

Multi-Beam Strategy for Low Energy Neutrino-Nucleus Cross-Sections

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in collaboration with John P. Ralston

The University of Kansas

Pheno 2008 Symposium

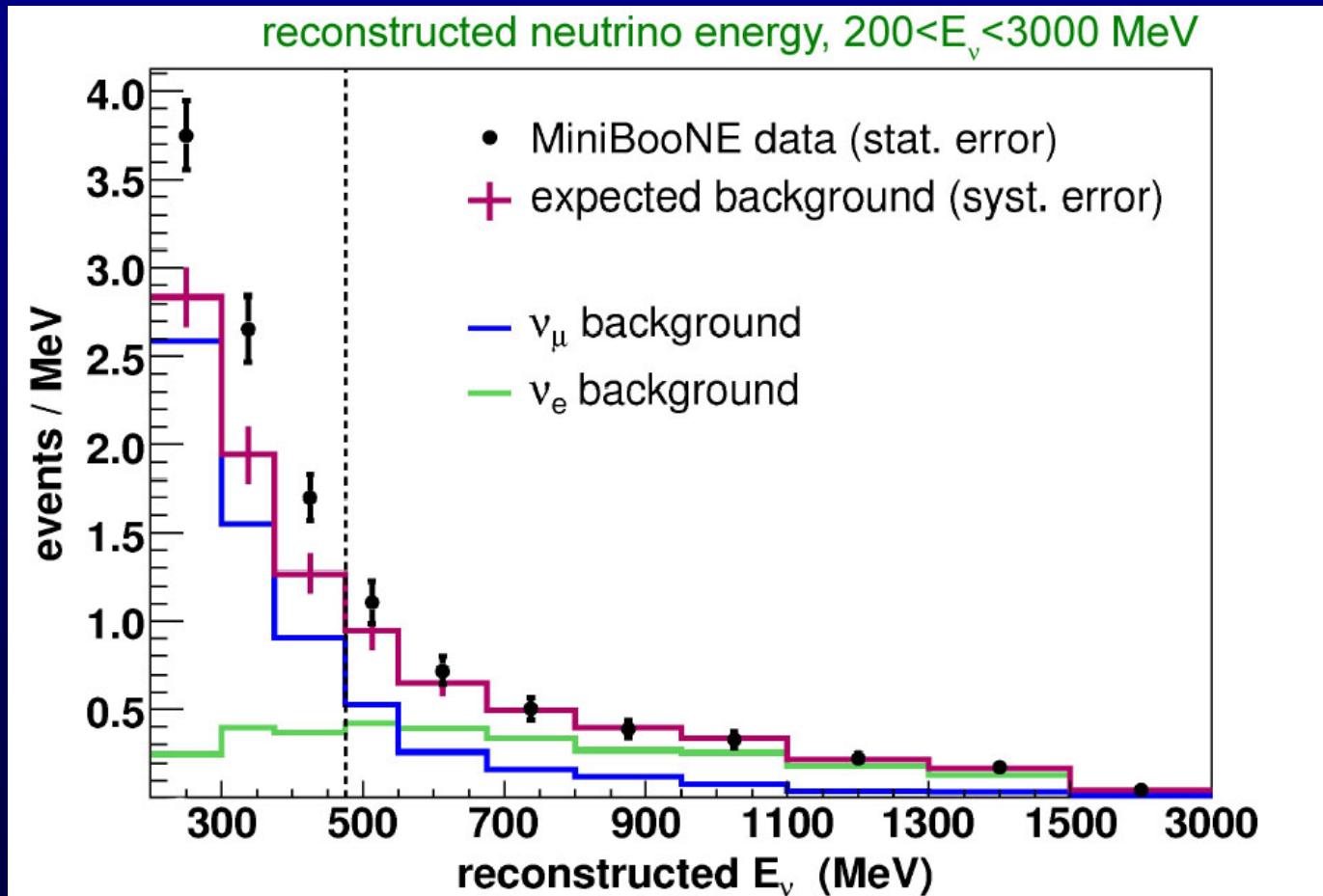
April 28th 2008

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Last year at Pheno ...

