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# Sterile Neutrino Oscillation Sensitivity at Very Short Reactor Baselines

Bryce Littlejohn, Karsten Heeger, Pieter Mumm

University of Cincinnati

University of Wisconsin

NIST

# Introduction

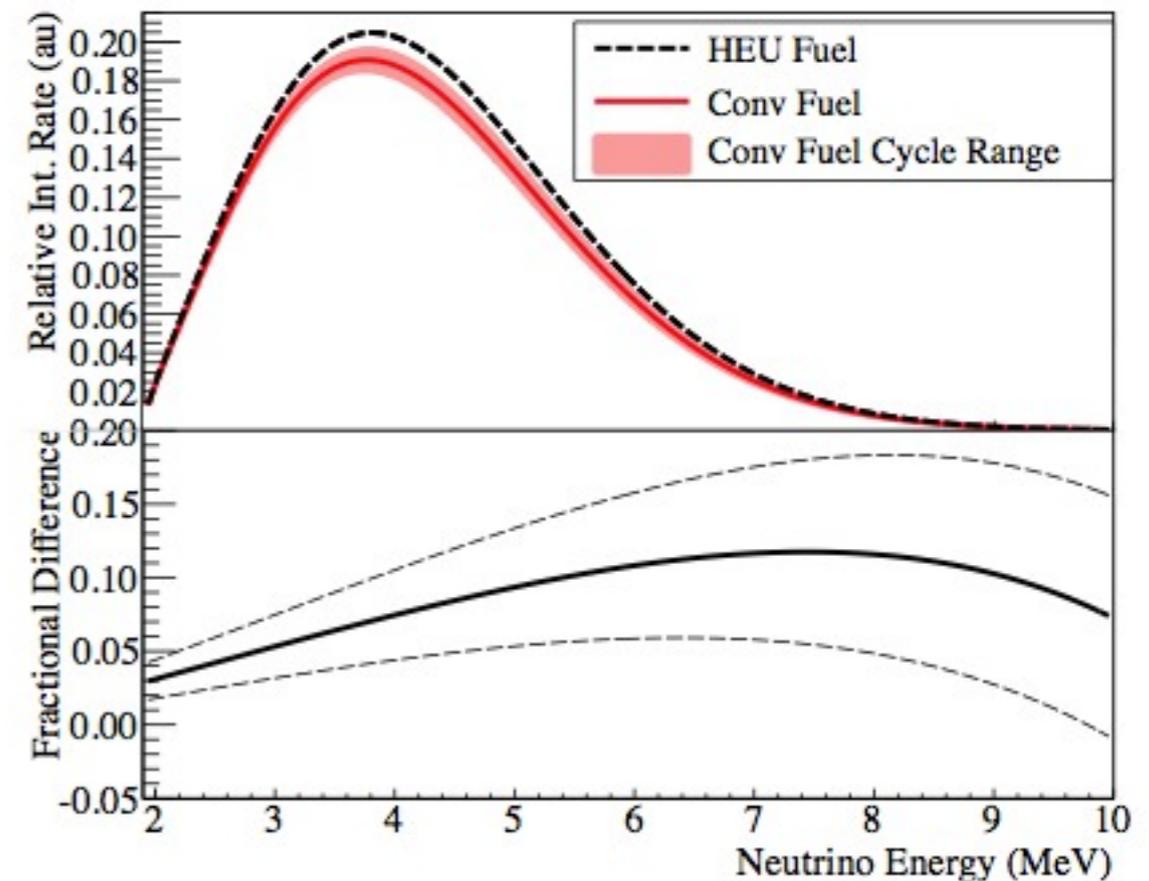
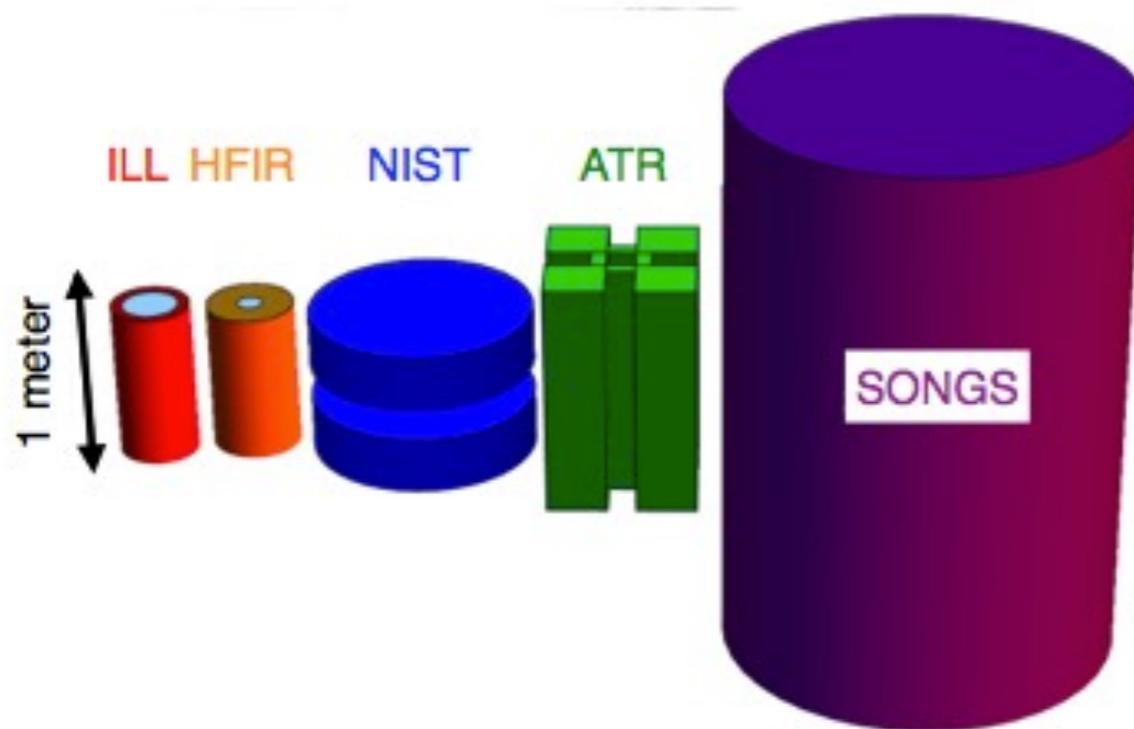
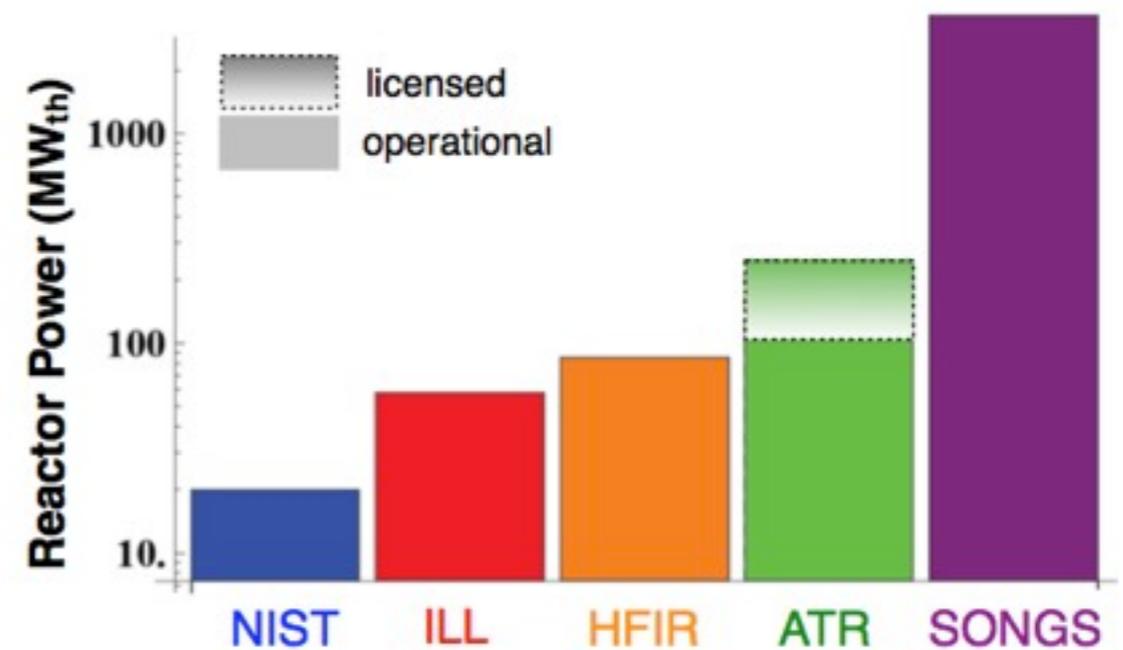
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- We want to know what it takes to build a ‘definitive’ experiment to address reactor anomaly:
- Is it possible?
- What experimental variables are important?
- What values are necessary for a definitive experiment?
  
- Heeger, Littlejohn, Mumm, Tobin:
- Addresses and provides (hopefully) definitive and complete answers to these questions

# Experimental Parameters

- **Reactor**

- Power:  $MW_{th}$
- Duty cycle: Refueling periods, etc.
- Fuel: HEU, LEU, etc.
- Shape: cube, cylinder, etc.
- Size: height, width, etc.



# Experimental Parameters, Con't

- **Facility**

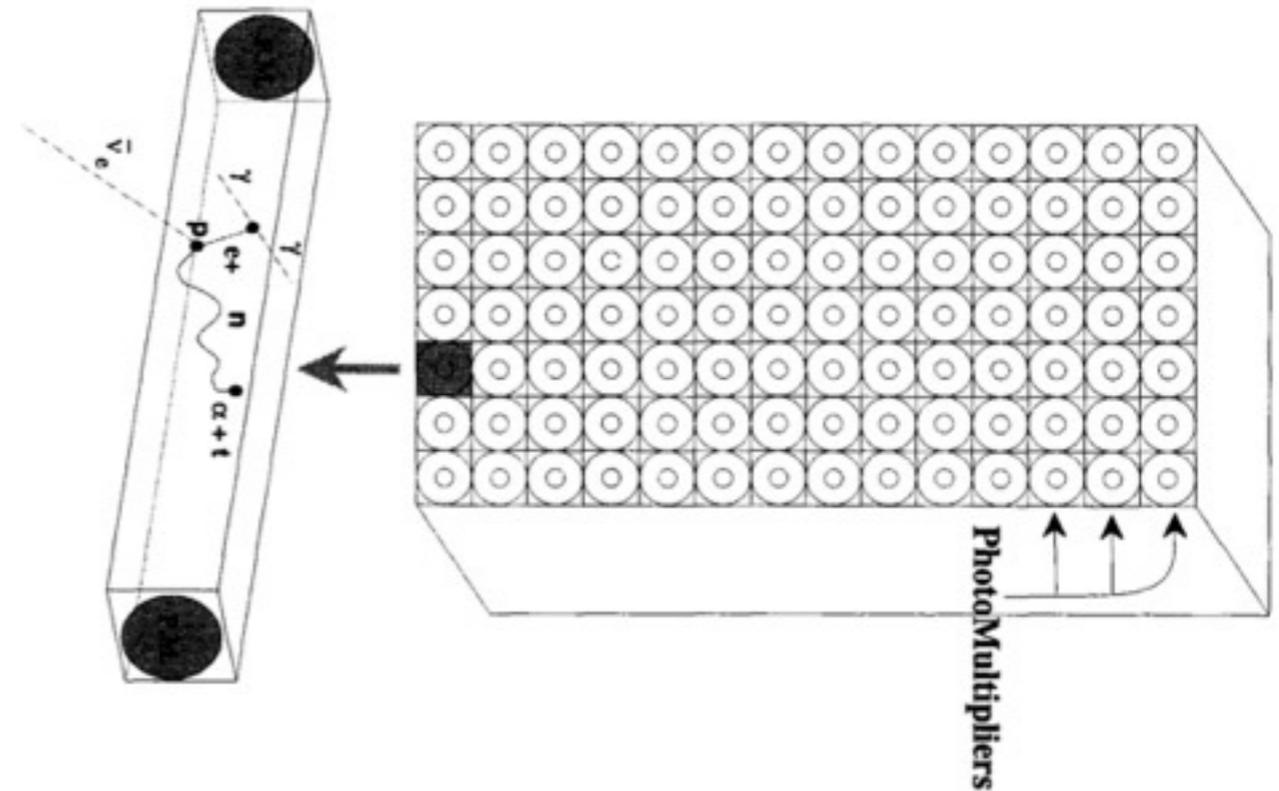
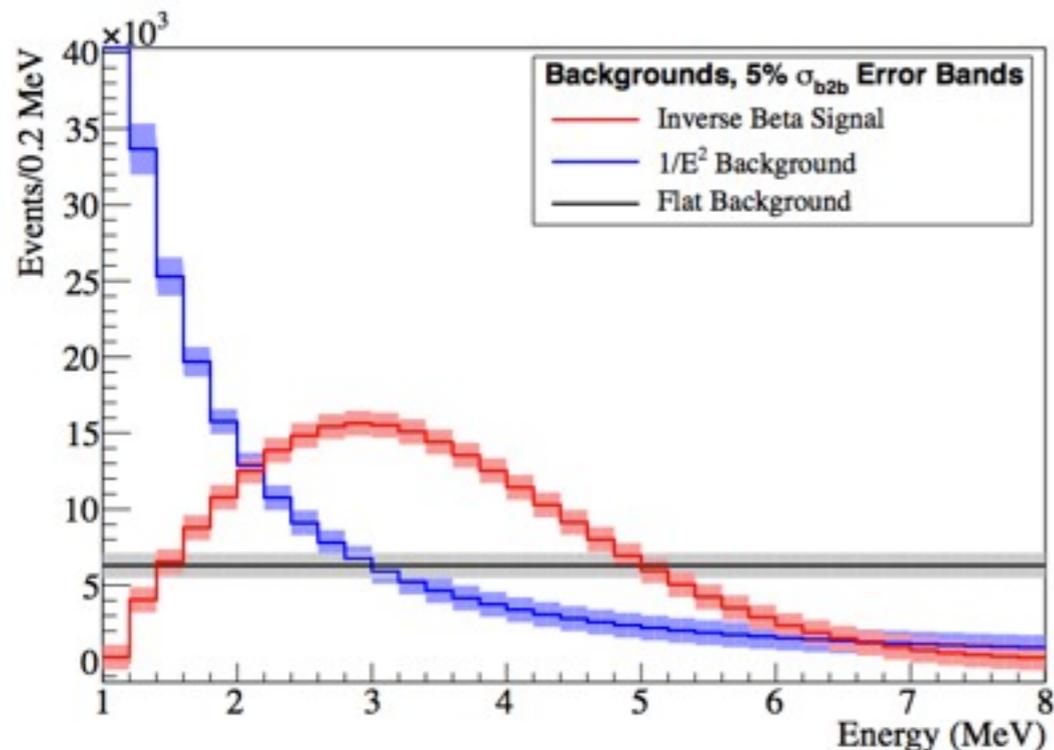
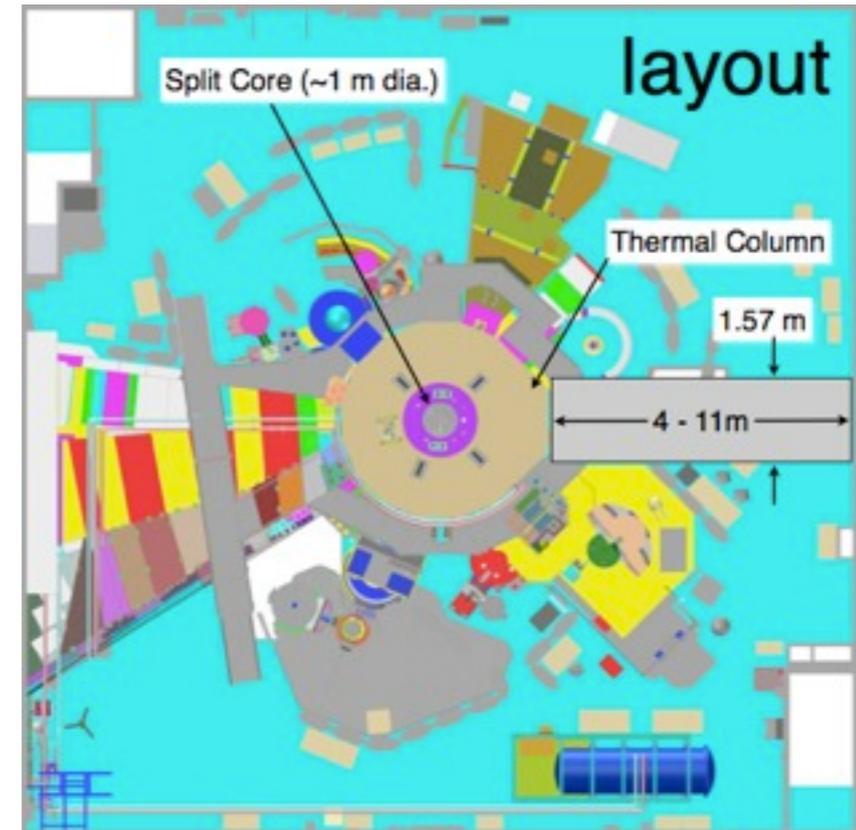
- Experimental space
- Nearest distance to core

