An aerial photograph of a coastal town and university campus. The town is built on a peninsula with a large green lake in the center. The ocean is to the right, with white waves crashing against the shore. In the background, there are mountains under a clear blue sky. The text 'Project 8: a radiofrequency approach to the neutrino mass' is overlaid in the upper right quadrant, and 'Ben Monreal, UC Santa Barbara' is overlaid in the lower right quadrant.

Project 8: a radiofrequency approach to the neutrino mass

Ben Monreal, UC Santa Barbara

Project 8 collaboration

- UCSB: Ben Monreal
- MIT: Joe Formaggio, Asher Kaboth, Daniel Furse
- University of Washington: Hamish Robertson, Peter Doe, Leslie Rosenberg, Michael Miller, Gray Rybka, Brent Vandevender, Adam Cox, Michelle Leber, Laura Bodine
- NRAO: Rich Bradley

BM & JF, arxiv:0904.2860, shortly in PRD

Neutrino mass

Kurie, Richardson, & Paxton 1936
BETA-RAY SPECTRA

375

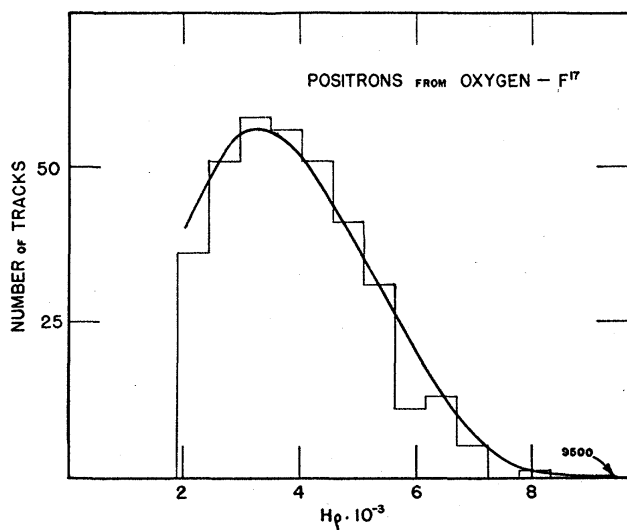


FIG. 3. Distribution histogram for the positrons emitted from activated oxygen (F^{17}) together with the theoretical K-U curve. The endpoint of the theoretical curve is at $9500H\rho$.

when the target chamber was full of oxygen. A strong sample of F^{17} is driven by recoil onto the foil.

Fig. 3 shows the distribution histogram together with a K-U curve which has been fitted to it by means of the linear plot in Fig. 4. The

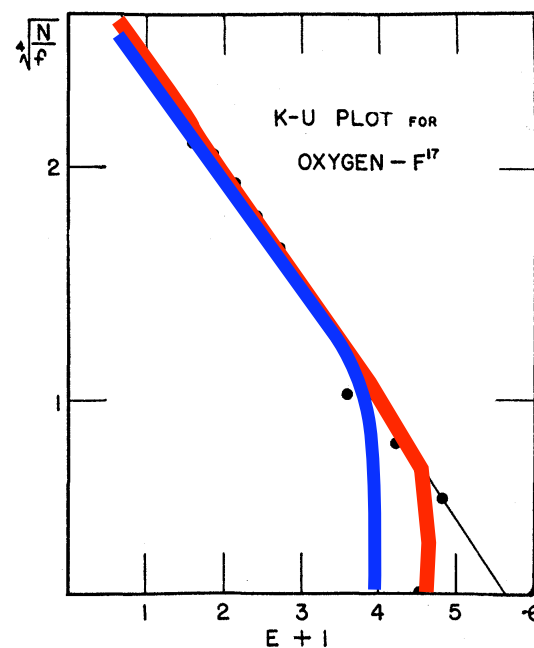
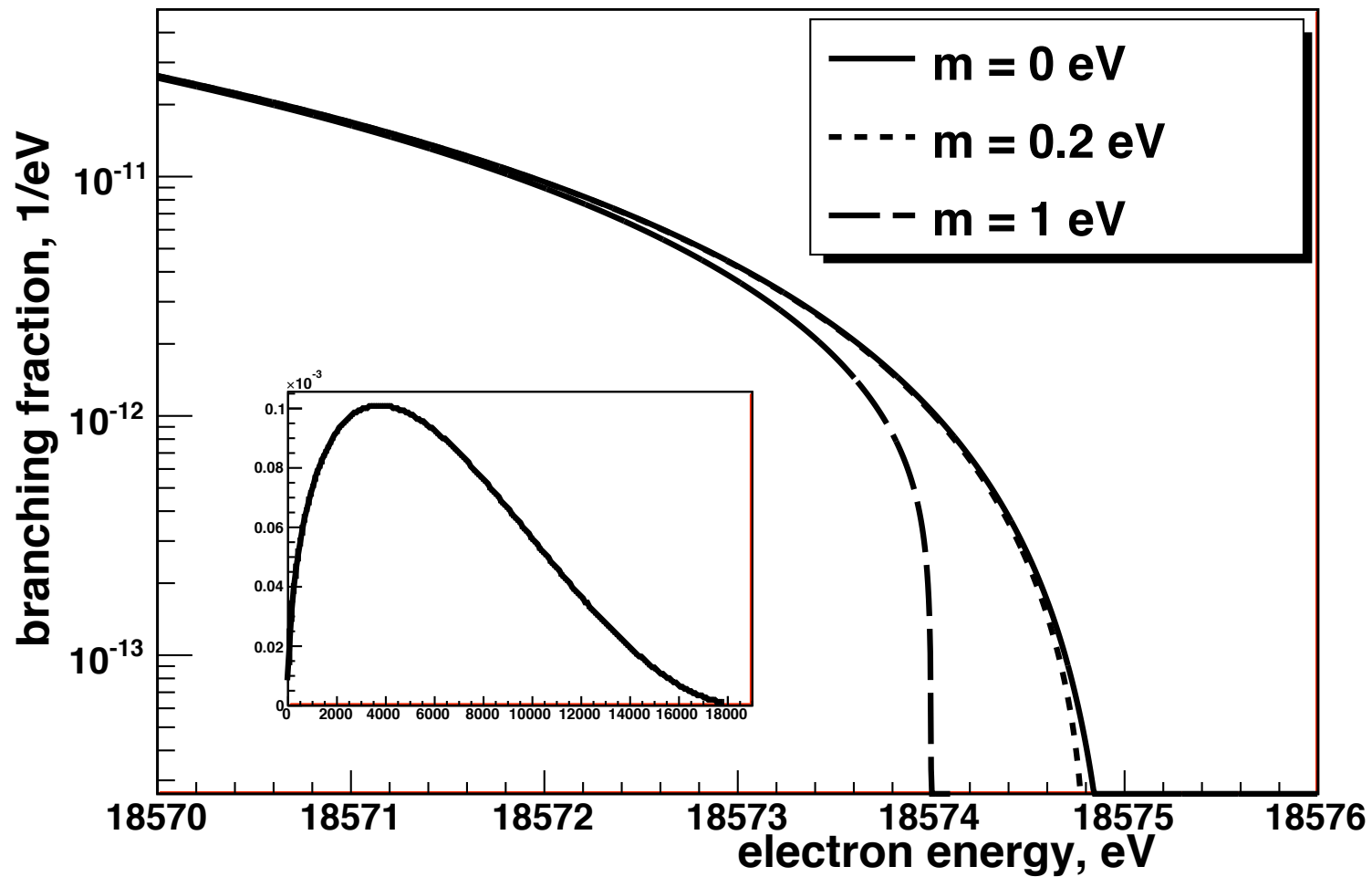


FIG. 4. K-U plot for activated oxygen. This plot is again linear and extrapolates to an upper limit at $E+1=5.7$.

