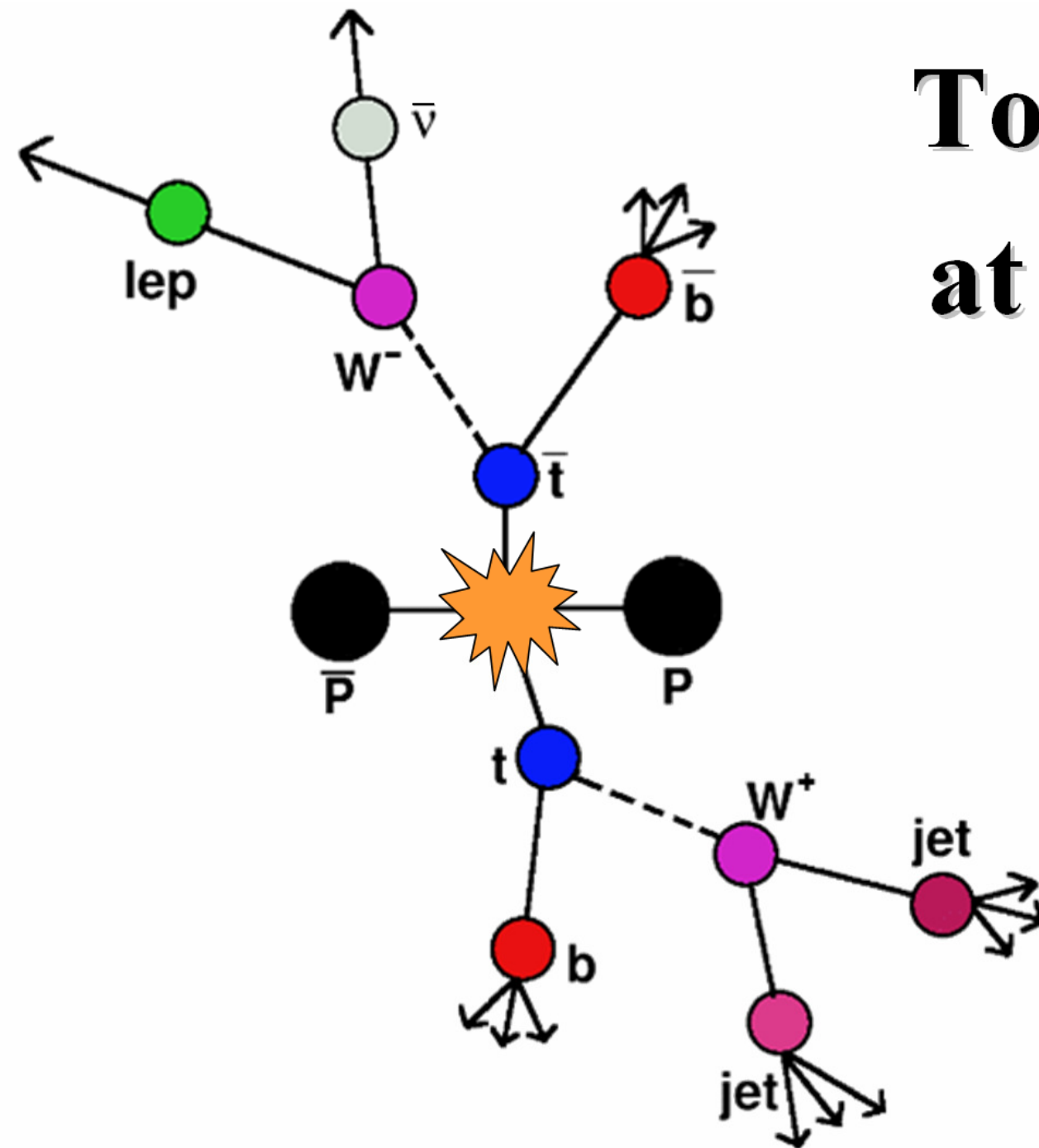


Top Properties at CDF Run II

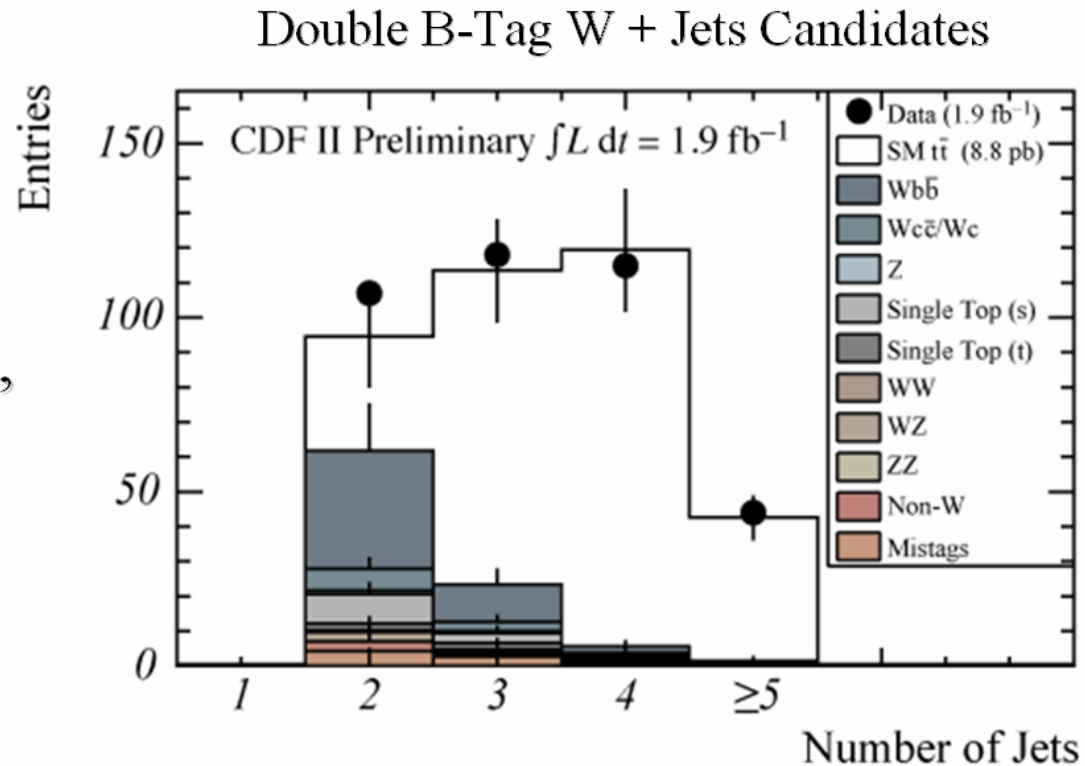
*2008 Pheno
Symposium*

Charles Plager
UCLA

**For the CDF
Collaboration**

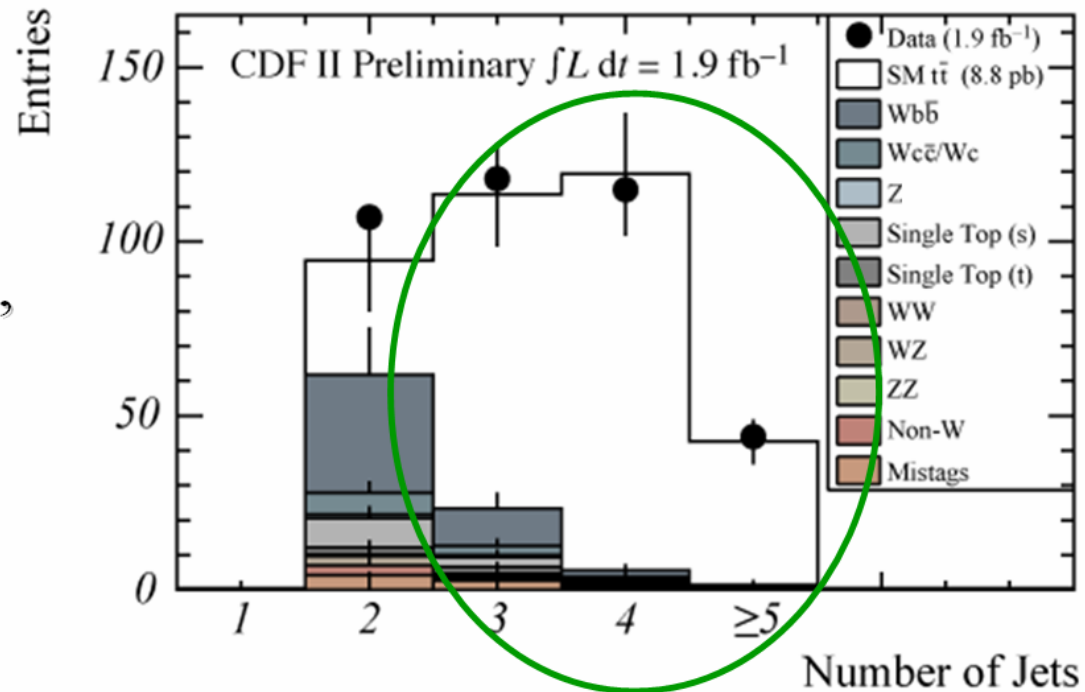


- CDF and DØ now have more than thirty (**30 !!!**) times as much integrated luminosity as we did when they discovered the top quark in Run I!
- With the data we have recorded, we are now able to have large, *very pure* top samples.
- Of the almost 50 results that CDF sent to the winter conferences, *more than half* were in top physics!

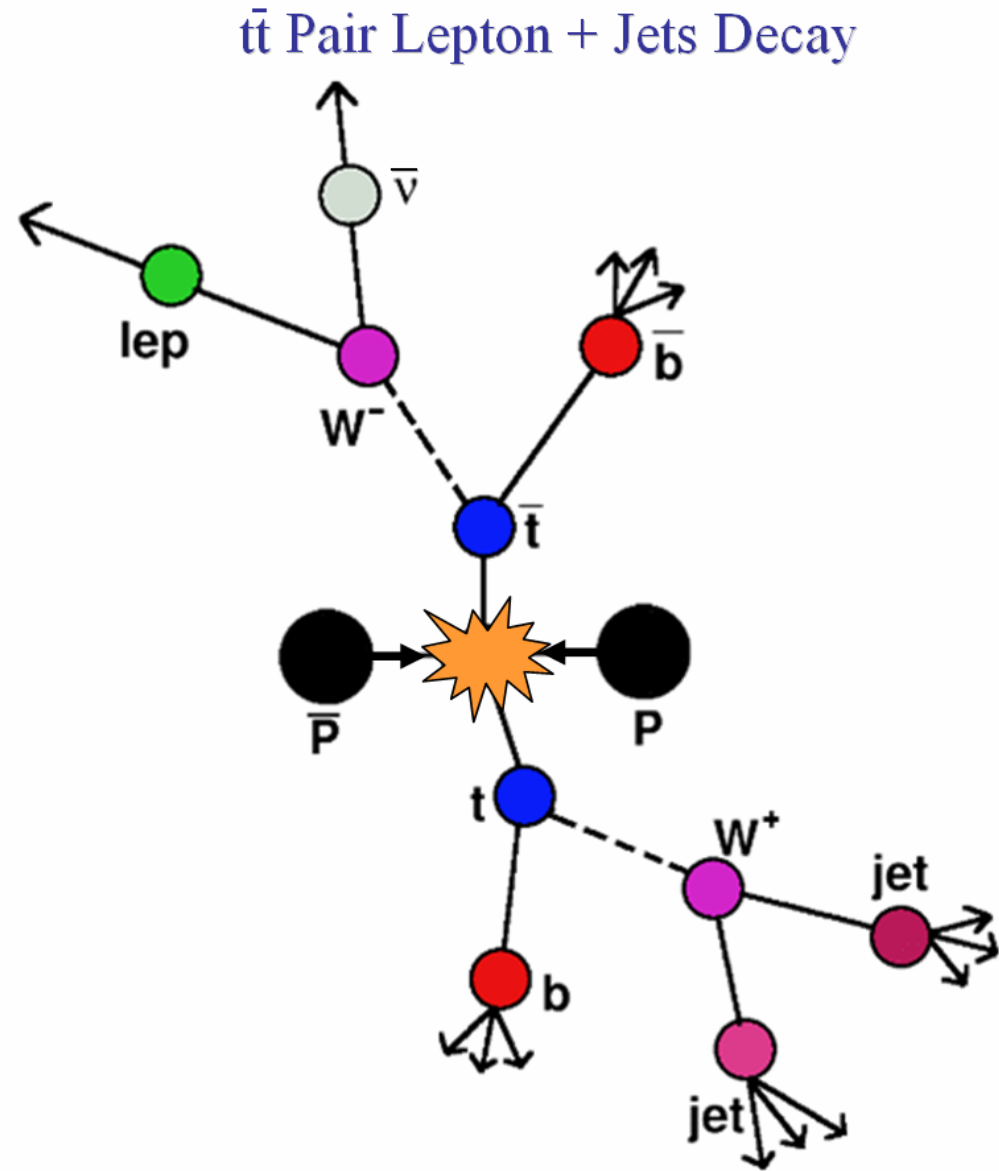


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Double B-Tag W + Jets Candidates

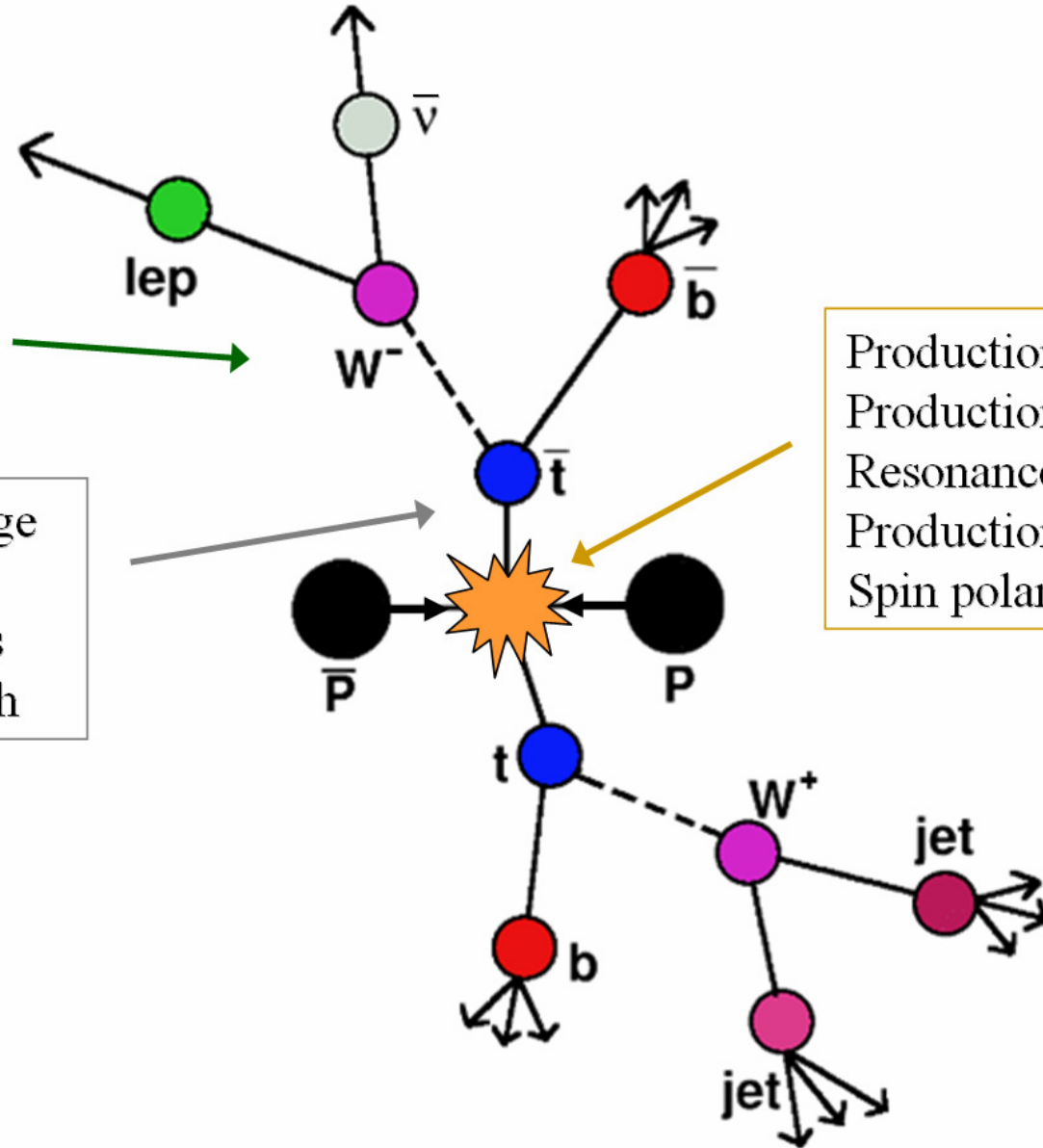


- **Fundamental question:**
Is it the **truth**, the Standard Model (SM) **truth**, and nothing but the **truth**?
 - Did we really find the **top quark**?
 - Is it the **SM top quark**?
 - Is it **only** the **SM top quark**?
- The top quark is an ideal place to look for Beyond the Standard Model Physics!



Branching ratios
Rare decays
Non-SM decays
Decay kinematics
W helicity
 $|V_{tb}|$

Top charge
Top spin
Top mass
Top width

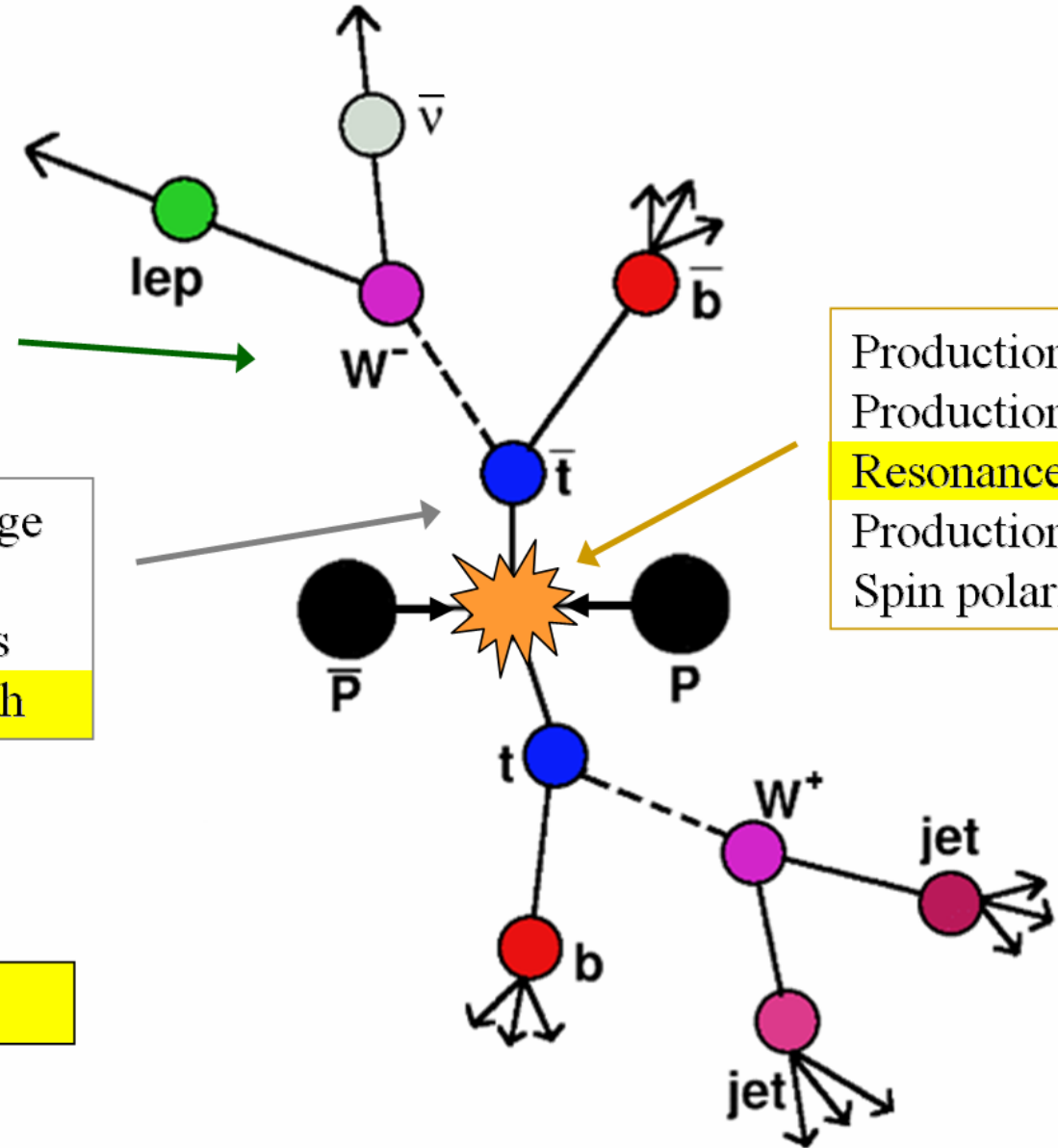


Production cross section
Production mechanism
Resonance production
Production kinematics
Spin polarization

Branching ratios
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In today's talk.



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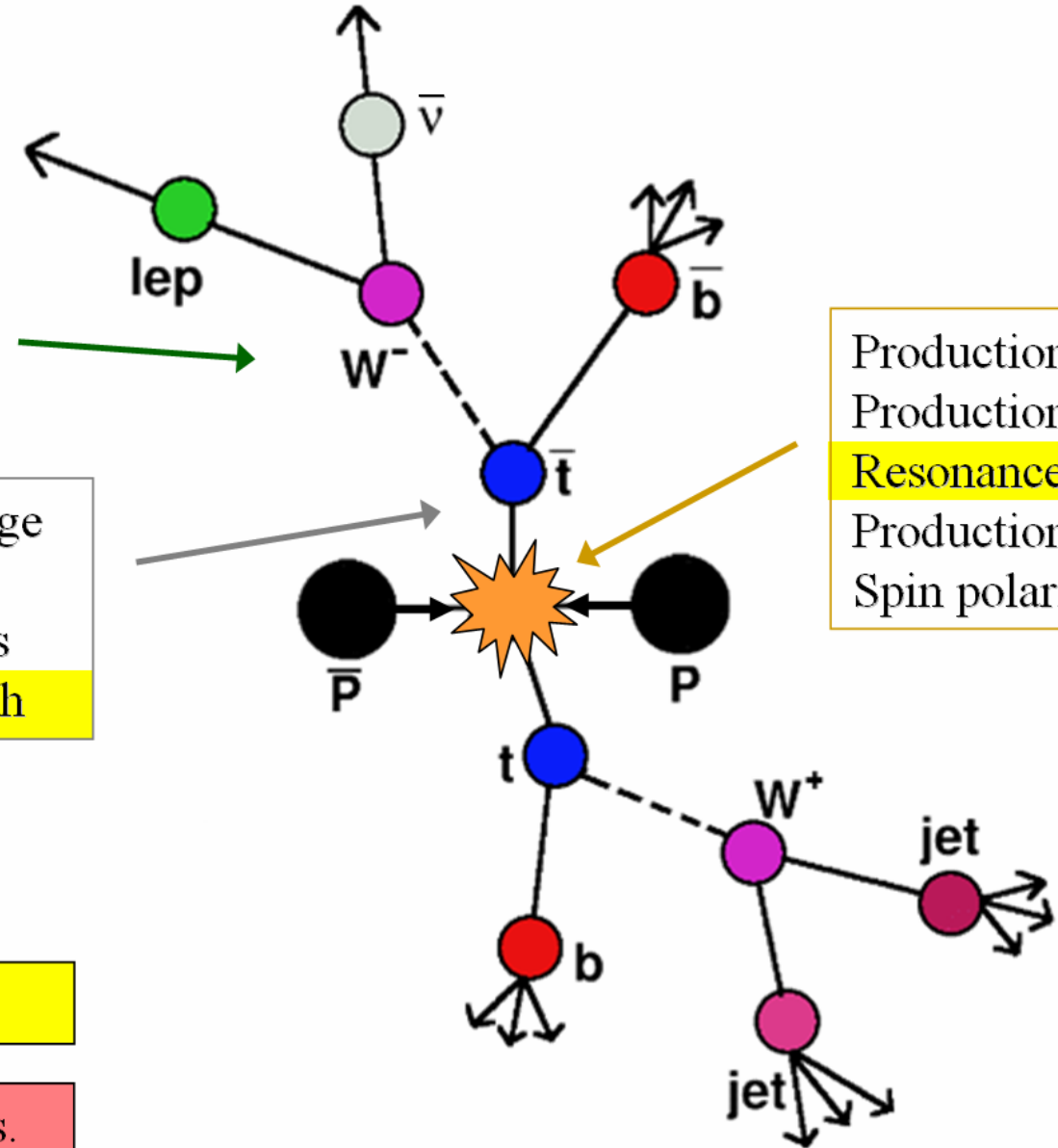
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In today's talk.

Public CDF analyses.



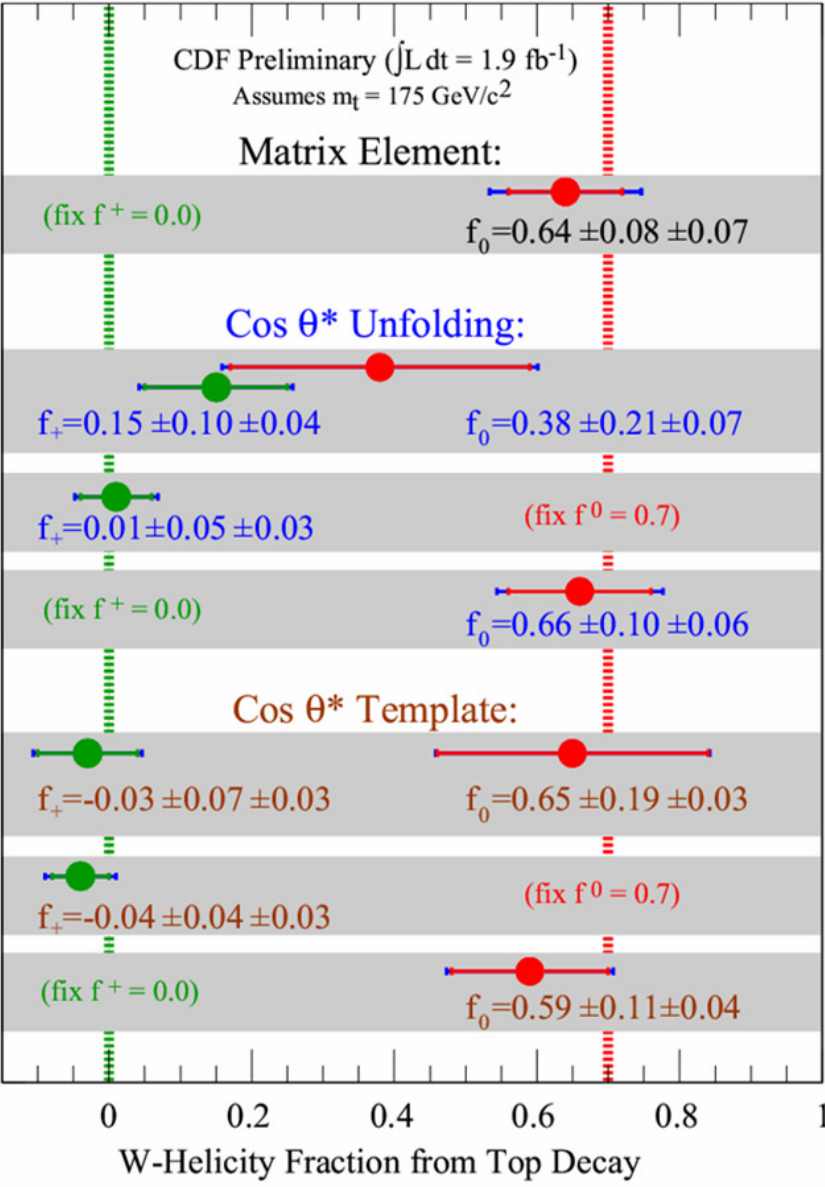
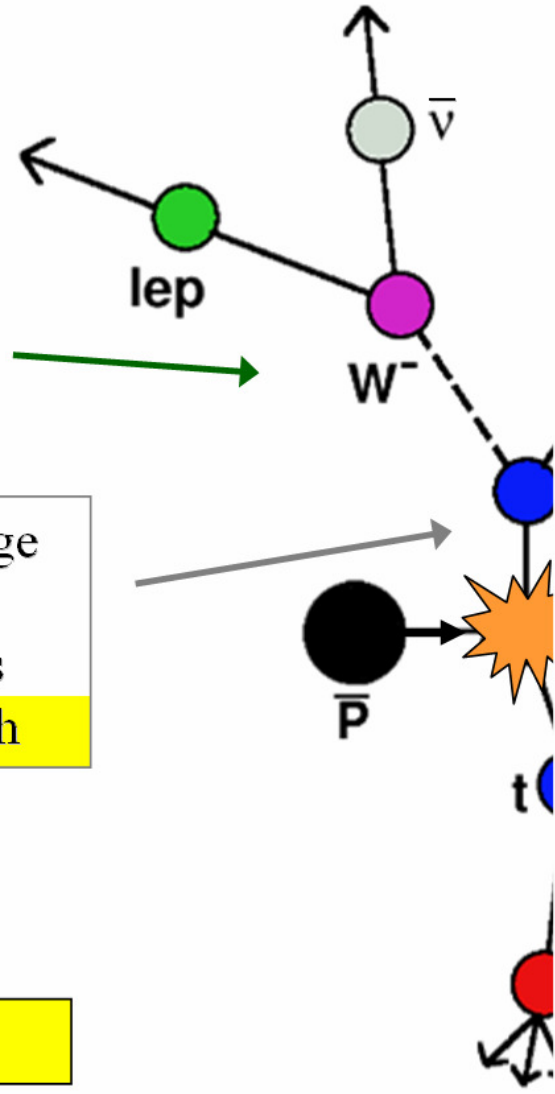
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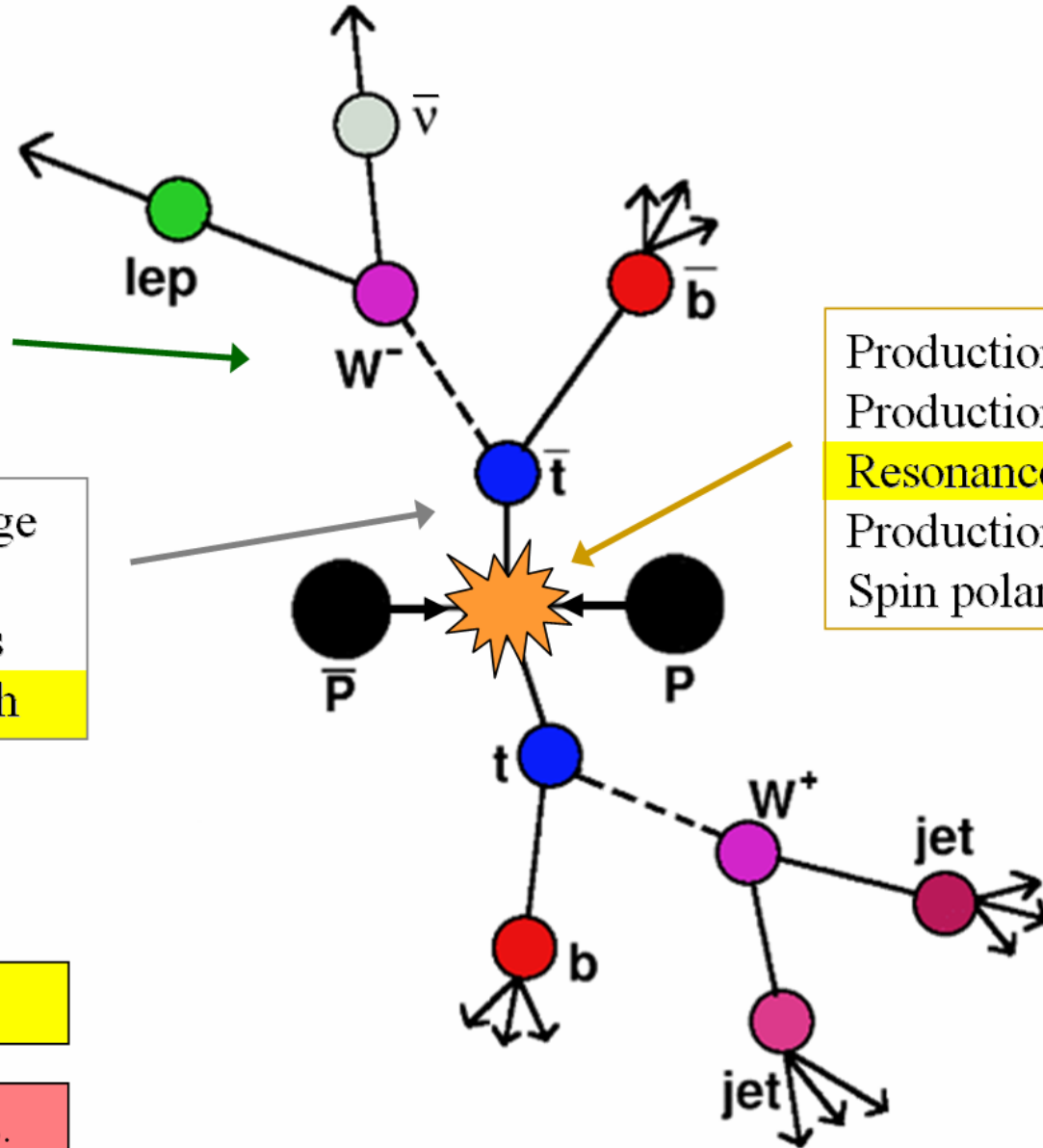


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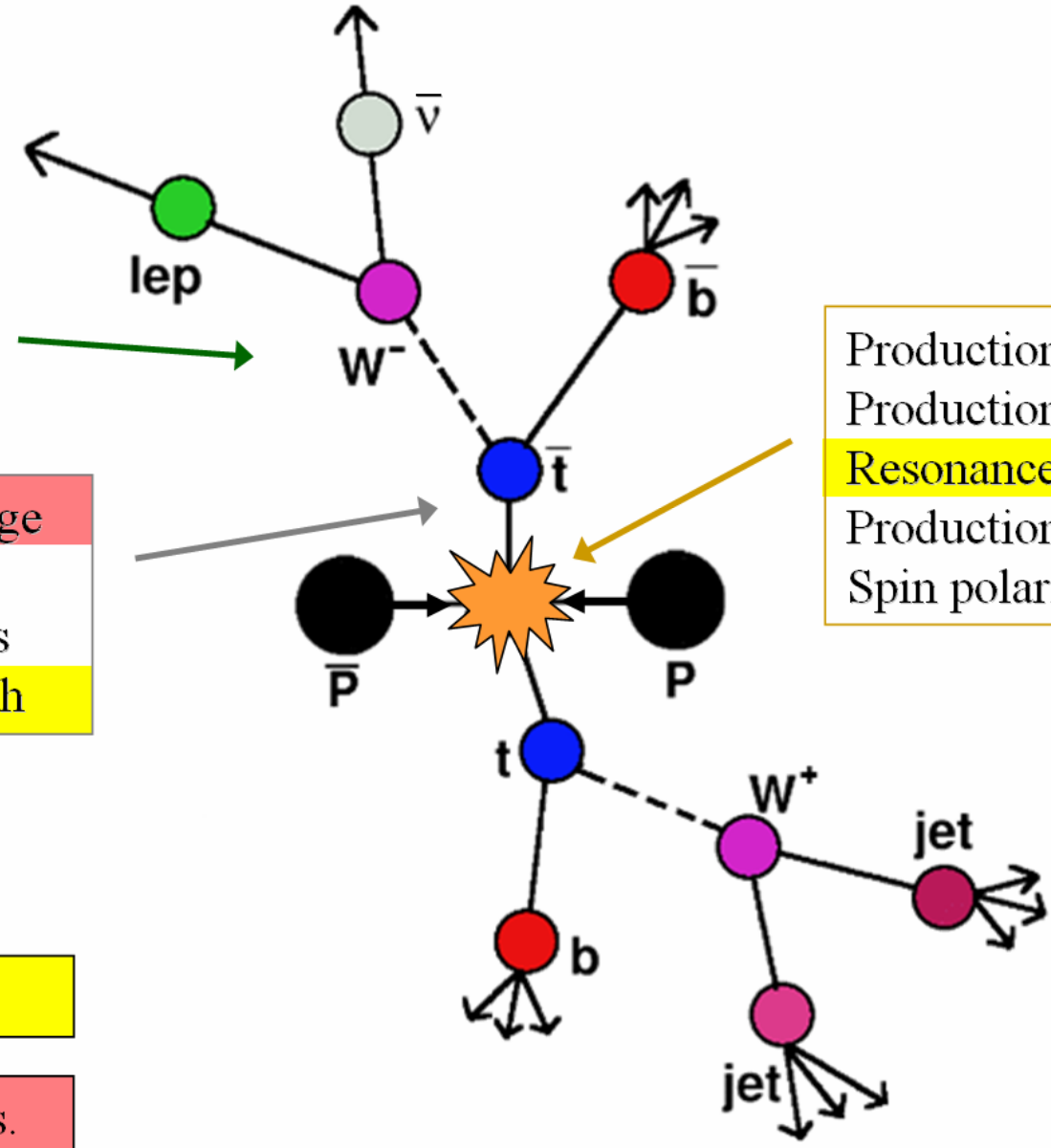
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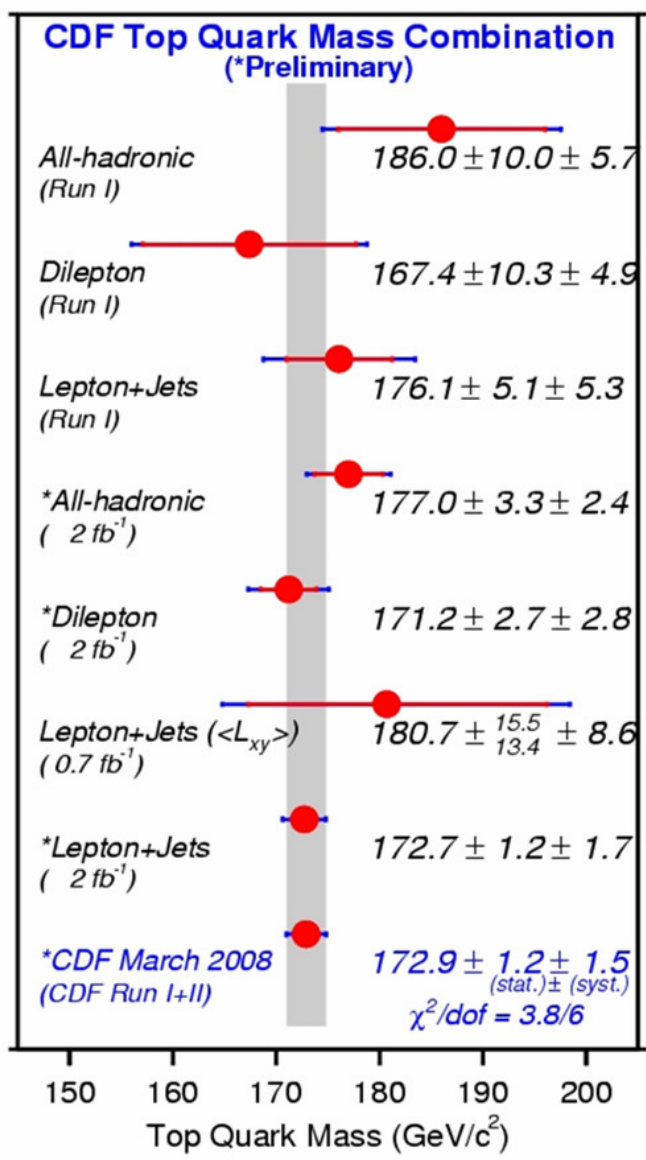
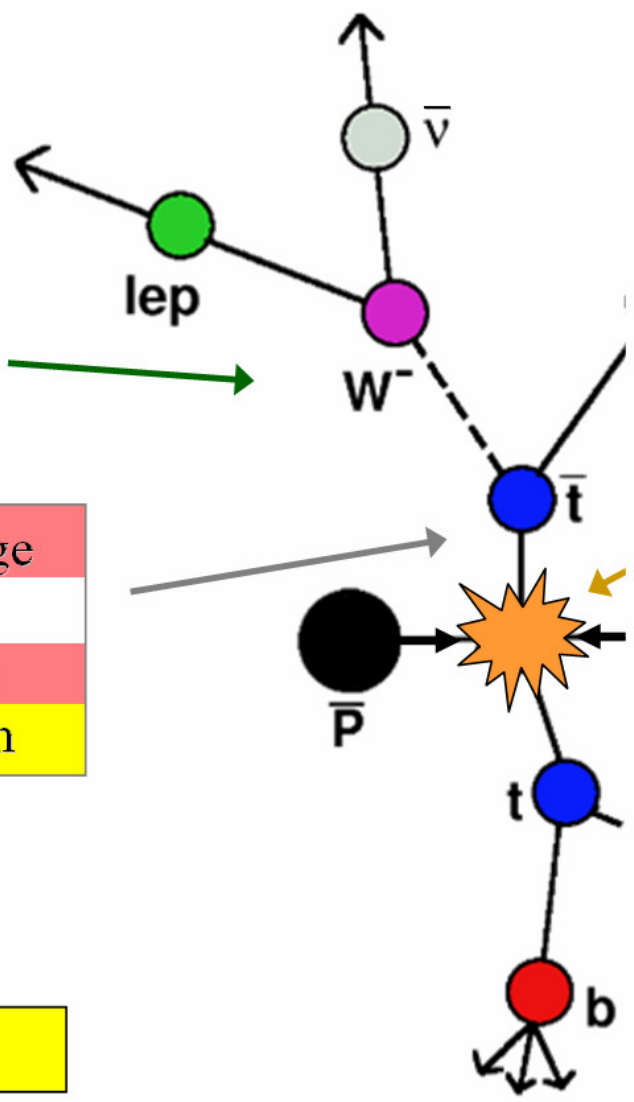


