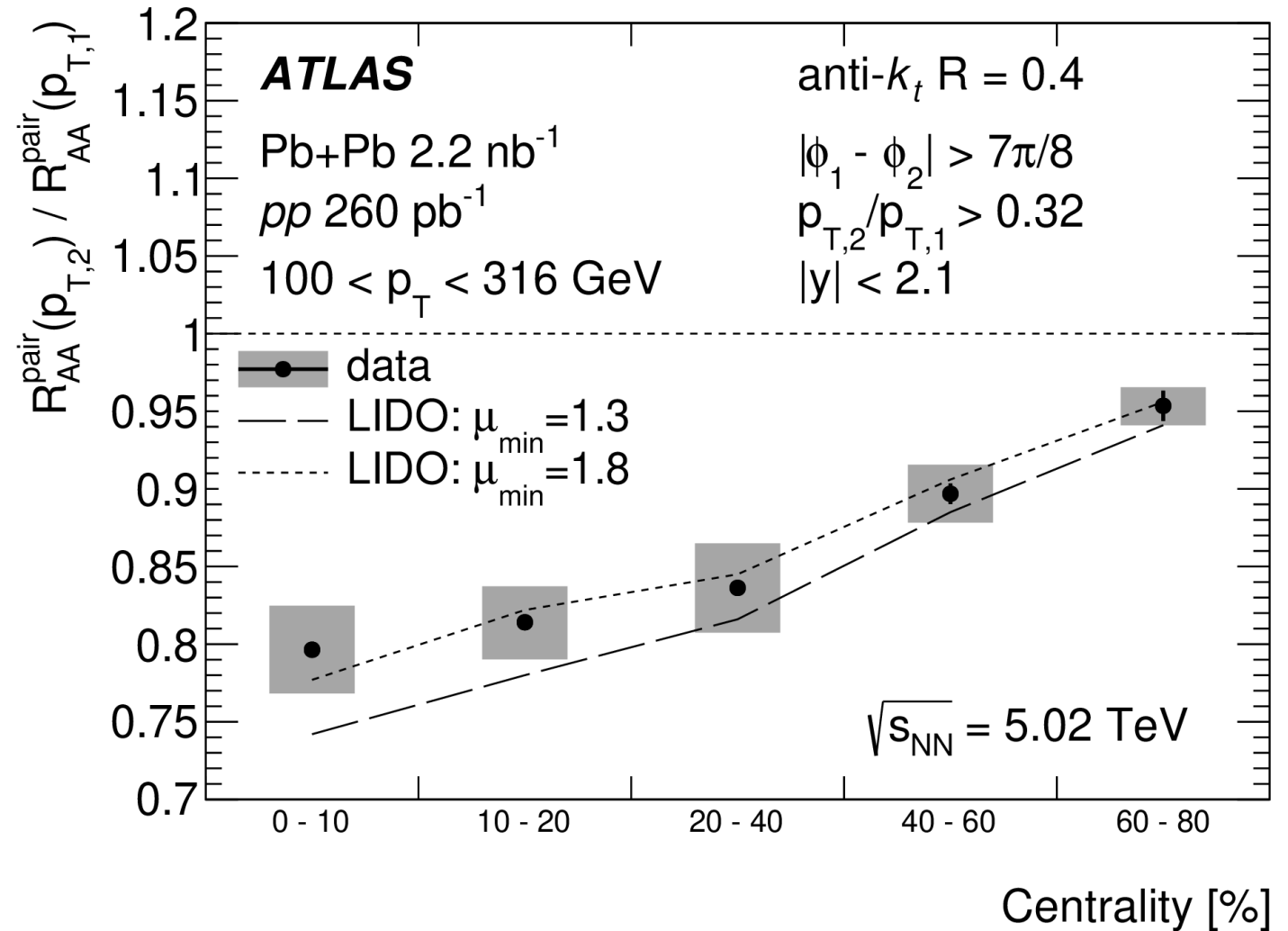
$$R_{AA}^{pair}(p_{T,2}) = \frac{\frac{1}{\langle T_{AA} \rangle N_{evt}^{AA}} \int_{p_{T,2}}^{p_{T,2}/0.32} \frac{d^2 N_{pair}^{AA}}{dp_{T,1} dp_{T,2}} dp_{T,1}}{\frac{1}{L_{pp}} \int_{p_{T,2}}^{p_{T,2}/0.32} \frac{d^2 N_{pair}^{pp}}{dp_{T,1} dp_{T,2}} dp_{T,1}}$$

Dijet threshold condition of $\frac{p_{T,2}}{p_{T,1}} > 0.32$

$$R_{AA}^{pair}(p_{T,2}) / R_{AA}^{pair}(p_{T,1})$$

Evidence for suppression of subleading relative to leading jets in dijets is observed

- 3σ significant relative suppression observed in peripheral Pb+Pb

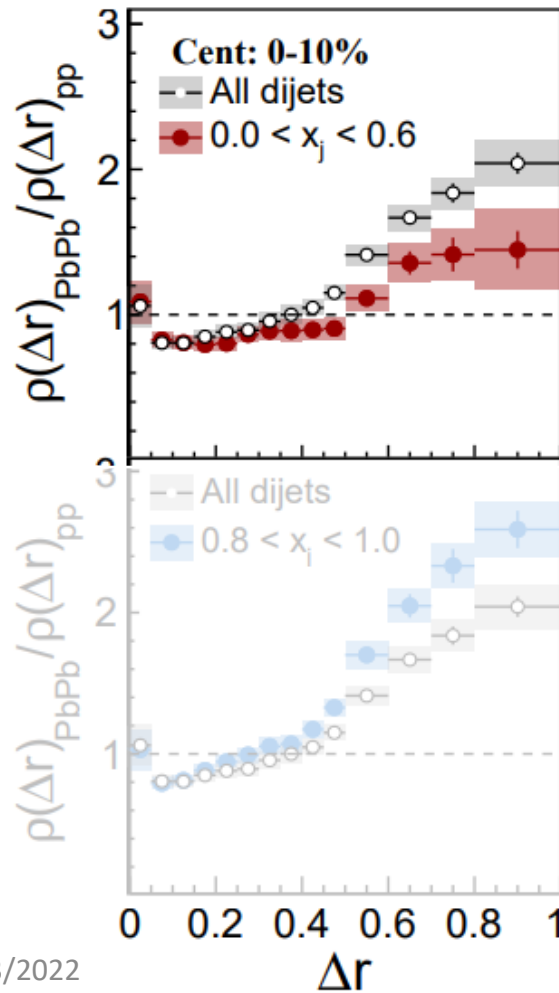


Leading dijet fragmentation

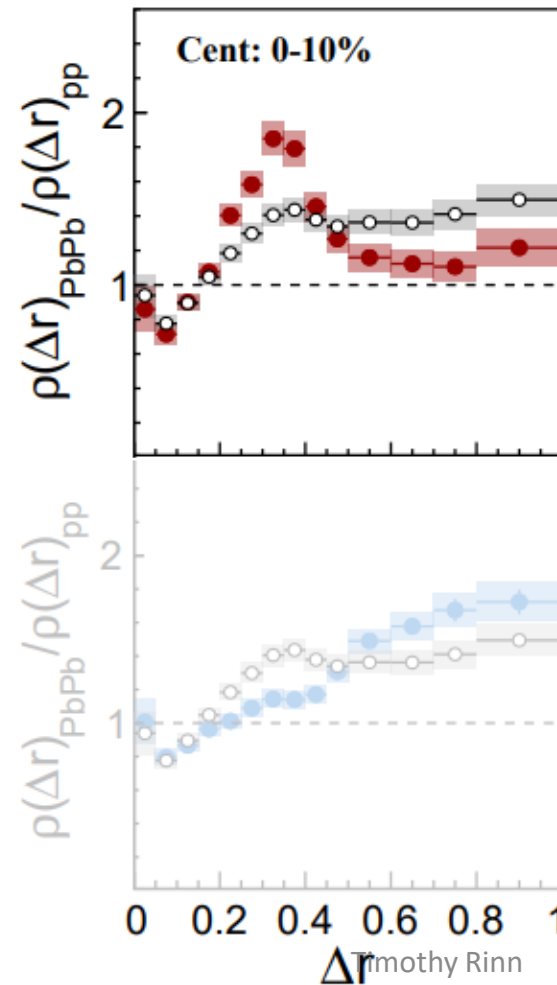
5.02 TeV pp 320 pb⁻¹ PbPb 1.7 nb⁻¹
 anti- k_T R = 0.4, $|\eta_{jet}| < 1.6$, $p_{T,1} > 120$ GeV, $p_{T,2} > 50$ GeV, $\Delta\phi_{1,2} > \frac{5\pi}{6}$

