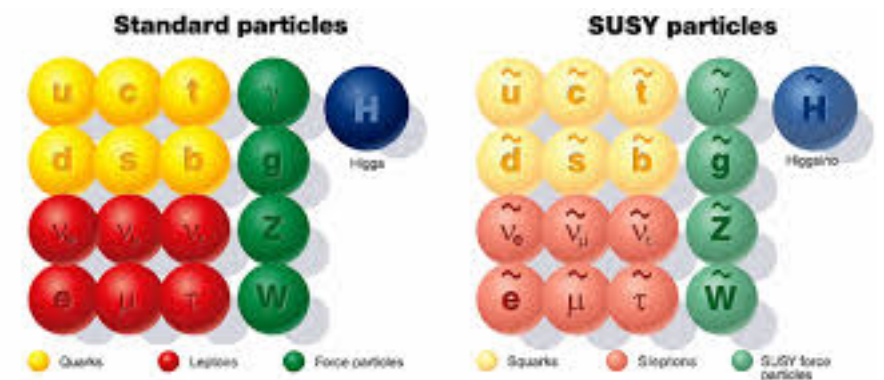


Multi-methods for multi-boson production in unnatural and natural SUSY*

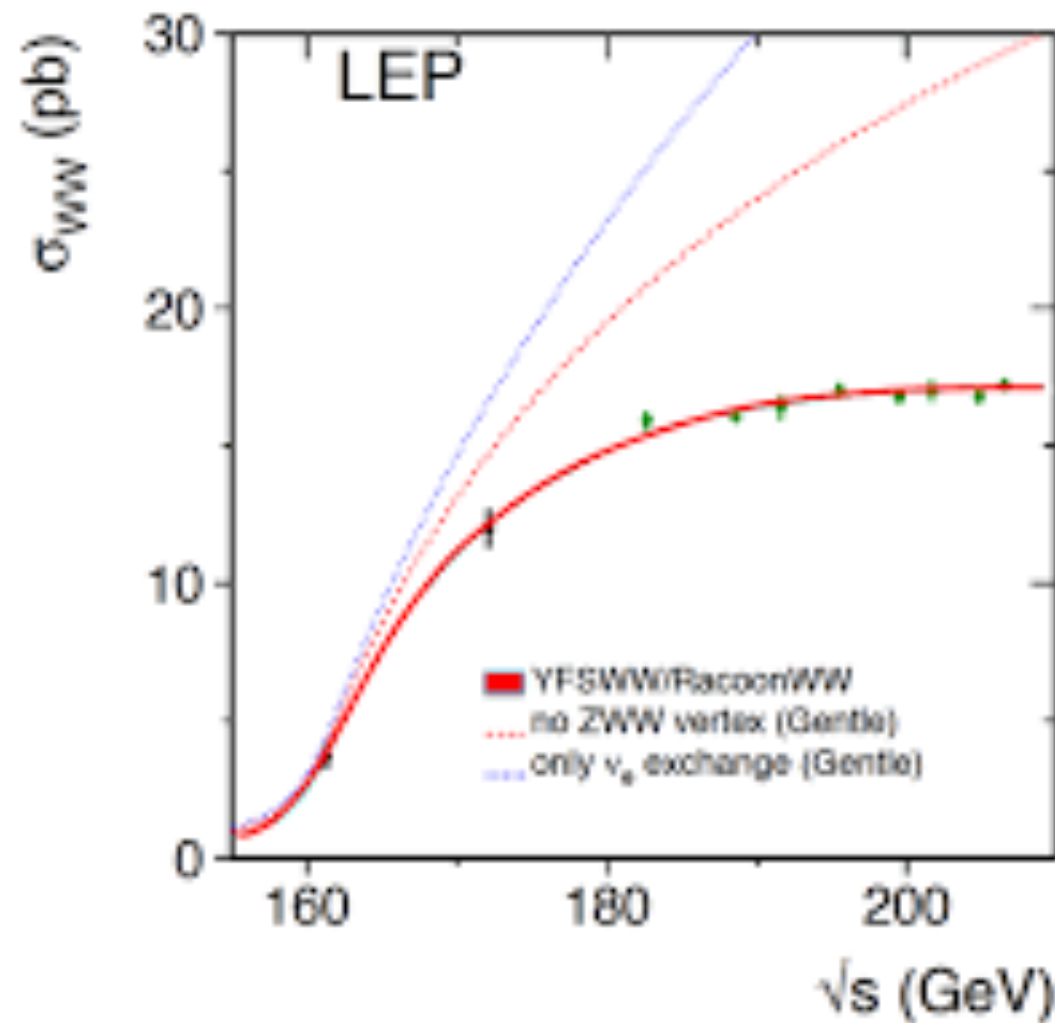
Howie Baer
University of Oklahoma
MBI 2016, Madison, WI



or why Buckminster Badger loves SUSY!

*this is first SUSY talk at this series of meetings

Let us recall some historical roots to MBI



Bad high energy behavior of $e^+e^- \rightarrow W^+W^-$ individual amplitudes (ν_e t -channel exchange vs. γ, Z s -channel exchange cancels due to gauge symmetry

Lesson: any single diagram gives large overestimate of total cross section (keep in mind for later use)

Subleading bad behavior due to EW symmetry breaking:

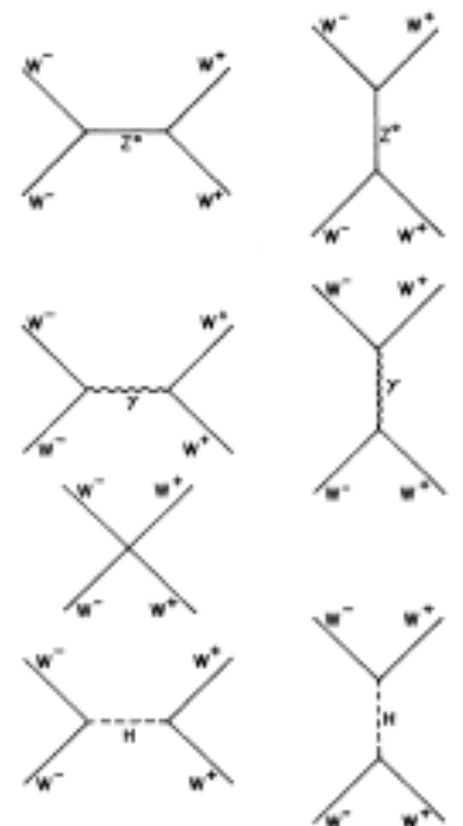
Strength of Weak Interactions at Very High Energies and the Higgs Boson Mass

Benjamin W. Lee, C. Quigg,* and H. B. Thacker
Fermi National Accelerator Laboratory, Batavia, Illinois 60510
(Received 28 February 1977)

It is shown that if the Higgs boson mass exceeds $M_h = (8\pi\sqrt{2}/3G_F)^{1/2}$ partial-wave unitarity is not respected by the tree diagrams for two-body reactions of gauge bosons, and the weak interactions must become strong.

either light Higgs boson exists or
weak interactions
become strong around $Q \sim 1$ TeV

At high energies, $WW \rightarrow WW$ becomes strong
much like $\pi\pi \rightarrow \pi\pi \dots$?



Historical aside:
strong VV scattering calculations by
Chanowitz and Gaillard provided the motivation
for construction of 40 TeV SSC