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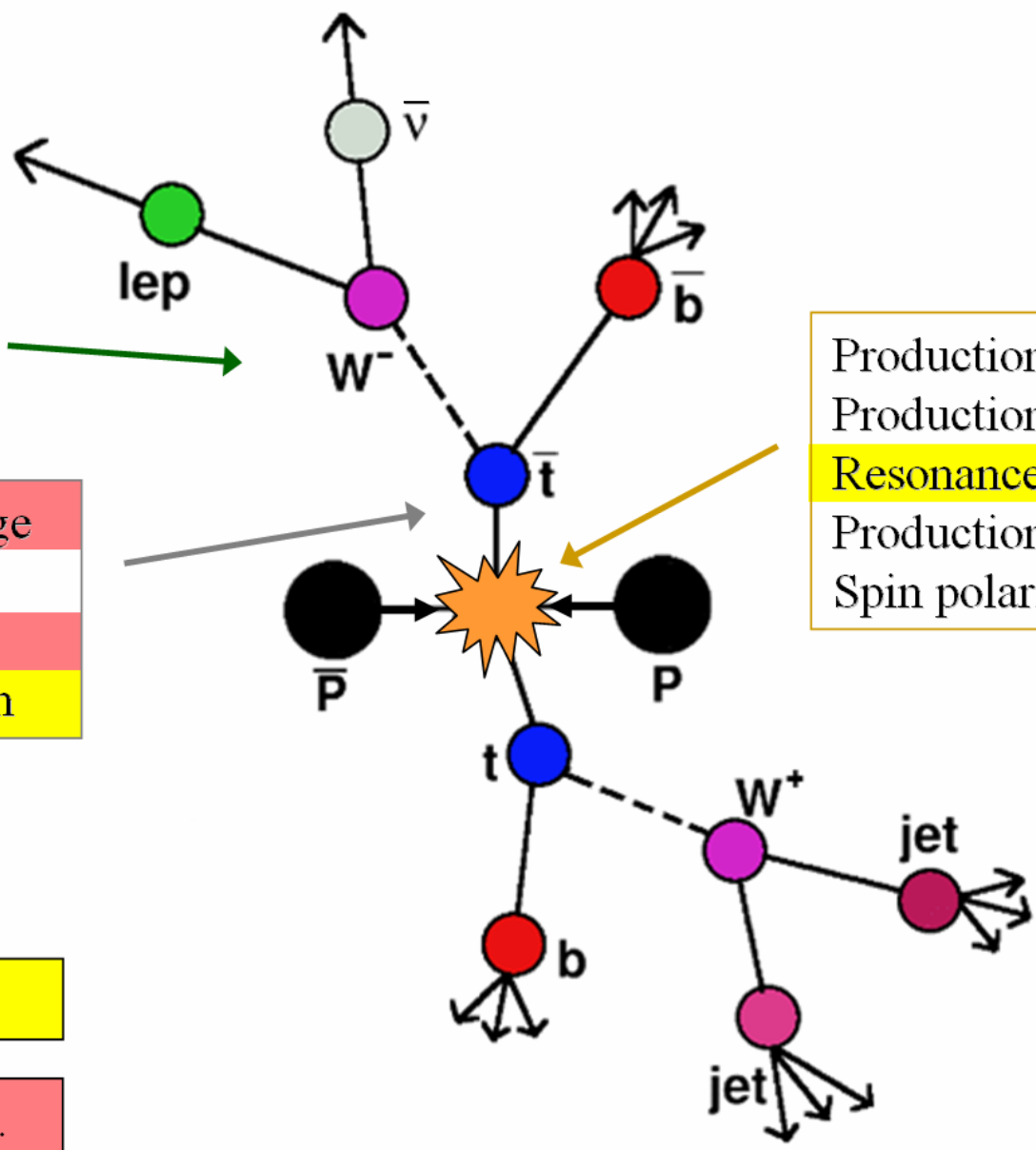
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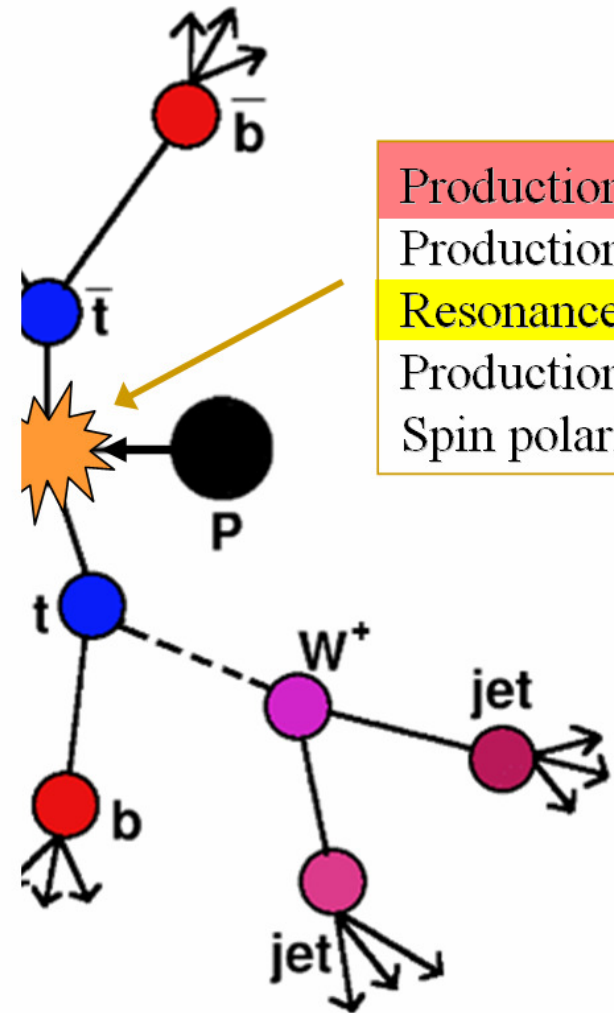
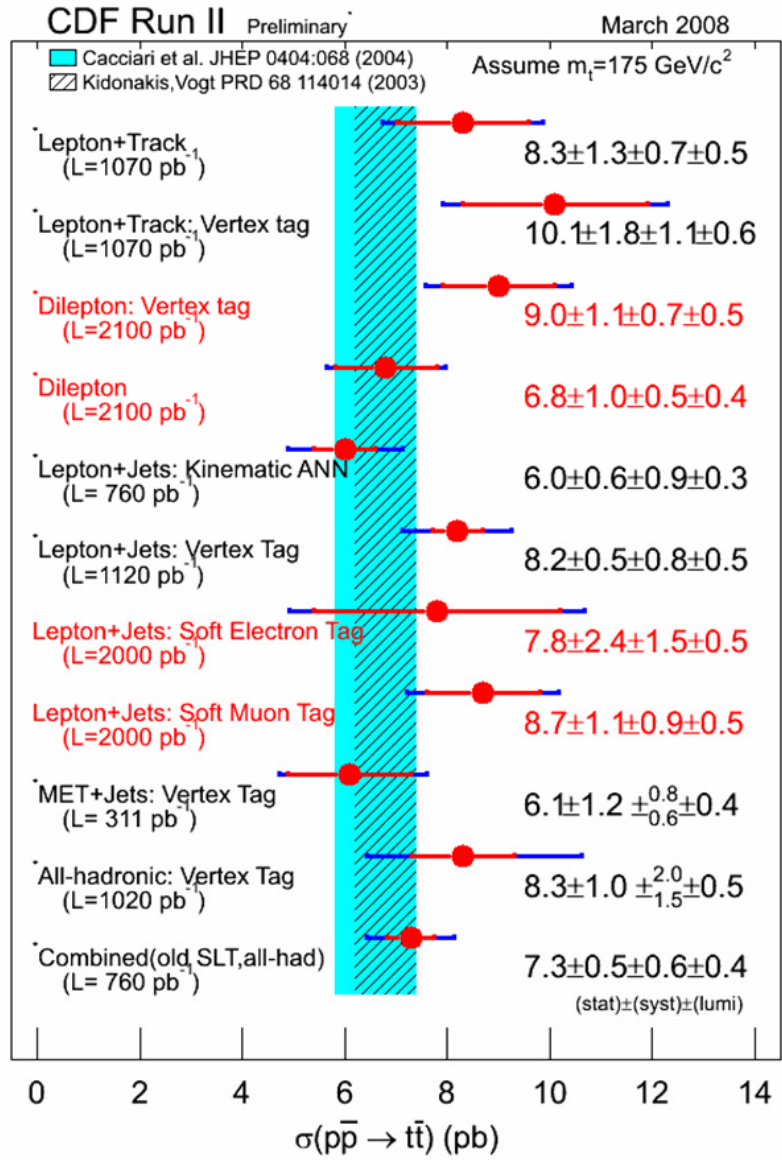
In today's talk.

Public CDF analyses.



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Branching Ratio
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Public CDF analyses.

Public CDF analyses.

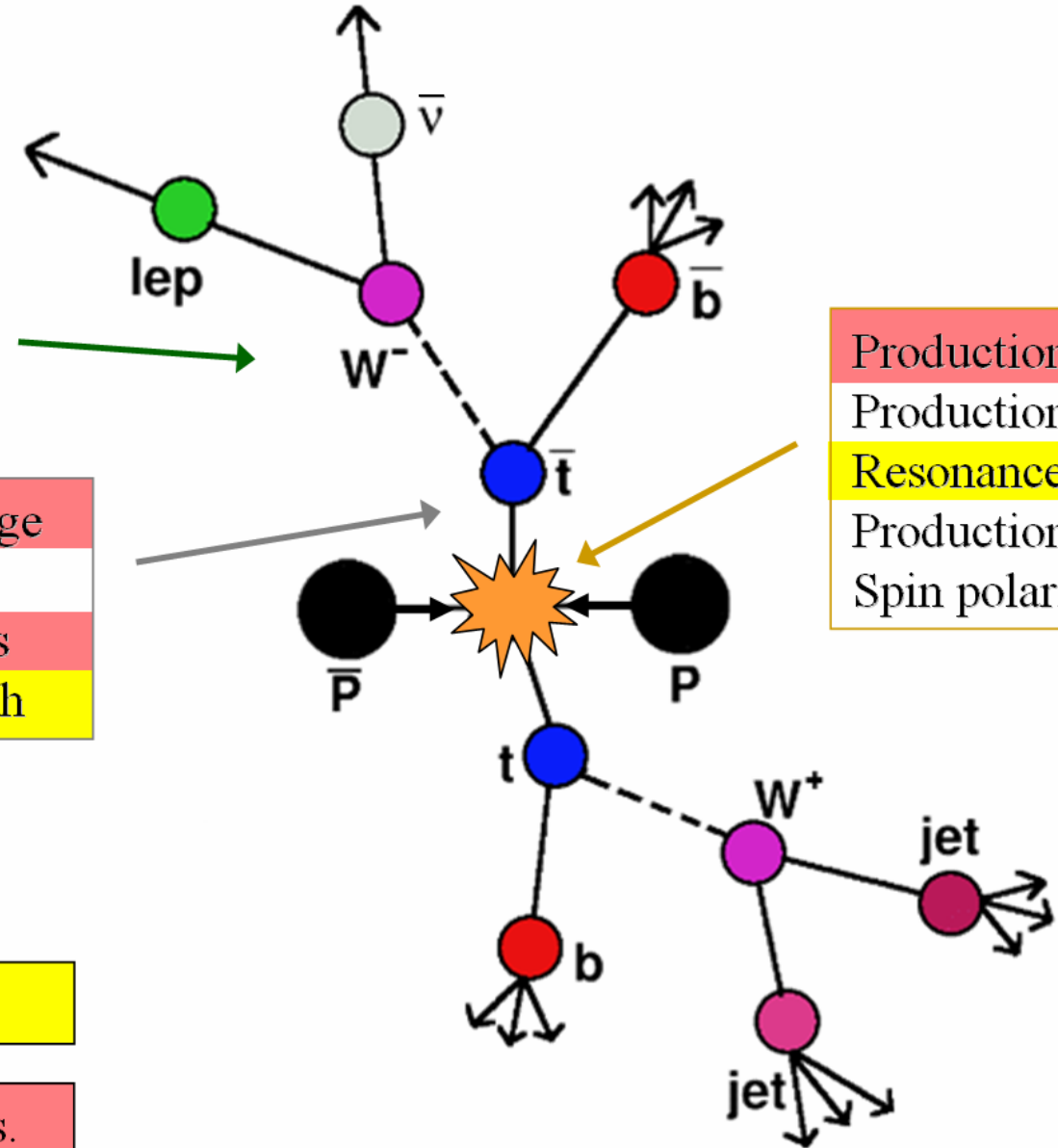
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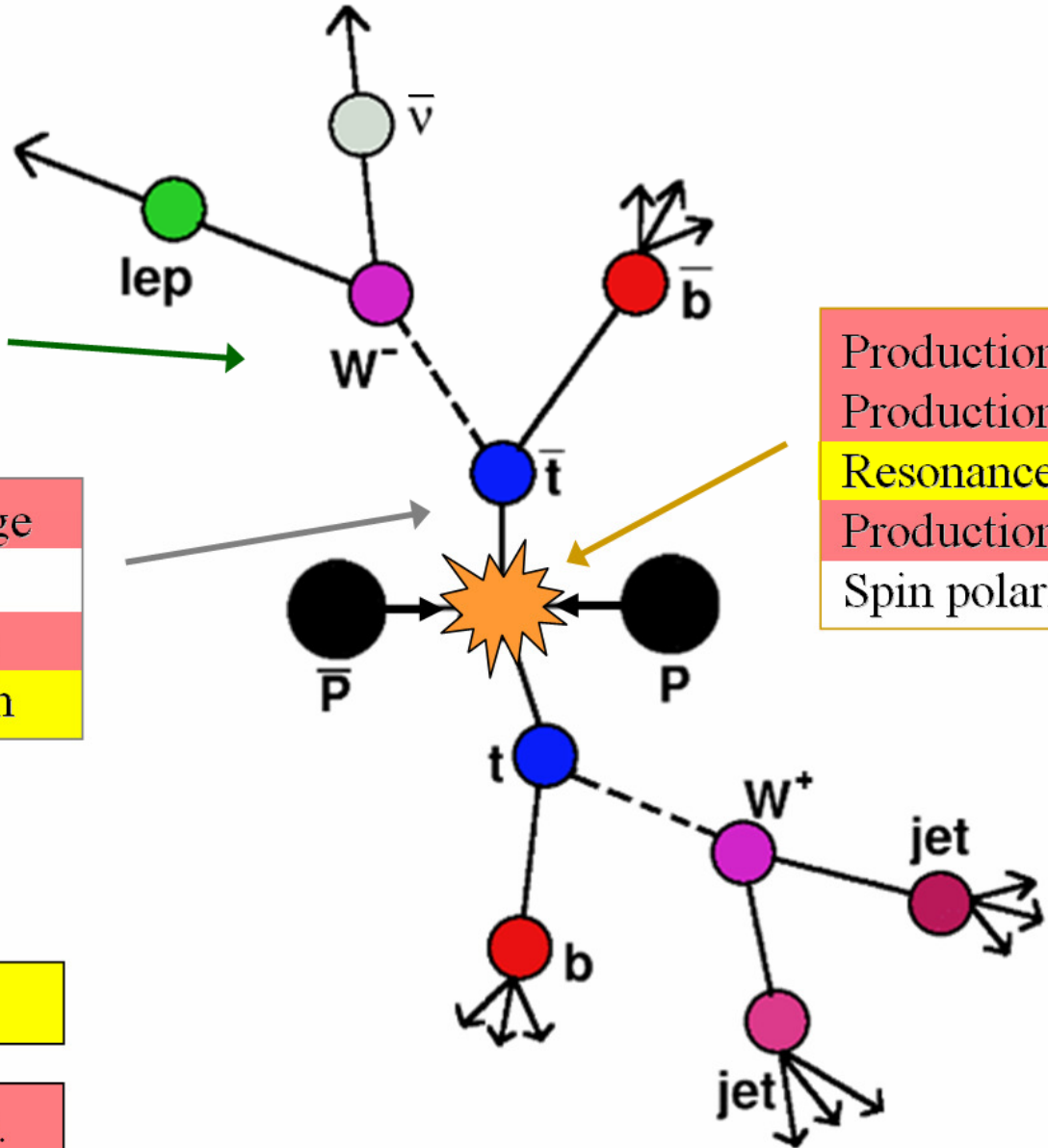
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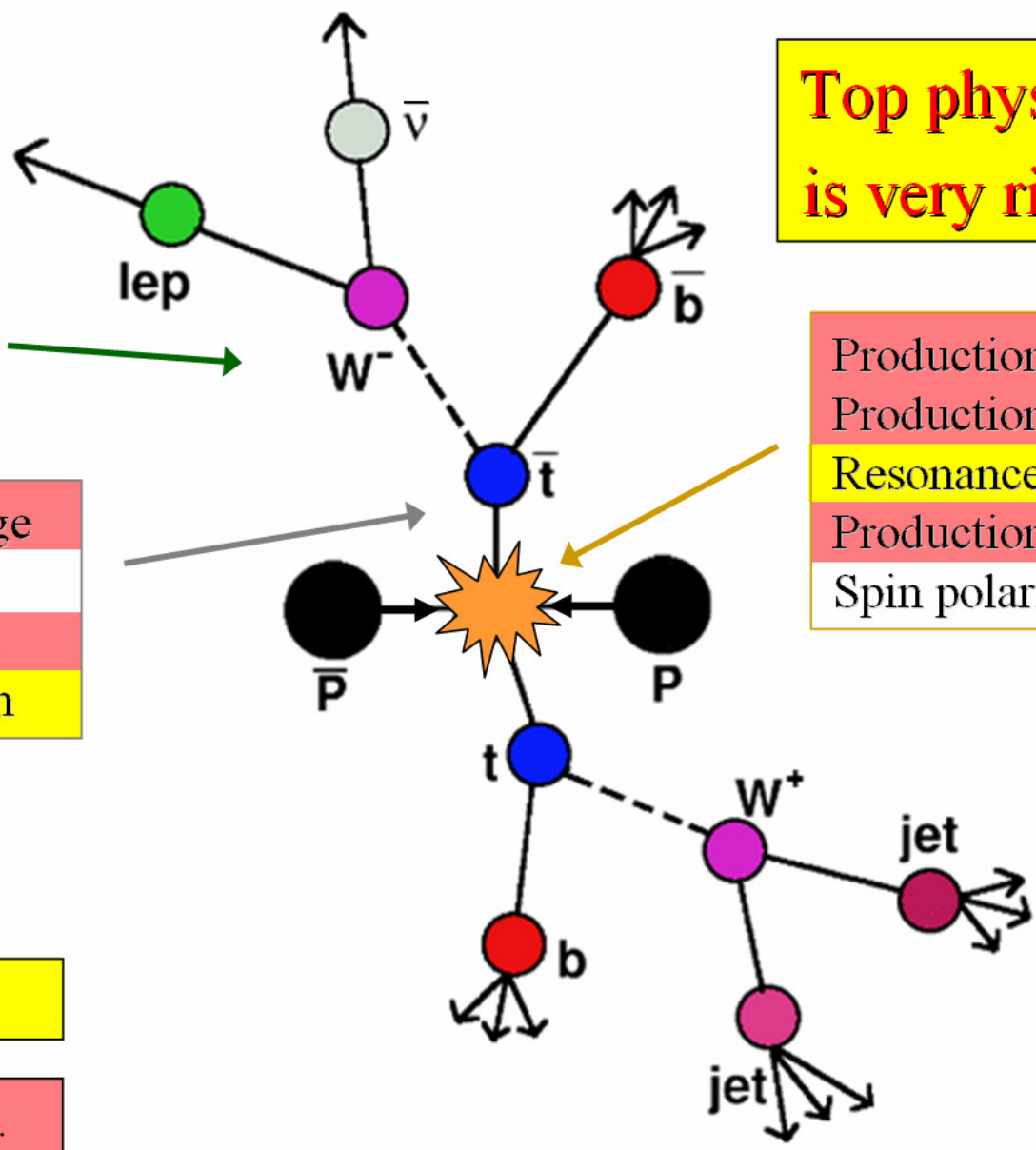
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**Top physics
 is very rich.**

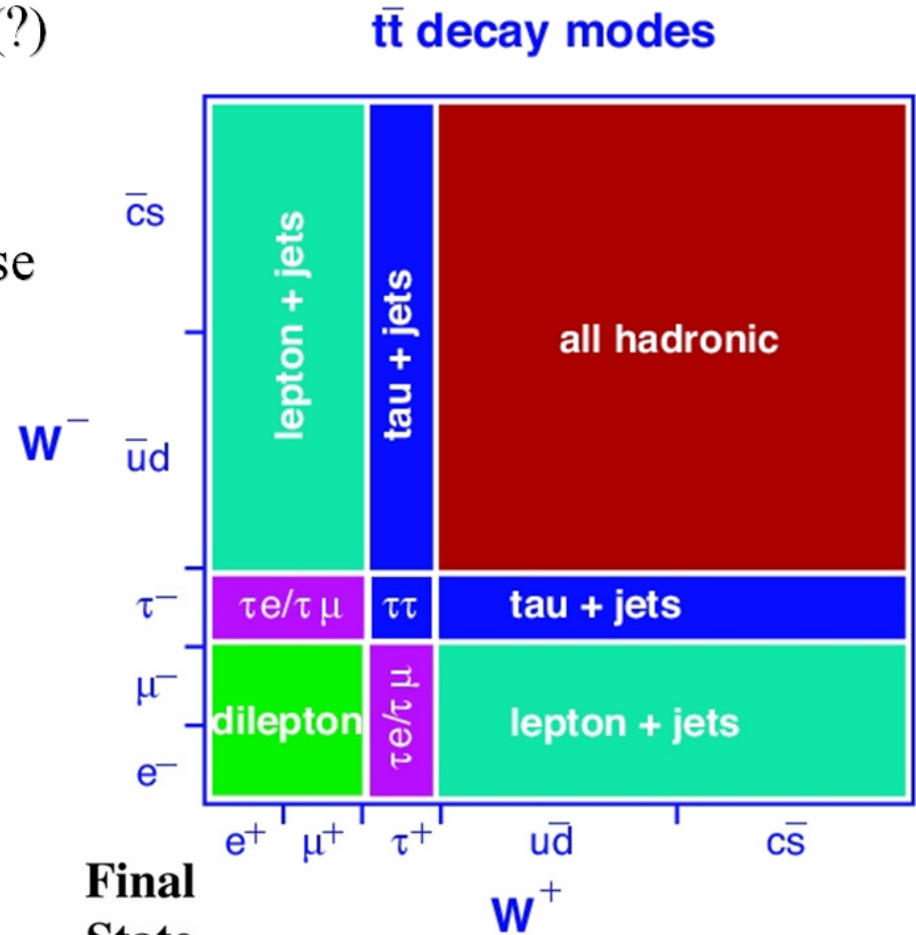
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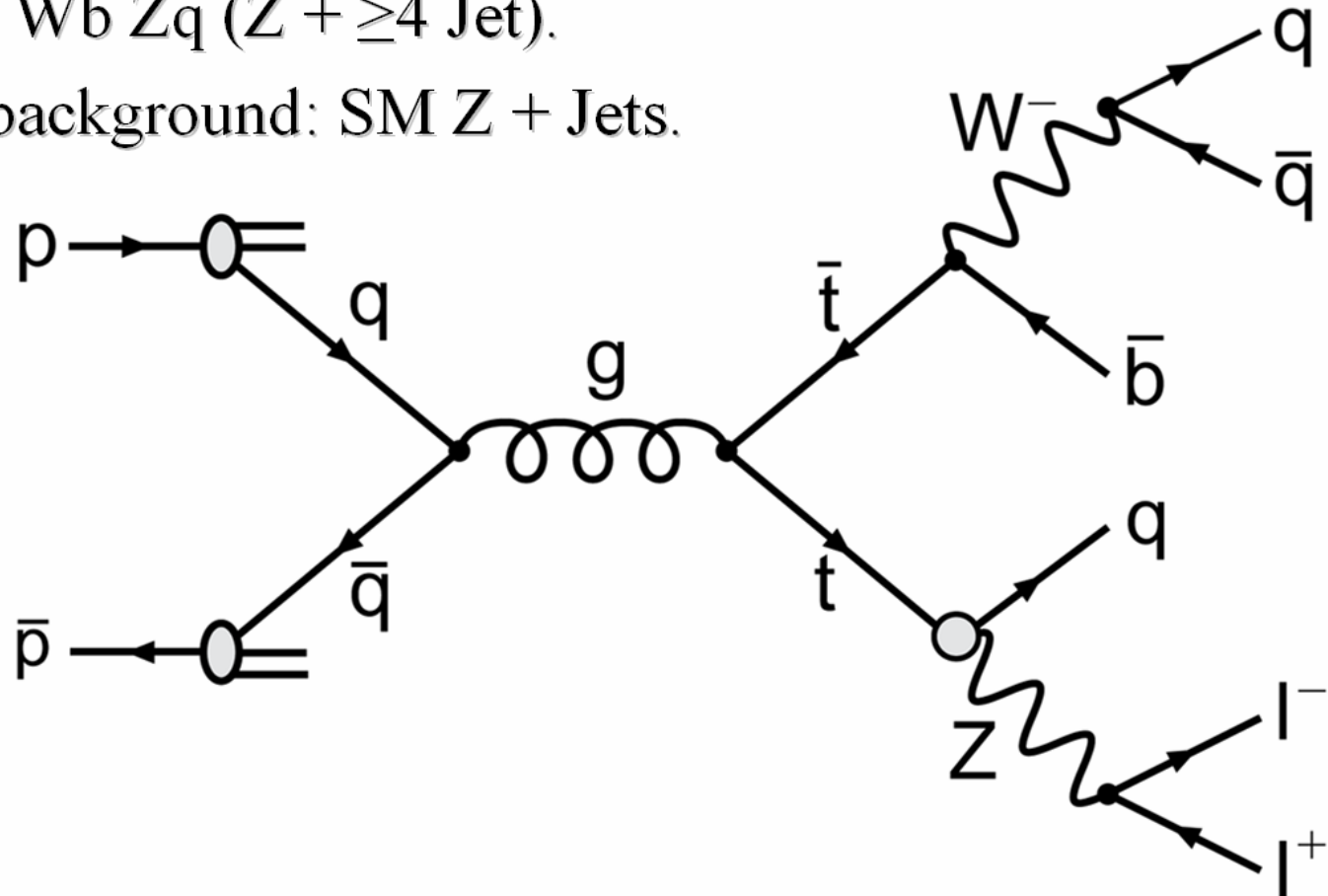
Public CDF analyses.

- According to the SM, top quarks almost (?) always decay to Wb .
- When classifying the decay modes, we use the W decay modes:
 - Leptonic
 - Light leptons (e or μ)
 - Tauonic (τ)
 - Hadrons

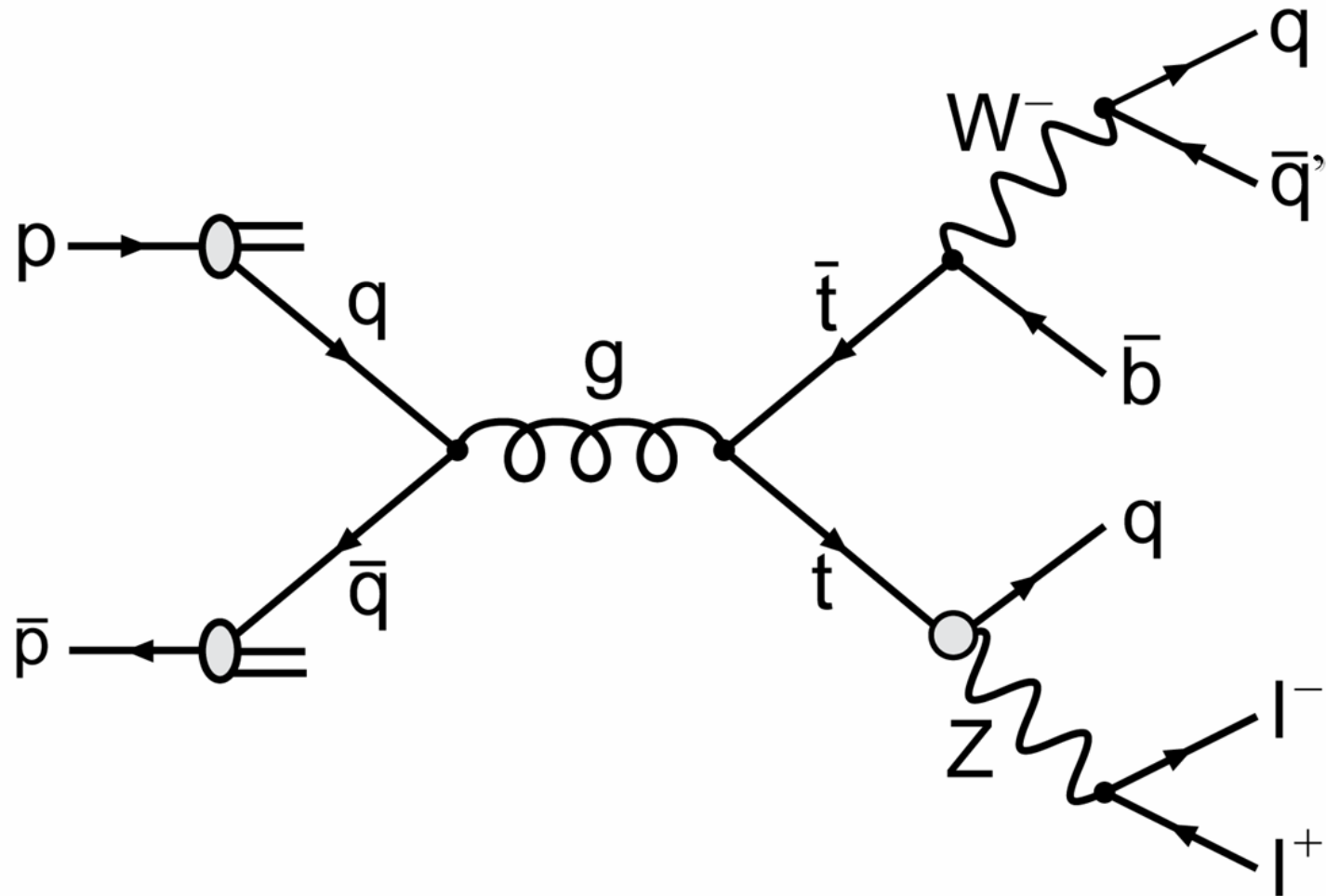


Decay Mode	Branching Fraction	Relative Background	Final State
Dilepton - no τ s	$\sim 5\%$	Low	$ll \nu\nu bb$
Lepton + Jets - no τ s	$\sim 30\%$	Medium	$l \nu bb jj$
All Hadronic	$\sim 45\%$	High	$bb jjjj$
Tauonic	$\sim 20\%$	High	

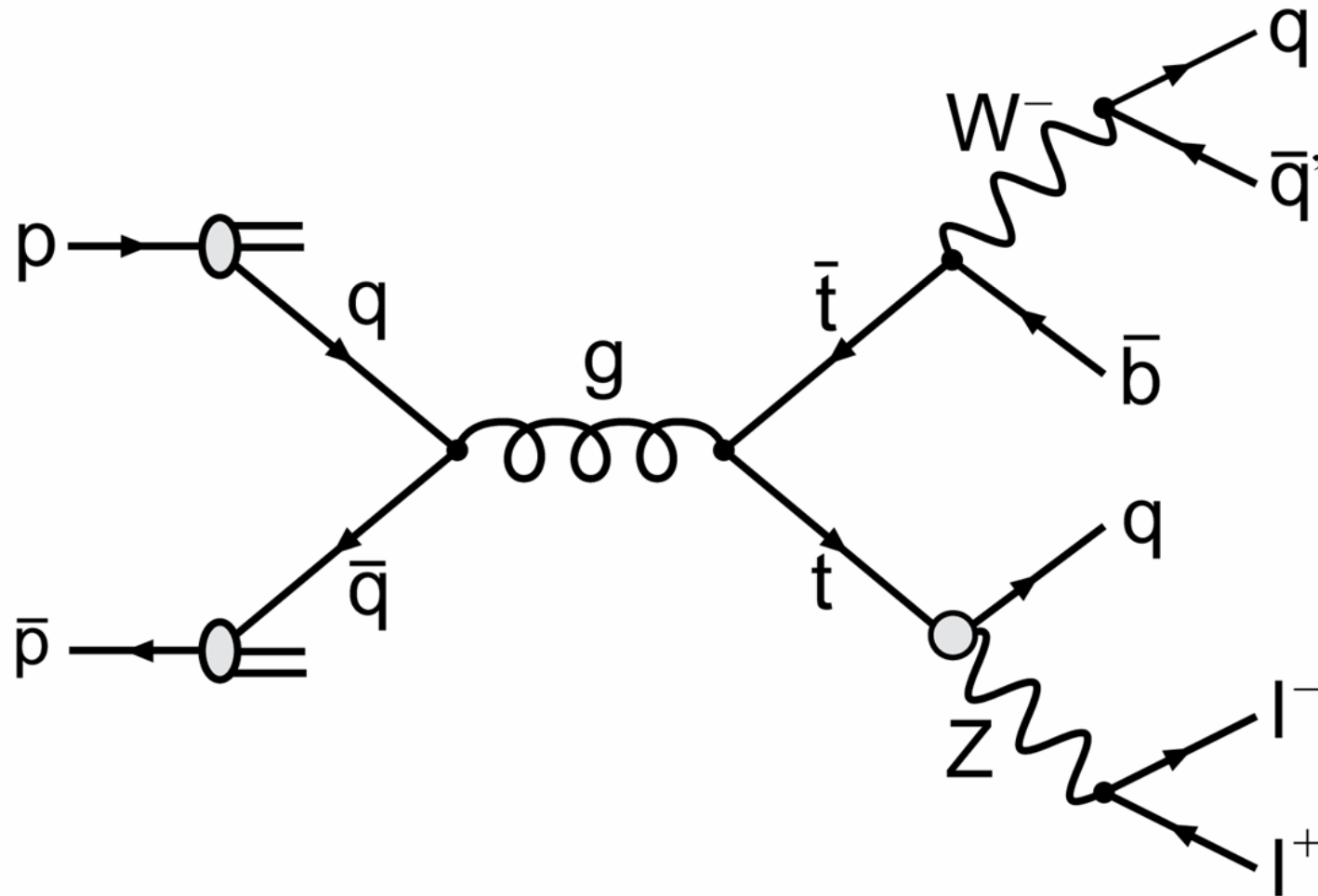
- Top FCNC **extremely rare in the SM**: $B(t \rightarrow Zq) = O(10^{-14})$
- Beyond SM: $B(t \rightarrow Zq)$ up to $O(10^{-4})$,
- **Any signal at Tevatron: New Physics.**
- Signature: $t\bar{t} \rightarrow Wb Zq$ ($Z \rightarrow \geq 4$ Jet).
- Dominant SM background: SM $Z +$ Jets.



