

Holography and DEWSB at the LHC

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+ work in progress

What we know:

- Strong interactions are difficult!
- Rescaled QCD models are ruled out:

$$\begin{aligned} f_\pi &\rightarrow v \\ \pi_a &\rightarrow W_L, Z_L \\ \rho, a_1 &\rightarrow \rho_T, a_T \end{aligned}$$

S parameter:

$$S > 0, \mathcal{O}(1)$$

Peskin-Takeuchi'90

- EW scale strong interactions must be very different from QCD -- **But then how do we calculate?**
- Many attempts have been made...

What's been done:

Very few collider studies!

- 4D:

Walking Technicolor (Lane)

Topcolor (Hill)

Low-Scale TC (LSTC) (Lane)

(D)BESS (Casalbuoni et al)

Low-N TC (Sannino)

Deconstructed Higgsless (Chivukula)

...

Full Collider Study

- 5D:

Higgsless (Csaki et al)

Composite Higgs (Pomarol et al)

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Parton Level

Common feature: TeV scale spin-1 resonances (ρ_T, W_{KK})

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More Comprehensive Collider Studies

Common feature: TeV scale spin-1 resonances (ρ_T, W_{KK})


Moving beyond Models: Proposal

- Most general $\mathcal{L}(\text{SM} + \text{spin} - 1)$ has $\mathcal{O}(100)$ parameters
 way too many for practical pheno!

Need an organizing principle

- Start by extending holographic techniques; Can we expose new + distinct features?
- **NOT** a new model, **RATHER** an organizing scheme
- Implement this scheme into matrix-element generator
No models currently implemented!

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a DEWSB equivalent of what mSUGRA is for MSSM

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Short answer: Yes

- **NOT** a new model, **RATHER** an organizing scheme
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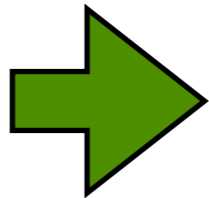
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Higgsless Basics:

- **AdS/CFT** inspired 5D version of strong DEWSB
- 5D interval $z \in (\ell_0, \ell_1)$; containing $SU(2)_L \otimes SU(2)_R$ gauge fields.
- Bulk geometry usually: $\frac{\ell_0^2}{z^2} (\eta_{\mu\nu} dx^\mu dx^\nu - dz^2)$
- BC break EWS \longrightarrow KK tower of states;
zero modes are γ, W^\pm, Z^0
+Vector, Axial resonances (not quite!): W_n^\pm, Z_n
- Resonance couplings: $g_{ABC} \propto \int_{\ell_0}^{\ell_1} dz \frac{\ell_0}{z} \phi_A(z) \phi_B(z) \phi_C(z)$

Higgsless cont.

- small g_5 \longleftrightarrow large N_{TC}
- Spectrum: tower of **narrow, weakly interacting resonances** (large N_{TC})
 - large coupling to W_L, Z_L comes from plugging in polarizations
 - exchange of **many** resonances delays unitarity violation
- **BUT**, 5D+bifundamental leads to **QCD-like spectrum**
 $S > 0, \mathcal{O}(1)$; Small perturbations don't help
(Agashe et al '07)

Models can be made viable
at the expense of $g_{ffV} \cong 0$  Limited
Phenomenology

Our scheme: Modifying Holography

- How can we extend the Holographic framework to incorporate new features?
- **Effective warp factors:**

$$\mathcal{L} = -\frac{1}{2g_5^2} \int dx \, \omega_V(z) F_{V,NM} F_V^{NM} + \omega_A(z) F_{A,MN} F_A^{MN}$$

$$\omega_{V,A}(z) = \frac{\ell_0}{z} \exp \left(o_4^{V,A} \left(\frac{z}{\ell_1} \right)^4 \right) \quad o_V, o_A < 0$$

(Hirn, Sanz '06,'07)