MULTIPLE PRODUCTION OF W AND Z AS A SIGNAL OF NEW STRONG INTERACTIONS

Michael S. CHANOWITZ

Lawrence Berkeley Laboratory, University of California, Berkeley, CA 94720, USA

and

Mary K. GAILLARD

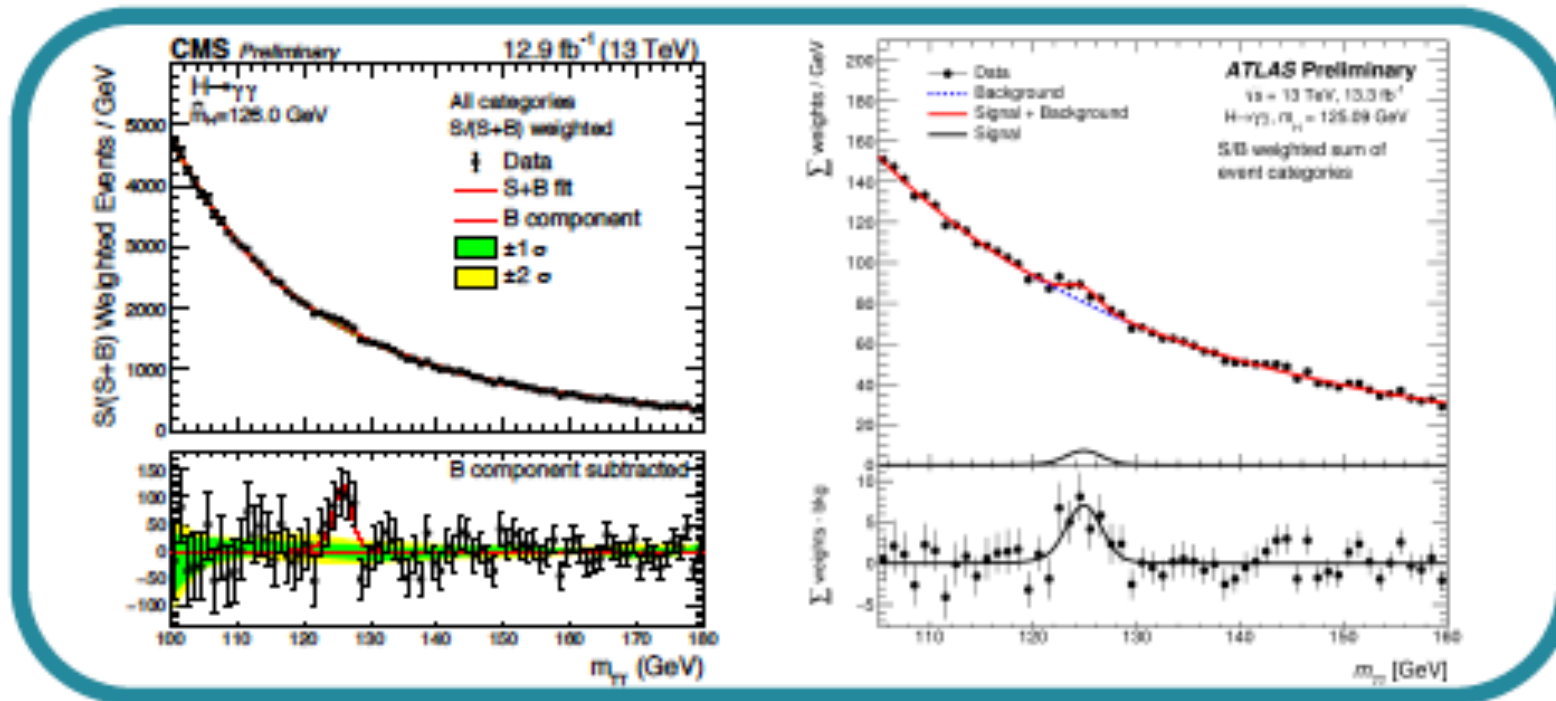
Lawrence Berkeley Laboratory, and Department of Physics, University of California, Berkeley, CA 94720, USA

Received 2 April 1984

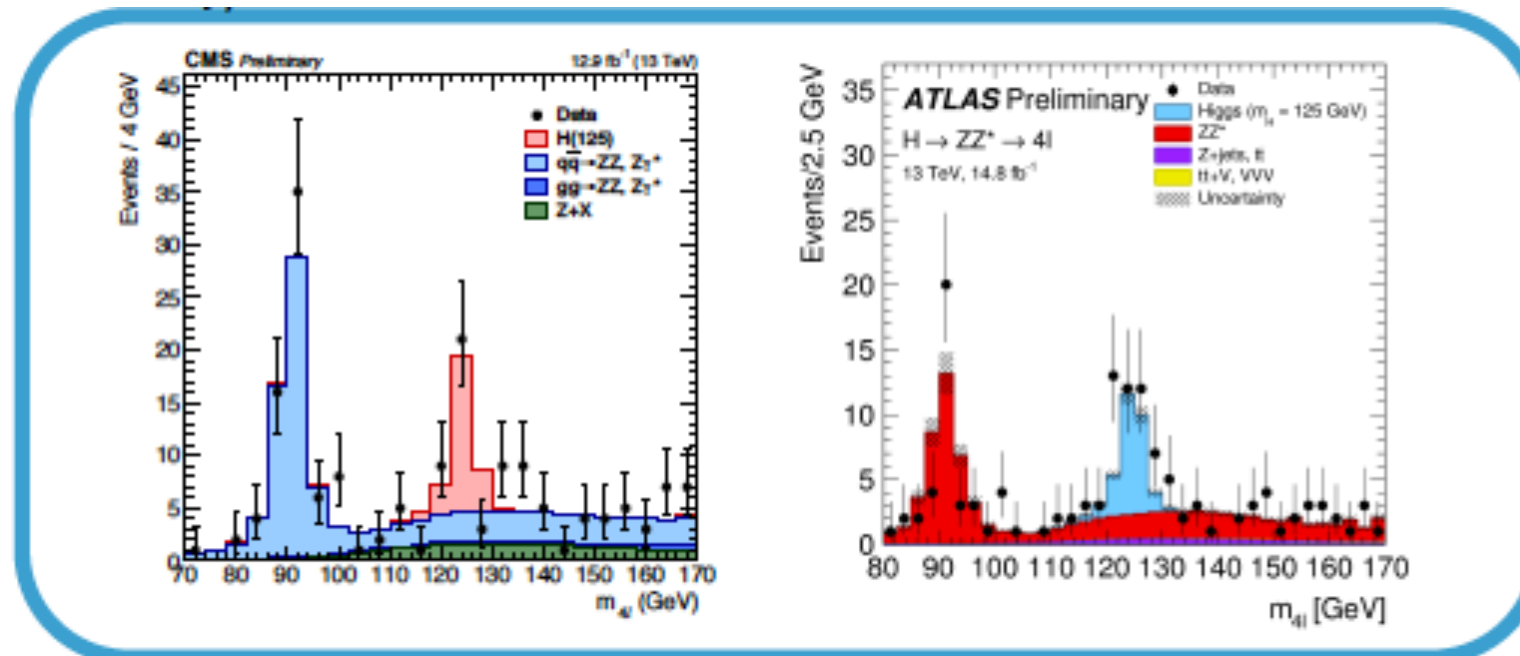
Anomalously large cross sections for multi W and Z final states will occur at SSC energies if electroweak symmetry breaking is due to new strong interactions.

LHC was built at maximal energy possible for LEP tunnel
but with ~ 10 times luminosity to try to be
competitive with SSC for strong VV scattering

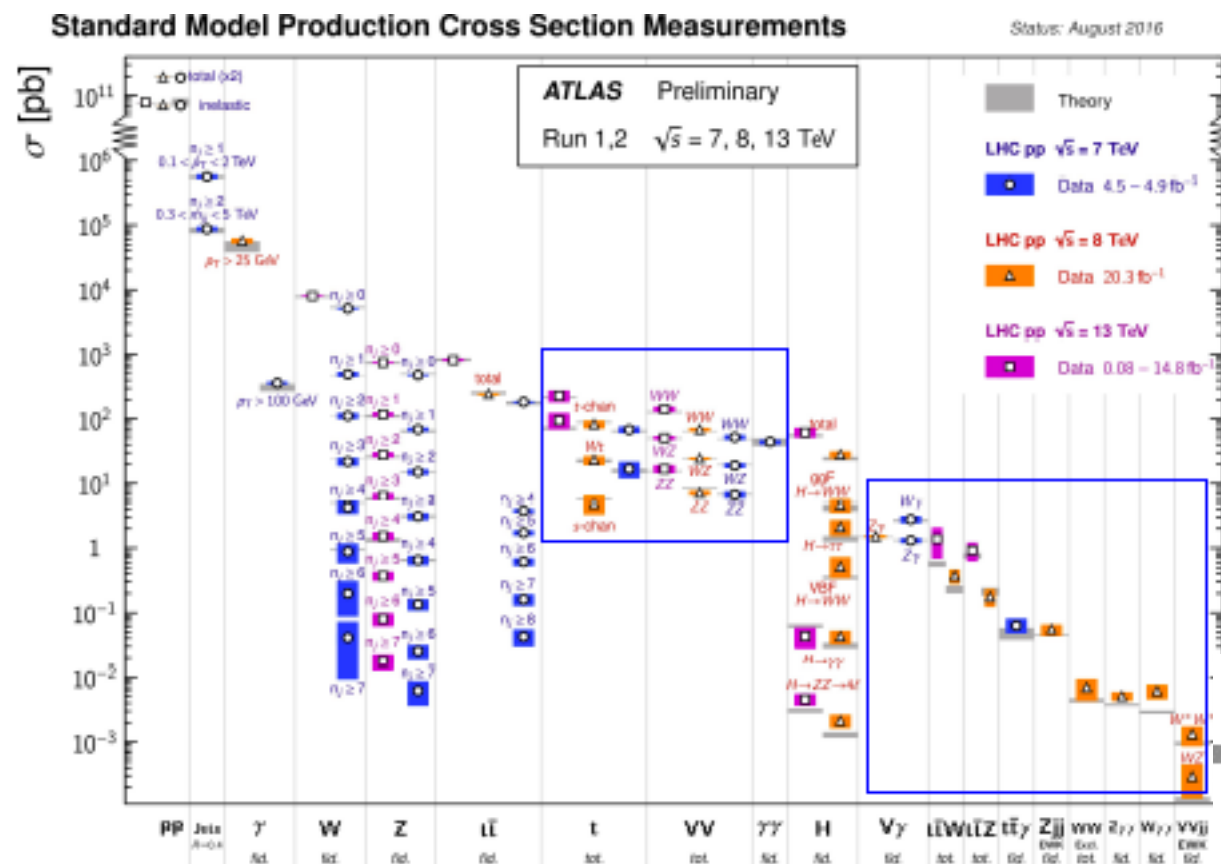
But \dots , the Higgs is now discovered
 with $m_h \simeq 125$ GeV
 SM describes LHC data very well!



F. Canelli, ICHEP16



Previous diboson cross section excess
now in accord with NNLO calculations!



