Search for Higgs to Invisible States at ATLAS

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Why Invisible Higgs Decays?

ATLAS-CONF-2013-011, ATL-PHYS-PUB-2013-014



- BSM processes. Highly interesting from the dark matter perspective.
 - Search for coupling of the Higgs to:
 - The hidden sector (i.e. dark matter particle)
 - Other BSM particles (e.g. SUSY)
- ► ZH→II+E_T^{miss} has one of the highest sensitivities among direct H(→inv) search channels. (cf. VBF, monojet, W+E_T^{miss})
- <u>Complementary and more model-independent approach</u> than the Higgs coupling studies (*ATLAS-CONF-2013-034*)

Event Selection

ATLAS-CONF-2013-011



• 2 opposite-sign lepton w/ 76 < M_{\parallel} < 106 GeV; 3rd lepton veto (p_T>7 GeV)

Fractional p_T difference ($IE_T^{miss} - p_T^{\parallel}I / p_T^{\parallel}$) < 0.2

• **E**_T^{miss} > 90 GeV

 $d\phi(E_T^{miss}, E_T^{miss, trk}) < 0.2$

- dφ(I,I) < 1.7
 - dφ(p_T^{II}, E_T^{miss}) > 2.6
 - **Jet veto** (p_T > 20 GeV, lηl < 2.5)

Ermiss-related; key variables to suppress the Z BG

Background

- ZZ: The dominant and irreducible background. Estimated with Monte Carlo (MC).
- WZ: MC-based, and validated using a trilepton control region.
- WW/ttbar&Wt/Z($\rightarrow \tau \tau$): Estimated with data-driven ways using the e- μ CR. MC used for 2011 due to limited data statistics.
- **Z+jets:** Estimated with data-driven methods. ABCD method as the nominal estimate. Gamma+jets method was investigated as well.
- W+jets/multijet: Estimated with the Matrix Method, cross-checked with like-sign control region & MC scaling.

Estimated by MC Estimated by data-driven methods

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BG Size

Results



Limits



- Model-independent limits on $\sigma \times BR(ZH \rightarrow II + inv)$ are set for "another" Higgs.
- We also set a **limit on BR(H\rightarrowinv)** assuming m_H = 125 GeV & $\sigma_{ZH} = \sigma_{ZH}^{SM}$. BR(H \rightarrow inv)<0.65 (observed) & 0.84 (expected) @ 95% CL.
- Higgs coupling studies (ATLAS-CONF-2013-34) give an observed limit of BR(H→inv+undetected)<0.6 @ 95% CL.

Sensitivity w/ Future LHC

ATL-PHYS-PUB-2013-014



- Two scenarios of systematics
 - Conservative: same systematics size as the 7+8 TeV analysis
 - Realistic: reduced systematics for ZZ & WZ BG due to more expected data

- Target is to reach BR(inv)~10%, where SUSY could become visible.
- Estimated the expected sensitivity to the invisible Higgs decay with the future Phase-1 and Phase-2 LHC.
- Pileup conditions of <µ>=60 & 140 are considered for Phase-1 & 2.

	Phase-1 300 fb ⁻¹	Phase-2 3000 fb ⁻¹
BR(H→inv) 95% CL limits	23-32%	8-16%

Higgs-Portal Interpretation

BR(H→inv) limit could be mapped to bounds on the coupling of Higgs-dark matter (DM) & DM-nucleon cross section for Higgs-portal DM models





- Very good sensitivity in m_x<m_H/2 region.
- Significantly exceeds the limits from the direct detection experiments for the low mass region.
- LHC could provide complementary results to the DM experiments.

Summary

- Searched for invisible decays of the Higgs boson in the ZH process using 7 & 8 TeV dataset (4.7+13.0 fb⁻¹). No significant excess is observed.
- Model-independent limits are set on σ x BR for m_H=115-300 GeV.
- Limit is also set on BR(H→inv) for 125 GeV Higgs assuming the SM ZH production cross section. BR(H→inv) < 65% (obs) @ 95% CL.
- Sensitivity from the future LHC has also been studied. Expected to reach BR(H→inv) < 23-32% (8-16%) w/ 300 fb⁻¹ (3000 fb⁻¹), where SUSY could start to show up.
- BR(H→inv.) limit is interpreted with the Higgs-portal dark matter scenario. We have very good sensitivity in m_{DM}<m_H/2 region & exceeds the limits from the direct DM detection experiments.

backups

WW/Top/Z(→тт): Data-Driven

- Using the flavor symmetry in WW/dilep. ttbar & Wt/Z(→TT) processes.
- A data-driven method which inclusively estimates those BGs from the e-μ control region.