CMS

Leading Jets



CMS SubLeading Jets



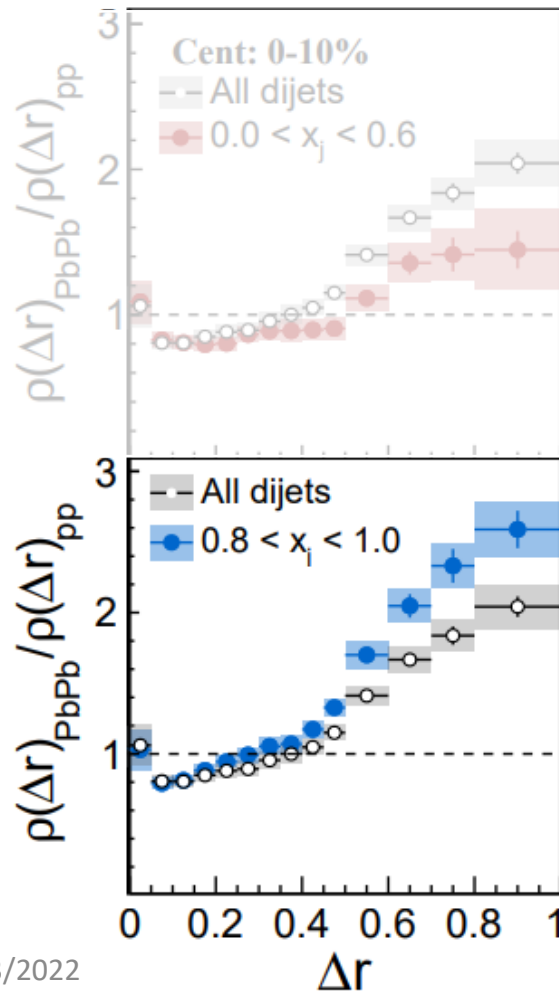
Subleading jets for $x_j < 0.6$ observe significant enhancement of fragment momentum between $0.2 < \Delta R < 0.4$

Leading dijet fragmentation

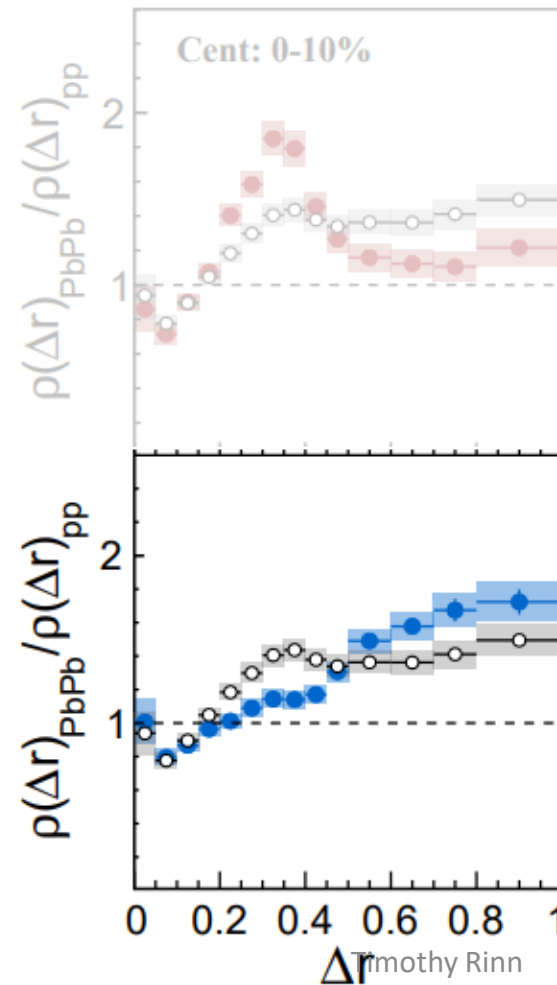
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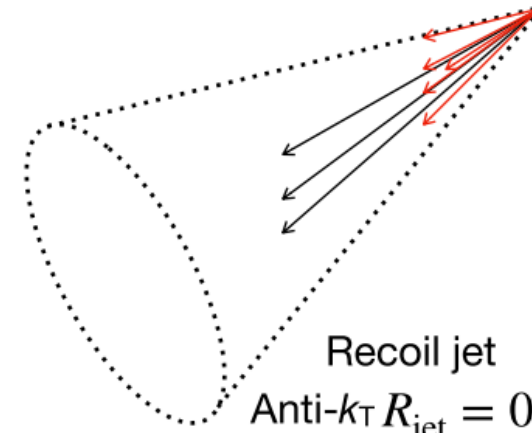
For **symmetric jets** similar modification is seen for the **leading** and **subleading** jet

Jet substructure in dijets

Substructure of subleading jets enables probing of jet size dependence to dijet asymmetry

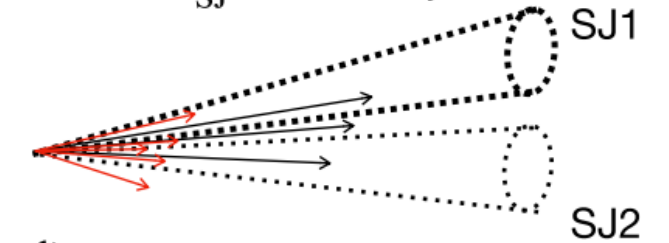
- Do dijets with wider subleading jets experience enhanced asymmetry?