- **Detector**

- Efficiency
- Position, energy resolution

- **Background**

- Overall Signal-to-background
- Position and energy spectrum



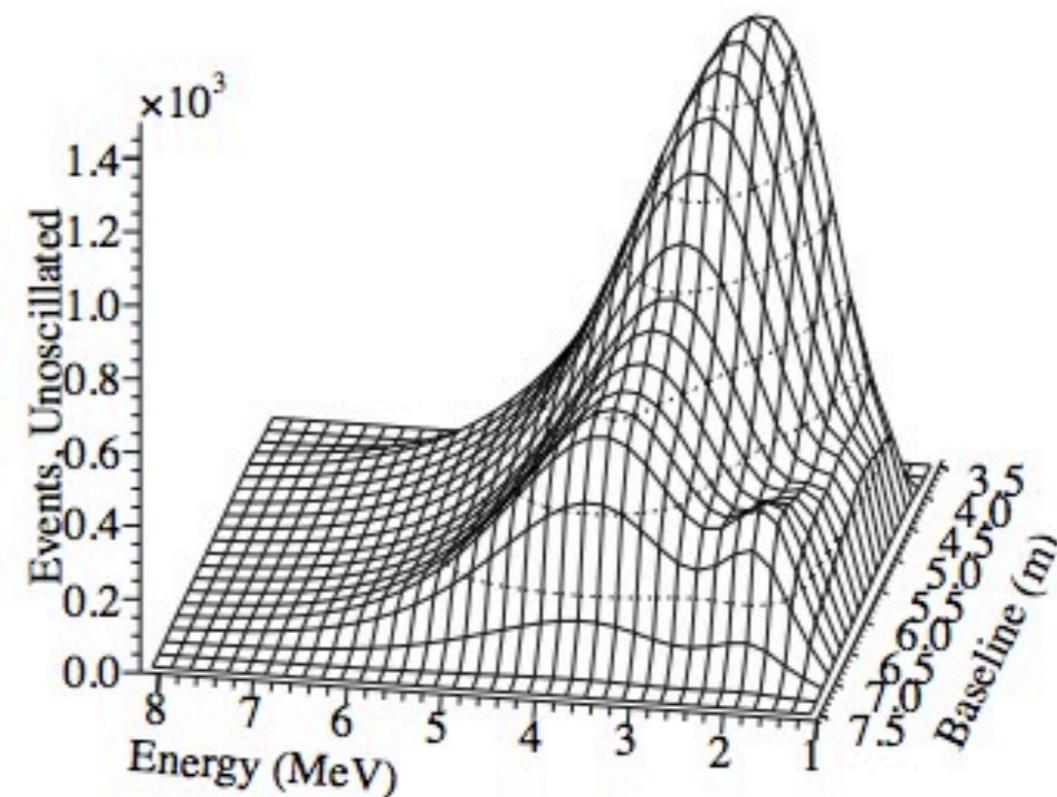
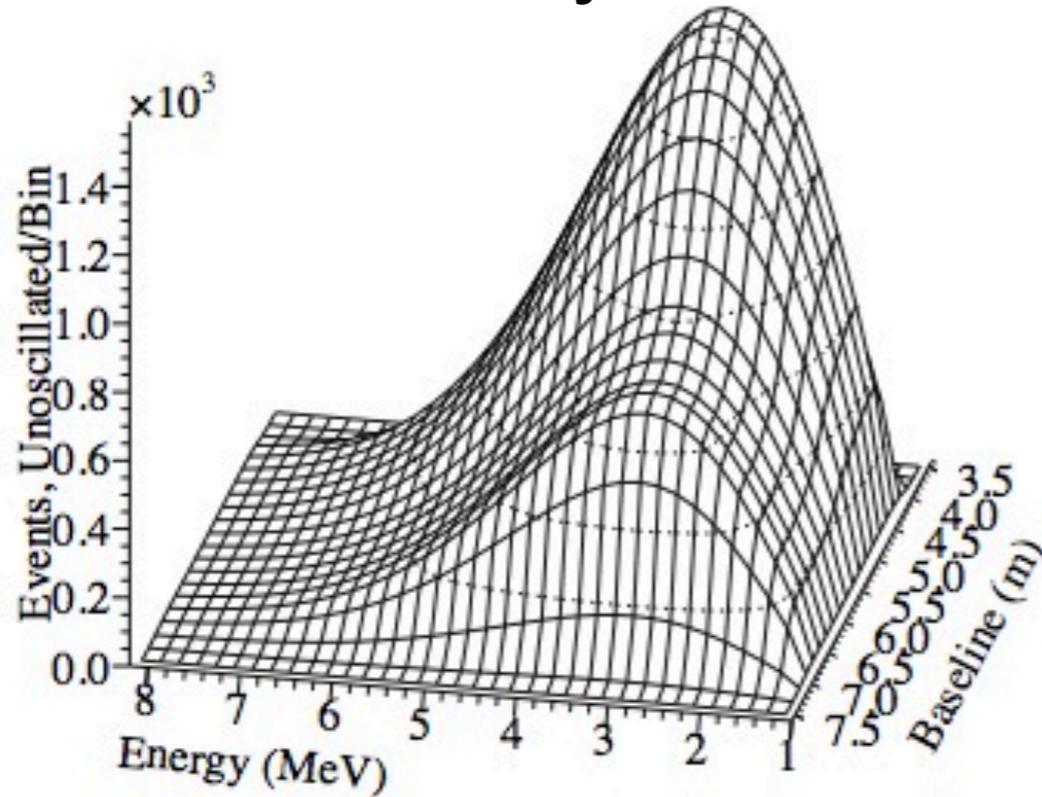
# Experimental Parameters, Con't

- Default values used in this study:

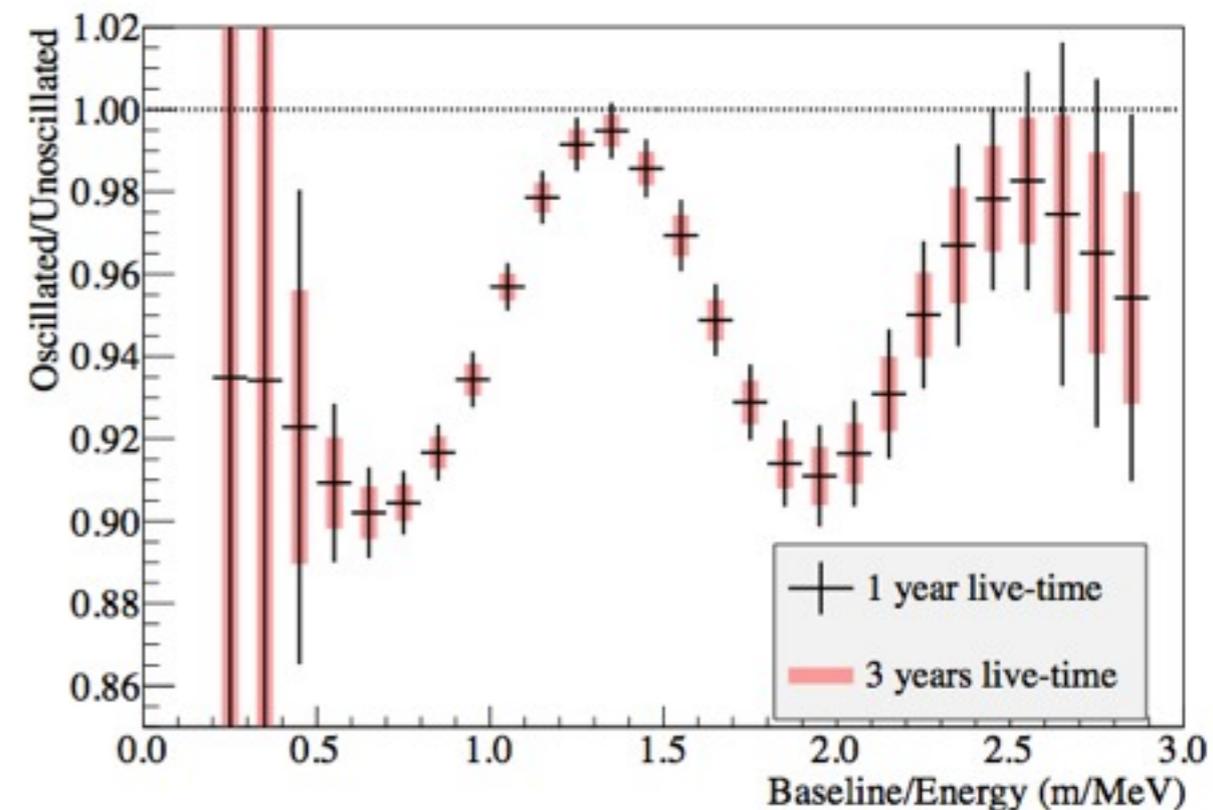
	Parameter	Value	Comment	Reference
Reactor	Power	20 MW	NIST-like	[31]
	Shape	cylindrical	NIST-like	[31]
	Size	0.5 m radius, half-height	NIST-like	[31]
	Fuel	HEU	Research reactor fuel type	[31–33]
Detector	Dimensions	1×1×3 m	3 meters of available baseline	-
	Efficiency	30%	In range of SBL exps. (10-50%)	[25, 28, 29]
	Proton density	$6.39 \times 10^{28} \frac{p}{m^3}$	From Daya Bay GdLS	[34]
	Position resolution	15 cm	Daya Bay-like	[27]
	Energy resolution	$10\%/\sqrt{E}$	Daya Bay-like	[35]
Other	Run Time	1 year live-time	-	-
	Closest distance	4 m	NIST-like	-
	S:B ratio	1:1	In range of SBL exps. (1-25)	[22, 25, 28]
	Background shape	$1/E^2$	Similar to SBL experiments	[22, 25, 27]