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Positive definite

Deformed in IR - power of z
unimportant

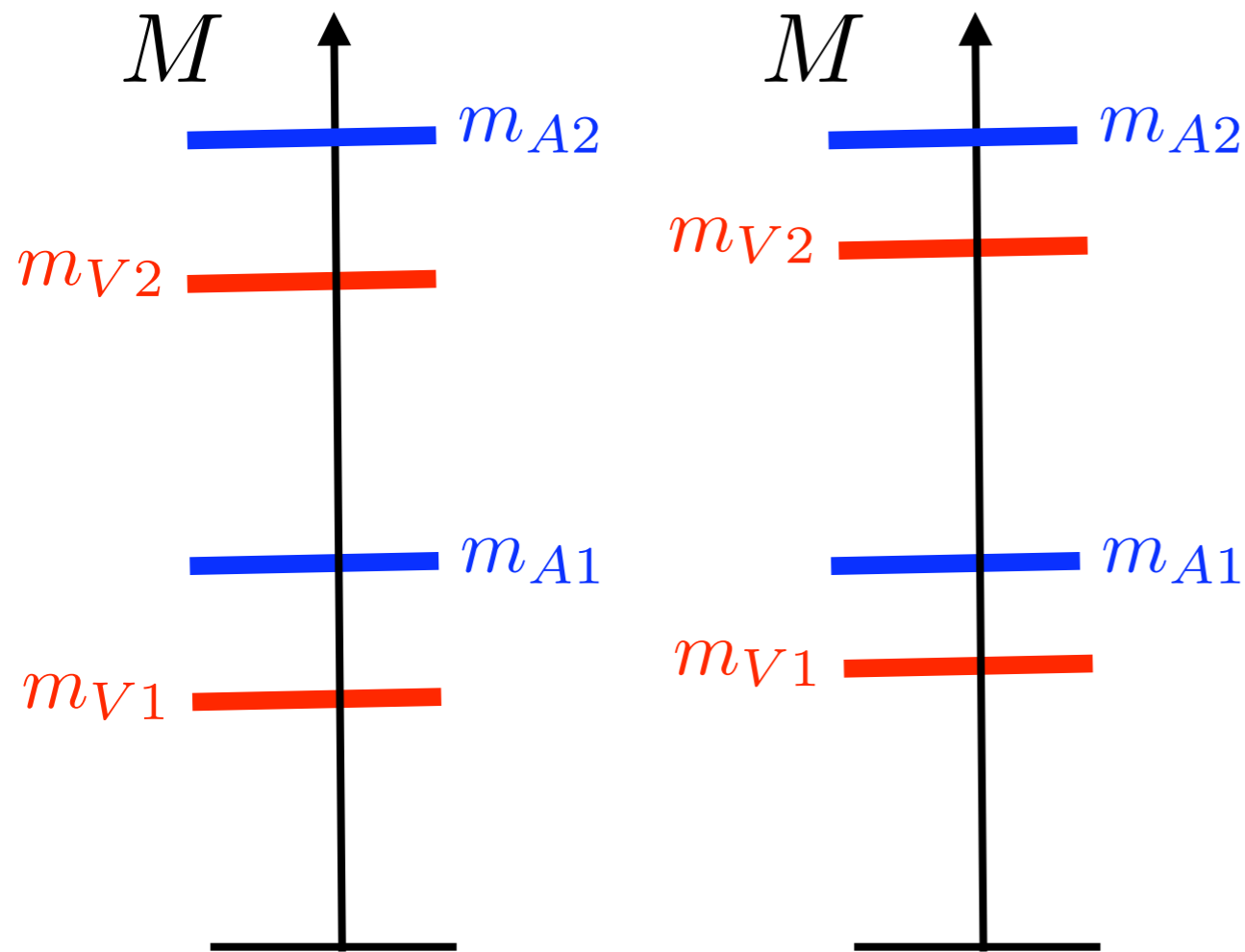
Acts like condensate

$$\Pi_{V,A} \sim \frac{o_{V,A}}{(Q\ell_1)^4}$$

Why this deformation?

$$\omega_{V,A} = \frac{\ell_0}{z} e^{o_{V,A} z^4 / \ell_1^4}$$

- Allows us to vary the length of the dimension the vector **feels** relative to the axial



Dialing o_V for fixed o_A :

Remember:

Eigenstates $W_{1,2}^\pm, Z_{1,2}^0$ are a mixture of V,A

$$|\psi_X(z)\rangle = |V_X(z), A_X(z)\rangle$$

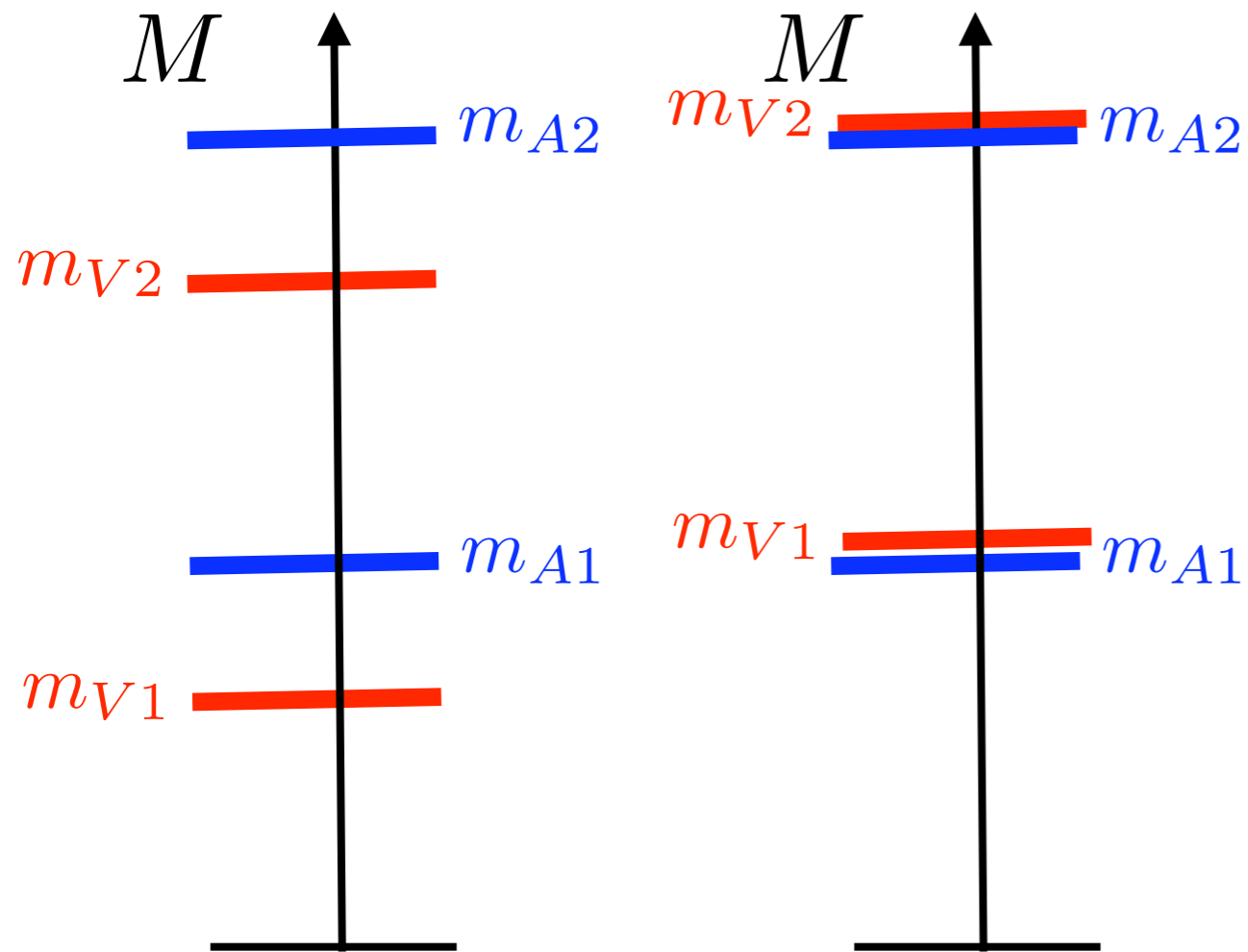
$$o_V = 0, o_A = 0$$

- Added only 2 new parameters, no new fields
- Couplings $g_{W_1 W Z}$, etc. will also vary with ℓ_1, o_V, o_A

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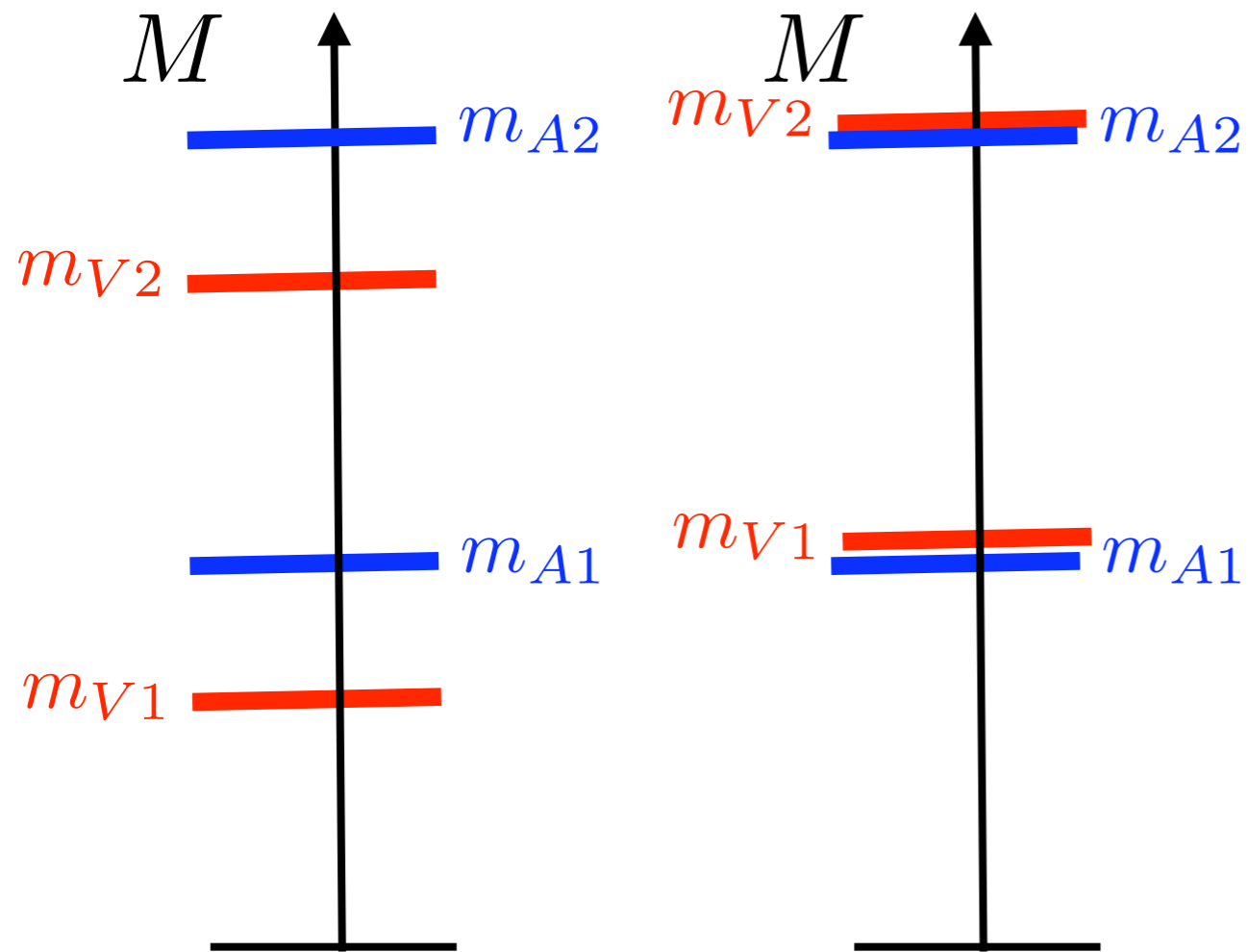
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Degenerate spectrum