MiniBooNE Low Energy Excess



Some Ideas to Explain the Low Energy Excess

*Sterile Neutrinos
(3+2, 3+3 models)*

*Lorentz Violating
Neutrinos*

*ν_2 decay to
 $\nu_1 + \text{unparticle}$*

*Shortcuts Through
Extra Dimensions*

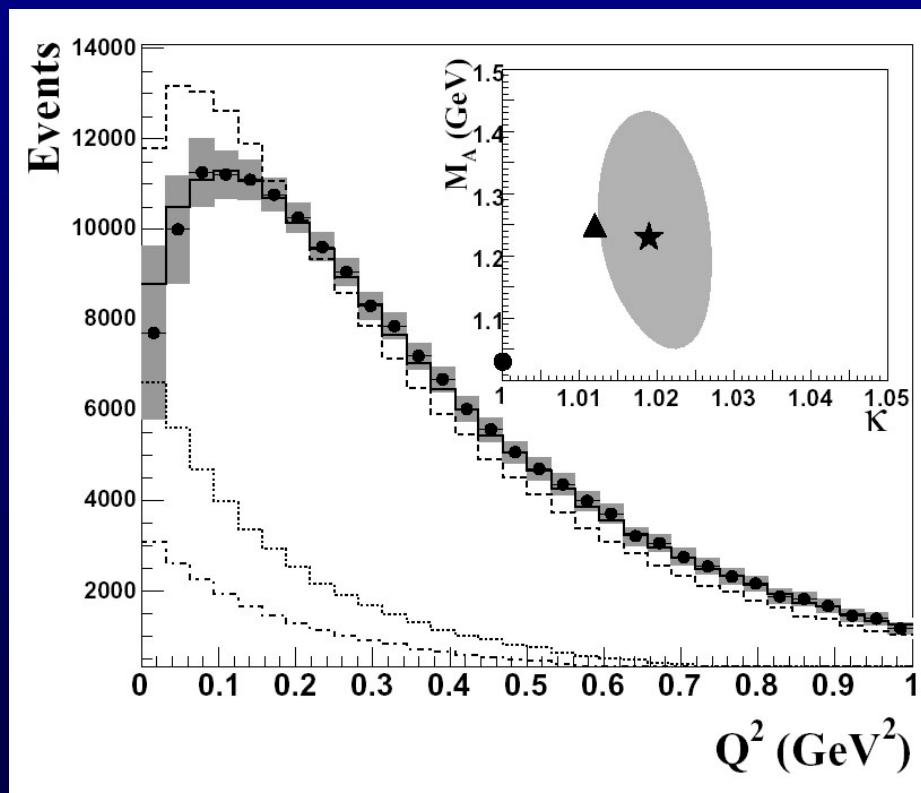
*Muon Internal
Bremsstrahlung*

*Nuclear Target
Effects in ^{12}C*



MiniBooNE fits Parameters based on Muon Data ...

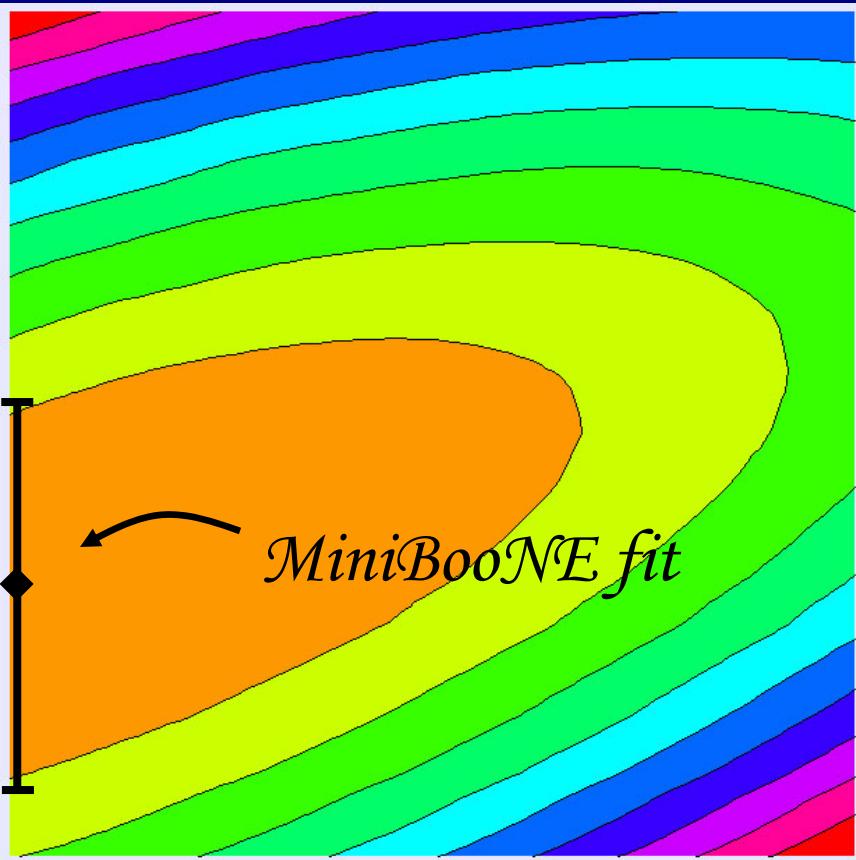
Pauli-blocking Parameter κ



(Source: Phys. Rev. Lett. 98, 231801 (2007))

... but neglects Coherent Scattering!