# Very Short Baseline Oscillations

- What will they look like in our detector?



$$P_{sur}(E, \vec{L}) \simeq 1 - \sin^2 2\theta_{ee} \sin^2 \left( \frac{1.27 \Delta m_{41}^2 |\vec{L} - \vec{r}|}{E} \right)$$



# $\chi^2$ Analysis Method

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- Compare calculated 'detected' spectra, oscillated and unoscillated, with a pulls-approach  $\chi^2$ :

$$\chi^2 = \sum_{i,j} \frac{[M_{ij} - (\alpha + \alpha_e^i + \alpha_r^j)T_{ij} - (1 + \alpha_b)B_{ij}]^2}{T_{ij} + (\sigma_{b2b}B_{ij})^2} + \frac{\alpha^2}{\sigma^2} + \sum_j \left(\frac{\alpha_r^j}{\sigma_r}\right)^2 + \sum_i \left(\frac{\alpha_e^i}{\sigma_e}\right)^2 + \frac{\alpha_b^2}{\sigma_b^2}$$

# $\chi^2$ Analysis Method

- Compare calculated 'detected' spectra, oscillated and unoscillated, with a pulls-approach  $\chi^2$ :
  - Your standard  $\chi^2$  stuff

Oscillated, unoscillated events in energy bin  $i$ , position bin  $j$

Background events in bin  $i,j$

$$\chi^2 = \sum_{i,j} \frac{[M_{ij} - (\alpha + \alpha_e^i + \alpha_r^j)T_{ij} - (1 + \alpha_b)B_{ij}]^2}{[T_{ij} + (\sigma_{b2b}B_{ij})^2]} + \frac{\alpha^2}{\sigma^2} + \sum_j \left(\frac{\alpha_r^j}{\sigma_r}\right)^2 + \sum_i \left(\frac{\alpha_e^i}{\sigma_e}\right)^2 + \frac{\alpha_b^2}{\sigma_b^2}$$

stat. uncertainty in bin  $i,j$

# $\chi^2$ Analysis Method

- Compare calculated ‘detected’ spectra, oscillated and unoscillated, with a pulls-approach  $\chi^2$ :
  - Your standard  $\chi^2$  stuff
  - Accounting for experimental systematics: minimization parameters  $\vec{\alpha}$ , associated systematic uncertainties  $\vec{\sigma}$

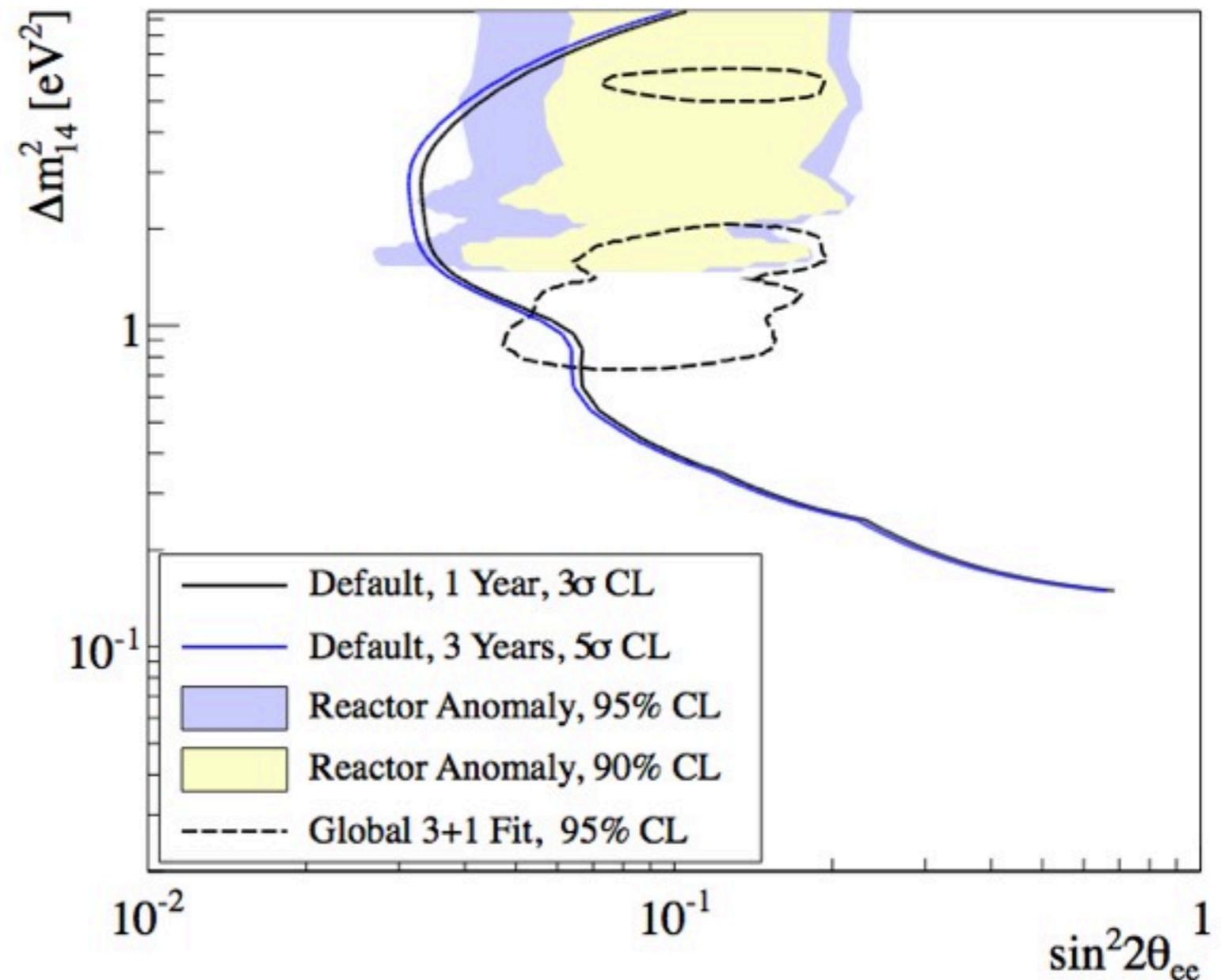
Oscillated, unoscillated events in energy bin  $i$ , position bin  $j$ 
Background events in bin  $i,j$

$$\chi^2 = \sum_{i,j} \frac{[M_{ij} - (\alpha + \alpha_e^i + \alpha_r^j) T_{ij} - (1 + \alpha_b) B_{ij}]^2}{\underbrace{T_{ij}}_{\text{stat. uncertainty in bin } i,j} + \underbrace{(\sigma_{b2b} B_{ij})^2}_{\text{Background events in bin } i,j}} + \underbrace{\frac{\alpha^2}{\sigma^2} + \sum_j \left(\frac{\alpha_r^j}{\sigma_r}\right)^2 + \sum_i \left(\frac{\alpha_e^i}{\sigma_e^i}\right)^2 + \frac{\alpha_b^2}{\sigma_b^2}}_{\text{pull terms}}$$

- $\alpha$  - normalization uncertainty;  $\sigma$ : 100%
- $\alpha_e^i$  - energy spectrum uncertainty;  $\sigma_e^i$ : given by PH:
- $\alpha_r^j$  - baseline spectrum uncertainty;  $\sigma_r$ : 0.5%
- $\alpha_b$  - background normalization;  $\sigma_b$ : 10%
- $\sigma_{b2b}$ : background shape uncertainty; shape and position uncorrelated: 0.5%

# Sensitivity of Default Experiment

- Get  $5\sigma$  with three years of data-taking, even with relatively modest parameter values:
  - 30% efficiency
  - 1:1 S:B
  - 20 MW
  - $\sim m^3$  reactor volume
  - 3m detector length

