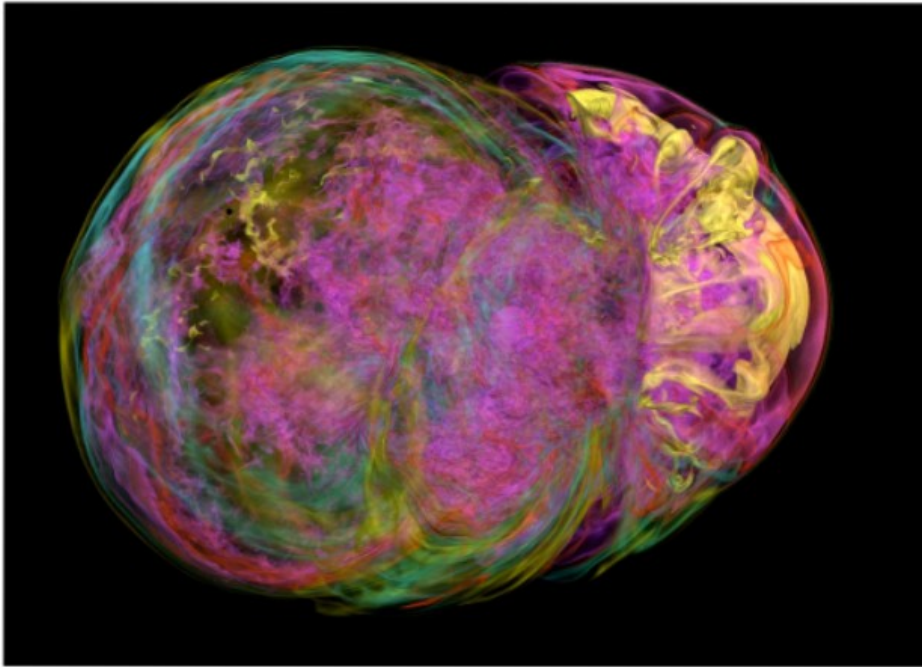


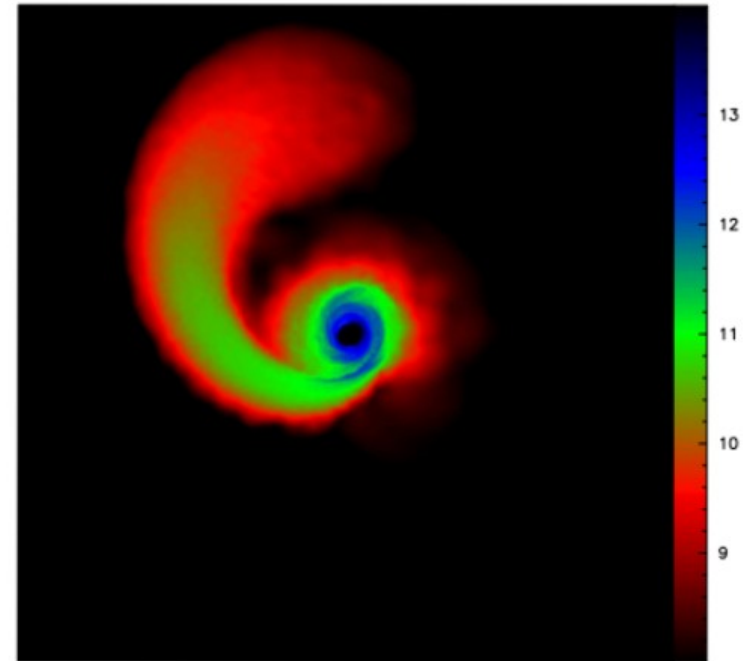
Neutrino oscillations in supernovae and mergers

Gail McLaughlin
North Carolina State University

Core collapse supernovae and compact object mergers

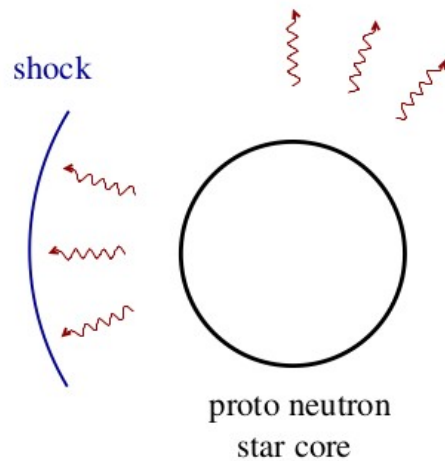


Core collapse supernova
(from Blondin et al.)

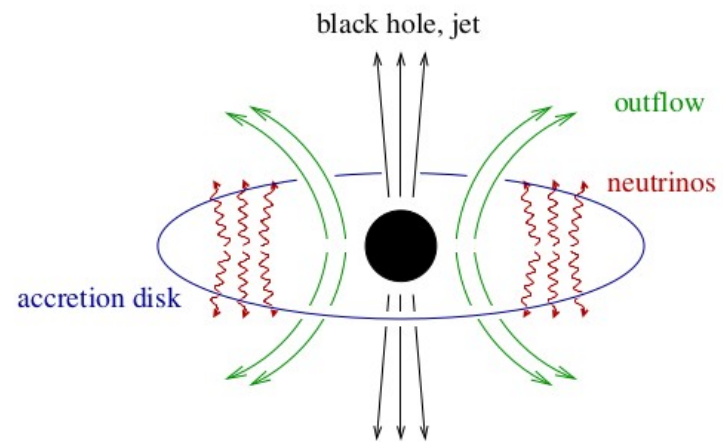


Compact object merger
(from Rosswog et al.)

Explosions and mergers

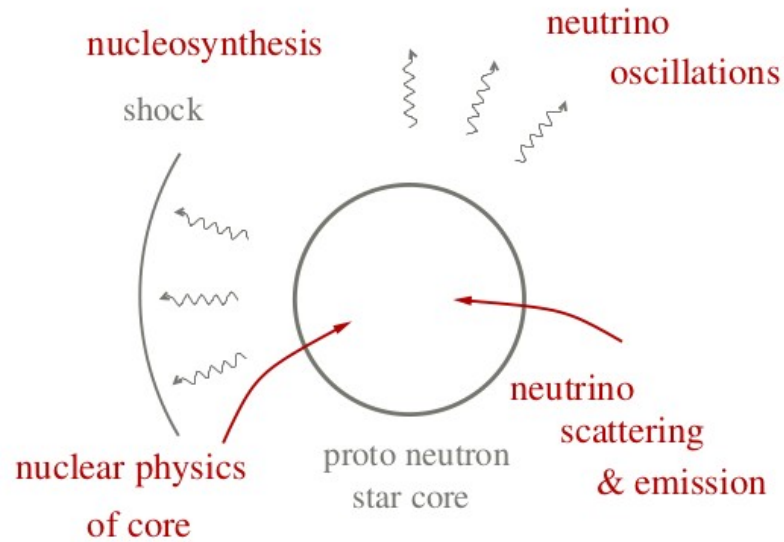


Standard core collapse SN

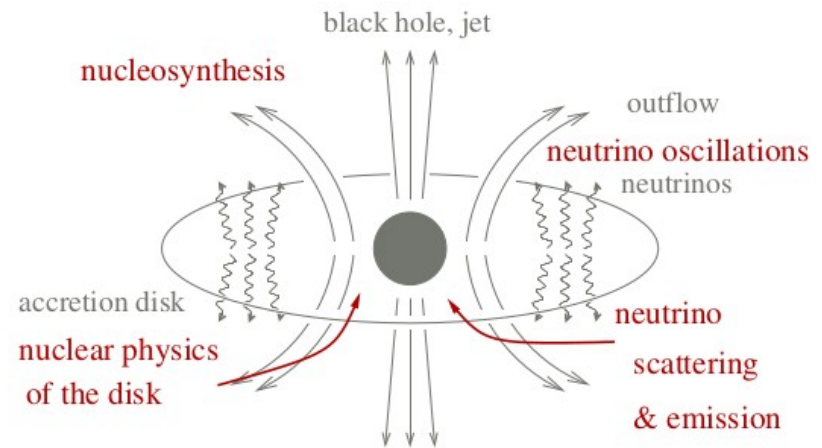


Accretion disk from core collapse SN or compact object merger

Microphysics of explosions and mergers



Standard core collapse SN



Accretion disk from core collapse SN or compact object merger

Specific examples of questions where neutrino physics is needed

How do neutrinos affect the dynamics of both objects?

What is the spectrum of a supernova neutrino signal?

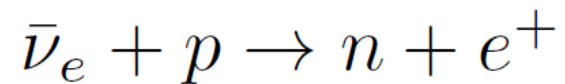
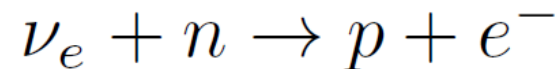
Which r-process elements do neutron star mergers make?

What elements are made in supernovae winds?