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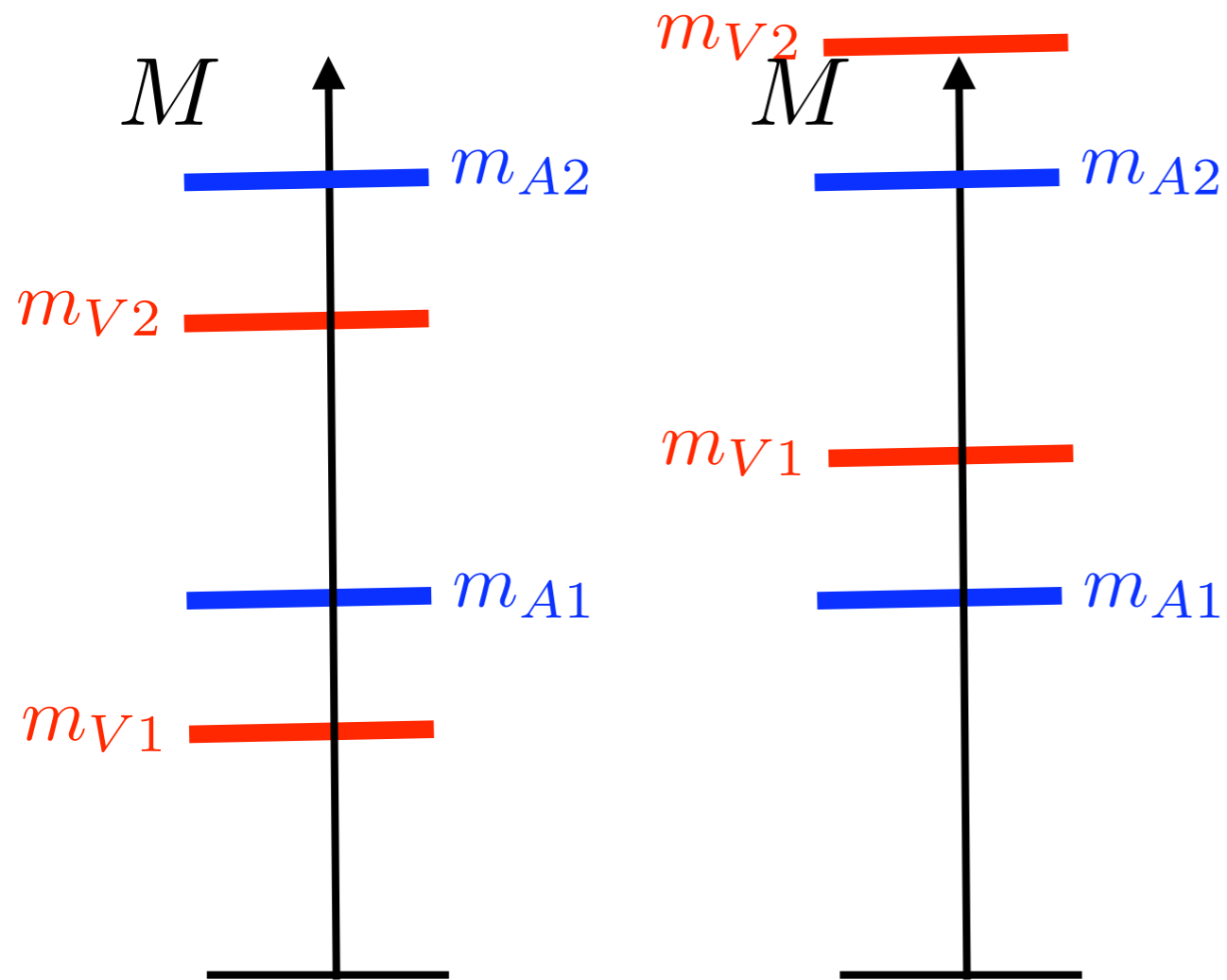
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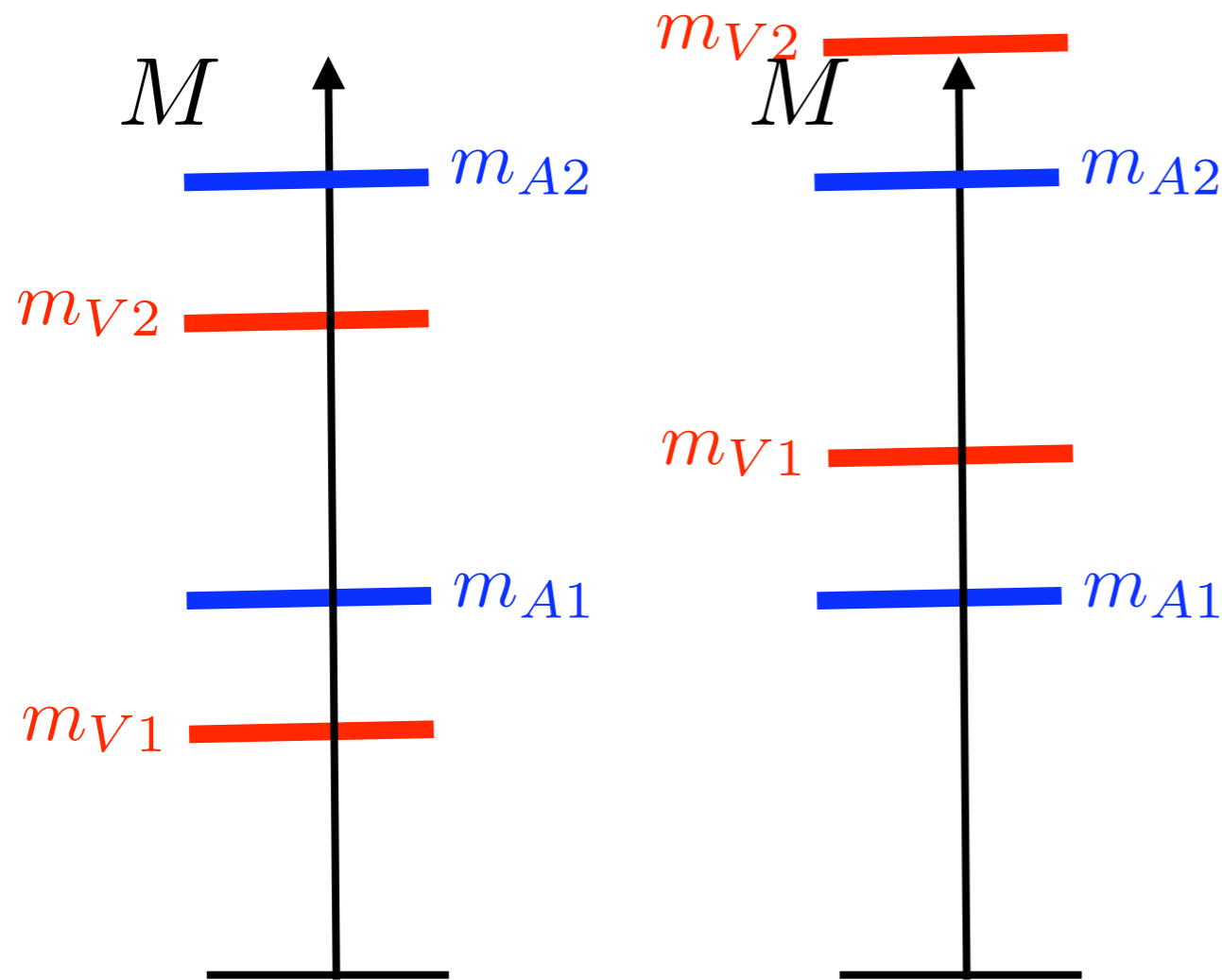