constituent = tracks & towers



HardCore $p_{T, \text{jet}} > 8 \text{ GeV}/c$

Anti- $k_T R_{\text{SJ}} = 0.1$ subjets



● Leading subjet

○ Sub-Leading subjet

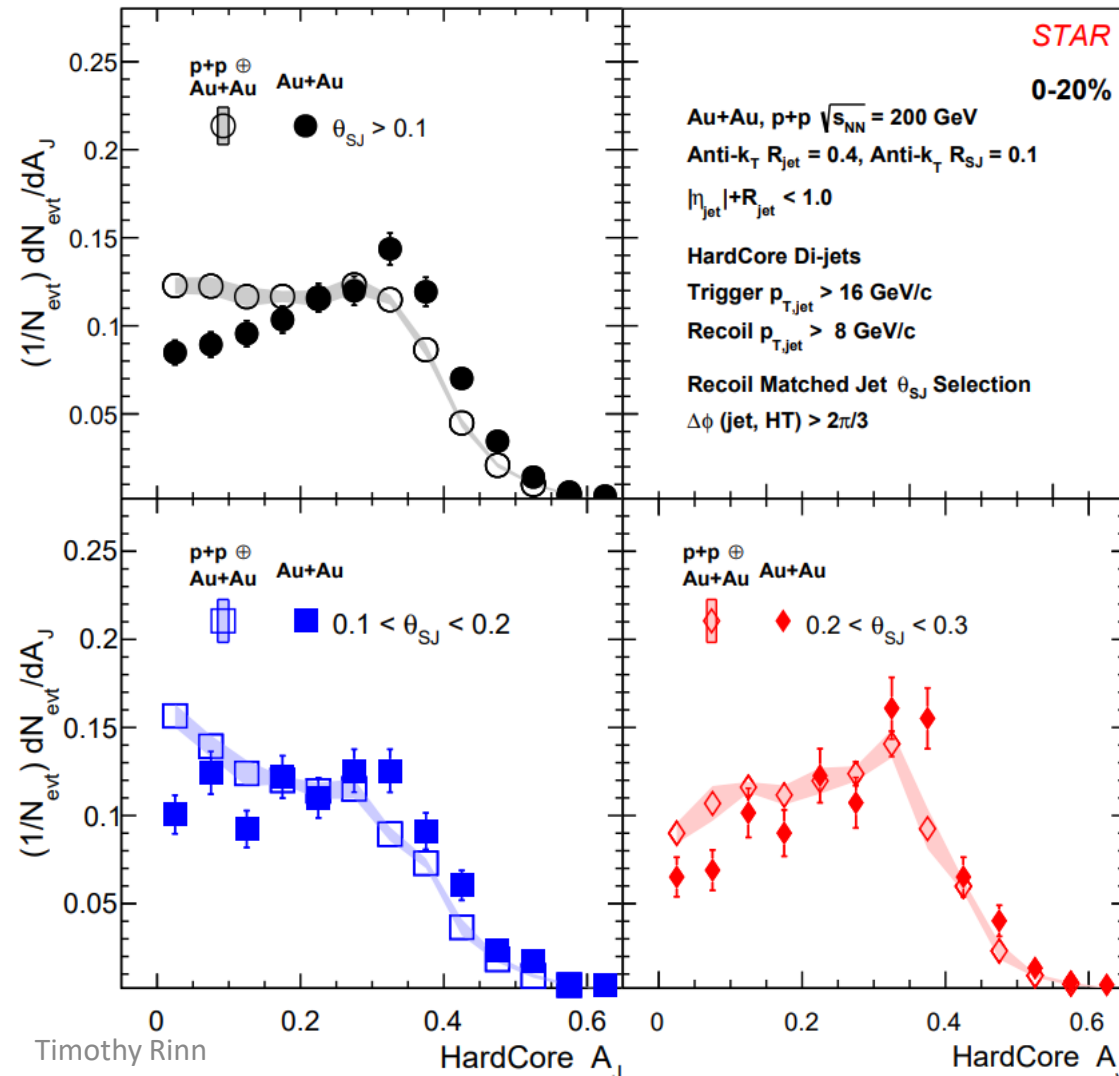
$p_T > 2.97 \text{ GeV}/c$

$$A_J = (p_{T,1} - p_{T,2}) / (p_{T,1} + p_{T,2})$$

Opening angle dependence to A_J

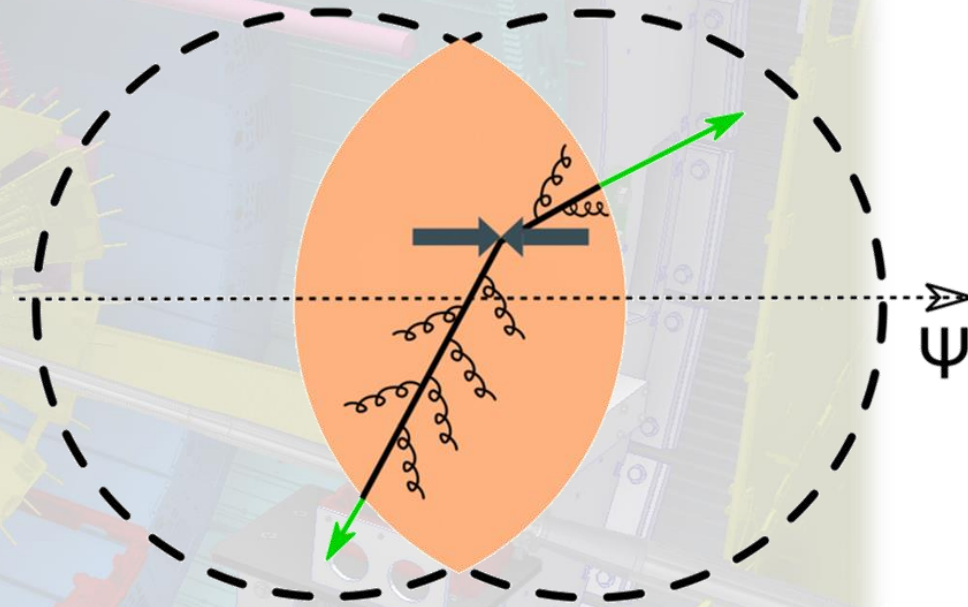
[PhysRevC.105.044906](https://arxiv.org/abs/1505.044906)

- STAR observes significant modification of the A_J shape in central Au+Au
- Within uncertainties no significant θ_{SJ} dependence for $0.1 < \theta_{SJ}$
 - p_T asymmetry of narrow and wide jets are similar



Thoughts for future dijet measurements:

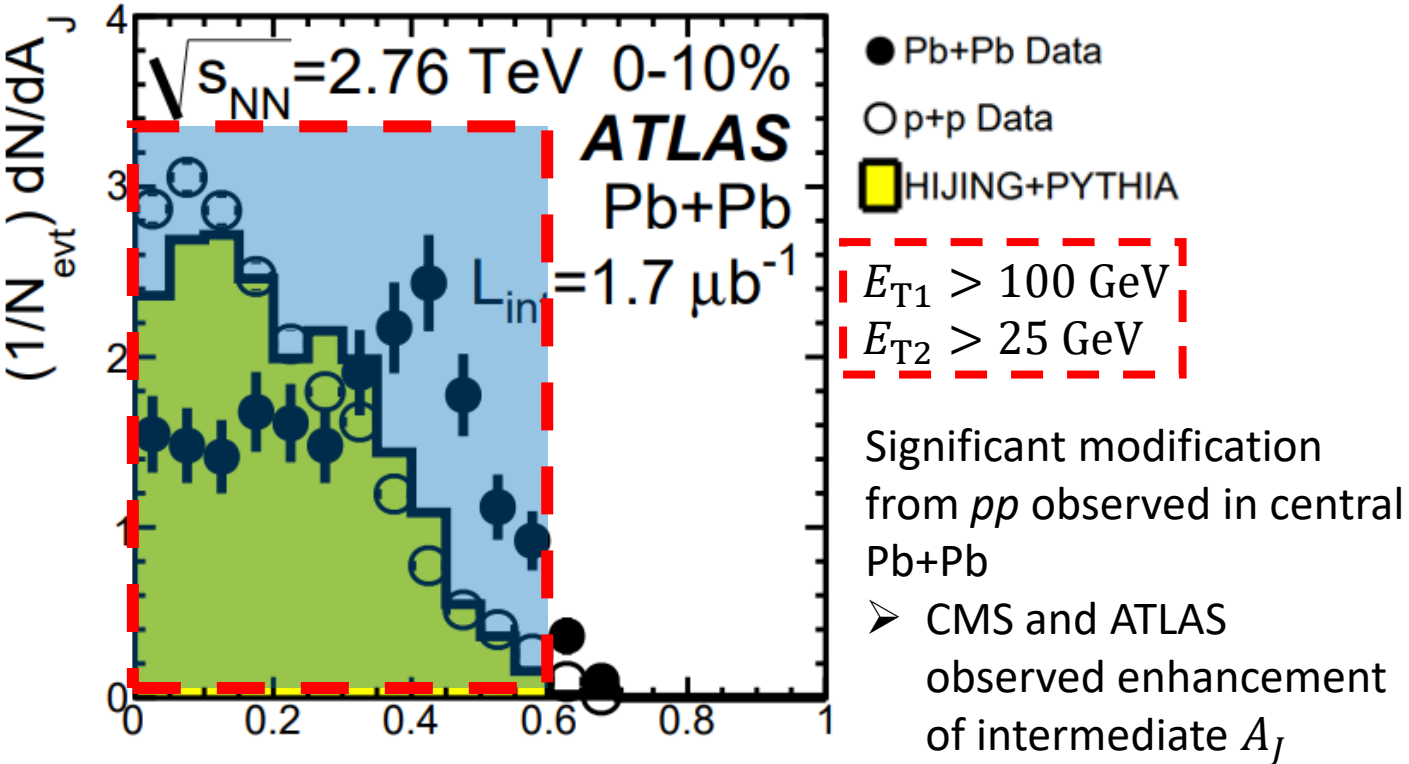
- Event plane angle dependence to dijet momentum balance
 - Directly explore the role of path length dependent energy loss effects
- Jet Structure/Radius Scan
 - Gain insight to the role of the jet structure to the dijet suppression
- Measure jet quenching in small systems
 - Subleading jets provide enhanced sensitivity to energy loss effects
- Precision unfolded measurements of dijets at RHIC:
 - Stay tuned for results from sPHENIX and STAR using high statistics 2023-2025 runs!