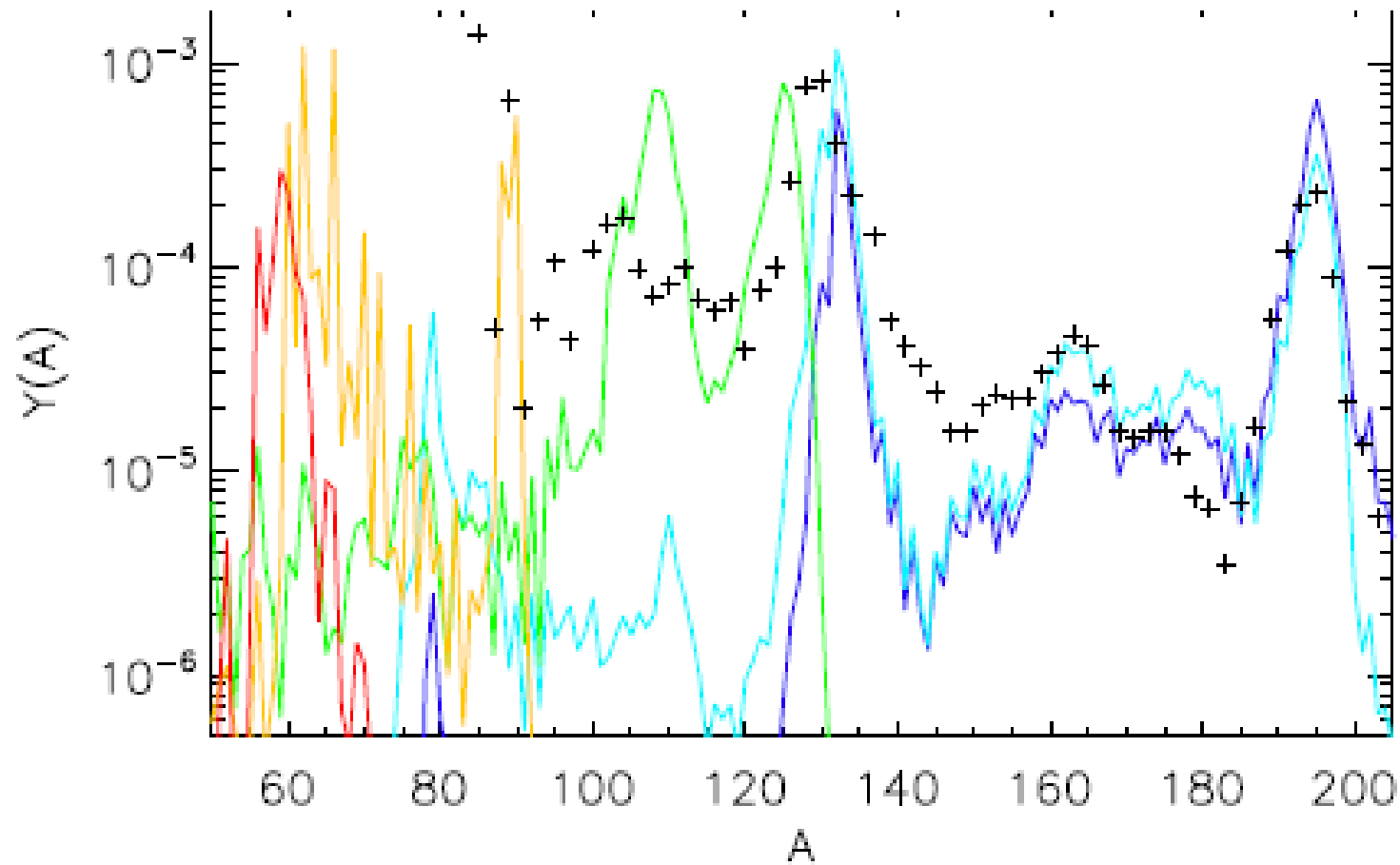
The weak interaction matters

How neutrinos influence nucleosynthesis

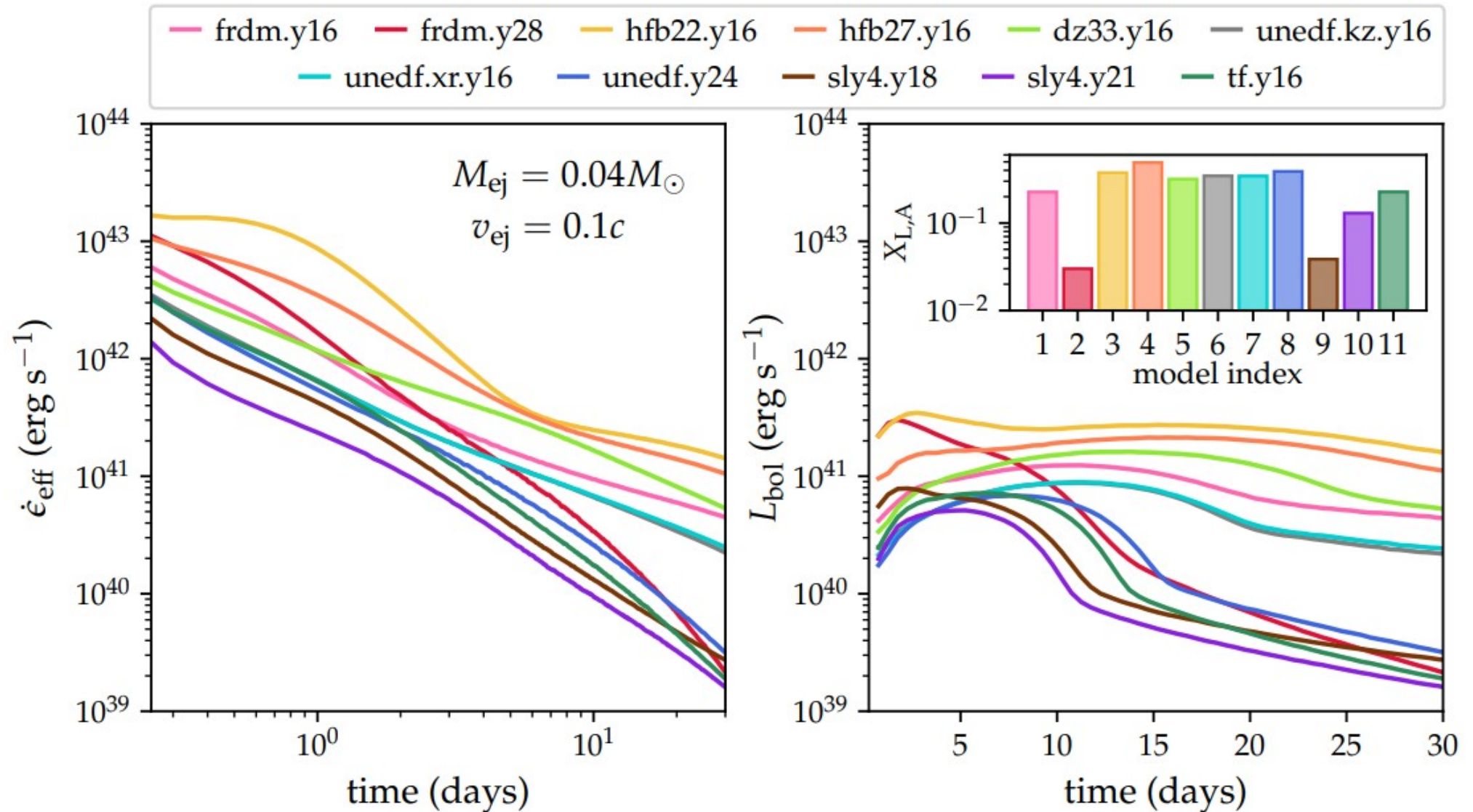
Neutrinos change the ratio of neutrons to protons



How much does it matter?

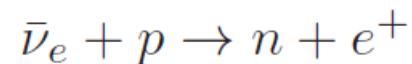
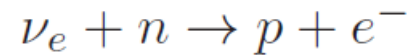


Electromagnetic counterpart (kilonova) to a merger depends on the electron fraction



Flavor matters for nucleosynthesis

Neutrinos change the ratio of neutrons to protons



Oscillations change the spectra of ν_e s and $\bar{\nu}_e$ s

$$\nu_e \leftrightarrow \nu_\mu, \nu_\tau$$

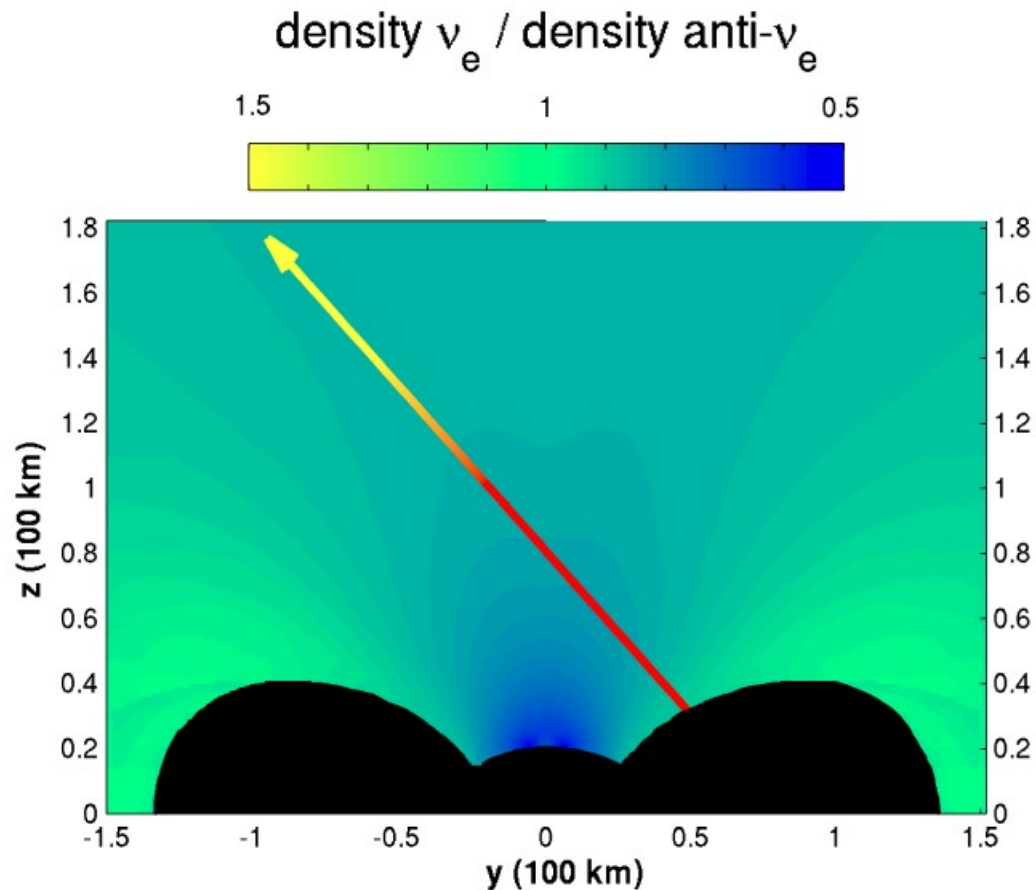
$$\bar{\nu}_e \leftrightarrow \bar{\nu}_\mu, \bar{\nu}_\tau$$

Mergers have less ν_μ, ν_τ than ν_e and $\bar{\nu}_e$

→ oscillation reduces numbers of $\nu_e, \bar{\nu}_e$

Do neutrinos transform in supernovae and mergers?

