

Across the Time Dimension in Search of Exotic Particles

Max Goncharov for CDF Collaboration



In This Talk ...

- **Massive Long Lived Particles**

general things we do not understand, evidence for something out there, some theories and signatures

- **CDF Detector**

Time-of-Flight (TOF), Track Timing (COT), EMTiming

- **Charged Massive Particles (a.k.a. CHAMPs)**

results from CDF with 1 fb^{-1}

- **Neutral Massive Particles (a.k.a. delayed photons)**

results from CDF with 0.6 fb^{-1}

- **Where we would like to go**

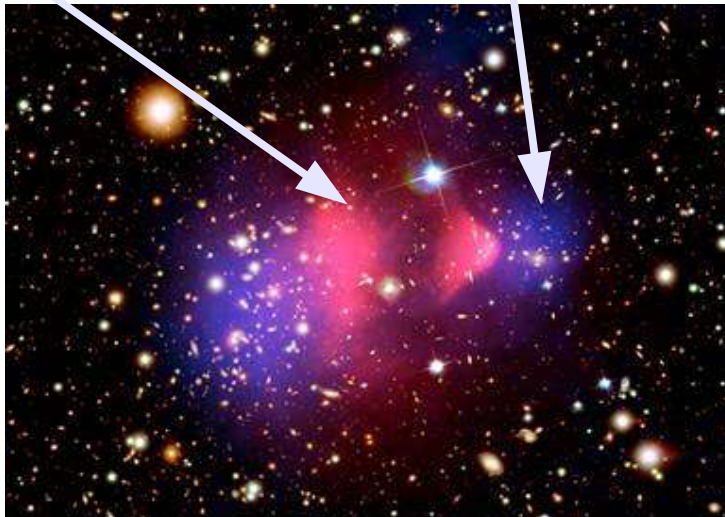
future searches

Dark Matter

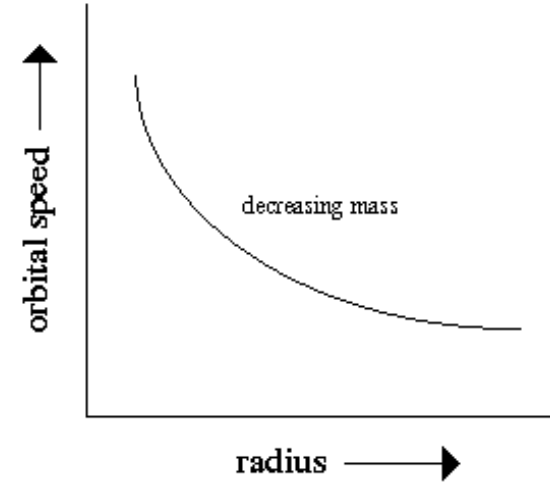


Colliding galaxies:

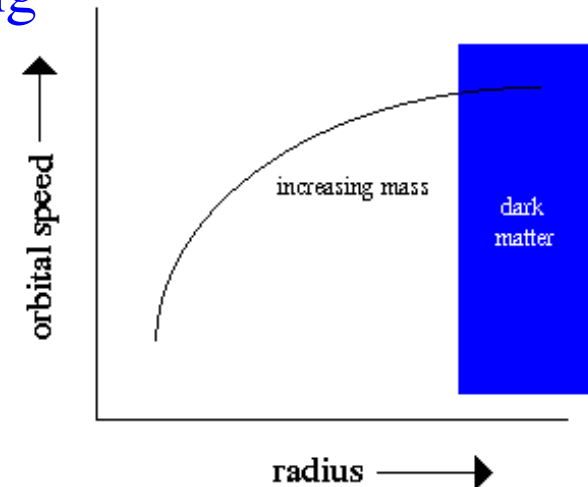
normal matter slows dark matter keeps going



What we **should** see in the Galaxy



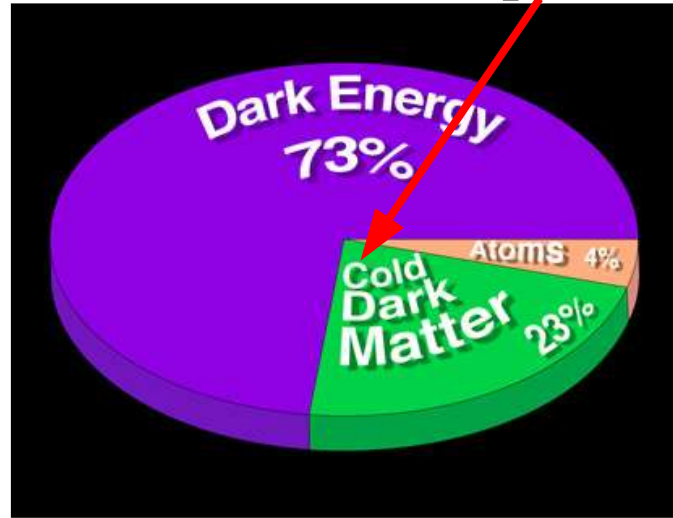
What we actually **observe** in the Galaxy



There is something massive and invisible in the Universe.
Can we understand the origin of it?

Dark Matter

Want to find those particle(s)



Many different theories.
Which direction to go?



Should look everywhere: the answer
might be in an unexpected place
‣ signature based searches

Stable Massive Particles

Standard Model extensions predict new massive particles

→ Most searches assume particles decay promptly

→ Long-lived particles would evade these searches

- Charged Massive Particles (CHAMPs)
- Neutral Stable Massive Particles decaying to photons

→ In perfect life all Standard Model backgrounds are zero

→ Often need to develop new tools

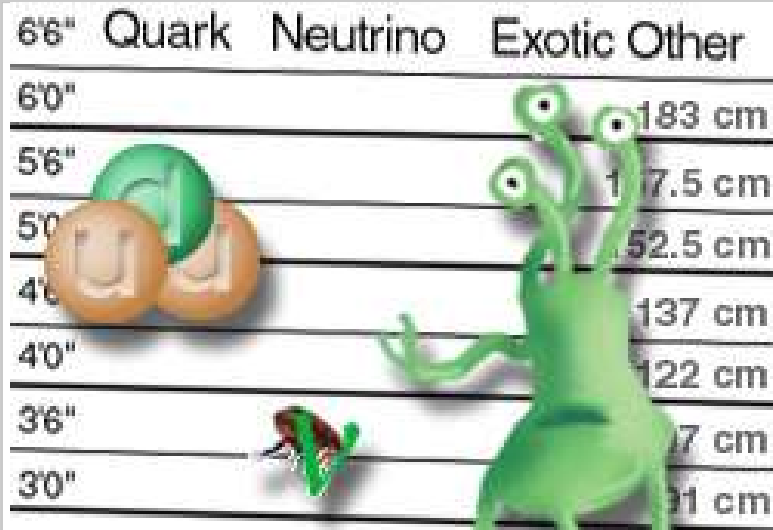
CHAMPs and Delayed Photons:

→ all backgrounds are estimated from data

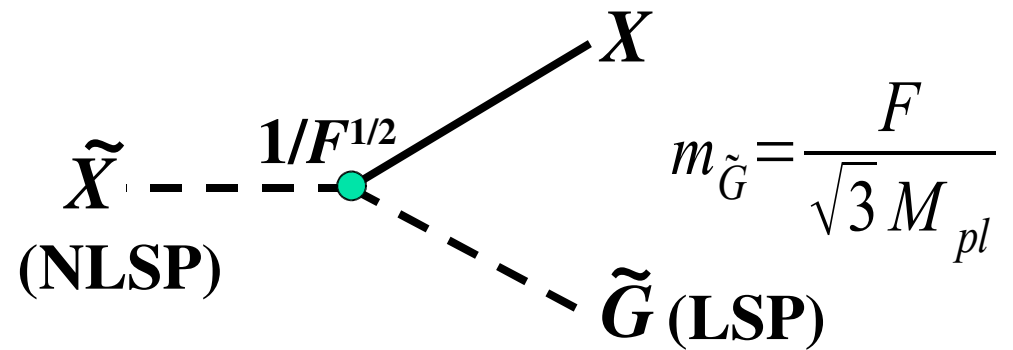
→ blind analysis (learn how to estimate backgrounds, then look at the data in the signal region)

→ model-independent results (but also set limits)

Massive and Long-Lived



"All right... which of you punks is responsible for dark matter?"



Wide variety of models:

- $m(\tilde{G}) \sim 100\text{-}200 \text{ GeV}$
- \tilde{G} is good dark matter candidate
- small $\Delta m = m(\tilde{X}) - m(\tilde{G}) \Rightarrow$ large lifetime

SUSY (GMSB) model:

- neutralino – NLSP, $m(\tilde{G}) \sim 10 \text{ KeV}$
- neutralino life-time is unconstrained

Stable Massive Exotic Particles

Can decay:

- inside the detector
- outside the detector

They can be:

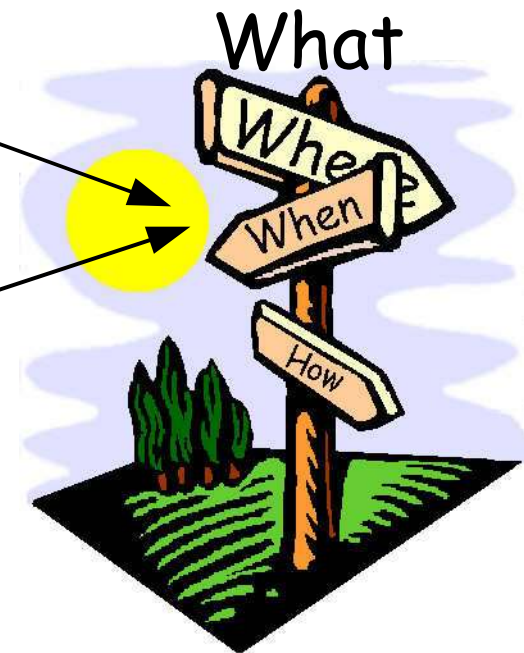
- charged or neutral
- be in events with low ΣP_T