Backups

Early dijet results:

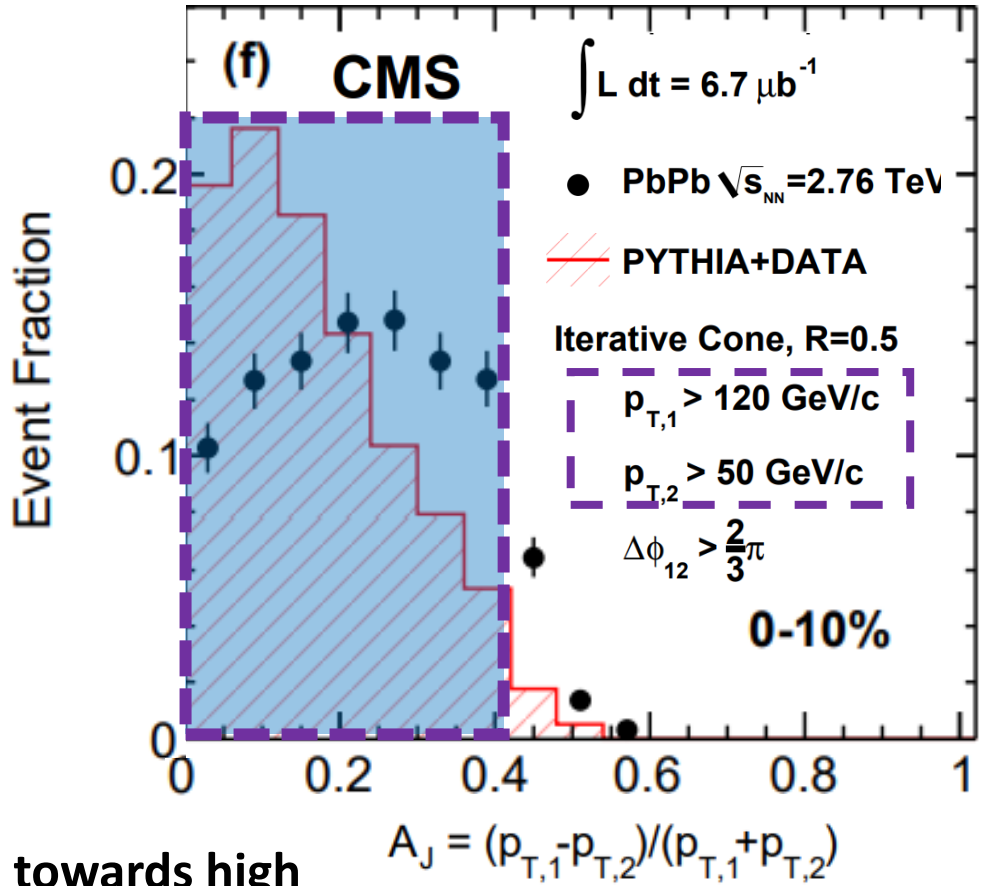
[Phys.Rev.Lett.105:252303,2010](#)



$$A_J = \frac{E_{T1} - E_{T2}}{E_{T1} + E_{T2}}, \Delta\phi > \frac{\pi}{2}$$

Large values of A_J are biased towards high $p_{T,1}$ (E_{T1}) due to minimum $p_{T,2}$ (E_{T2})

[Phys.Rev.C84:024906,2011](#)




Dijet nuclear modification factor: R_{AA}^{pair}

$$R_{AA}^{pair}(\mathbf{p}_{T,1}) = \frac{\frac{1}{\langle T_{AA} \rangle N_{evt}^{AA}} \int_{0.32 \times \mathbf{p}_{T,1}}^{\mathbf{p}_{T,1}} \frac{d^2 N_{pair}^{AA}}{dp_{T,1} dp_{T,2}} d\mathbf{p}_{T,2}}{\frac{1}{L_{pp}} \int_{0.32 \times \mathbf{p}_{T,1}}^{\mathbf{p}_{T,1}} \frac{d^2 N_{pair}^{pp}}{dp_{T,1} dp_{T,2}} d\mathbf{p}_{T,2}}$$

$R_{AA}^{pair}(\mathbf{p}_{T,1})$ quantifies the suppression of the **leading jet** in a dijet

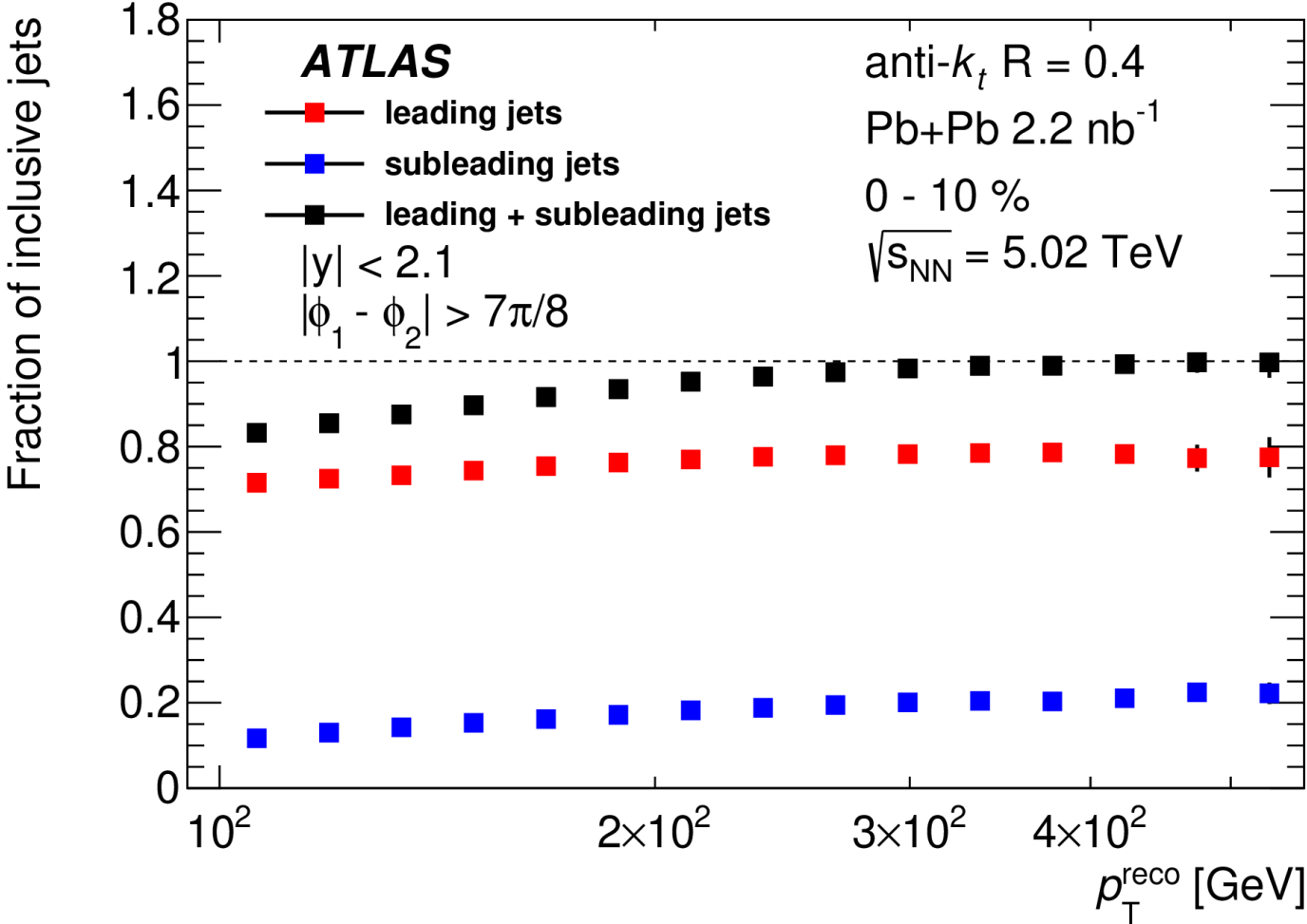
$$R_{AA}^{pair}(\mathbf{p}_{T,2}) = \frac{\frac{1}{\langle T_{AA} \rangle N_{evt}^{AA}} \int_{\mathbf{p}_{T,2}}^{\mathbf{p}_{T,2}/0.32} \frac{d^2 N_{pair}^{AA}}{dp_{T,1} dp_{T,2}} d\mathbf{p}_{T,1}}{\frac{1}{L_{pp}} \int_{\mathbf{p}_{T,2}}^{\mathbf{p}_{T,2}/0.32} \frac{d^2 N_{pair}^{pp}}{dp_{T,1} dp_{T,2}} d\mathbf{p}_{T,1}}$$