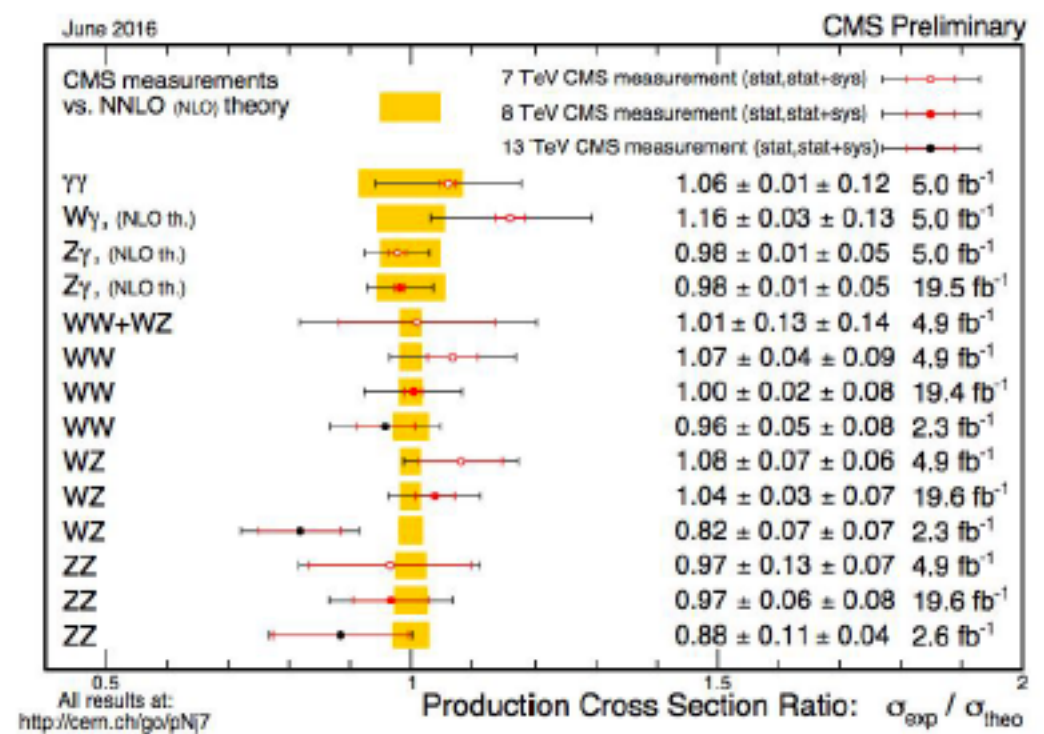
Diboson cross section summary

Final precise 8TeV diboson cross sections, differential cross sections.
New 13TeV cross section, starting to go differential.
Measurements consistent with NNLO

What we learned from ICHEP2016:

MB data in exceptional agreement with SM!

750 GeV $\gamma\gamma$ bump gone



Is there any hope for discovery of BSM physics at LHC?
Many papers skeptical:
nature looks very SM-like and so far no SUSY either

Natural SUSY: Now or Never?

J. S. Kim*

Instituto de Física Teórica UAM/CSIC, Madrid, Spain

K. Rolbiecki†

Institute of Theoretical Physics, University of Warsaw, Poland

R. Ruiz‡

Instituto de Física Corpuscular, IFIC-UV/CSIC, Valencia, Spain

J. Tattersall§ and T. Weber¶

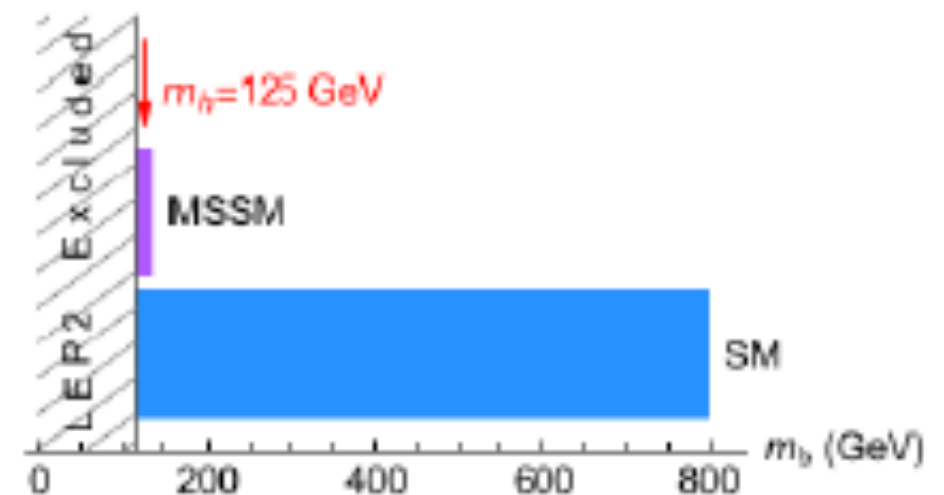
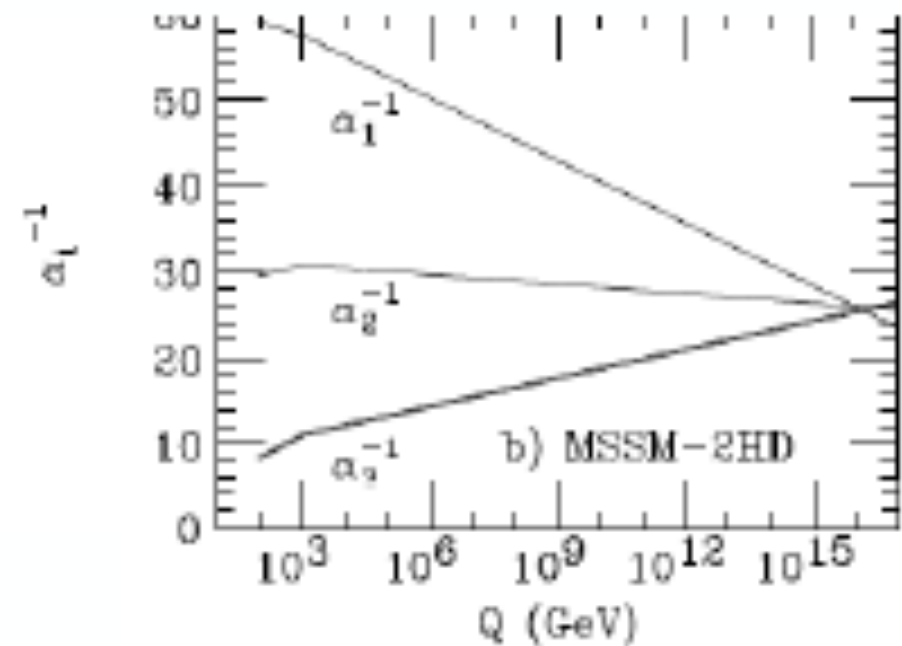
Institute for Theoretical Particle Physics and Cosmology, RWTH Aachen, Germany

same time period. However, more pessimistically we find that if no signal begins to appear this summer only a very small region of parameter space can be discovered with $5\text{-}\sigma$ significance. For

We will refute this point of view;
prospects for SUSY at LHC quite bright!

Nature sure looks like SUSY

- stabilize Higgs mass
- measured gauge couplings
- $m(t) \sim 173$ GeV for REWSB
- $m_h(125)$: squarely within SUSY window



Multi-boson production from gluino/squark production: already noted in first paper on SUSY cascade decays

Detecting gluinos at hadron supercolliders

Howard Baer

High Energy Physics Division, Argonne National Laboratory, Argonne, Illinois 60439

V. Barger

Physics Department, University of Wisconsin, Madison, Wisconsin 53706

Debra Karatas

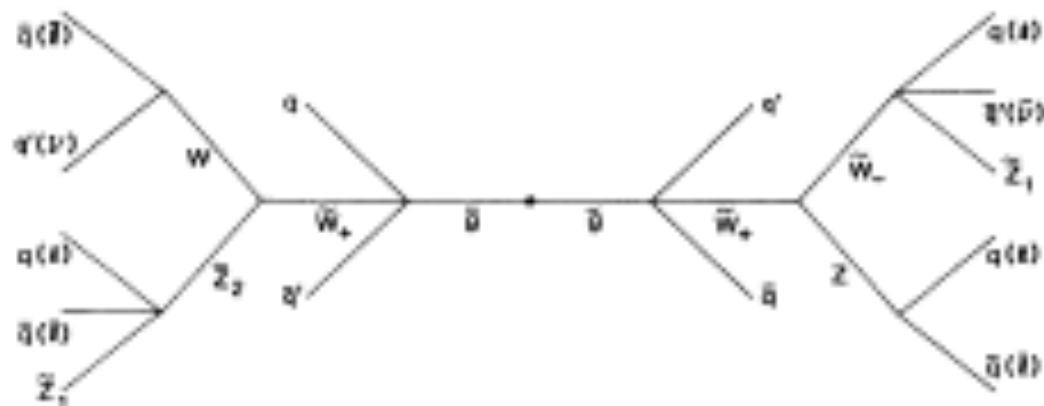
*High Energy Physics Division, Argonne National Laboratory, Argonne, Illinois 60439
and Physics Department, Illinois Institute of Technology, Chicago, Illinois 60616*

Xerxes Tata

Physics Department, University of Wisconsin, Madison, Wisconsin 53706

(Received 5 December 1986)

If the gluino mass exceeds 150–200 GeV, searches for gluinos will likely have to be made at multi-TeV hadron colliders. Unlike the case of light gluinos ($m_{\tilde{g}} \lesssim 60$ GeV), which dominantly decay via $\tilde{g} \rightarrow q\bar{q}\gamma$, heavy-gluino decays proceed via $\tilde{g} \rightarrow q\bar{q}\tilde{W}_i$ and $\tilde{g} \rightarrow q\bar{q}\tilde{Z}_j$ where \tilde{W}_i and \tilde{Z}_j are charged and neutral mass eigenstates in the gauge-Higgs-fermion sector. The usual missing- p_T signatures are altered and new strategies may be required for gluino detection. We analyze heavy-gluino and scalar-quark decays and estimate the production rates for $\tilde{W}_i\tilde{W}_j$, $\tilde{W}_i\tilde{Z}_j$, and $\tilde{Z}_i\tilde{Z}_j$ pairs at a 40-TeV pp collider. Since a heavy gluino decays dominantly into jets and the heavy chargino, which in turn decays into a Z^0 or W boson plus a lighter chargino or neutralino, a typical gluino-pair event contains several leptons and/or jets in the final state.