long lifetime

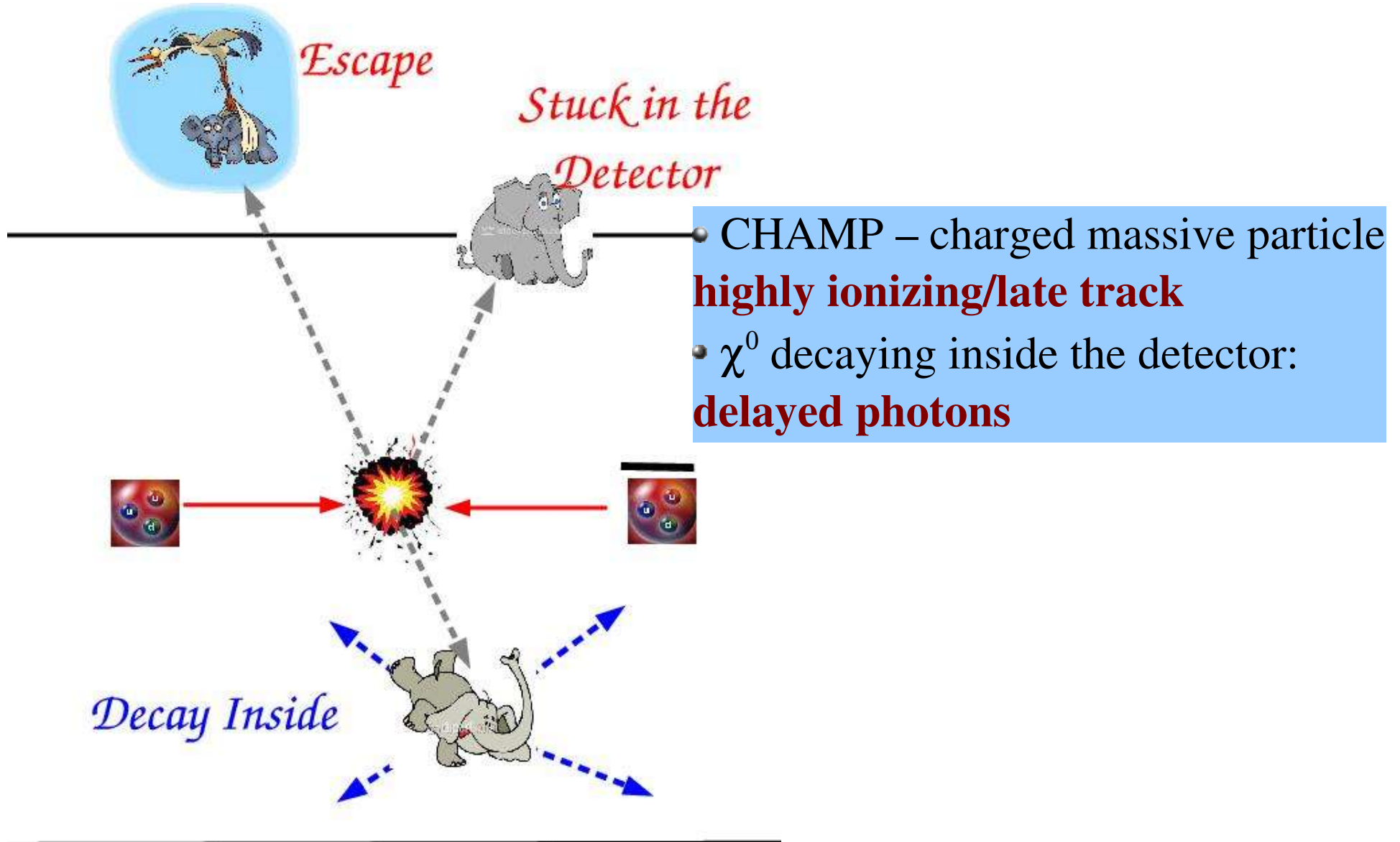


large mass
cold relic

low speed

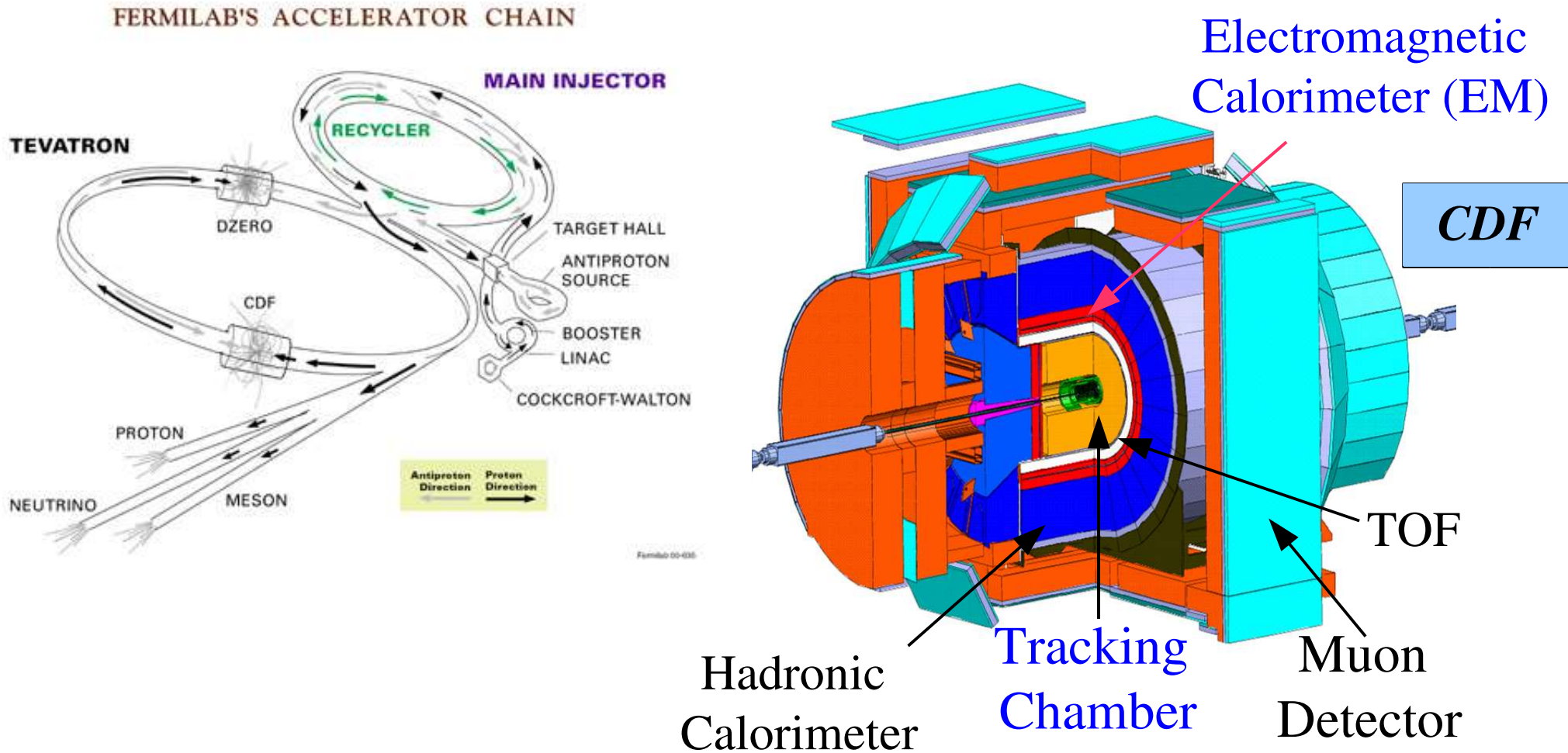


Possible Signatures



signatures should be spectacular

CDF Detector



CHAMPs – tracking, calorimeters, TOF, muon
Delayed Photons – tracking, EM calorimeter

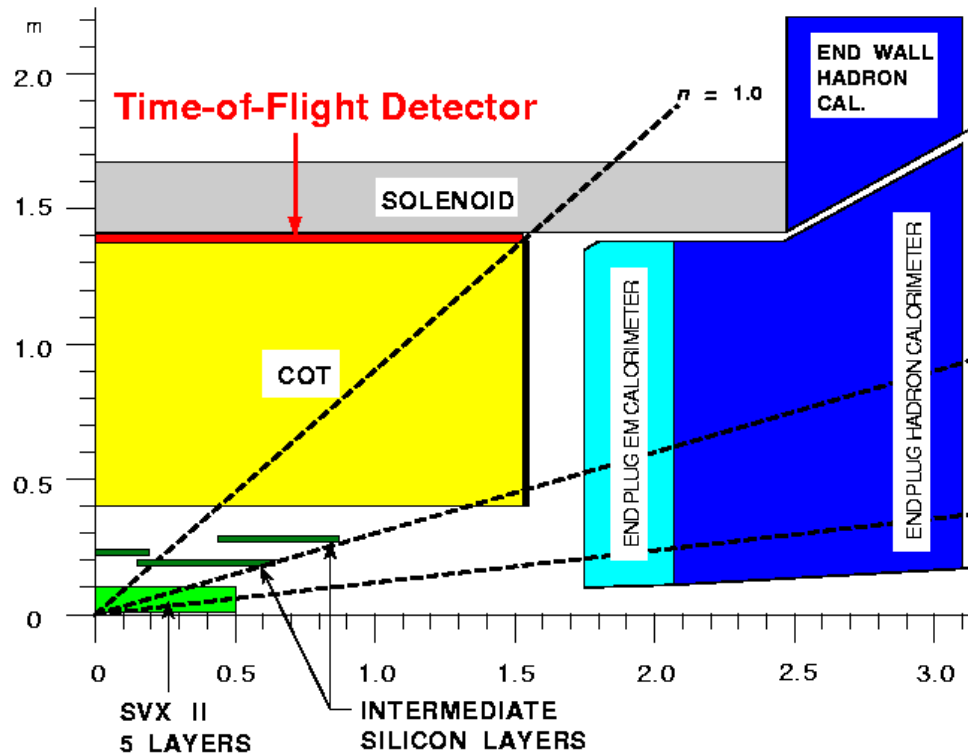
Time of Flight Detector

Muon Detectors

Time Of Flight – scintillators wrapped around tracking chamber (COT) at a 1.45 m. Resolution ~ 100 ps.

To calculate β , need: $\beta \equiv v/c$

- candidate TOF arrival time
- independent event T_0
- path length



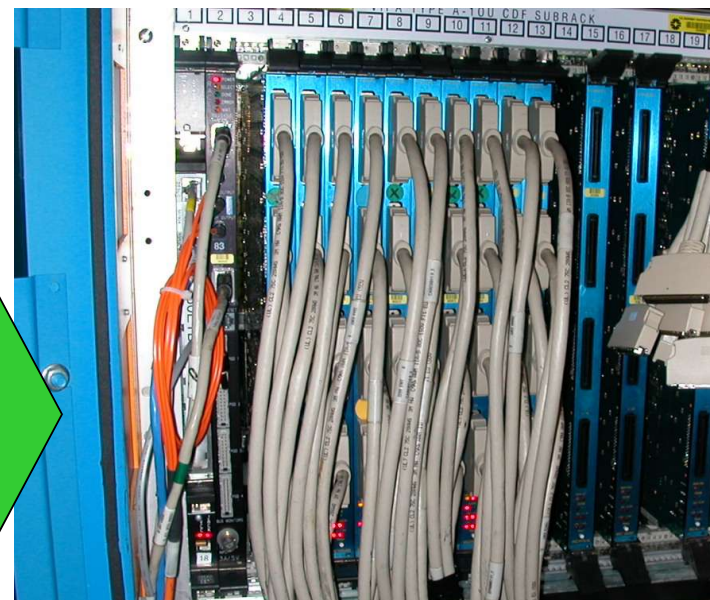
Drift chamber is a timing device
Each track produces up to 96 hits
Each hit has timing information

- resolution ~ 200 ps
- measure track without event T_0
- measure event T_0
- **Gaussian tails!**

New Tool - EMTiming System

~2000 Phototubes

- Large system to add to existing detector (Run IIb upgrade)
- Put a TDC onto about 2000 phototubes at CDF ($|\eta| < 2$)
- TDC has 1 ns buckets
- for central detector use passive inductively coupled off to split PMT anode signal
- **~100% Efficient above thresholds (CEM-5, PEM-2.5 GeV)**
- **System resolution is ~0.6 ns**
- **Very uniform, Negligible Noise**
- **Finished full installation October 2004. Started taking data in November (2.0 fb^{-1})**
- **Commissioned in 1 week**
- **All high P_T events have timing information**



<http://hepr8.physics.tamu.edu/hep/emtiming/>

CHAMP Signature

Champs give a unique signature in the detector

➤ CHAMPs are heavy

➔ Slow $\beta \equiv v/c < 1$

➔ Hard to stop

➤ CHAMPs are slow

➔ Large dE/dx (mostly through ionization) $dE/dX \sim 1/\beta^2$

➔ **Long time-of-flight**

➤ Look for high transverse momentum (P_T) penetrating objects (looks like muon) that are slow (long time-of-flight)

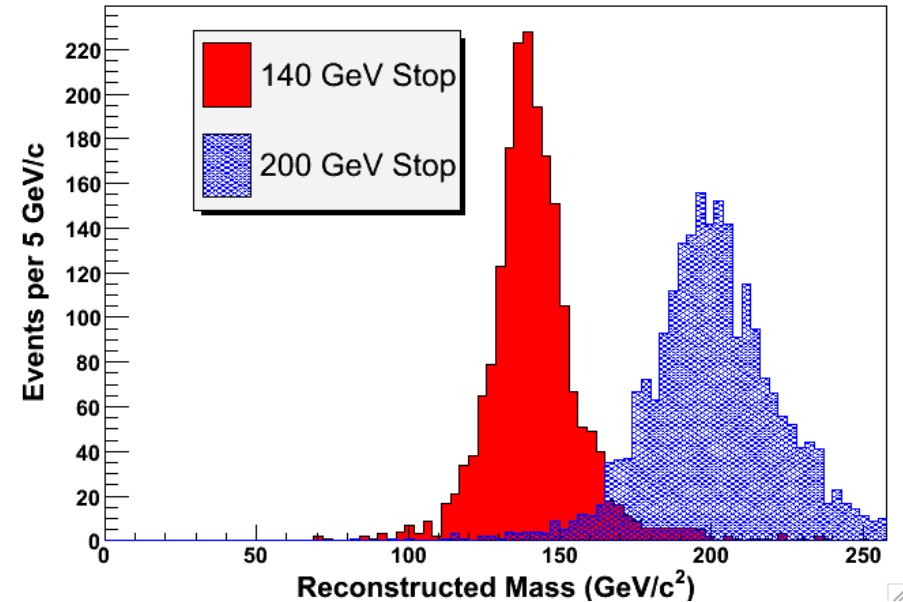
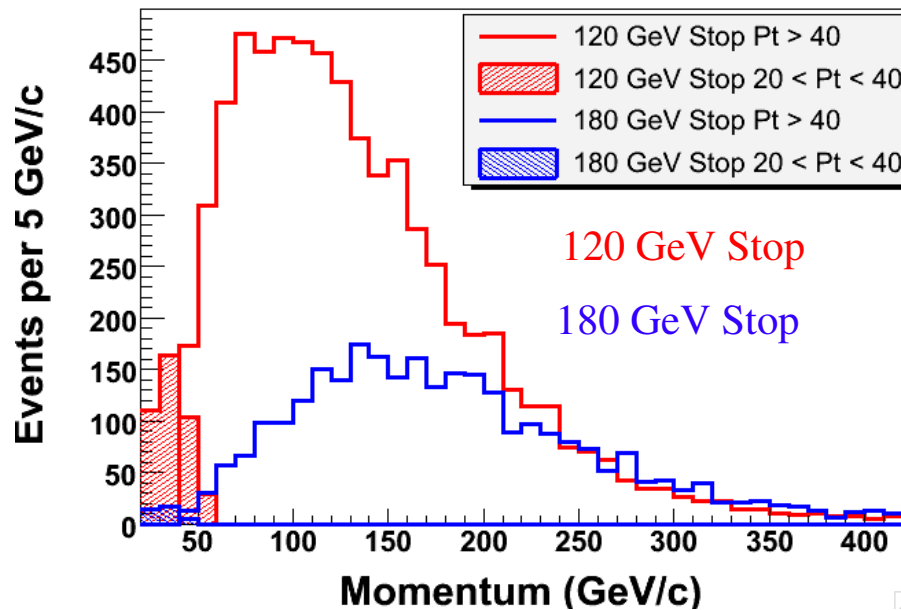
CHAMP Signal Isolation

Use track momentum and velocity measurements to calculate mass

- correlated for signal, uncorrelated for background

Signal events will have large momentum

- signal region $P_T > 40$ GeV/c
- control region $20 \text{ GeV/c} < P_T < 40$ GeV/c
- use control region to predict background shape



Analysis Strategy

It is the mass of the muons we are after

- use beta shape in the the control region as a shape
- convolute it with the momentum

$$m = p \sqrt{1/\beta^2 - 1}$$

Show this works for electrons from Ws

- sanity check take electrons with $20 < P_T < 40$ GeV
- beta shape + momentum histogram = background prediction
- agrees with data

Show we can predict electrons with $P_T > 40$ GeV

Muons:

- split control region in 2: $20 < P_T < 30$ and $30 < P_T < 40$
- show that can predict 2 from 1
- get beta shape for $20 < P_T < 40$
- make prediction for $P_T > 40$ GeV, compare with data in the signal region