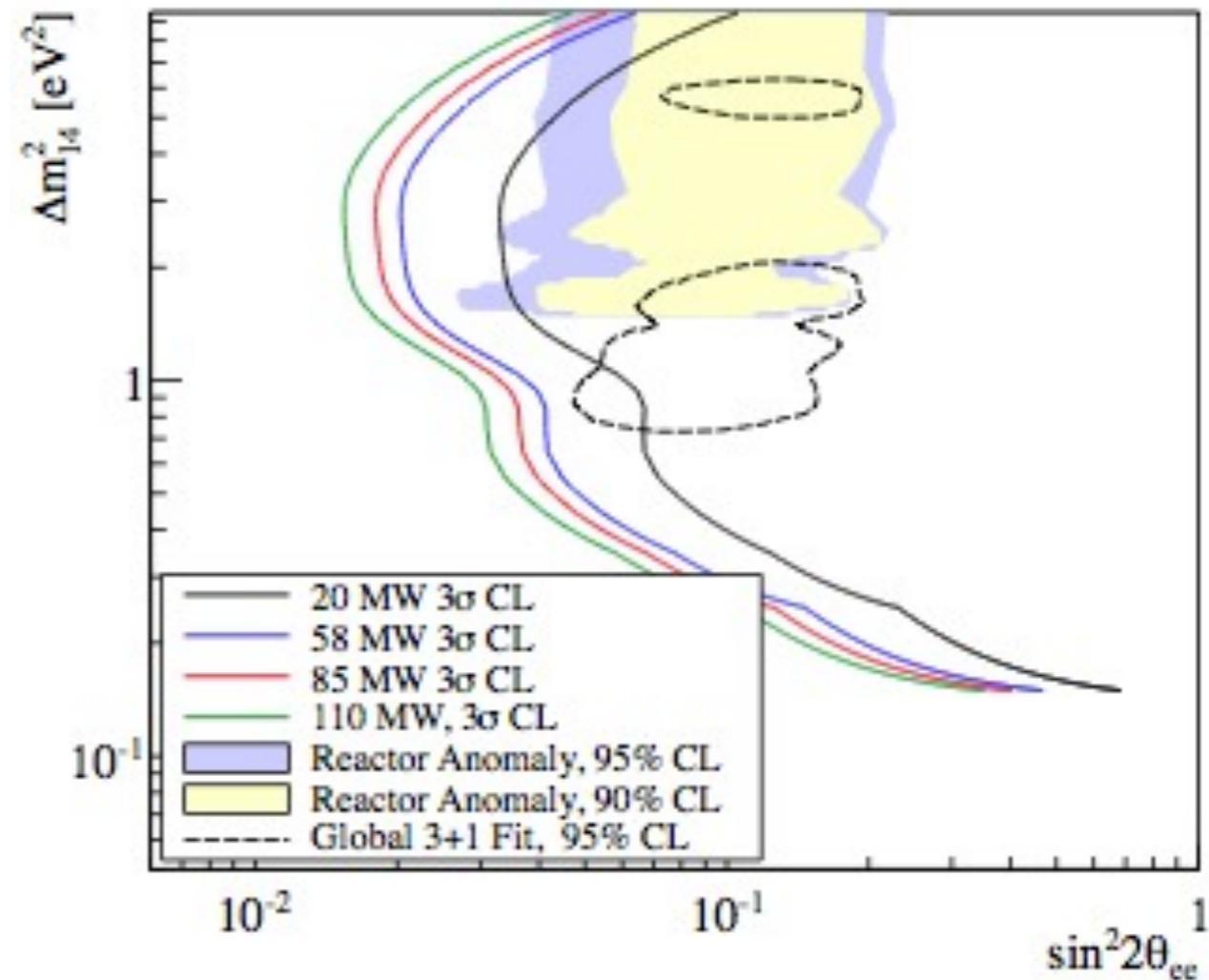


# Reactor Parameters

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# Reactor Power

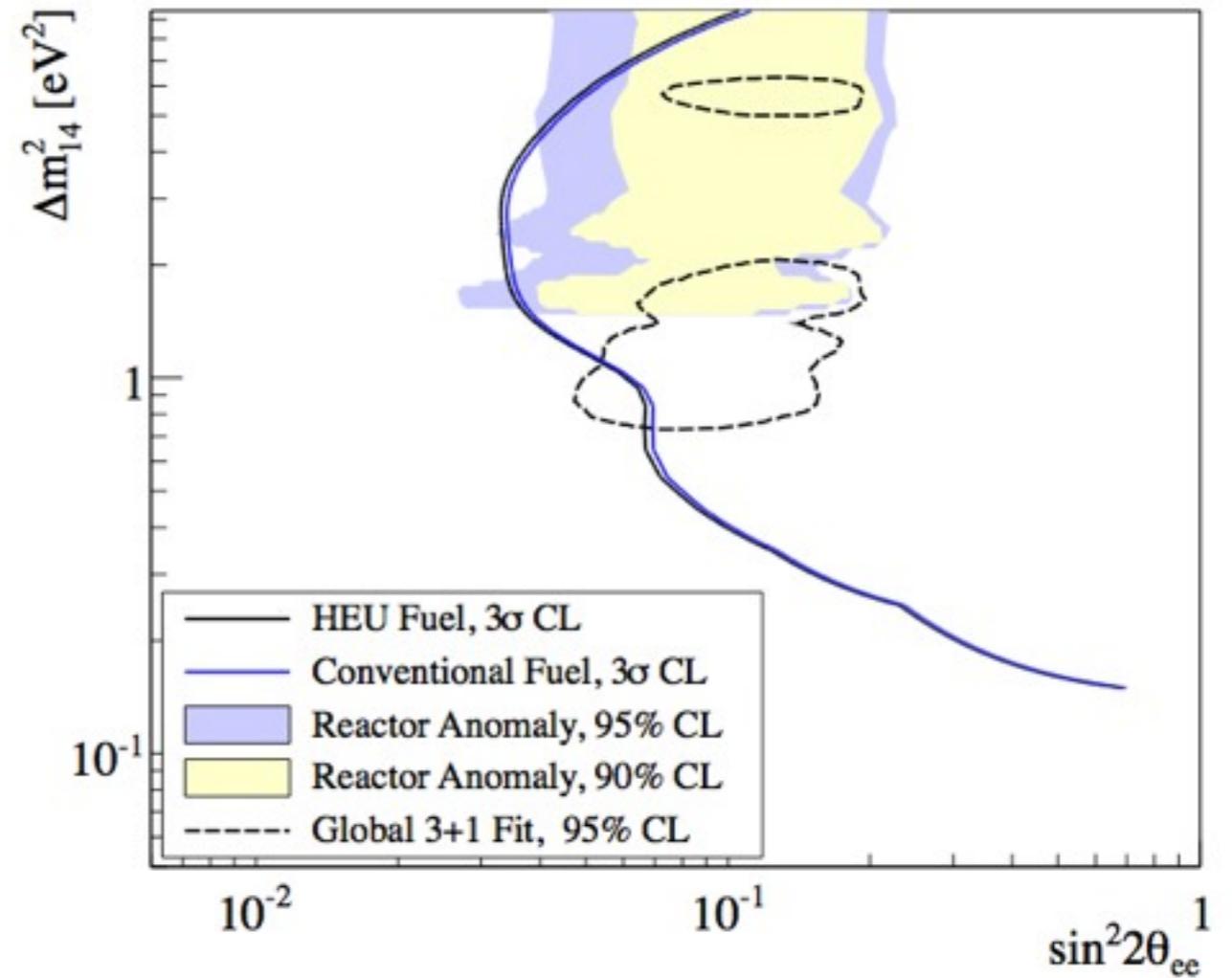
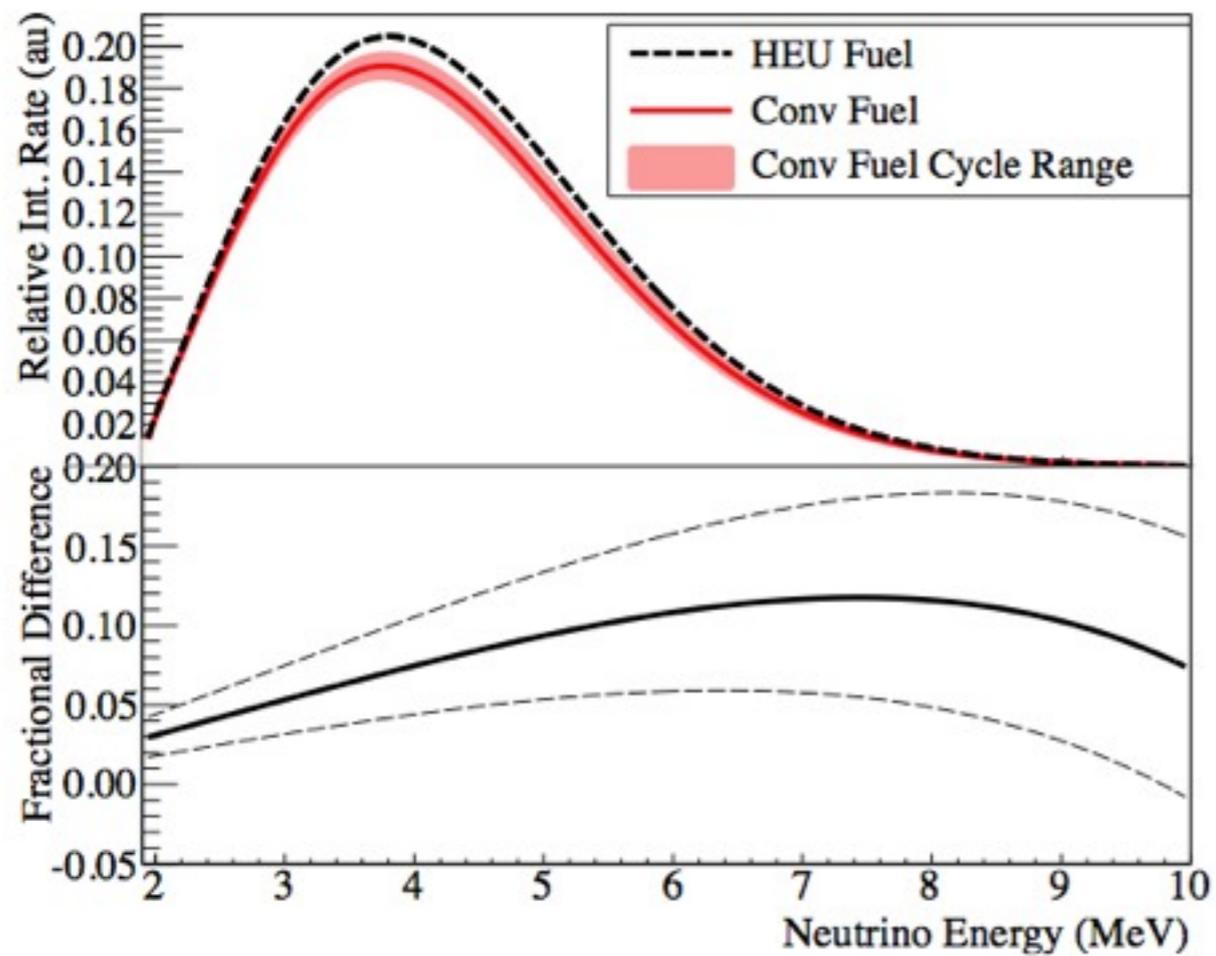
- Reactor power matters a LOT, at all dm2
- 20 MW is about the limit if we want to keep  $3\sigma$  for 1 year of data
- Also fold in duty cycle...



Reactor	Power (MW <sub>th</sub> )	Baselines (m)	Reactor On (Days)	Reactor Off (Days)	Down-Time	Ref.
NIST	20	4-13	42	10	~32%	[31]
HFIR	85	6-8	24	18	~50%	[32]
ATR	250 (licensed) 110 (operational)	7-8 (restricted) 12-20 (full access)	48-56	14-21	~27%	[33]
ILL	58	7-9	50	41	~45%	[40]
SONGS	3438	24	639	60	8.6%	[38, 39]

# Fuel Type

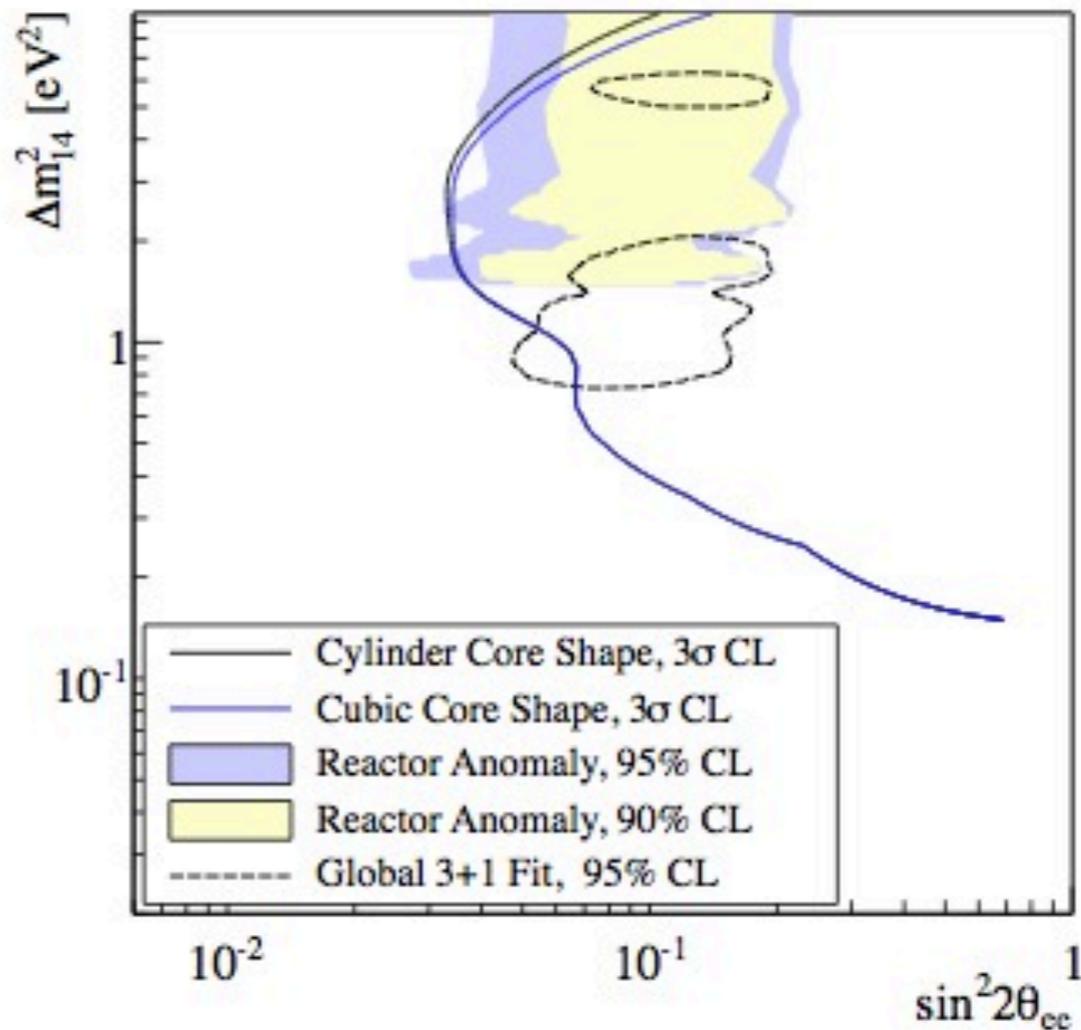
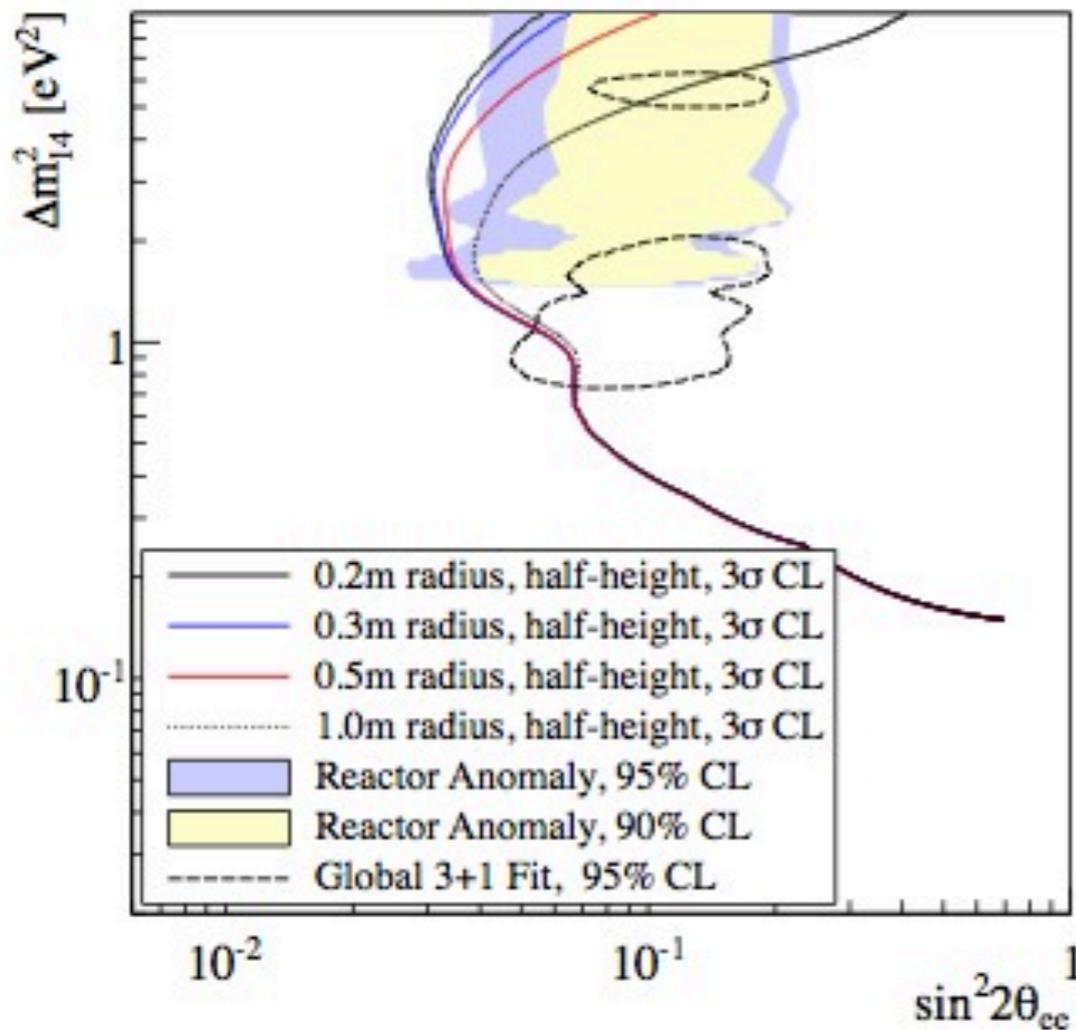
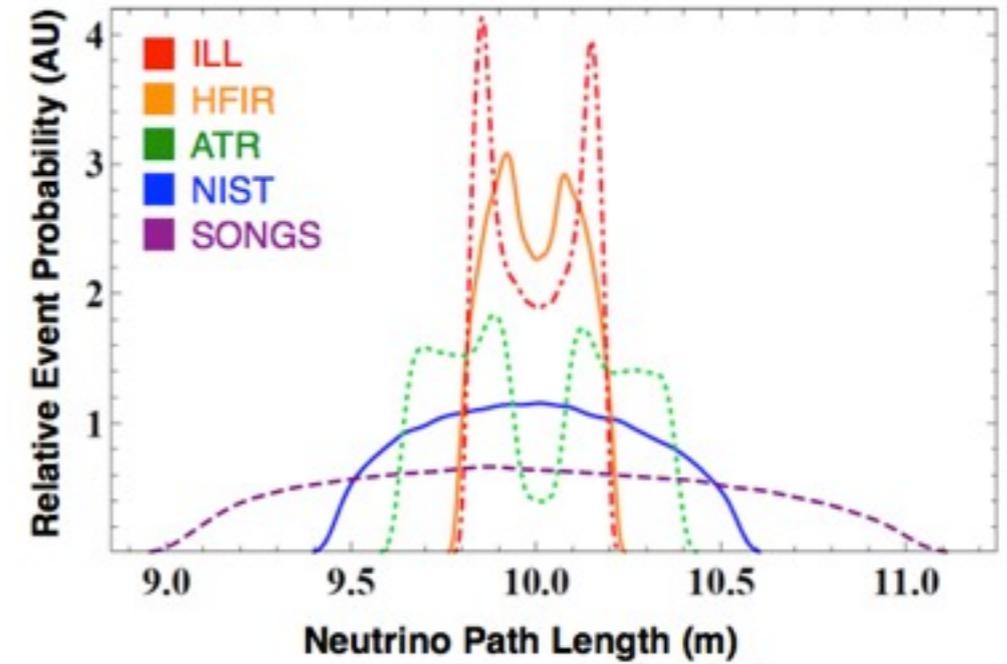
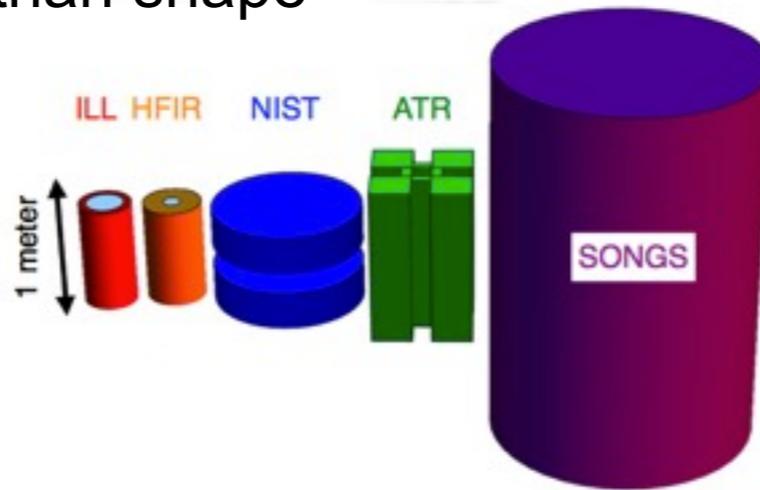
- Not much difference here...



