Cosmic Ray Anomalies from the MSSM?

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Based on: 0812.0980 0903.4409 1005.XXXX

Anomalous CRs... DM Or What?

Excess CR antimatter could be a signal of DM annihilation... PAMELA Experiment \rightarrow Maybe we do see an excess:







BUT:

An MSSM WIMP? Lore: No.

Thermal Cosmology: $\langle \sigma v \rangle \sim 10^{-26} \text{ cm}^3 \text{ s}^{-1}$

mSUUUUGRA!

? Studied models: not particularly "leptophilic" BUT:



The Goal for Today:

- Is there anything to learn by:
- i) venturing beyond mSUGRA and

ii) A more rigorous treatment of astrophysical uncertainties



Outline...

- Our Models the p(henomenological)MSSM (a larger subset of the MSSM)
- Gamma constraints from dwarf galaxy observation.
- Cosmic Rays, dealing with astrophysical uncertainties
- Astro+SUSY fitting of (e⁺+e⁻), e⁺/(e⁺+e⁻), pbar/p simultaneously
- An interesting place in pMSSM space.

SUSY Without Prejudice 0812.0980 C.F. Berger, J.S. Gainer, J.L. Hewett, T.G. Rizzo

• pMSSM = MSSM + CP-conservation, R-Parity, MFV, Two light gens. are Degenerate (by type), no light gen. yukawas...

• A 19 dim. Subspace of MSSM: m_{Q1} , m_{Q3} , m_{u1} , m_{d1} , m_{u3} , m_{d3} , m_{l1} , m_{l3} , m_{e1} , m_{e3} , M_1 , M_2 , M_3 , A_b , A_t , A_τ , μ , M_A , tan β (weak-scale pars. - no assumption of GUT or SUSY bkg. Mechanism)

• MC generation^{*} of points in this space. Impose constraints from: Theory, Tevatron, LEP, EW Precision, WMAP, Direct Detection, g-2, rare decays, flavor.

• \rightarrow 10⁷ scan points, ~ 68.4K survive (0.68%)

• The LSP is the lightest neutralino; thermal cosmology is assumed.

* With SuSpect, SUSY-HIT, PROSPINO, PYTHIA, PGS4 and MicrOMEGAs



Quarks vs. Leptons in Our Model Set...

















Now for Cosmic Rays...

We want to add a DM annihilation signal to see if we can explain the anomaly...

Do we know what to add our signals to? (What is the uncertainty on that curve?)







The Plan:

Make "Astro-Scan" (just like SUSY scan). Combine (astro)X(SUSY) setups. Fit e+/(e⁺+e⁻) , (e⁺+e⁻) , pbar/p, simultaneously...

First...