Sodium Na^{24} (electron emitter)

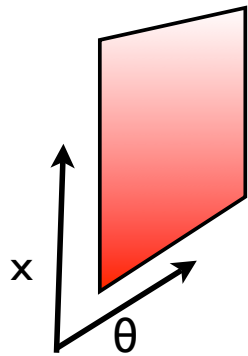
Radio-sodium has been extensively studied by E. O. Lawrence.¹⁸ Substances of the same decay period have been prepared by Fermi and his

Neutrino mass

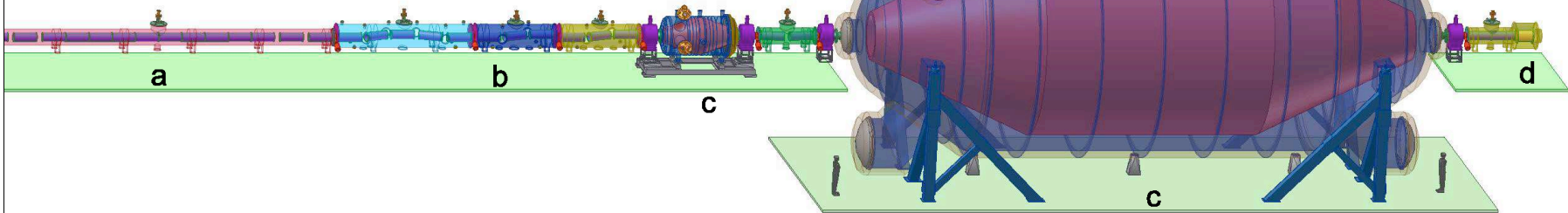
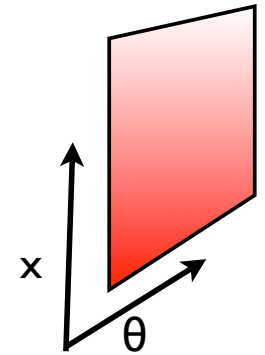
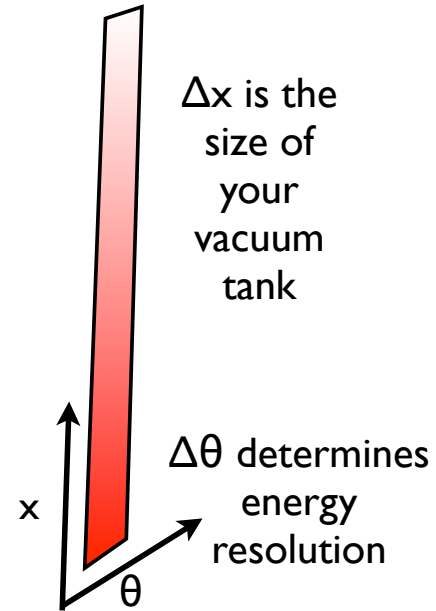
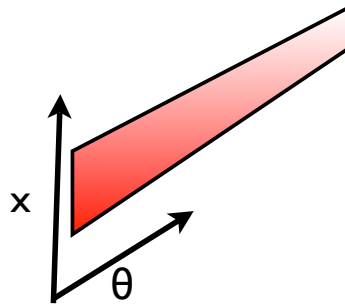


Liouville's theorem

The volume of phase space is conserved for any system obeying T symmetry



Source area $\Delta\theta\Delta x$
determines amount of T_2

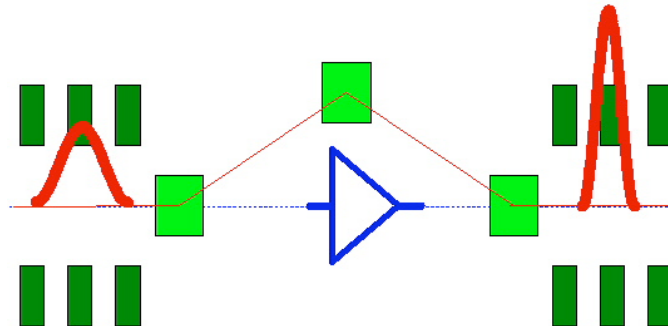


Nondestructive measurement

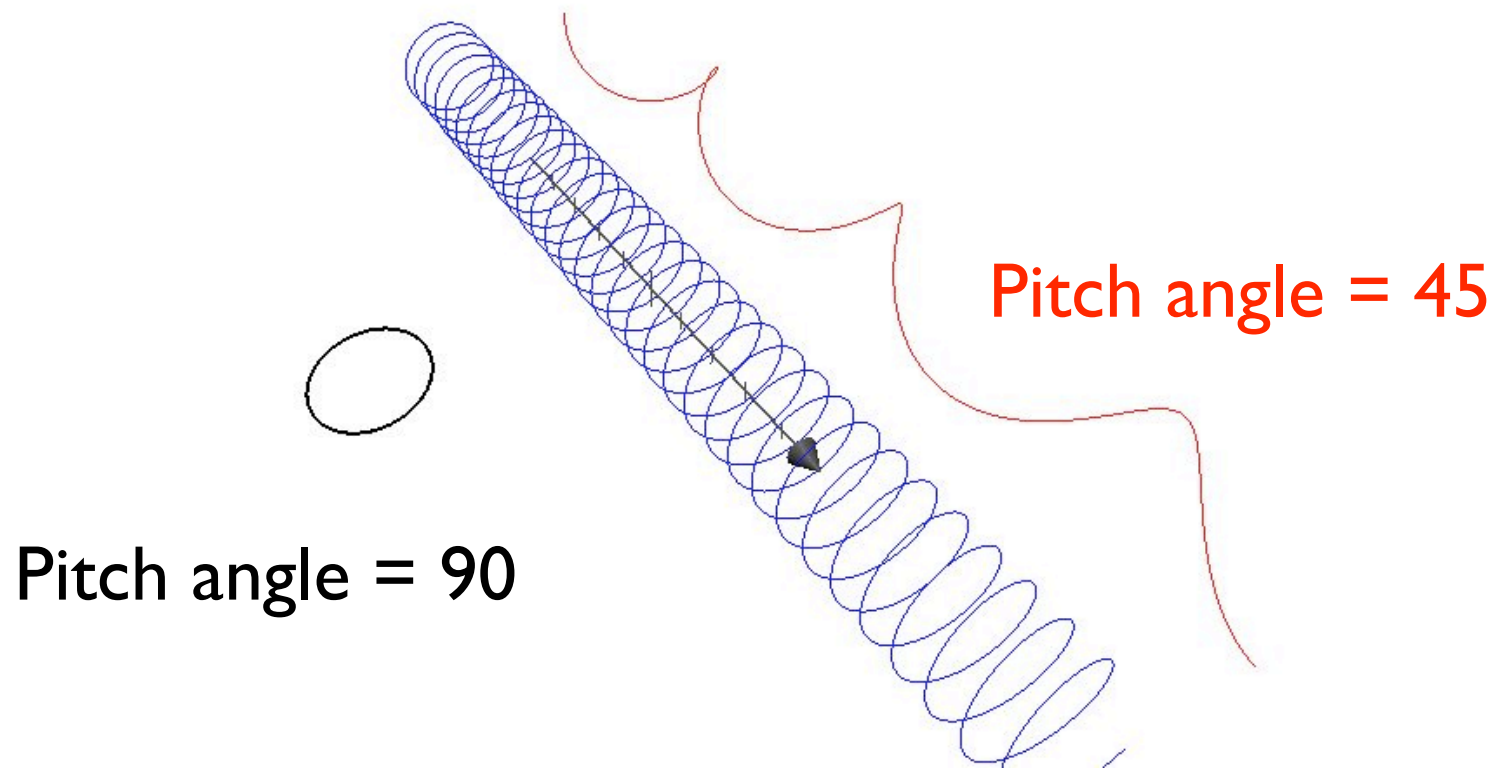
- Maxwell's Demon



- Stochastic cooling



Cyclotron motion



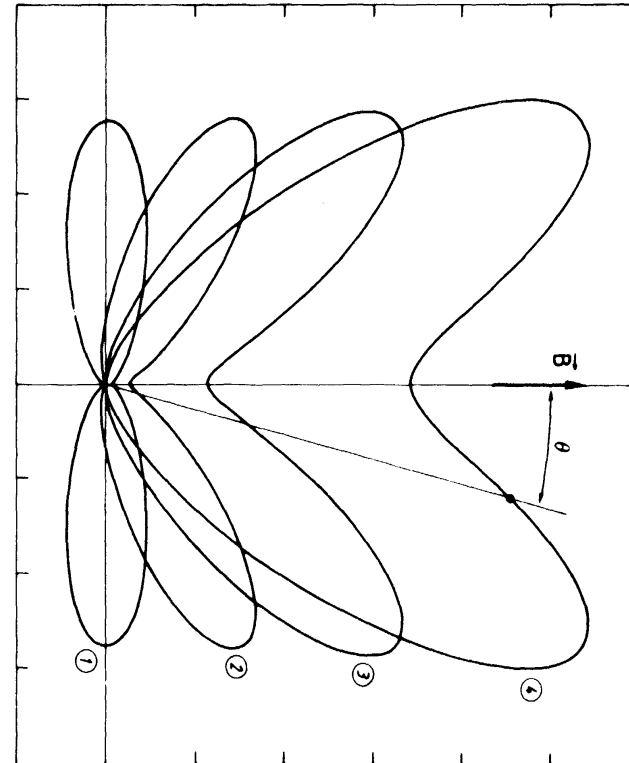
Cyclotron radiation

- accelerating charge = EM radiation
- Coherent, narrowband
- High power per electron

$$P_{\text{tot}} = \frac{1}{4\pi\epsilon_0} \frac{2q^2\omega_c^2}{3c} \frac{\beta_{\perp}^2}{1-\beta^2}$$