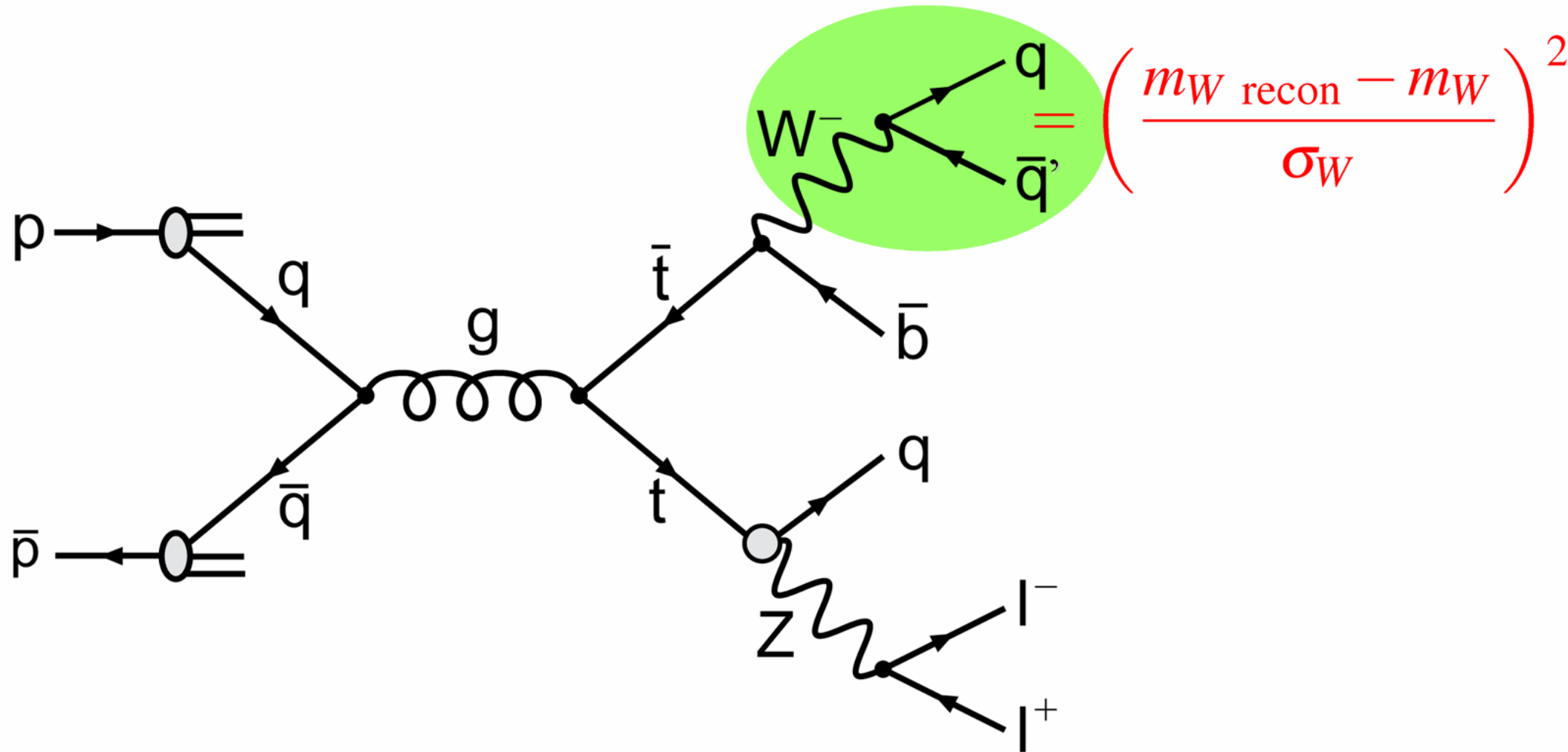
Search for $t \rightarrow Zq$: Ingredients



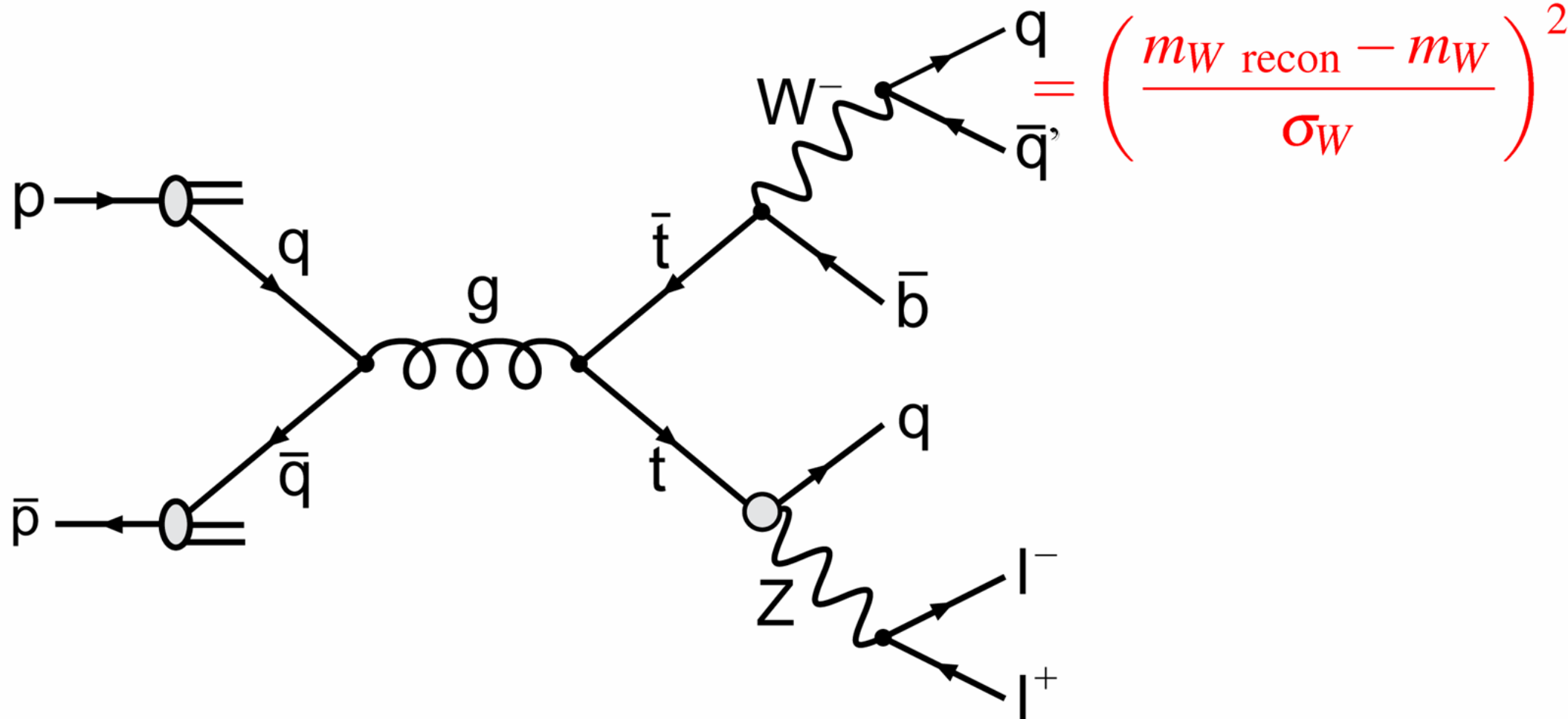
$\chi^2_{\text{mass reconstruction}}$



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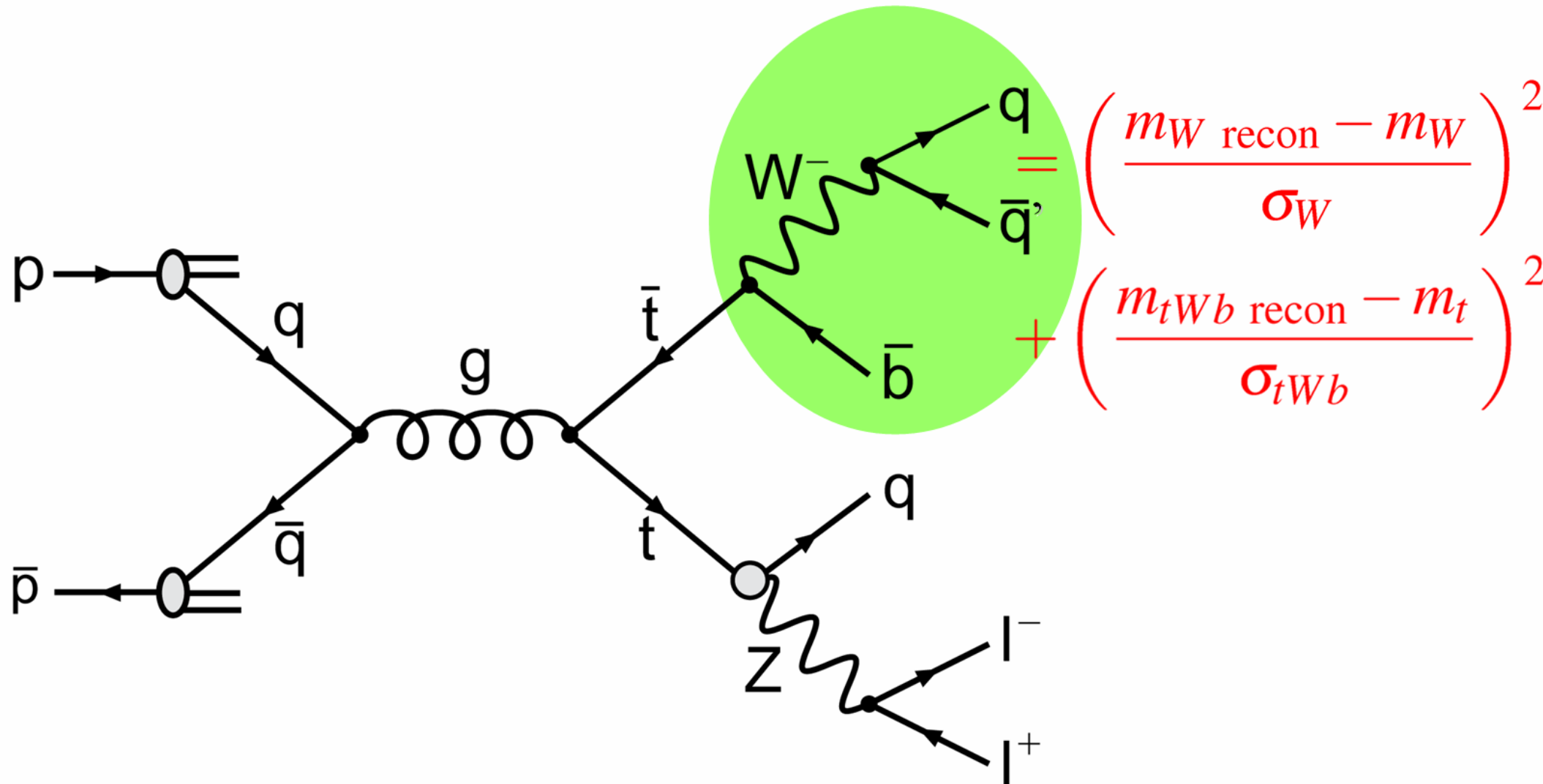


$\chi^2_{\text{mass reconstruction}}$



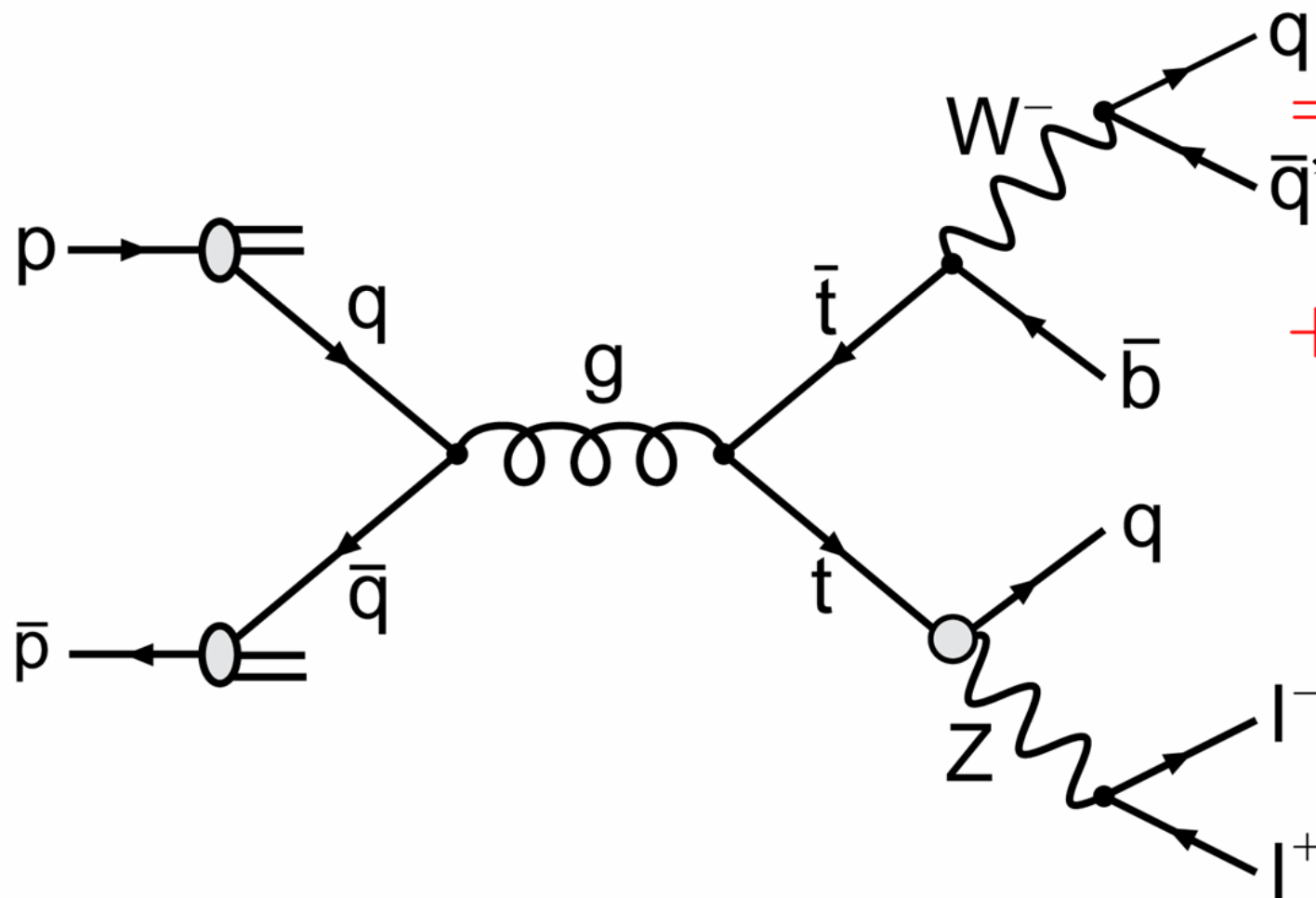
$$= \left(\frac{m_W \text{ recon} - m_W}{\sigma_W} \right)^2$$

$\chi^2_{\text{mass reconstruction}}$



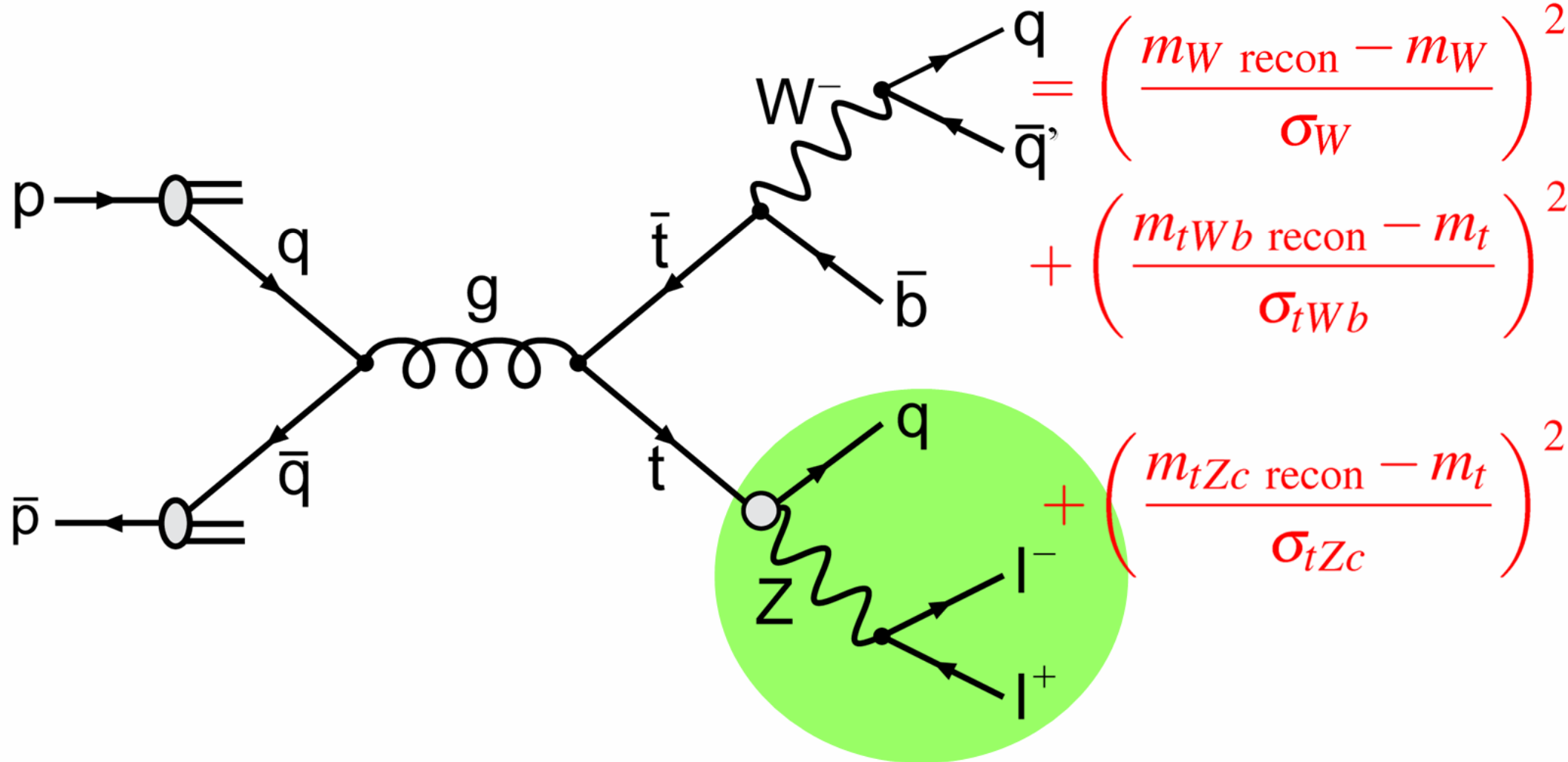
$$= \left(\frac{m_{W \text{ recon}} - m_W}{\sigma_W} \right)^2 + \left(\frac{m_{tWb \text{ recon}} - m_t}{\sigma_{tWb}} \right)^2$$

$\chi^2_{\text{mass reconstruction}}$



$$= \left(\frac{m_{W \text{ recon}} - m_W}{\sigma_W} \right)^2 + \left(\frac{m_{tWb \text{ recon}} - m_t}{\sigma_{tWb}} \right)^2$$

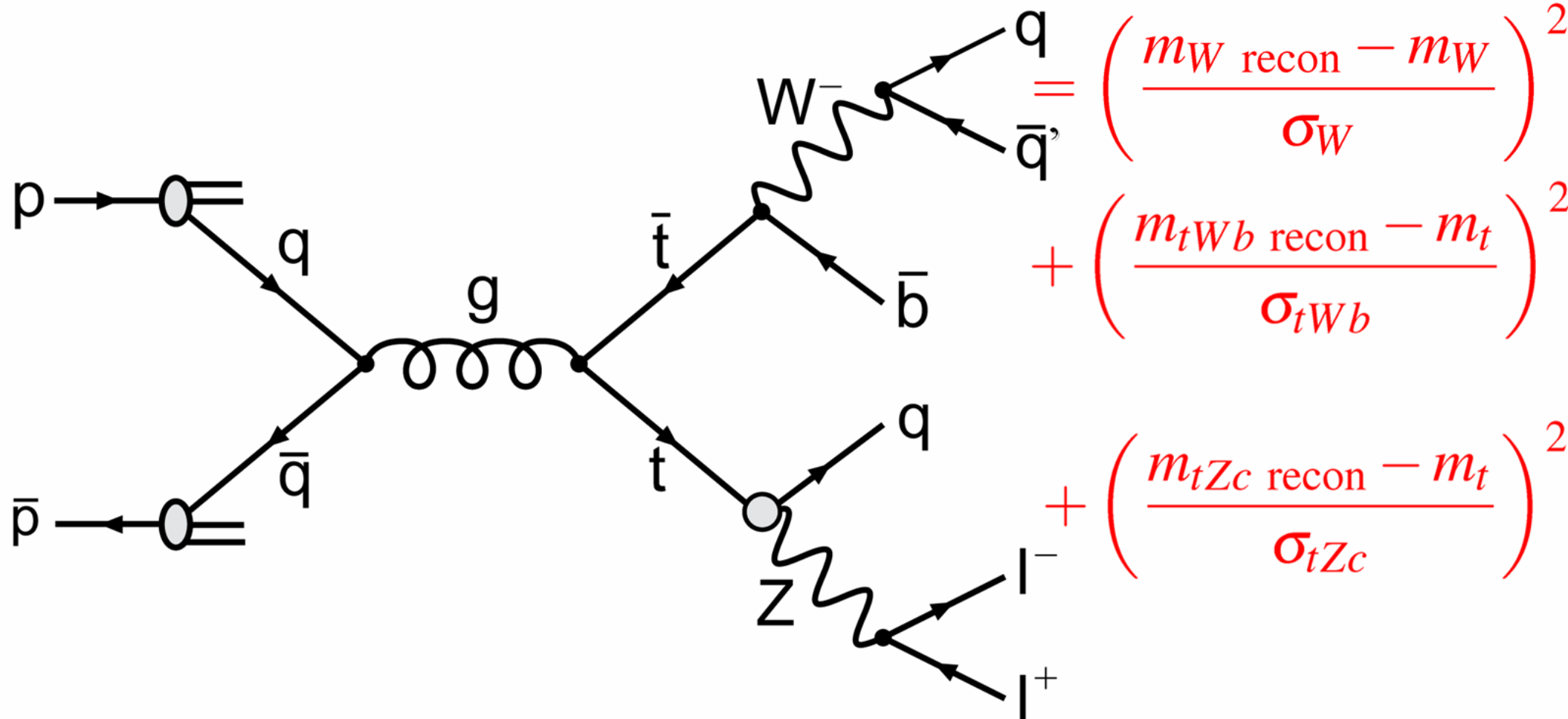
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$$= \left(\frac{m_{W \text{ recon}} - m_W}{\sigma_W} \right)^2 + \left(\frac{m_{tWb \text{ recon}} - m_t}{\sigma_{tWb}} \right)^2$$

$$+ \left(\frac{m_{tZc \text{ recon}} - m_t}{\sigma_{tZc}} \right)^2$$

$\chi^2_{\text{mass reconstruction}}$





Search for $t \rightarrow Zq$: Results



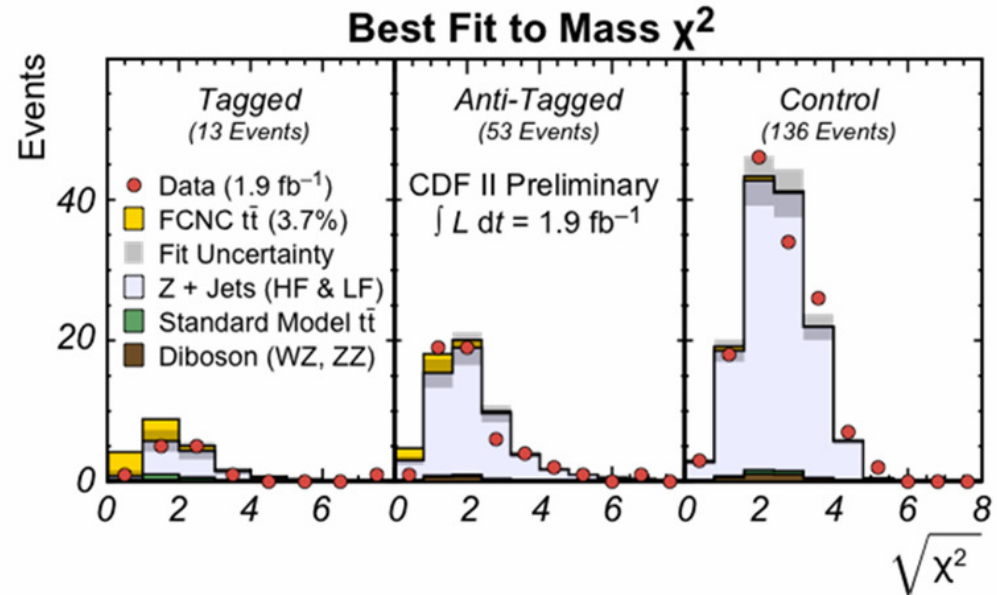
- Analysis method: Fit mass χ^2 in 3 regions:
 - Signal (**B-tagged** and **Anti b-Tagged**)
 - **Control** \Rightarrow Constrain shape & normalization of Z + jets background.

- Data compatible with background only.
- Feldman-Cousins limit with systematic uncertainties:

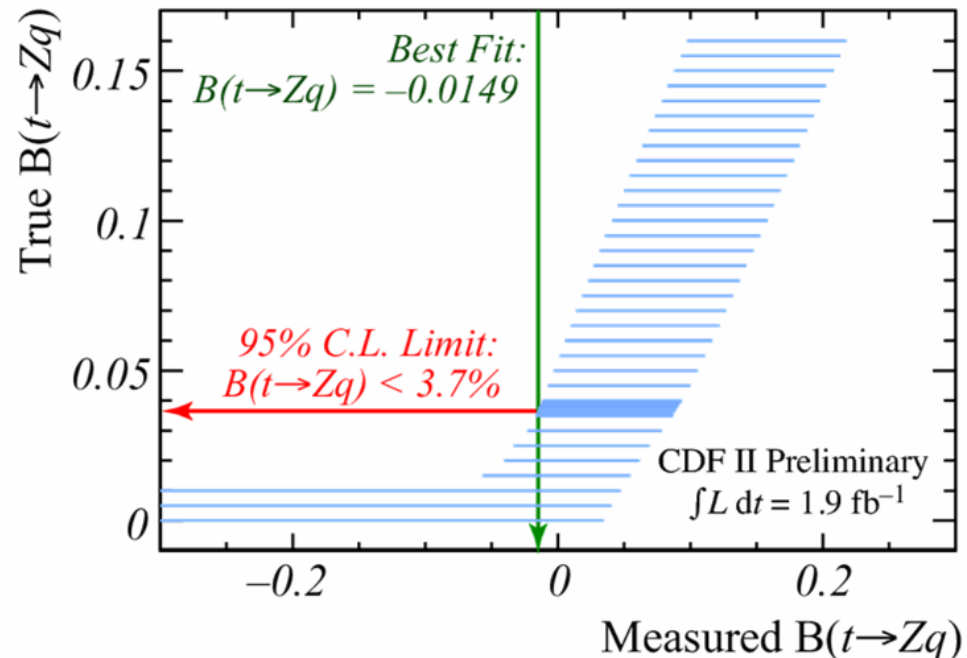
$B(t \rightarrow Zq) < 3.7\%$ (95% C.L.)

- World's best limit on $B(t \rightarrow Zq)$:
- 3.5 times better than best published limit (L3)

$\int \mathcal{L} dt = 1.9 \text{ fb}^{-1}$



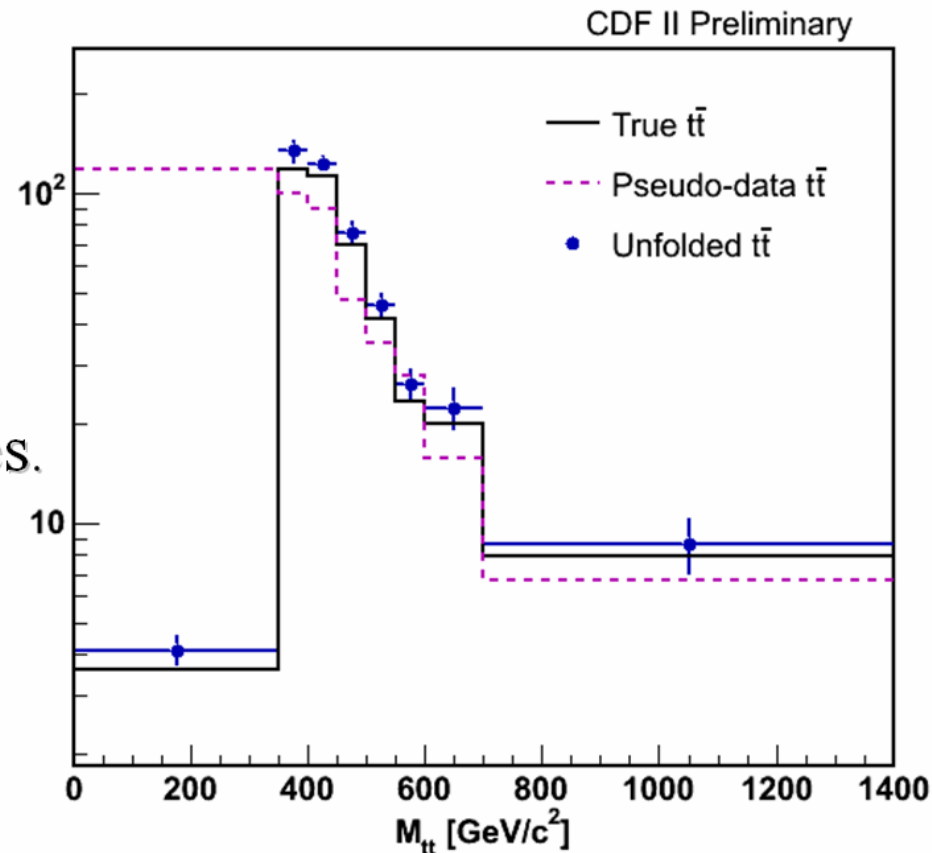
FCNC Feldman-Cousins Band (95% C.L.)



- SM QCD has accurate predictions of $d\sigma/dM_{t\bar{t}}$.
 - Beyond SM theories predict heavy gauge particles (e.g., $p\bar{p} \rightarrow Z' \rightarrow t\bar{t}$) that would interfere with SM prediction.

- $$\frac{d\sigma^i}{dM_{t\bar{t}}} = \frac{N_i - N_i^{bkg}}{\mathcal{A}_i \cdot \int \mathcal{L} dt \cdot \Delta_{M_{t\bar{t}}}^i}$$

- Analysis method:
 - Invariant mass calculated from the 4-vector sum of all observables.
 - Subtract expected backgrounds.
 - Use “*regularized unfolding*” to handle bin migration.
 - Compare with SM predictions.

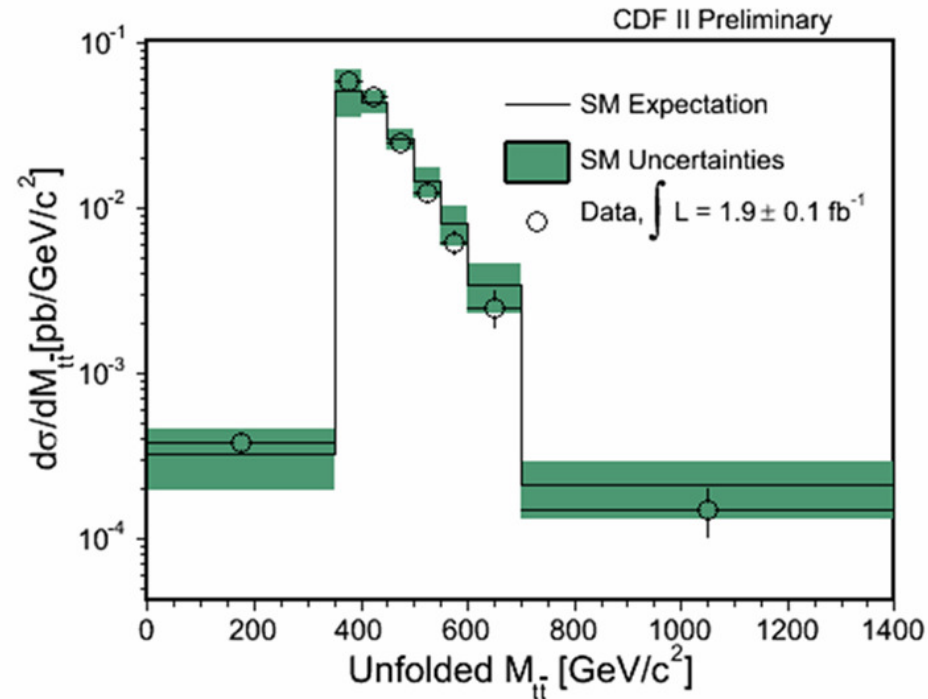


- Results consistent with SM prediction.
 - Using binned Anderson-Darling statistic, 45% of SM pseudo-experiments had a result less consistent with SM expectations.

$$\int \mathcal{L} dt = 1.9 \text{ fb}^{-1}$$

$W \rightarrow \ell\nu + \geq 4$ jets data with ≥ 1 secondary vertex tag CDF II Preliminary, $\int \mathcal{L} = 1.9 \pm 0.1 \text{ fb}^{-1}$		
$M_{t\bar{t}} [\text{GeV}/c^2]$	$N_{t\bar{t}}^{unfolding}$	$d\sigma/dM_{t\bar{t}} [\text{pb}/\text{GeV}/c^2]$ (stat. uncertainties only)
≤ 350	4.21 ± 0.59	$0.00038 \pm 5.3\text{e-}05$
350-400	135.27 ± 14.69	0.059 ± 0.0064
400-450	119.63 ± 8.69	0.047 ± 0.0034
450-500	66.90 ± 6.45	0.025 ± 0.0024
500-550	35.42 ± 4.50	0.012 ± 0.0016
550-600	18.10 ± 3.03	0.0062 ± 0.001
600-700	14.61 ± 3.62	0.0025 ± 0.00062
700-1400	5.72 ± 1.79	$0.00015 \pm 4.7\text{e-}05$

Assumes $M_{top} = 175 \text{ GeV}/c^2$

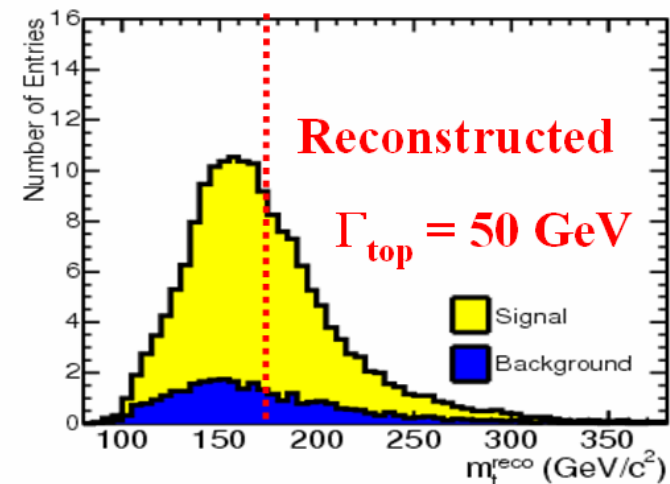
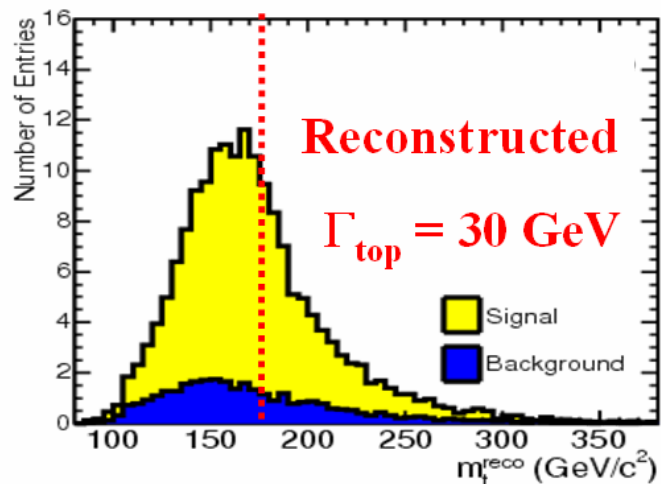
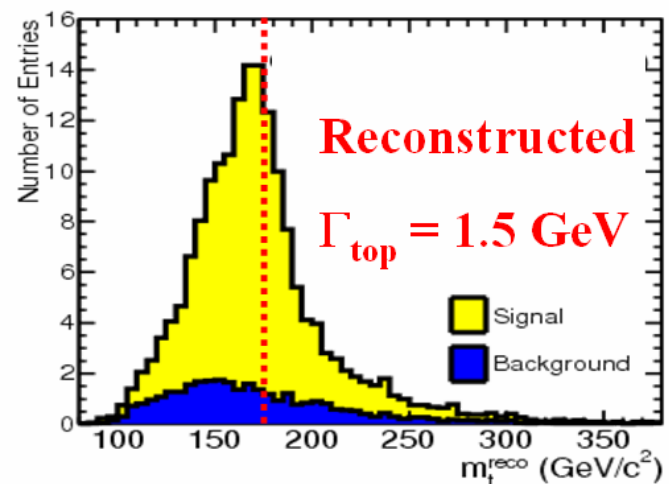
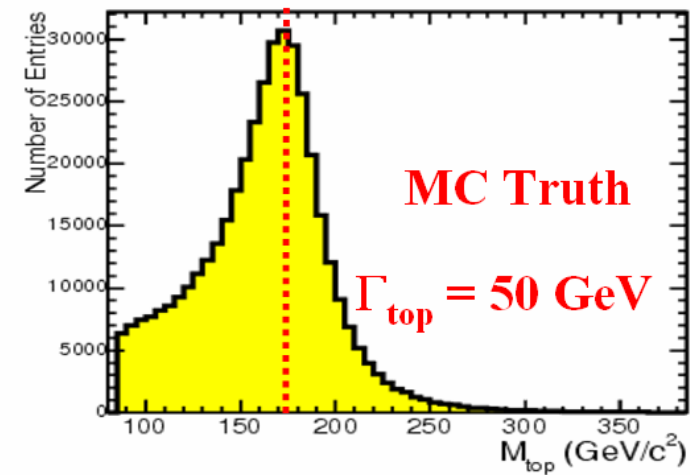
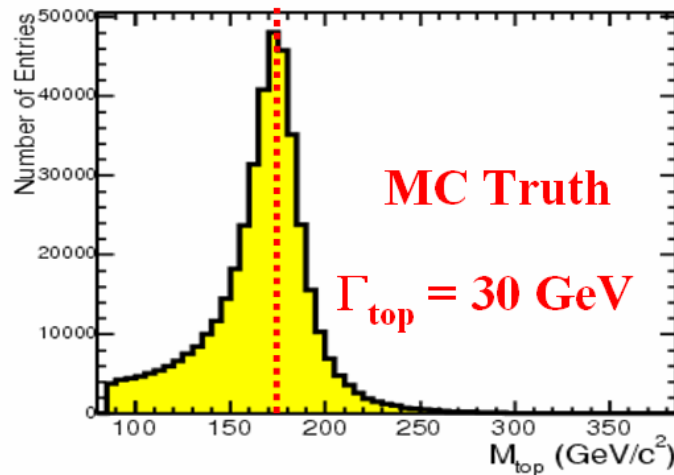
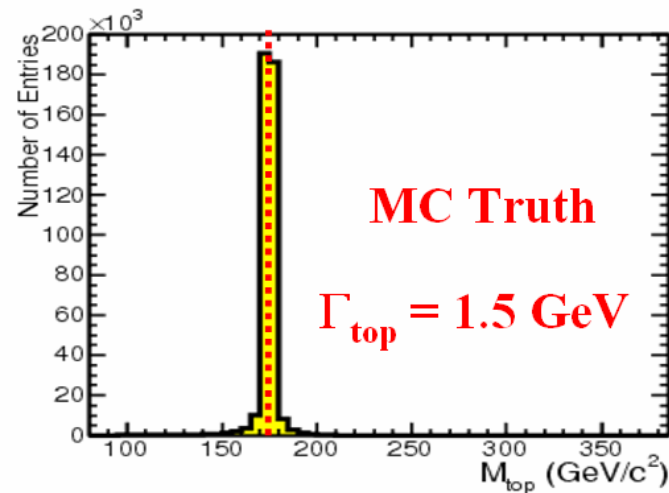




Top Width

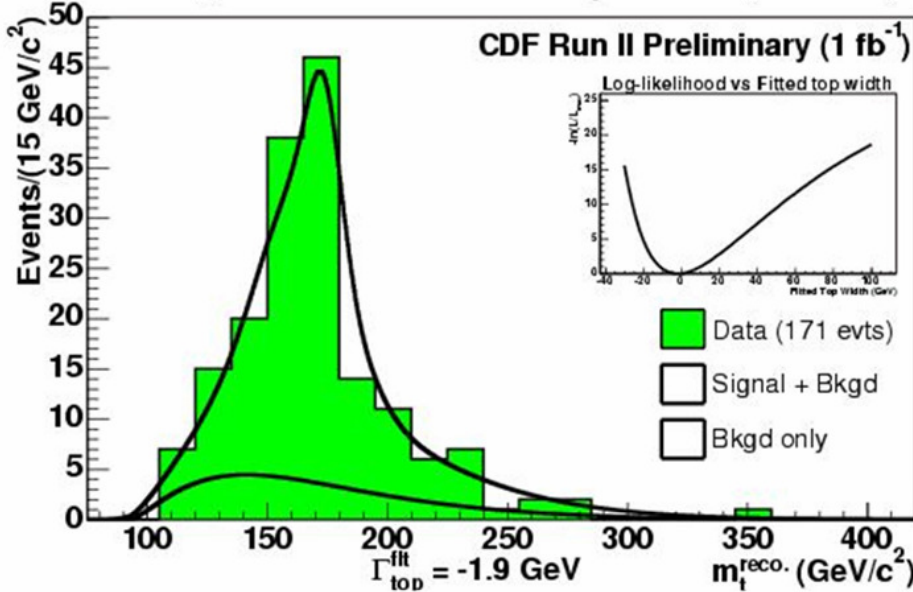


- Top is predicted to be wide (1.5 GeV) \Rightarrow Very short lifetime.
- Analysis method:
 - Use top mass χ^2 (let width float).
 - Template fit to reconstructed top mass.