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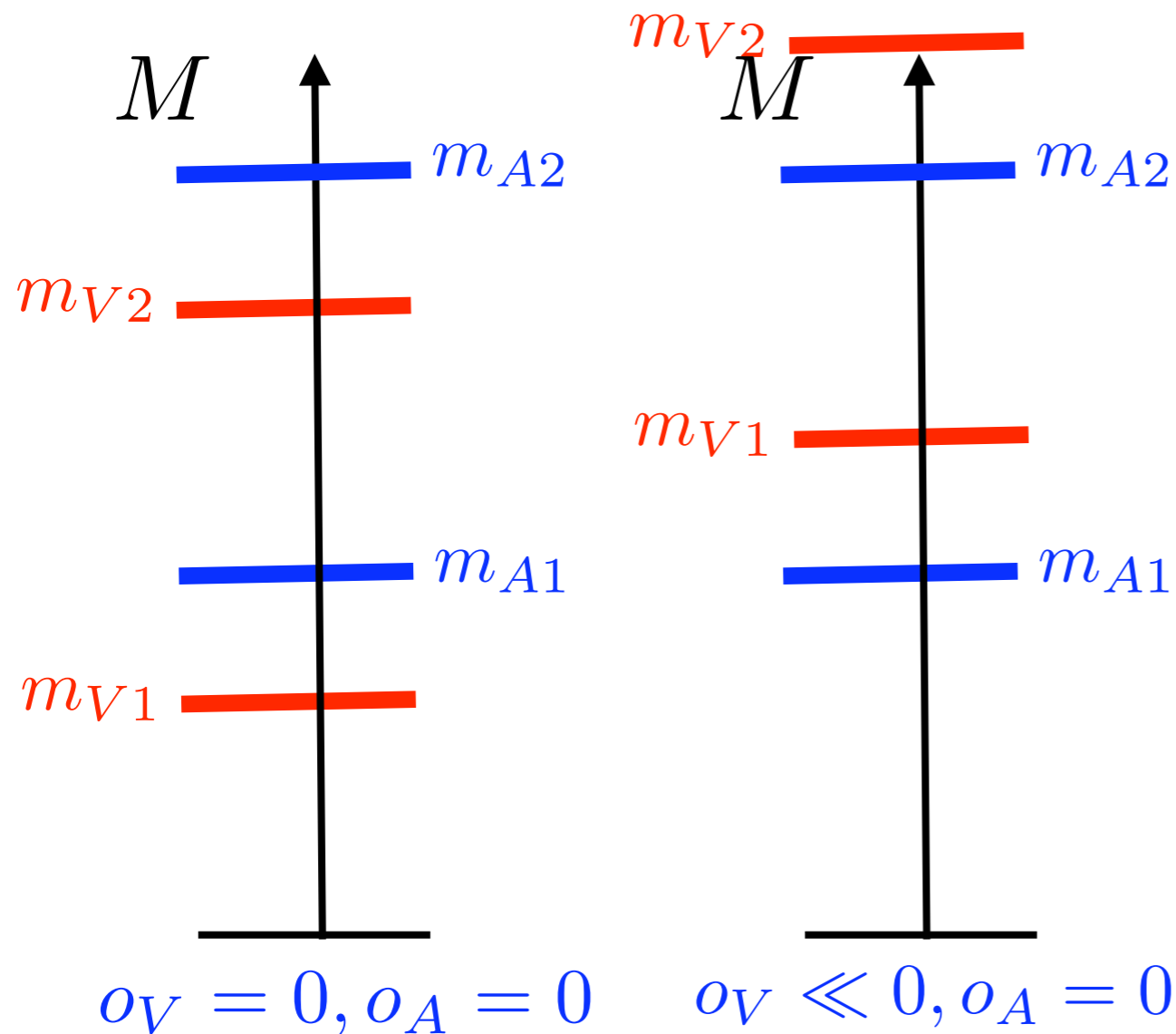
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Dialing o_V for fixed o_A :