Backgrounds

➤ Cosmic rays

- Time of cosmic ray tracks uncorrelated with interaction time, could appear to be CHAMPs
- Remove by looking for backward-going track opposite candidate (identified by timing as well)

➤ Instrumental effects:

$$t_{Flight} = (t_{TOF} - t_{Event})$$

Mismeasured event t_0

require TOF and tracking t_0 to agree (0.5 ns)

Incorrect TOF for CHAMP candidate

require good COT χ^2 when using TOF β

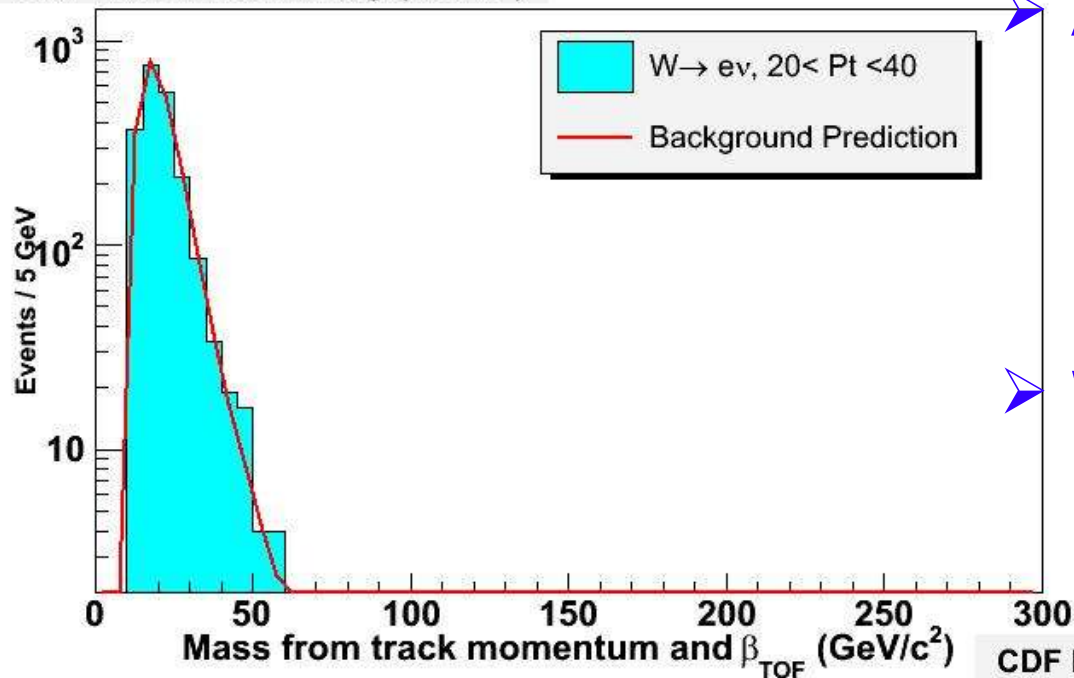
Mismeasured momentum

can get high mass for a 6 TeV track with $\beta = 1$

require β significantly different from 1 ($\beta < 0.9$)

Check With Electrons

CDF Run II Preliminary (1.0 fb⁻¹)



Assume p and β are independent

- Calculate mass bin-by-bin from p and β histograms
- weight by bin contents
- gives mass shape prediction

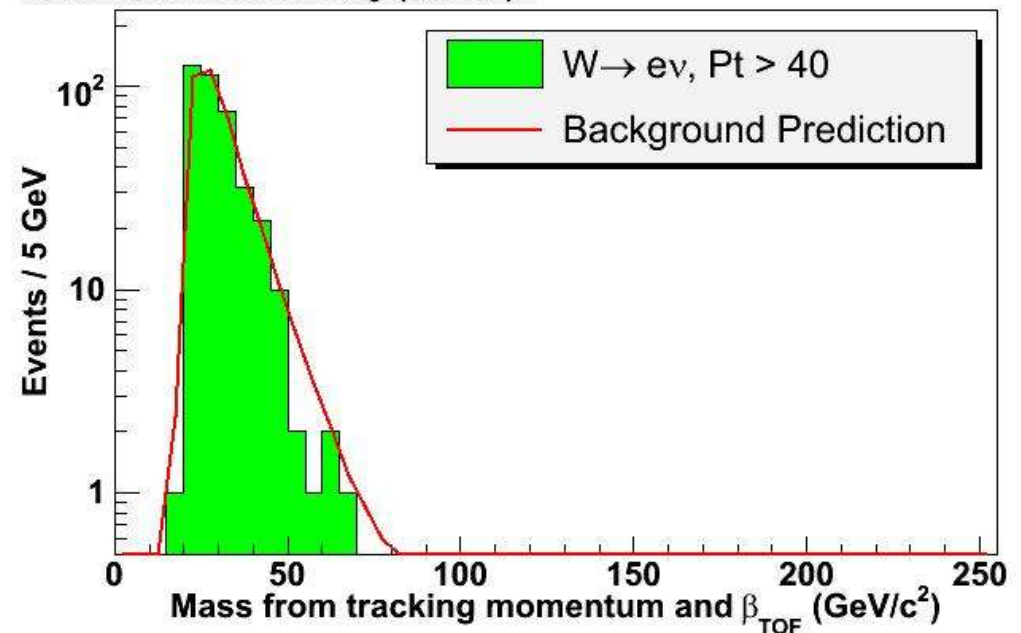
Works!

- p and β are largely independent in the control sample

Predictions generated from control-region β and signal-region p

Assume β matches in both regions

CDF Run II Preliminary (1.0 fb⁻¹)

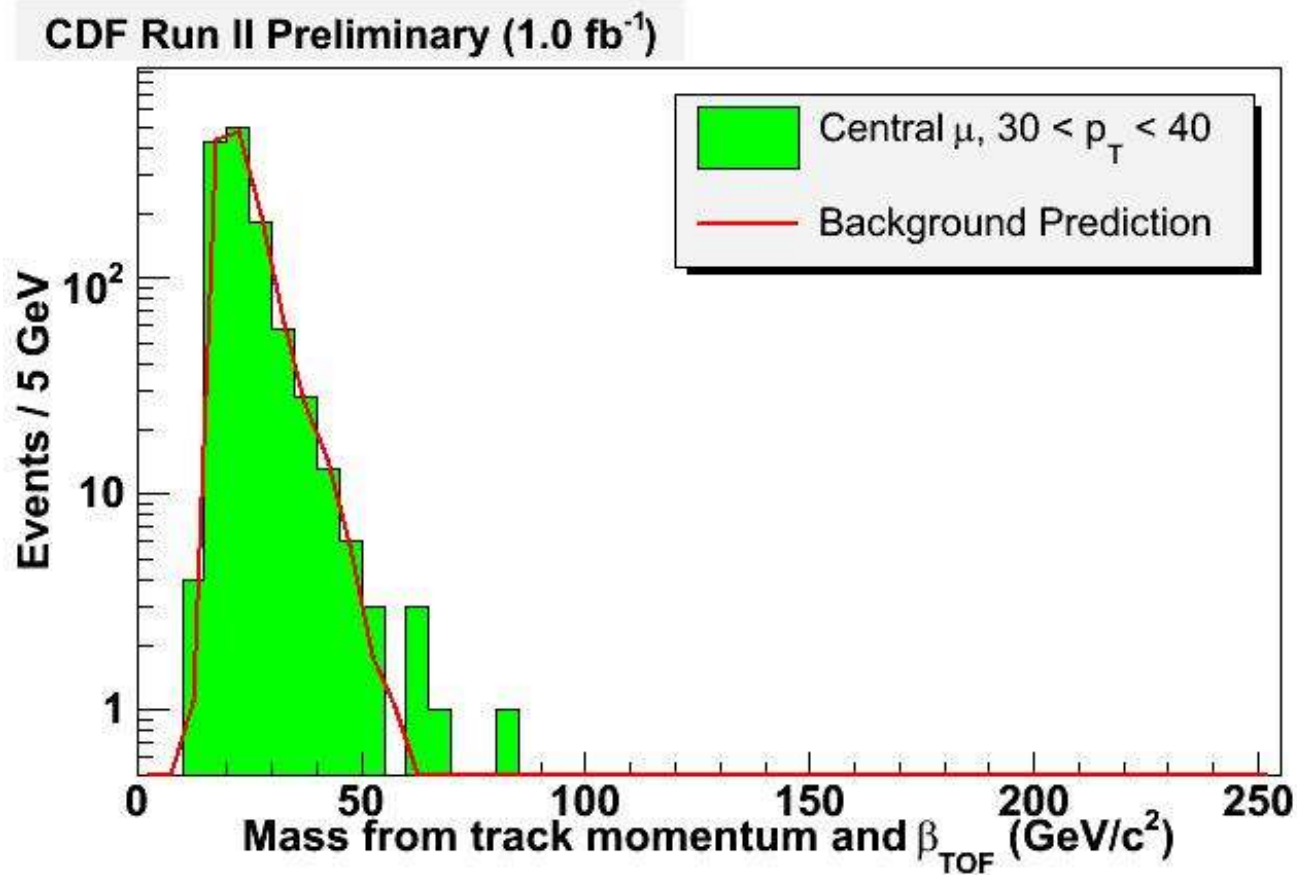


Muon Control Region

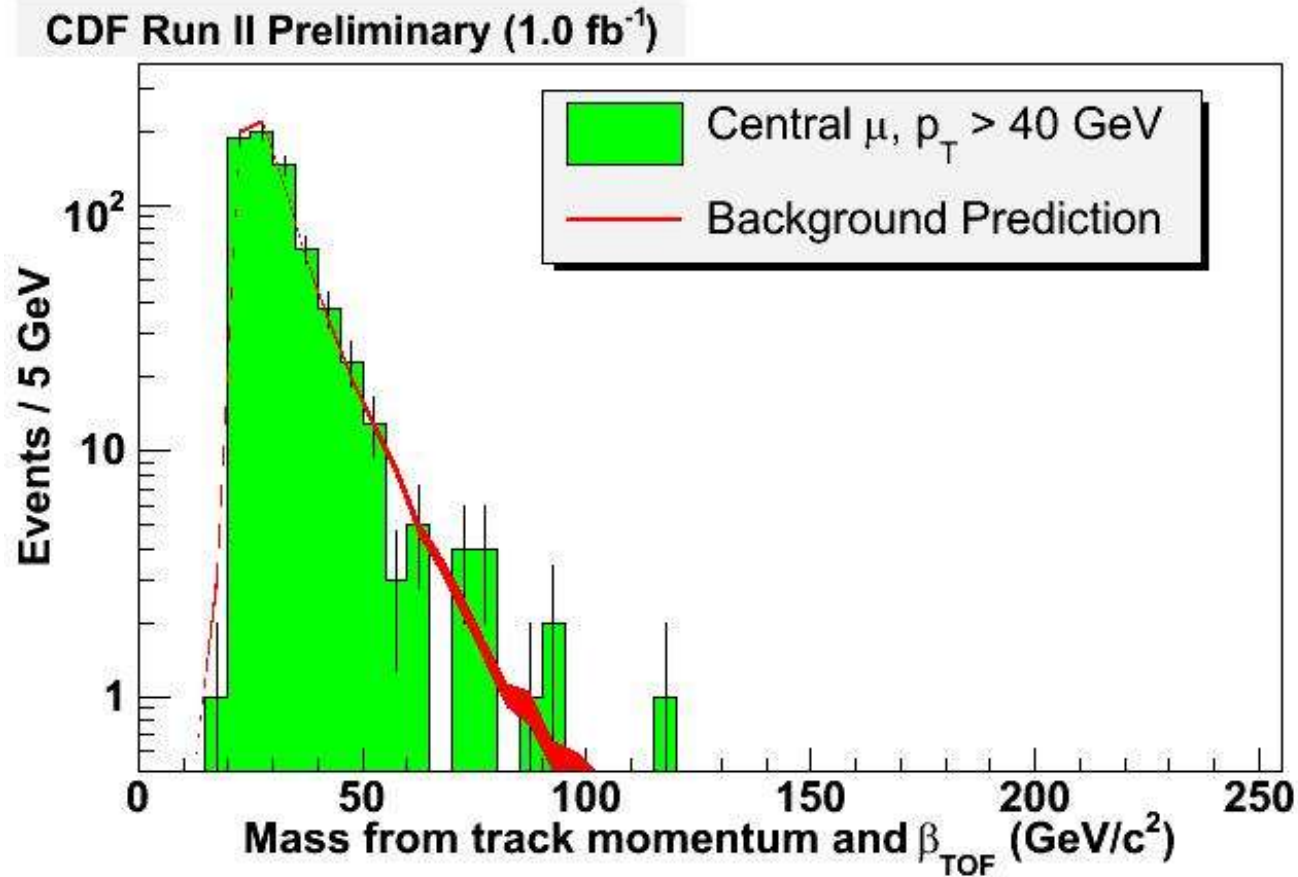
Require central muons ($|\eta| < 0.6$)

Verify background shape prediction

- use 20-30 GeV to predict 30-40 GeV region



CHAMPs – Signal Region



No CHAMP candidates above $120 \text{ GeV}/c^2$. Signal-region events consistent with background prediction