Pauli-blocking Parameter κ

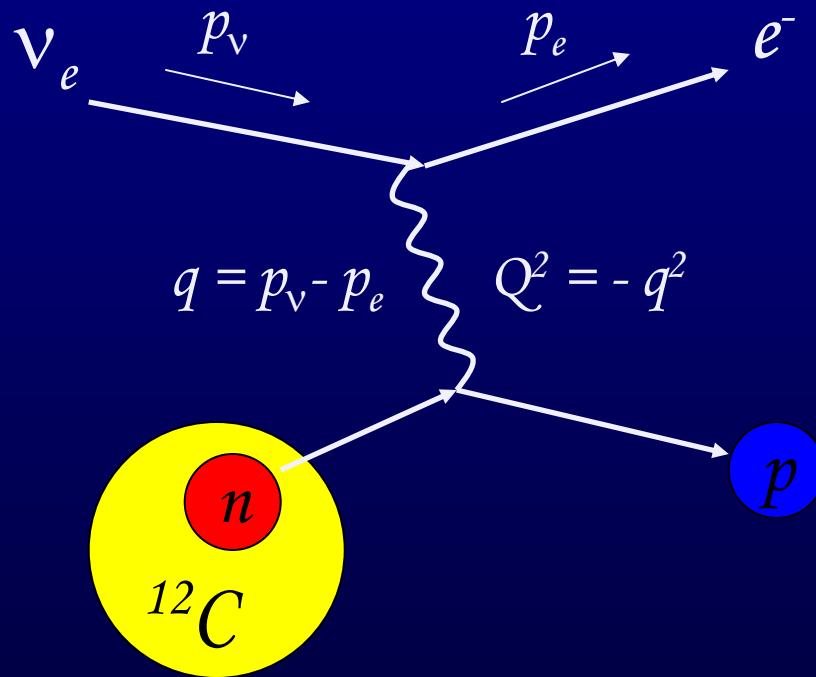


Coherent scattering contribution

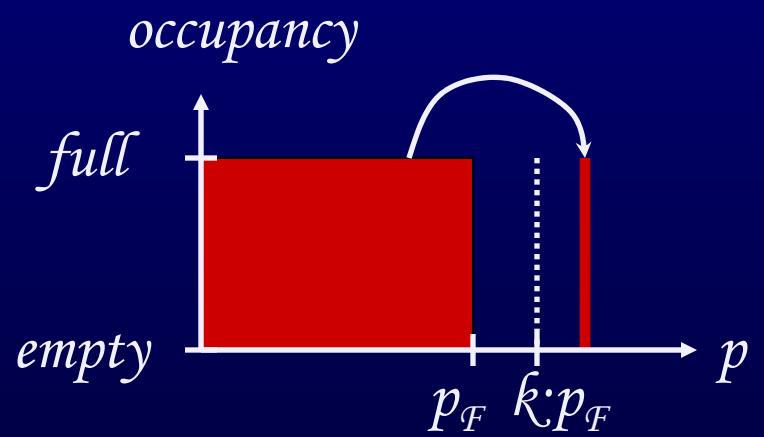
Parameter degeneracy!

*MiniBooNE analysis
neglects coherent
scattering!*

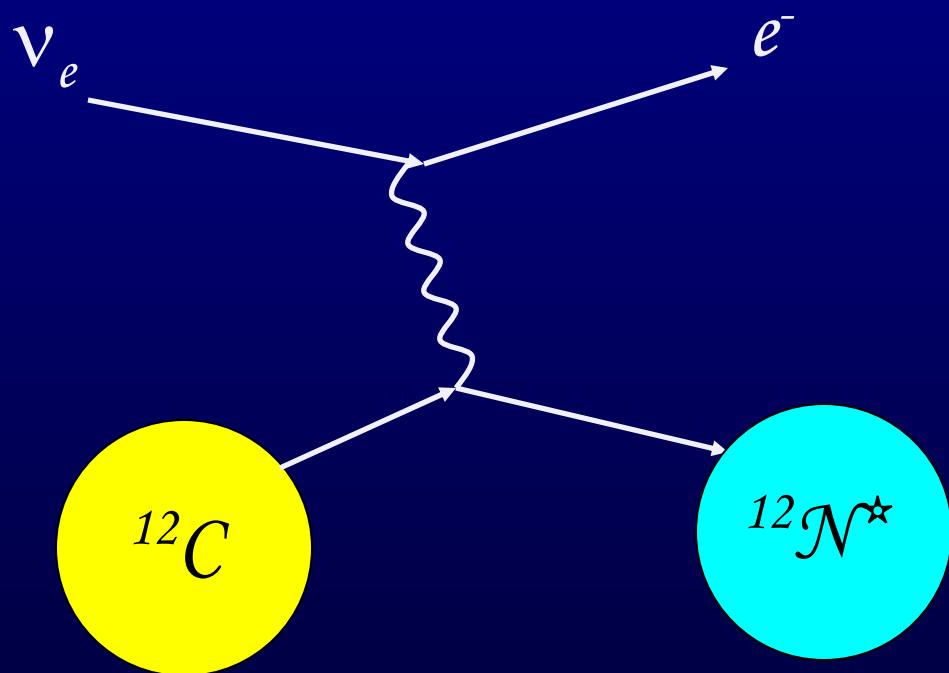
Charged-Current Quasi-Elastic Process “CCQE”