or **Inverted spectrum**

Remember:

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$$|\psi_X(z)\rangle = |V_X(z), A_X(z)\rangle$$

- Added only 2 new parameters, no new fields
- Couplings $g_{W_1 W Z}$, etc. will also vary with ℓ_1, o_V, o_A

What do we gain?

- Parameter space contains non-QCD like spectrum
- WSRs and simple resonance models S ameliorated
when $M_{W_1} \cong M_{W_2}$
de Rafael-Knecht '97
Appelquist-Sannino '98
- Whenever $\omega_V \neq \omega_A$; unconventional triboson, 4-boson couplings

$$g_{W_1^- W Z} = g_1 \partial_{[\mu} W_{1\nu]}^- (W_{[\mu}^+ Z_{\nu]}^0) + g_2 \partial_{[\mu} W_{\nu]}^- (Z_{[\mu}^0 W_{1\nu]}^-) + g_3 \partial_{[\nu} Z_{\nu]}^0 (W_{[1\nu]}^- W_{\nu]}^+)$$

$$g_1 \supset \int_{\ell_0}^{\ell_1} dz \omega_V (V_1 A_{W^+} A_Z) \cdots \neq g_3 \supset \int_{\ell_0}^{\ell_1} dz \omega_A (V_1 A_{W^+} A_Z) \cdots \neq g_2$$

Same region degenerate (non-QCD)
mixed photon coupling

$$g_{W_1^- W^+ \gamma}$$

What do we gain?

New pheno. and a new twist
on old pheno.

- Parameter space contains non-QCD like spectrum
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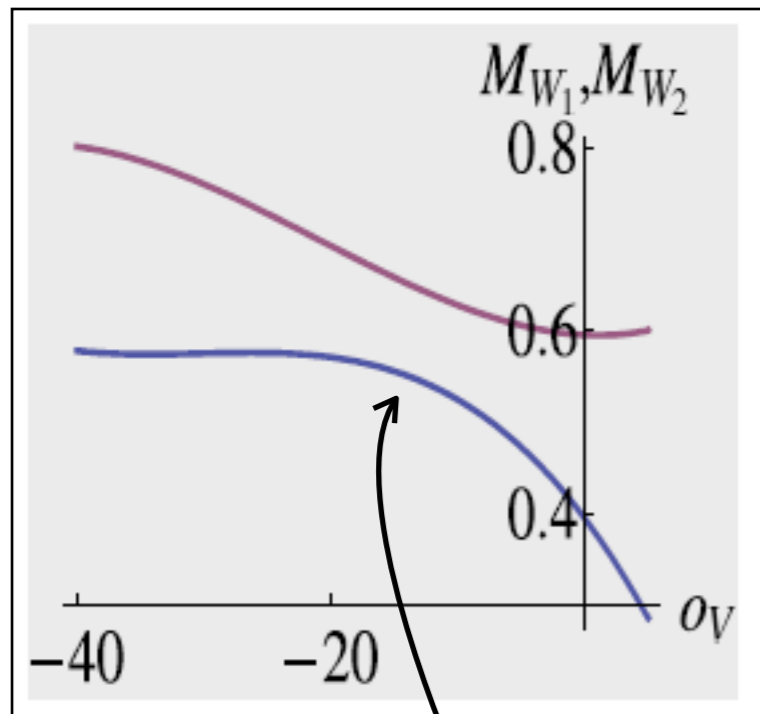
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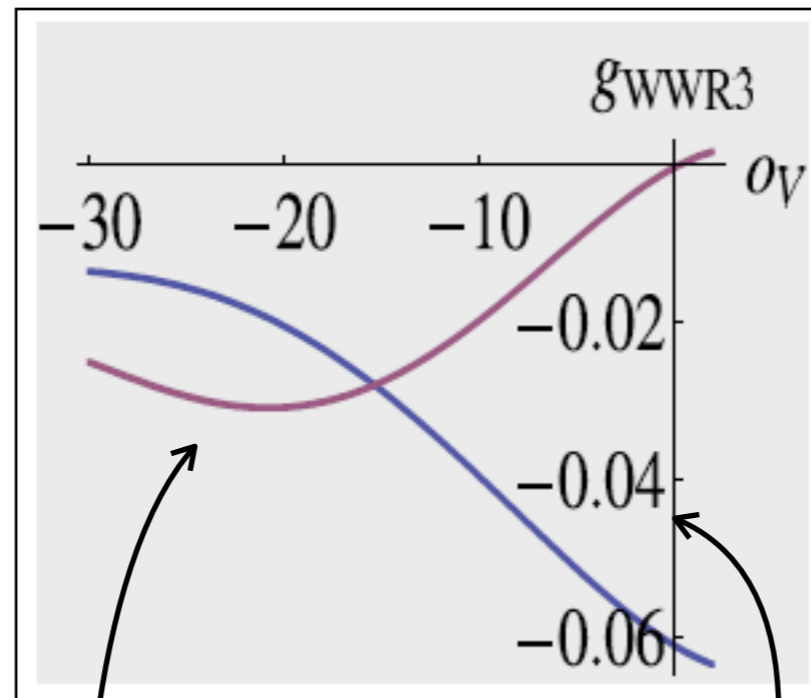
$$g_{W_1^- W^+ \gamma}$$