- Electron energy contributes to velocity v , power P , frequency ω
- *Can we detect this radiation, measure v , P , ω , and determine $E \pm 1$ eV?*

$$\omega = \frac{qB}{\gamma mc^2}$$



Complications

- Frequency resolution?
- Doppler shift?
- Huge fluxes!
- Available power



Systematics?

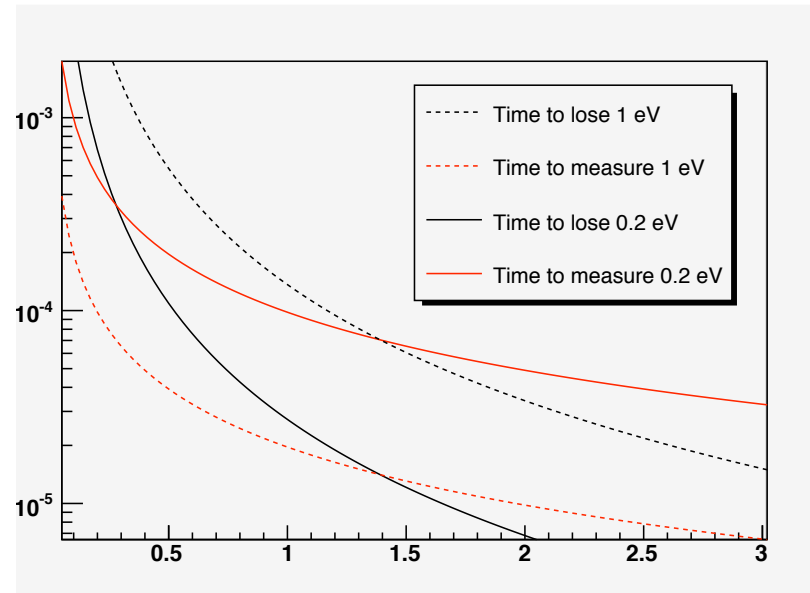
Frequency

- Schawlow: “Never measure anything but frequency”
- $f \cdot \Delta E/E \sim \Delta f = 1/\Delta t$
- 1 eV energy resolution
 - $\Delta f / f = 2 \times 10^{-6}$ (easy!)
 - $\Delta t = 20 \mu\text{s}$ (hard!)
 - $\beta c \cdot \Delta t = 1400$ meters



Radiative losses

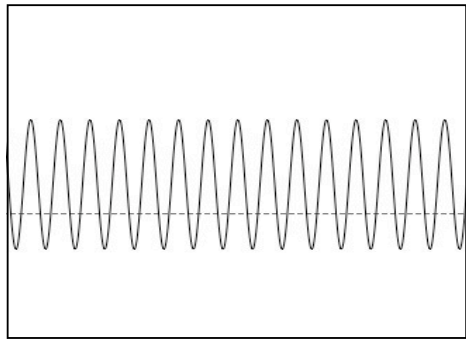
- E changes during measurement (cyclotron radiation)
- Decay rate $\Delta E/\Delta t \propto B^2$
- Fourier limit $\Delta E \Delta t \propto B^{-1}$
 - Prevents high-res experiment at high B
- ~1 Tesla works for 0.5 eV



Complications

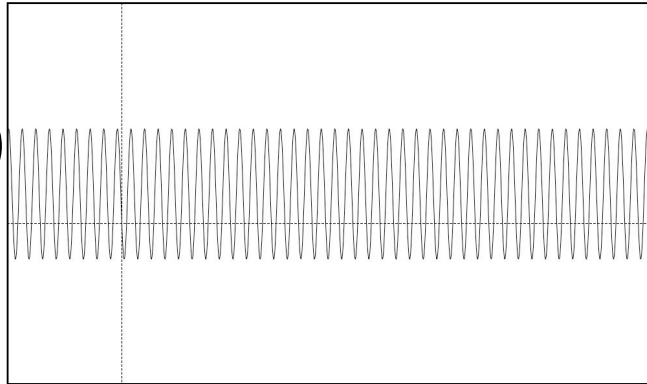
- Frequency resolution?
- Doppler shift?
- Huge fluxes!
- Available power

store $> 10^6$ cycles

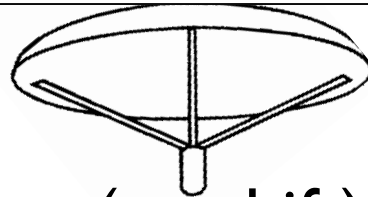


$\omega_0(1-\beta\cos\theta)$
redshift

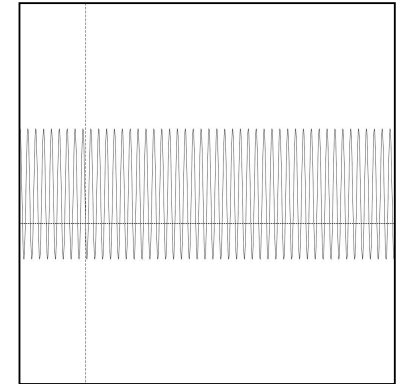
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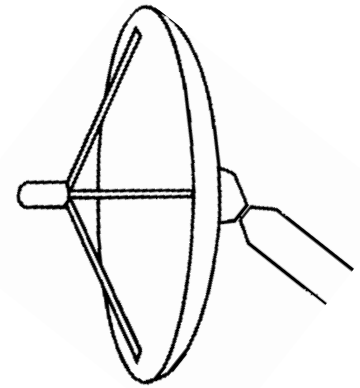
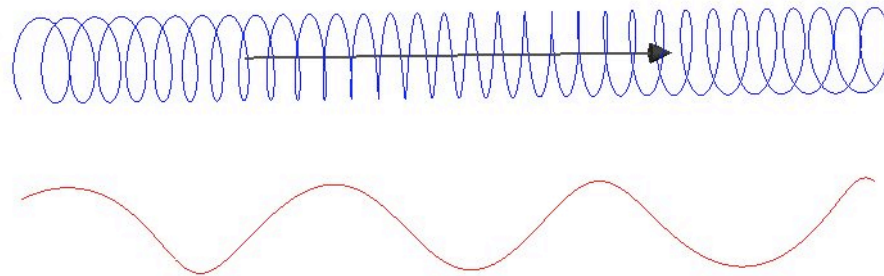
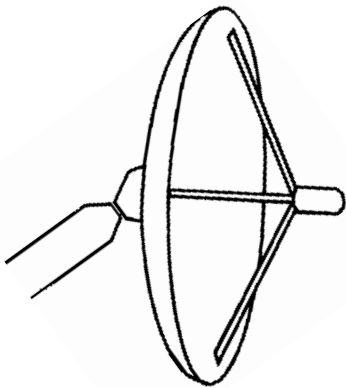
ft