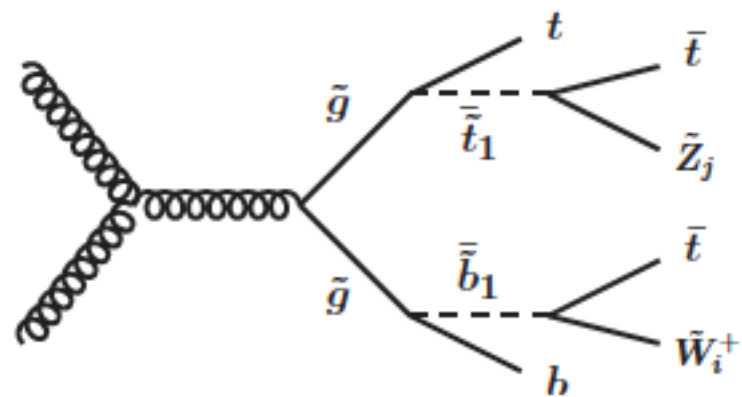


$$\tilde{g}\tilde{g} \rightarrow WZ + jets + MET$$

nowadays, expect enhanced multi-boson production
from gluino/squark production

$$\begin{aligned}\tilde{g} &\rightarrow t\bar{t}\tilde{\chi}_i^0 \\ \tilde{g} &\rightarrow t\bar{b}\tilde{\chi}_j^- + c.c.\end{aligned}$$

$\tilde{g} \rightarrow top$ enhanced by:



- large top Yukawa
- low mass stop mediator
- stop mass splitting due to mixing

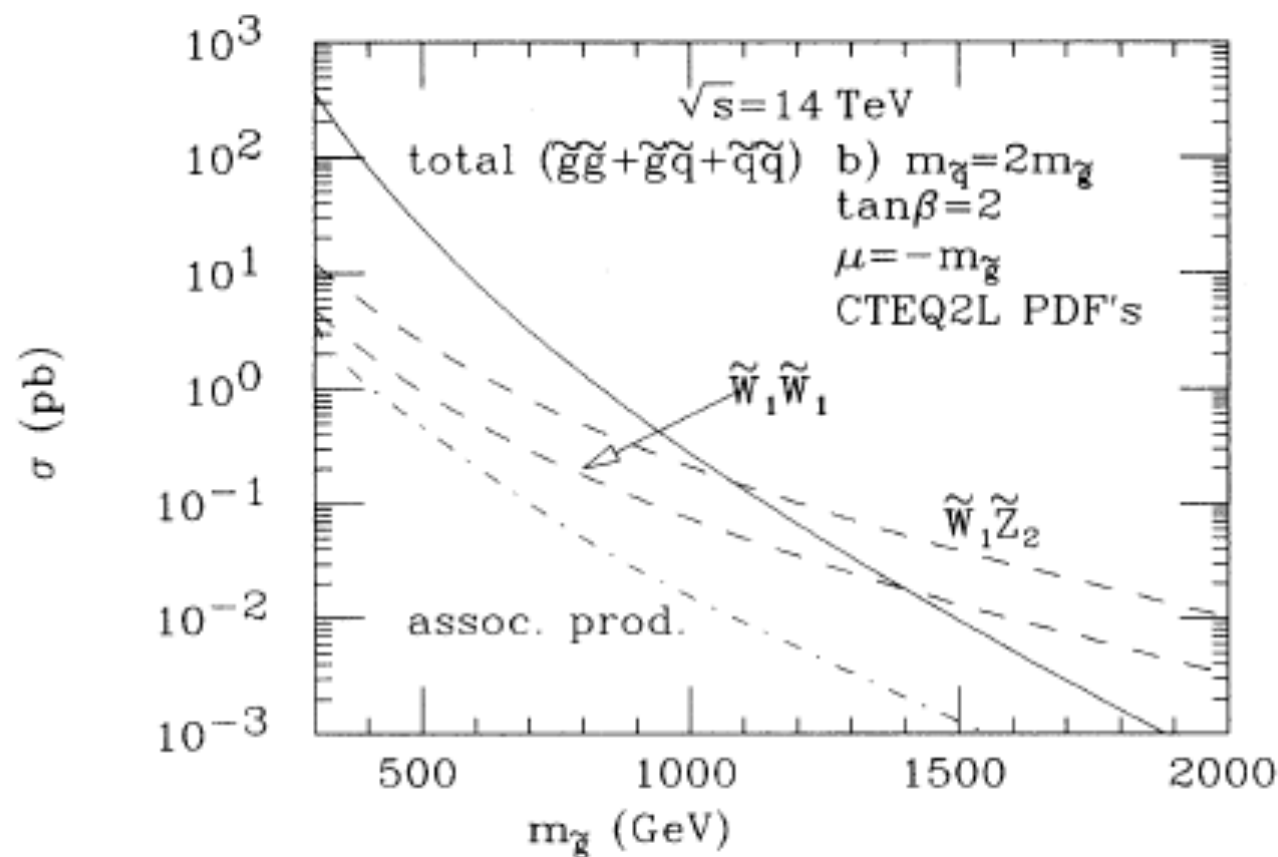
HB, Tata, Woodside, PRD42 (1990) 1568;
PRD45 (1992) 142

can lead to WWWW+jets+MET signatures

signals rich in top and b jets

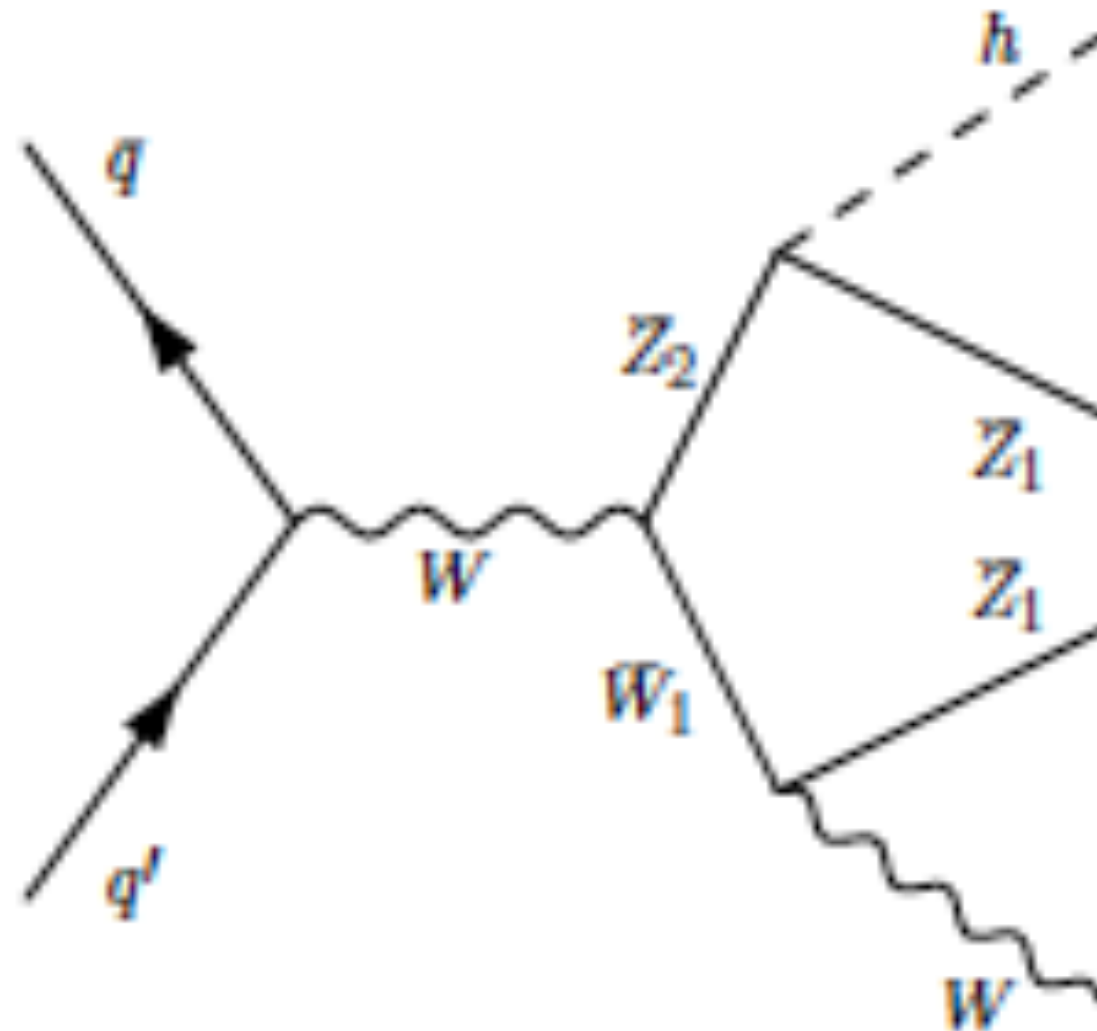
multi-isolated leptons: 1l, OS, SS, 3l,4l...