Exploring θ_V and θ_A :

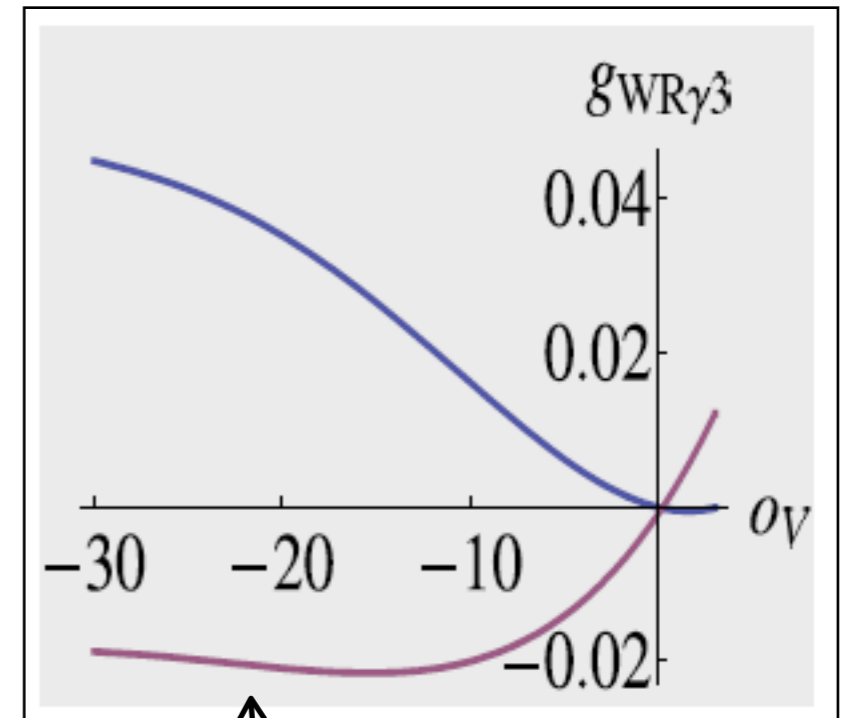
Along $\theta_A = 0, \theta_V < 0$



Level repulsion



Both resonances
in $W_L W_L \rightarrow W_L W_L$



Only vector
unitarizes

Nonzero
 $g_{W_{1,2} W \gamma}$

What about SM fermions?

- Coupling of fermions to the new resonances will determine the best production methods at the LHC
- Full 5D treatment of fermions would re-introduce many parameters...