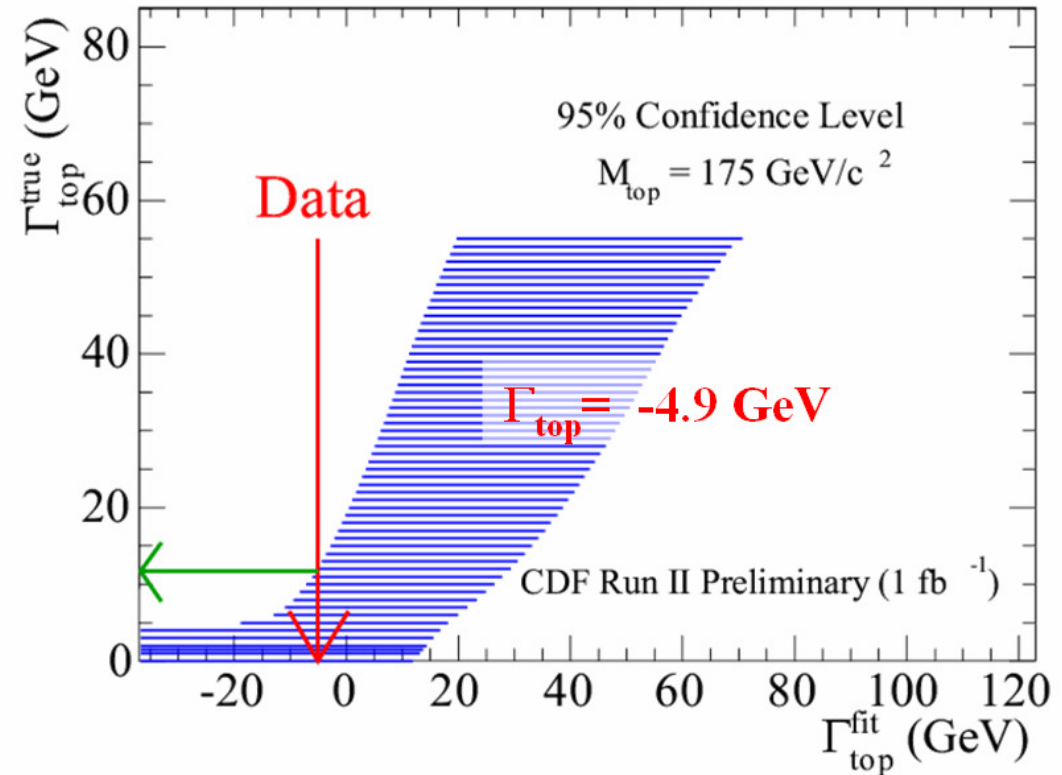
1-tag Reconstructed Top Mass (GeV/c^2)

$$\int \mathcal{L} dt = 1.0 \text{ fb}^{-1}$$

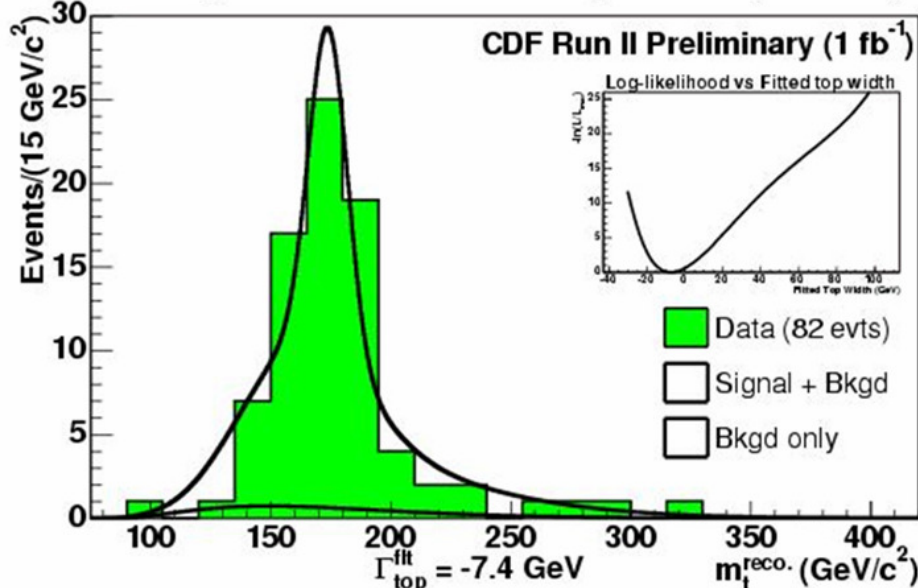


- $\Gamma_{\text{top}} < 12.7 \text{ GeV}$ at 95% C.L.

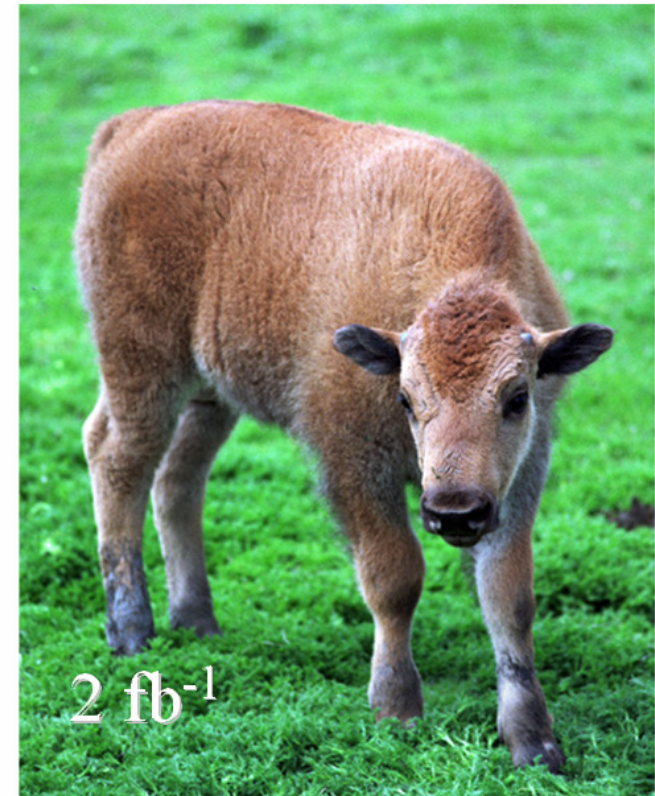
Confidence Band with Systematics



2-tag Reconstructed Top Mass (GeV/c^2)



- Lots of exciting top physics happening at the CDF.
 - CDF, and the Tevatron are all running **very well**.
 - **A lot of room to grow**.
- CDF has many of the world's best measurements:
 - <http://www-cdf.fnal.gov/physics/new/top/top.html>
 - $\text{Br}(t \rightarrow Zq) < 3.7\%$ (95% C.L.)
 - First $d\sigma/dM_{tt}$ measurement
 - Top quark width $< 12.7 \text{ GeV}$ (95% C.L.)
 - ...
- Top quark physics is becoming precision field.
 - Almost all analyses (except mass) are still statistics limited.
 - So far, **most** (*but not all*) things are **frustratingly** consistent with the SM.



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New Era of Precision Top Physics!



t

2006 PDG Top Entry

$$I(J^P) = 0(\frac{1}{2}^+)$$

$$\text{Charge} = \frac{2}{3} e \quad \text{Top} = +1$$

Mass $m = 174.2 \pm 3.3$ GeV ^[b] (direct observation of top events)

Mass $m = 172.3^{+10.2}_{-7.6}$ GeV (Standard Model electroweak fit)

t DECAY MODES	Fraction (Γ_i/Γ)	Confidence level	ρ (MeV/c)
$W q (q = b, s, d)$			—
$W b$			—
$\ell \nu_\ell$ anything	[c,d] (9.4 ± 2.4) %		—
$\tau \nu_\tau b$			—
$\gamma q (q = u, c)$	[e] < 5.9	$\times 10^{-3}$	95%
$\Delta T = 1$ weak neutral current (T1) modes			
$Z q (q = u, c)$	T1 [f] < 13.7	%	95%



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Mass $m = 172.3_{-7.6}^{+10.2} \text{ GeV}$ (Standard Model electroweak fit)

t DECAY MODES	Fraction (Γ_i/Γ)	Confidence level	ρ (MeV/c)
$W q (q = b, s, d)$			—
$W b$			—
$\ell \nu_\ell \text{ anything}$	[c,d] (9.4 ± 2.4) %		—
$\tau \nu_\tau b$			—
$\gamma q (q = u, c)$	[e] < 5.9	$\times 10^{-3}$	95%
$\Delta T = 1$ weak neutral current (T1) modes			
$Z q (q = u, c)$	T1 [f] < 3.7	%	95%

Top Properties



New Era of Precision Top Physics!



2008 PDG Top Entry

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5 σ Evidence for single top production

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...

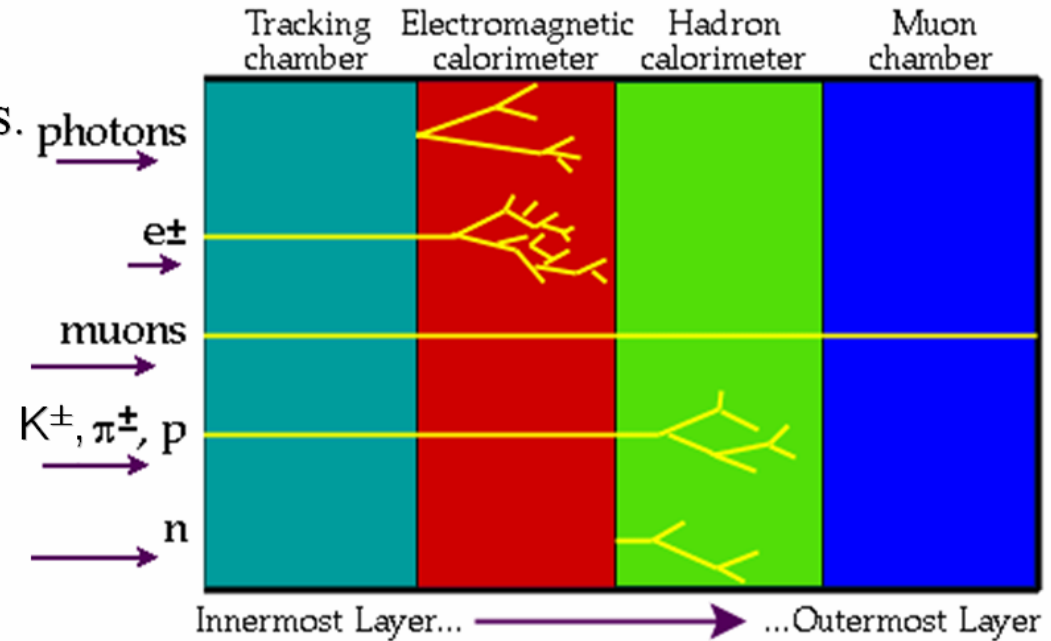
(Your analysis here?!)



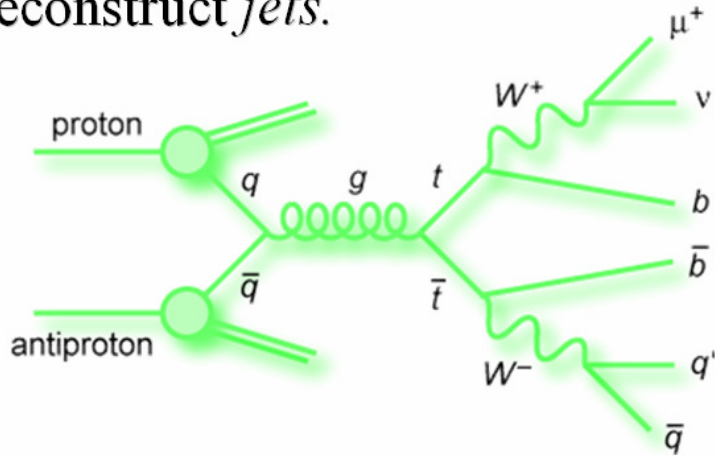
Backup Slides



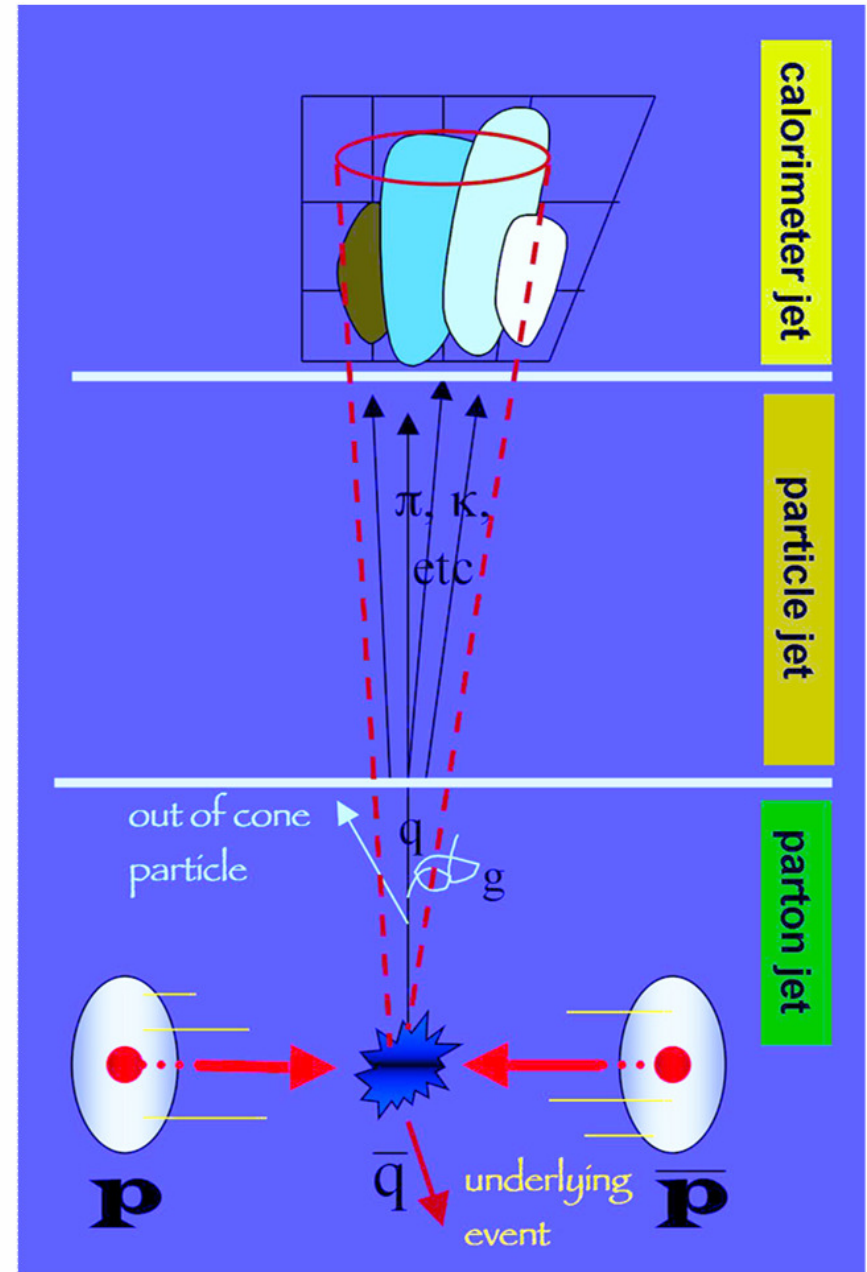
- For many analyses, we need a very pure set of high p_T electrons and muons.
- Electrons (as we reconstruct them):
 - Have charged particle track.
 - Leave almost all of their energy in the electromagnetic calorimeter.
 - Ask for no other nearby tracks.
 - We do not want leptons from (heavy flavor) jets.
- Muons:
 - Have charged particle track.
 - \sim Minimum ionizing (leave little energy in either the electromagnetic or hadronic calorimeter)
 - Find a “stub” of a track in dedicated muon detector systems on outside of CDF.
 - Ask for no other nearby tracks.



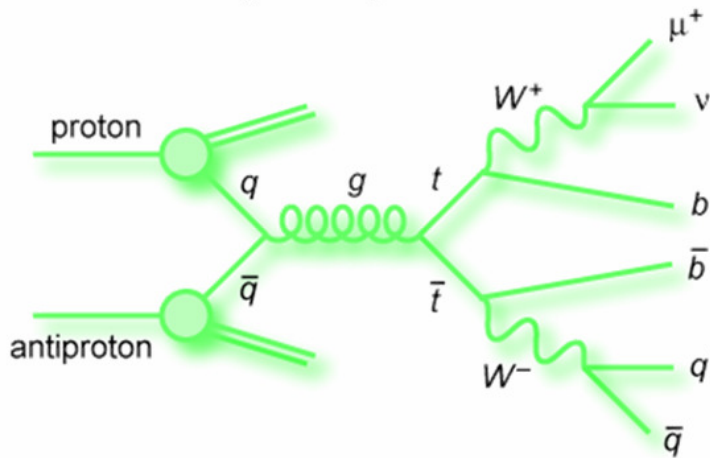
- We think of *partons*, but we reconstruct *jets*.



- We need to convert “*raw*” jets to “*corrected*” jets - Jet Energy Scale (JES) correction.
 - Takes into account detector effects, neutral particles in jets, particles outside of the jet cone, underlying events, multiple interactions, ...



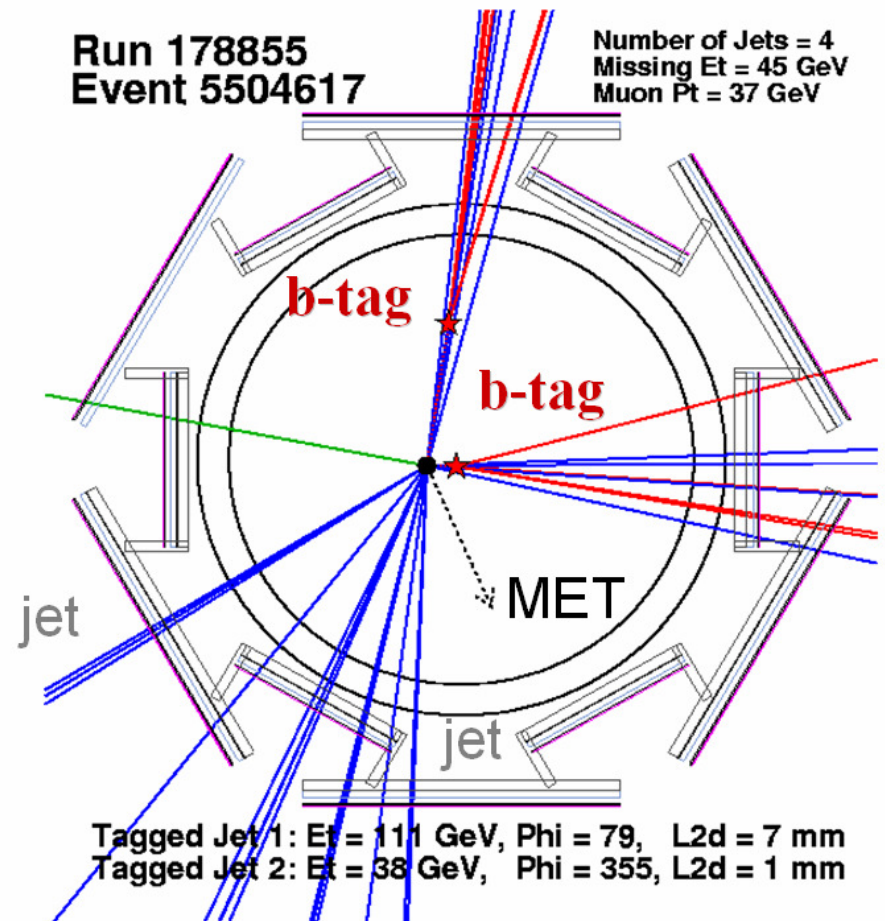
- Since we (often) expect $t \rightarrow W b$, b jet tagging is a very important tool.
 - Most backgrounds do not have bottom quark jets.



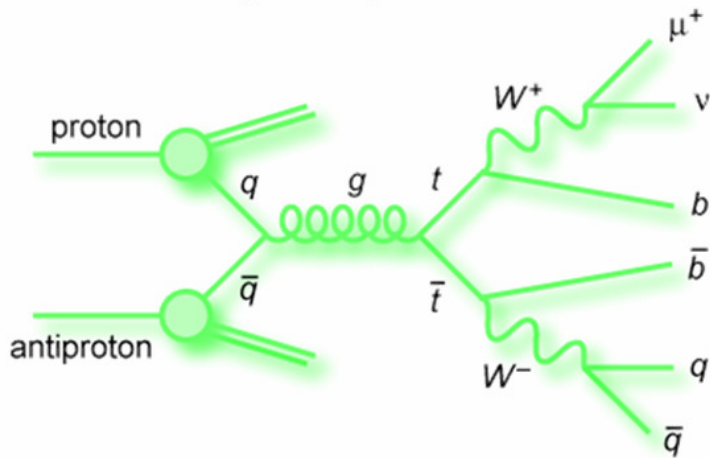
- We rely on the long b quark lifetime.
 - B hadrons can travel several millimeters before decaying.
 - Use displaced vertices or many displaced tracks (impact parameter).

CDF Event:

Close-up View of Layer 00 Silicon Detector



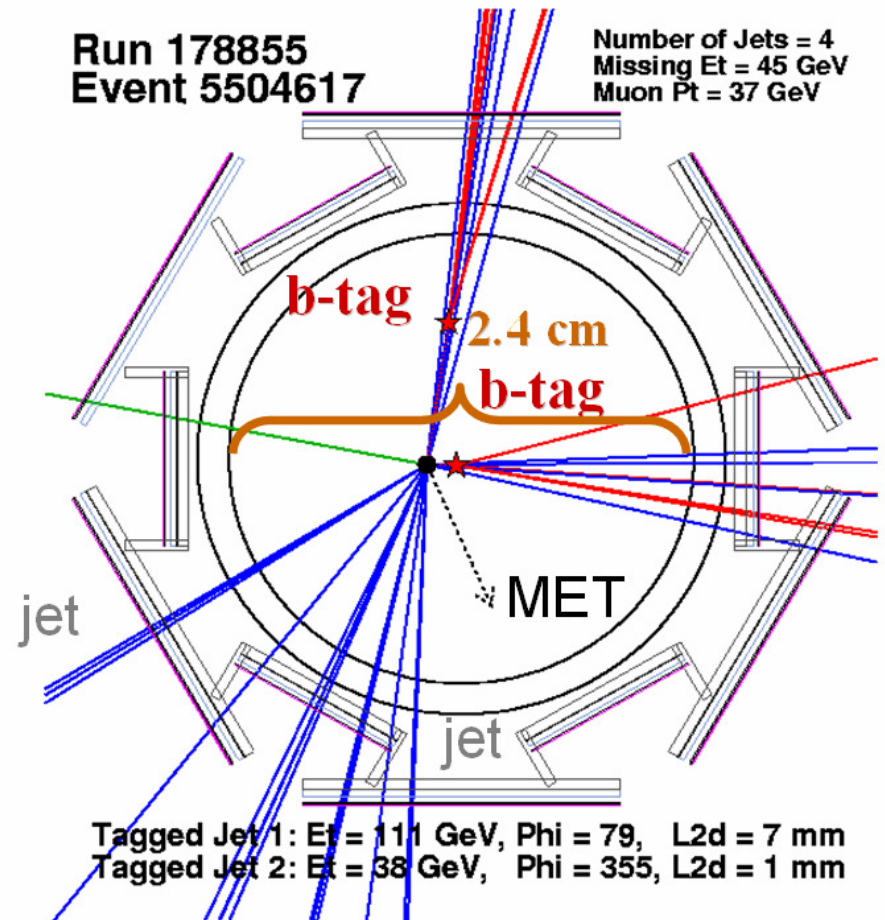
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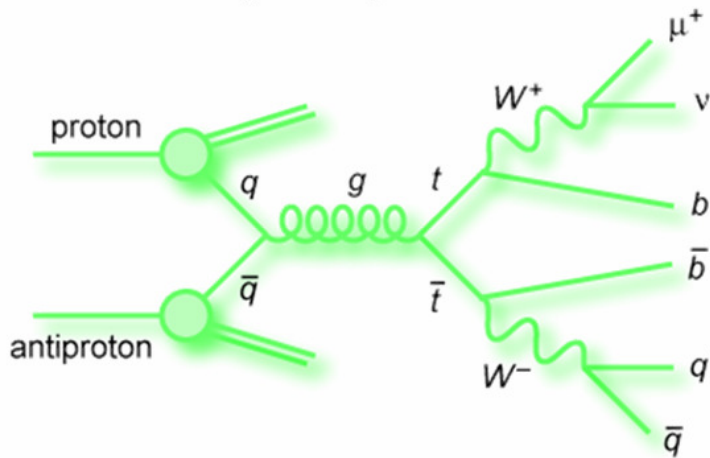
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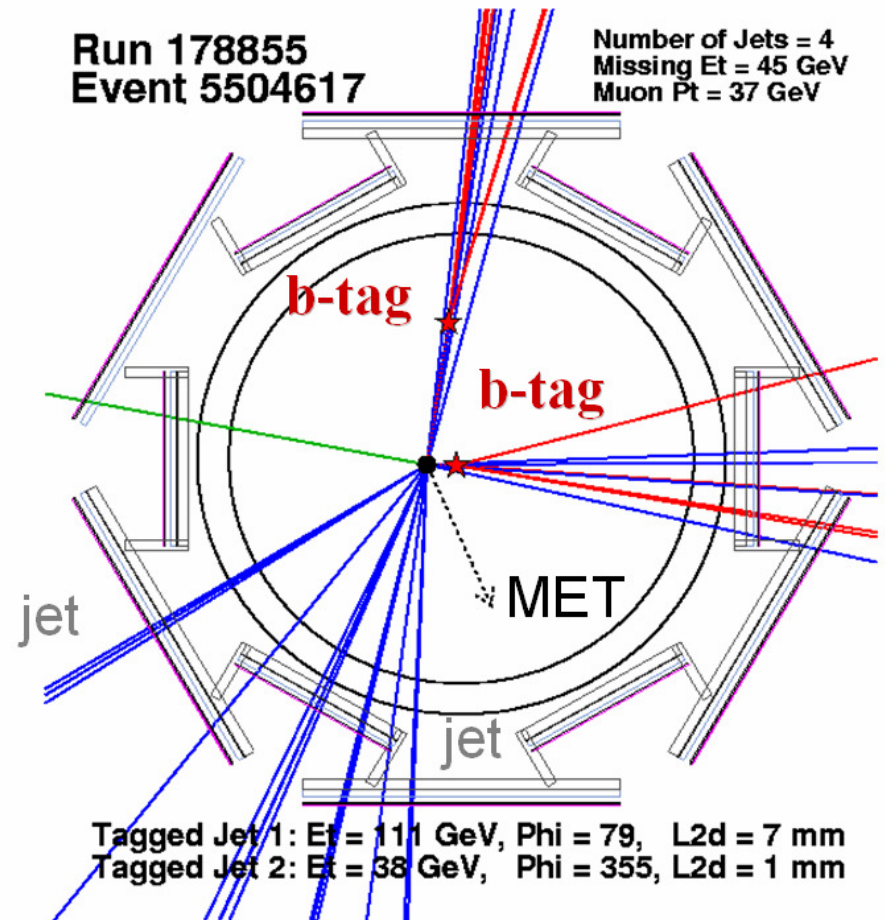
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Top Physics *Finally* Makes Prime Time

The Big Bang Theory!
Mondays at 7:00 on CBS.



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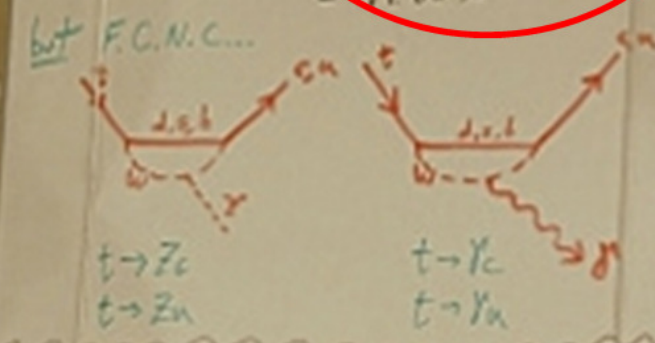
Top Branching Fractions

$$BR(t \rightarrow Wb) = \frac{\Gamma(t \rightarrow Wb)}{\Gamma(t \rightarrow Wb) + \Gamma(t \rightarrow Wc) + \Gamma(t \rightarrow Ws)}$$

$$= \frac{|V_{cb}|^2}{|V_{cb}|^2 + |V_{cb}|^2 + |V_{cb}|^2}$$

$$\approx \frac{(0.9915)^2}{(0.9915)^2 + (0.0077)^2 + (0.0077)^2}$$

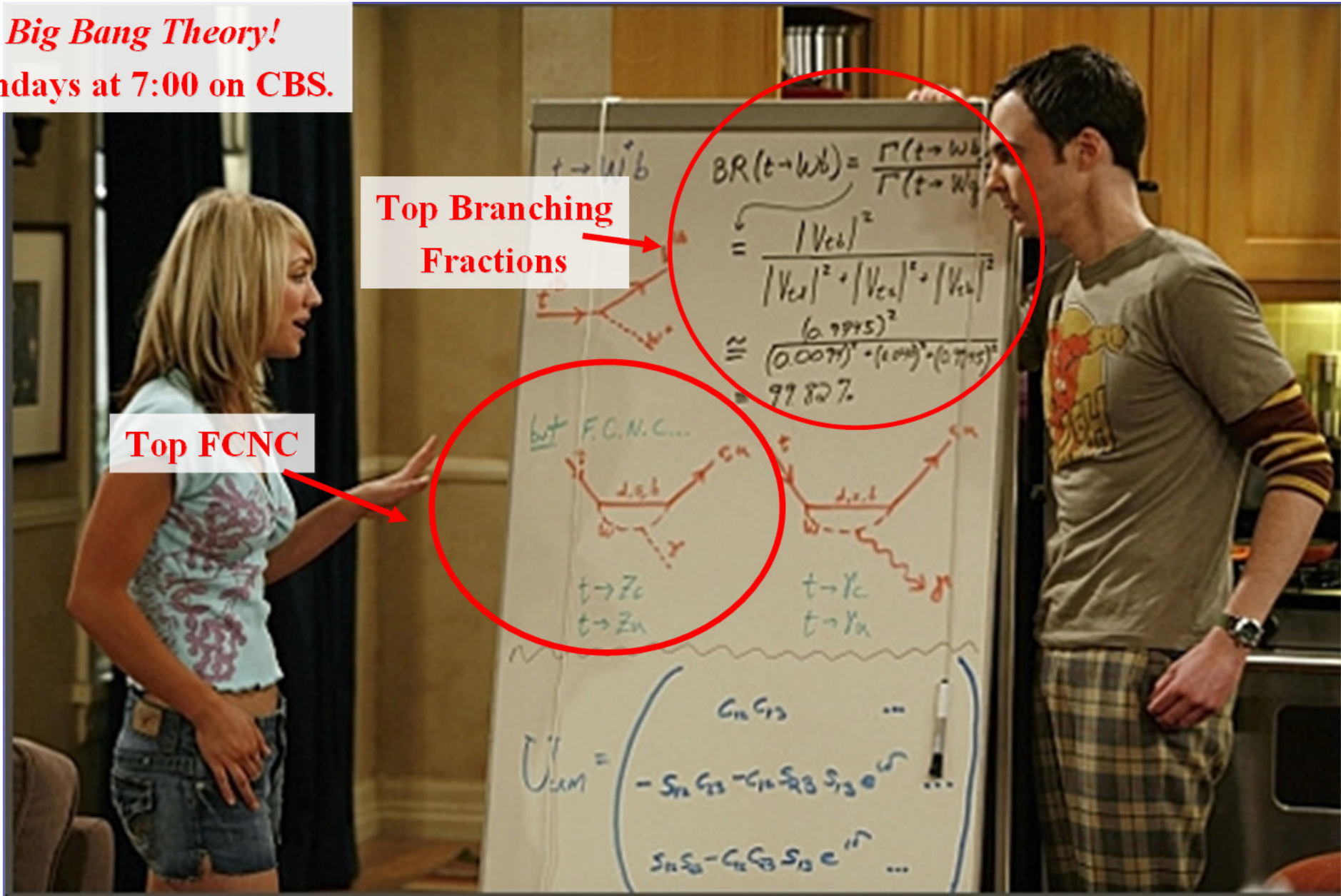
$$= 99.82\%$$



$$U_{CKM} = \begin{pmatrix} c_{12}c_{13} & & \dots \\ -s_{12}c_{13} - c_{12}s_{23}s_{13}e^{i\delta} & & \dots \\ s_{12}s_{13} - c_{12}c_{23}s_{13}e^{i\delta} & & \dots \end{pmatrix}$$

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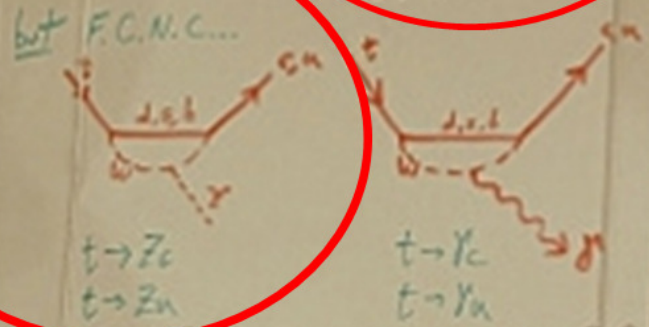
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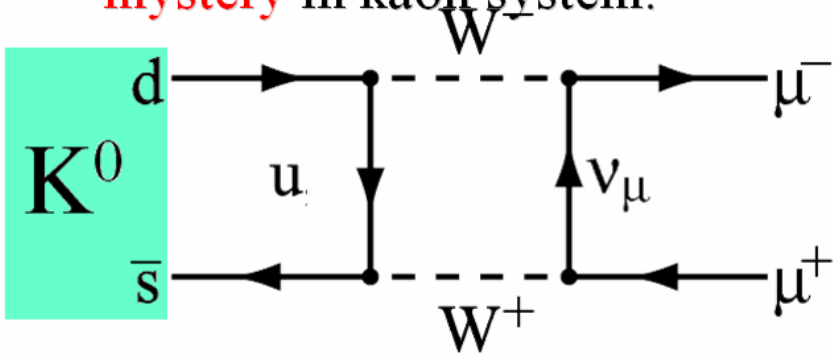
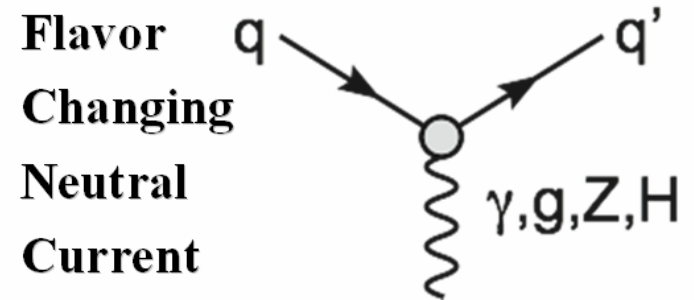
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Top FCNC

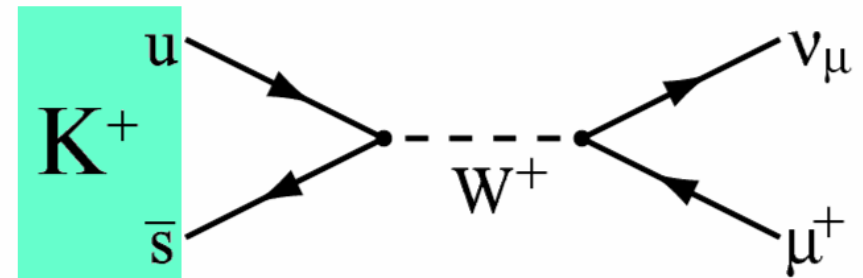


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- Flavor changing neutral current (FCNC) interactions:
 - Transition from a quark of **flavor A** and **charge Q** to quark of **flavor B** with the **same charge Q**.
 - Examples: $b \rightarrow s\gamma$, $t \rightarrow Hc$, ...
- 1960s: only three light quarks (u,d,s) known, **mystery** in kaon system:

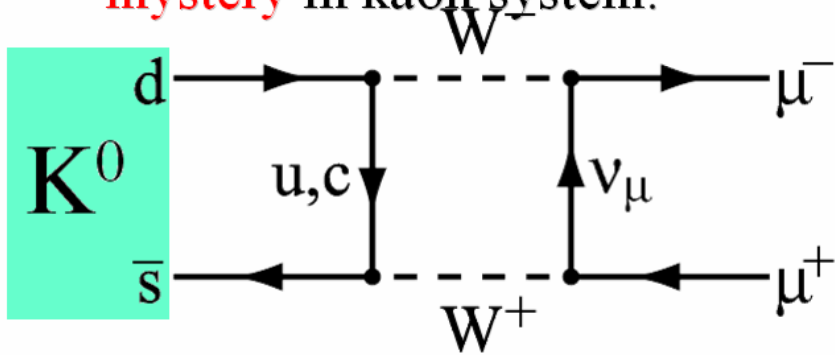
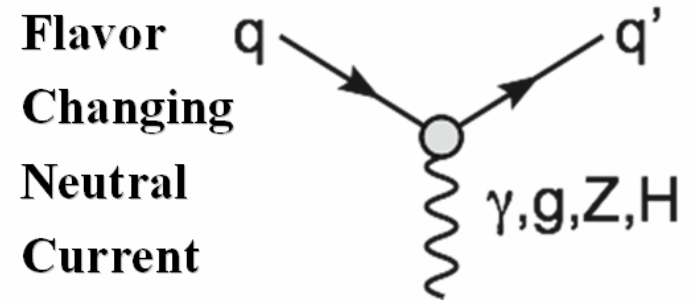


10⁸ times smaller than...?