It is often said that gluinos/squarks yield the largest SUSY production cross sections at LHC:
 this is true if all sparticles are equal mass;
 NOT true if e.g. gaugino mass unification: then
 expect $M1:M2:M3 \sim 1:2:7$



$$\sigma(EWinos) \gg \sigma(\tilde{g}\tilde{g})?$$

This provides new search possibilities especially for higher integrated luminosity LHC



This reaction was labelled “spoiler mode” for Tevatron SUSY searches since once it turned on, then clean trilepton signature was suppressed

But for LHC, it offers new search possibility:

$$pp \rightarrow \tilde{\chi}_1^\pm \tilde{\chi}_2^0 \rightarrow (W \tilde{\chi}_1^0) + (h \tilde{\chi}_1^0) \rightarrow Wh + MET$$

HB, Barger, Lessa, Sreethawong, Tata PRD85 (2012) 055022

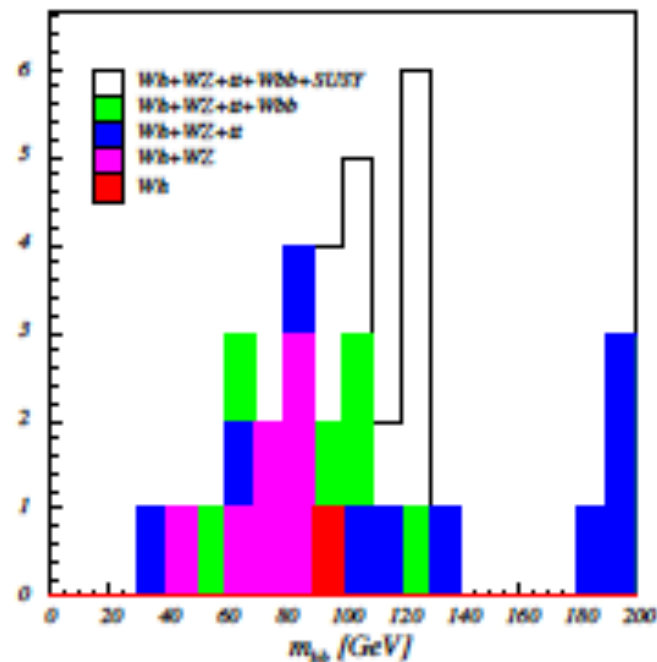
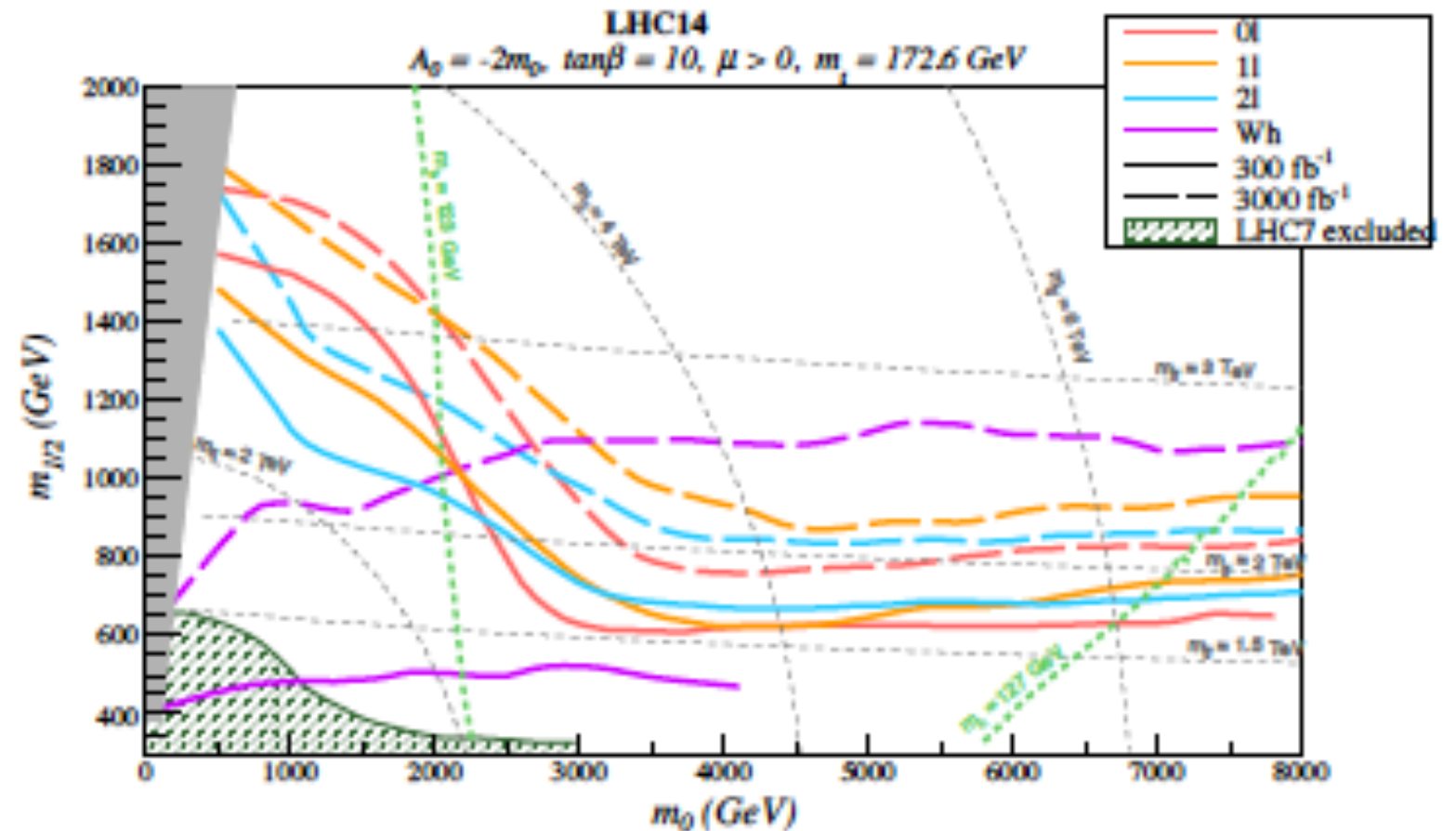


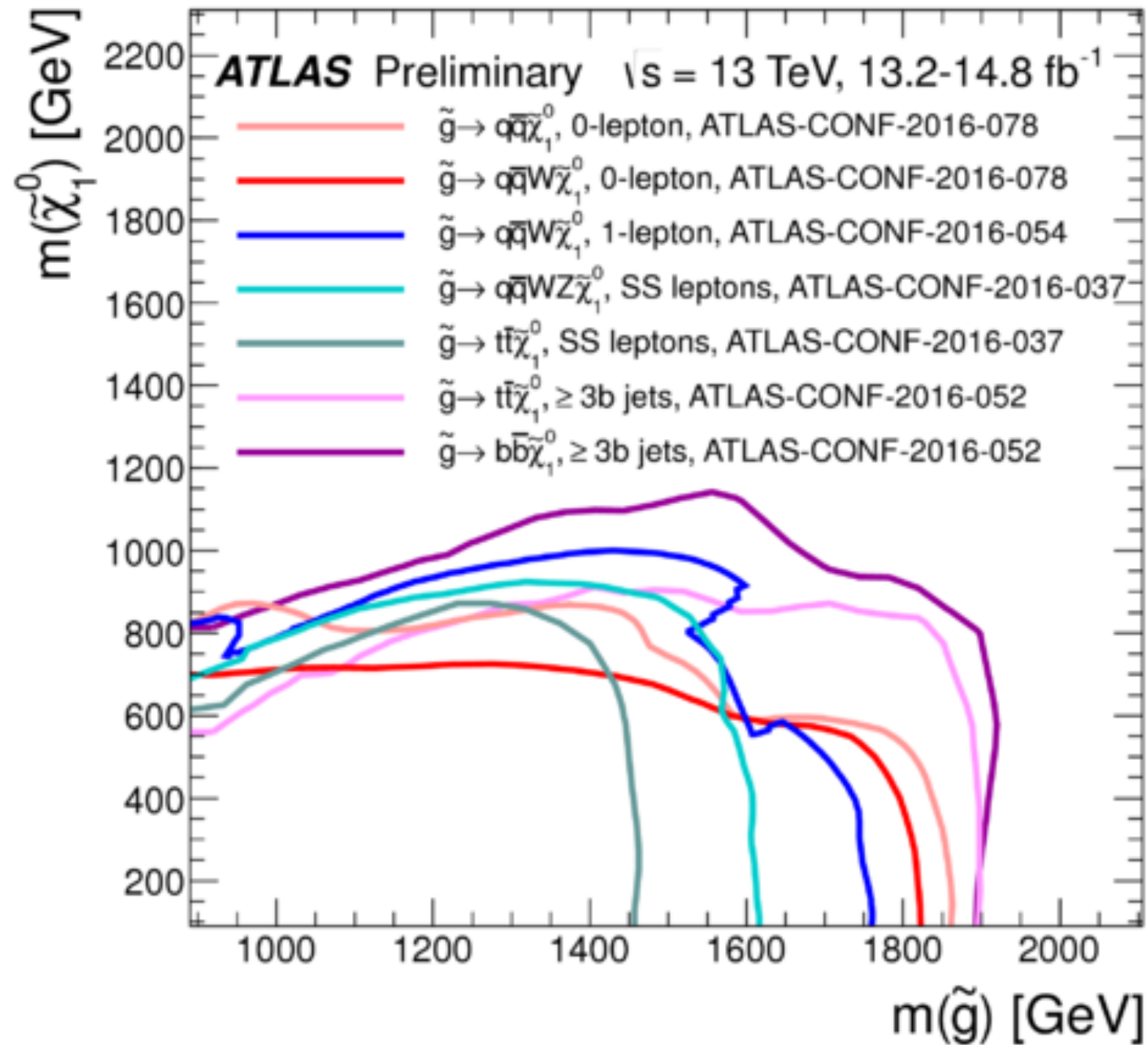
FIG. 3: Number of events expected in 100 fb^{-1} of LHC14 d versus $m(bb)$ for various summed SM backgrounds (shad) and SUSY signal, with $m_{\tilde{W}_1} = 620 \text{ GeV}$ and $m_h = 125 \text{ GeV}$



this channel gives best reach of HL-LHC for (unnatural) models like mSUGRA/CMSSM!