$R_{AA}^{pair}(\mathbf{p}_{T,2})$ quantifies the suppression of the **subleading jet** in a dijet


 $\frac{\mathbf{p}_{T,2}}{\mathbf{p}_{T,1}} > 0.32$

Dijet threshold condition of $\frac{\mathbf{p}_{T,2}}{\mathbf{p}_{T,1}} > 0.32$

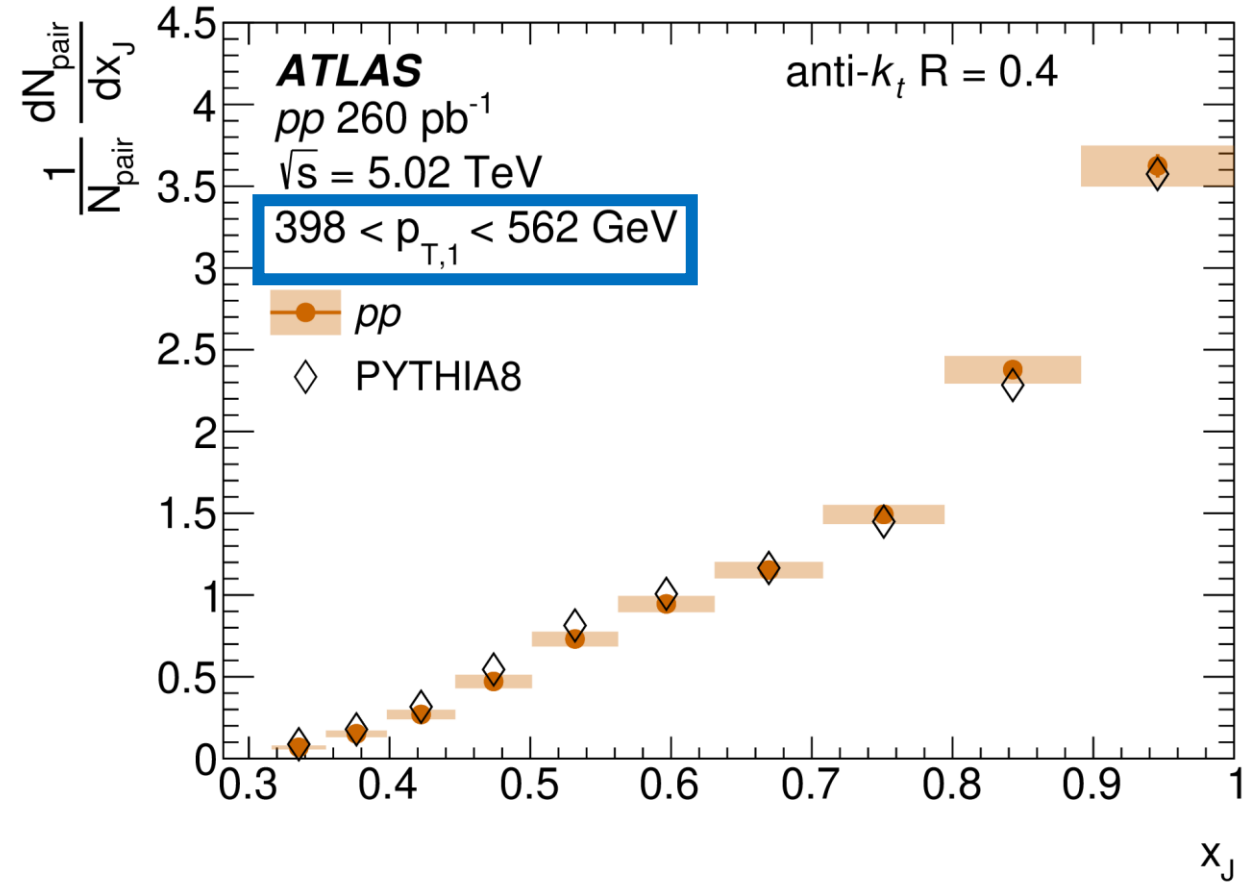
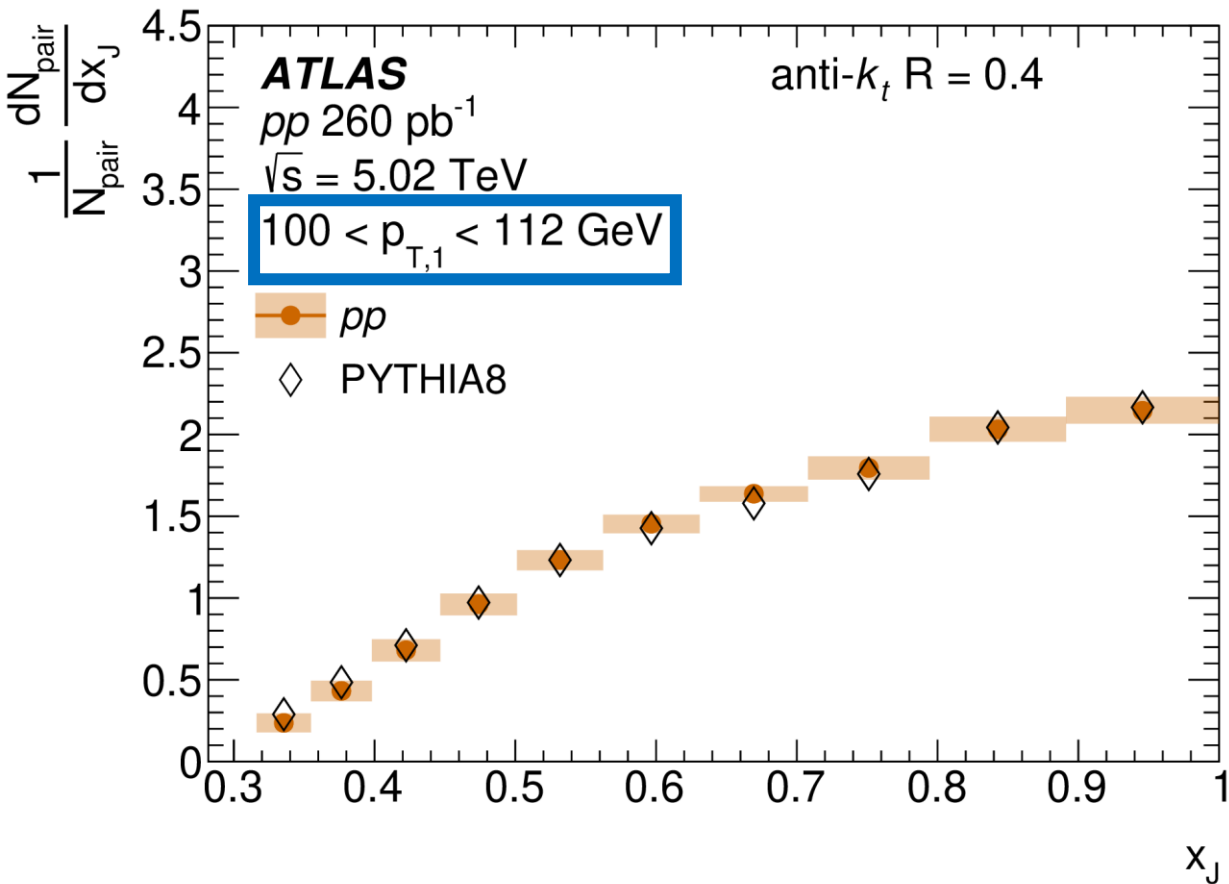
Dijet fraction of inclusive jets



Measured fractions of inclusive jets which are part of the leading **dijet**, the **leading jet** of the dijet, or the **subleading jet** of the dijet