Fermi Gas Model:



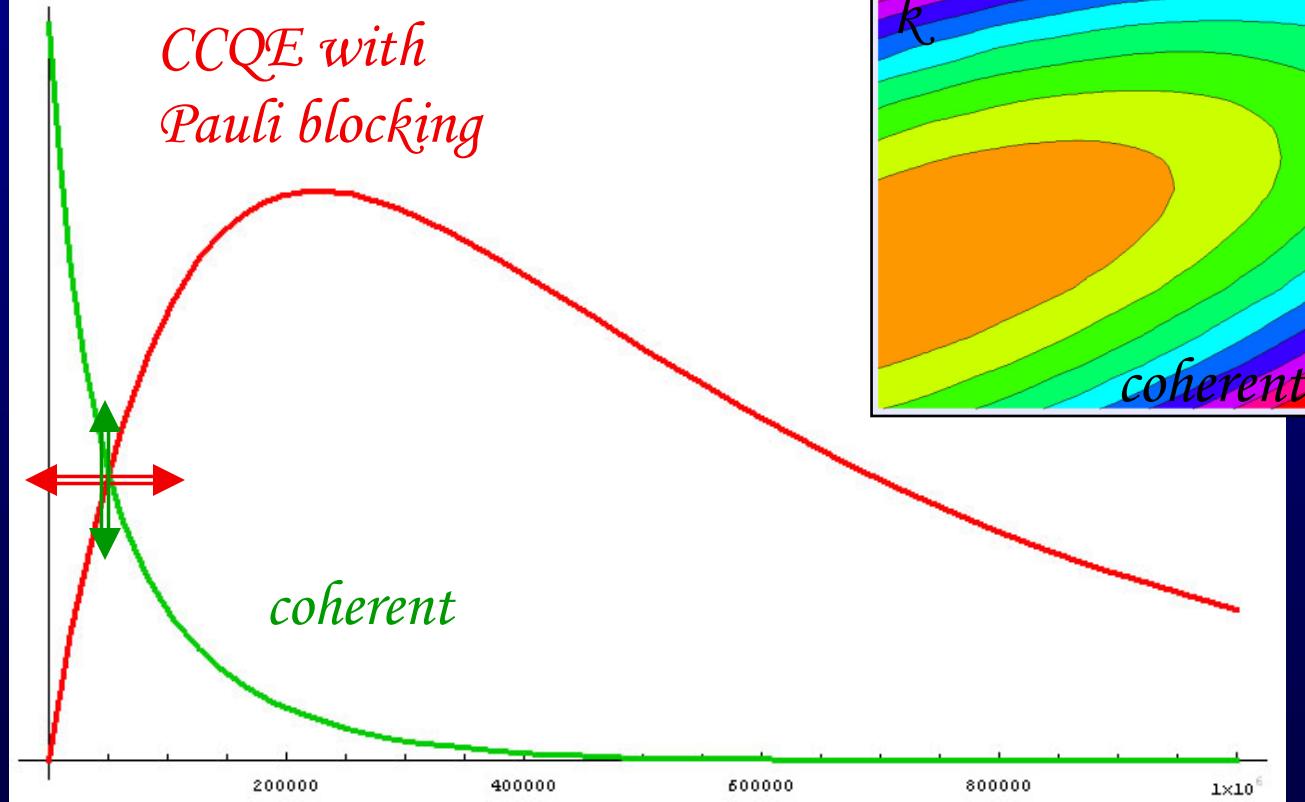
Coherent Scattering



- *Important at lower energies!*
- *Use inclusive cross-section (to ground and excited states)*