For starters: one more parameter g_{ffV}

$$g_{ffW} = g_{SM}$$

- We can study several models of fermion interactions

$$g_{ffV} = \kappa g_{ffW}$$

$$g_{ffV} \cong 0$$

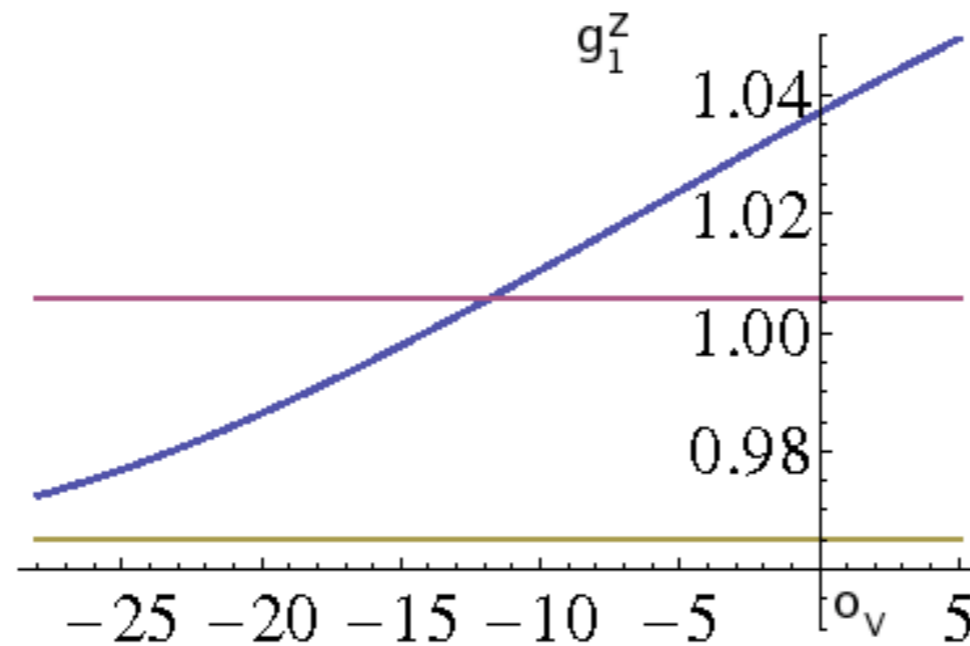
$$g_{t_R t_R V} \gg g_{ffV}$$

ideally delocalized

mostly composite t_R

Constraints:

- Parameter count: $\ell_1, \ell_0, g_5, \tilde{g}_5, o_V, o_A, g_{ffV}$
- For a given $\ell_1: o_V, o_A$ constrained by anomalous $g_{WW\gamma}, g_{WWZ}$ couplings (LEP).



- LEP, Tevatron constrain fermion-resonance coupling

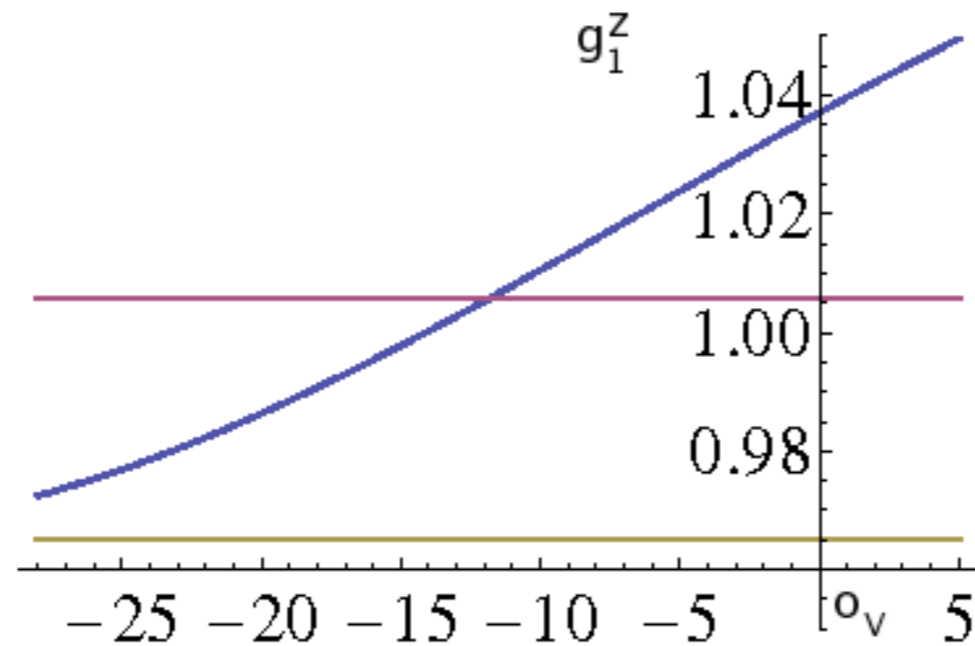
contact interactions: $\frac{(\bar{f}f)(\bar{f}'f')}{\Lambda^2}$

{ direct bounds: $\sigma(p\bar{p} \rightarrow Z'(W') \rightarrow \ell^+\ell^-(\ell\nu))$
indirect bounds: # high p_T objects (Z^0, γ)

Constraints:

overall scale: $M_{res} \sim \frac{1}{\ell_1}$

- Parameter count: $\ell_1, M_Z, M_W, \alpha_{em}, o_V, o_A, g_{ffV}$
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Our Scheme: Review

$$\mathcal{L} \supset \mathcal{L}_{spin-1} + \mathcal{L}_{res+WZ\gamma} + g_{f_i f_j V} \bar{\psi}_i \gamma_\mu \psi_j V^\mu + g_{f_i f_j W} \bar{\psi}_i \gamma_\mu \psi_j W^\mu$$

Holography

$$\omega_V \neq \omega_A$$

- new spectrum
+ interactions
- anomalous couplings
 $g_{WWZ} \neq (g \cos \theta_W)_{SM}$

Pheno. coupling

$$g_{ffV} = \kappa g_{ffW}$$

- LEP, Tev. bounds

SM values:

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SM values:

- **We are NOT** solving PEW problems here
- **We ARE** generating scenarios with new phenomenological features to be studied

For Collider Pheno,
see Adam's talk in
15 mins!