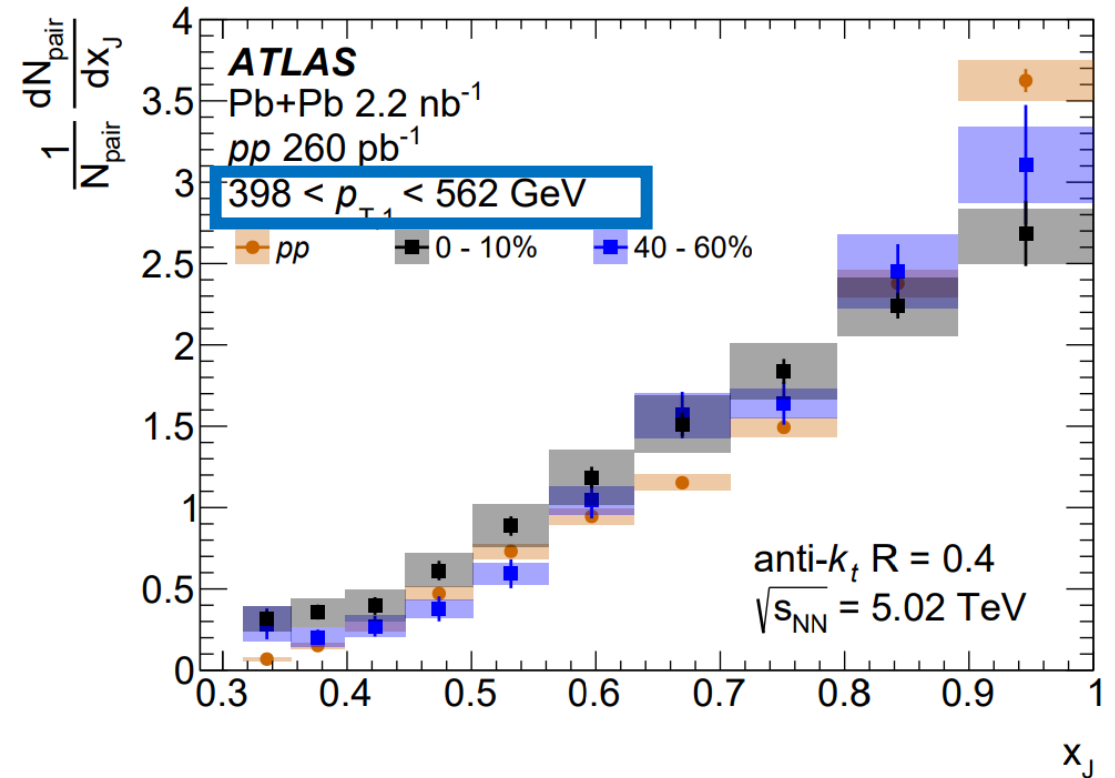
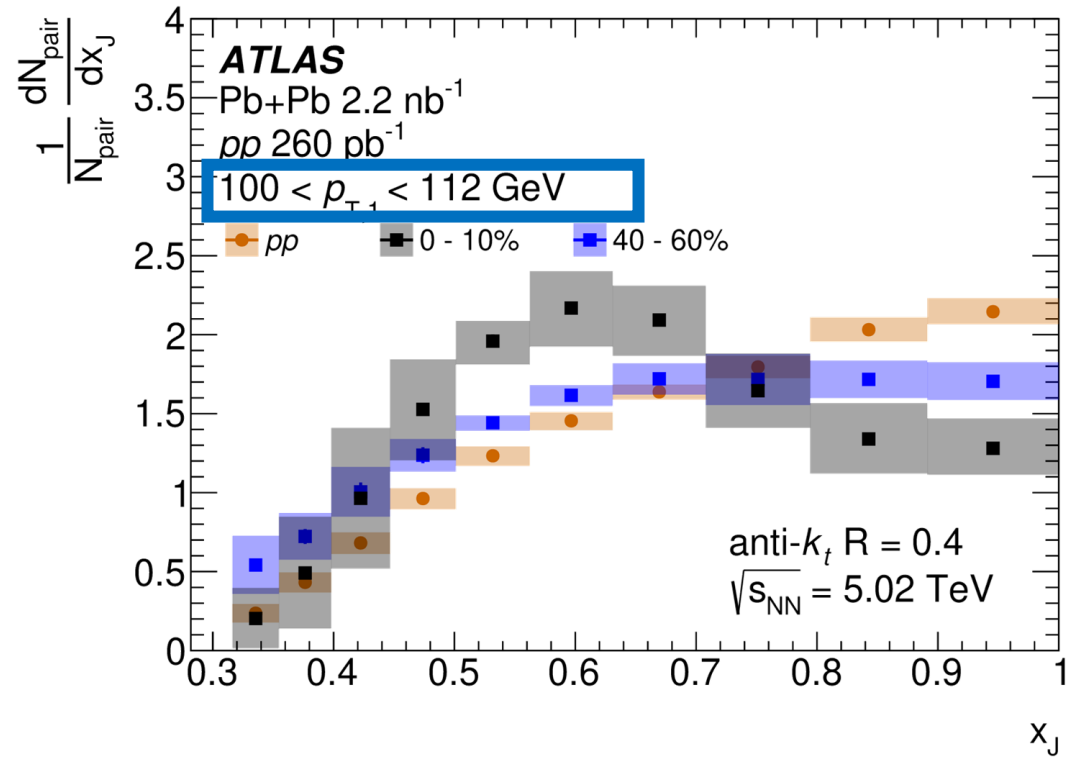
At 100 GeV: 83% of inclusive jets are part of the leading dijet
 ➤ Over 95% for $p_T^{\text{reco}} > 200 \text{ GeV}$