Parameter Degeneracy

$d\sigma/dq^2$



$Q^2 \text{ (MeV}^2)$



How to Resolve the Parameter Degeneracy

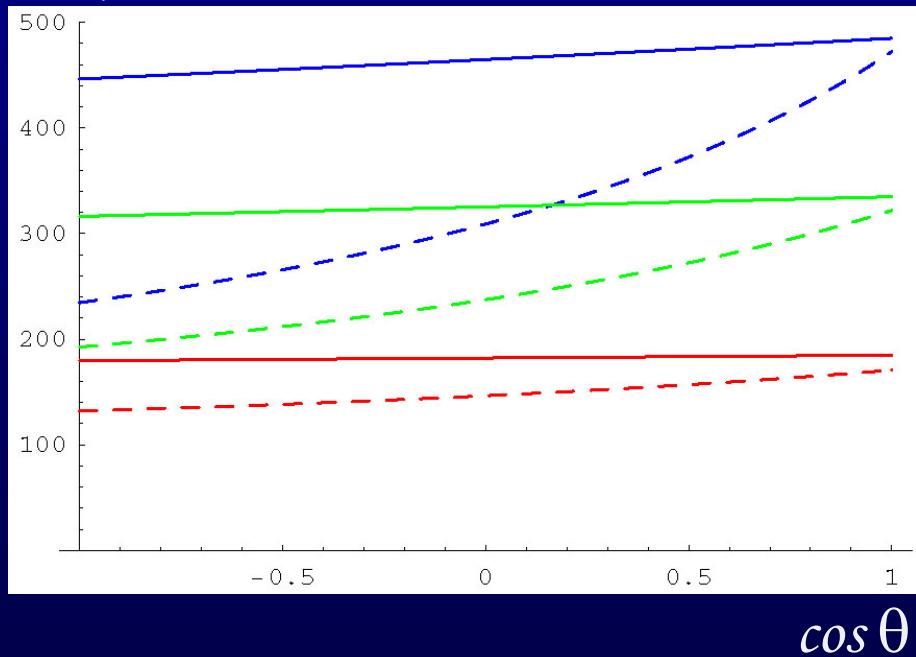
- *Measure the recoiled target*
 - K2K did this with discouraging results
 - And it gets harder at lower energies!
- *Use a monochromatic neutrino beam*
 - Only available from charged pion decay, yielding too low energies



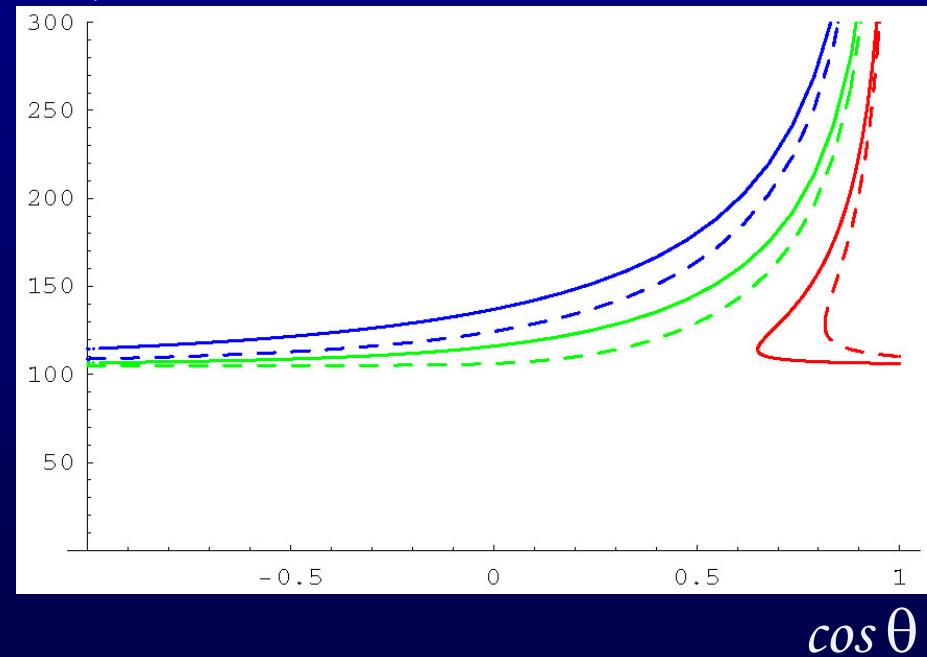
Kinematics

coherent — vs. *incoherent (CCQE)* - - -

E_μ



E_μ



$$E_\nu = 200 \text{ MeV}, 350 \text{ MeV}, 500 \text{ MeV}$$

$$Q^2 = (105 \text{ MeV})^2, (140 \text{ MeV})^2, (176 \text{ MeV})^2$$

Multi-Beam Strategy

$$R^A(p, \theta) = \frac{d\sigma_{QE}}{dq^2} f^A(E_\nu | p, \theta, QE) + \frac{d\sigma_{coh}}{dq^2} f^A(E_\nu | p, \theta, coh)$$