Model Independent Limits

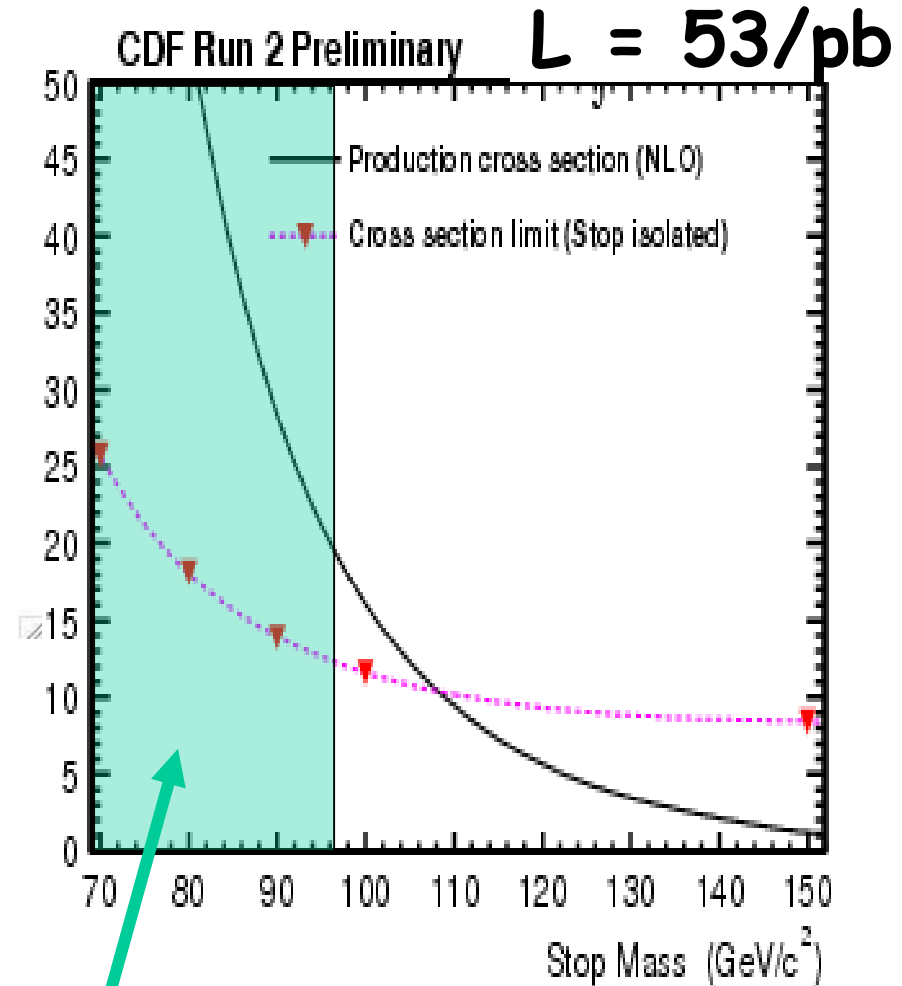
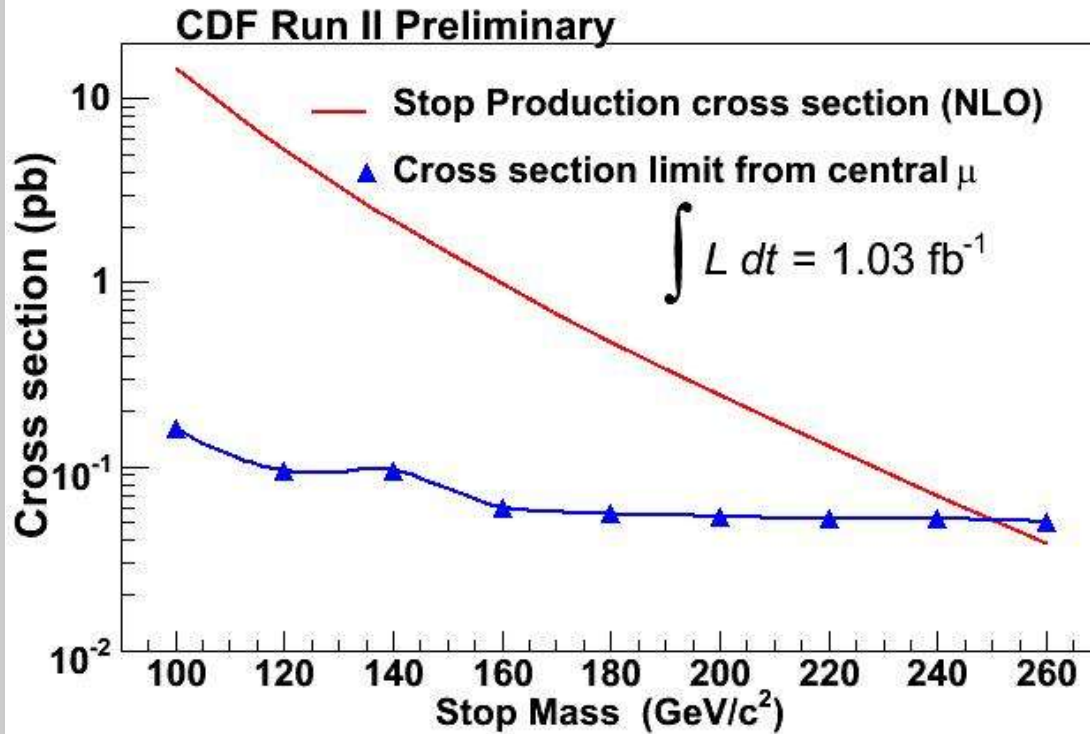
For model independence, find cross section limit for *CHAMPs fiducial to Central Muon Detectors* with $0.4 < \beta < 0.9$ and $P_t > 40 \text{ GeV}$

- strongly interacting (stable stop)
 - efficiency $4.6 \pm 0.5\%$
 - 95% confidence limit: $\sigma < 41 \text{ fb}$
- weakly interacting (sleptons, charginos)
 - efficiency $20.0 \pm 0.6\%$
 - 95% confidence limit: $\sigma < 9.4 \text{ fb}$

Model-dependent factors are

- β and momentum distributions
- geometric acceptance

New Stable Stop Limits



Exclude Stable Stop with mass below 250 GeV/c² (95% C.L.)

Excluded by ALEPH

When We Find CHAMPs

If a mass peak is observed in the CHAMP search, we have many additional handles to prove these are slow particles:

- Calorimeter timing
- Muon timing
- dE/dx

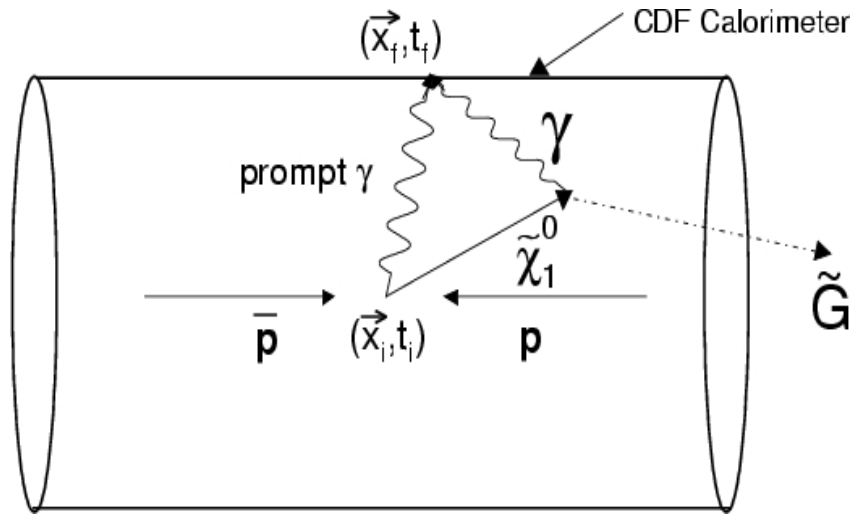
Break



Moving into neutral heavy long-lived particles

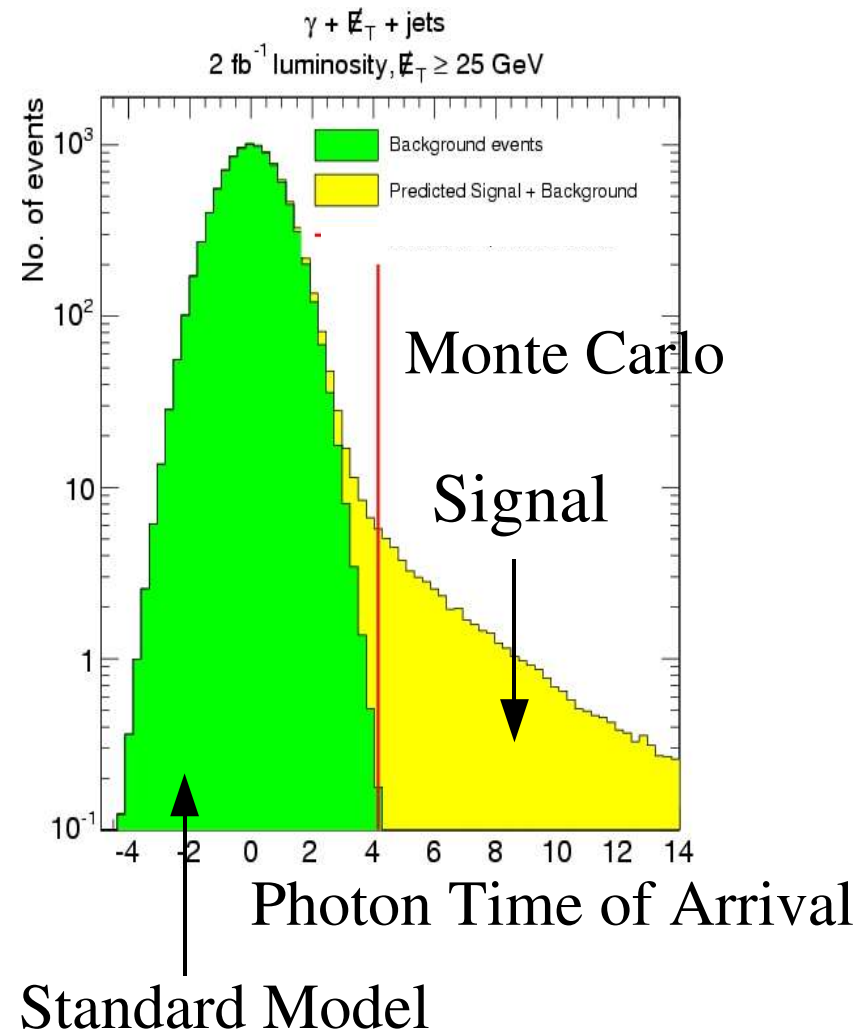
Delayed Photons

$\gamma + \text{Jet} + \text{MET}$



Look for non-prompt γ 's that take longer to reach calorimeter.

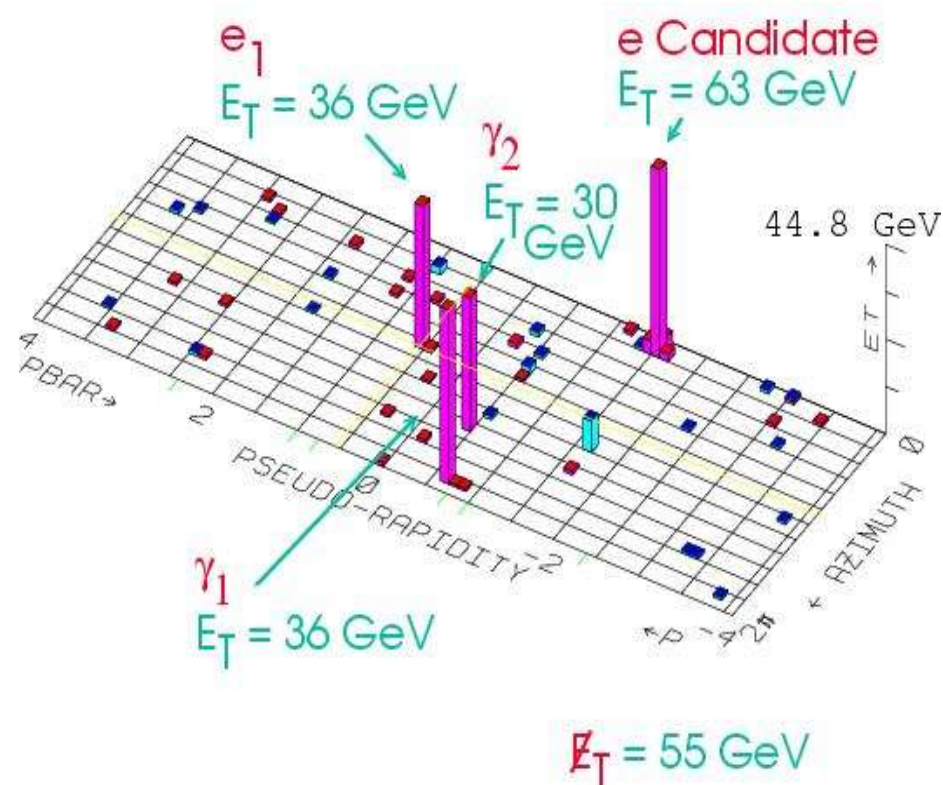
If the χ^0 has a significant lifetime, we can separate the signal from the backgrounds.



Why Photons?