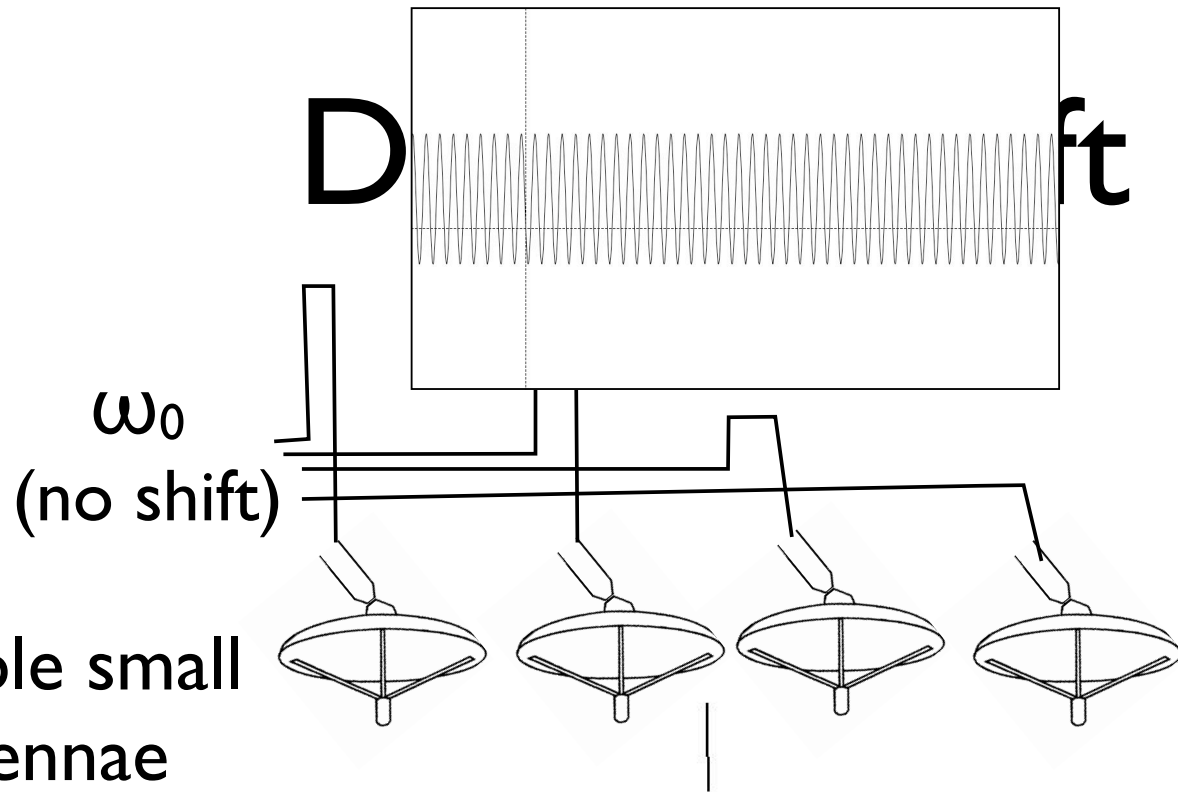


ω_0 (no shift)

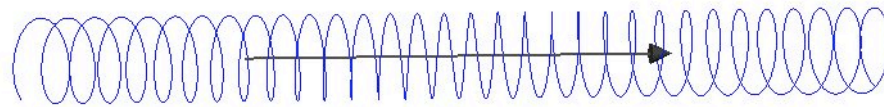


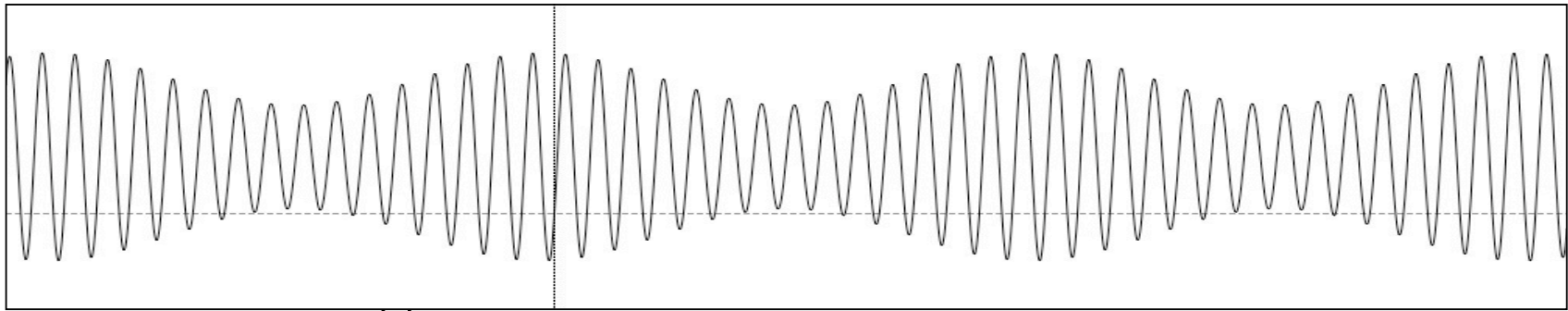
$\omega_0(1-\beta\cos\theta)$
blueshift





Multiple small
antennae
= synthetic
large antenna

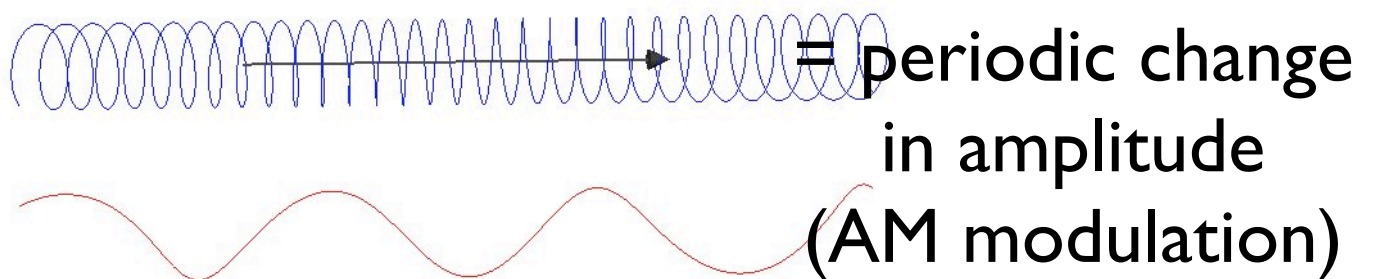
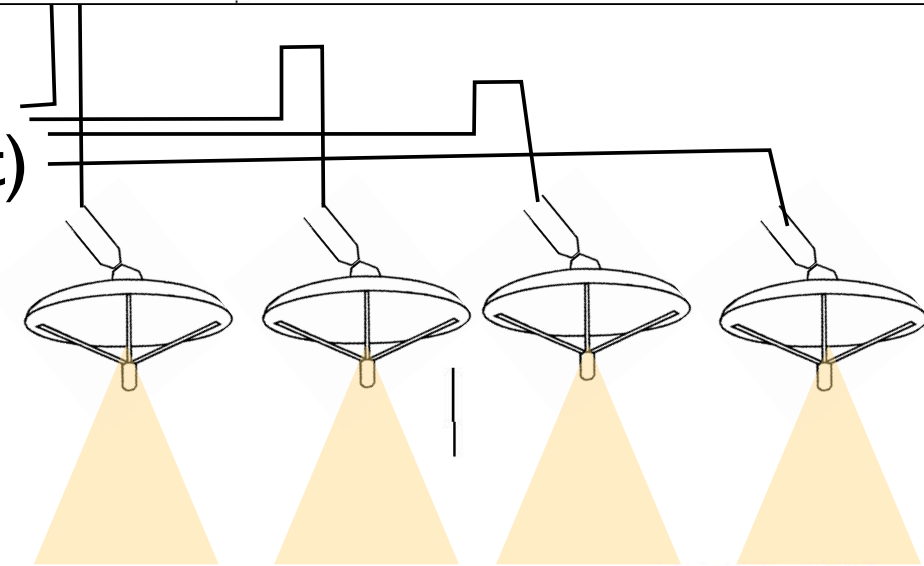