Multi-Beam Strategy

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$$R^B(p, \theta) = \frac{d\sigma_{QE}}{dq^2} f^B(E_\nu | p, \theta, QE) + \frac{d\sigma_{coh}}{dq^2} f^B(E_\nu | p, \theta, coh)$$

Multi-Beam Strategy

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Can solve for cross-sections if fluxes are linearly independent:

$$f^A(E_\nu | p, \theta, QE) f^B(E_\nu | p, \theta, coh) - f^A(E_\nu | p, \theta, coh) f^B(E_\nu | p, \theta, QE) \neq 0$$

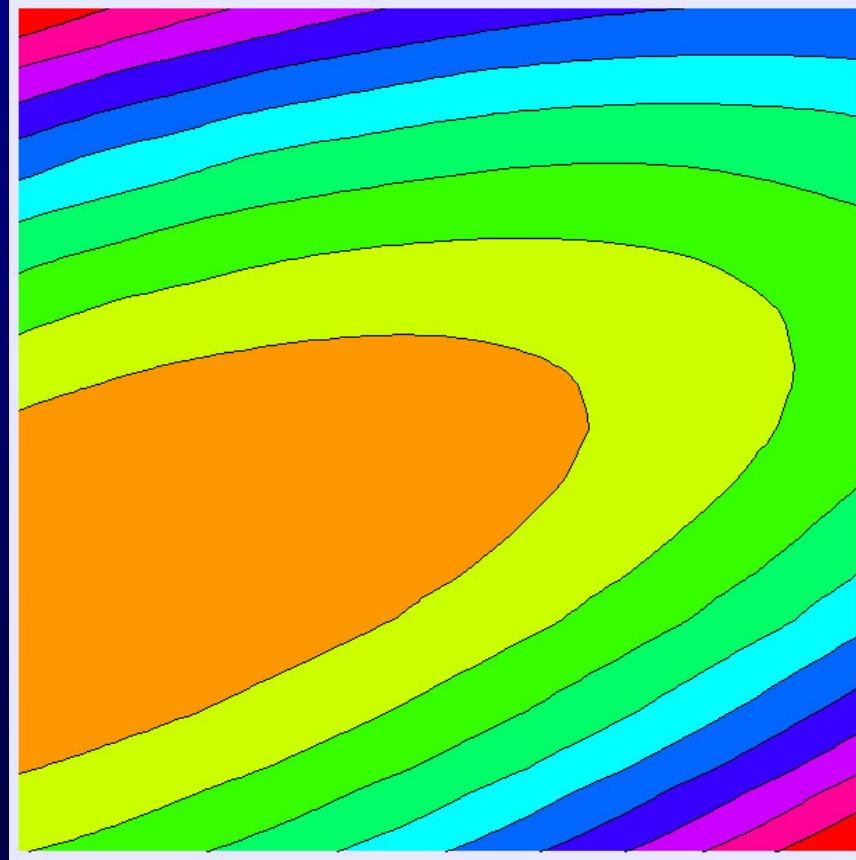
→ Need two neutrino beams with different neutrino spectra!

Multi-Beam Strategy

- *The “LSND beam” perfectly complements the “MiniBooNE beam” for low energies*
- *Integrate in (p, θ) space to get better statistics*