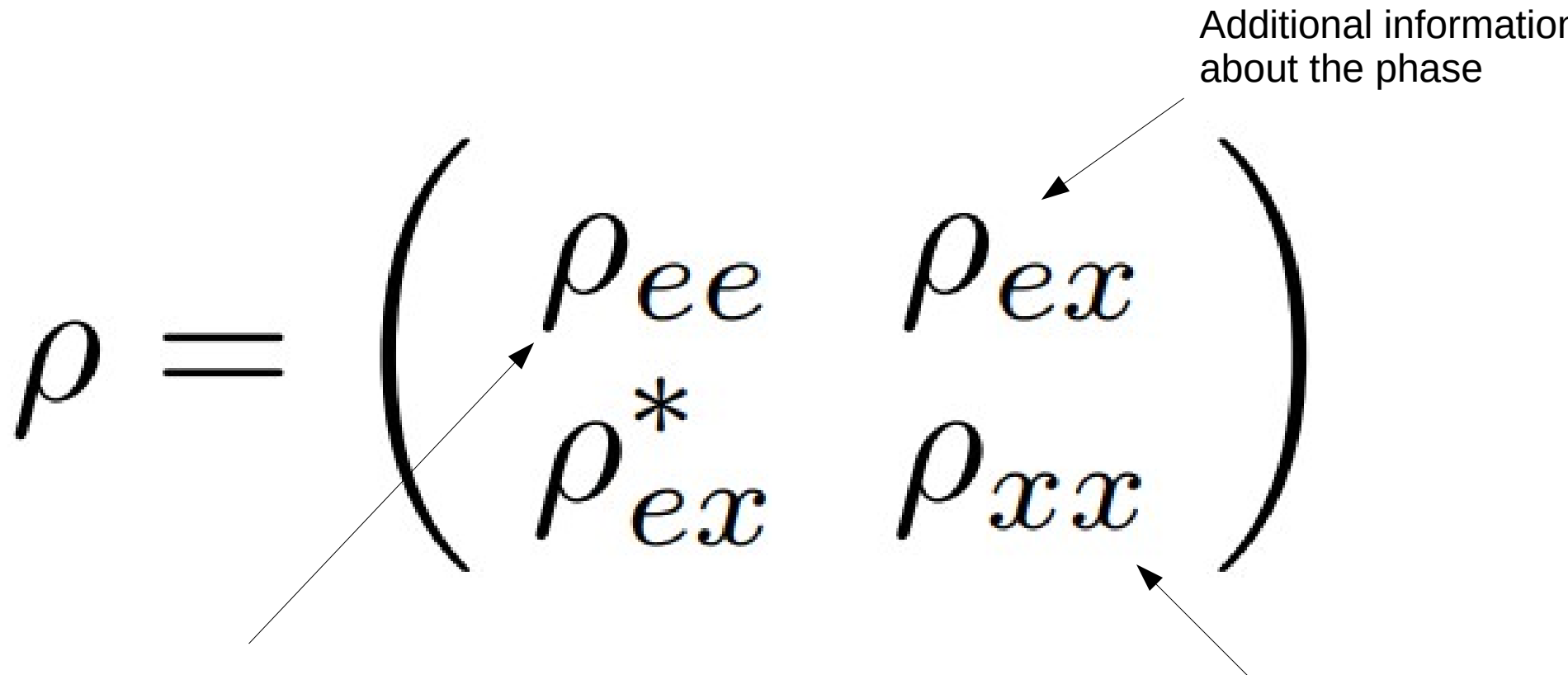
Answer, almost certainly, is yes



Neutrinos can be described by a density matrix

$$\rho = \begin{pmatrix} \rho_{ee} & \rho_{ex} \\ \rho_{ex}^* & \rho_{xx} \end{pmatrix}$$

Additional information about the phase

The diagram shows a 2x2 density matrix ρ enclosed in large parentheses. The elements are ρ_{ee} , ρ_{ex} , ρ_{ex}^* , and ρ_{xx} . Three arrows point from text labels to specific elements: one from the top-left to ρ_{ee} , one from the top-right to ρ_{ex} , and one from the bottom-right to ρ_{xx} .

Tells you how likely you are to measure the neutrino as electron type

Tells you how likely you are to measure the neutrino in an x (mu or tau) state

Neutrinos can oscillate (flavor transform)

$$i \frac{D\rho}{Dt} = [\mathbf{H}, \rho] + i\mathbf{C}$$

$$i \frac{D\bar{\rho}}{Dt} = [\bar{\mathbf{H}}, \bar{\rho}] + i\bar{\mathbf{C}}$$

Collision
term

Convective derivative

Hamiltonian

Hamiltonian creates non-linearity

$$\mathbf{H} = \mathbf{H}_{\text{vac}} + \mathbf{H}_{\text{M}} + \mathbf{H}_{\text{SI}}$$

$$\bar{\mathbf{H}} = \mathbf{H}_{\text{vac}} - \mathbf{H}_{\text{M}} - \mathbf{H}_{\text{SI}}^*$$

$$i \frac{D\rho}{Dt} = [\mathbf{H}, \rho]$$

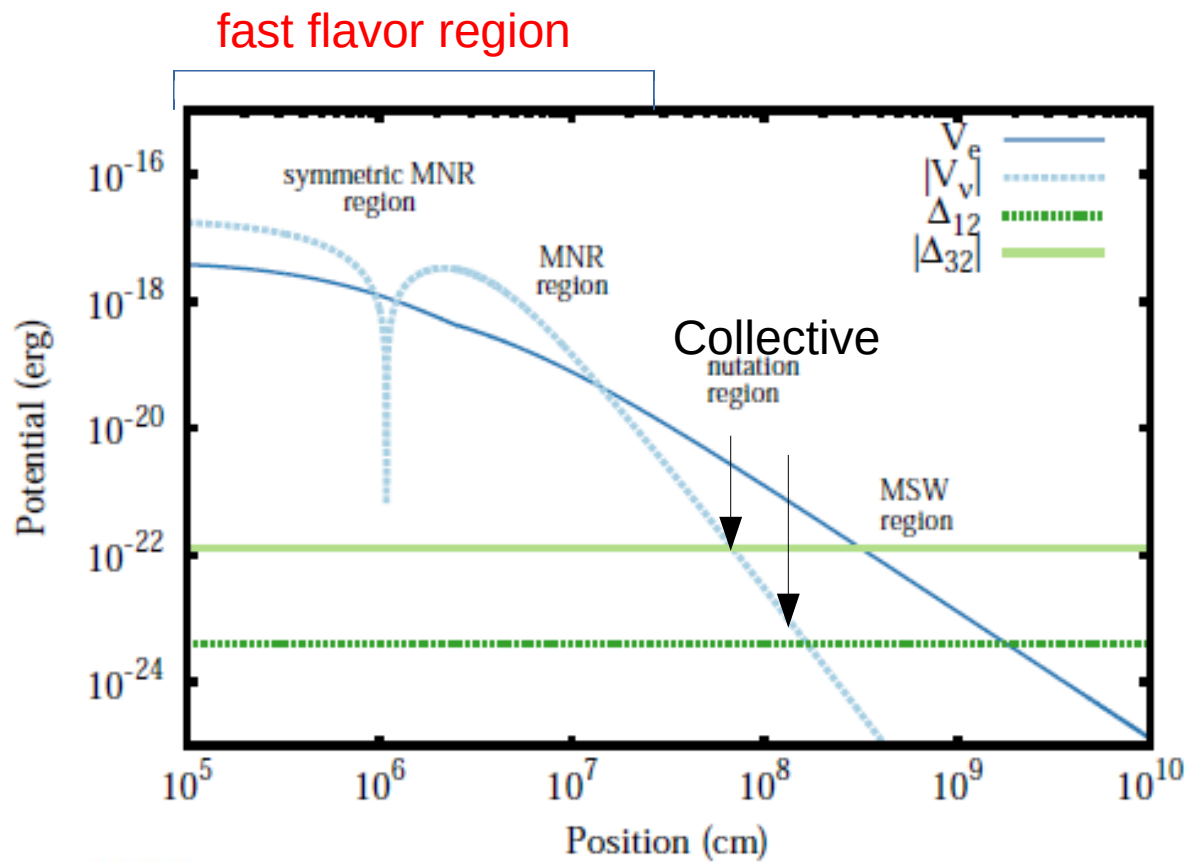
$$i \frac{D\bar{\rho}}{Dt} = [\bar{\mathbf{H}}, \bar{\rho}]$$