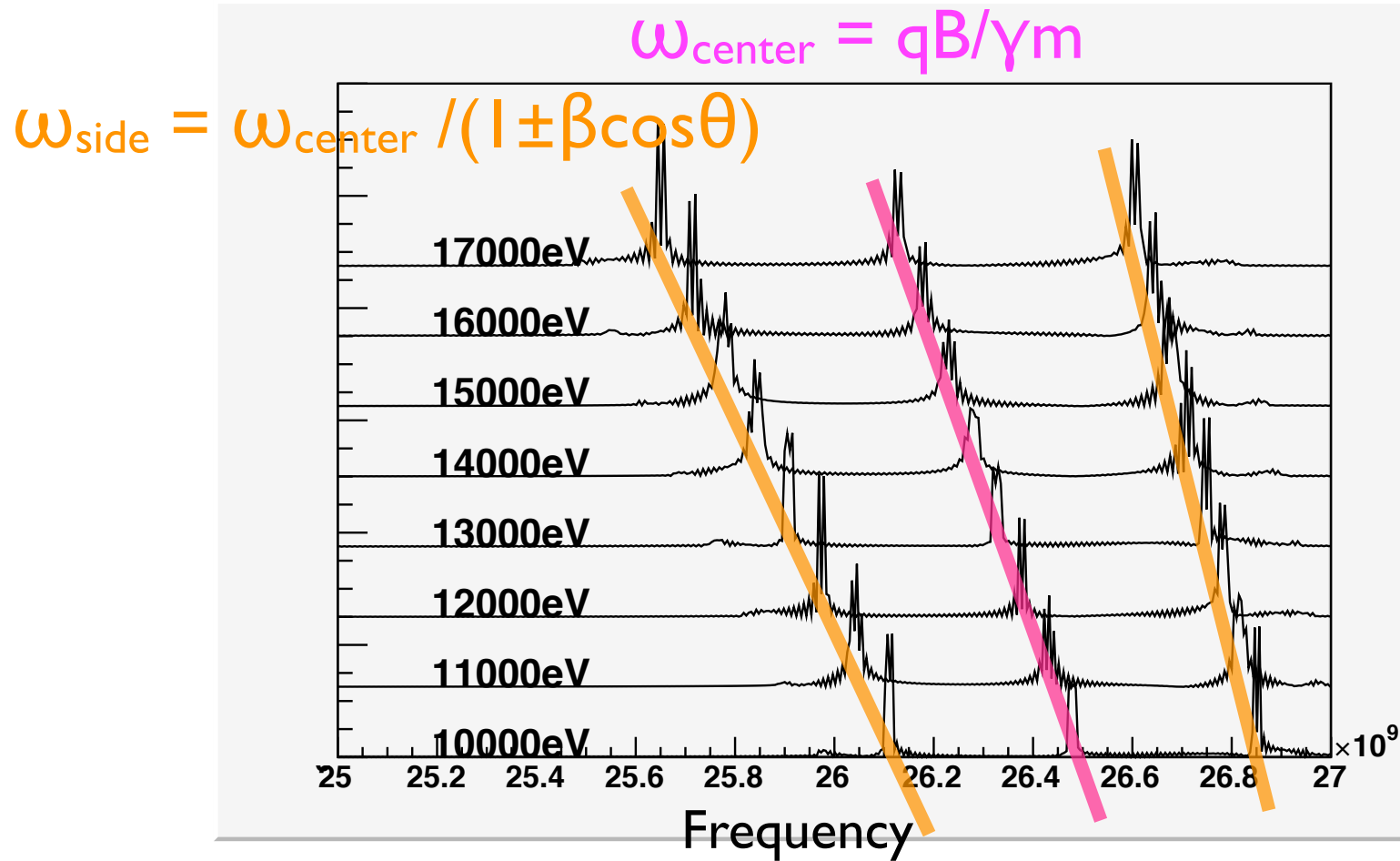
ω_0
(no shift)