MiniBooNE



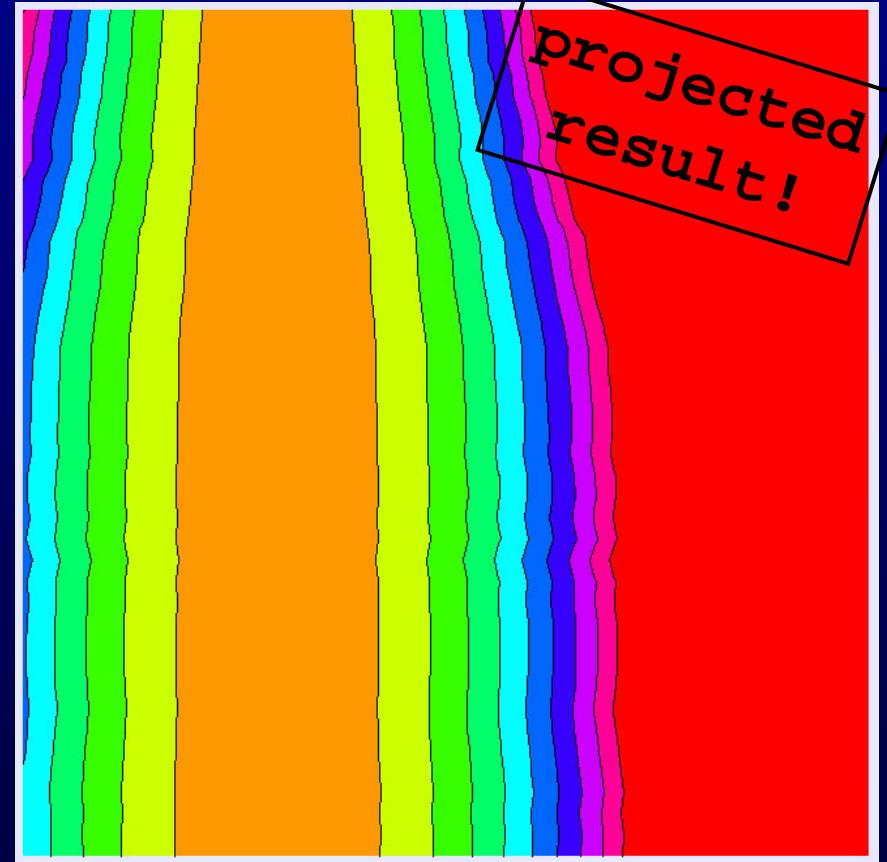
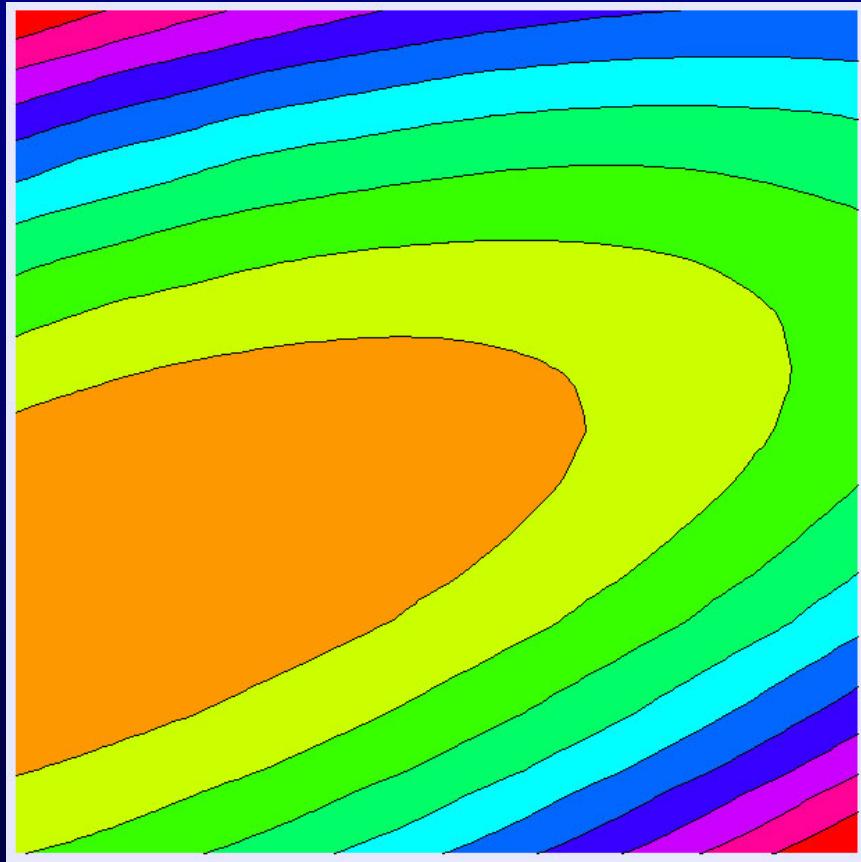
Coherent scattering contribution