Neutrinos see a potential due to other neutrinos

Neutrinos see a potential due to the matter

Flavor and mass are not the same

Types of transformations

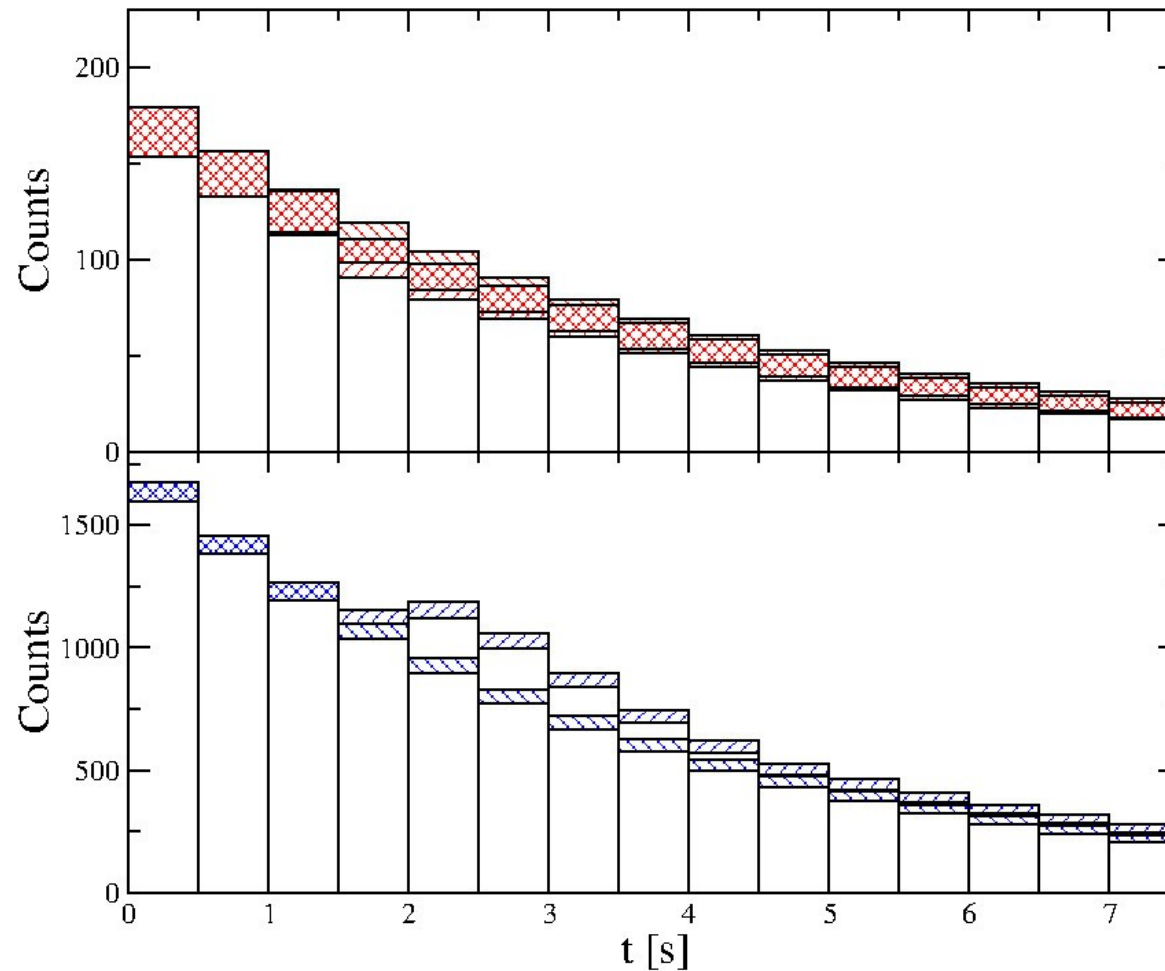


$$\mathbf{H} = \mathbf{H}_{\text{vac}} + \mathbf{H}_{\text{M}} + \mathbf{H}_{\text{SI}}$$

$$\bar{\mathbf{H}} = \mathbf{H}_{\text{vac}} - \mathbf{H}_{\text{M}} - \mathbf{H}_{\text{SI}}^*$$

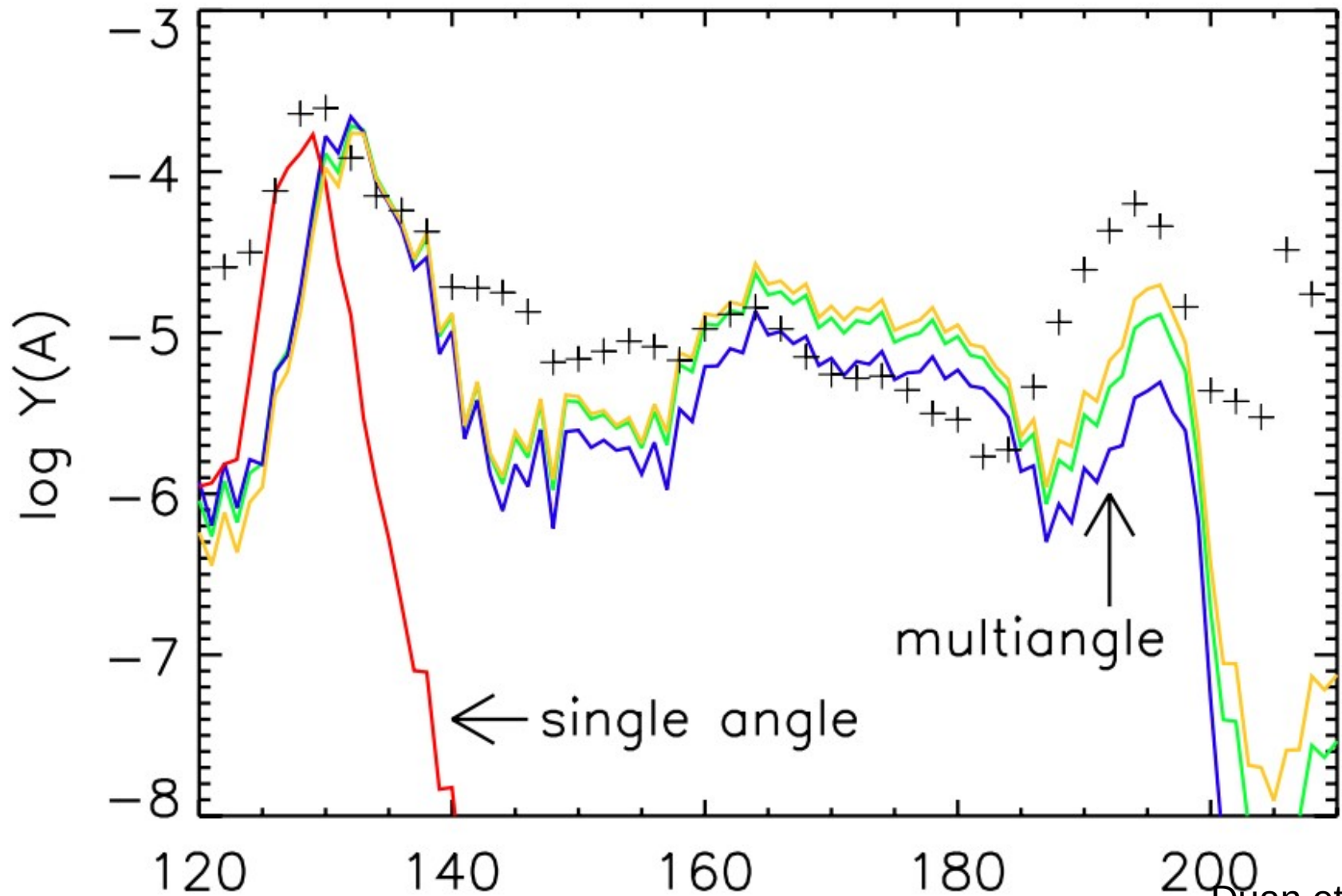
fig. from Malkus et al 2016

Collective and MSW change on the supernova neutrino time signal



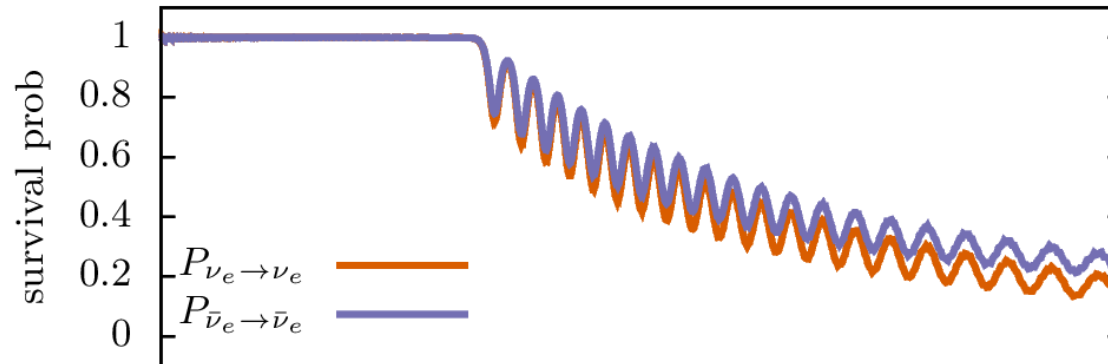
Gava et al 2009

Collective oscillations for supernova nucleosynthesis



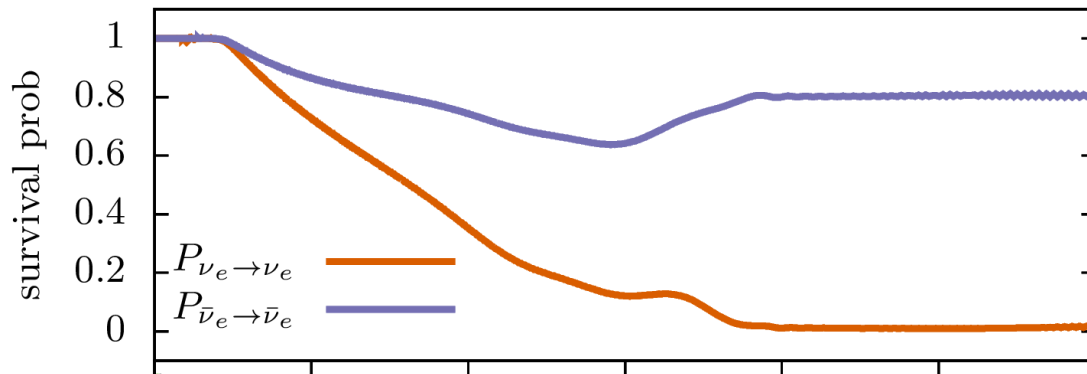
Transformation is sensitive to conditions, approximations