$e\bar{e}\gamma\gamma E_T$ Candidate Event

Run I



- In addition to $\gamma\gamma +$ Energy Imbalance this event has two high energy electron candidates
- **Very unusual**
- Total Background:
 $(1 \pm 1) \times 10^{-6}$ Events

Would be nice to have timing for the photons to prove they are from collision

Analysis Strategy

Sample - gamma + Jet + MET

look for photons that are late

Want to understand time shapes from various backgrounds

Non-collision backgrounds

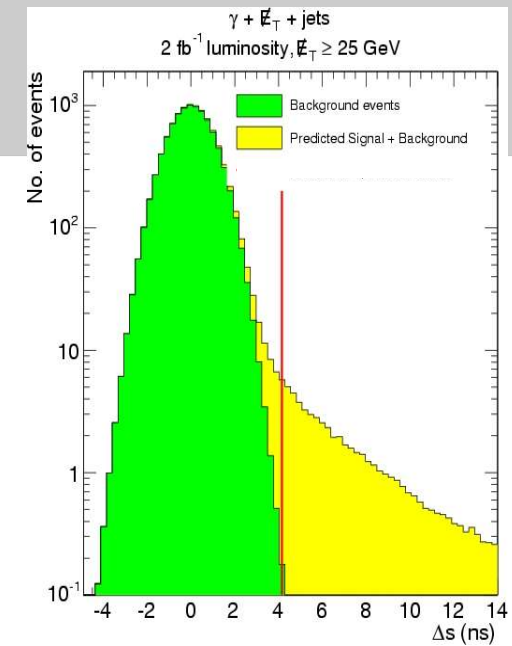
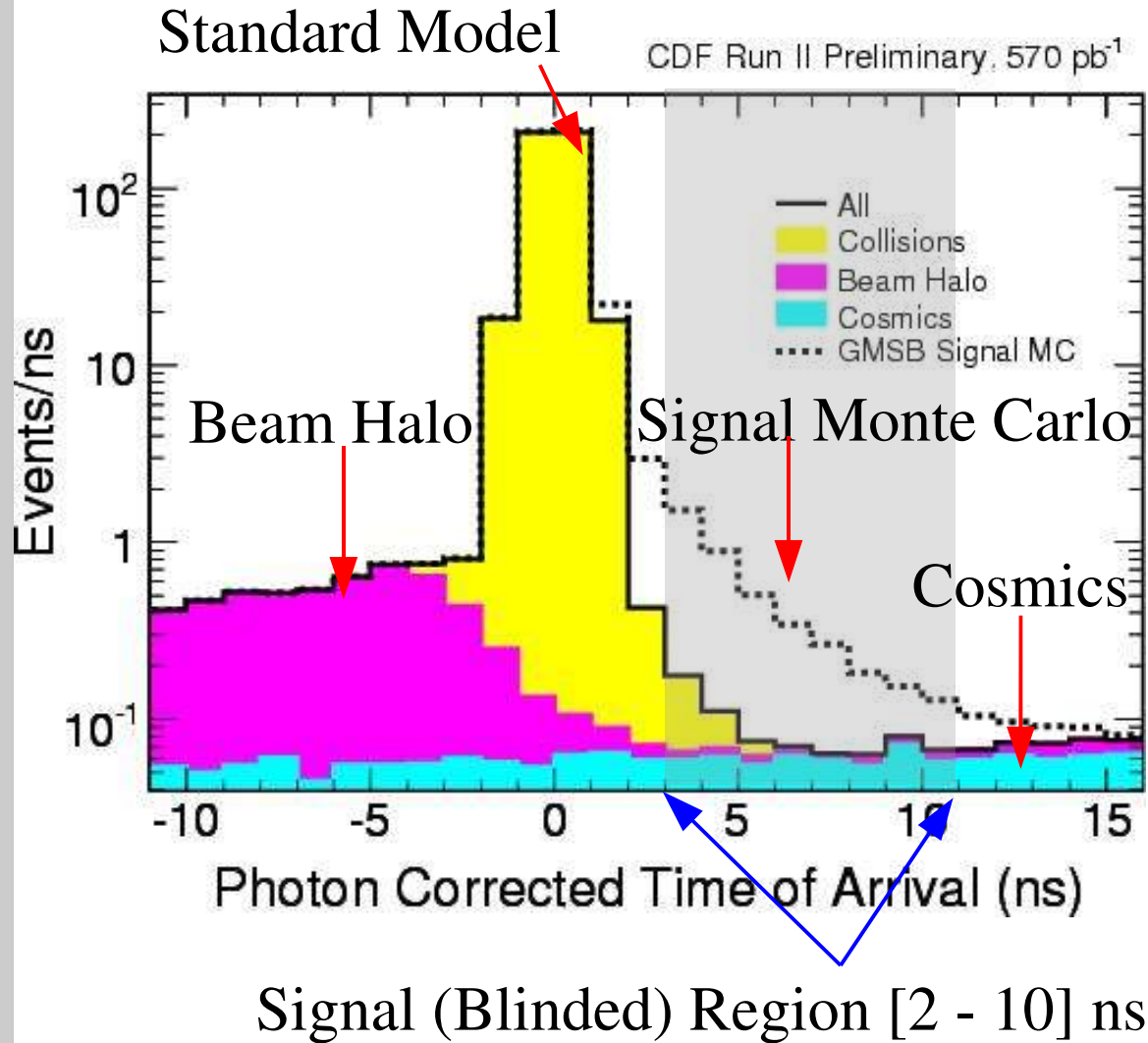
- general shape from no-track events
- separate beam halo from cosmics

Standard Model Background

- event T0 dominates the resolution – have to subtract
- background splits in two
- guessed the primary vertex correctly
- guessed the primary vertex incorrectly

We use data in various control regions to normalize shapes and obtain background prediction in the signal region

Delayed Photons



Four Background Sources

Non-collision “look-like photons”

- Cosmics
- Beam Halo

Collision photons from Standard Model

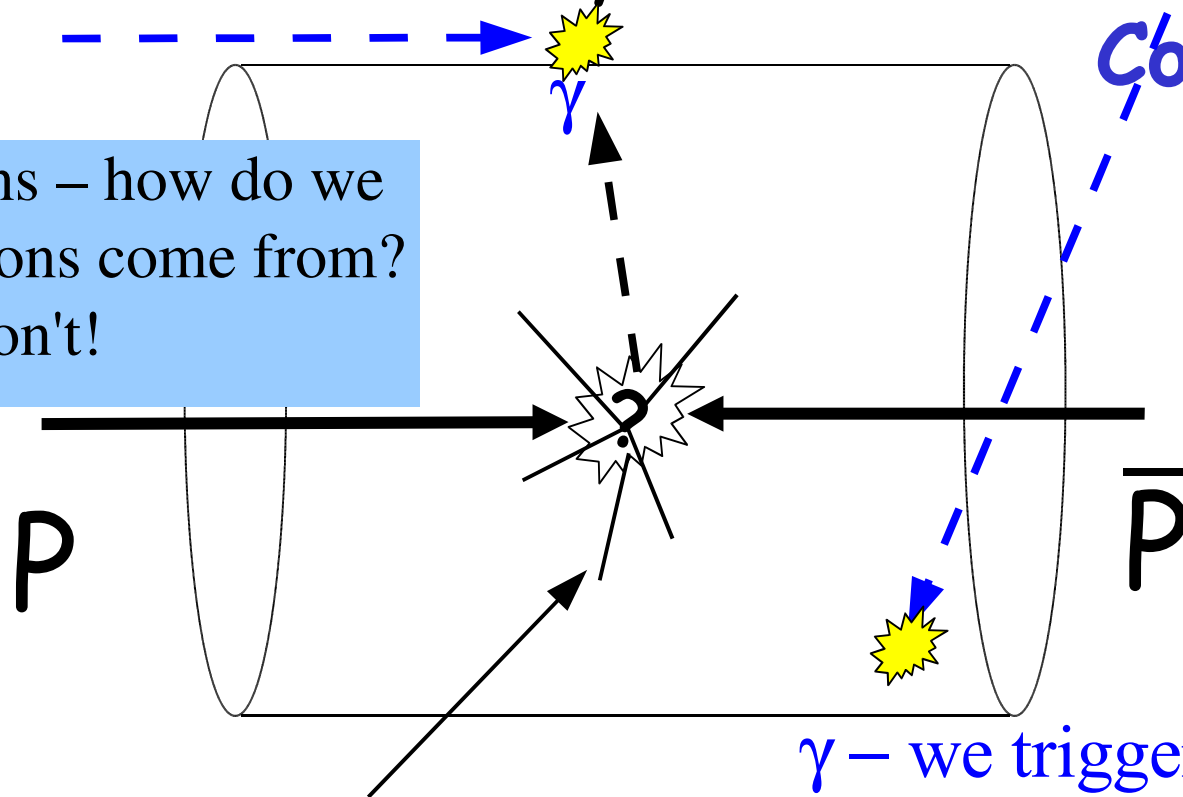
- Right vertex
- Wrong vertex

Backgrounds

Beam Halo Muon - in sync with beam

Cosmic Ray

If two interactions – how do we know where photons come from?
We don't!

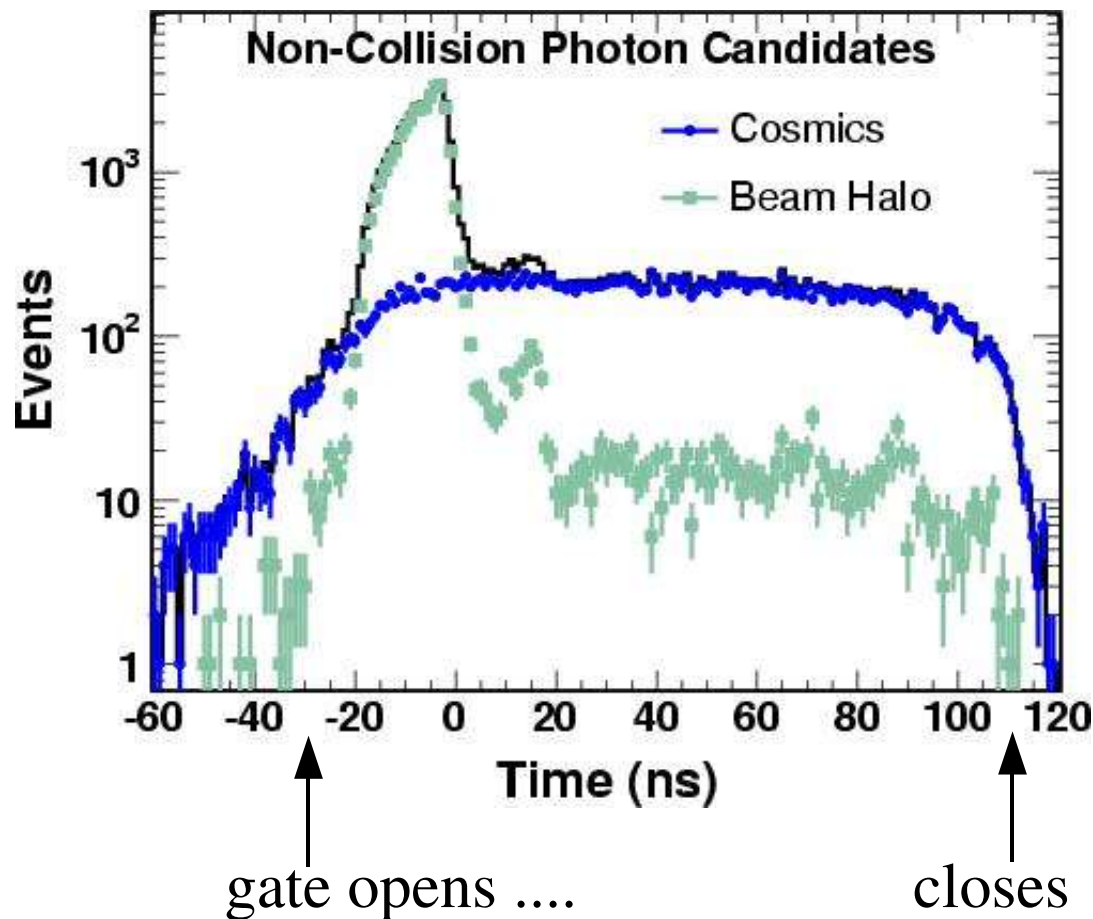


γ - we trigger on photons

Tracks - P_T and time are measured by
the tracking chamber => can reconstruct
event origin in time