HB, Barger, Lessa, Tata, PRD86 (2012) 117701

recent search results from Atlas run 2 @ 13 TeV:



evidently $m_{\tilde{g}} > 1.9 \text{ TeV}$

compare: BG naturalness (1987): $m_{\tilde{g}} < 0.35 \text{ TeV}$

IS SUSY ALIVE AND WELL?



Instituto de Física Teórica UAM-CSIC
Madrid, 28-30 September 2016

<https://workshops.ift.uam-csic.es/susyaaw>

or is SUSY dead?
how to disprove SUSY?
when it becomes “unnatural”?
this brings up **naturalness** issue

“...settling the ultimate fate of naturalness is perhaps
the most profound theoretical question
of our time”



Arkani-Hamed et al.,
arXiv:1511.06495

“Given the magnitude of the stakes
involved,
it is vital to get a clear verdict
on naturalness from experiment”

This should be matched by theoretical scrutiny
of what we mean by naturalness

Most claims against SUSY stem from
overestimates of EW fine-tuning.

These arise from violations of the

Prime directive on fine-tuning:

“Thou shalt not claim fine-tuning of
dependent quantities one against another!”

HB, Barger, Mickelson, Padeffke-Kirkland, arXiv:1404.2277

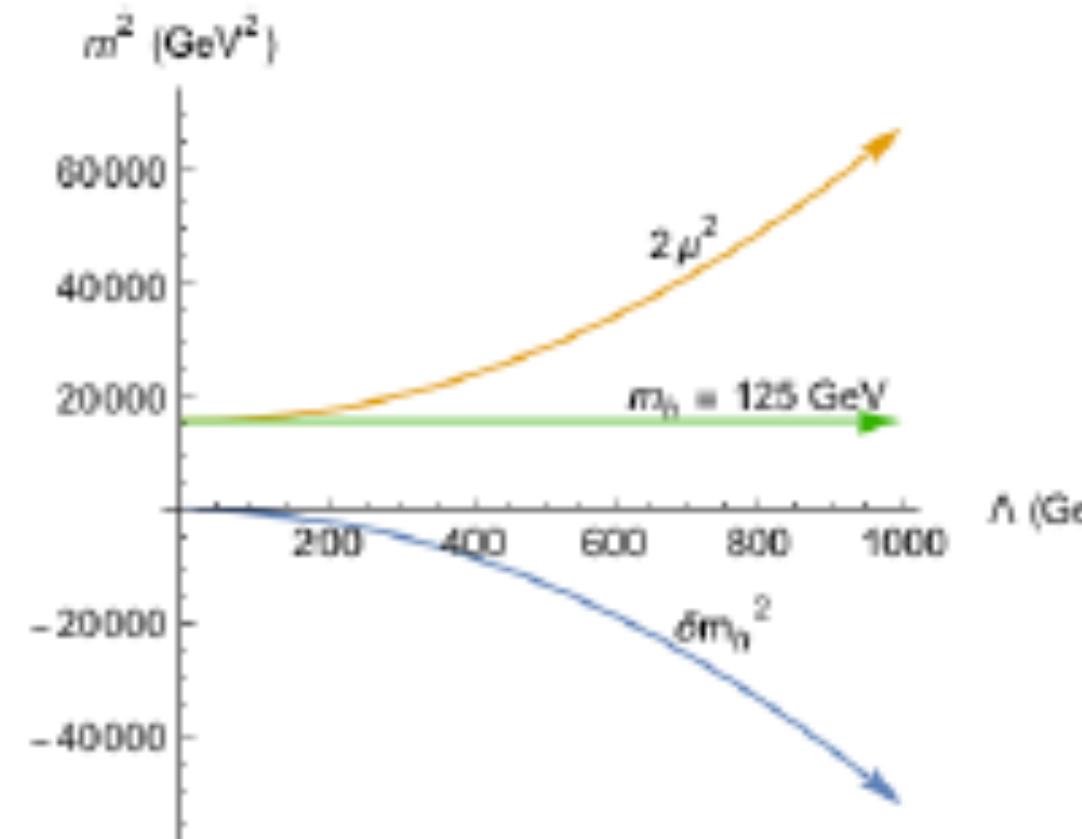


Is $\mathcal{O} = \mathcal{O} + b - b$ fine-tuned for $b > \mathcal{O}$?

Reminder: why we are here

Higgs sector of SM is “natural” only up to cutoff

$$\begin{aligned} V &= -\mu^2 \phi^\dagger \phi + \lambda (\phi^\dagger \phi)^2 \\ m_h^2 &\simeq 2\mu^2 + \delta m_h^2 \\ \delta m_h^2 &\simeq \frac{3}{4\pi^2} \left(-\lambda_t^2 + \frac{g^2}{4} + \frac{g^2}{8 \cos^2 \theta_W} + \lambda \right) \Lambda^2 \end{aligned}$$



Since δm_h^2 is *independent* of μ^2 ,
can freely dial (fine-tune) μ^2 to maintain $m_h = 125 \text{ GeV}$

Naturalness: $\delta m_h^2 < m_h^2 \Rightarrow \Lambda < 1 \text{ TeV}$!
New physics at or around the TeV scale!

Three measures of fine-tuning:



#1: Simplest SUSY measure: Δ_{EW}

Working only at the weak scale, minimize scalar potential: calculate $m(Z)$ or $m(h)$

No large uncorrelated cancellations in $m(Z)$ or $m(h)$

$$\frac{m_Z^2}{2} = \frac{m_{H_d}^2 + \Sigma_d^d - (m_{H_u}^2 + \Sigma_u^u) \tan^2 \beta}{\tan^2 \beta - 1} - \mu^2 \sim -m_{H_u}^2 - \Sigma_u^u - \mu^2$$

$$\Delta_{EW} \equiv \max_i |C_i| / (m_Z^2/2) \quad \text{with} \quad C_{H_u} = -m_{H_u}^2 \tan^2 \beta / (\tan^2 \beta - 1) \quad \text{etc.}$$

simple, direct, unambiguous interpretation:

- $|\mu| \sim m_Z \sim 100 - 200 \text{ GeV}$
- $m_{H_u}^2$ should be driven to small negative values such that $-m_{H_u}^2 \sim 100 - 200 \text{ GeV}$ at the weak scale and
- that the radiative corrections are not too large: $\Sigma_u^u \lesssim 100 - 200 \text{ GeV}$