Flavor Evolution (noscat)



Collective

Flavor Evolution (scat)



Matter-neutrino
Resonance

300 km

1500 km

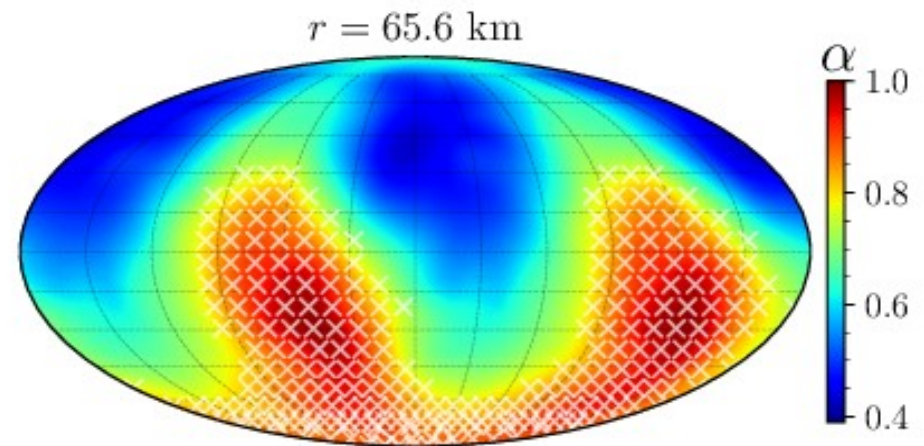
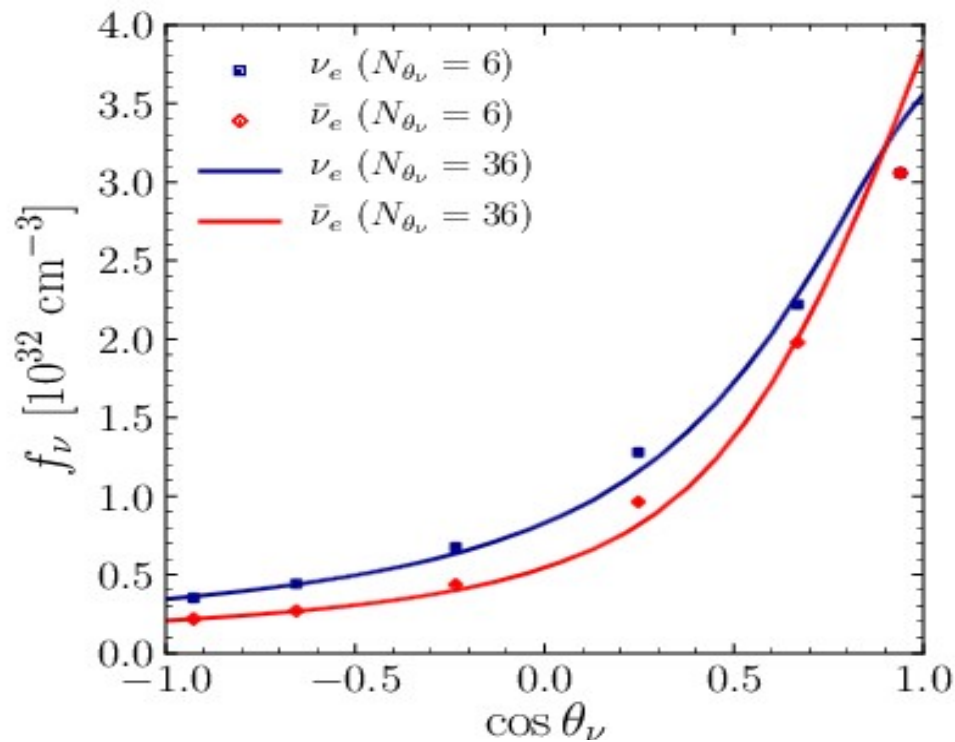
A few of the open issues in supernova neutrino oscillations

“Fast flavor” oscillations may occur close to the decoupling surface – how to follow these very small scale oscillations consistently

Energy, direction, and flavor changing collisions need to be included self consistently

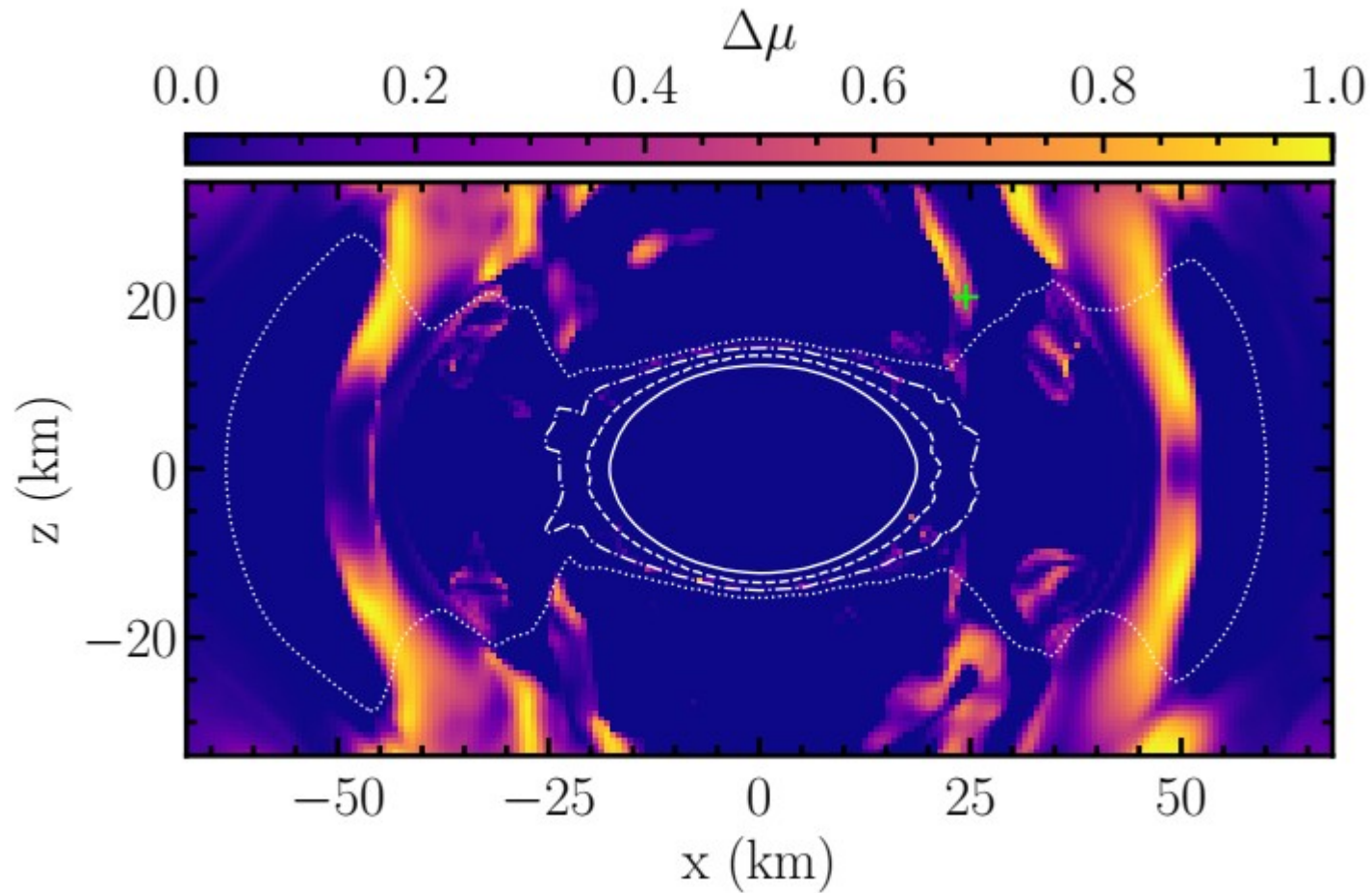
We use mean field – does that make a difference?