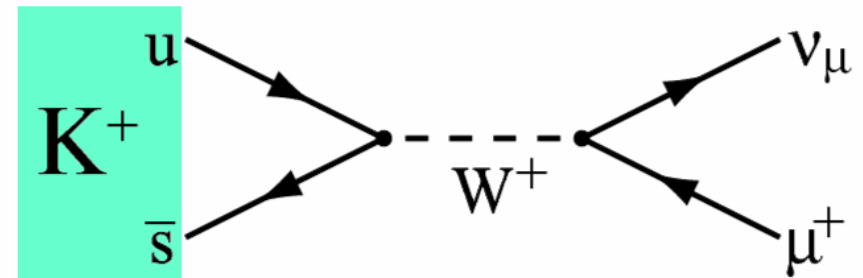


- Solution: “**GIM Mechanism**” (Glashow, Iliopoulos, Maiani, 1970)
 - **Fourth quark** needed for cancellation in box diagram: prediction of charm quark.
 - Cancellation would be **exact** if all quarks had the **same mass**: estimate of charm quark mass.

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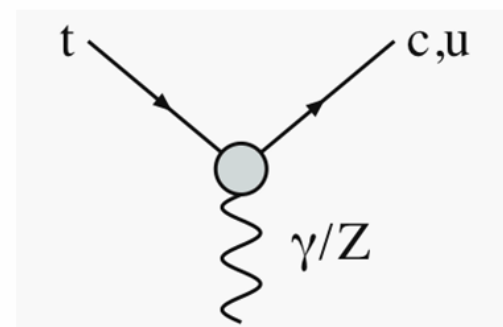
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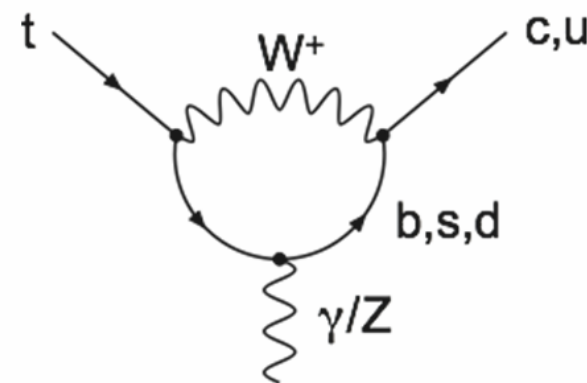
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- SM Higgs mechanism: weak neutral currents (NC) do not change the flavor of quarks/leptons (“flavor-diagonal”) \Rightarrow no FCNC at “tree level.”
- FCNC possible e.g. via **penguin diagrams**.
- Suppression of this mode:
 - **GIM mechanism**
 - **Cabibbo suppression**
- Expected SM branching fraction (Br) for $t \rightarrow Zc$ as small as 10^{-14} .
- Any signal at the Tevatron or LHC: **New Physics**.

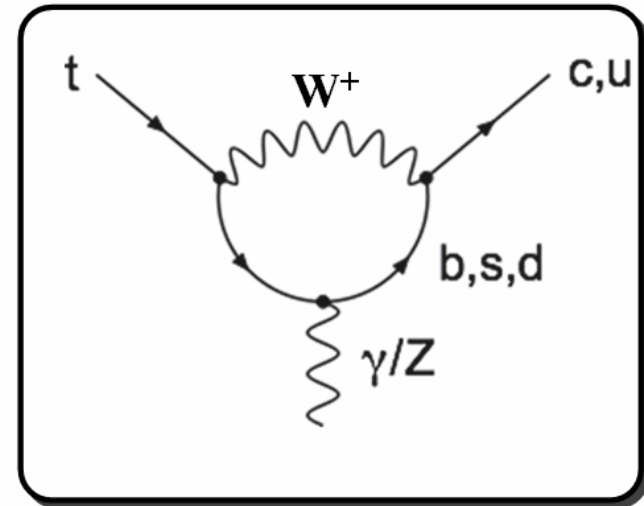
Generic FCNC



Penguin Diagram



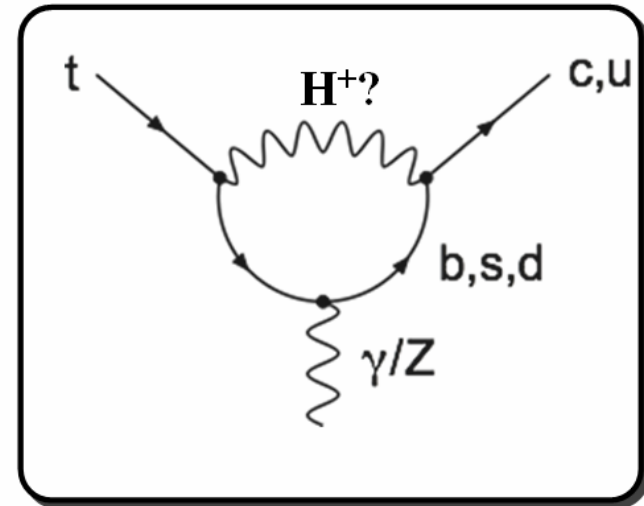
- FCNC are **enhanced** in many models of physics beyond the SM.
- Enhancement mechanisms:
 - FCNC interactions at **tree level**.
 - Weaker GIM cancellation by **new particles in loop corrections**.
- Examples:
 - **New quark singlets**: Z couplings not flavor-diagonal \rightarrow tree level FCNC.
 - **Two Higgs doublet** models: modified Higgs mechanism.
 - Flavor changing Higgs couplings allowed at tree level.
 - Virtual Higgs in loop corrections.
 - **Supersymmetry**: gluino/neutralino and squark in loop corrections.



Model	BR($t \rightarrow Zq$)
Standard Model	$\mathcal{O}(10^{-14})$
$q = 2/3$ Quark Singlet	$\mathcal{O}(10^{-4})$
Two Higgs Doublets	$\mathcal{O}(10^{-7})$
MSSM	$\mathcal{O}(10^{-6})$
R-Parity violating SUSY	$\mathcal{O}(10^{-5})$

[after J.A. Aguilar-Saavedra, Acta Phys. Polon **B35** (2004) 2695]

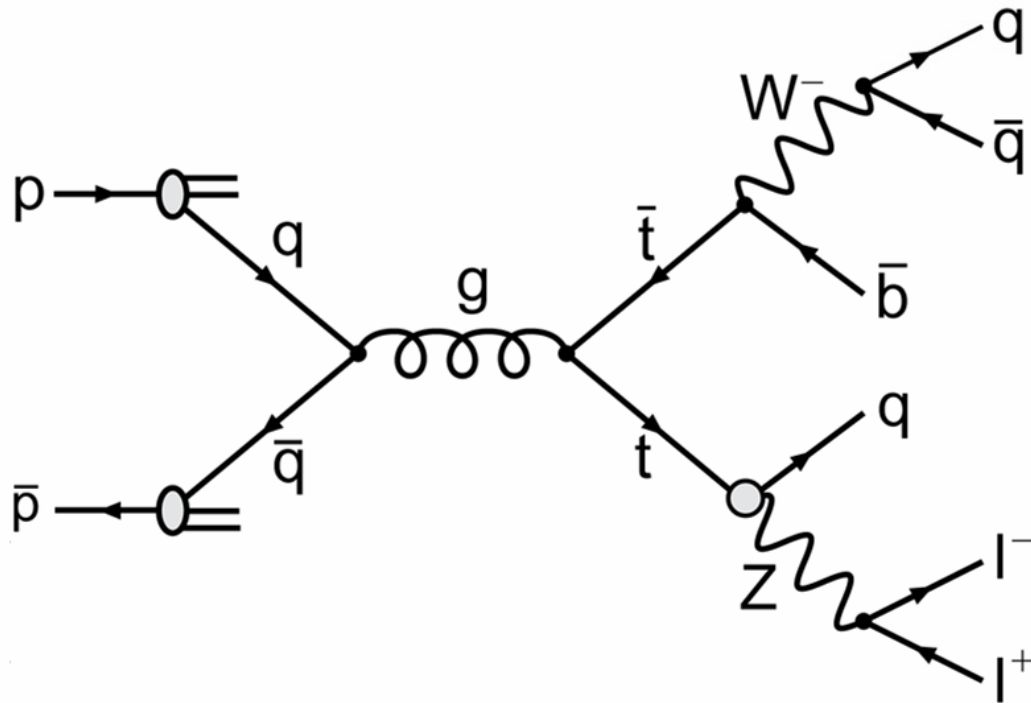
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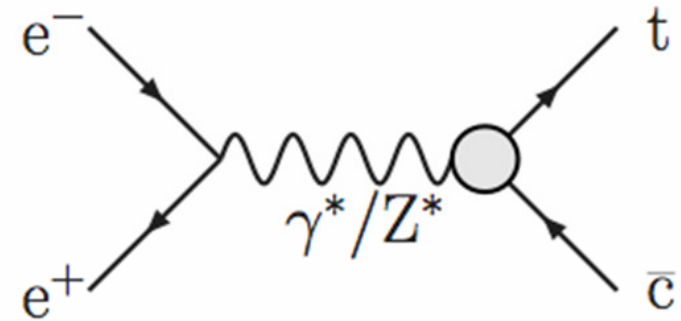
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- Run I Search:
 - 110 pb⁻¹ of data
 - $t\bar{t} \rightarrow Zc Wb \rightarrow Z+\geq 4j$
 - Limit: **Br (t → Zc) < 33%** at 95% C.L.



- Limit from LEP II
 - search for single top production:
 $e^+ e^- \rightarrow \bar{t} c$



- 634 pb⁻¹
- Limit: **Br (t → Zc) < 13.7%** at 95% C.L.
- ⇒ **Best limit so far with Z bosons.**



Top Mass Reconstruction

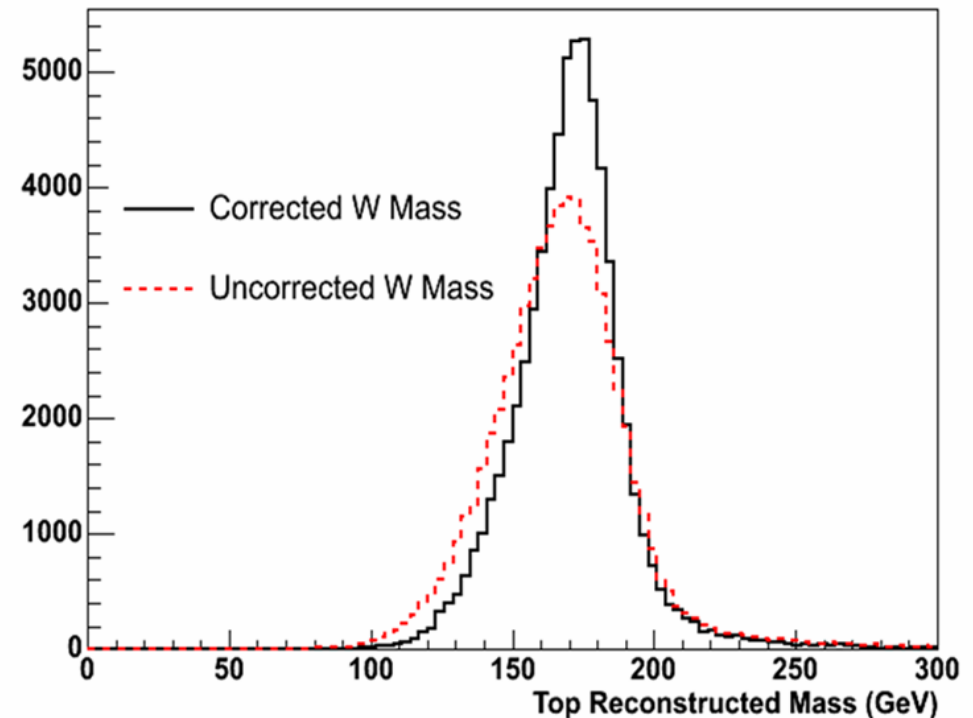


- For our signal, we have three hadronic masses to reconstruct:
 - W mass
 - $t \rightarrow Wb$ mass
 - $t \rightarrow Zc$ mass

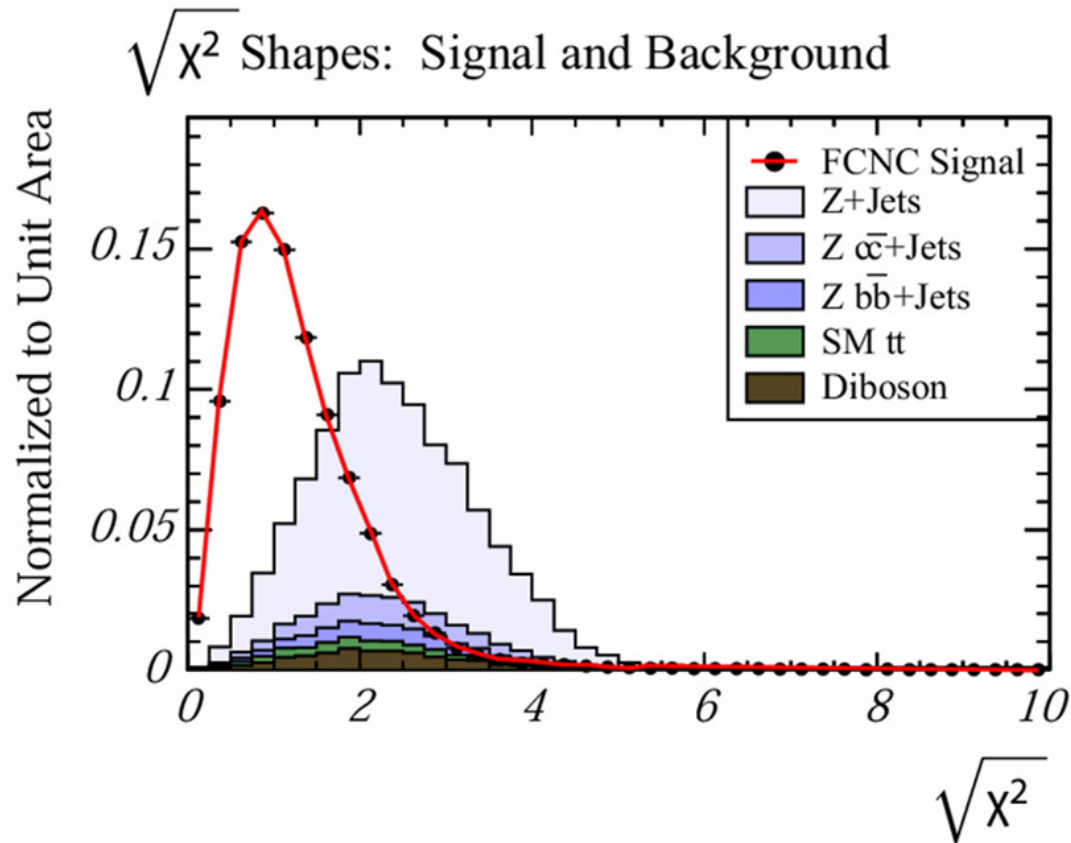
$t \rightarrow Wb$ mass
width
 $20 \text{ GeV} \Rightarrow 16 \text{ GeV!}$

- To improve resolution, we correct the W and Z daughters so that the masses are correct.
 - Rescale the daughters within their resolutions.
 - **Smaller mass resolution**
 \Rightarrow **Better signal separation.**

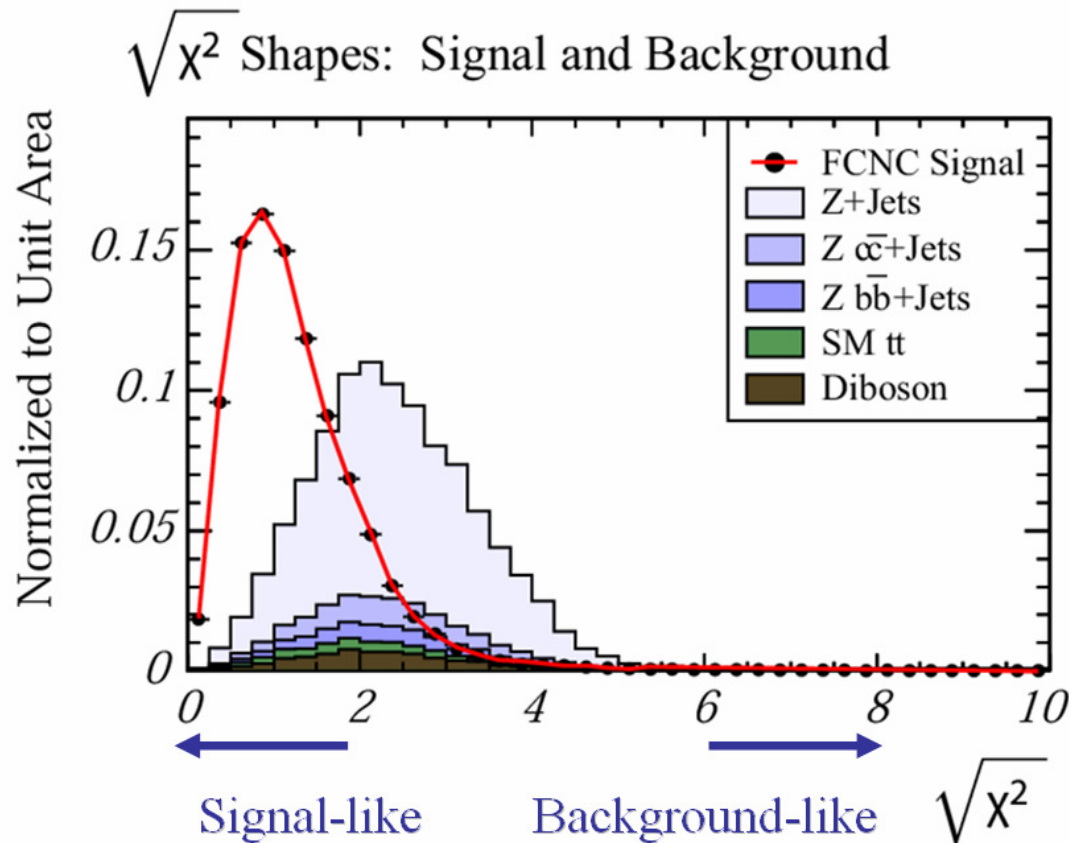
Signal MC with partons correctly matched to reconstructed objects.



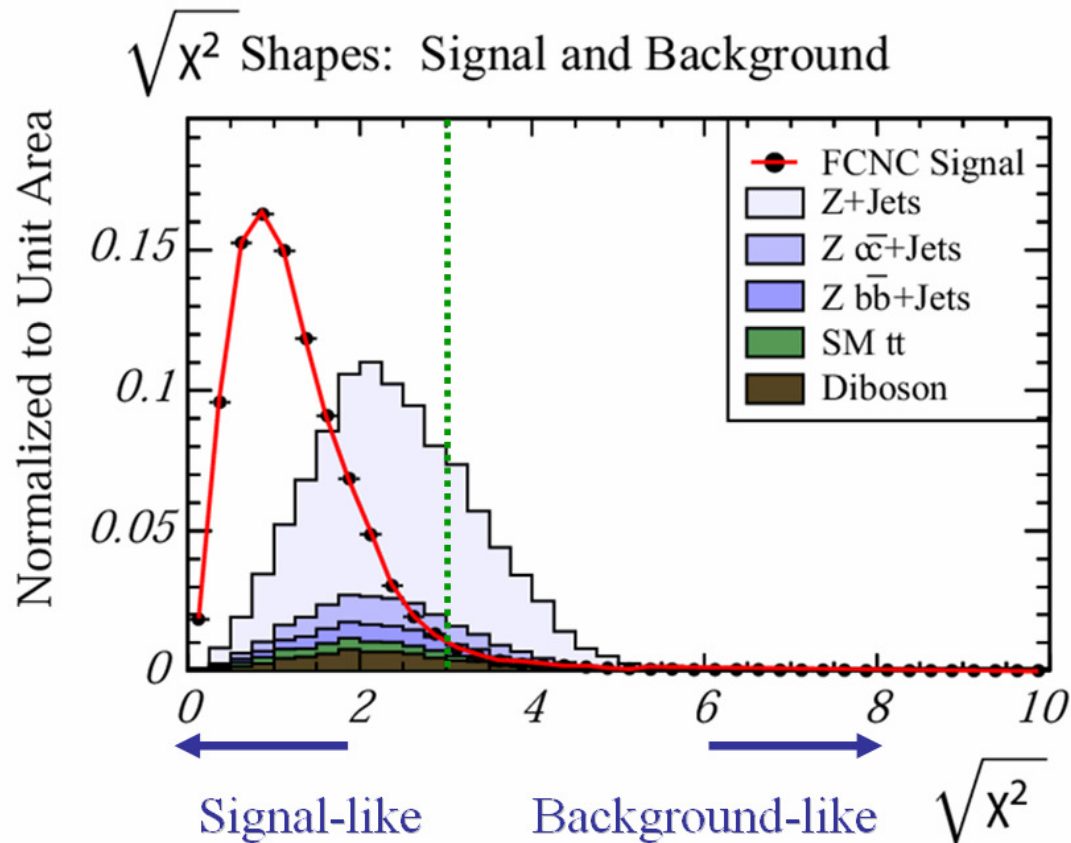
- We do not know which partons are reconstructed as which jets.
⇒ Loop over all 12 permutations and take lowest χ^2 value.



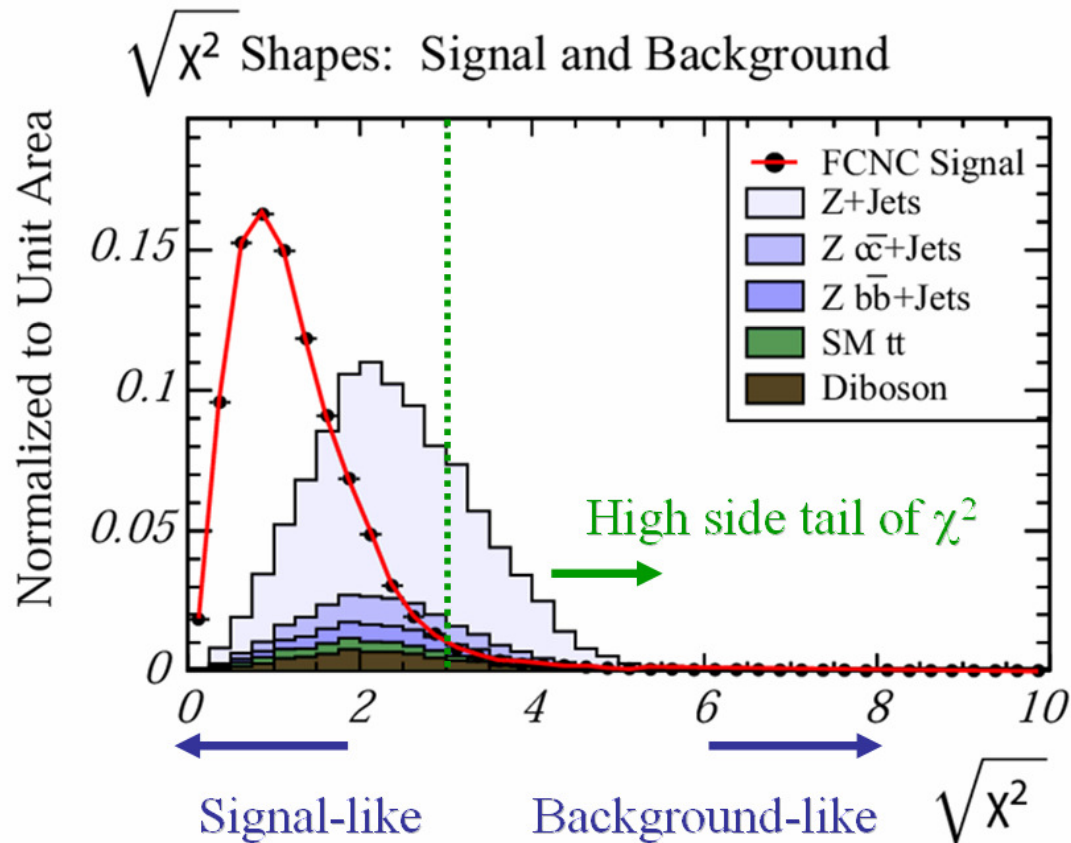
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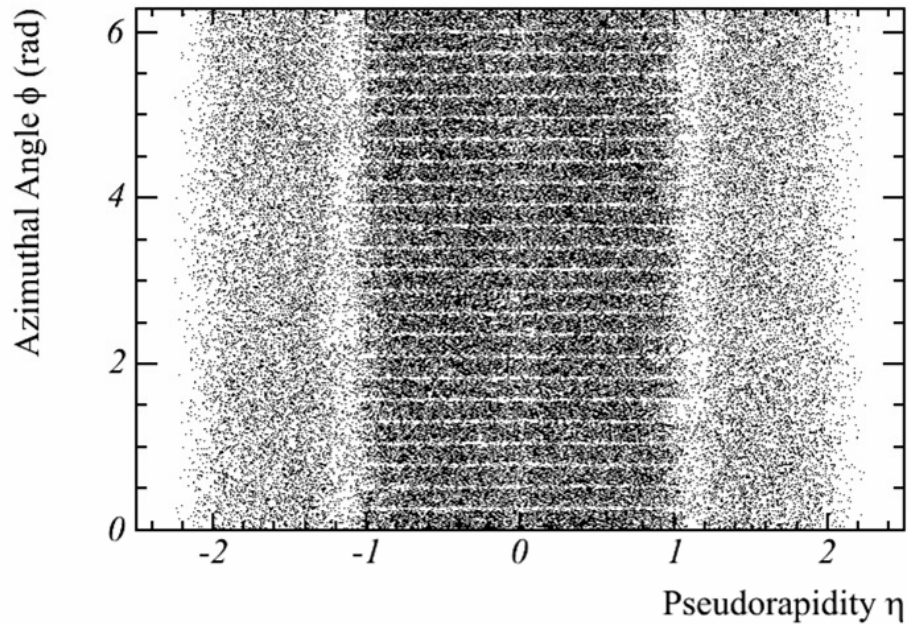
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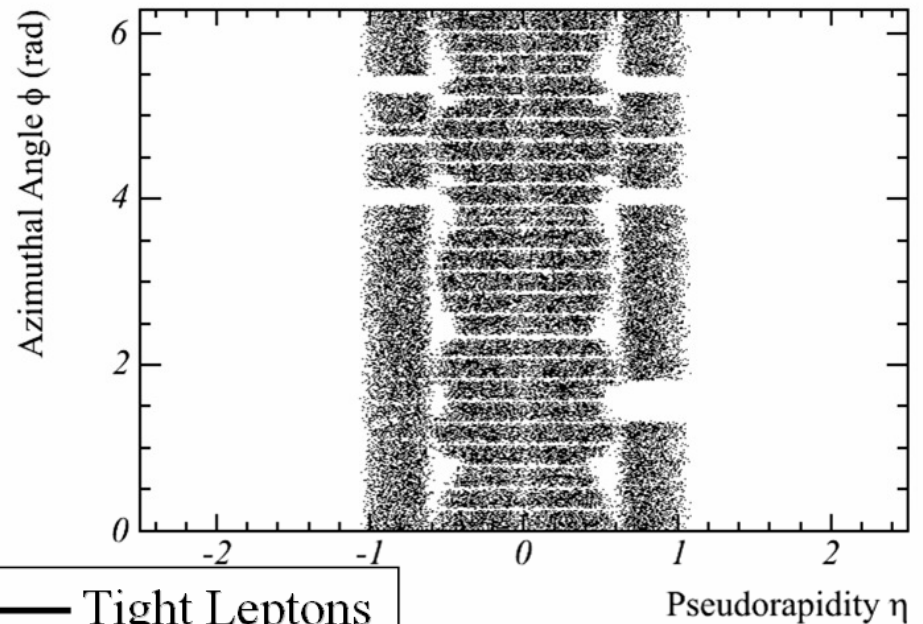
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η - ϕ Coverage: Electrons



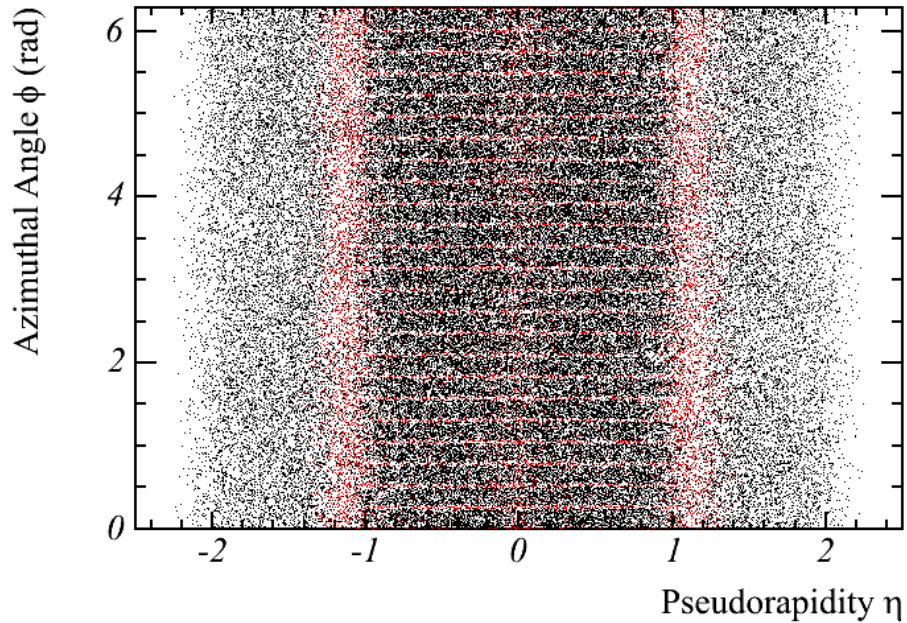
η - ϕ Coverage: Muons



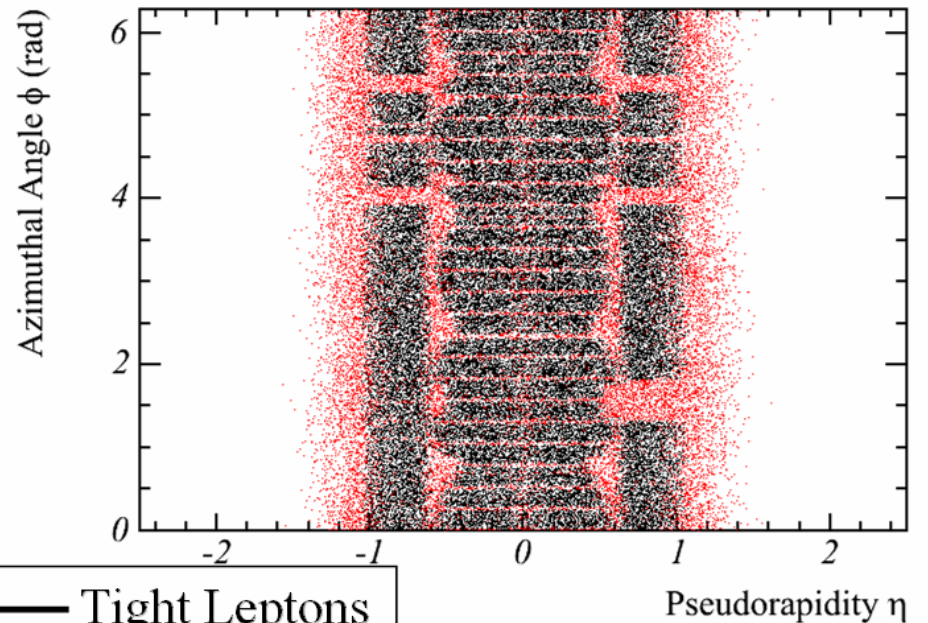
- Use isolated track (instead of tight lepton) for second lepton.
 - **Doubles** acceptance.
 - Almost all backgrounds have real leptons.

- Base Event Selection:
 - Tight lepton + track lepton Z candidate.
 - At least four jets ($|\eta| < 2.4$, corrected $E_T > 15$ GeV).

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To B-Tag or not to B-Tag?



- **Advantage** of requiring b-tag:
⇒ Better discrimination against main background (Z + jets).
- **Disadvantage:**
⇒ Reduction of data sample size.

Sample	Before tagging	At least 1 b-tag
Background	130 (100%)	20 (15%)
Relative Signal Acceptance	100%	50%



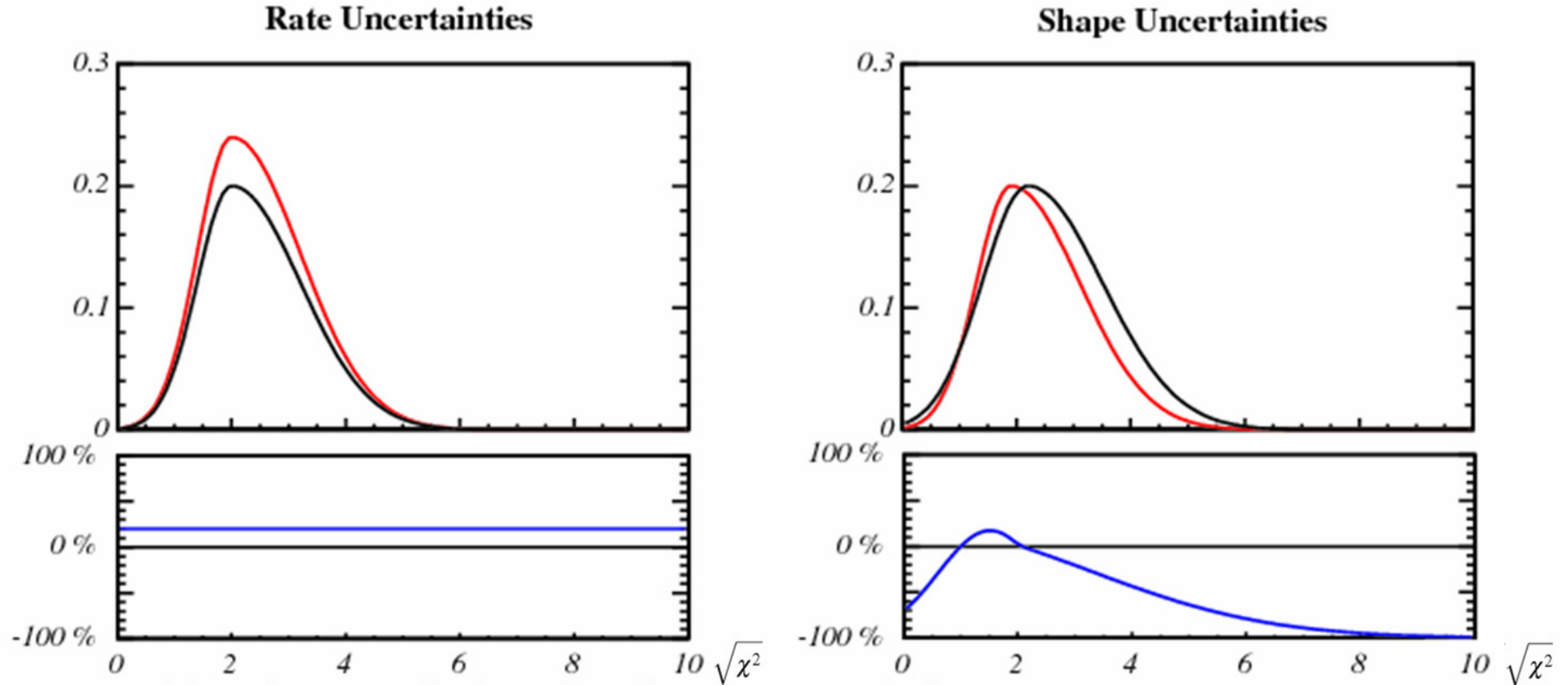
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- **Advantage** of requiring b-tag:
 - ⇒ Better discrimination against main background (Z + jets).
- **Disadvantage:**
 - ⇒ Reduction of data sample size.
- Solution: **Use both!**
 - **Split sample** in *tagged* (at least one tagged jet) and *anti-tagged* (no tagged jets).
 - **Optimize cuts individually** for tagged and anti-tagged samples.
 - **Combine samples** in limit calculation.