$1/N_{pair} \frac{dN_{pair}}{dx_J}$ pp results



Higher p_T jets \rightarrow more collimated \rightarrow more balanced

$1/N_{pair} \frac{dN_{pair}}{dx_J}$ distributions

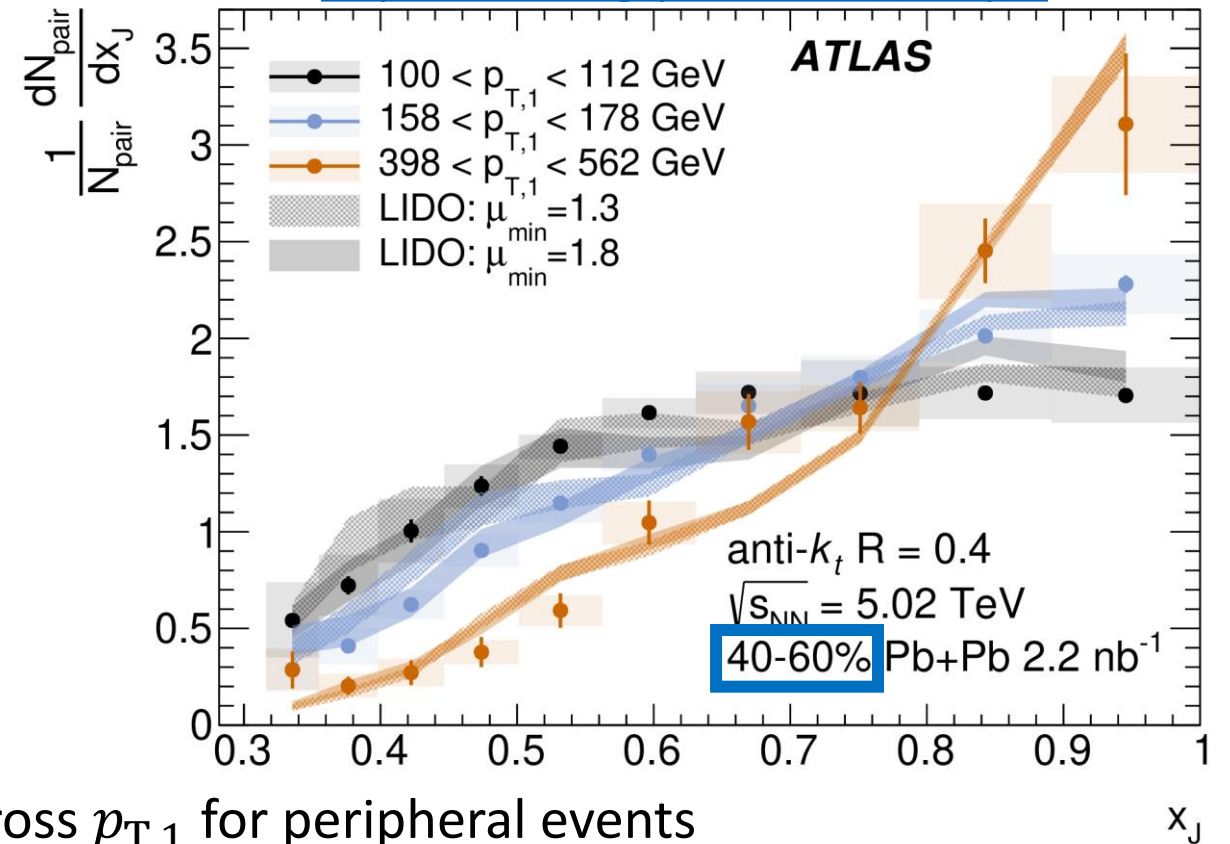
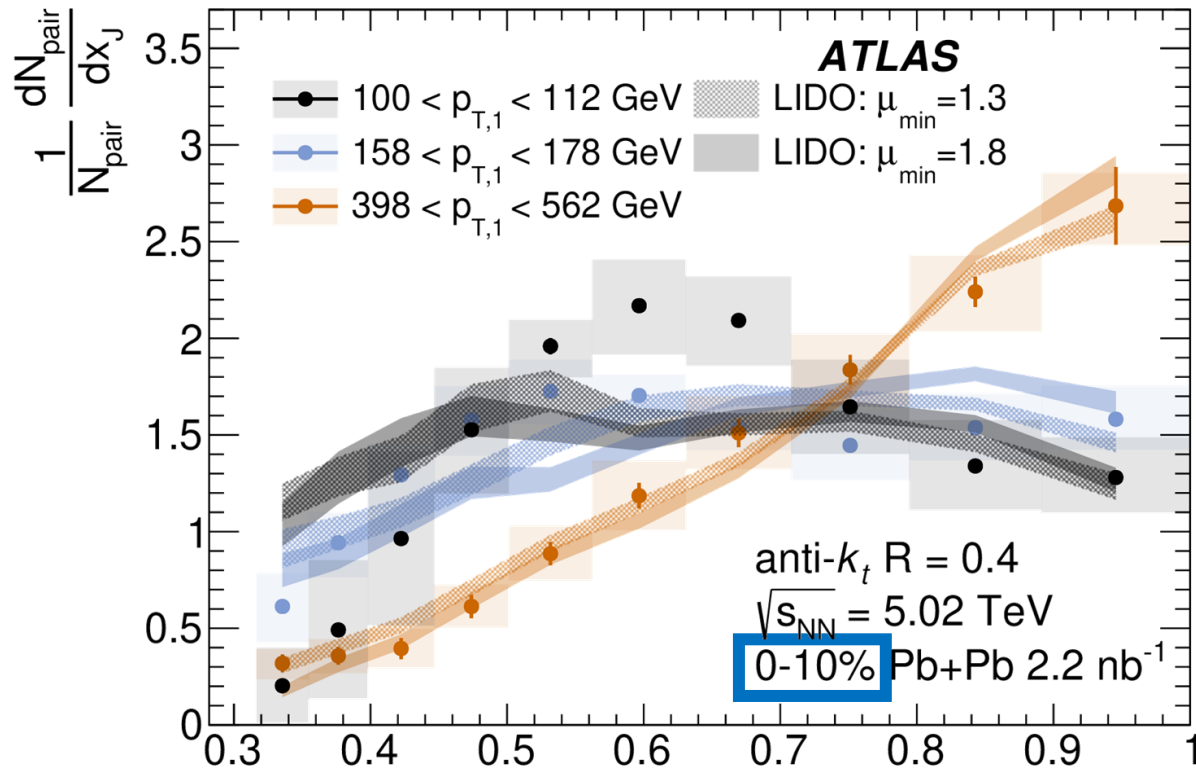


Smooth evolution from central Pb+Pb events towards pp

Significant modifications from pp collisions observed even at the highest $p_{T,1}$

Pair normalized x_J : comparison with theory

<https://arxiv.org/pdf/2205.00682.pdf>



LIDO calculations well predicts the behavior across $p_{T,1}$ for peripheral events

➤ Reproduces the x_J shape for intermediate and high $p_{T,1}$ in central events

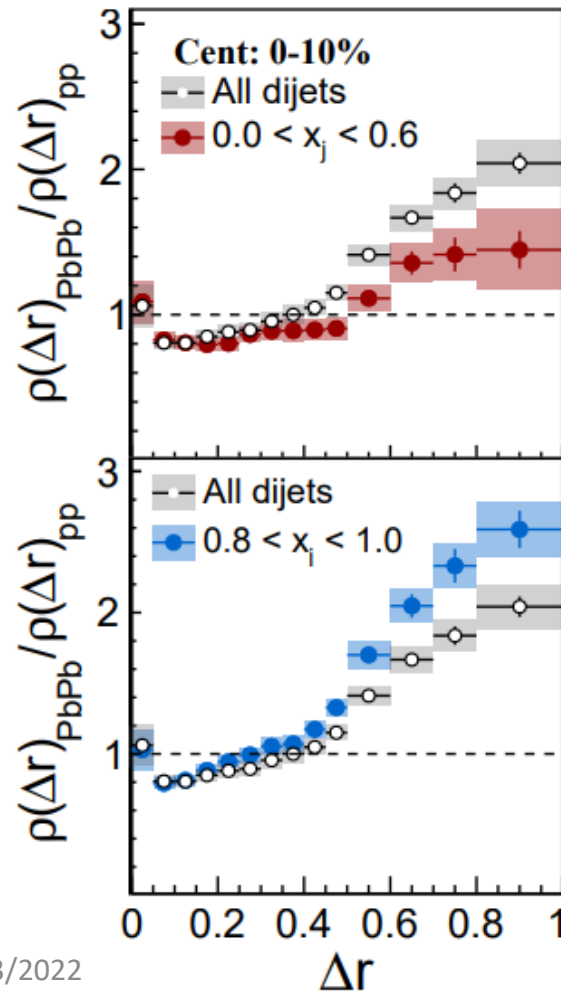
LIDO does not reproduce the peak observed at intermediate x_J at low $p_{T,1}$

Leading dijet fragmentation

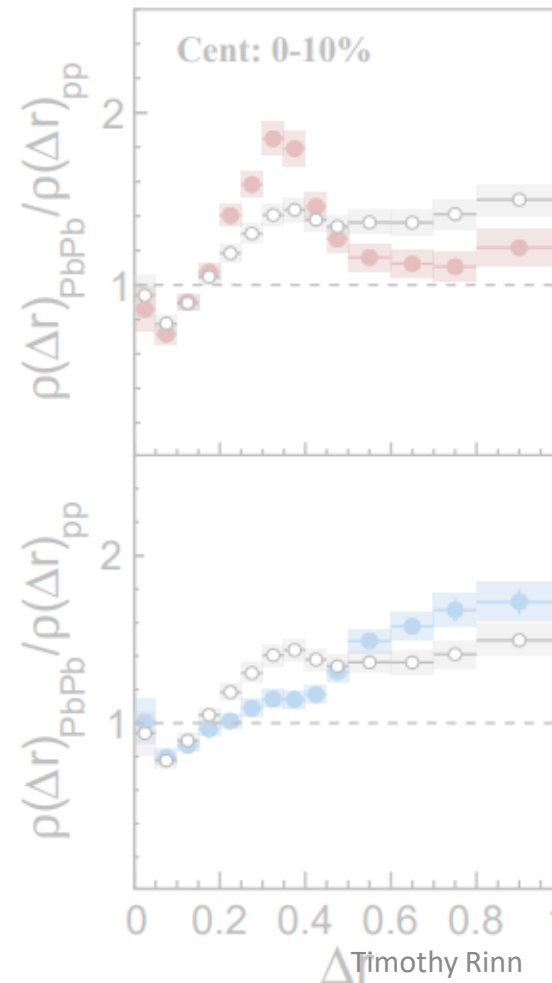
5.02 TeV pp 320 pb⁻¹ PbPb 1.7 nb⁻¹
 anti- k_T R = 0.4, $|\eta_{jet}| < 1.6$, $p_{T,1} > 120$ GeV, $p_{T,2} > 50$ GeV, $\Delta\phi_{1,2} > \frac{5\pi}{6}$