# Reactor Shape/Size

- Matters particularly at high  $\Delta m^2$

- Size matters more than shape
- Baseline spread set mainly by reactor width, not much by exact shape

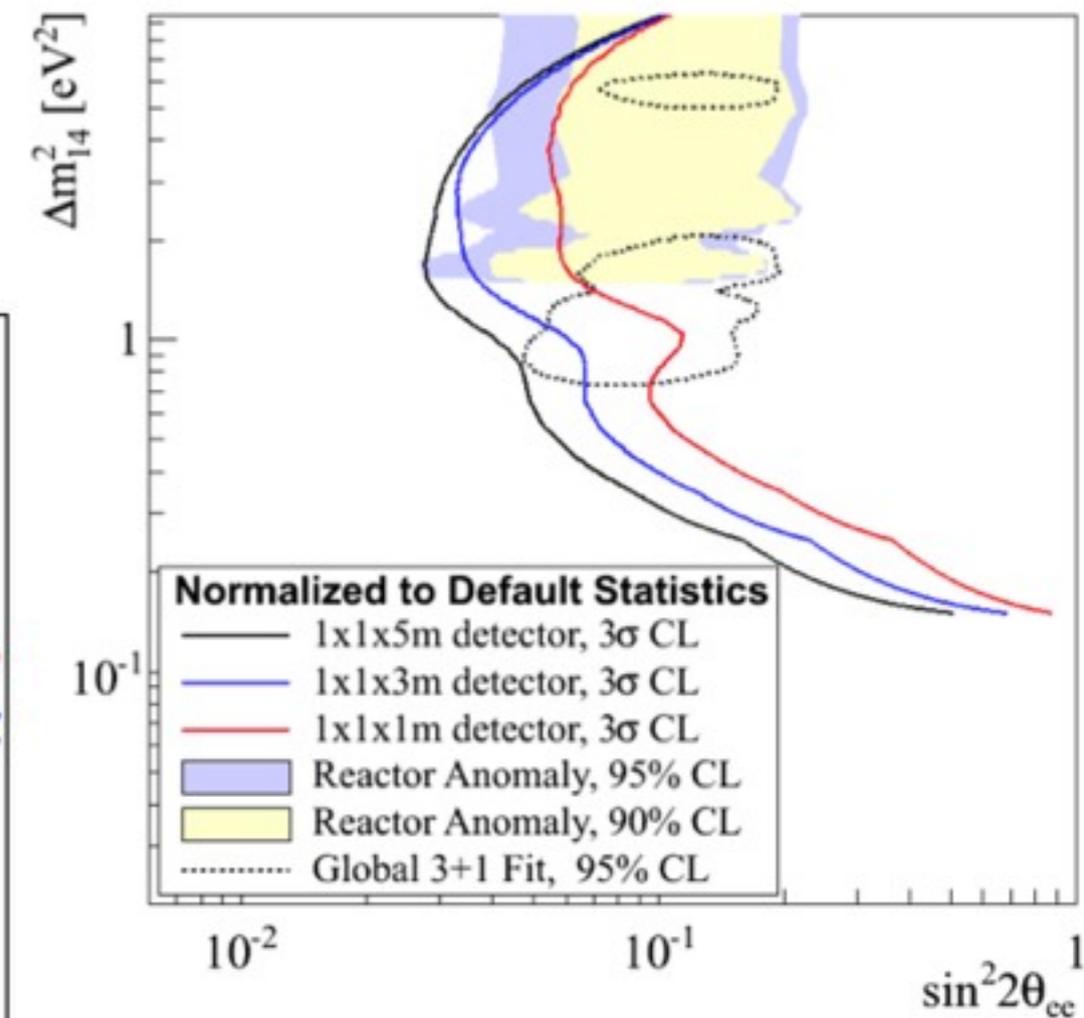
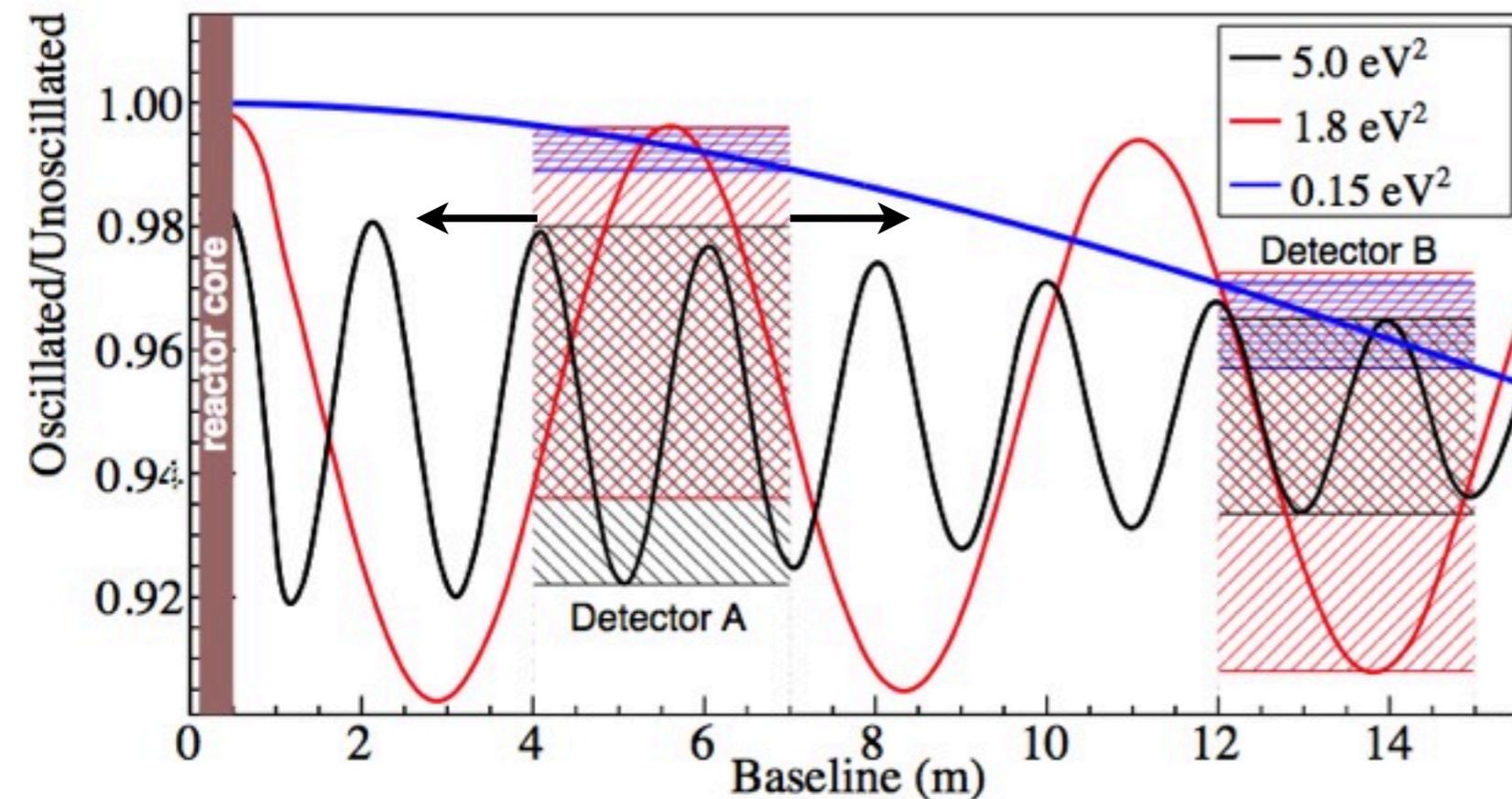