Sample	Before tagging	At least 1 b-tag
Background	130 (100%)	20 (15%)
Relative Signal Acceptance	100%	50%

- What do we mean by “*shape uncertainties*”?



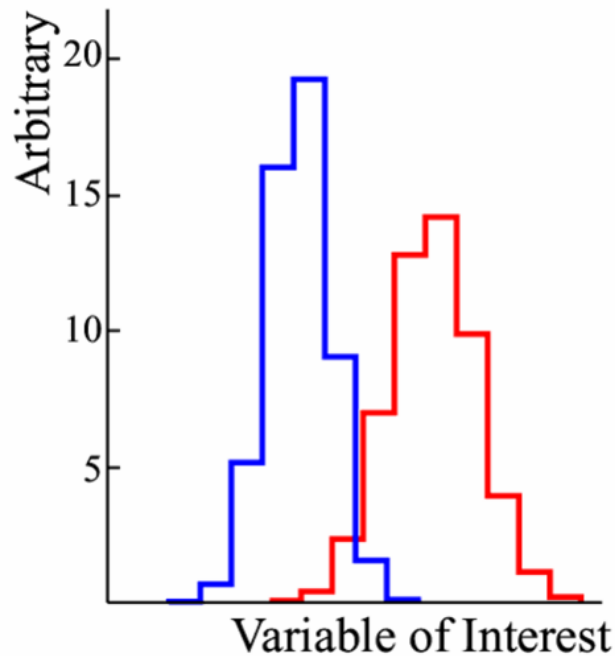
- We considered many choices for shape uncertainties.
- The two dominant effects were much larger than all others.
 - Factorization/Renormalization (Q^2) scale for Z + jets MC.
 - Jet energy scale uncertainties.



Template Morphing



- Now that we have JES shifts, how do we incorporate this in our machinery?
⇒ Implemented *compound horizontal template morphing*.
- Horizontal morphing is simply interpolating between two normalized cumulative distribution functions (*i.e.*, the normalized integral of the histogram).

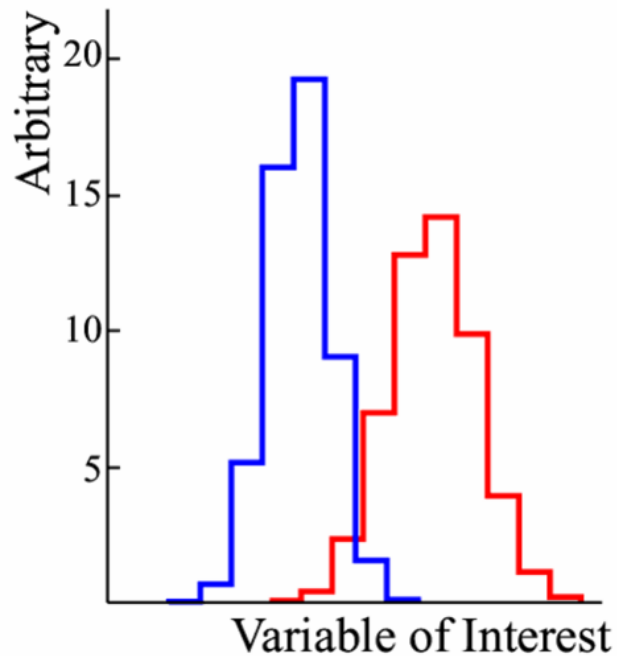




“Everything You Always Wanted To Know About Template Morphing But Were Afraid To Ask.”



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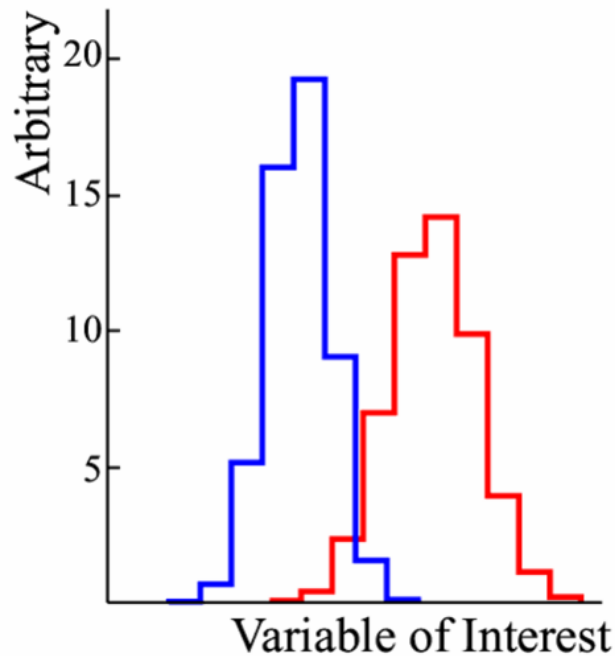




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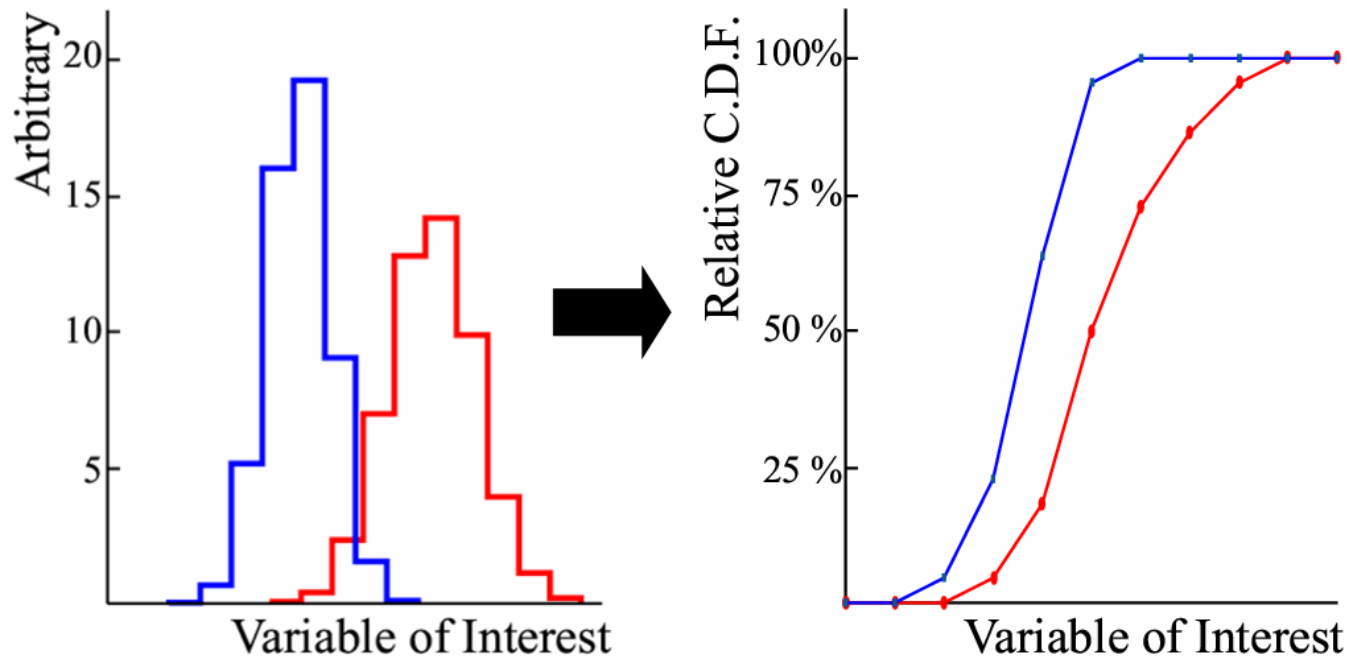




Template Morphing

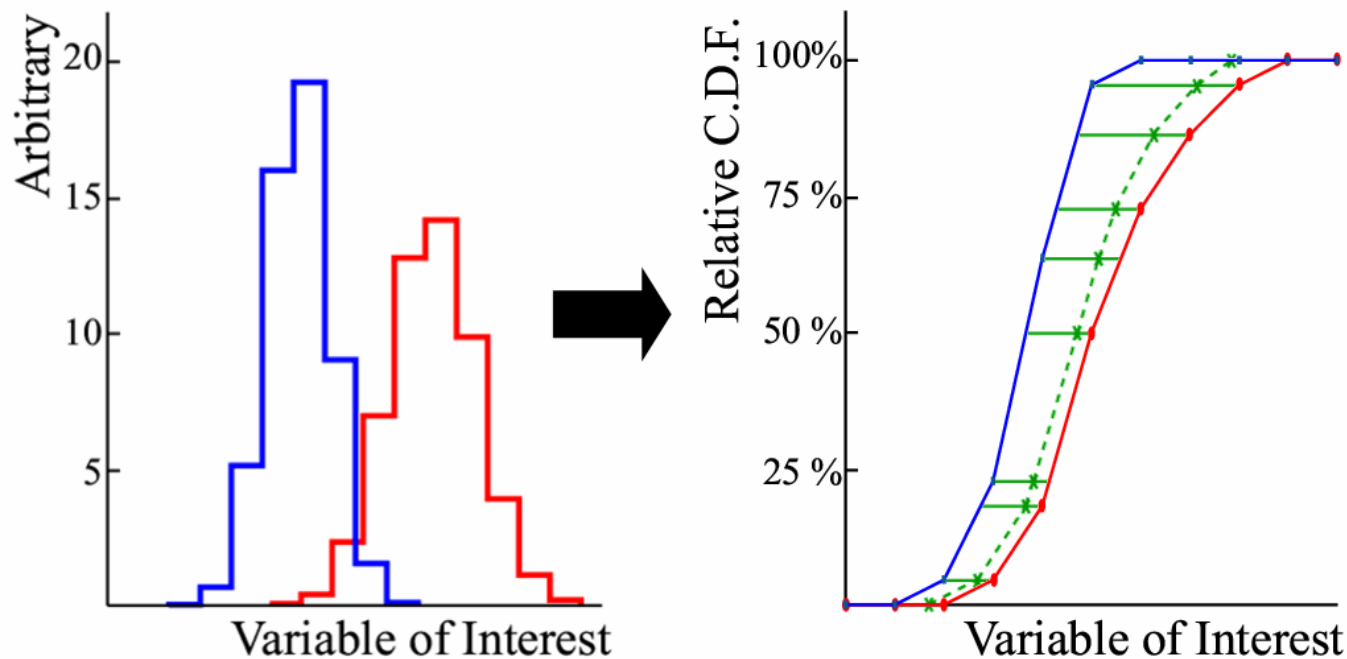


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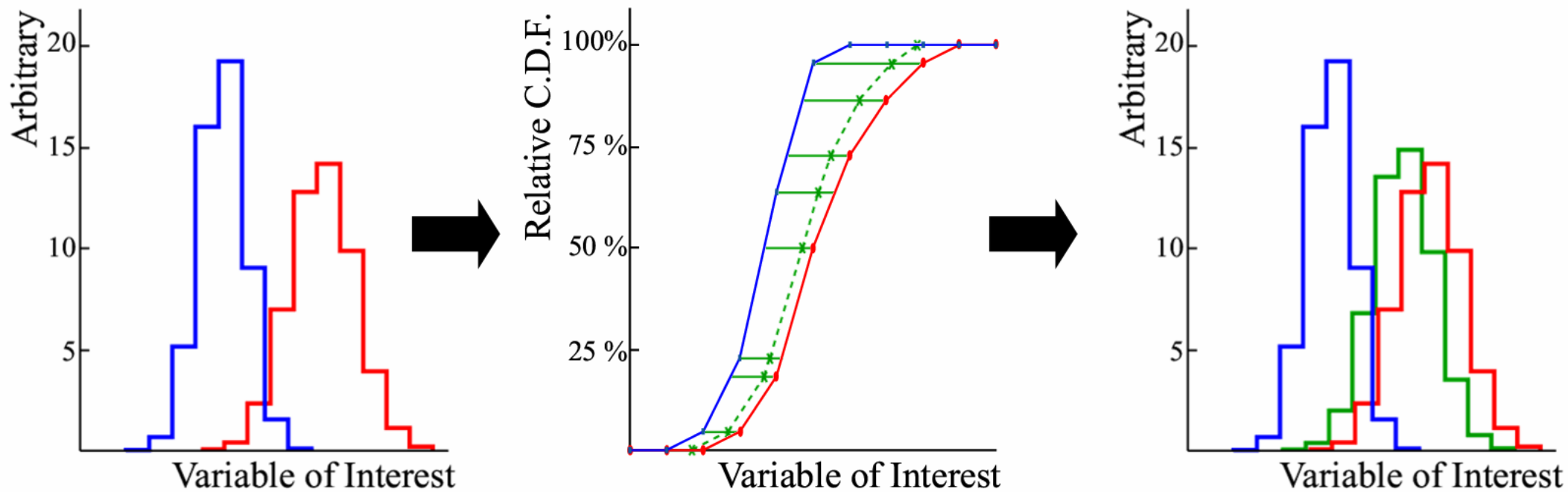
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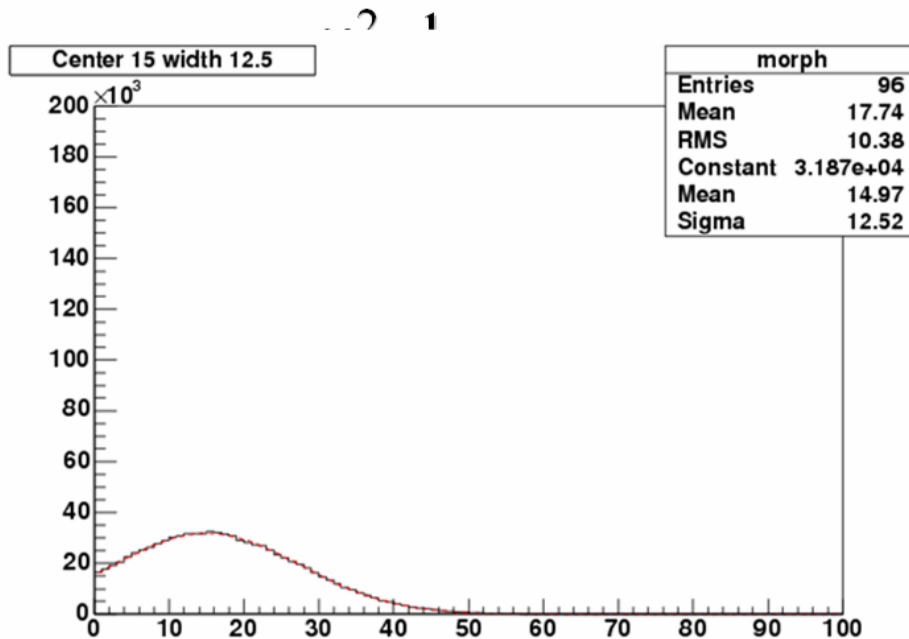
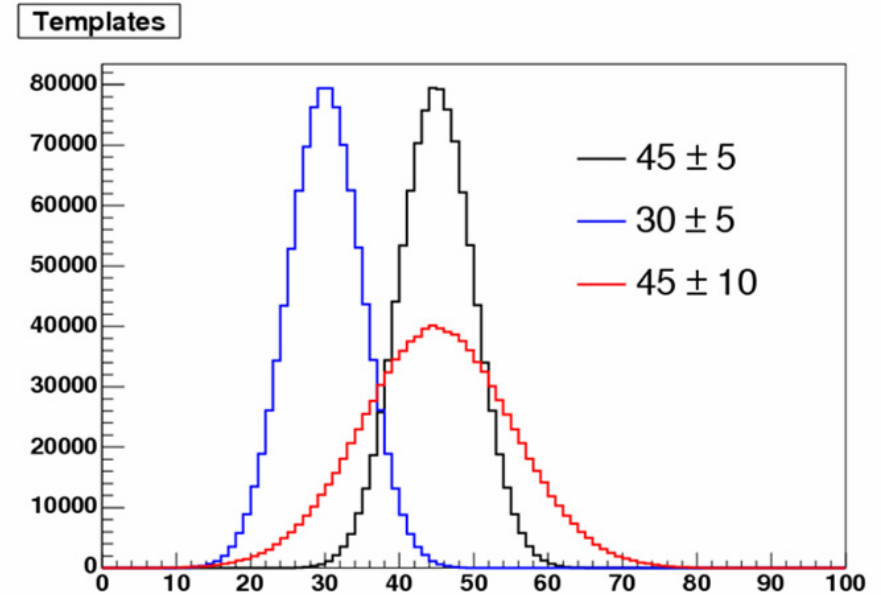




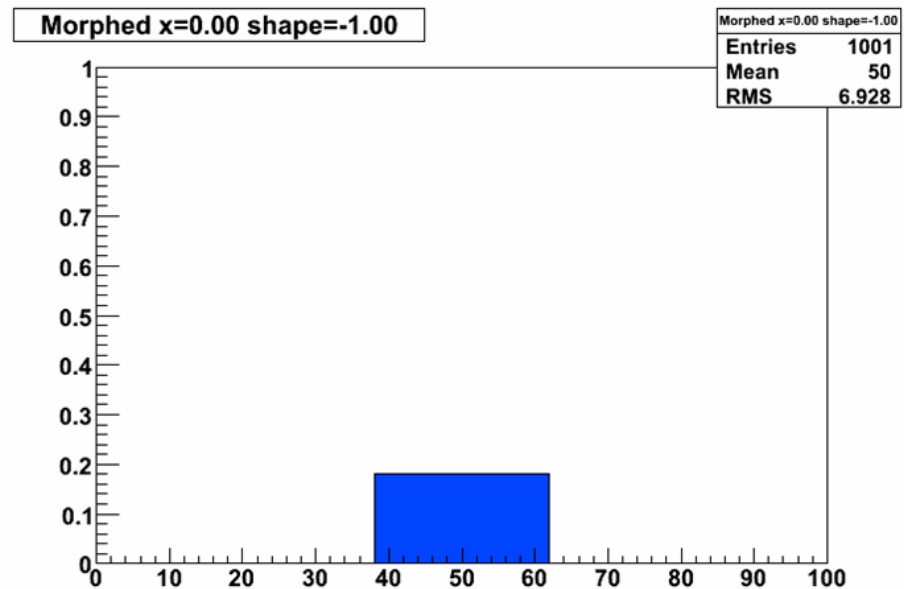
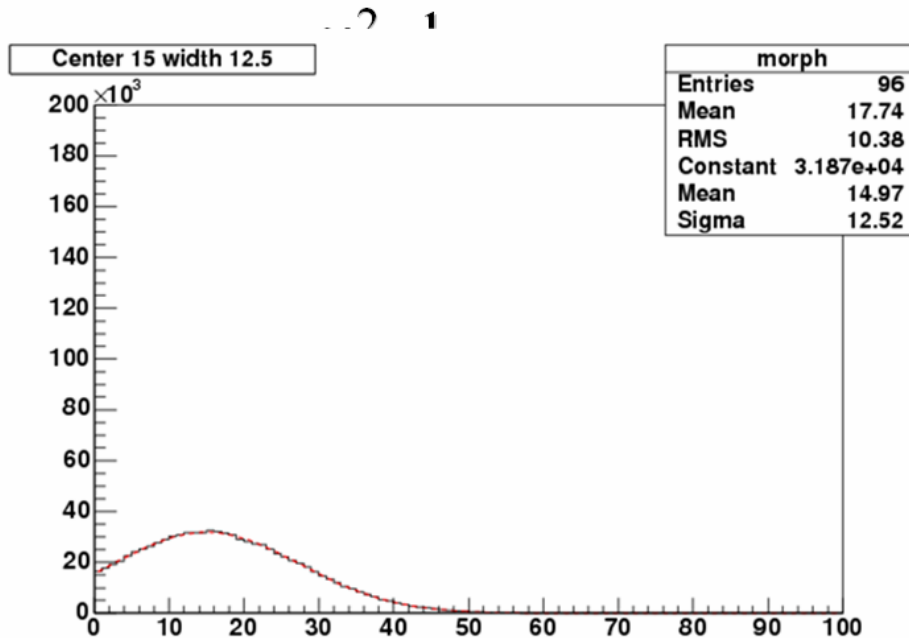
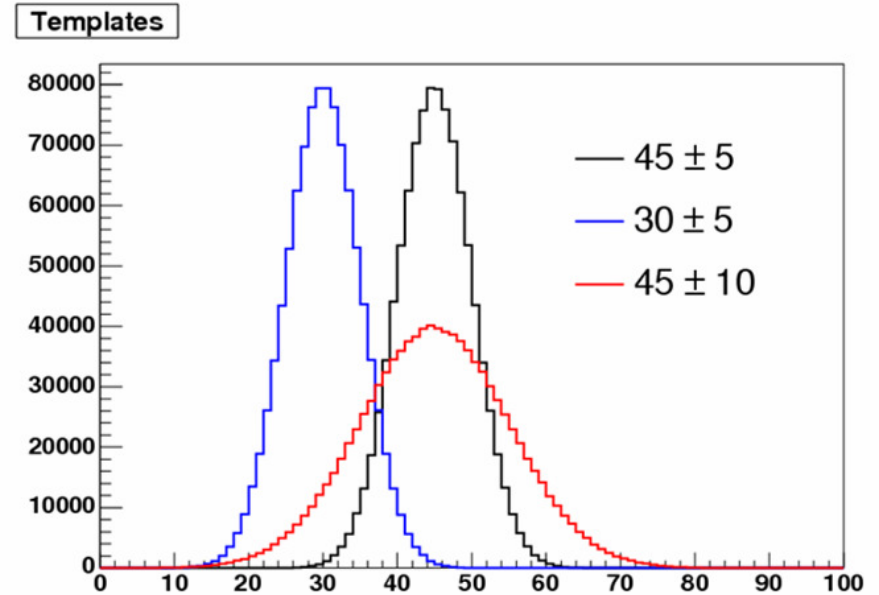
Does Morphing Work?



- Test with Gaussians
 - Easy to verify it is working as expected.
- Works on much more complicated shapes.
 - Squares
 - Half-circles



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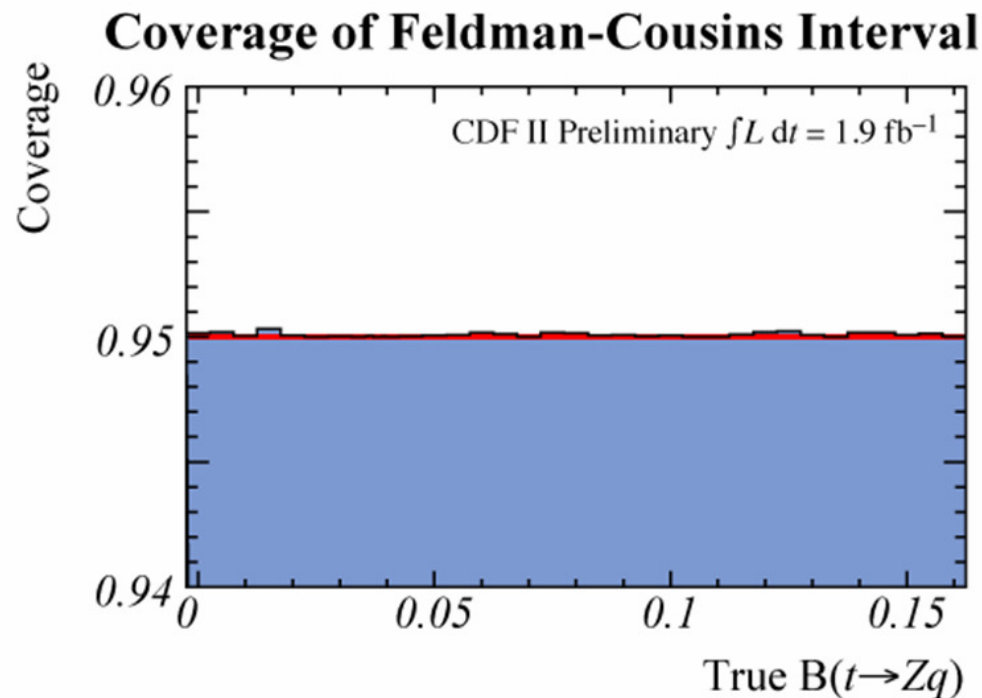




Feldman-Cousins in Five Minutes



- How are we going to interpret our results?
- Feldman-Cousins answers the question:
“What range of true values are likely to lead to this measured value?”
- Why use Feldman-Cousins?
 - Guarantees coverage.
 - Data tell us whether we should report a measurement or a limit.
 - Our method incorporates systematic uncertainties easily.

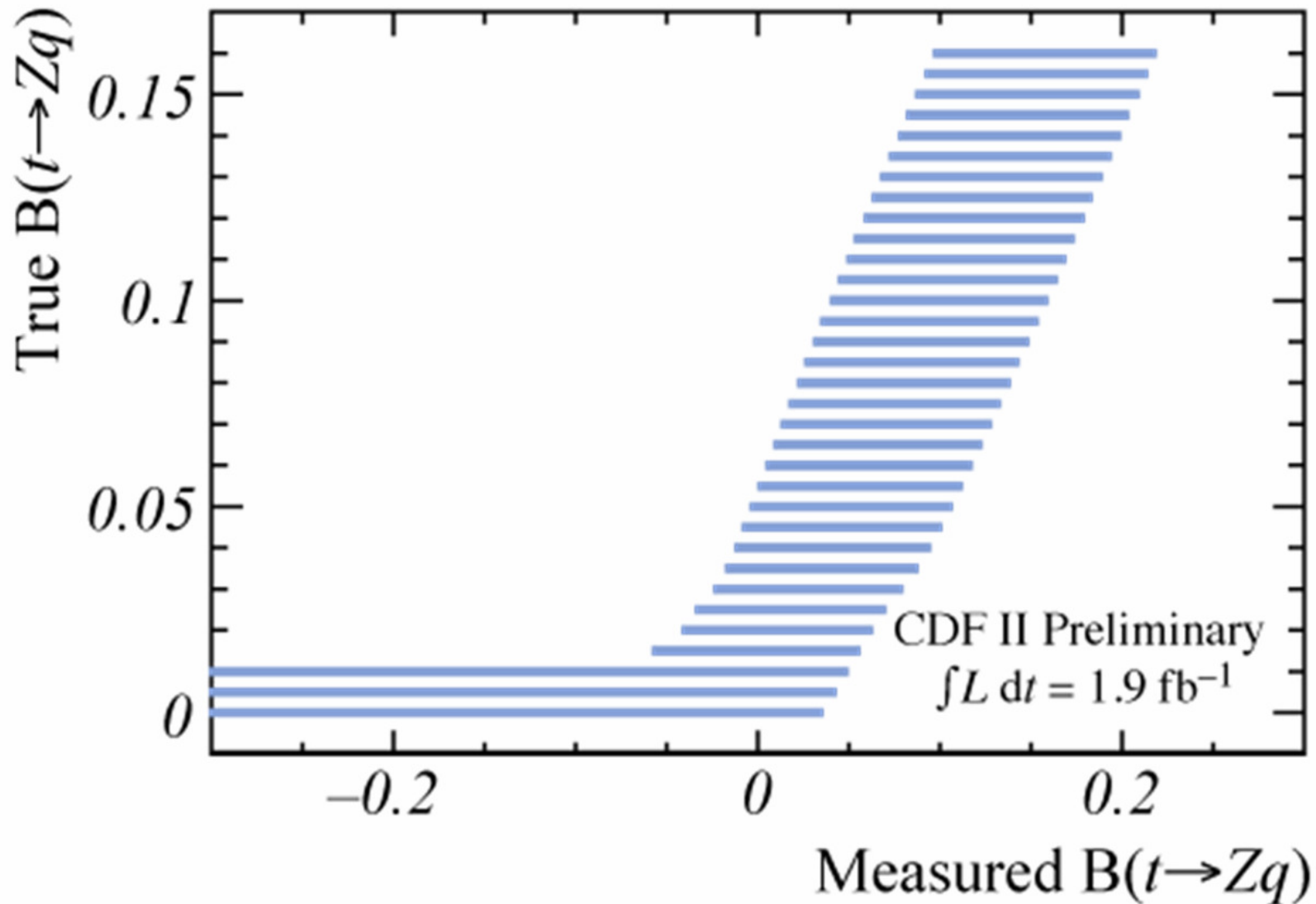




Top FCNC Feldman-Cousins Bands



FCNC Feldman-Cousins Band (95% C.L.)

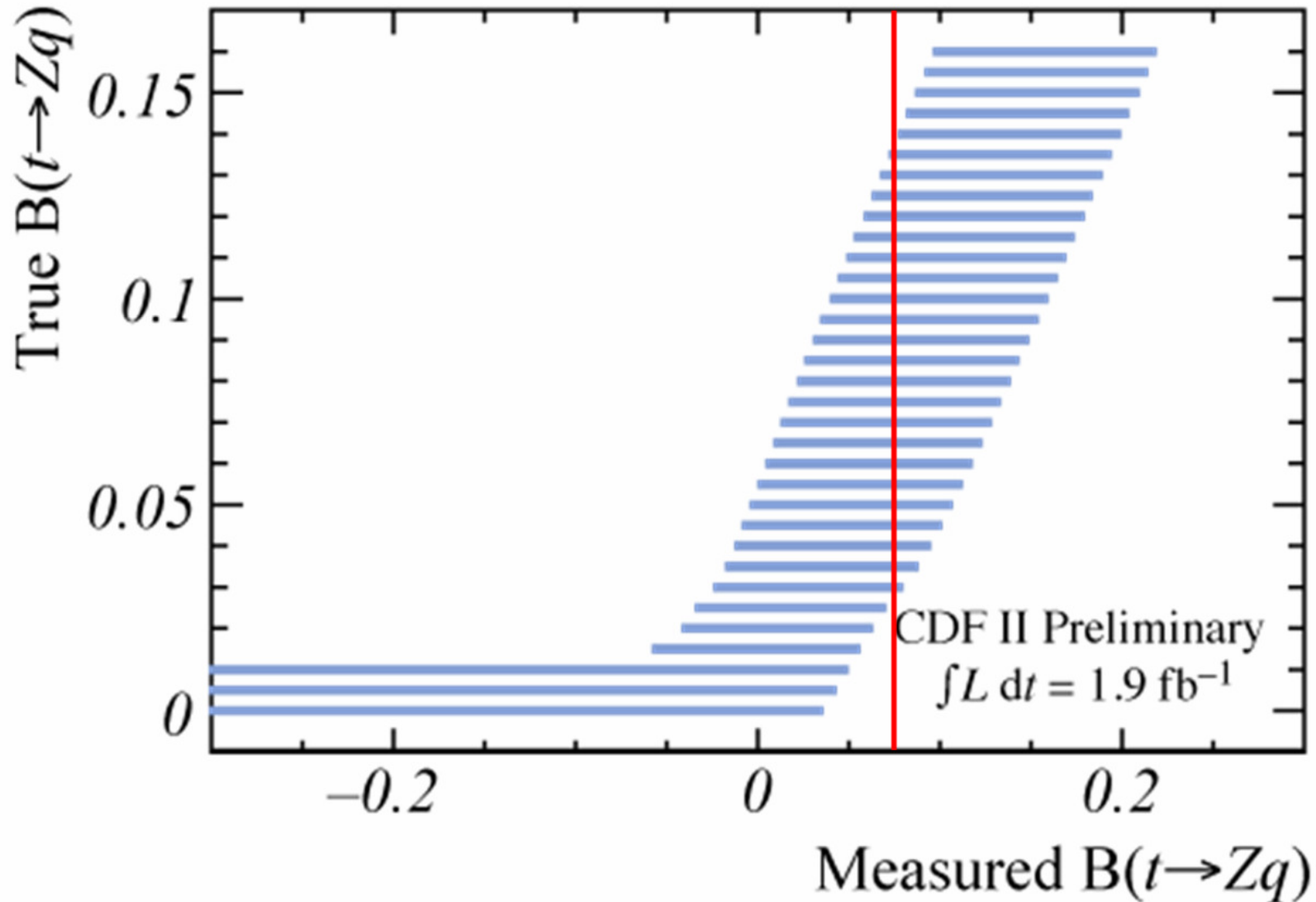




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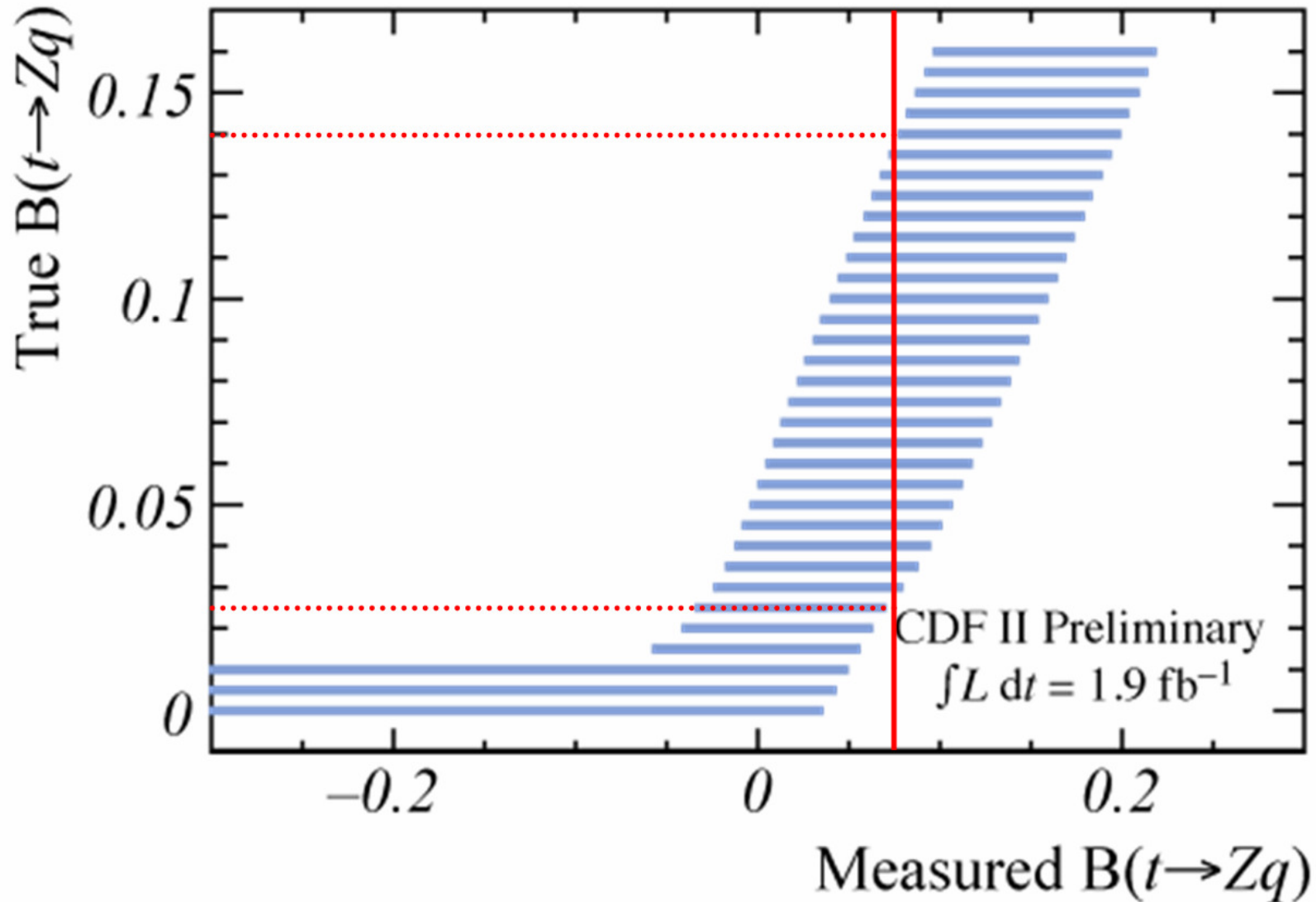




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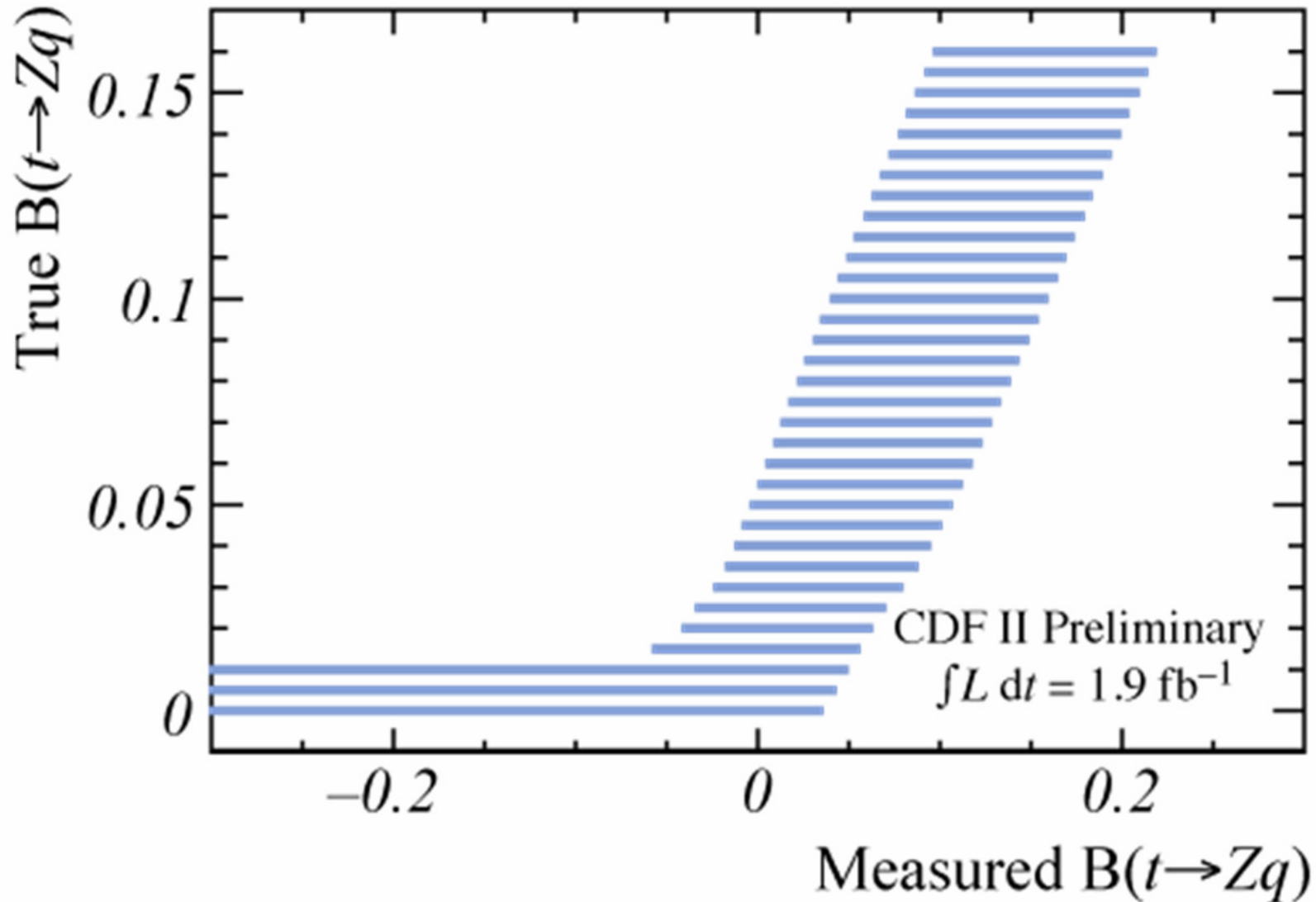