Fast oscillation instability correlated with “crossings”



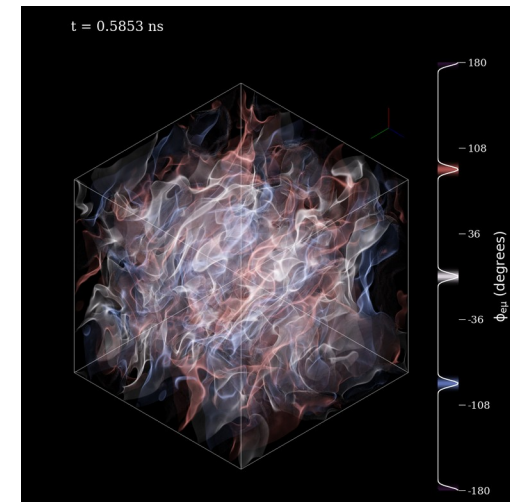
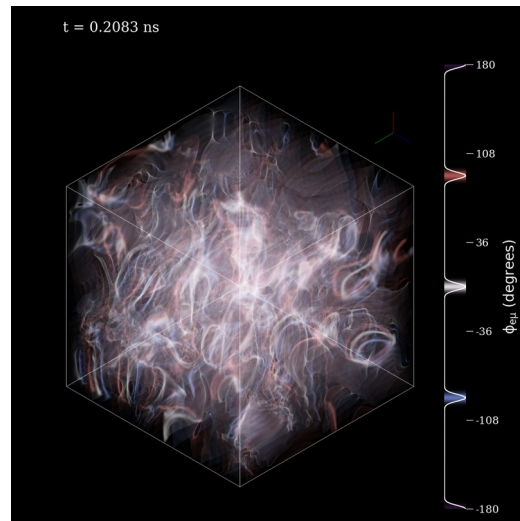
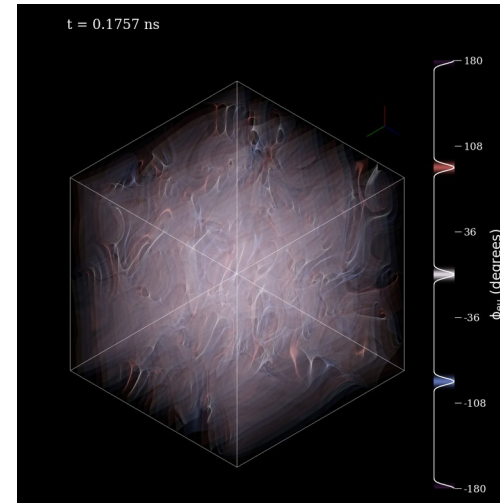
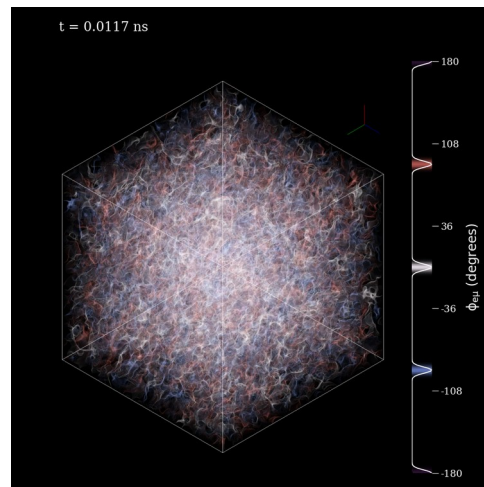
Figures from Abbar et al 2018,
supernova model from Sumiyoshi et al

Crossings in BNS remnant

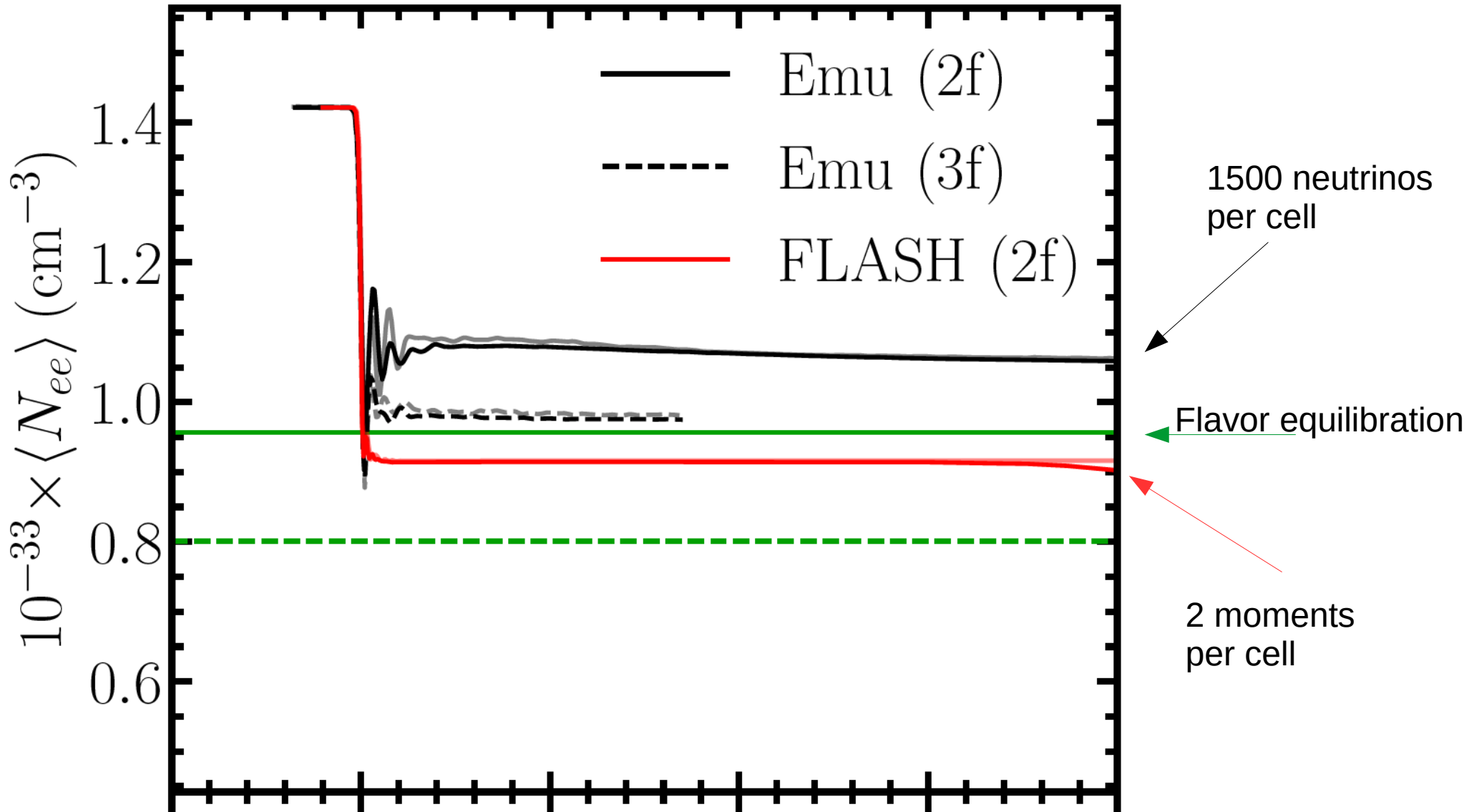


Fast flavor oscillations above a BNS merger with moments using FLASH

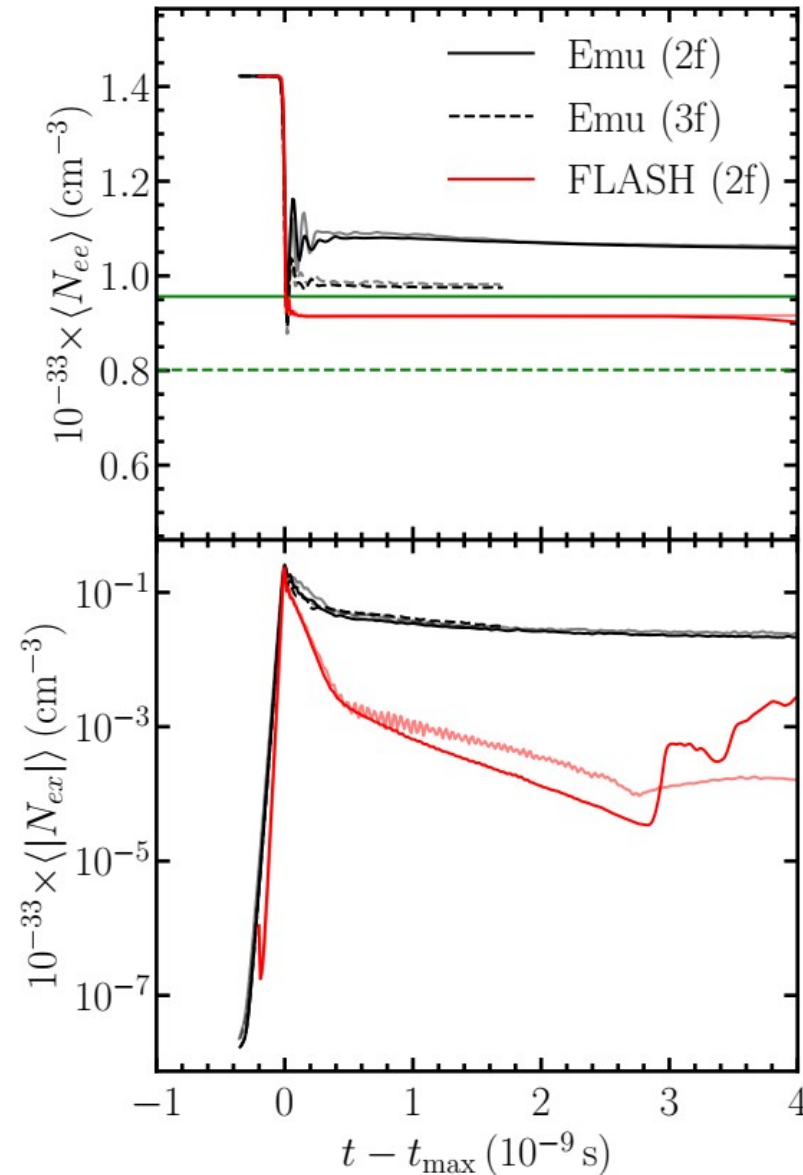
(Grohs et al 2022)