Non-Collision Backgrounds

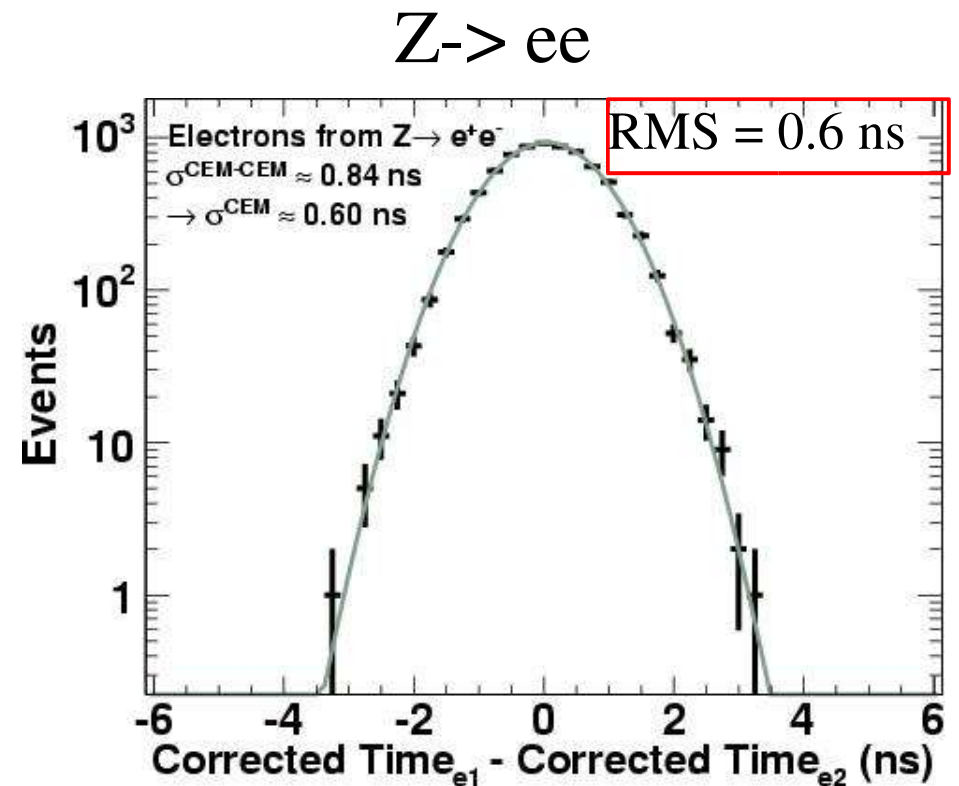
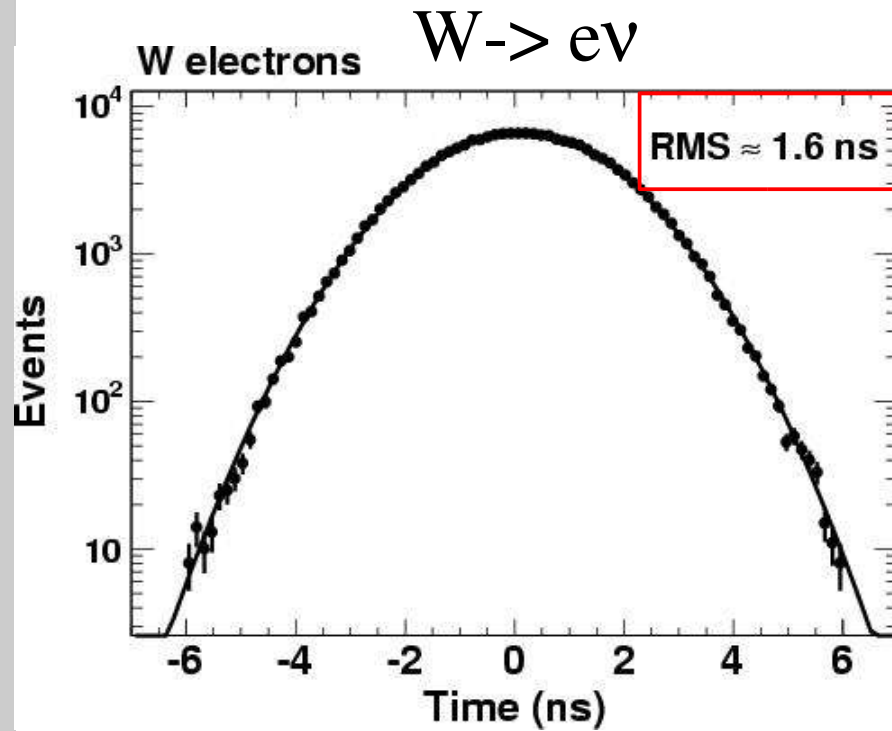
- There are lots of tracks in typical collision.
- Non-collision means there are no tracks.
- Cosmics are accidents - flat in time
- What about beam halo?



- Most would choose $|T| < 6$ ns
- We use shapes predictions

Timing Resolutions

This is how one normally measures true system resolution:



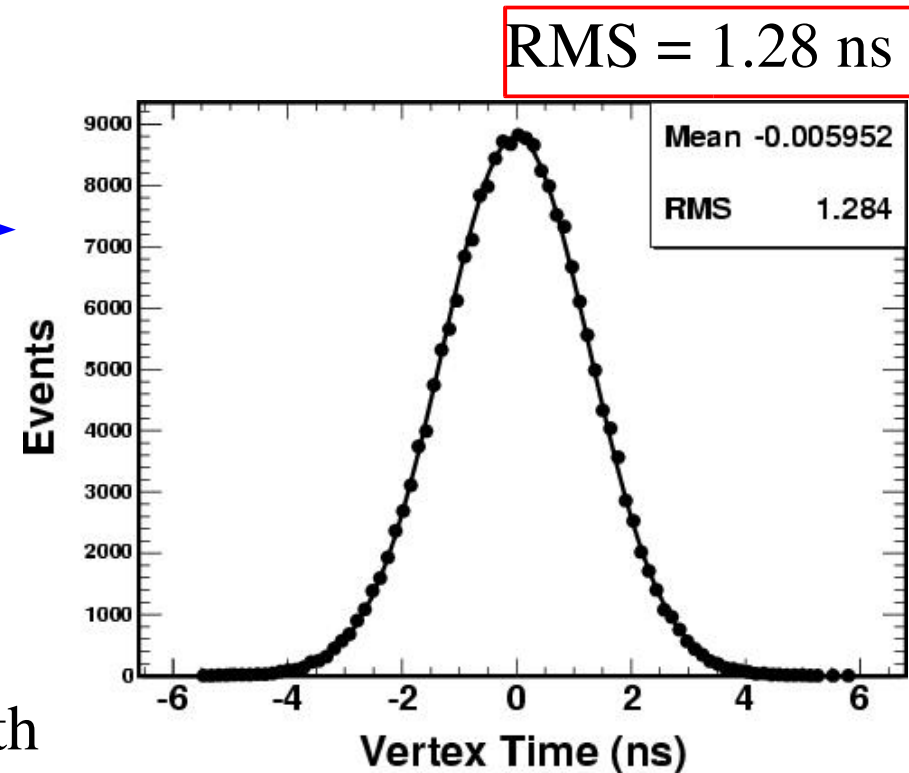
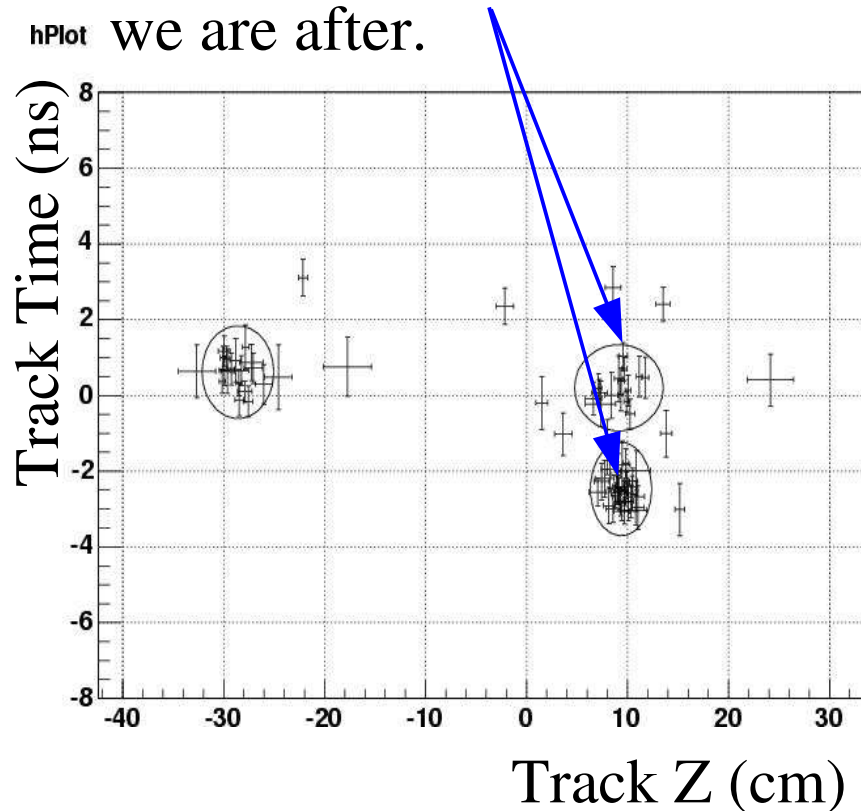
WHEN interaction happens - RMS ≈ 1.3 ns
It has to be subtracted from the photon arrival time
Need to reconstruct vertices in space and time

Collision Time Reconstruction

For tracks we reconstruct Z position along the beamline and time as measured by the tracking drift chamber (COT):

- plot all tracks on Z-Time plane
- do clustering

Separating those two is what we are after.



Employ Expectation Maximization with
Gaussian Mixtures

Standard Model Photons

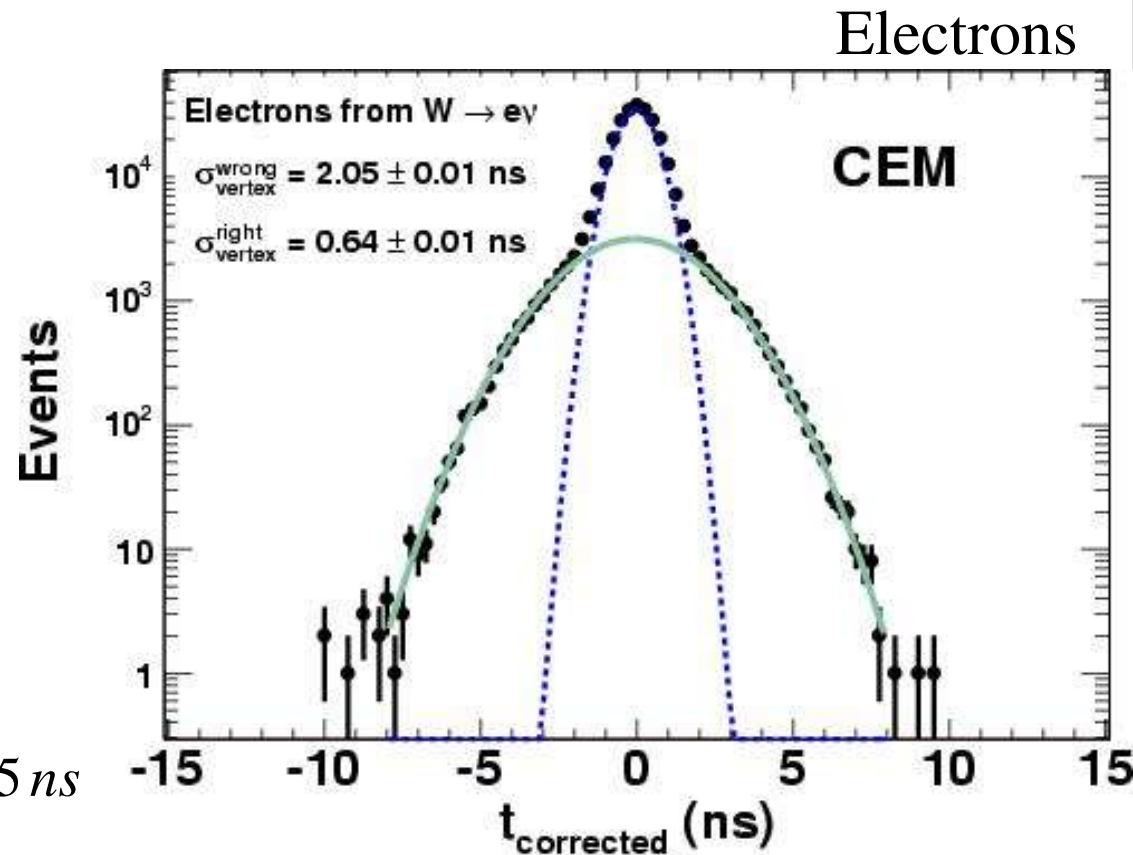
Assigning the right vertex is a tricky business as L gets high
We can measure how often mistake is made

Standard Model (SM) photon candidates

- Right vertex
- Wrong vertex

When wrong vertex picked:

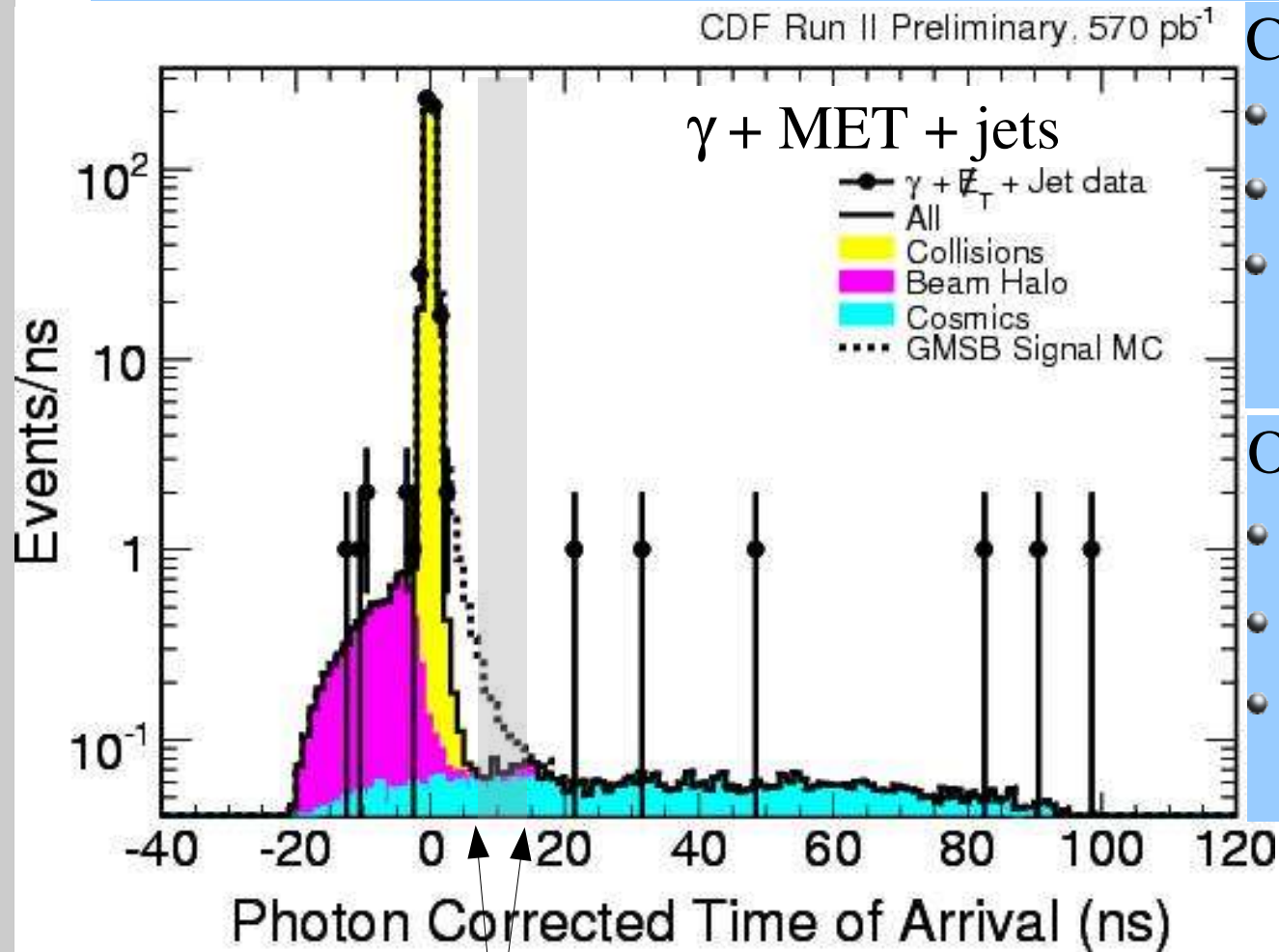
$$\sigma = \sqrt{(\sigma^2(e) + \sigma^2(vertex))} = \sqrt{(1.6^2 + 1.3^2)} \approx 2.05 \text{ ns}$$