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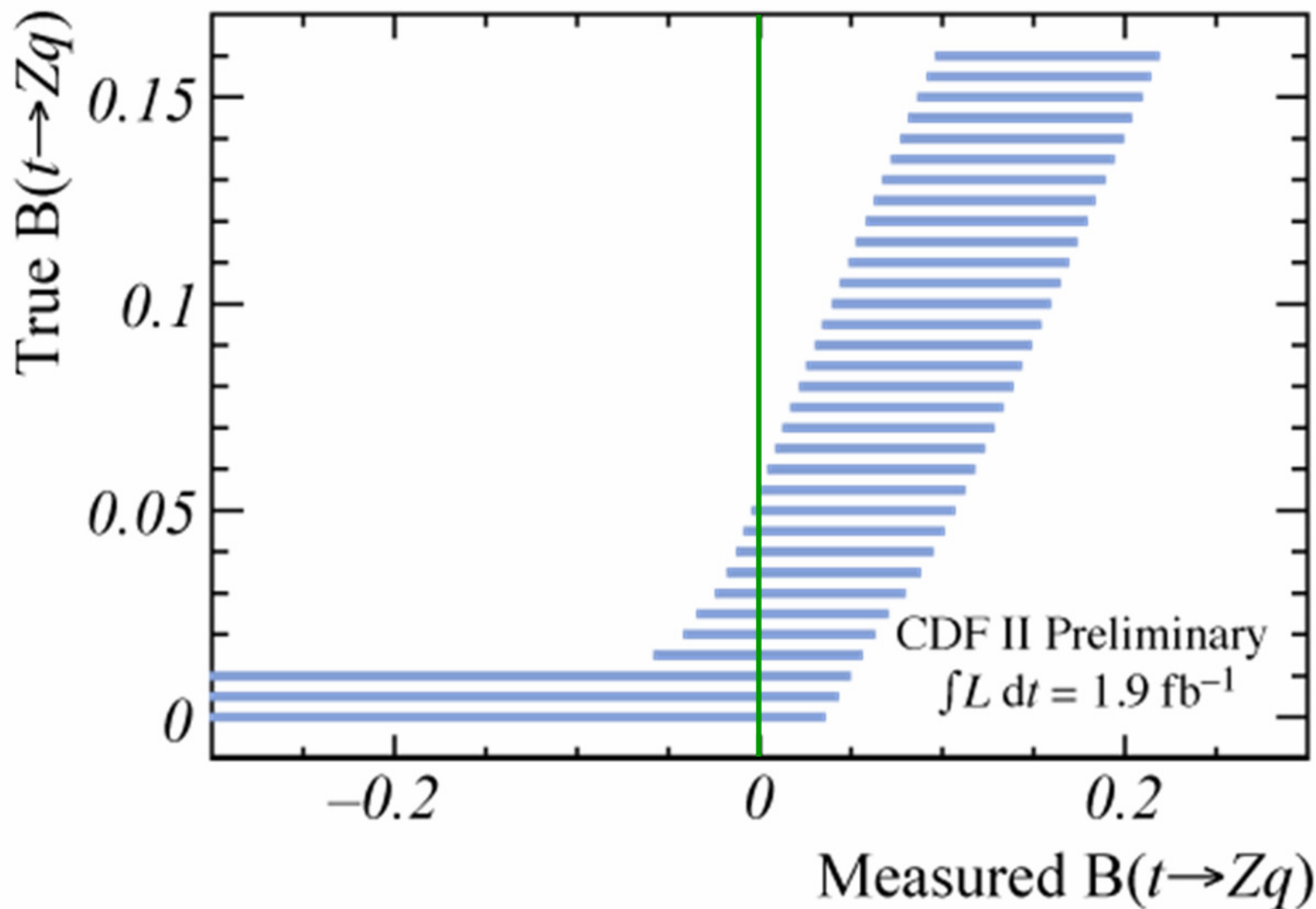




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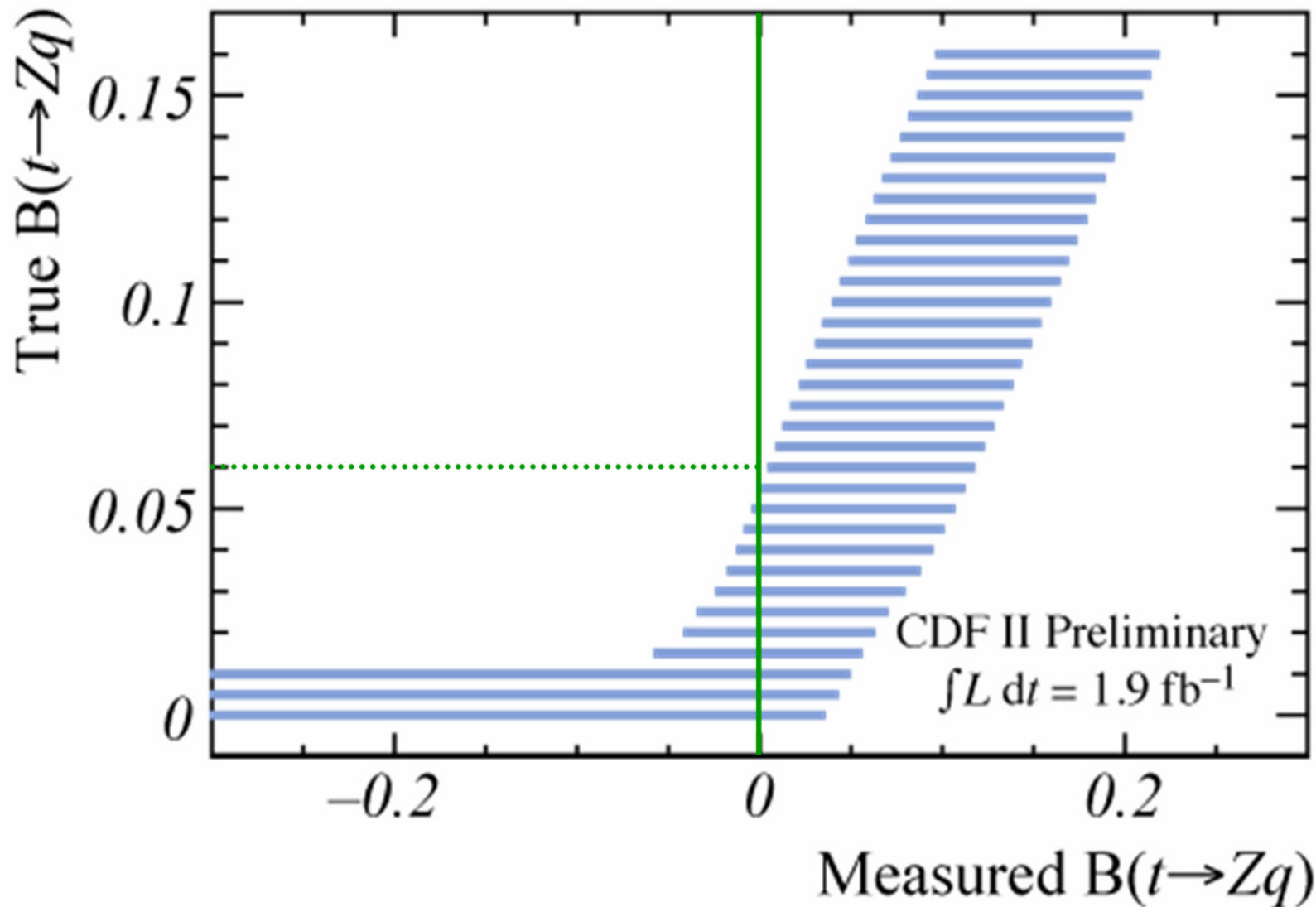




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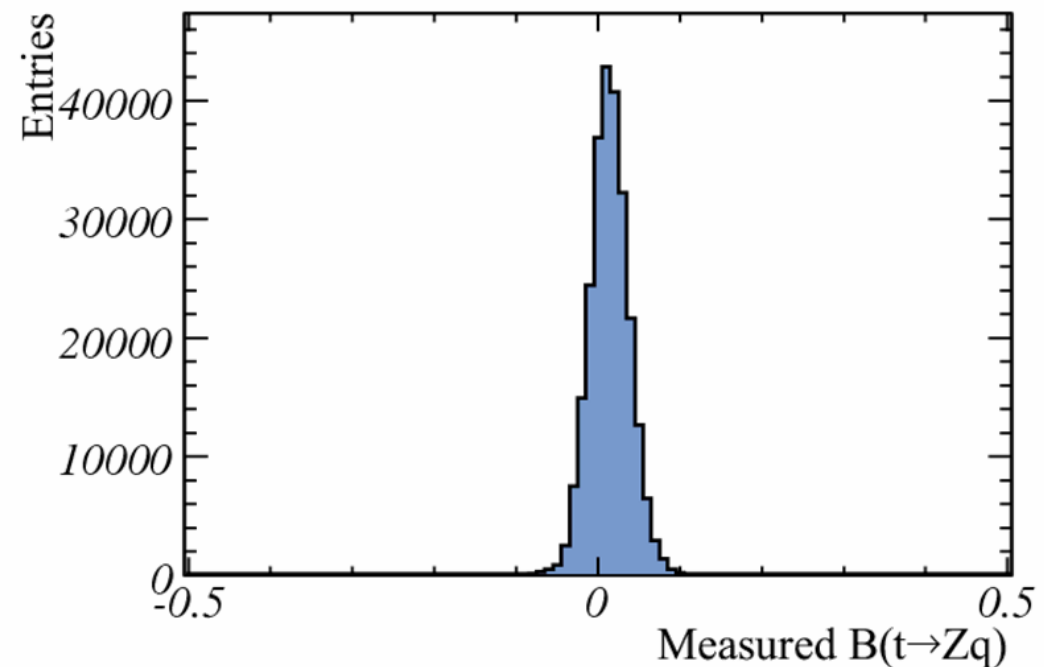
Pseudo-Experiments (PEs)



Pseudo-experiment: Generate all necessary numbers/templates to emulate data from an experiment.

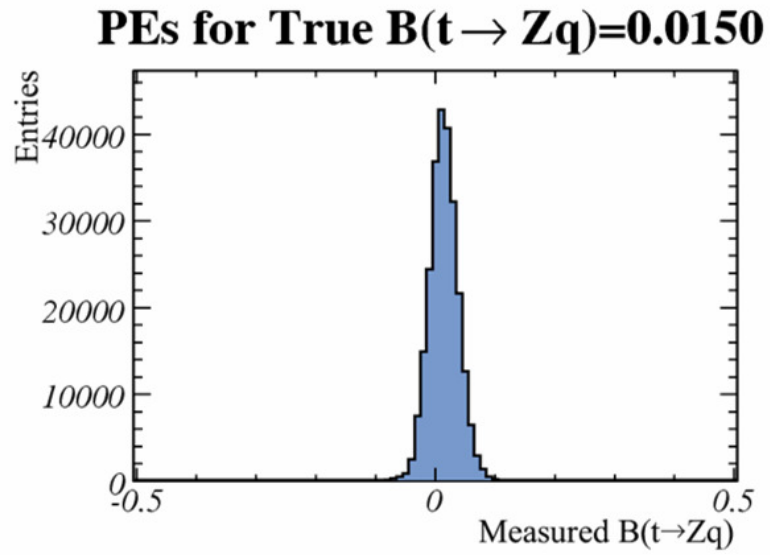
1. Generate random numbers to simulate all systematic uncertainties.
 - Pay attention to correlations.
 - Vary **all** systematic uncertainties.
 - Verify all numbers are physical.
 - Morph all templates appropriately.
2. Generate numbers of background and signal events.
3. For each type of event, use templates to generate mass χ^2 .
4. Fit as if data.
5. Repeat!

PEs for True $B(t \rightarrow Zq)=0.0150$



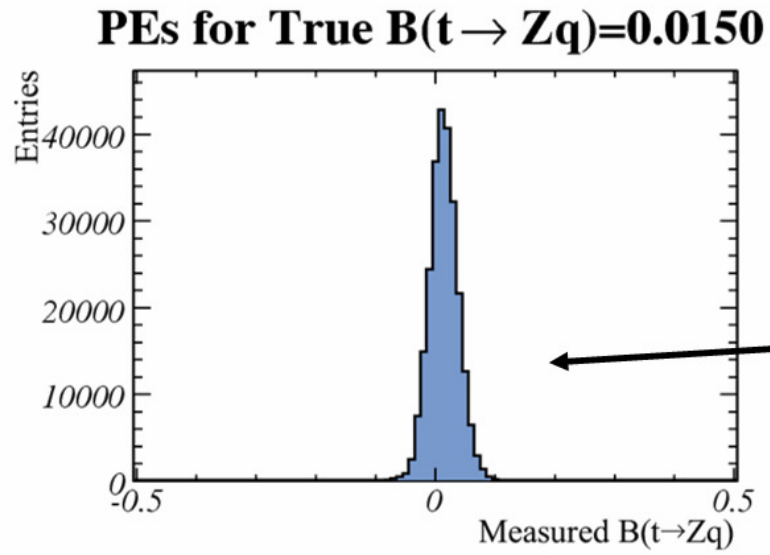


FC Band Construction In A Nutshell





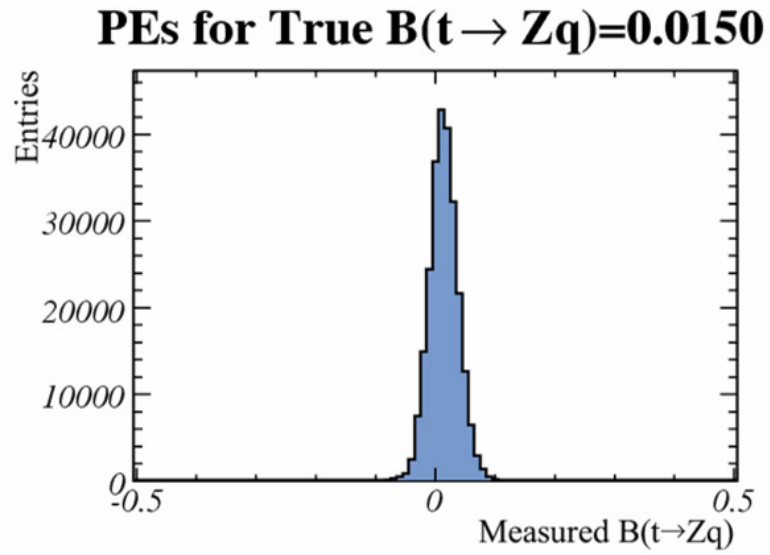
FC Band Construction In A Nutshell



PEs generated with all statistical and systematic uncertainties.



FC Band Construction In A Nutshell

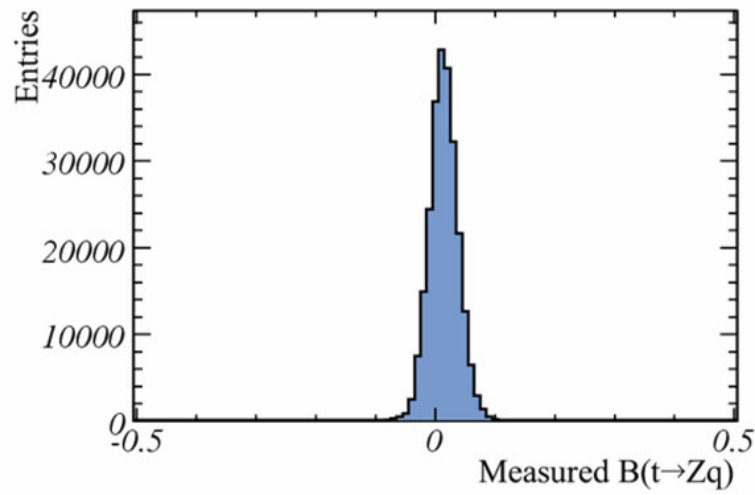




FC Band Construction In A Nutshell



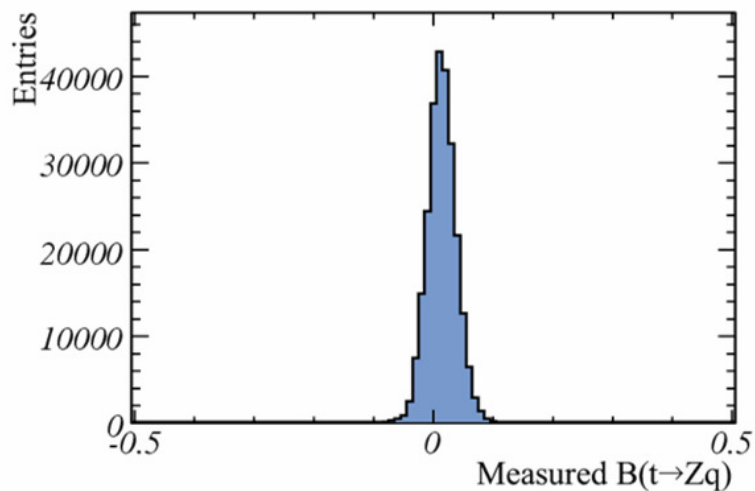
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- Use *Likelihood Ratio Ordering Principle*:

$$\text{Likelihood Ratio}(\mu_{\text{meas}}) = \frac{P(\mu_{\text{meas}}|\mu_{\text{true}})}{P(\mu_{\text{meas}}|\mu_{\text{best}})}$$

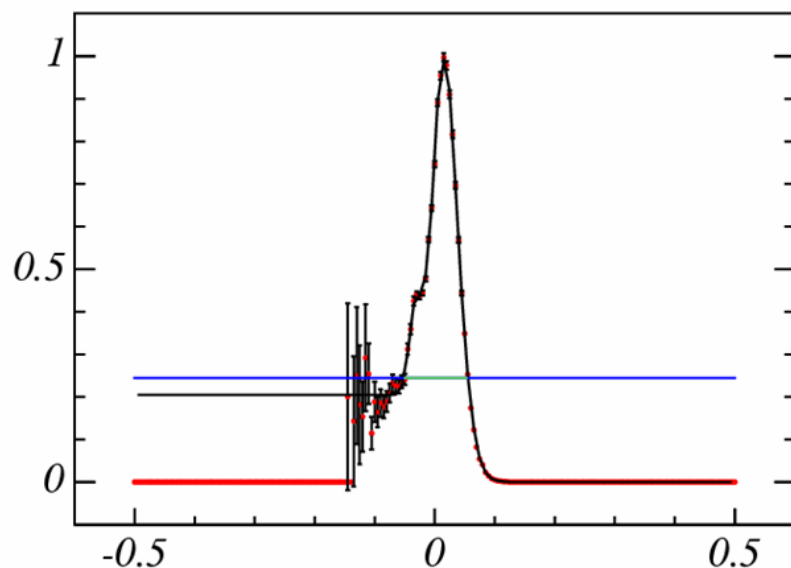
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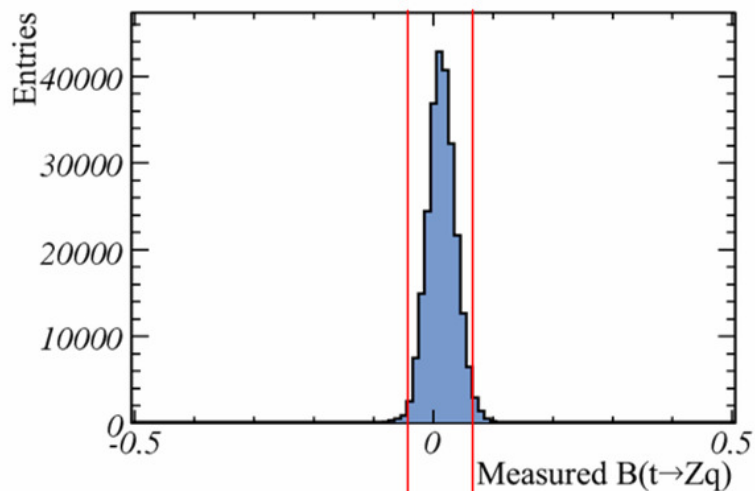
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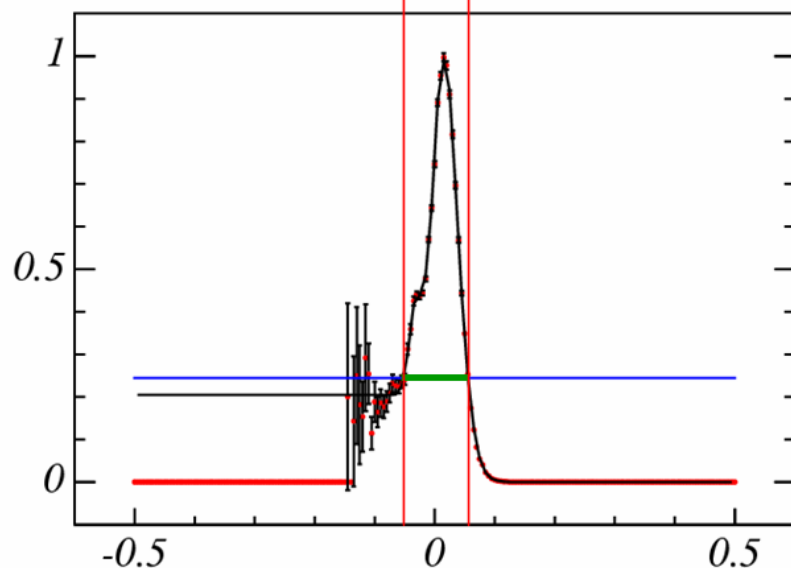
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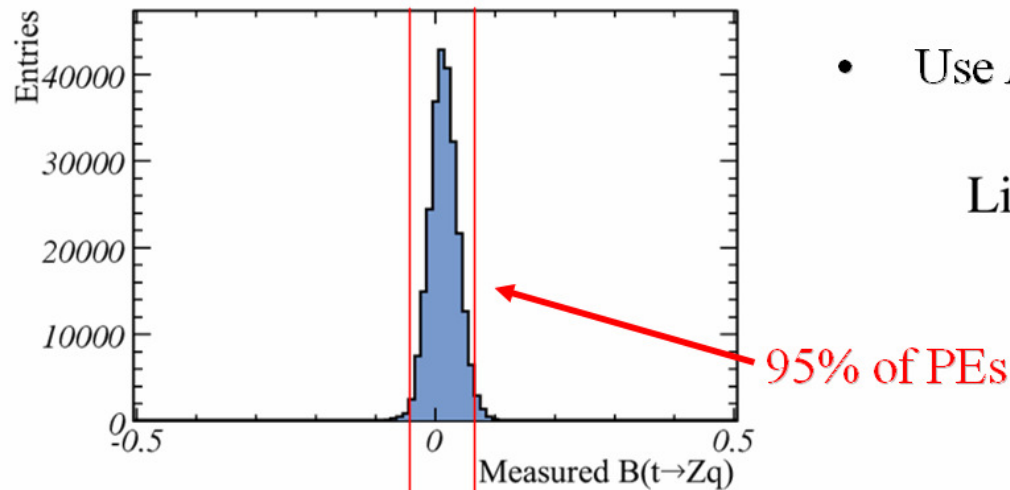
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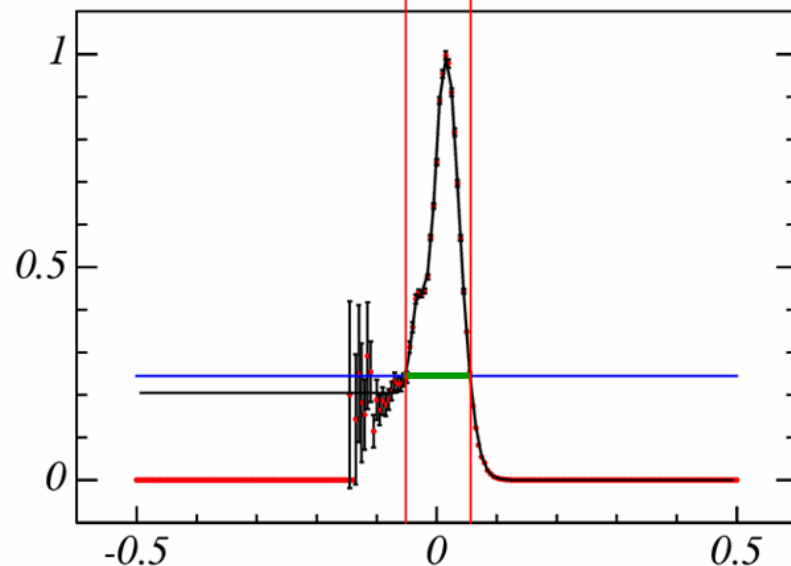
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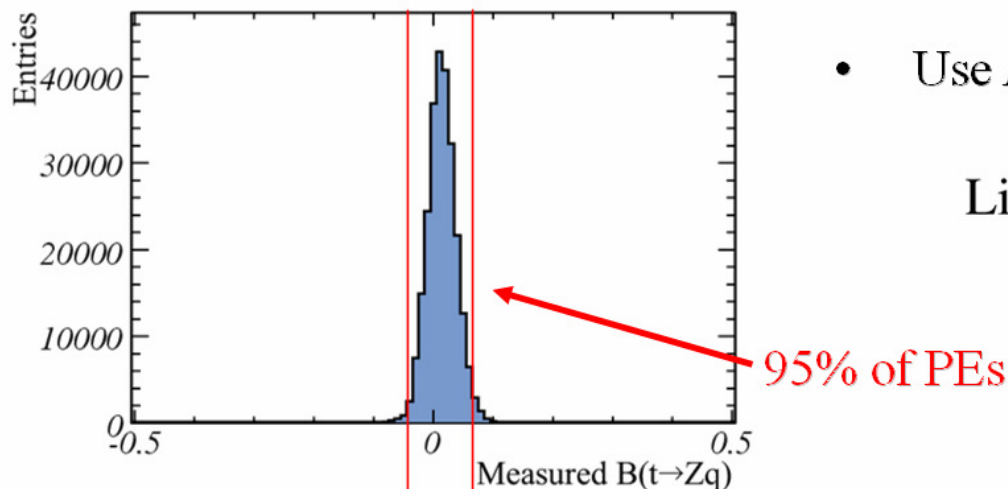
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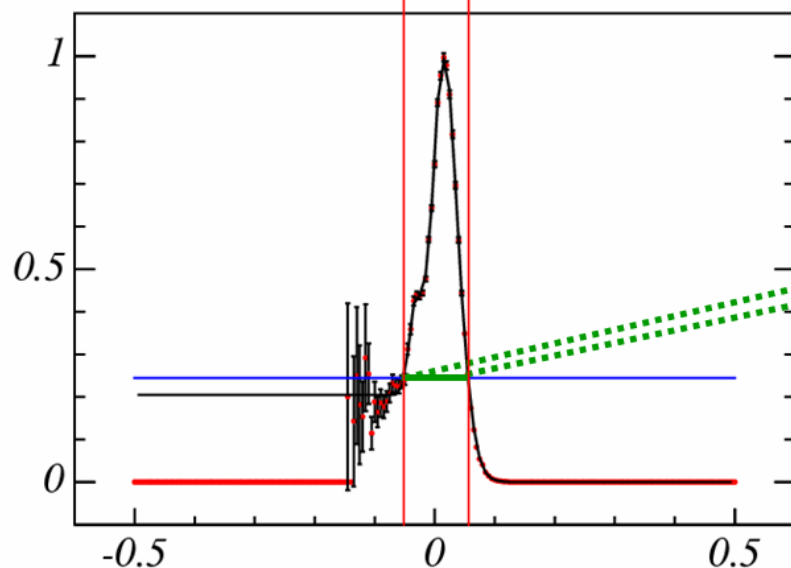
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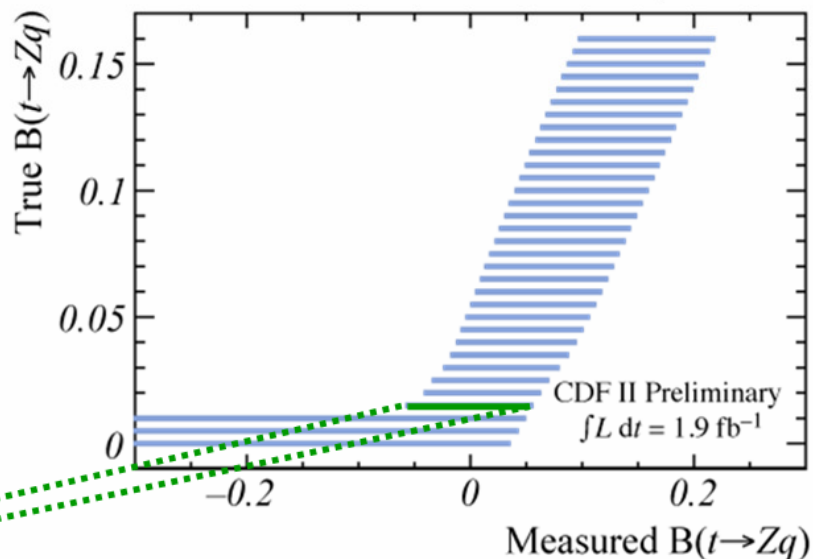
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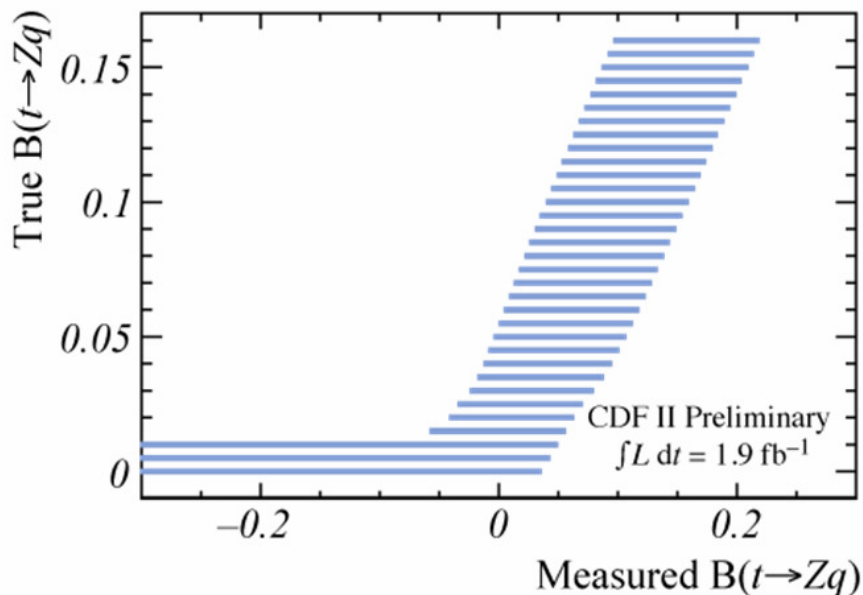
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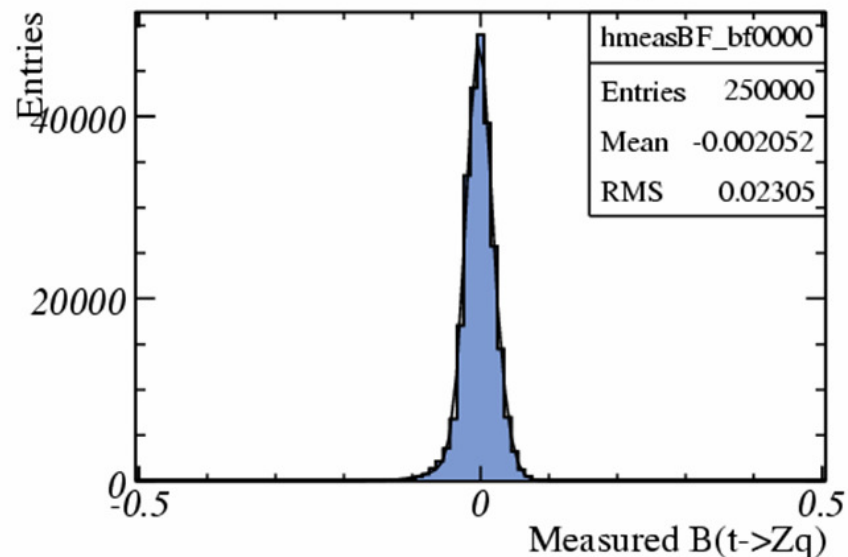
FCNC Feldman-Cousins Band (95% C.L.)



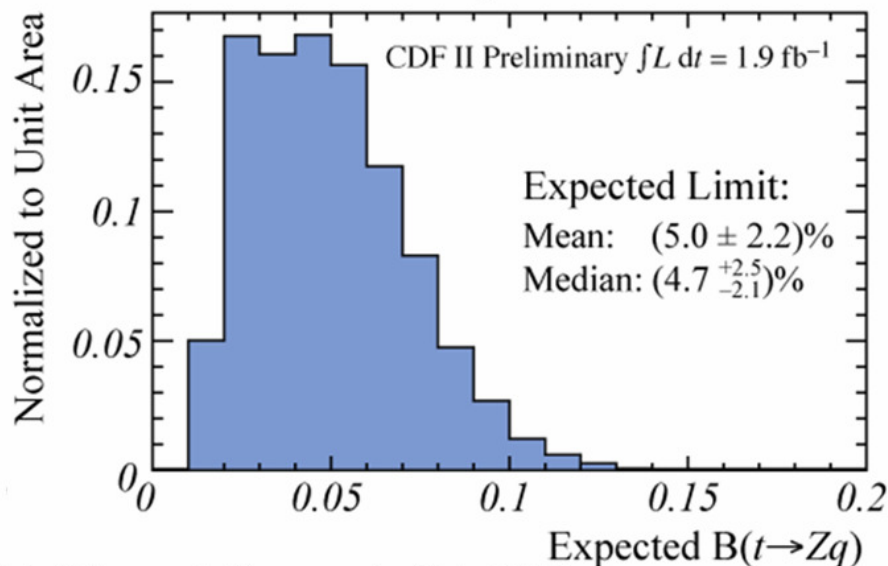
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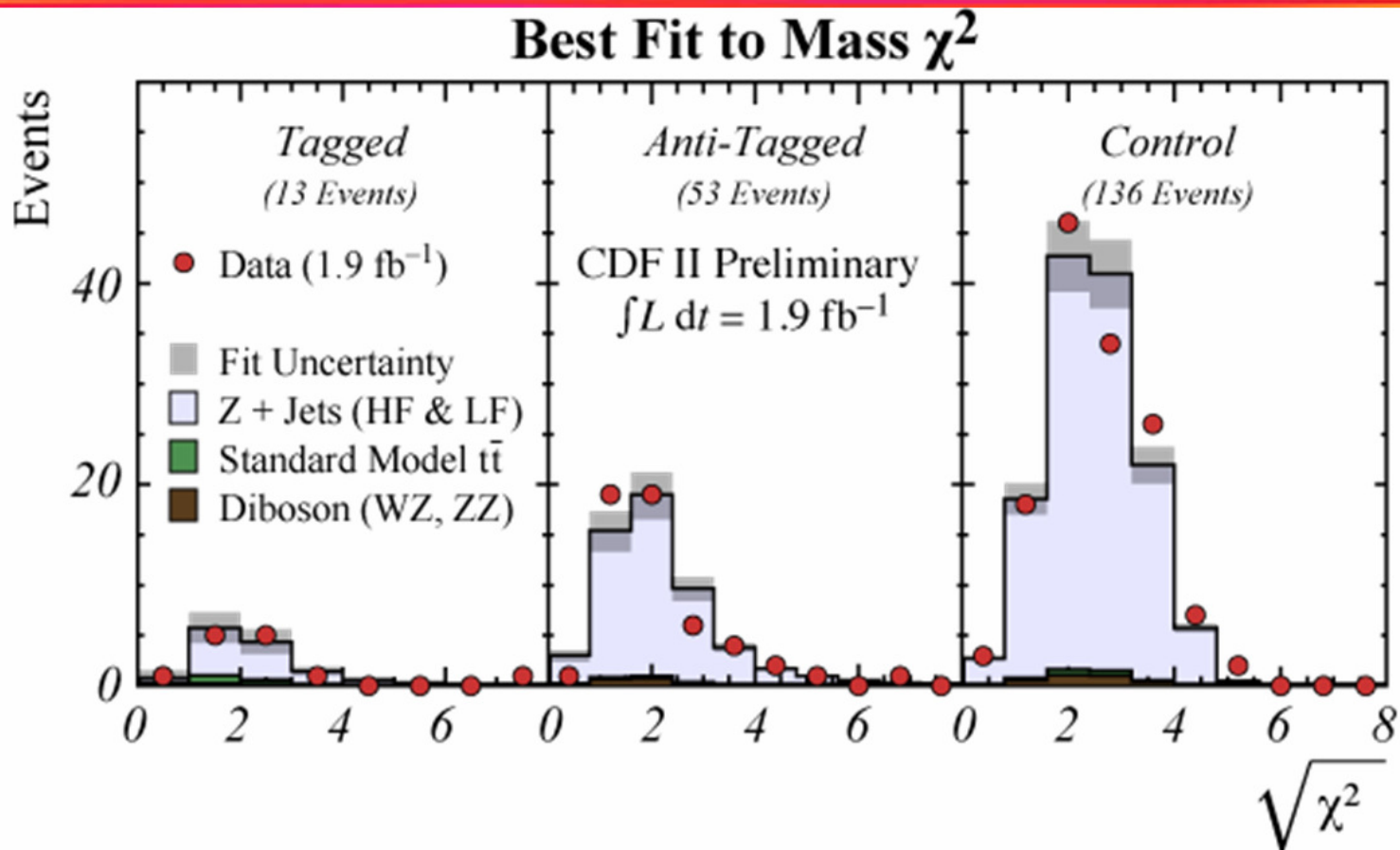
PEs for True $B(t \rightarrow Zq)=0.0000$