CMS

Leading Jets



CMS SubLeading Jets



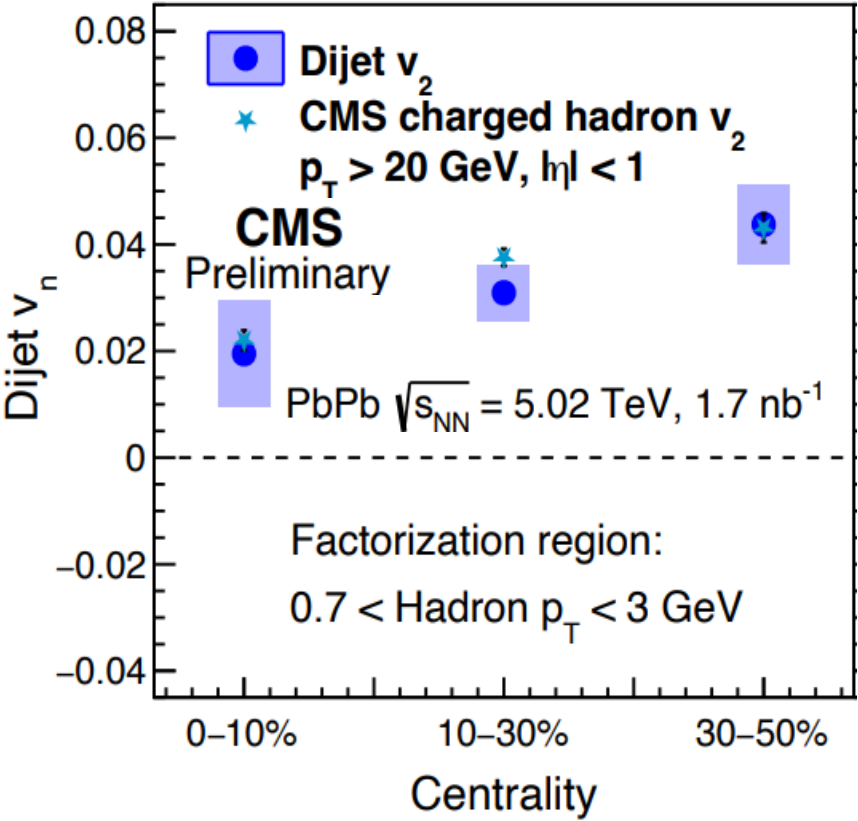
Leading jets observe enhancement of momentum carried at large radii for **Symmetric dijets** relative to inclusive and $x_j < 0.6$

$$P(\Delta r) = \frac{1}{\delta r} \frac{1}{N_{\text{jets}}} \sum_{\text{jets}} \sum_{\text{tracks} \in (\Delta r_a, \Delta r_b)} p_T^{\text{ch}}$$

$$\rho(\Delta r) = \frac{P(\Delta r)}{\sum_{\text{jets}} \sum_{\text{tracks} \in \Delta r < 1} p_T^{\text{ch}}}$$

Dijet azimuthal correlations

HIN-21-002



- Dijet v_2 was measured by the CMS collaboration
- Significant non-zero dijet v_2 is observed
 - Increases with increasing event ellipticity
- Consistent v_2 as measured for high p_T hadrons

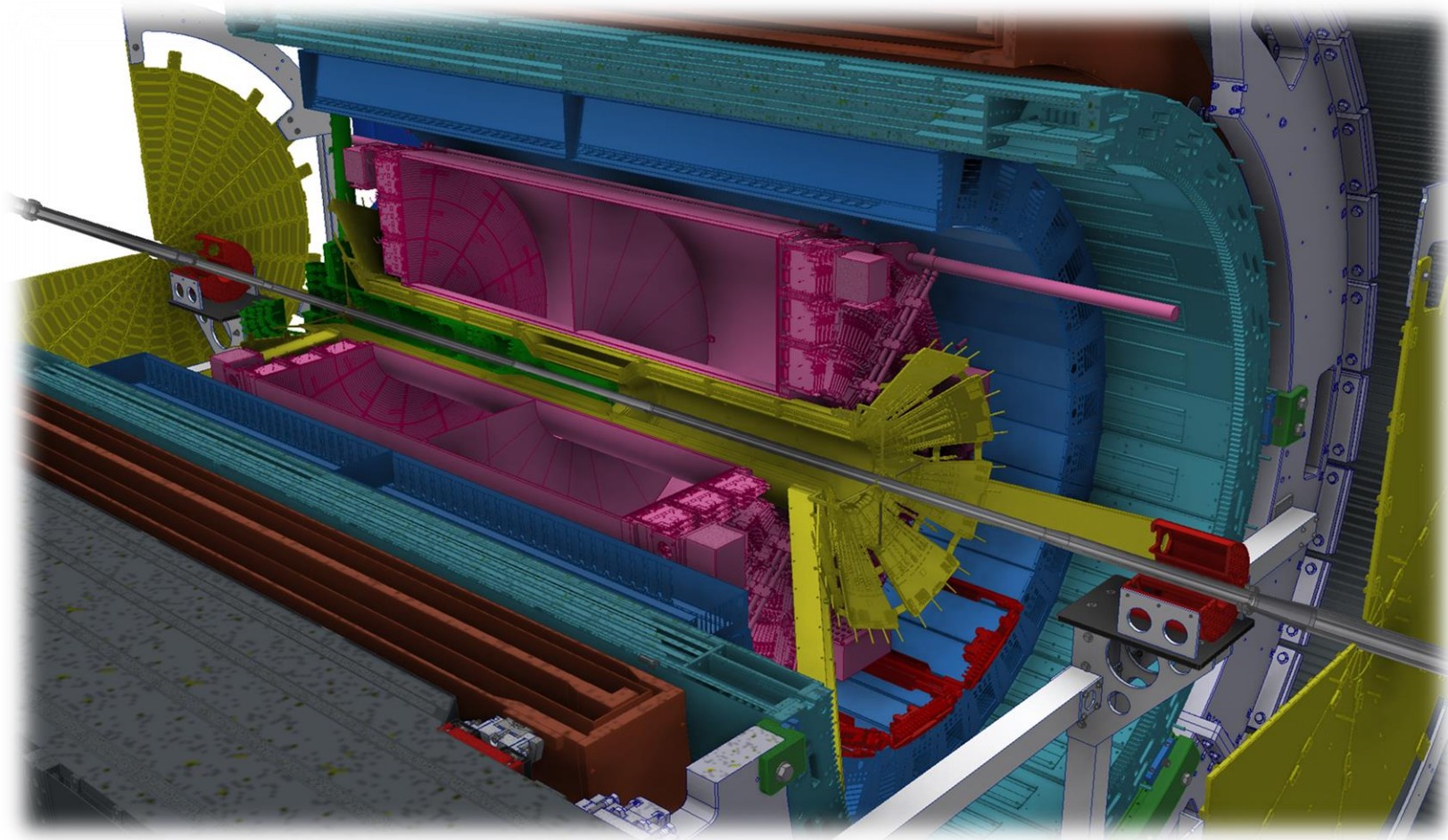
sPHENIX: Jets

➤ State of the art Jet detector at RHIC

➤ Full Hadronic and Electromagnetic calorimetry

➤ Full azimuthal coverage

➤ $|\eta| < 1.1$ acceptance



Year	Species	$\sqrt{s_{NN}}$ [GeV]	Cryo Weeks	Physics Weeks	Rec. Lum. $ z < 10$ cm	Samp. Lum. $ z < 10$ cm
2023	Au+Au	200	24 (28)	9 (13)	3.7 (5.7) nb ⁻¹	4.5 (6.9) nb ⁻¹
2024	$p^\dagger p^\dagger$	200	24 (28)	12 (16)	0.3 (0.4) pb ⁻¹ [5 kHz] 4.5 (6.2) pb ⁻¹ [10%-str]	45 (62) pb ⁻¹
2024	$p^\dagger + \text{Au}$	200	-	5	0.003 pb ⁻¹ [5 kHz] 0.01 pb ⁻¹ [10%-str]	0.11 pb ⁻¹
2025	Au+Au	200	24 (28)	20.5 (24.5)	13 (15) nb ⁻¹	21 (25) nb ⁻¹