With electrons we simulate what happens with photons by excluding electron track from vertex reconstruction

Putting It All Together

Normalize shapes to data outside the blind region



Control Regions:

- Cosmics : 30 80 ns
- Beam Halo: -20 -6 ns
- Collisions : -6 1.2 ns

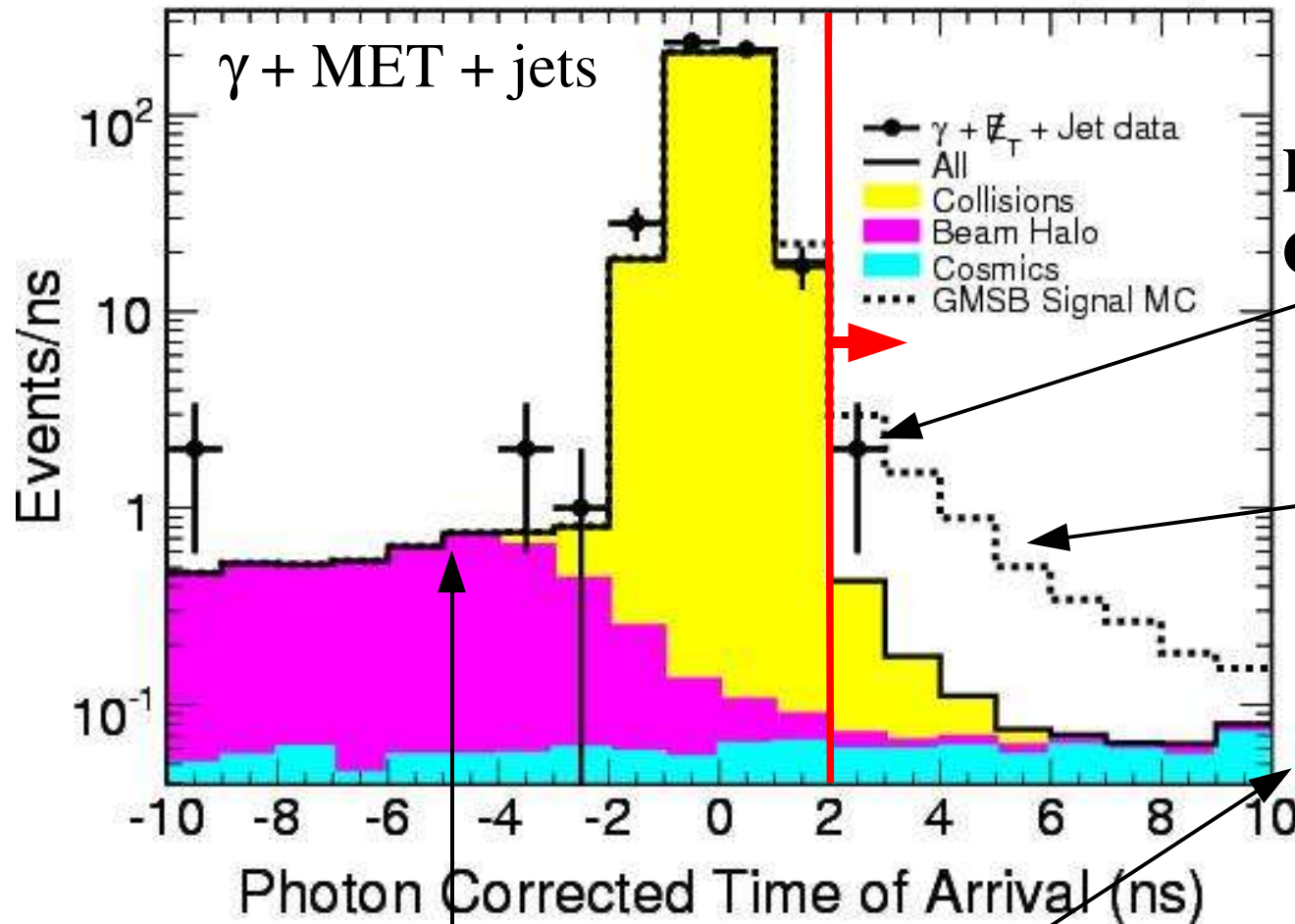
Optimize for best sensitivity:

- Photon $E_T > 30$ GeV
- Jet $E_T > 35$ GeV
- MET > 40 GeV

signal (blinded) region

Delayed Photons

CDF Run II Preliminary, 570 pb⁻¹



Predicted: 1.3 ± 0.7 events

Observed: 2 events

Would be +6 event
for GMSB point:

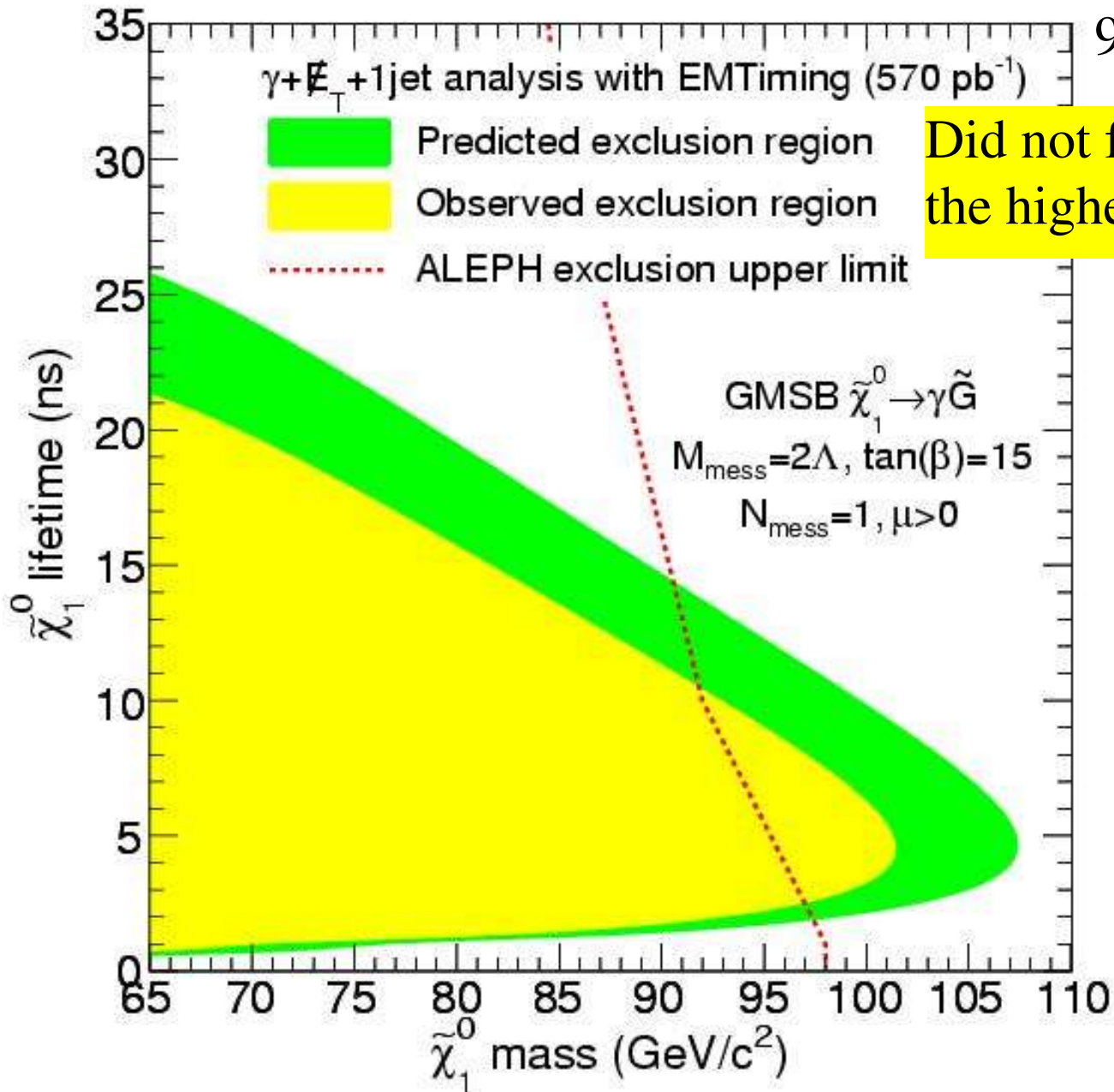
$m(\chi) = 100 \text{ GeV}$

$\tau(\chi) = 5 \text{ ns}$

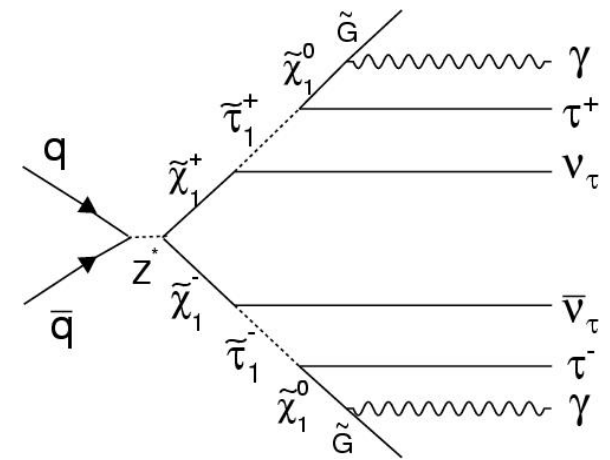
We know shapes

- normalize to events in control regions
- count events in signal region (2-10) ns

Delayed Photons?

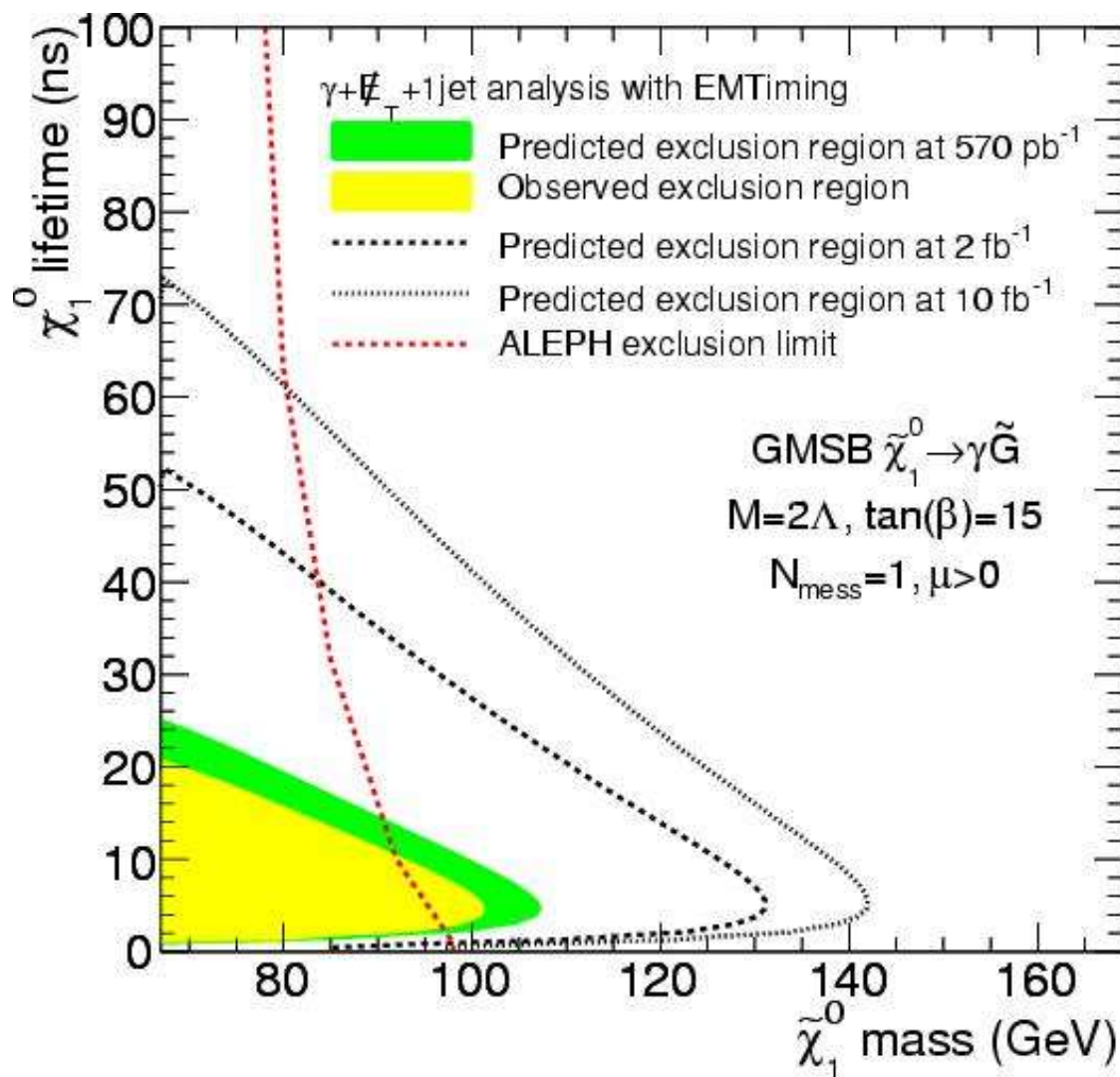


Did not find anything, but have the highest sensitivity



Analysis with More Data

more data is available



What is Next?