FCNC Expected Limit

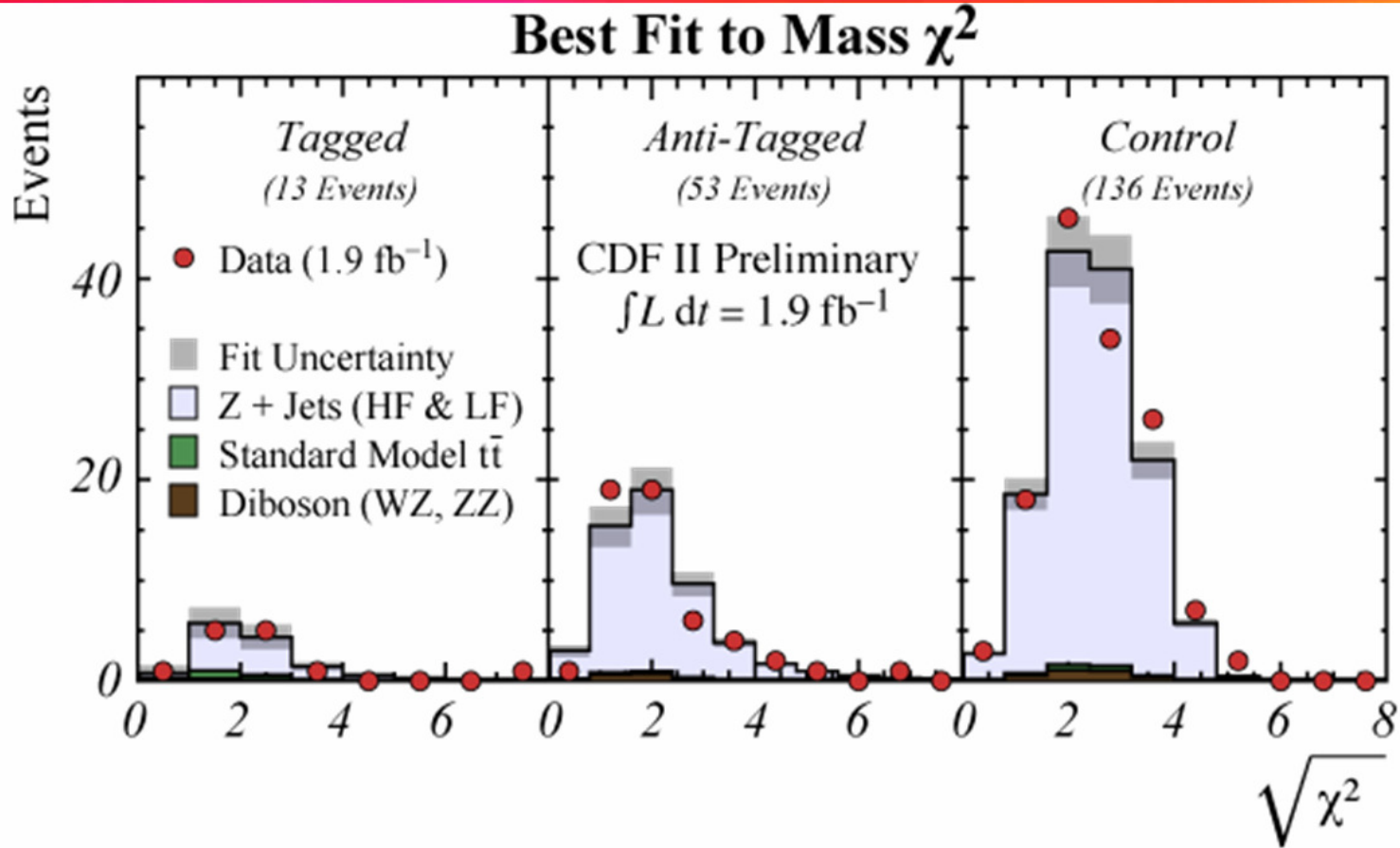


The Fit to the Data



Fit Parameter ($\int \mathcal{L} dt = 1.9 \text{ fb}^{-1}$)	Value		
Branching Fraction, $\mathcal{B}(t \rightarrow Zq)$ (%)	-1.49	\pm	1.52
Z+Jets Events in Control Region, Z_{control}	129.0	\pm	11.1
Ratio Signal/Control Region, \mathcal{R}_{sig}	0.52	\pm	0.07
Tagging Fraction, f_{tag} (%)	20.0	\pm	5.9
Jet Energy Scale Shift, σ_{JES}	-0.74	\pm	0.43

The Fit to the Data



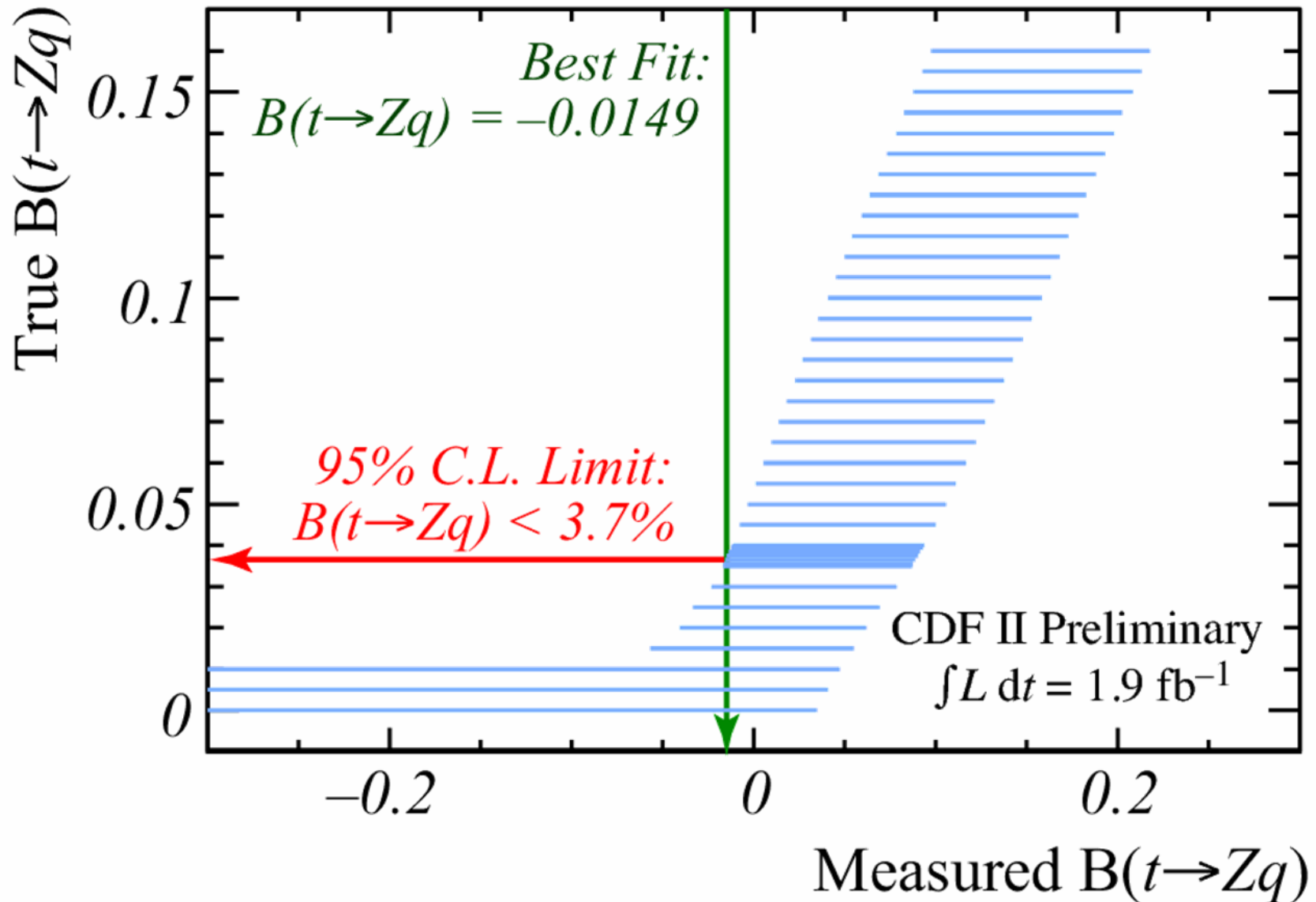
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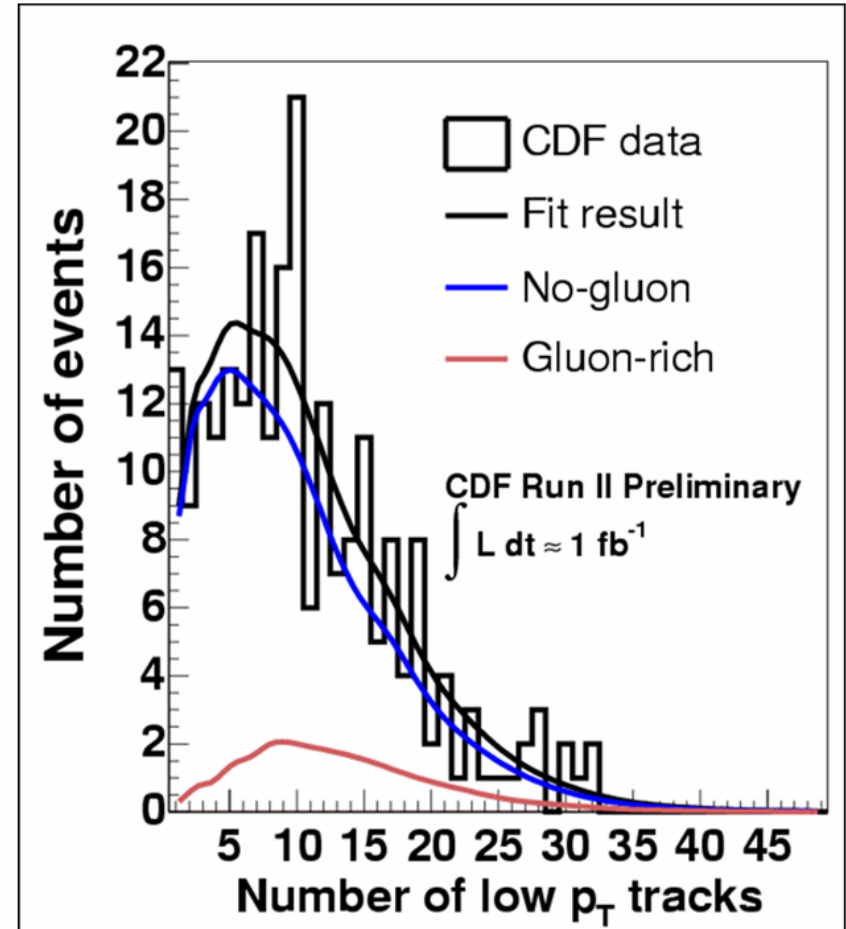
F.C. 95% C.L. Limit



FCNC Feldman-Cousins Band (95% C.L.)



- Theory predicts 15% glue-gluon and 85% quark-antiquark production.
- Two different approaches:
 1. Use low p_T track multiplicities that are **not** from the hard scatter.
 - Uses data to describe qq versus gg
 - QCD Dijets for gg
 - W + 0 jets for qq
 2. Train Neural Net
 - Use both production and decay kinematic variables

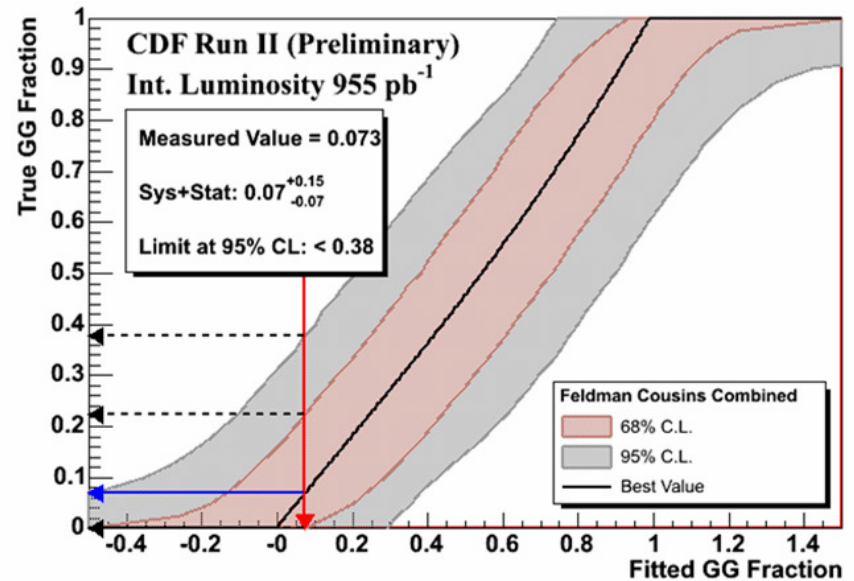
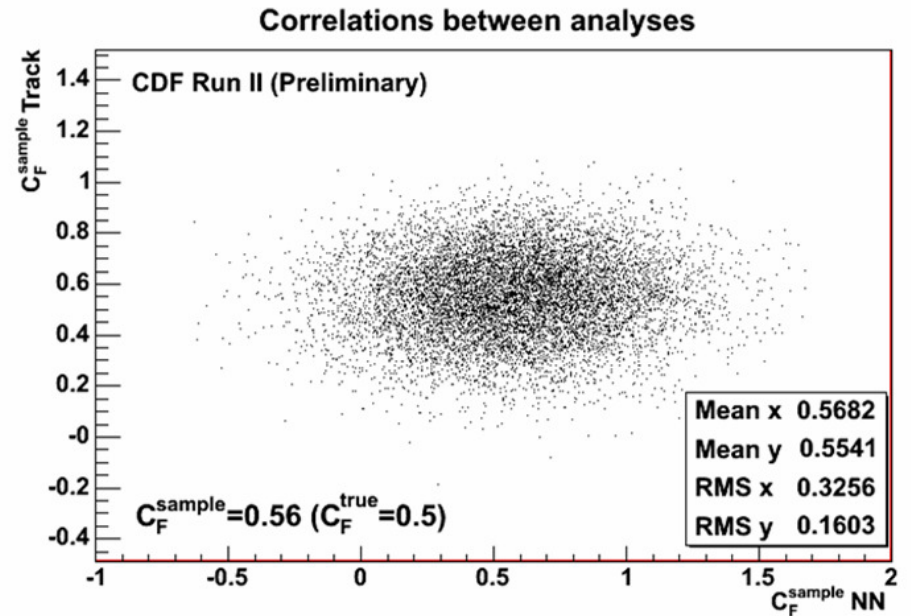


- Combine two methods.
 - Two analyses are **very** uncorrelated with each other!
- Result:

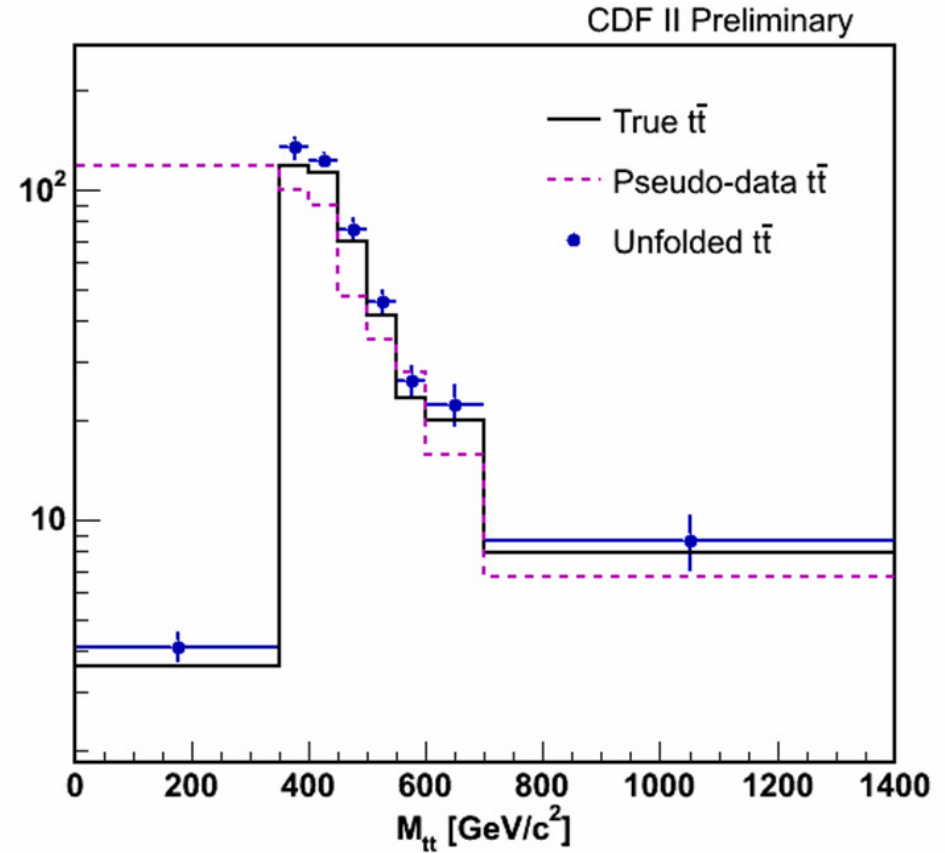
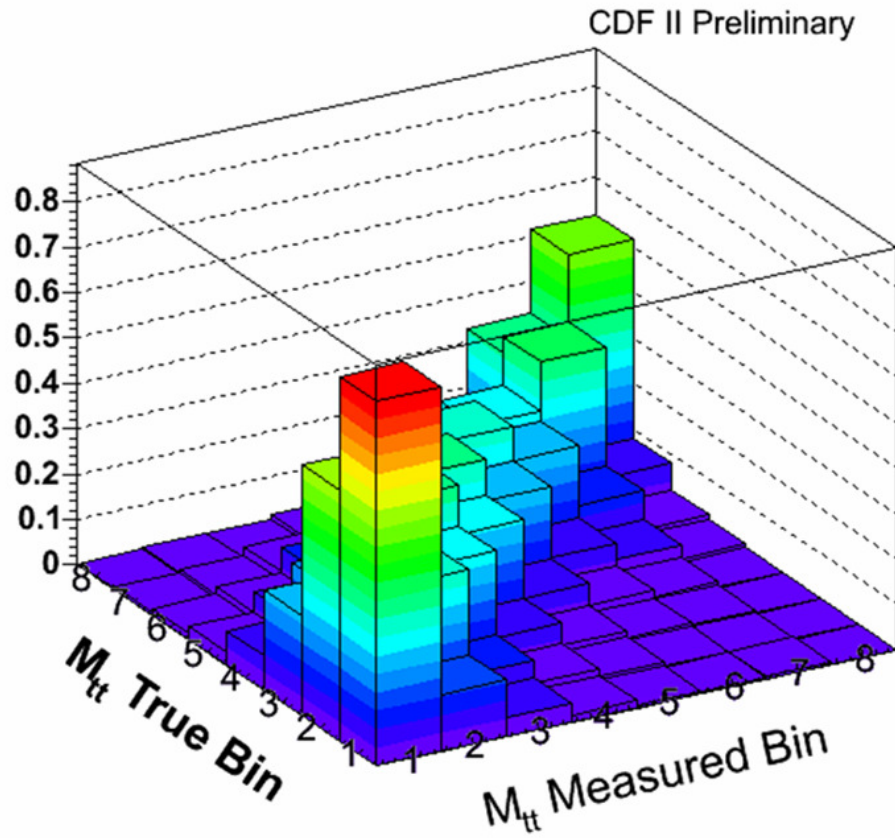
$$\frac{\sigma(gg \rightarrow t\bar{t})}{\sigma(p\bar{p} \rightarrow t\bar{t})} = 7_{-7}^{+15}\%$$

$$\frac{\sigma(gg \rightarrow t\bar{t})}{\sigma(p\bar{p} \rightarrow t\bar{t})} < 38\% \text{ at the 95\% C.L.}$$

Theory : $\frac{\sigma(gg \rightarrow t\bar{t})}{\sigma(p\bar{p} \rightarrow t\bar{t})} = 15\% \pm 10\%$



- Regularized unfolding.

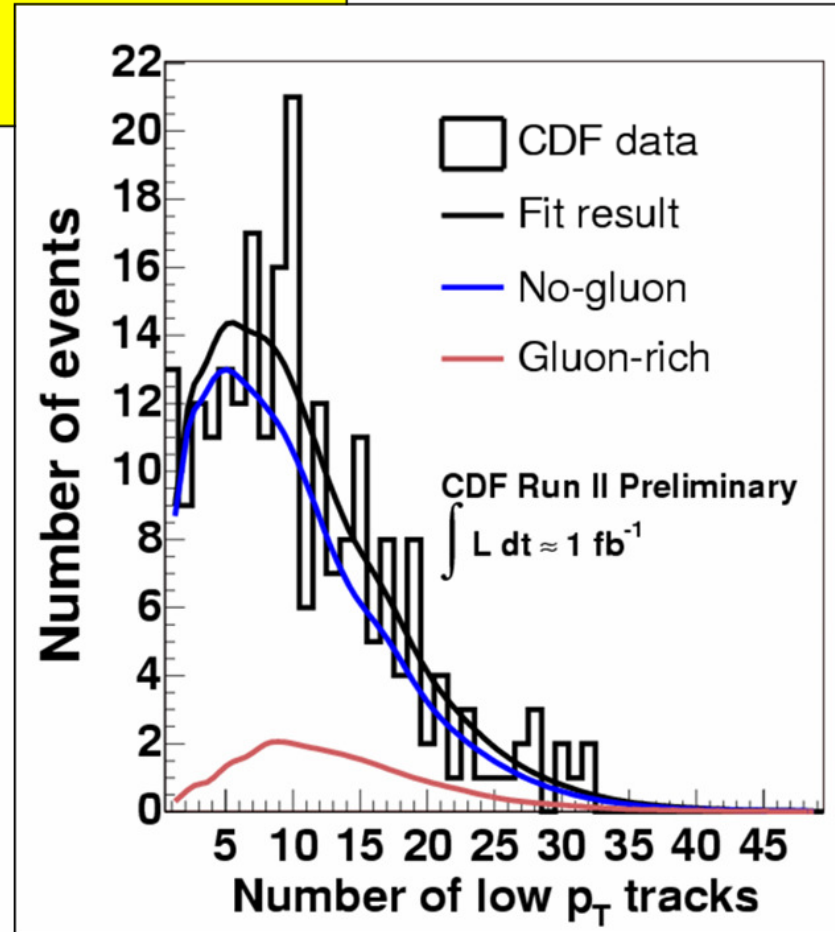
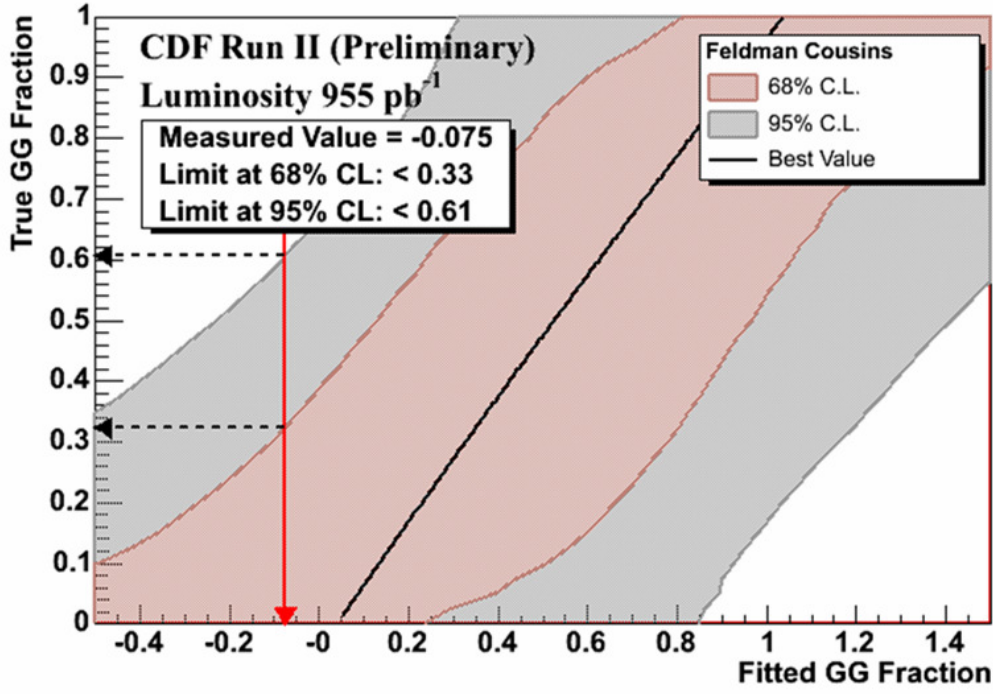


$$\frac{\sigma(gg \rightarrow t\bar{t})}{\sigma(p\bar{p} \rightarrow t\bar{t})} = 0.07 \pm 0.14 \text{ (stat)} \pm 0.07 \text{ (sys)} - \text{Track Density}$$

$$\frac{\sigma(gg \rightarrow t\bar{t})}{\sigma(p\bar{p} \rightarrow t\bar{t})} < 0.33 \text{ at 68\% C.L. - NN}$$

$$\frac{\sigma(gg \rightarrow t\bar{t})}{\sigma(p\bar{p} \rightarrow t\bar{t})} < 0.61 \text{ at 95\% C.L.}$$

Theory : $\frac{\sigma(gg \rightarrow t\bar{t})}{\sigma(p\bar{p} \rightarrow t\bar{t})} = 15\% \pm 10\%$



- CDF and DØ Run I announced the top quark discovery March, 1995.
- This discovery did not “*just happen*”:
 - Other experiments had been looking for the previous 20 years with no (real) top quark discovery.
 - PETRA (DESY): e^+e^-
 - SppS (CERN): $p p$
 - LEP I (CERN): e^+e^-
 - Run I was in its fourth year (after three years of Run 0 and **many years of designing, building, and commissioning** the detectors).



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A Quick Note About Scale

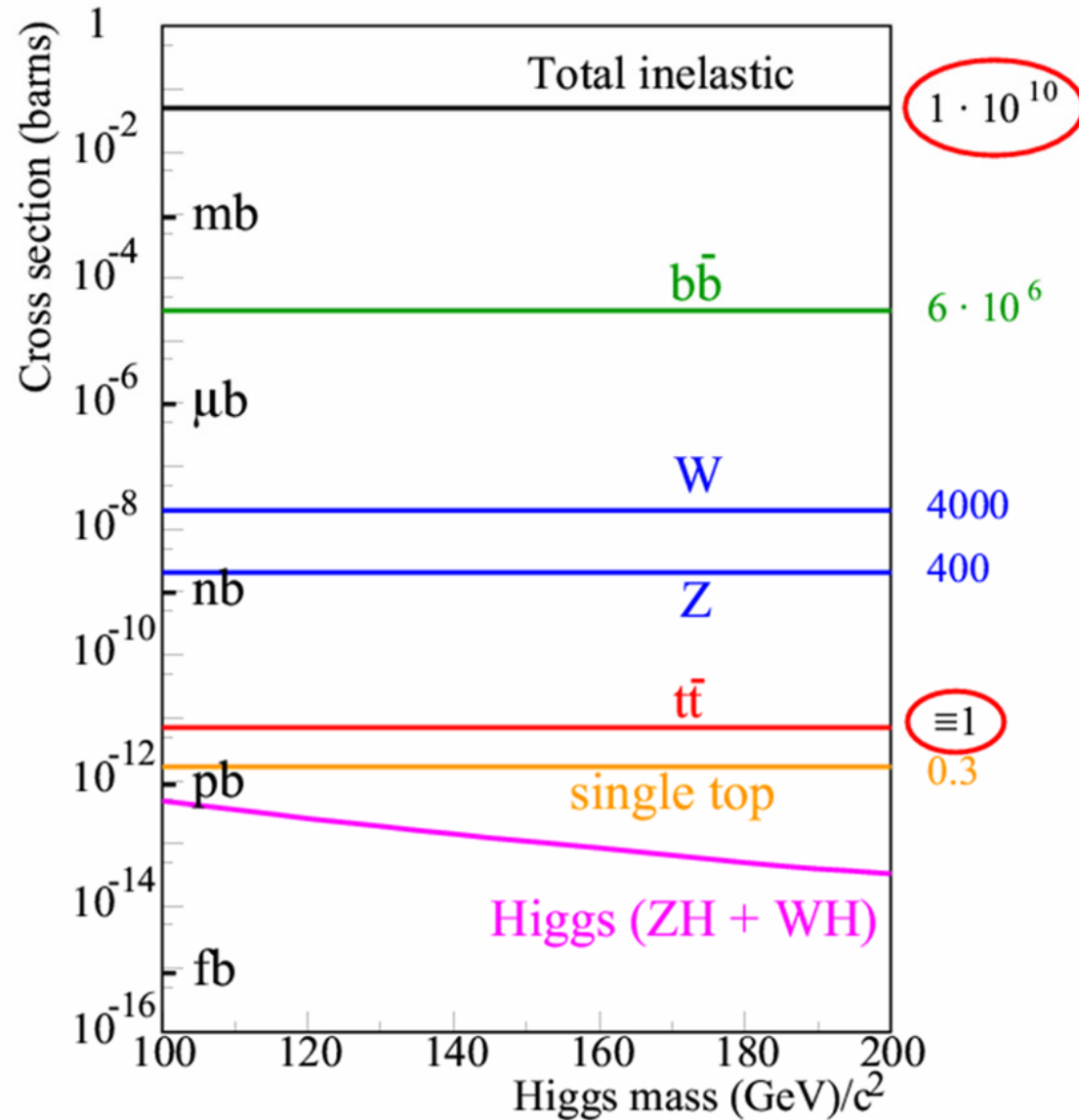


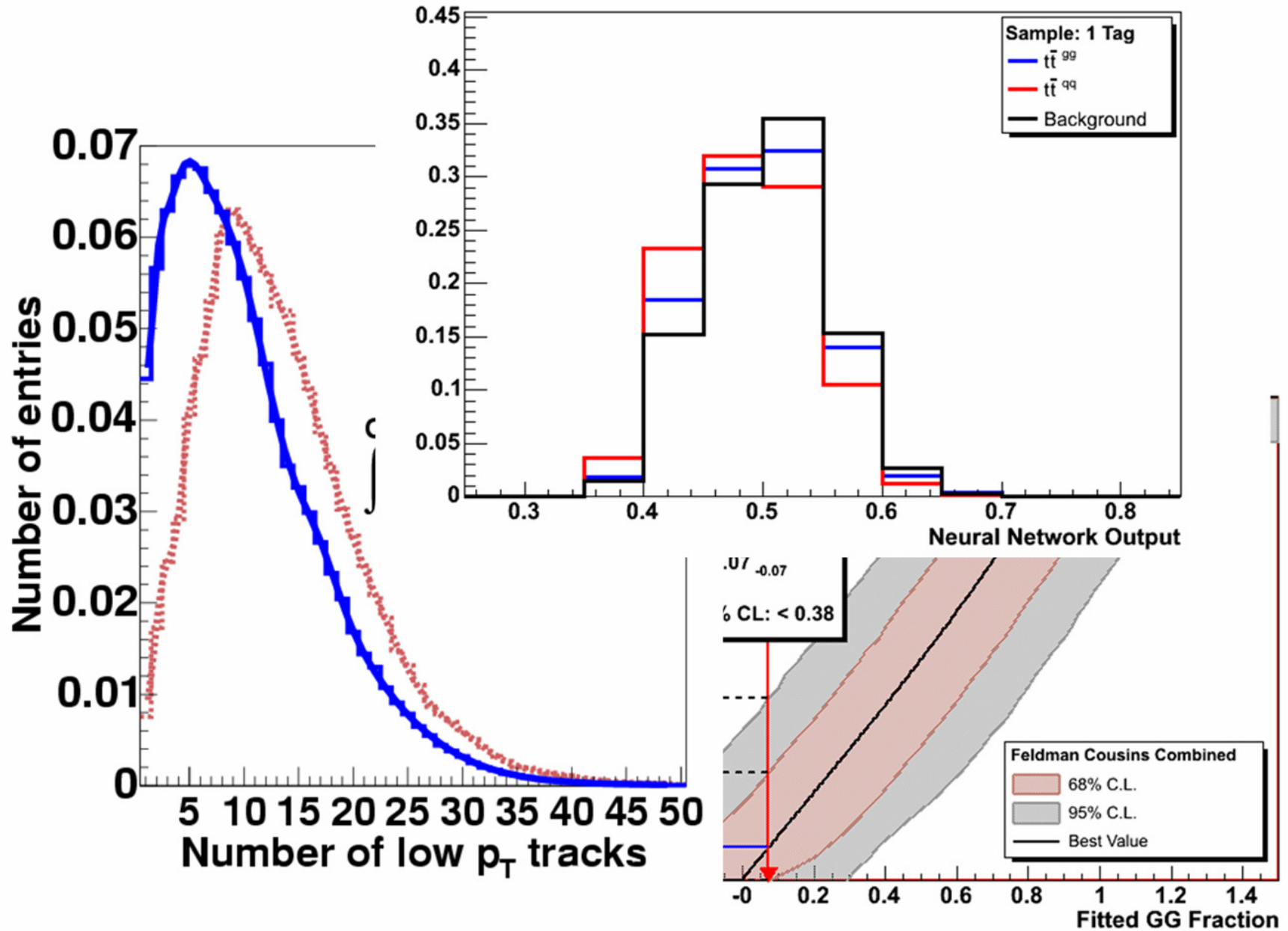
For those not intimately familiar with Tevatron high p_T Physics:

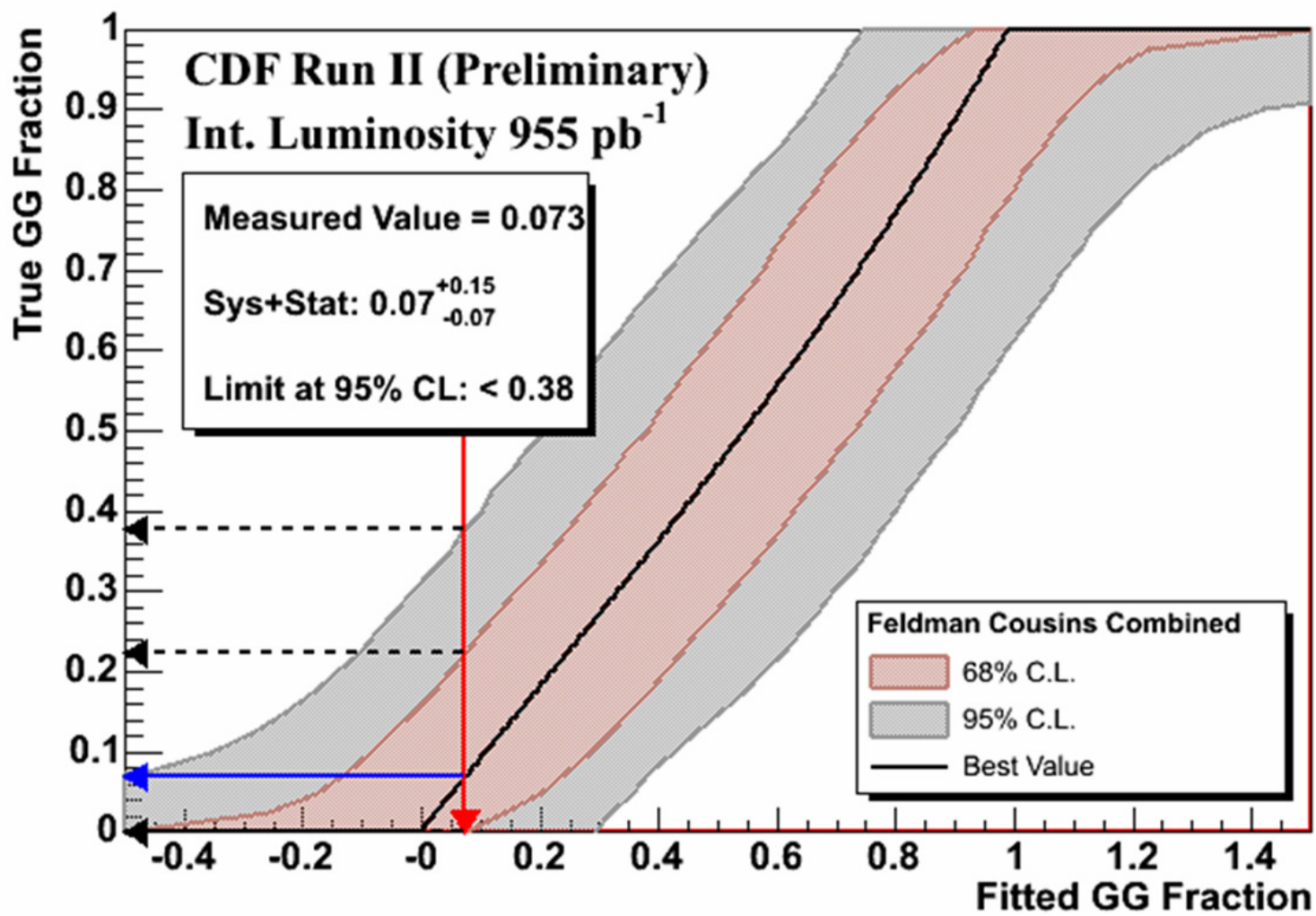
**Top:
1 in 10 Billion**

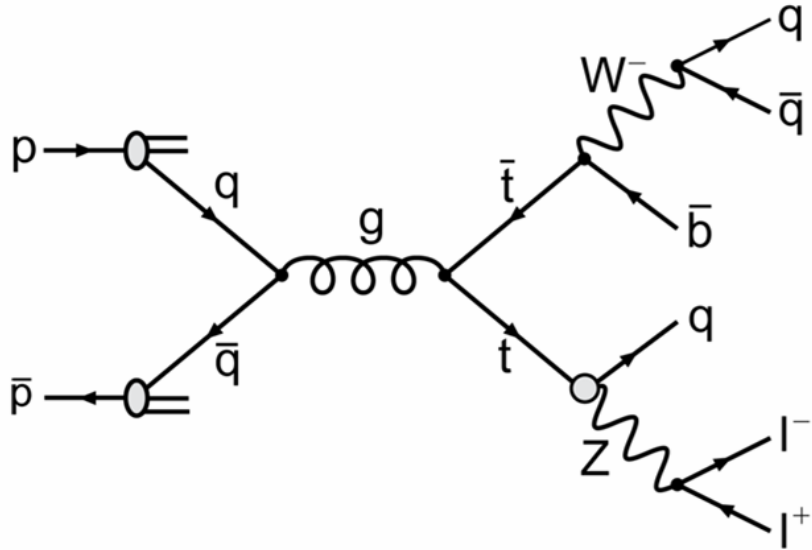
Reducing and understanding backgrounds is the key.

Cross Sections at $\sqrt{s} = 1.96$ TeV









$$\chi^2 = \left(\frac{m_{W,\text{rec}} - m_{W,\text{PDG}}}{\sigma_W} \right)^2 + \left(\frac{m_{t \rightarrow Wb,\text{rec}} - m_t}{\sigma_{t \rightarrow Wb}} \right)^2 + \left(\frac{m_{t \rightarrow Zq,\text{rec}} - m_t}{\sigma_{t \rightarrow Zq}} \right)^2$$