- $N_{e\mu}^{data,sub}$ corresponds to data events in the CR, but contributions from non-WW/Top/Z ($\rightarrow \tau \tau$) BG are subtracted with MC
- k-efficiency factor & MC subtraction are the main source of systematics
- This method is now used for both 2011 & 2012 data

ABCD Method for Z BG



 Purely data-driven except for the MC subtraction of the non-Z background

Assume that

$$N_{A} = N_{B} \times \frac{N_{C}}{N_{D}}$$

$$\int Corrects \text{ for difference} \\between N_{A}/N_{B} \& N_{C}/N_{D}$$

$$N_{A} = N_{B} \times \frac{N_{C}}{N_{D}} \times \alpha$$

W+jets/QCD: Matrix Method

Data-driven method to estimate the fake background (W+jets/QCD)



- **Tight lepton:** nominal lepton criteria in this analysis
- Loose lepton: same as nominal but,
 - e: loose++ & no track isolation
 - μ: no track isolation

$$N_{W+jets} = \sum_{i}^{N_{events}} N_{RF}^{i} \times r_{1}^{i} \times f_{2}^{i} + N_{FR}^{i} \times f_{1}^{i} \times r_{1}^{i}$$

$$N_{di-jet} = \sum_{i}^{N_{events}} N_{FF}^{i} \times f_{1}^{i} \times f_{2}^{i}$$

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ZZ & WZ

- Irreducible and the most dominant BG for our search
- Estimated with MC.
- The latest ATLAS measurement@8TeV in the ZZ→4I channel gives consistent cross section with the NLO prediction.

$$\sigma^{\text{measured}}(ZZ) = 7.1^{+0.5}_{-0.4}(\text{stat.}) \pm 0.3(\text{syst}) \pm 0.2(\text{lumi.})\text{pb}$$

$$\sigma^{\text{NLO}}(ZZ) = 7.2^{+0.3}_{-0.2}\text{pb}$$

ATLAS-CONF-2013-020



 WZ estimation is validated in the trilepton control region. The CR is well described by MC for E_T^{miss} & other kinamatic variables.

Higgs-Portal Interpretation



- The limits on BR(H→inv) could be mapped to bounds on the coupling of Higgs-dark matter (DM) & DM-nucleon cross section for Higgs-portal DM models
- The Higgs-portal is a particular type of DM models, where DM interacts through the couplings to Higgs.

Mapping & DM-types



We consider three DM types: scalar, vector, majorana fermion

$$\Gamma^{\text{Scalar}}(h \to \chi \chi) = \frac{\lambda_{h\chi\chi}^{2} \operatorname{Scalar}_{V^{2}}}{64\pi m_{h}} \left[1 - \left(\frac{2m_{\chi}}{m_{h}}\right)^{2} \right]^{1/2} \qquad \sigma_{\chi N}^{\text{Scalar}} = \frac{\lambda_{h\chi\chi}^{2} \operatorname{Scalar}}{16\pi m_{h}^{4}} \frac{m_{N}^{4} f_{N}^{2}}{(m_{\chi} + m_{N})^{2}} \\ \Gamma^{\text{Vector}}(h \to \chi \chi) = \frac{\lambda_{h\chi\chi}^{2} \operatorname{Vector}_{V^{2}}}{256\pi m_{\chi}^{4} m_{h}} \left[m_{h}^{4} - 4m_{\chi}^{2} m_{h}^{2} + 12m_{\chi}^{4} \right] \left[1 - \left(\frac{2m_{\chi}}{m_{h}}\right)^{2} \right]^{1/2} \qquad \sigma_{\chi N}^{\text{Vector}} = \frac{\lambda_{h\chi\chi}^{2} \operatorname{Vector}}{16\pi m_{h}^{4}} \frac{m_{N}^{4} f_{N}^{2}}{(m_{\chi} + m_{N})^{2}} \\ \Gamma^{\text{Majorana}}(h \to \chi \chi) = \frac{\lambda_{h\chi\chi}^{2} \operatorname{Majorana}_{V^{2}} m_{h}^{2}}{32\pi\Lambda^{2}} \left[1 - \left(\frac{2m_{\chi}}{m_{h}}\right)^{2} \right]^{3/2} \qquad \sigma_{\chi N}^{\text{Majorana}} = \frac{\lambda_{h\chi\chi}^{2} \operatorname{Majorana}_{V^{2}} m_{h}^{4}}{4\pi\Lambda^{2}m_{h}^{4}} \frac{m_{\chi}^{2} m_{N}^{4} f_{N}^{2}}{(m_{\chi} + m_{N})^{2}}$$