Electron
moves in
and out of
antenna
sensitivity

Multiple small
antennae
= synthetic
large antenna



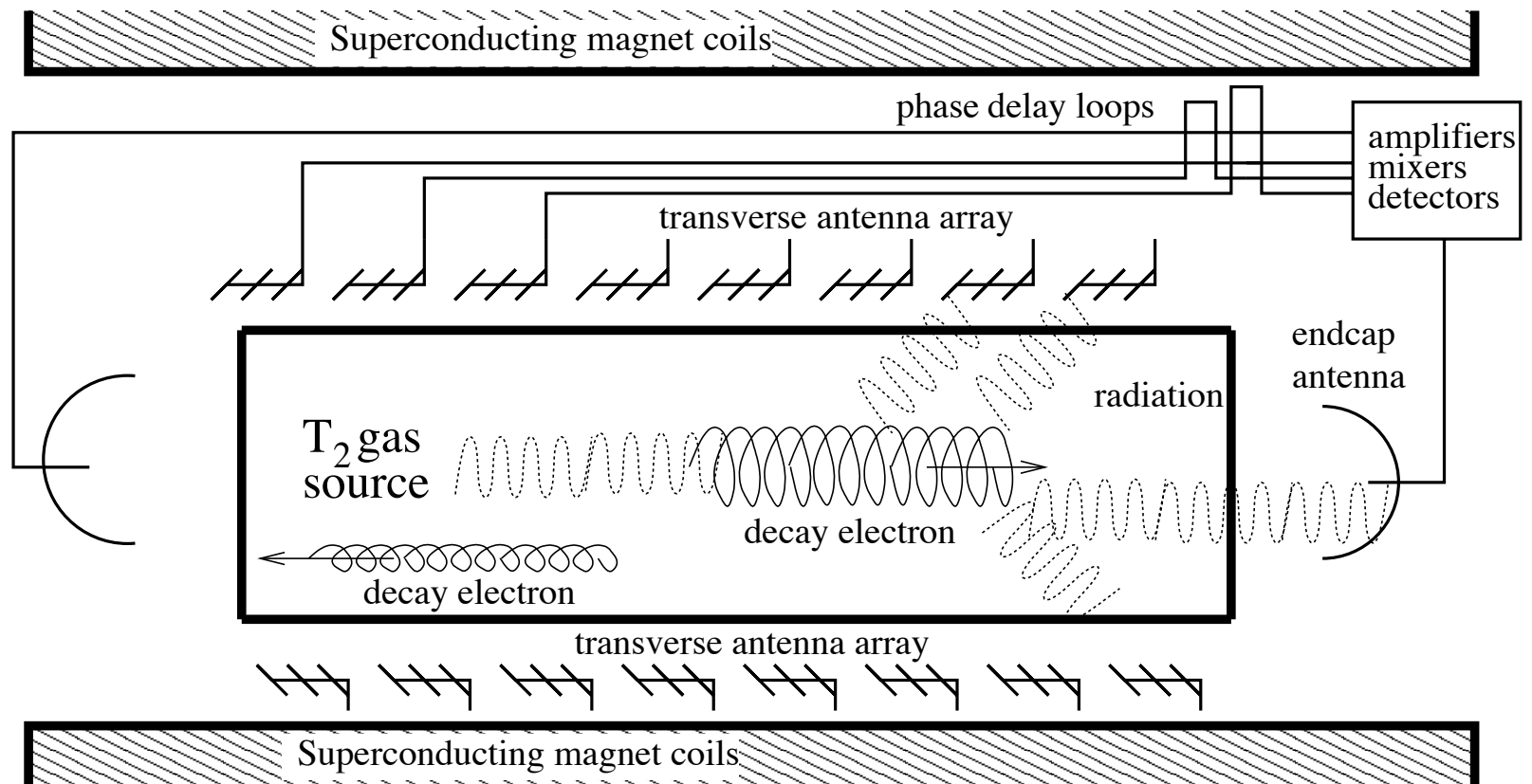
In frequency space



Complications

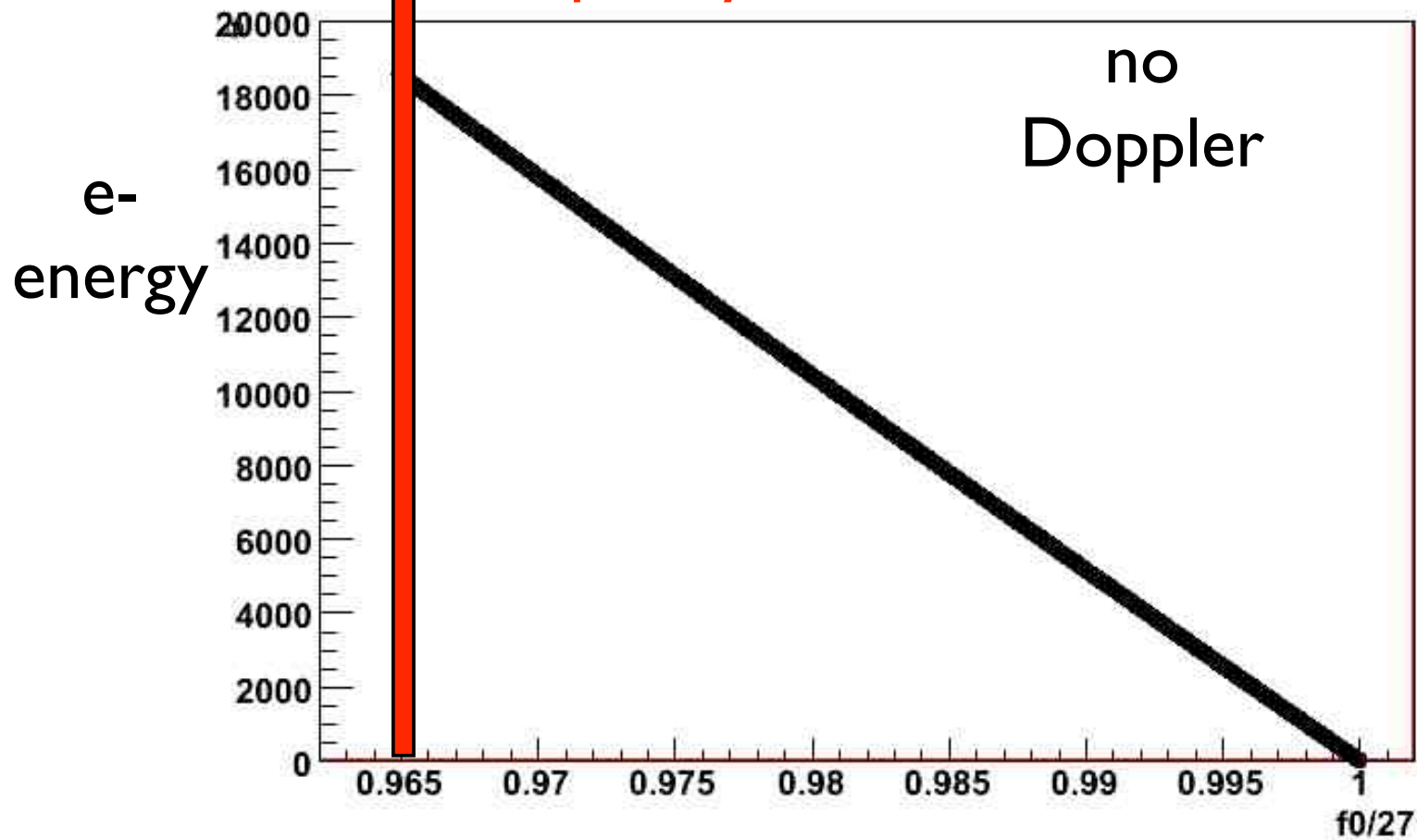
- Frequency resolution? **store $> 10^6$ cycles**
- Doppler shift? **ω_0 still obtainable**
- Huge fluxes!
- Available power