# Facility Parameters

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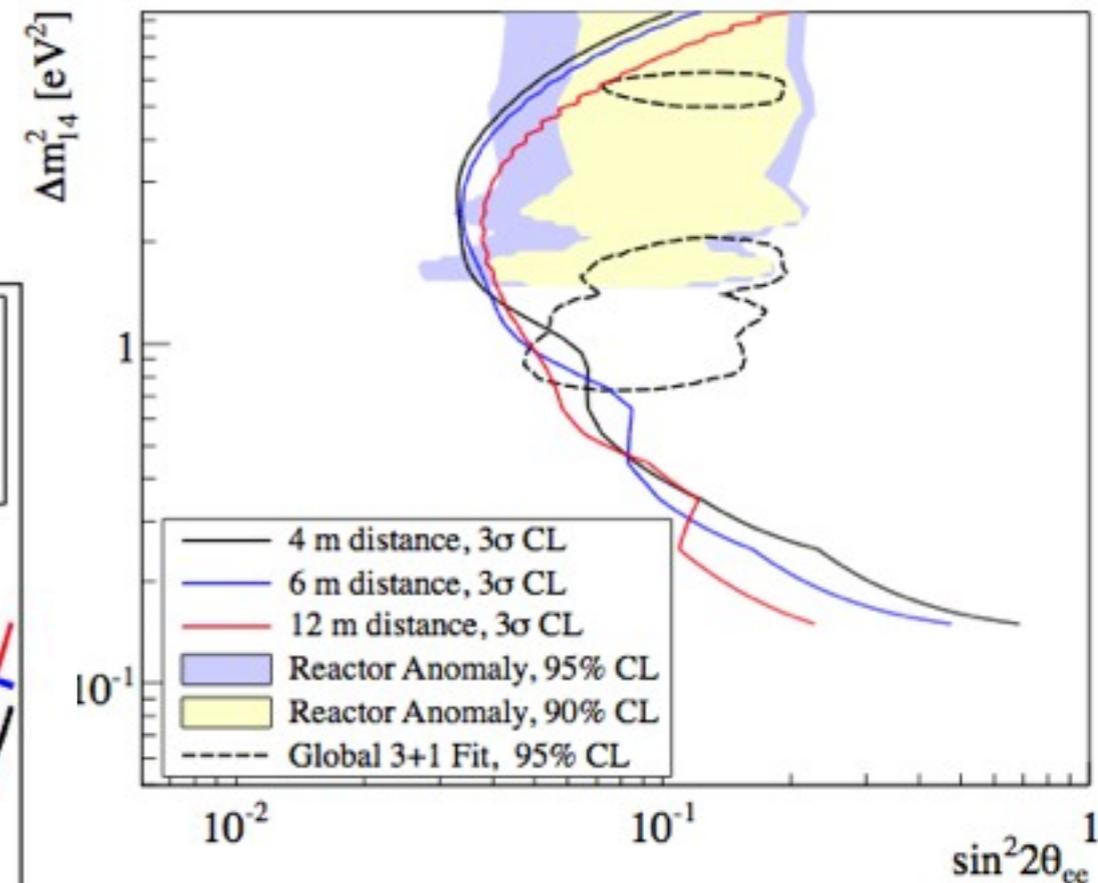
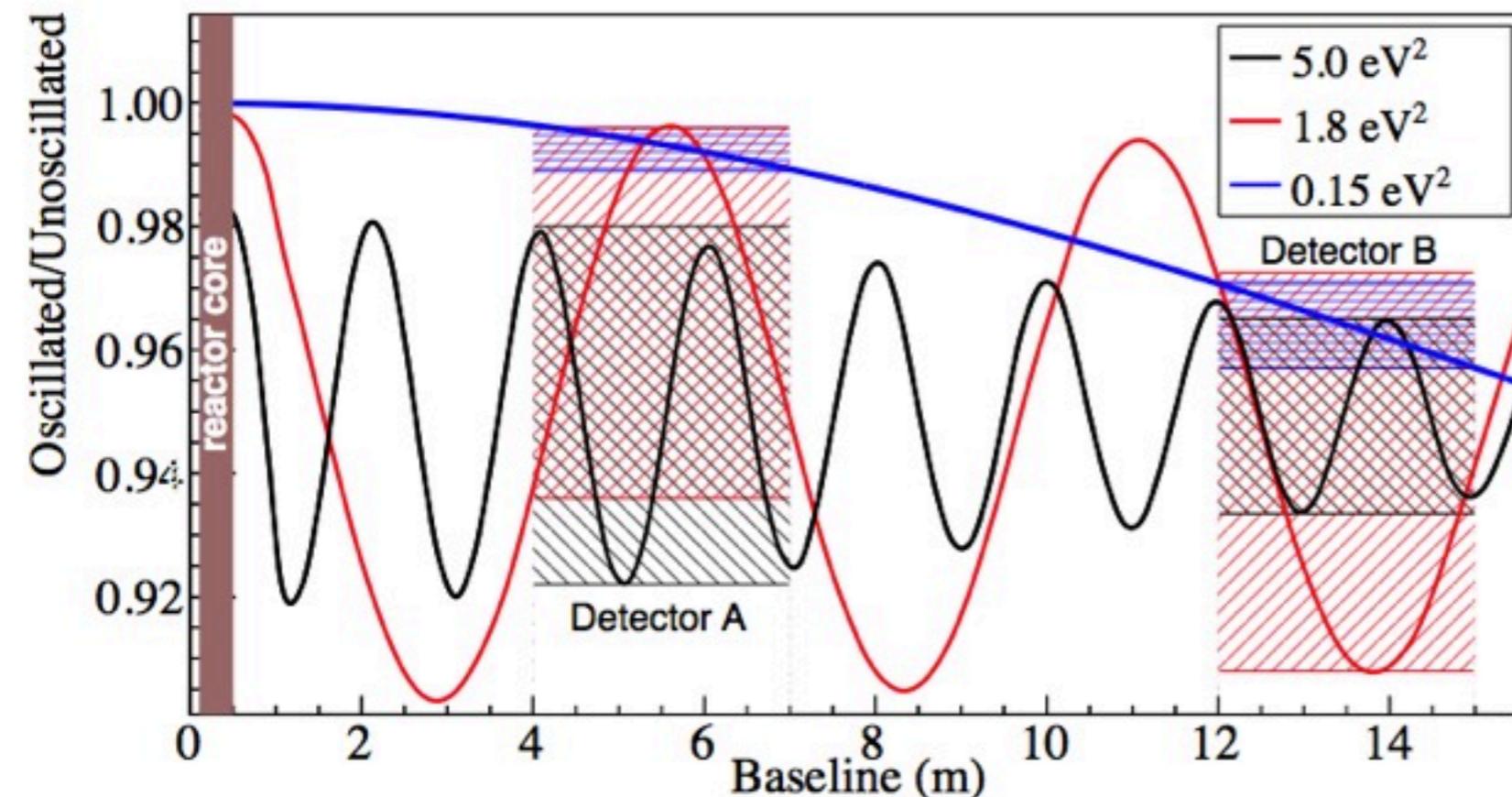
# Experimental Area and Detector Volume

- Detector can only be as long as facility allows
- Longer detector greatly improves sensitivity
  - Particularly at low  $\Delta m^2$
  - Also demonstrates value of multiple detectors



# Reactor-Detector Distance

- The closer the detector and reactor, the higher in  $\Delta m^2$  the sensitivity moves
  - High  $\Delta m^2$ : both detectors see full wavelength, but more smeared out at further distance
  - Low  $\Delta m^2$ : larger change over far detector, but neither detector contains all that much of a wavelength...

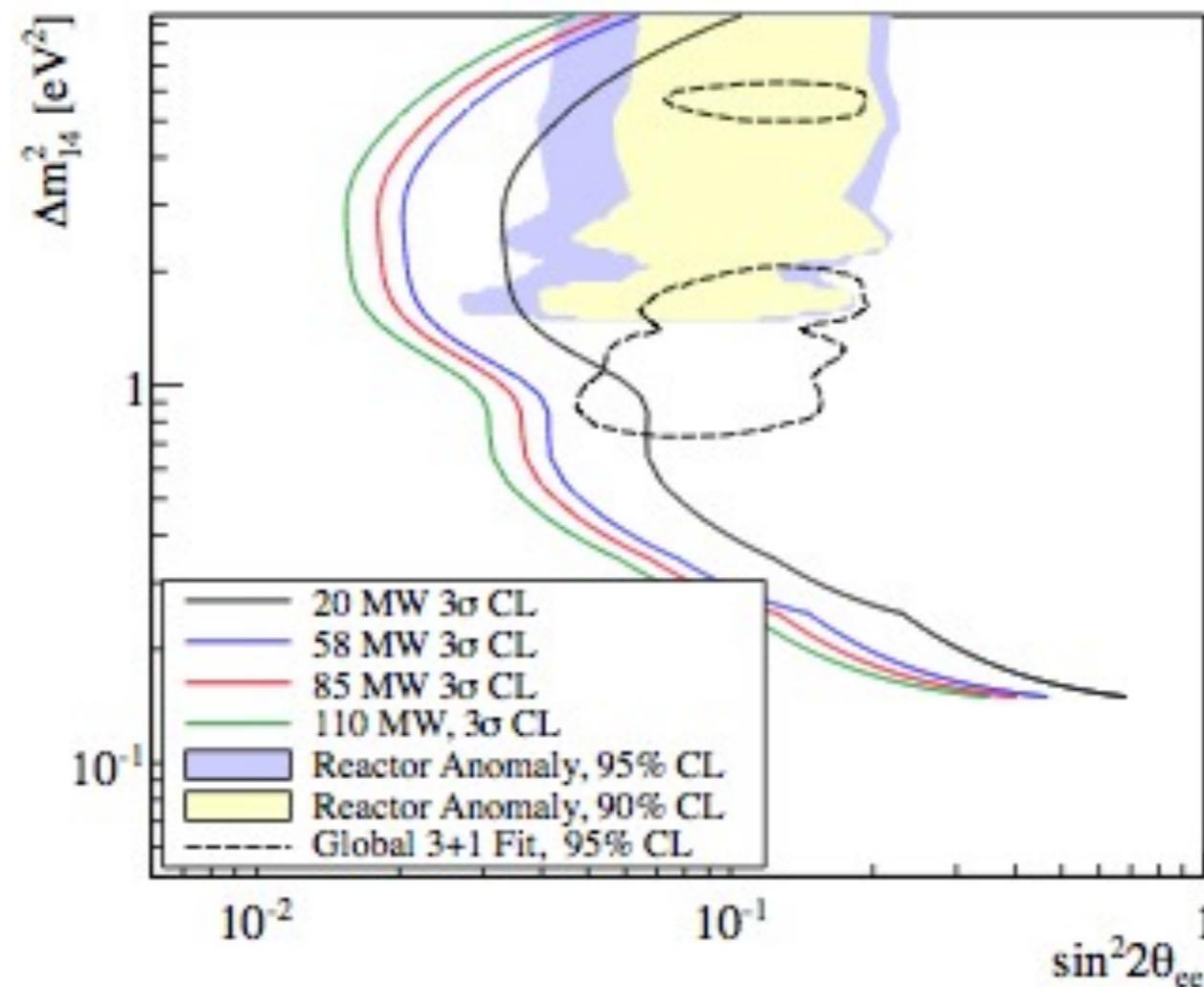


# Detector Parameters

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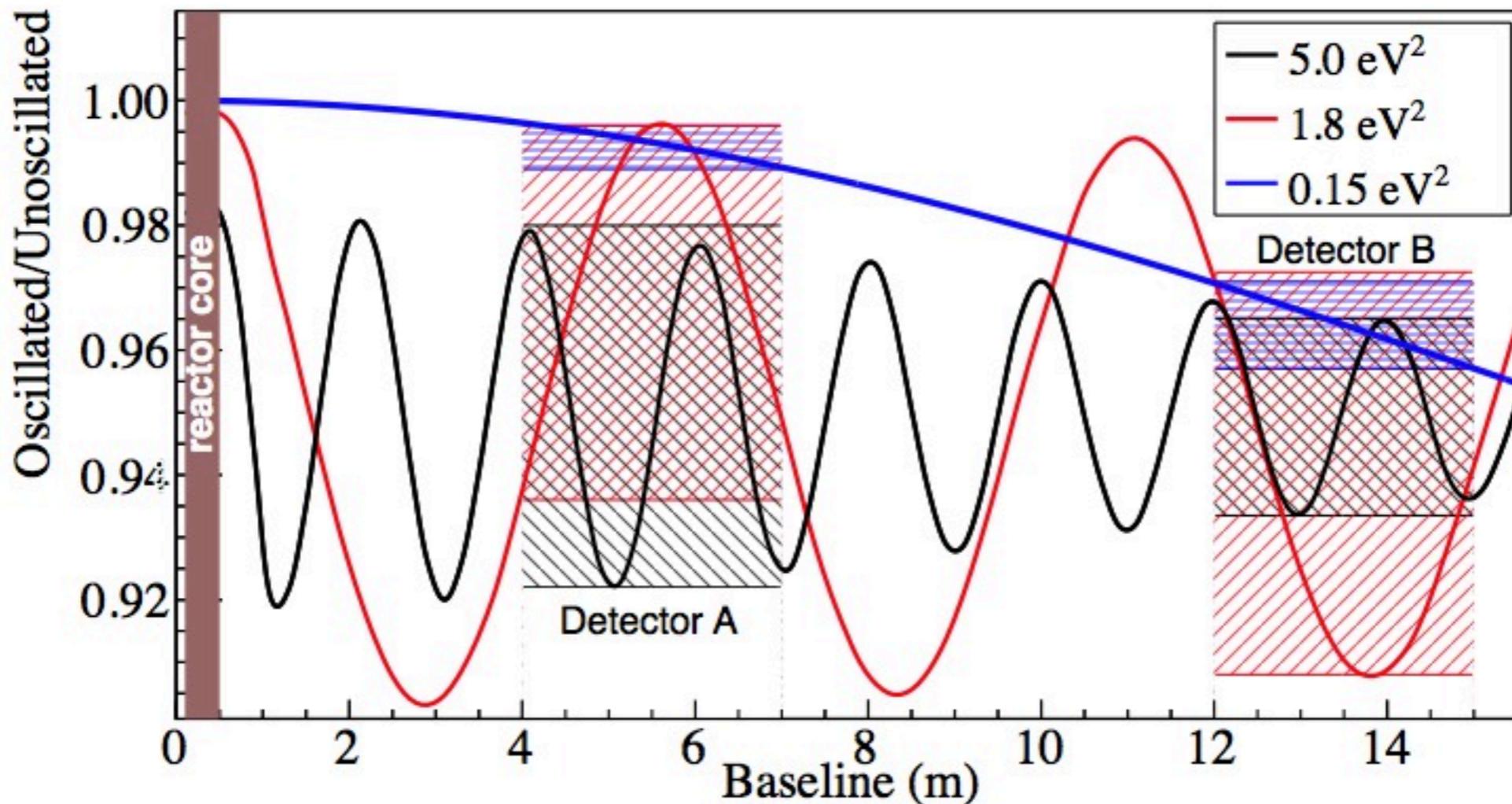
# Detector Parameters

- Detector efficiency, target mass (x-section, length) impact total statistics
- Same effect as changing reactor power