CHAMPs $\beta > 0.4$
Late Tracks

Delayed Photons

Track Timing
Calorimeter Timing
Non-Collision Rejection

Exclusive $\gamma + \text{MET}$
(KK states ...)

Champs $\beta < 0.4$
Delayed Jets

Displaced Vertex
(Hidden Valley ...)

Highly Displaced Vertex
(Hidden Valley ...)

Let's catch it !



Backup Slides

Reasons to live

- Particles can be long-lived if they have:
- weak coupling constants
 - limited phase space
 - a conserved quantity
 - “hidden valley” (potential barrier)

➤ Supersymmetry:

- stable stop squark (We use this as our reference model)
 - R. Barbieri, L.J. Hall and Y. Nomura PRD **63**, 105007 (2001)
- NLSP stau in gauge-mediated SUSY breaking
 - J.L. Feng, T. Moroi, Phys.Rev. D58 (1998) 035001
- Light strange-beauty squarks
 - K. Cheung and W-S. Hou, Phys.Rev. D70 (2004) 035009
- ➔ Light strange-beauty squarks
 - Matthew Strassler, HEP-ph/0607160

➤ Universal Extra Dimensions (UXDs)

- Kaluza-Klein modes of SM particles
 - T. Appelquist, H-C. Cheng, B.A. Dobrescu, PRD 64 (2001) 035002

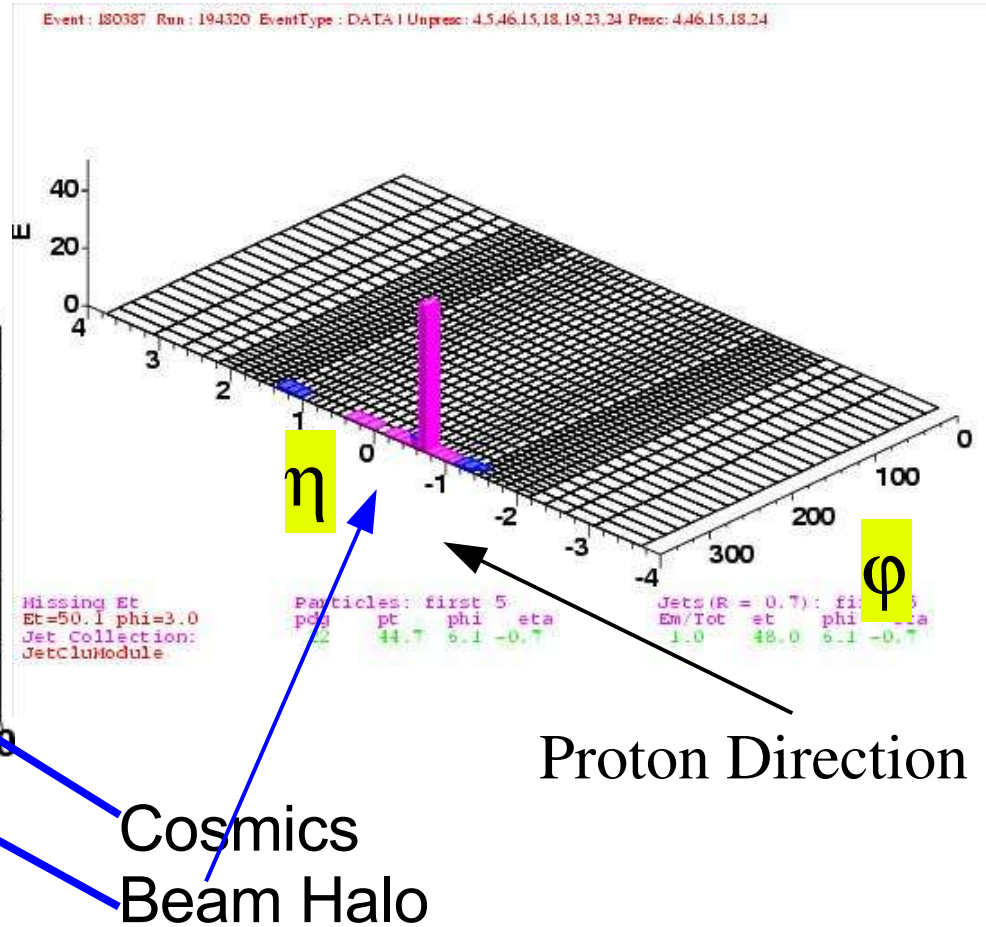
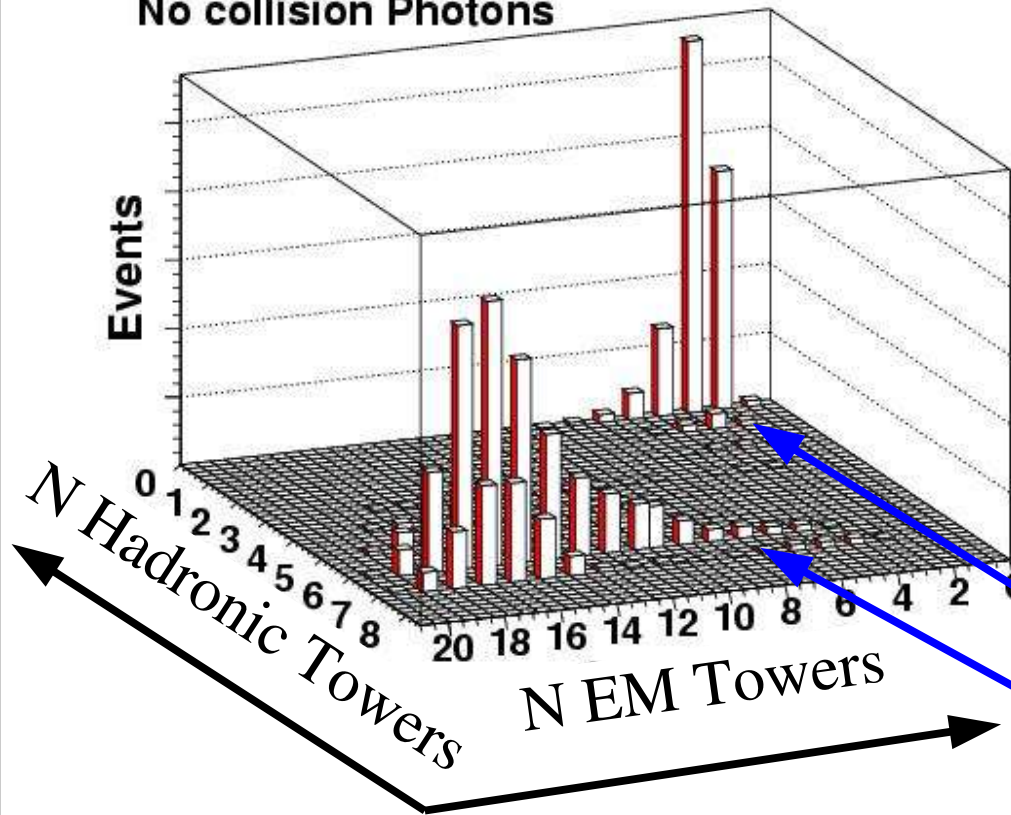
➤ Long-lived 4th generation quarks

- P.H. Frampton, P.Q. Hung, M. Sher, Phys. Rep. 330 (2000) 263-348.

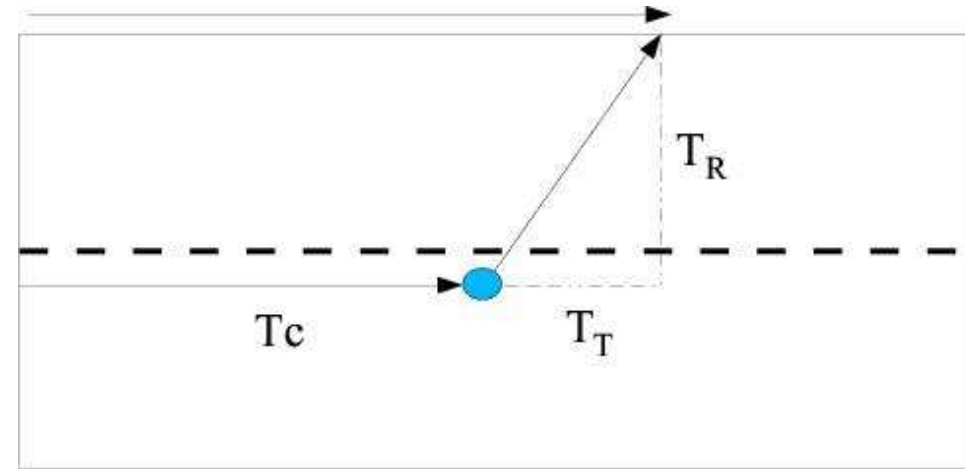
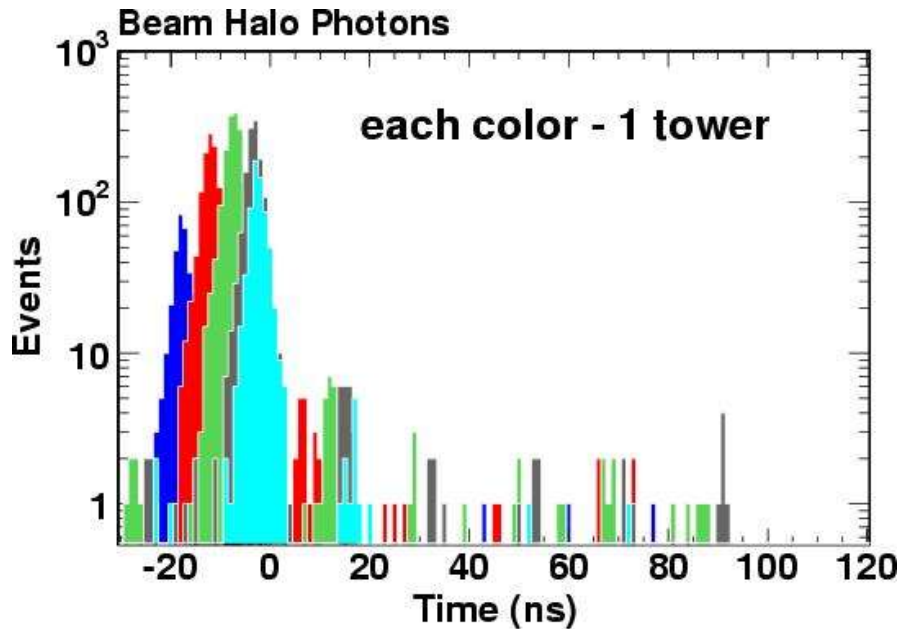
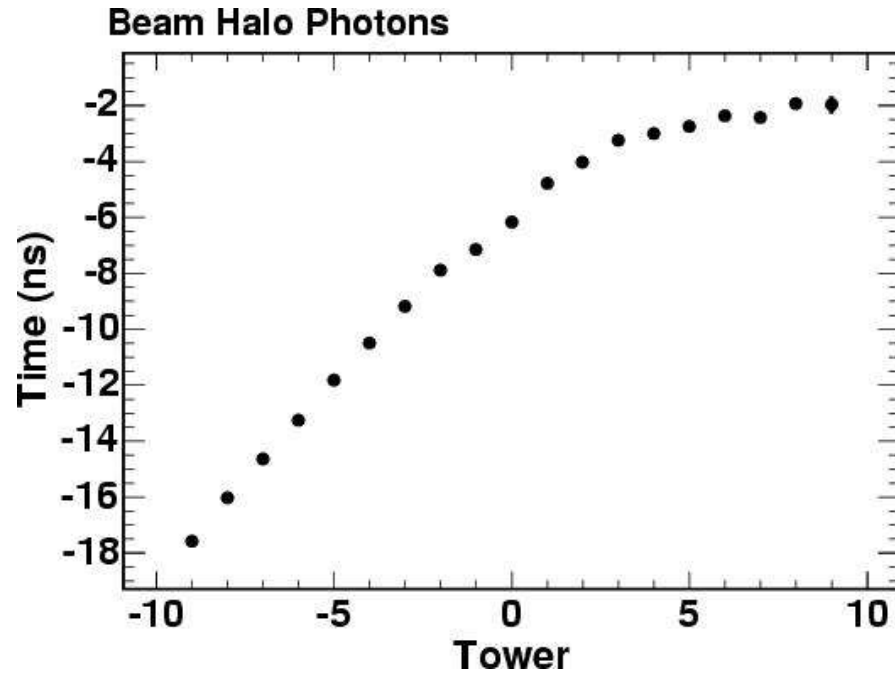
Cosmics vs Beam Halo

Tracks $\Sigma P_T < 1$ GeV

No collision Photons



Beam Halo Time Shape



$$t(\text{collision}) = T_C + \sqrt{(T_T^2 + T_R^2)}$$

$$t(\text{halo}) = T_C + T_T$$

$$\delta t = T_T - \sqrt{(T_T^2 + T_R^2)}$$

$$\text{Tower } -9: \delta t \approx -2T_T$$

$$\text{Center: } \delta t \approx -T_R + T_T$$

$$\text{Tower } 9: \delta t \approx -\frac{T_R^2}{2T_T}$$