Growth and saturation, BNS, moments vs PIC

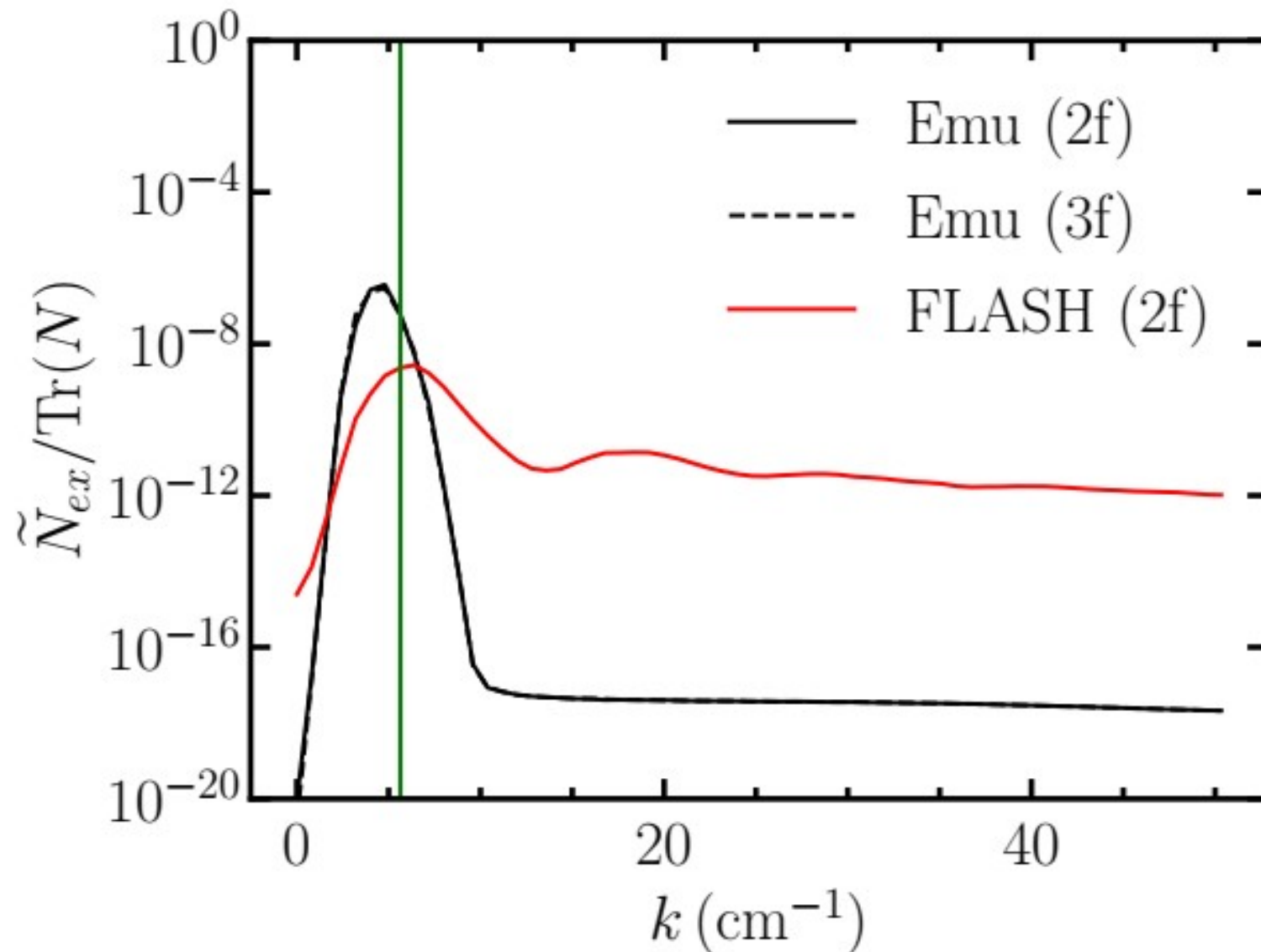


Growth and saturation, BNS, moments vs PIC



Grohs et al 2022

Fourier transform BNS, moments vs PIC



Collisions

$$i \frac{D\rho}{Dt} = [\mathbf{H}, \rho] + i\mathbf{C}$$

$$i \frac{D\bar{\rho}}{Dt} = [\bar{\mathbf{H}}, \bar{\rho}] + i\bar{\mathbf{C}}$$

Collision
term

Convective derivative

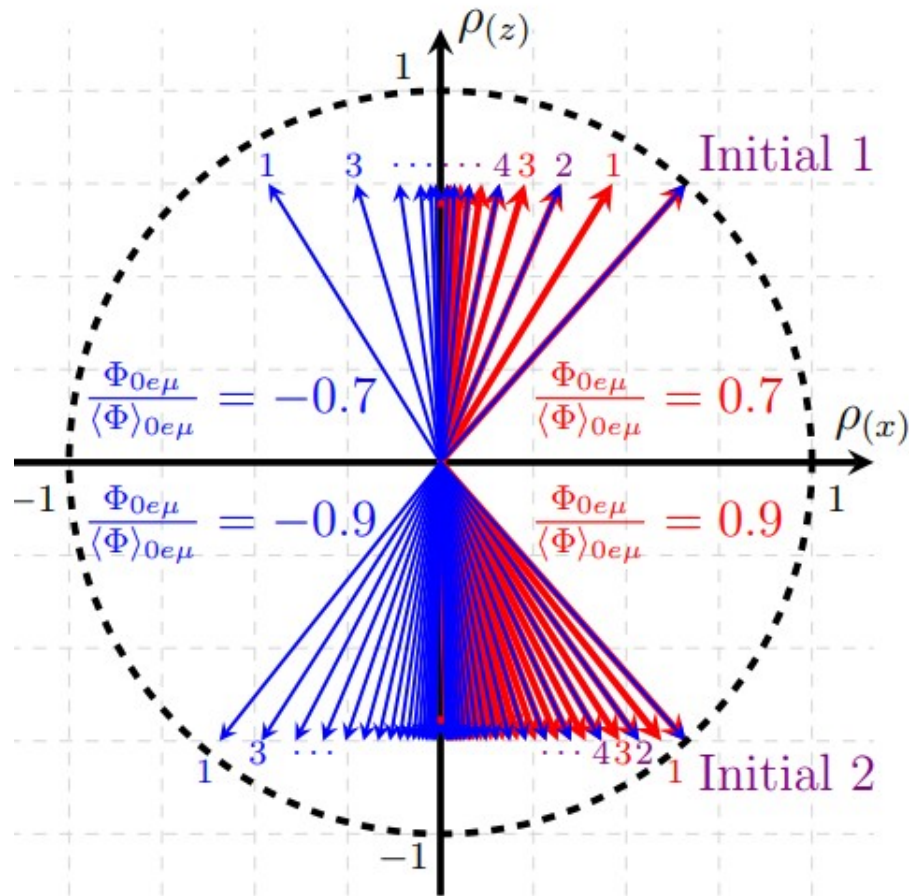
Hamiltonian

Collisions

Collisions: scatterings which change energy, momentum, type of particle

Collisions damp out “mixed” states and send the neutrino system toward pure flavor states (or not! Shalgar et al, Johns et al)

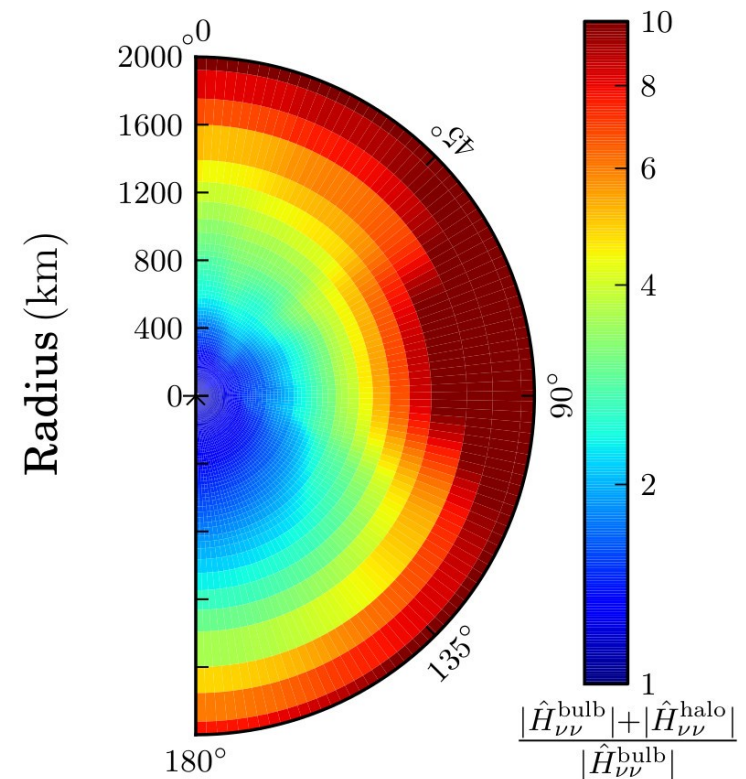
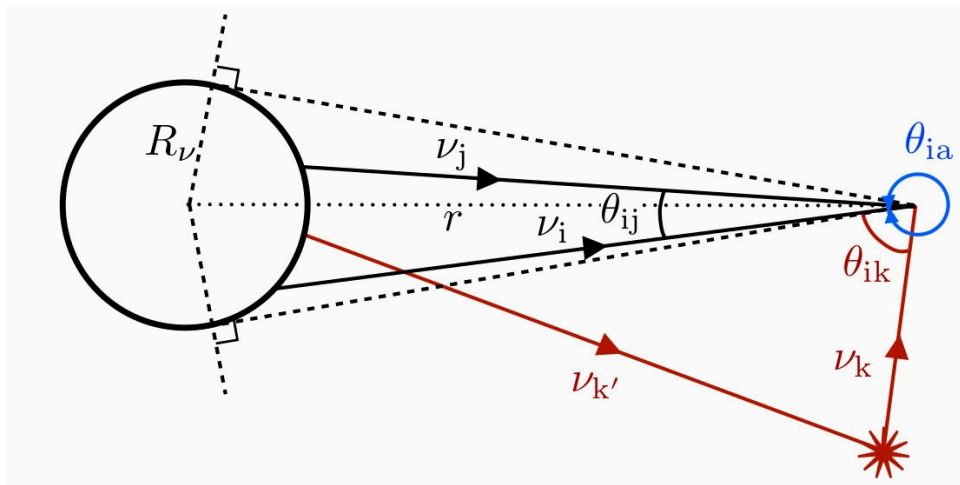
A neutrino in a mixed state under the influence of collisions