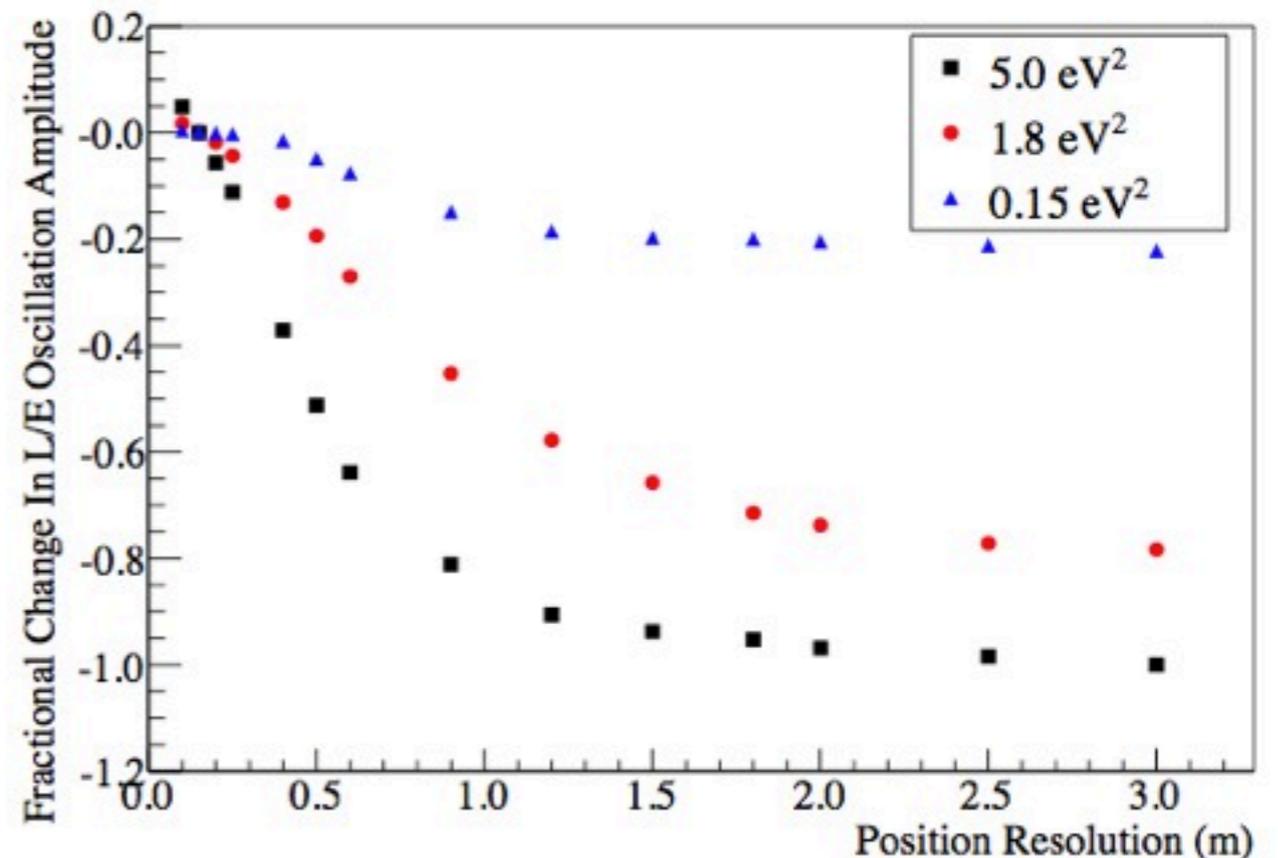
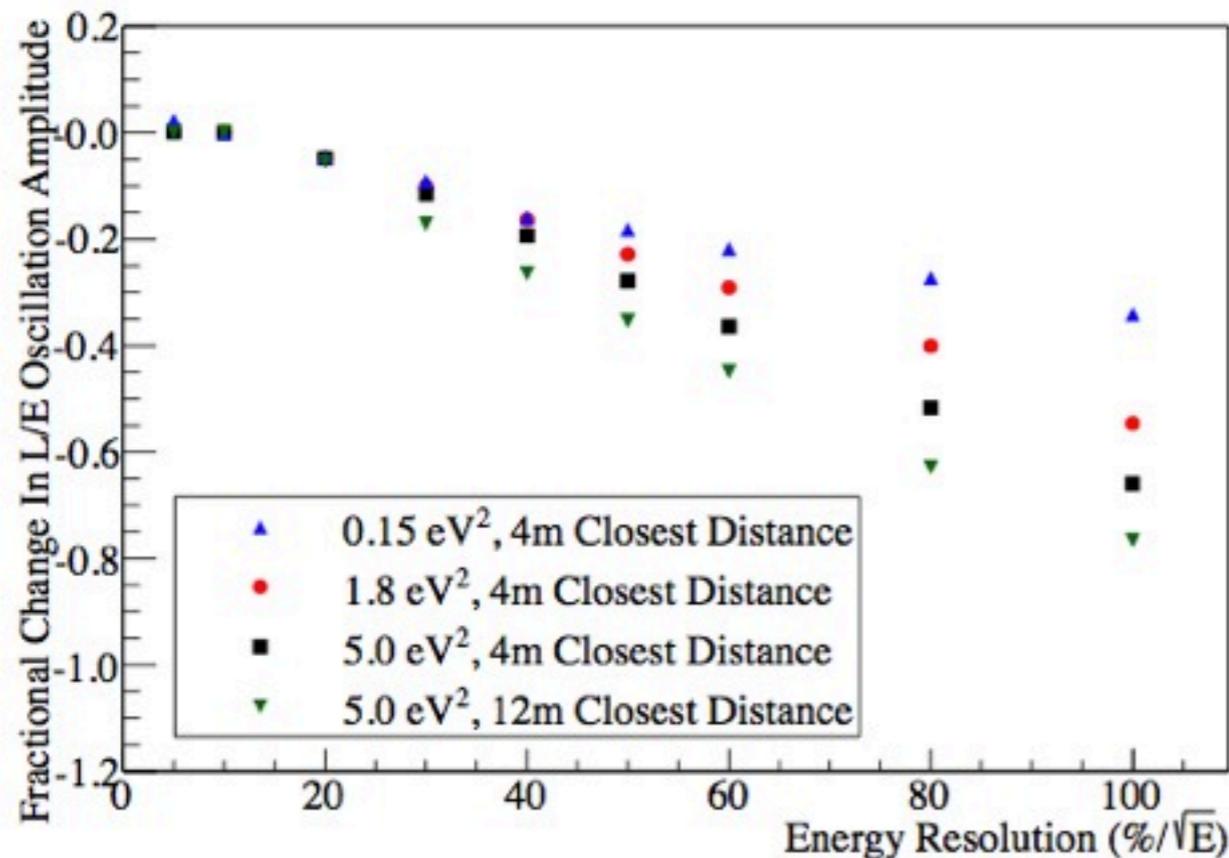
# Resolution

- Lower energy resolution: oscillation amplitude will drop off with distance faster
- Lower position resolution: oscillation with baseline automatically smeared out