CETUP*-12/002, FTPI-MINN-12/22, UMN-TH-3109/12, UH-511-1195-12

Radiative natural SUSY with a 125 GeV Higgs boson

Howard Baer,¹ Vernon Barger, Peisi Huang,² Azar Mustafayev,³ and Xerxes Tata⁴

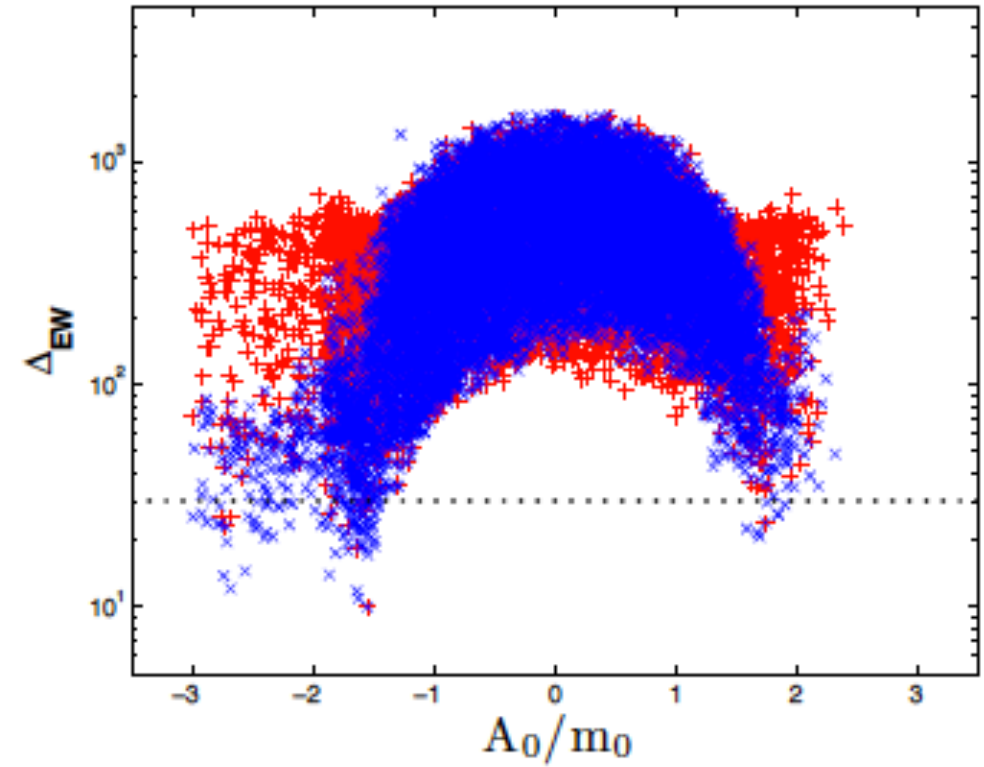
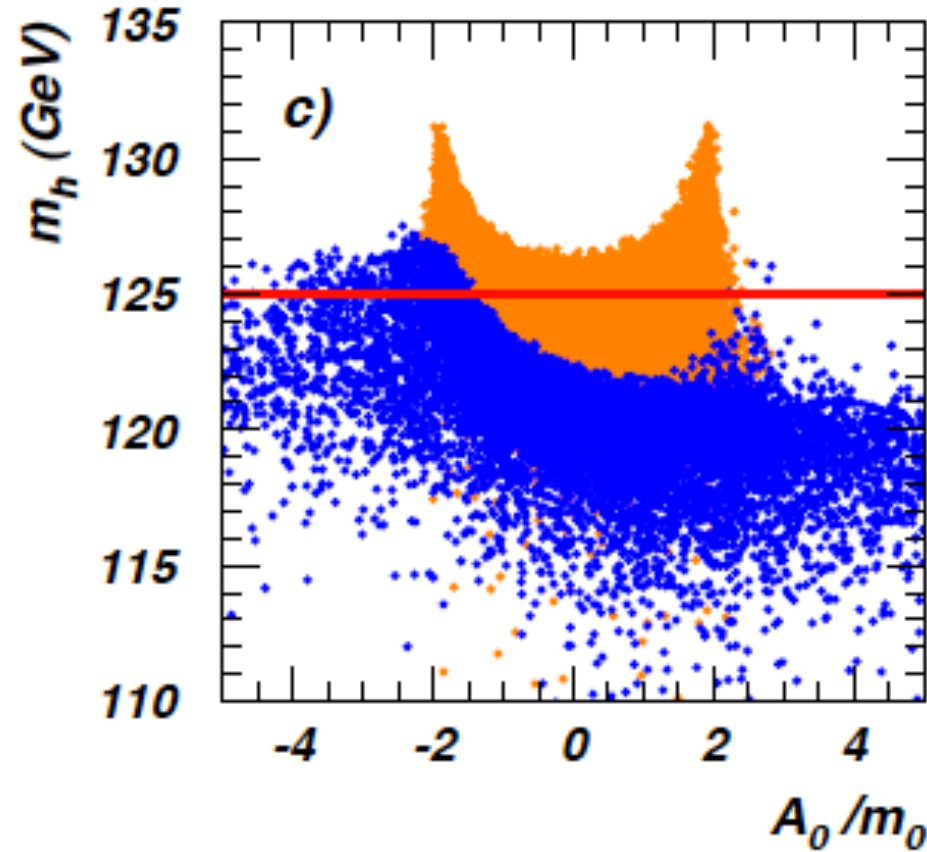
¹Dept. of Physics and Astronomy, University of Oklahoma, Norman, OK, 73019, USA

²Dept. of Physics, University of Wisconsin, Madison, WI 53706, USA

³W. I. Fine Institute for Theoretical Physics, University of Minnesota, Minneapolis, MN 55455, USA

PRL109 (2012) 161802

Large value of A_t reduces $\Sigma_u^u(\tilde{t}_{1,2})$ contributions to Δ_{EW} while uplifting m_h to ~ 125 GeV



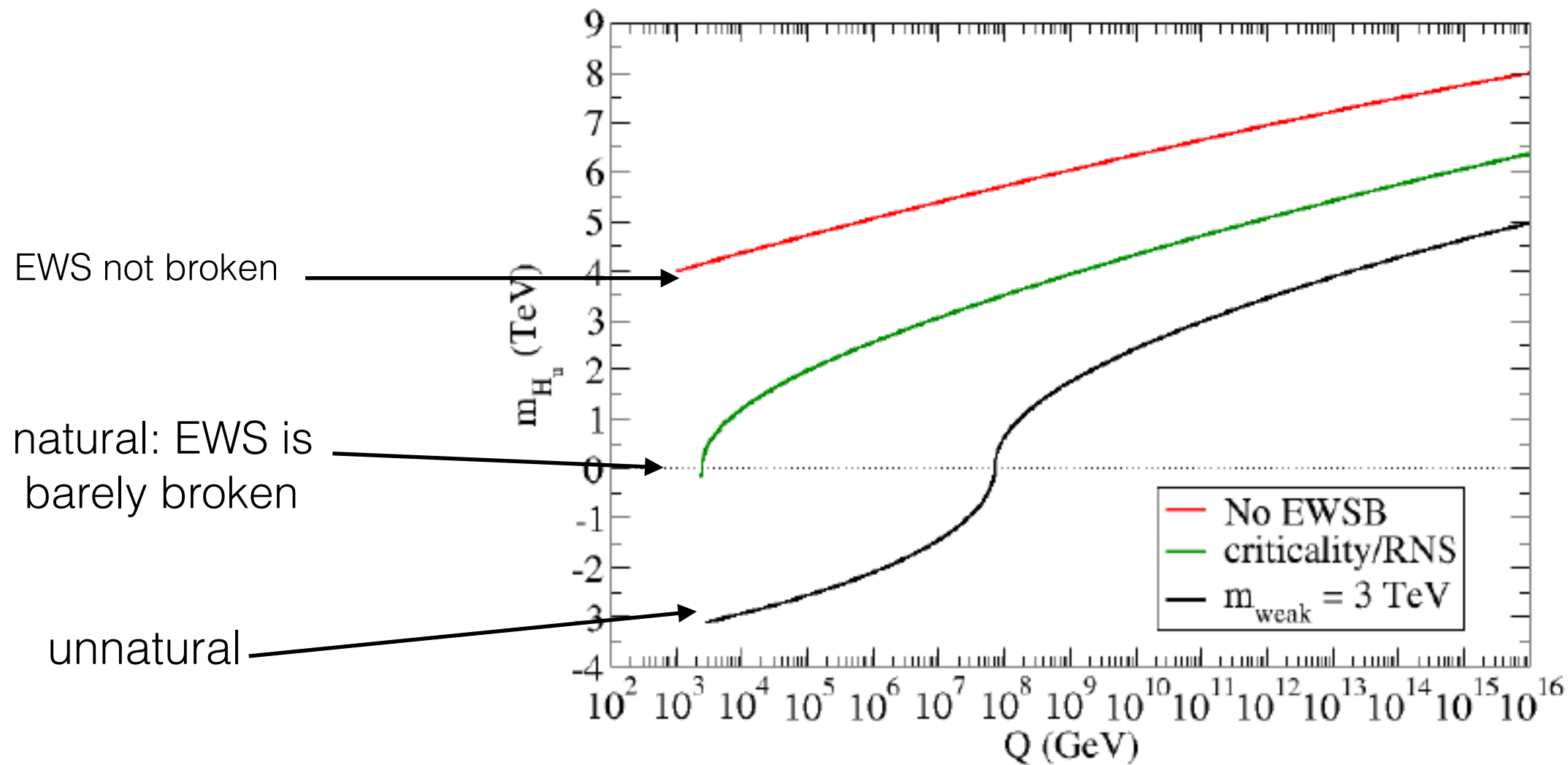
$$\Sigma_u^u(\tilde{t}_{1,2}) = \frac{3}{16\pi^2} F(m_{\tilde{t}_{1,2}}^2) \left[f_t^2 - g_Z^2 \mp \frac{f_t^2 A_t^2 - 8g_Z^2 (\frac{1}{4} - \frac{2}{3}x_W) \Delta_t}{m_{\tilde{t}_2}^2 - m_{\tilde{t}_1}^2} \right]$$

$$\Delta_t = (m_{\tilde{t}_L}^2 - m_{\tilde{t}_R}^2)/2 + M_Z^2 \cos 2\beta (\frac{1}{4} - \frac{2}{3}x_W)$$

$$F(m^2) = m^2 \left(\log \frac{m^2}{Q^2} - 1 \right)$$

$$Q^2 = m_{\tilde{t}_1} m_{\tilde{t}_2}$$

radiative corrections drive $m_{H_u}^2$ from unnatural GUT scale values to naturalness at weak scale:
radiatively-driven naturalness



Evolution of the soft SUSY breaking mass squared term $\text{sign}(m_{H_u}^2)\sqrt{|m_{H_u}^2|}$ vs. Q