Proton Source N_n, γ_n Proton Abs. Flux (AMS01,ATIC,BESS, CAPRICE)These are fixed at the beginning and never floated thereafterDiffusion $z_h, D_{0xx}, \delta, V_A, V_c$ B/C (HEAO-3, ATIC, CREAM) z_h and D_{0xx} are "degenerate," we scan z_h . Radio clocks: z_h >~2Kpc. δ expected in ~ 0.3-0.8. Here $\delta=0.33$ Electron Source N_e, γ_e $e+/(e^++e^-), (e^++e^-)$ N_B^{\sim} few μG B-Field N_B $e^+/(e^++e^-), (e^++e^-)$ N_B^{\sim} few μG ISRF $(u_{FIR}+u_{optical}), u_{optical}/u_{FIR}$ $e^+/(e^++e^-), (e^++e^-)$ $(u_{FIR},u_{optical}) \sim default, Scan similar toDiffuse \gamma's$	Par. Type	Par. Names	Constrained By	Also Note
Diffusion $z_h, D_{0xx}, \delta, V_A, V_c$ B/C (HEAO-3, ATIC, CREAM) z_h and D_{0xx} are "degenerate," we scan z_h . Radio clocks: $z_h > -2Kpc$. δ expected in ~ 0.3-0.8. Here $\delta = 0.33$ Electron Source N_e, γ_e $e +/(e^++e^-), (e^++e^-)$ $N_B \sim few \ \mu G$ B-Field N_B $e +/(e^++e^-), (e^++e^-)$ $N_B \sim few \ \mu G$ ISRF $(u_{FIR}+u_{optical}), u_{optical}/u_{FIR}$ $e +/(e^++e^-), (e^++e^-)$ $(u_{FIR},u_{optical}) \sim default, Scan similar toDiffuse \gamma's$	Proton Source	N _n , γ _n	Proton Abs. Flux (AMS01,ATIC,BESS, CAPRICE)	These are fixed at the beginning and never floated thereafter
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B-Field N_B $e^+/(e^++e^-), (e^++e^-)$ $N_B \sim few \ \mu G$ ISRF $(u_{FIR}+u_{optical}), u_{optical}/u_{FIR}$ $e^+/(e^++e^-), (e^++e^-)$ $(u_{FIR},u_{optical}) \sim default, Scan similar toDiffuse \gamma'sDiffuse \gamma'sP_{I} = I(e^-+e^-) + e^-$	Electron Source	N _e , γ _e	e+/(e++e-), (e++e-)	
ISRF $(u_{FIR}+u_{optical}), u_{optical}/u_{FIR}$ $e^{+/(e^{+}+e^{-})}, (e^{+}+e^{-}) = (u_{FIR},u_{optical}) \sim default, Scan similar to Diffuse \gamma's D_{I} = 16 - 1 + 16 - 1000$	B-Field	N _B	e+/(e ⁺ +e ⁻), (e ⁺ +e ⁻) Diffuse γ's	N _B ~ few μG
Blandford etal. (0908.1094)	ISRF	(u _{FIR} +u _{optical}), u _{optical} /u _{FIR}	e+/(e ⁺ +e ⁻), (e ⁺ +e ⁻) Diffuse γ's	(u _{FIR} ,u _{optical}) ~ default, Scan similar to Blandford etal. (0908.1094)







An Improvement?

The SUSY-Added fits do significantly better than the ASTRO-ONLY fits.

Most cases: a significantly better fit to the PAMELA positron fraction data



Global Fit (Astro)X(SUSY) ...



Best Astro Models...

- Diffusion Zone Heights: 2-3Kpc, δ =0.33, relatively soft γ_e : 2.5-2.55
- Soft γ_e afforded by (f_{optical}, f_{FIR})=(1.8, 0.2) (default, 1.0, 1.0) "the KN bump"
- Bulk mag. field smaller than default (5 μ G), in 0.2-3 μ G



Astro AND SUSY, best fits...

Best Fit B<100: Boost Factor = 72 $\chi^2/dof = 1.88$ (36 dof)

Best Fit B<500: Boost Factor = 163 $\chi^2/dof = 1.54$ (36 dof)

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m=131GeV, Br($\tau^+\tau^-$)=0.996, B=156, χ^2 /dof=1.55





An Interesting Corner of MSSM Space?

- Tau-rich models are most likely candidates for leptophila in the MSSM.
- Spectra like stau-co-annihilation models but more general than mSUGRA
- $\Omega h^2 |_{LSP} \sim \Omega h^2 |_{WMAP}$ (for lowest Boosts) favors stau-LSP splitting ~15-20GeV
- Models relatively hard to exclude via FERMI dwarf observation.

Compelling Explanation of the Anomaly?

- No, Not Really.
- Boosts of ~ 100 are likely too large to be explained by halo uncertainties
- @ B~100, PAMELA positrons not fitted well. @ B ~1000 ruled out by LAT
- AMS-02 will be able to check PAMELA, LAT searches will continue to improve.
- So maybe... No, Not YET.



I'm Happy to discuss in more detail!!!

Backup Slides...



0.14

0.03

0.14

0.09

0.32

0.12

0.15

Number of Models with Relic Density in Given Range

LSP Composition LSP Type Definition Fraction of Models $|Z_{11}|^2 > 0.95$ Bino $0.8 < |Z_{11}|^2 \le 0.95$ Mostly Bino $|Z_{12}|^2 > 0.95$ Wino $0.8 < |Z_{12}|^2 \le 0.95$ Mostly Wino $|Z_{13}|^2 + |Z_{14}|^2 > 0.95$ Higgsino $0.8 < |Z_{13}|^2 + |Z_{14}|^2 \le 0.95$ Mostly Higgsino All other models



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Q: Taus => Stiffer γ Spectra. Aren't they easier to see? A: Depends what you are using to look ...