The experiment



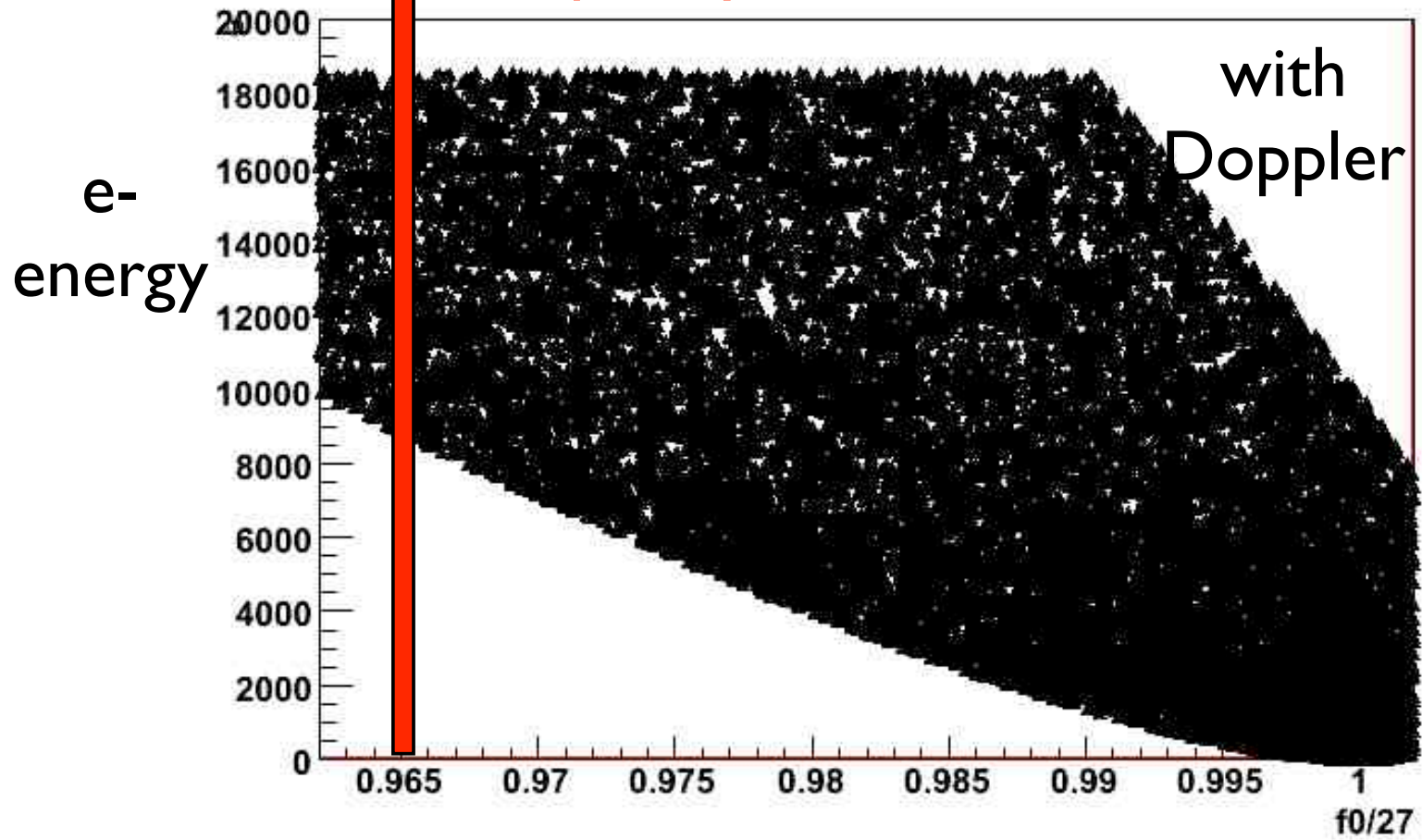
Endpoint signals

Frequency ROI



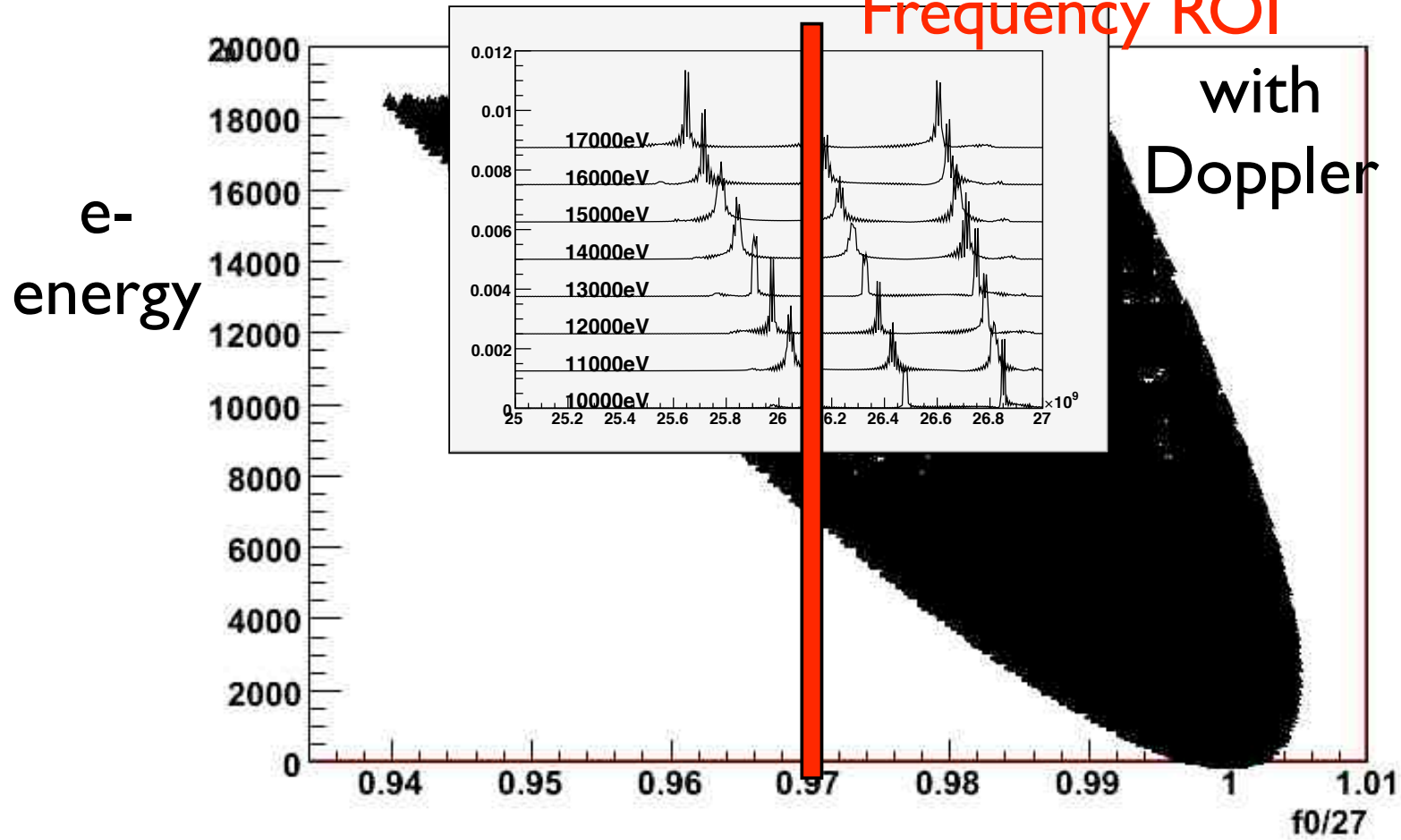
Endpoint signals

Frequency ROI

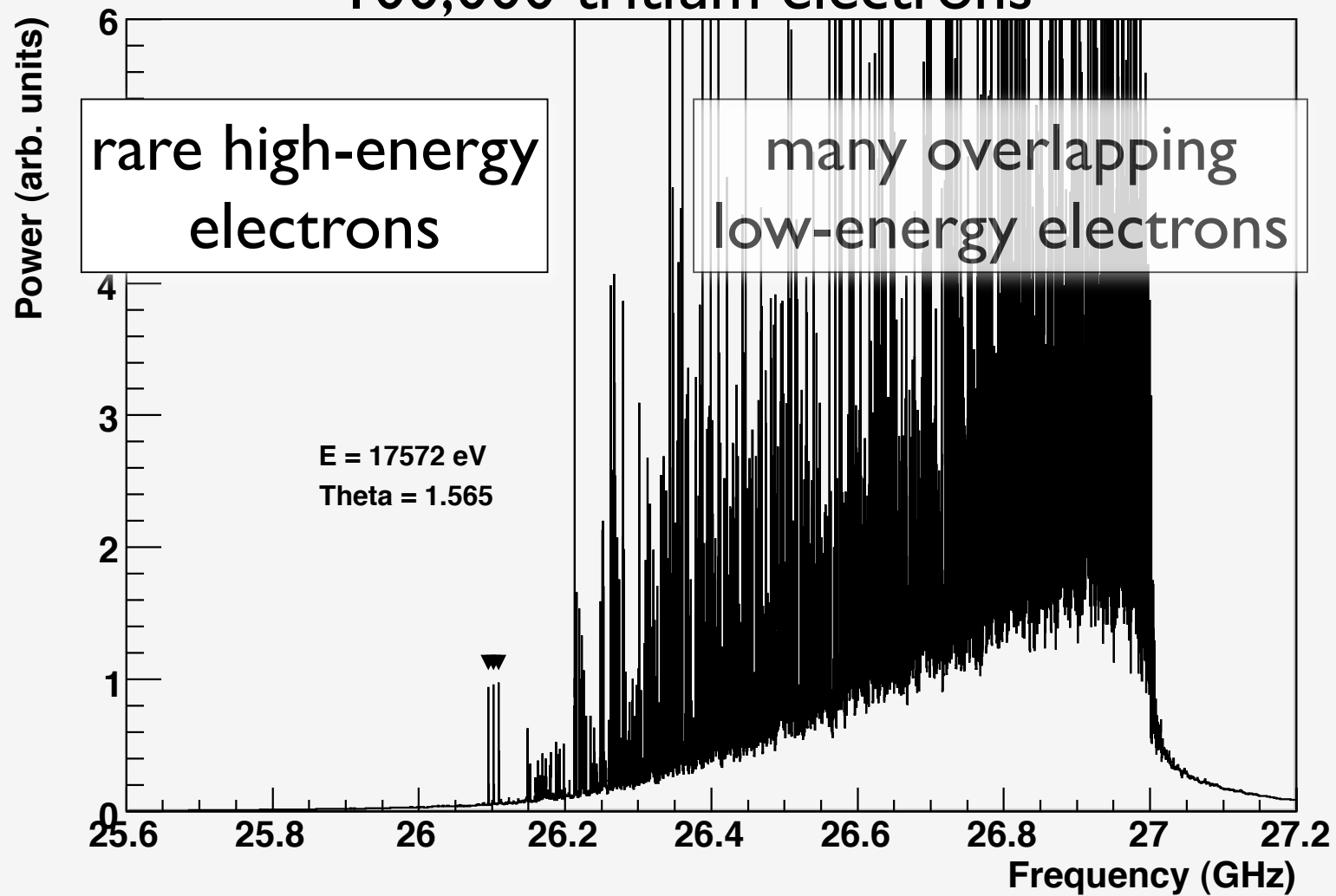


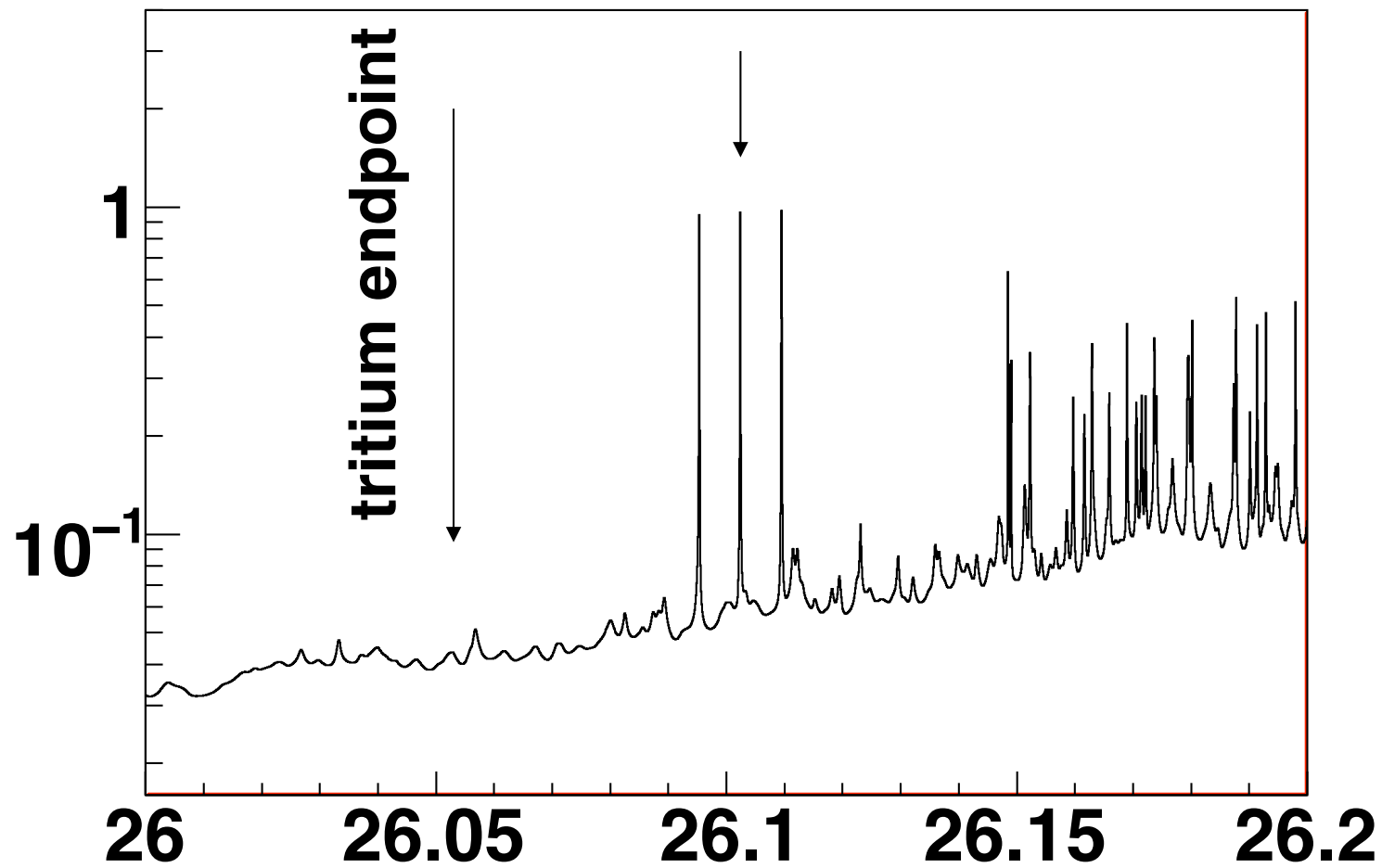
Endpoint signal

Frequency ROI



100,000 tritium electrons





Complications

- Frequency resolution? **store $> 10^6$ cycles**
- Doppler shift? **ω_0 still obtainable**
- Huge fluxes! **do not fake signal in ROI**
- Available power

Power

how much detected?
divided among
how many channels?

- At 1T, 18 keV electron emits 10^{-15} W
- A 1-eV-resolution experiment will see this power in a 50kHz band
- noise power = 6×10^{-19} W/K
- noise RMS = 6×10^{-21} W/K
- **4K experiment seems possible**

Keep an eye on signal
width: many broadening
sources may appear

Complications

- Frequency resolution? **store $> 10^6$ cycles**
- Doppler shift? **ω_0 still obtainable**
- Huge fluxes! **do not fake signal in ROI**
- Available power **needs detailed RF design**



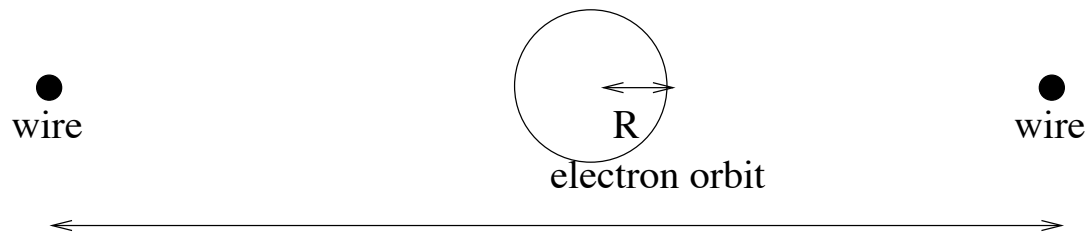
Systematics?

Systematics

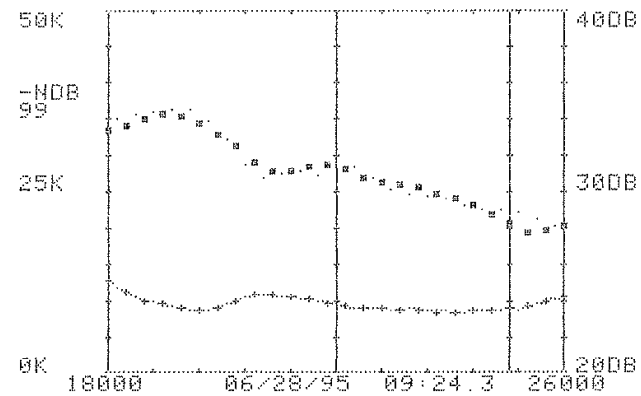
- Magnet inhomogeneity and drift: should respond well to source calibrations
- e-T and e-wall scattering
 - a) Run at low density
 - b) Each scattering event shifts/broadens the cyclotron frequency
 - c) fiducialize?