Evolution of flavor vector due to collisions, Fig. from Richers et al, 2019

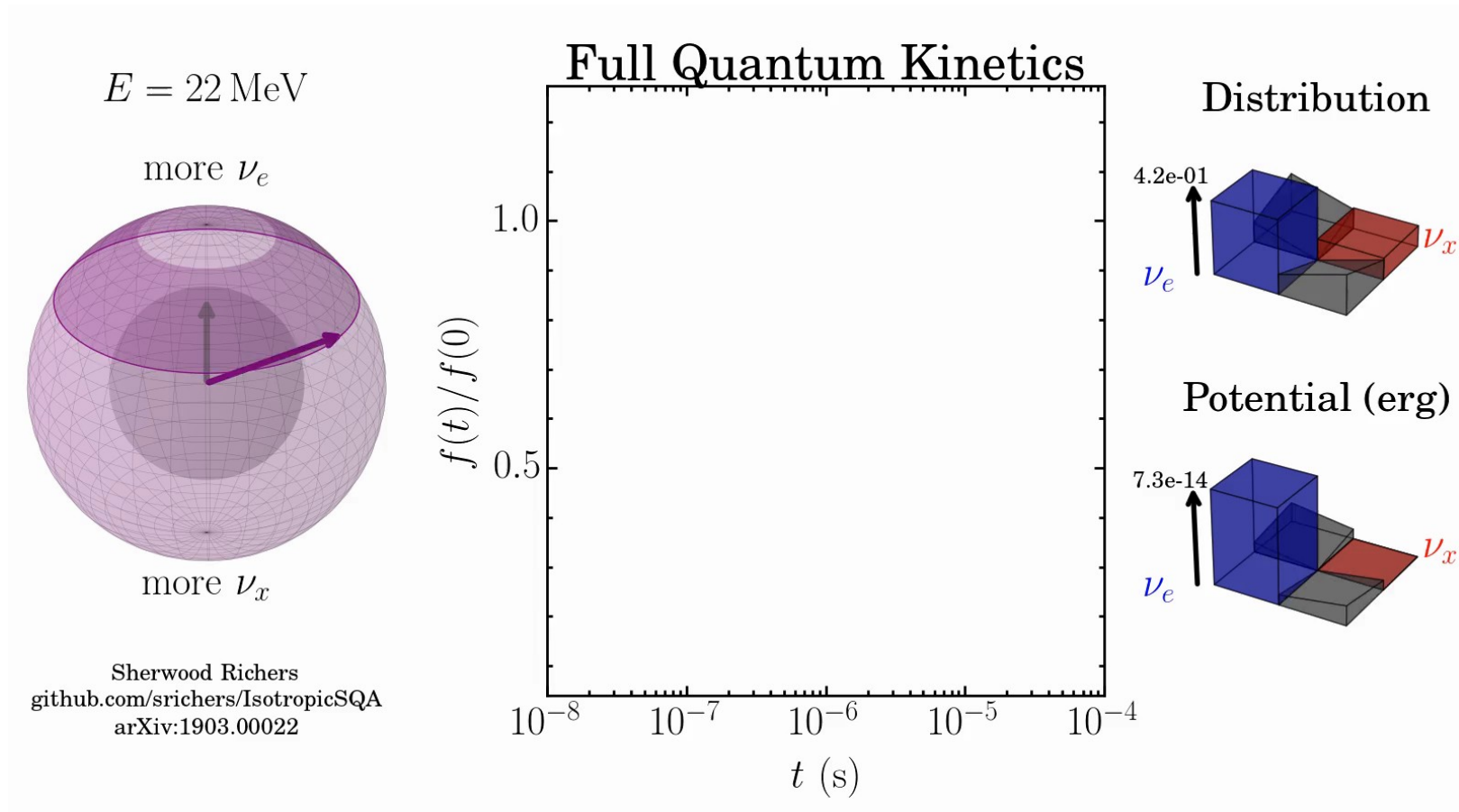
Halo effect, collisions matter

Significant numbers of neutrinos can scatter “backward”

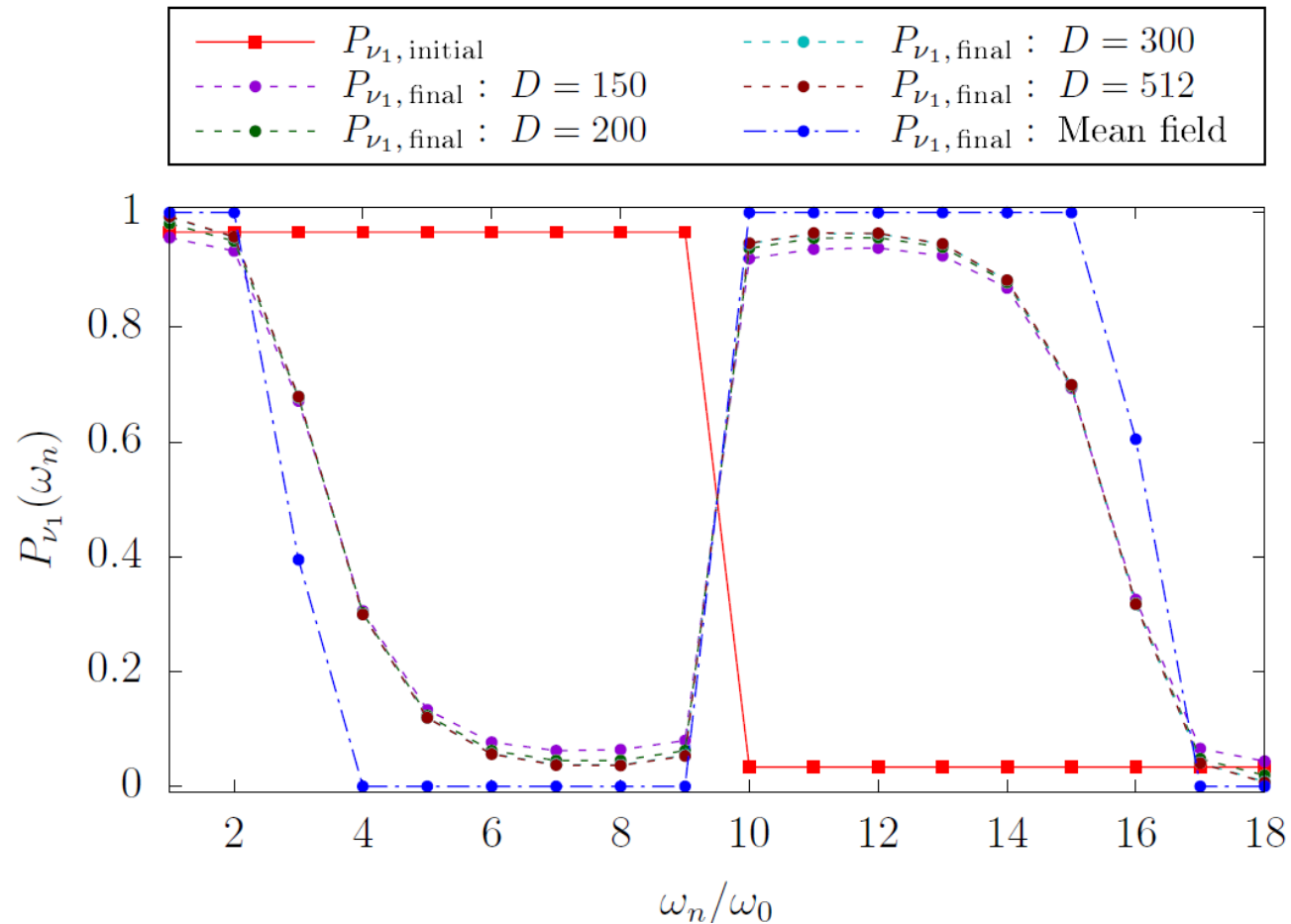


Cherry et al 2012

Oscillations with collisions, isotropic



Beyond mean field



Conclusions

We need to understand neutrinos in astrophysical systems to accurately predict observables including element synthesis, neutrino signals

Involves solving the quantum kinetic equations in astrophysical environments

Starting to make progress on this by understanding fast flavor, making efforts to include full QKEs, understand the usefulness of the mean field approximation

To keep mind: Astrophysical objects will make better laboratories for neutrino physics if we make progress on understanding systems with large numbers of neutrinos