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MiniBooNE

LSND



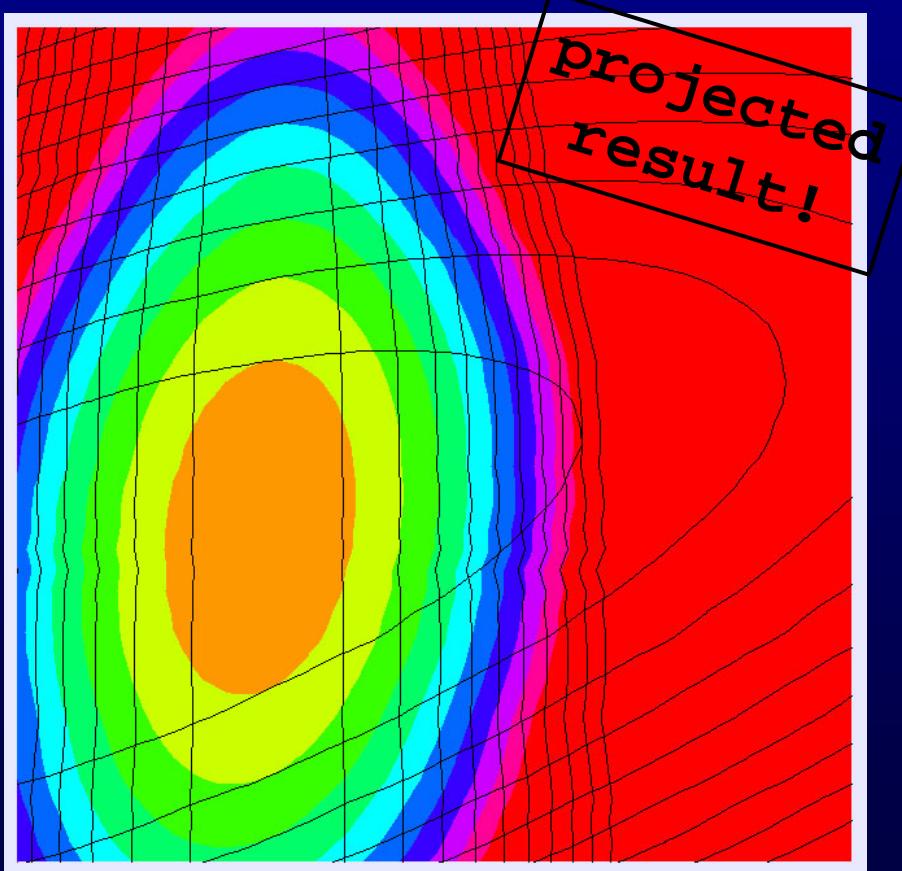
Coherent scattering contribution

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Combined results

κ

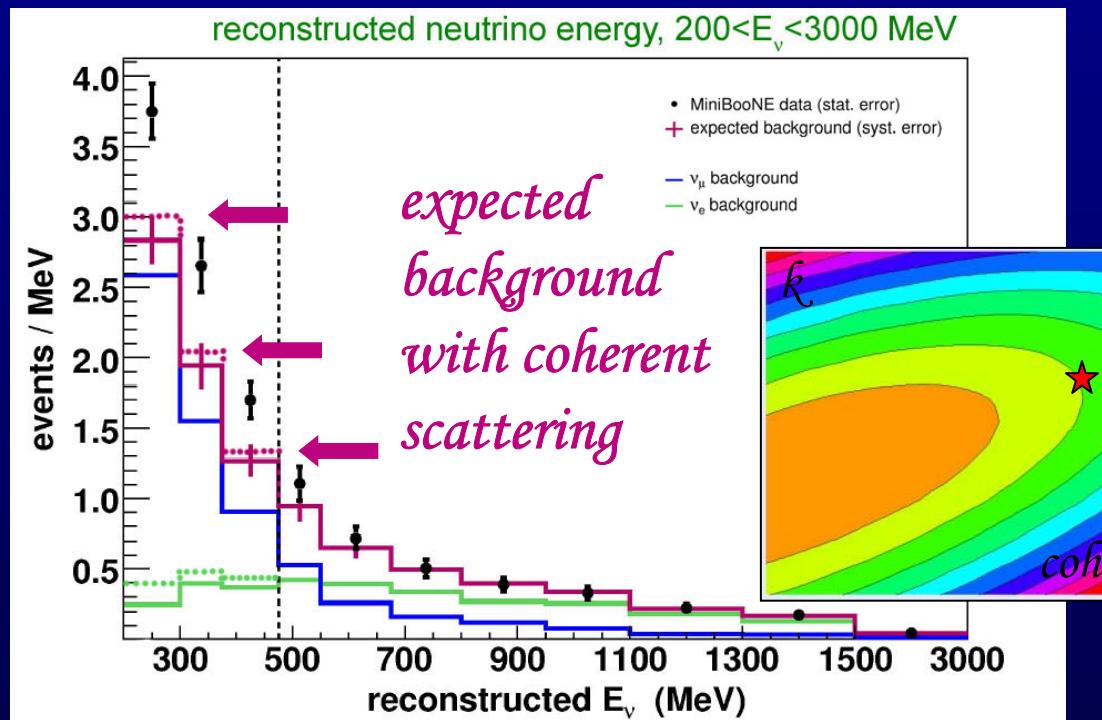


*Degeneracy
resolved!*

Coherent contribution



$\mathcal{L} \text{ow } E$ excess revisited



includes coherent process

- Even with extreme parameters for coherent scattering, the discrepancy remains
- Is this a real signal, after all?

Conclusions

- *Multi-Beam Strategy can resolve the parameter degeneracy*
- *Even extreme parameters don't explain the discrepancy (new physics?)*
- *Coherent contribution is significant, needs to be taken into account in future experiments!*