Take all pMSSM models that annihilate almost purely into τ or b-quark channels

Factor out trivial model dependence ($\langle \sigma v \rangle^* (\rho^2 / \rho_o^2)$, and m_y)

Find a universal cross-over at $E_{\gamma}/m_{\chi} \sim 0.15$



Suppose $m_{\chi} \sim 100 \text{ GeV} \Rightarrow \text{Cross-over } @ \sim 15 \text{ GeV}$, then...

Cerenkov telescopes ($E_{th} \sim 100 \text{ GeV}$) will see τ -like spectra more easily, The FERMI-LAT ($E_{th} \sim 100 \text{ MeV}$) will see b-like spectra more easily

Cosmic Rays... CR spectra can be modeled as solutions to the diffusion/loss equation: $\frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t) + \vec{\nabla} \cdot \frac{\partial \psi(\vec{r}, p, t)}{\partial t} = q(\vec{r}, p, t)$



convection

Energy-Dependent Diffusion Constant...

Scattering of CRs off of mag. turbulence: resonant process (Max. for δB 's with size ~ the CR's gyroradius).

 $D(E) \sim E^{\delta}$ (i.e. δ =0.33 Kolmogorov, δ =0.5 Kraichnan)

Fluxes of primary species: $\sim E^{-\delta}$ (protons, electrons, etc.)

Fluxes of secondary species: $\sim E^{-2\delta}$

So: B/C, $e^{+}(e^{+}+e^{-}): \sim E^{-\delta}$

Thus, small δ is desirable for SUSY visibility in e+/(e⁺+e⁻) with lower Boosts. We use δ =0.33.



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Is δ=0.33 OK ??

Many B/C measurements. Many authors working to constrain δ given this data. May be a consensus forming: $\delta > 0.5$



Still...

E>10GeV $e^{+/-}$ are cooled very efficiently by synchrotron, IC and brem. => $e^{+/-}$ come from the local ~ kpc. (NOT true of nuclei CRs)

Very tricky to associate the " δ " describing B/C with the " δ " that should be used to propagate local CR e^{+/-}



Electron Energy Losses...

e^{+/-} lose energy dominantly via Inverse Compton and Synchrotron

IC losses are Thomson-like ($\dot{E} \sim E^2$) or Klein-Nishina-like ($\dot{E} \sim \log(E)$) depending on both the electron energy and the energy of the incident photon.



The Ratio of dust (FIR) and starlight (optical) photon densities in the local ISRF is just as important as their sum.

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Blandford, Petrosian, Stawarz,

0908.0194

Dust

10.00

5.00

1.00

0.50

0.10

0.05

Starlight

Astro-Parameters in Detail...

Diffusion Parameters...

δ		0.33	0.33	0.33	0.33	0.33
L	Kpc	2.0	3.0	4.0	7.0	10.0
D_{0xx}	$*10^{28} \text{ cm}^2/\text{s}$ (@ $\mathcal{R} = 4 \text{GV}$)	2.83	4.20	5.40	8.25	9.97
V_a	$\rm km/s$	33.67	34.33	33.67	32.83	32.00
$\partial V_c/\partial z$	m km/s/Kpc	0.5	0.5	0.1	0.1	0.1

Table 1: Best fit parameter configurations in the diffusion sector.

Loss Parameters... (bold: default values)

γ_e	2.42 , 2.45, 2.48, 2.51, 2.54, 2.57, 2.60
$B_n \; (\mu { m G})$	0.2, 0.4, 0.6, 0.8, 1.0, 2.0, 3.0, 4.0, 5.0
$\mathcal{F}_{op}+\mathcal{F}_{FIR}$	0.5, 1.0, 2.0
$\mathcal{F}_{op}/\mathcal{F}_{FIR}$	0.1, 0.25, 0.5, 1.0 , 2.0, 4.0, 10.0