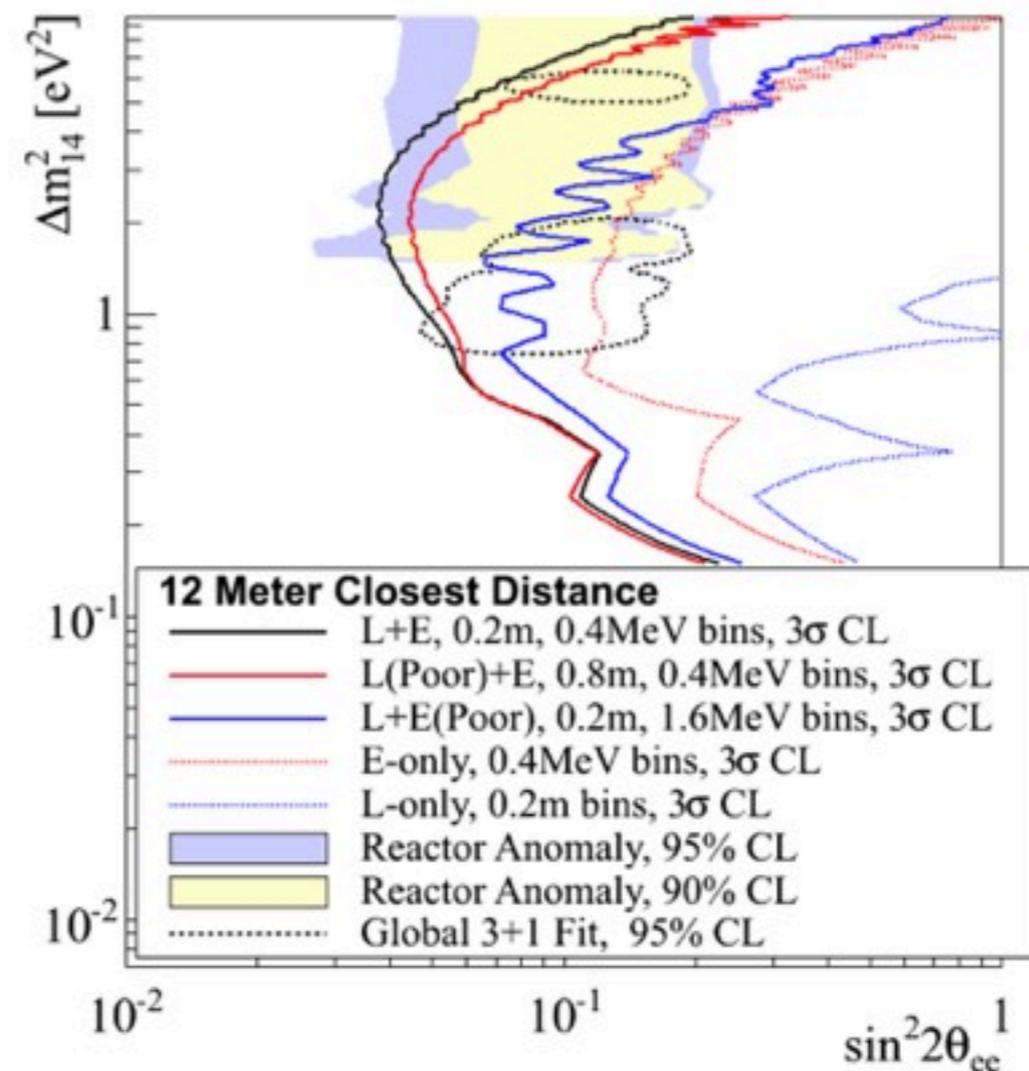
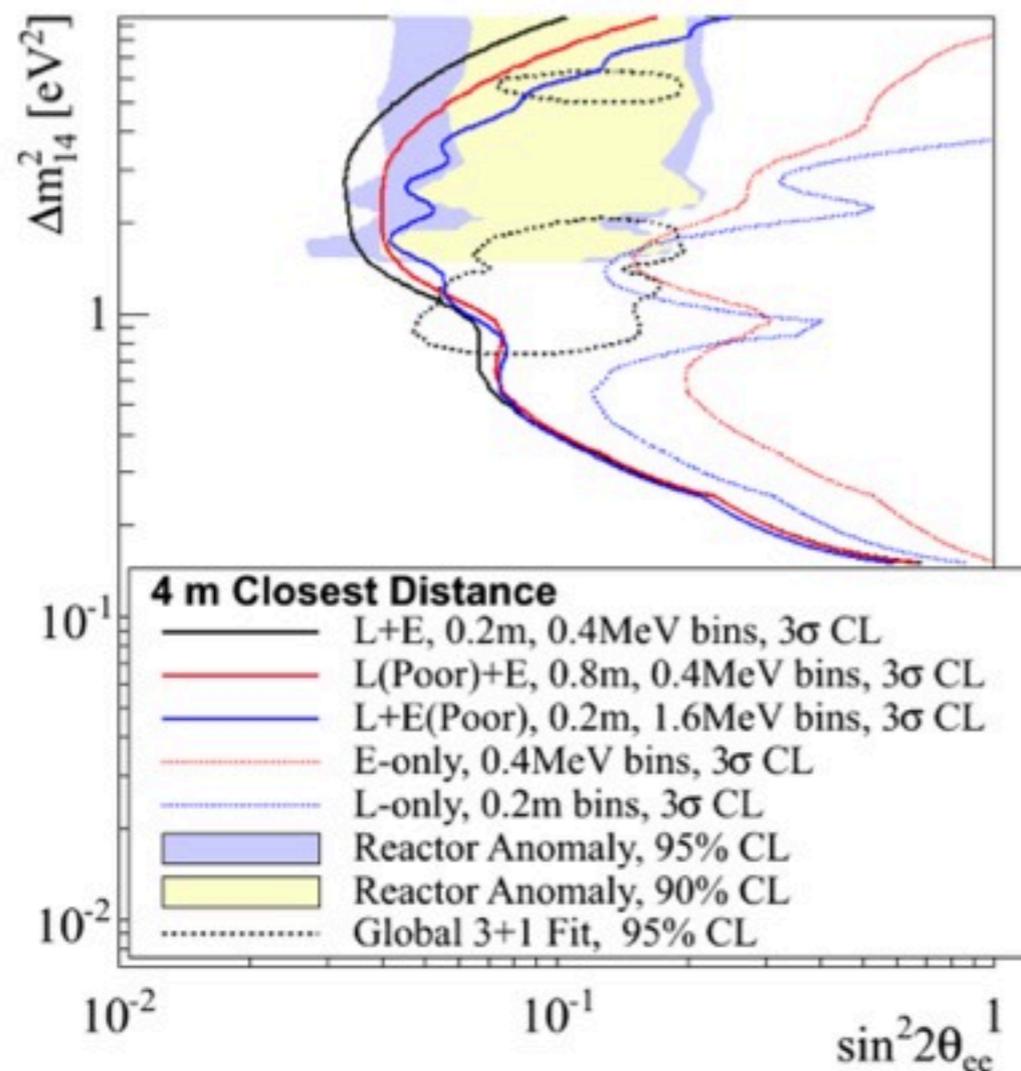
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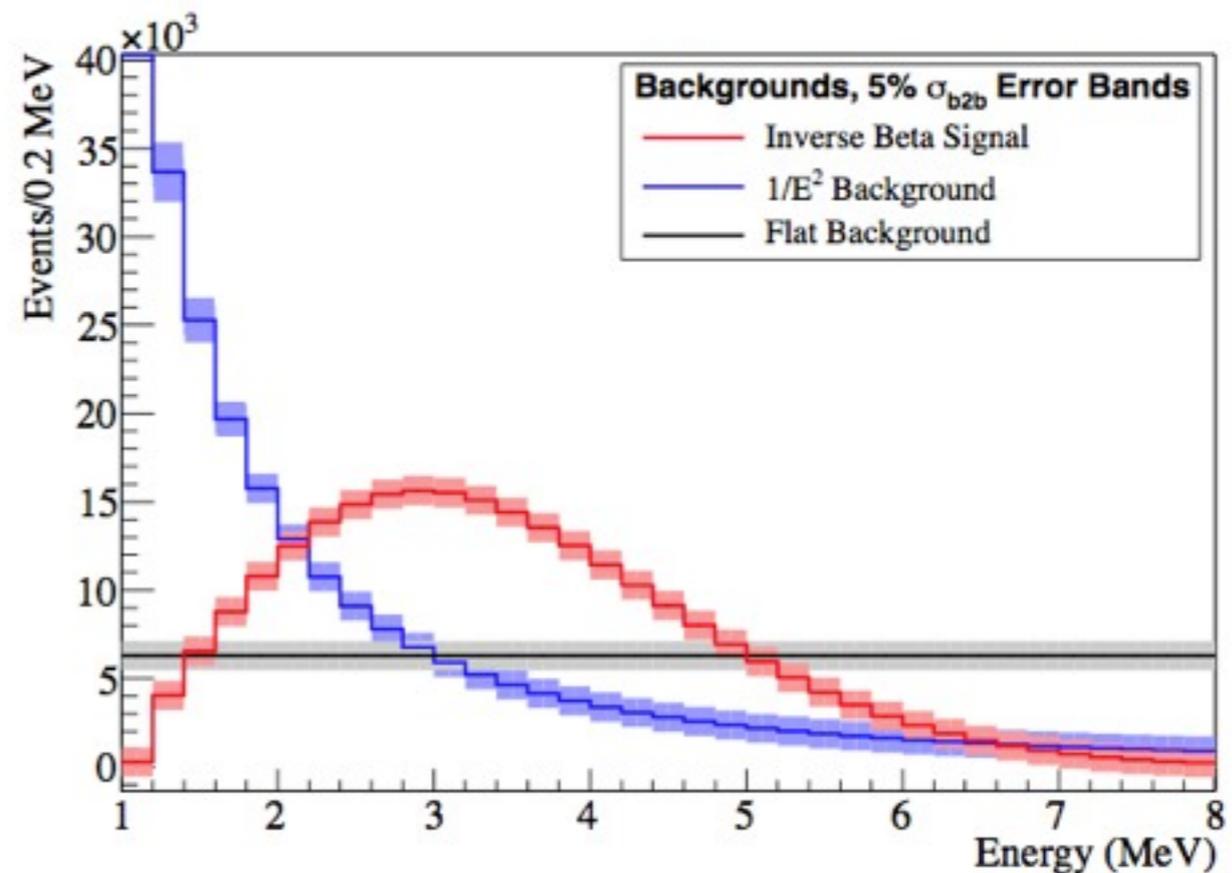
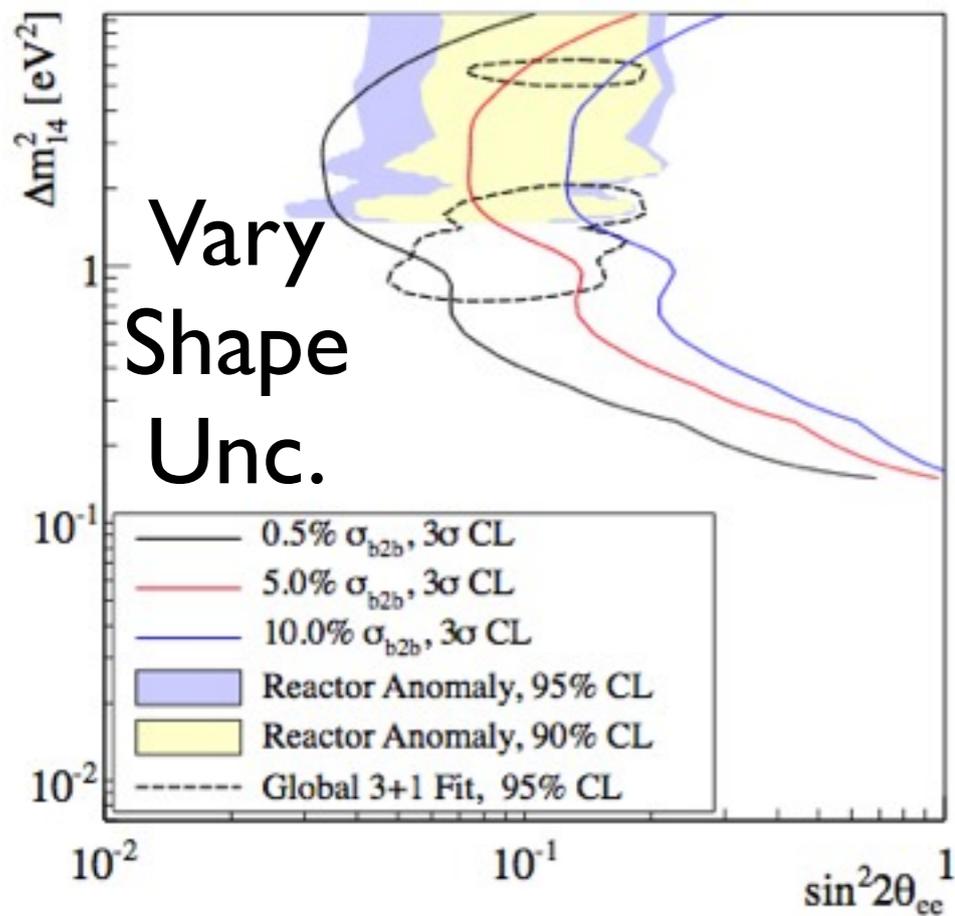
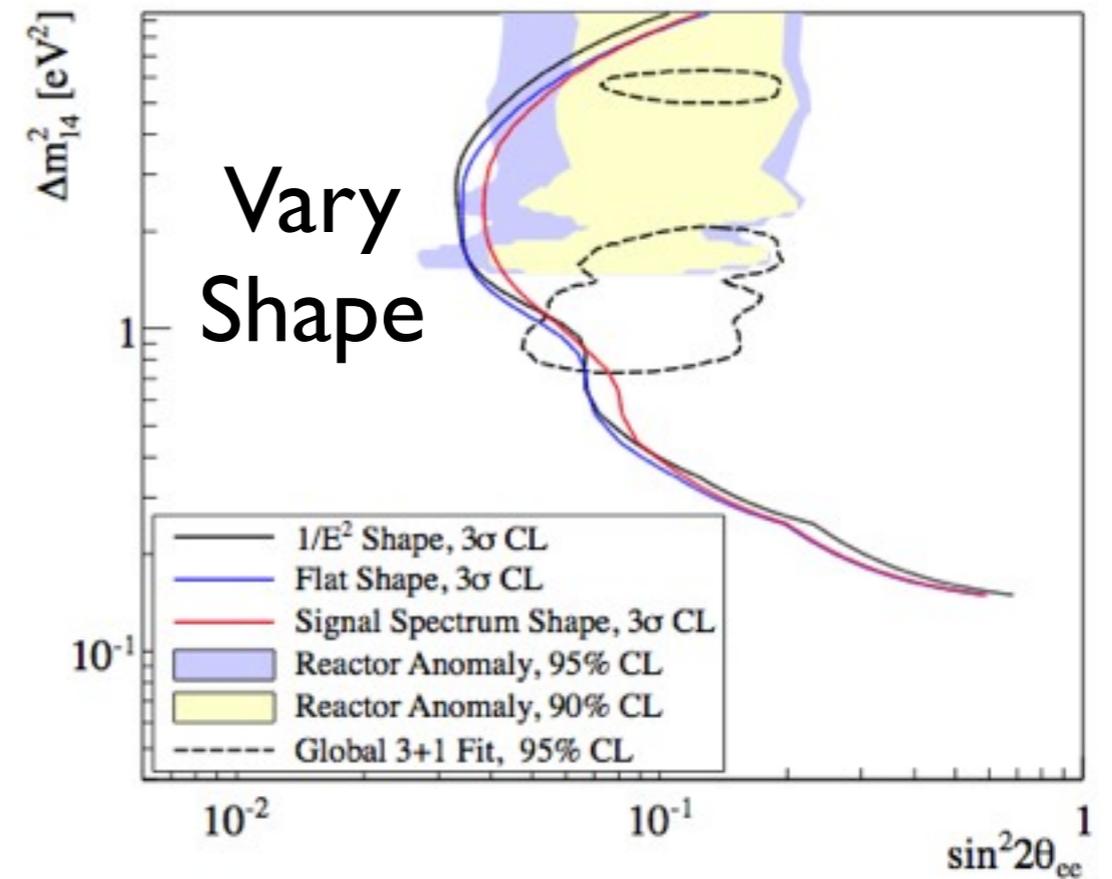
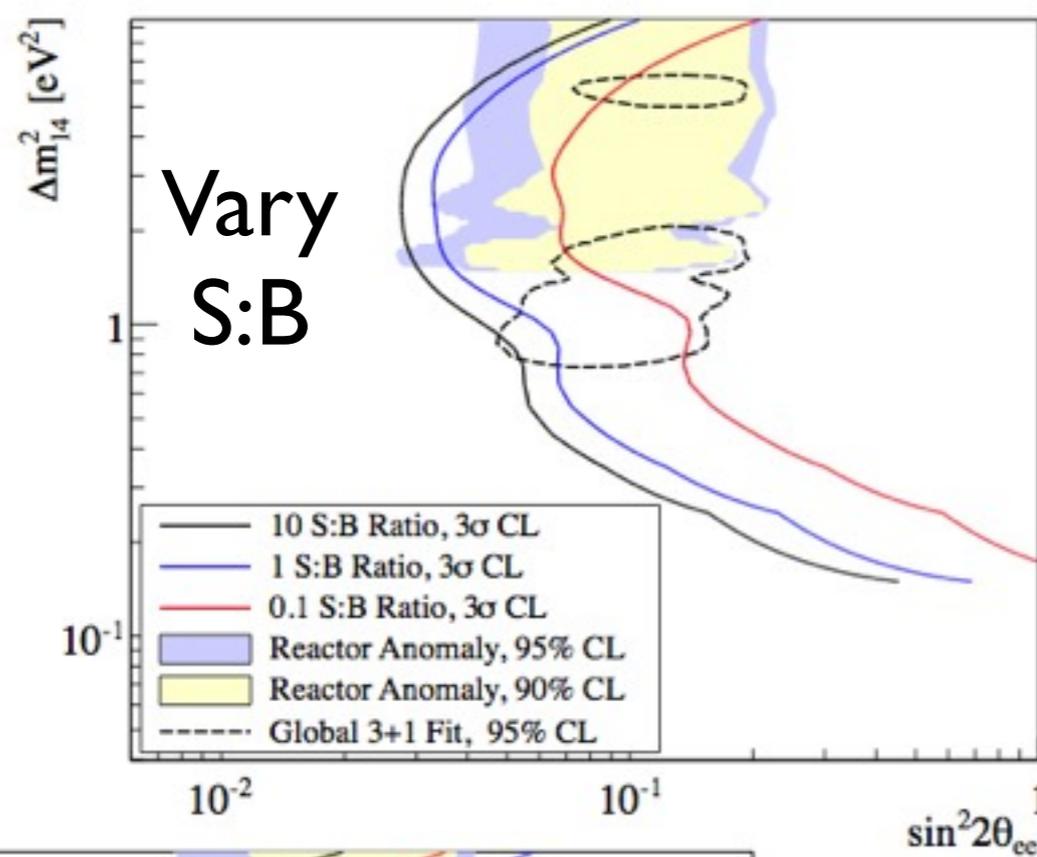


# Resolution

- So, naturally, sensitivity reduced with resolution loss
  - Particularly important at high  $\text{dm}^2$ .
- Importance of resolution (information) in position, energy depends on baselines, detector lengths
  - Clearly some interplay that needs to be sorted out for particular sites



# Background Parameters



# Conclusions

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- Very short baseline experiments can probe reactor anomaly to  $5\sigma$
- Critical Parameters:
  - Reactor power and detector efficiency
  - Reactor size
  - Detector length and distance to reactor
  - Resolution
  - Signal:Background
  - Understanding background energy/position distribution
- Secondary concerns:
  - Reactor shape, fuel type
  - Background shape

# Conclusions

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- Very short baseline experiments WE ARE CONSIDERING can probe reactor anomaly to  $5\sigma$
- We should work on exact sensitivities for each site
  - Need to have exact parameters available at each site
    - Exact baseline ranges
    - Exact detector sizes
  - Need to know the backgrounds at each site, baseline