- Full differential spectrum; no first-order correction for source strength
- No electrostatics; source is grounded
- T₂ molecular final state = irreducible 0.3 eV (+/- 0.01 eV?) blurring of endpoint

Real-world designs

- Gray Rybka, UW: two-wire antenna $7.5 \times 10^{-17} \text{ Watts} \times \beta_{\perp}^2 \left(\frac{1 \text{ cm}}{d} \right)^2$

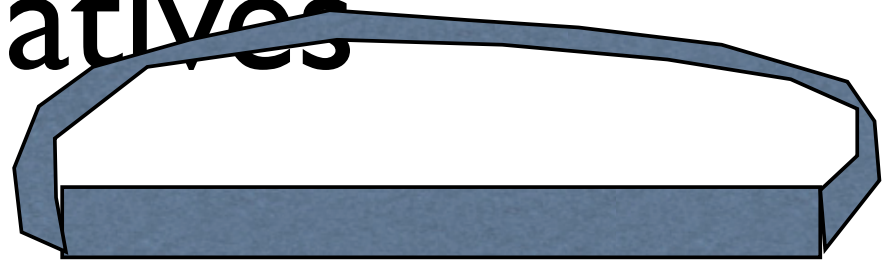


- Rich Bradley, NRAO: microwave receivers from radio astronomy



Alternatives

- Toroidal magnetic field?
- Magnetic bottle?



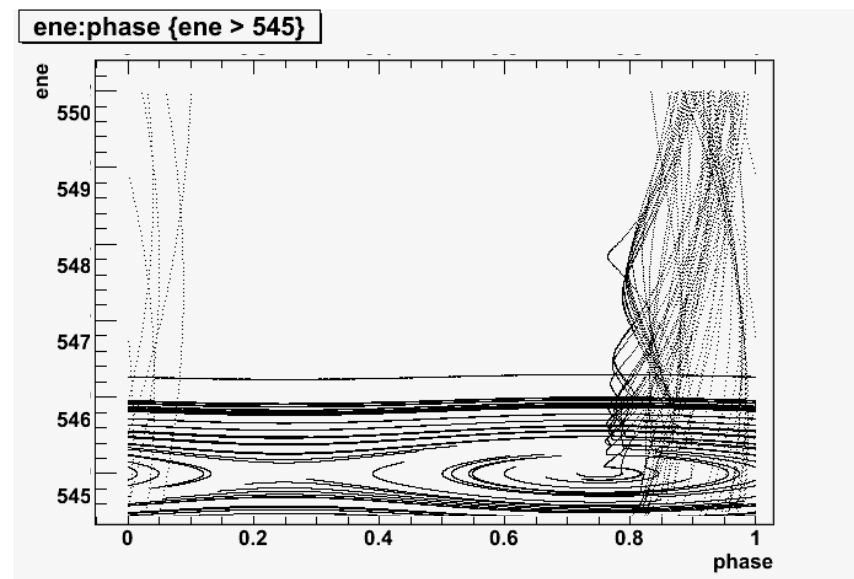
*Measuring frequency in one pass: $\Delta f = \Delta t^{-1}$
 N passes of Δt each: $\Delta f = (\Delta t \sqrt{N})^{-1}$*

- Ramsey spectroscopy?
- Bucket spectroscopy?



Bucket spectroscopy

- Shoot microwave beam (at ROI frequency) into magnet.
- Electron cyclotron in microwave field = electron bunch in synchrotron RF bucket
- Use “bucket” to grab and store ROI electrons, later accelerate to make detectable



- Decouples time constraints from detection constraints

Conclusions

- UCSB: Ben Monreal
- MIT: Joe Formaggio, Asher Kaboth
- University of Washington: Hamish Robertson, Peter Doe, Leslie Rosenberg, Michael Miller, Gray Rybka, Brent Vandevender, Adam Cox, Michelle Leber, Laura Bodine
- NRAO: Rich Bradley

BM & JF, arxiv:0904.2860, shortly in PRD