#2: Higgs mass or large-log fine-tuning Δ_{HS}

It is tempting to pick out one-by-one quantum fluctuations **but** must combine log divergences before taking any limit

$$m_h^2 \simeq \mu^2 + m_{H_u}^2 + \delta m_{H_u}^2|_{rad}$$

$$\frac{dm_{H_u}^2}{dt} = \frac{1}{8\pi^2} \left(-\frac{3}{5}g_1^2 M_1^2 - 3g_2^2 M_2^2 + \frac{3}{10}g_1^2 S + 3f_t^2 X_t \right) \quad X_t = m_{Q_3}^2 + m_{U_3}^2 + m_{H_u}^2 + A_t^2$$

neglect gauge pieces, S , m_{H_u} and running;
then we can integrate from $m(\text{SUSY})$ to Λ

$$\delta m_{H_u}^2 \sim -\frac{3f_t^2}{8\pi^2} (m_{Q_3}^2 + m_{U_3}^2 + A_t^2) \ln(\Lambda/m_{\text{SUSY}})$$

$$\Delta_{HS} \sim \delta m_h^2 / (m_h^2/2) < 10$$

$$m_{\tilde{t}_{1,2}, \tilde{b}_1} < 500 \text{ GeV}$$

$$m_{\tilde{g}} < 1.5 \text{ TeV}$$

old natural SUSY

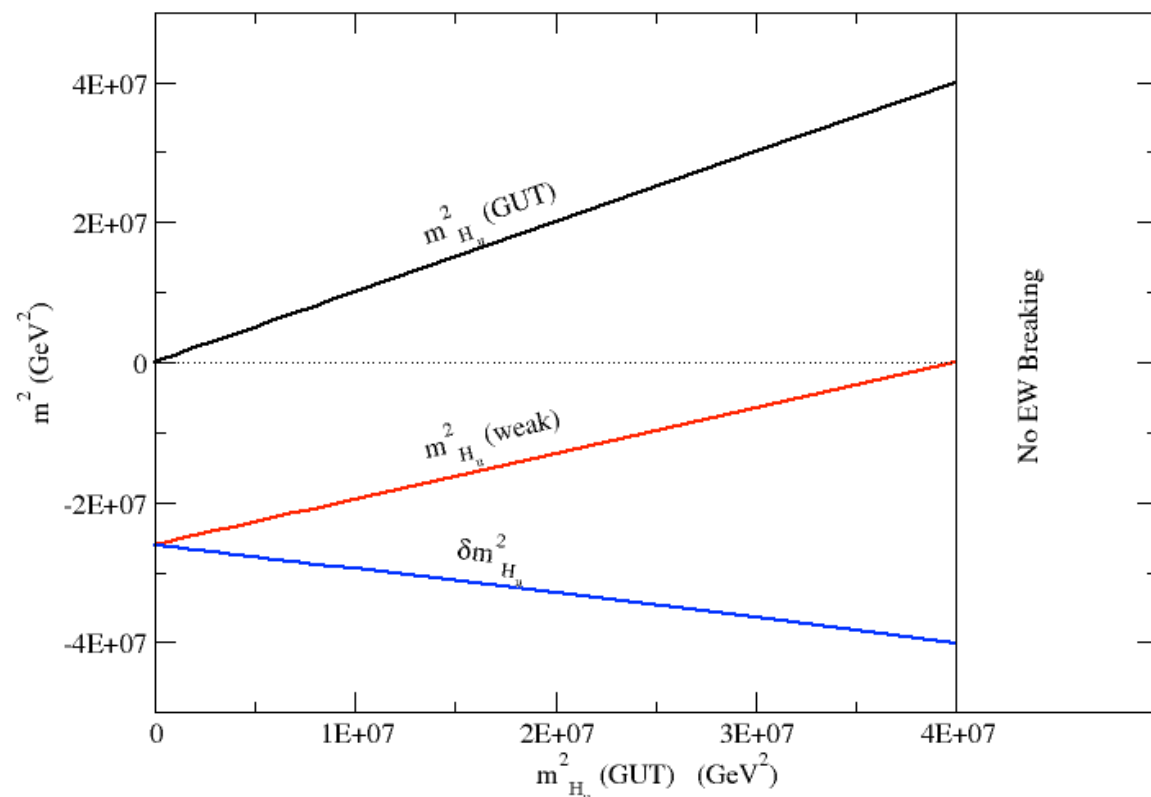
then

A_t can't be too big

What's wrong with this argument?
 In zeal for simplicity, have made several
 simplifications: most **egregious** is that one
 sets $m(H_u)^2=0$ at beginning to simplify

$m_{H_u}^2(\Lambda)$ and $\delta m_{H_u}^2$ are *not* independent!

violates prime directive!



The larger $m_{H_u}^2(\Lambda)$ becomes, then the
 larger becomes the cancelling correction!

HB, Barger, Savoy

To fix: combine dependent terms:

$$m_h^2 \simeq \mu^2 + (m_{H_u}^2(\Lambda) + \delta m_{H_u}^2) \text{ where now both } \mu^2 \text{ and } (m_{H_u}^2(\Lambda) + \delta m_{H_u}^2) \text{ are } \sim m_Z^2$$

After re-grouping: $\Delta_{HS} \simeq \Delta_{EW}$

Instead of: the radiative correction $\delta m_{H_u}^2 \sim m_Z^2$
we now have: the radiatively-corrected $m_{H_u}^2 \sim m_Z^2$

#3. What about EENZ/BG measure?

$$\Delta_{BG} = \max_i \left| \frac{\partial \log m_Z^2}{\partial \log p_i} \right| = \max_i \left| \frac{p_i}{m_Z^2} \frac{\partial m_Z^2}{\partial p_i} \right|$$

applied to pMSSM, then $\Delta_{BG} \simeq \Delta_{EW}$

What if we apply to high (e.g. GUT) scale parameters ?

$$\begin{aligned} m_Z^2 \simeq & -2.18\mu^2 + 3.84M_3^2 + 0.32M_3M_2 + 0.047M_1M_3 - 0.42M_2^2 \\ & + 0.011M_2M_1 - 0.012M_1^2 - 0.65M_3A_t - 0.15M_2A_t \\ & - 0.025M_1A_t + 0.22A_t^2 + 0.004M_3A_b \\ & - 1.27m_{H_u}^2 - 0.053m_{H_d}^2 \\ & + 0.73m_{Q_3}^2 + 0.57m_{U_3}^2 + 0.049m_{D_3}^2 - 0.052m_{L_3}^2 + 0.053m_{E_3}^2 \\ & + 0.051m_{Q_2}^2 - 0.11m_{U_2}^2 + 0.051m_{D_2}^2 - 0.052m_{L_2}^2 + 0.053m_{E_2}^2 \\ & + 0.051m_{Q_1}^2 - 0.11m_{U_1}^2 + 0.051m_{D_1}^2 - 0.052m_{L_1}^2 + 0.053m_{E_1}^2, \end{aligned}$$

For correlated scalar masses $\equiv m_0$,

scalar contribution collapses:

what looks fine-tuned isn't: *focus point SUSY*

multi-TeV scalars are *natural*

Feng, Matchev, Moroi

What about EENZ/BG measure?

$$\Delta_{BG} = \max_i \left| \frac{\partial \log m_Z^2}{\partial \log p_i} \right| = \max_i \left| \frac{p_i}{m_Z^2} \frac{\partial m_Z^2}{\partial p_i} \right|$$

applied to pMSSM, then $\Delta_{BG} \simeq \Delta_{EW}$

apply to high (e.g. GUT) scale parameters

$$\begin{aligned} m_Z^2 \simeq & -2.18\mu^2 + 3.84M_3^2 + 0.32M_3M_2 + 0.047M_1M_3 - 0.42M_2^2 \\ & + 0.011M_2M_1 - 0.012M_1^2 - 0.65M_3A_t - 0.15M_2A_t \\ & - 0.025M_1A_t + 0.22A_t^2 + 0.004M_3A_b \\ & - 1.27m_{H_u}^2 - 0.053m_{H_d}^2 \\ & + 0.73m_{Q_3}^2 + 0.57m_{U_3}^2 + 0.049m_{D_3}^2 - 0.052m_{L_3}^2 + 0.053m_{E_3}^2 \\ & + 0.051m_{Q_2}^2 - 0.11m_{U_2}^2 + 0.051m_{D_2}^2 - 0.052m_{L_2}^2 + 0.053m_{E_2}^2 \\ & + 0.051m_{Q_1}^2 - 0.11m_{U_1}^2 + 0.051m_{D_1}^2 - 0.052m_{L_1}^2 + 0.053m_{E_1}^2, \end{aligned}$$

applied to most parameters,

Δ_{BG} large, looks fine-tuned for *e.g.* $m_{\tilde{g}} \simeq M_3 > 1.8 \text{ TeV}$

$$\Delta_{BG}(M_3^2) = 3.84 \frac{M_3^2}{m_z^2} \simeq 1500$$

But wait! in more complete models,
soft terms not independent

violates prime directive!

e.g. in SUGRA, for well-specified hidden sector,
each soft term calculated as multiple of $m_{3/2}$;
soft terms must be combined!

e.g. dilaton-dominated SUSY breaking: $m_0^2 = m_{3/2}^2$ with $m_{1/2} = -A_0 = \sqrt{3}m_{3/2}$

$$\begin{aligned} m_{H_u}^2 &= a_{H_u} \cdot m_{3/2}^2, \\ m_{Q_3}^2 &= a_{Q_3} \cdot m_{3/2}^2, \\ A_t &= a_{A_t} \cdot m_{3/2}, \\ M_i &= a_i \cdot m_{3/2}, \\ &\dots \end{aligned}$$

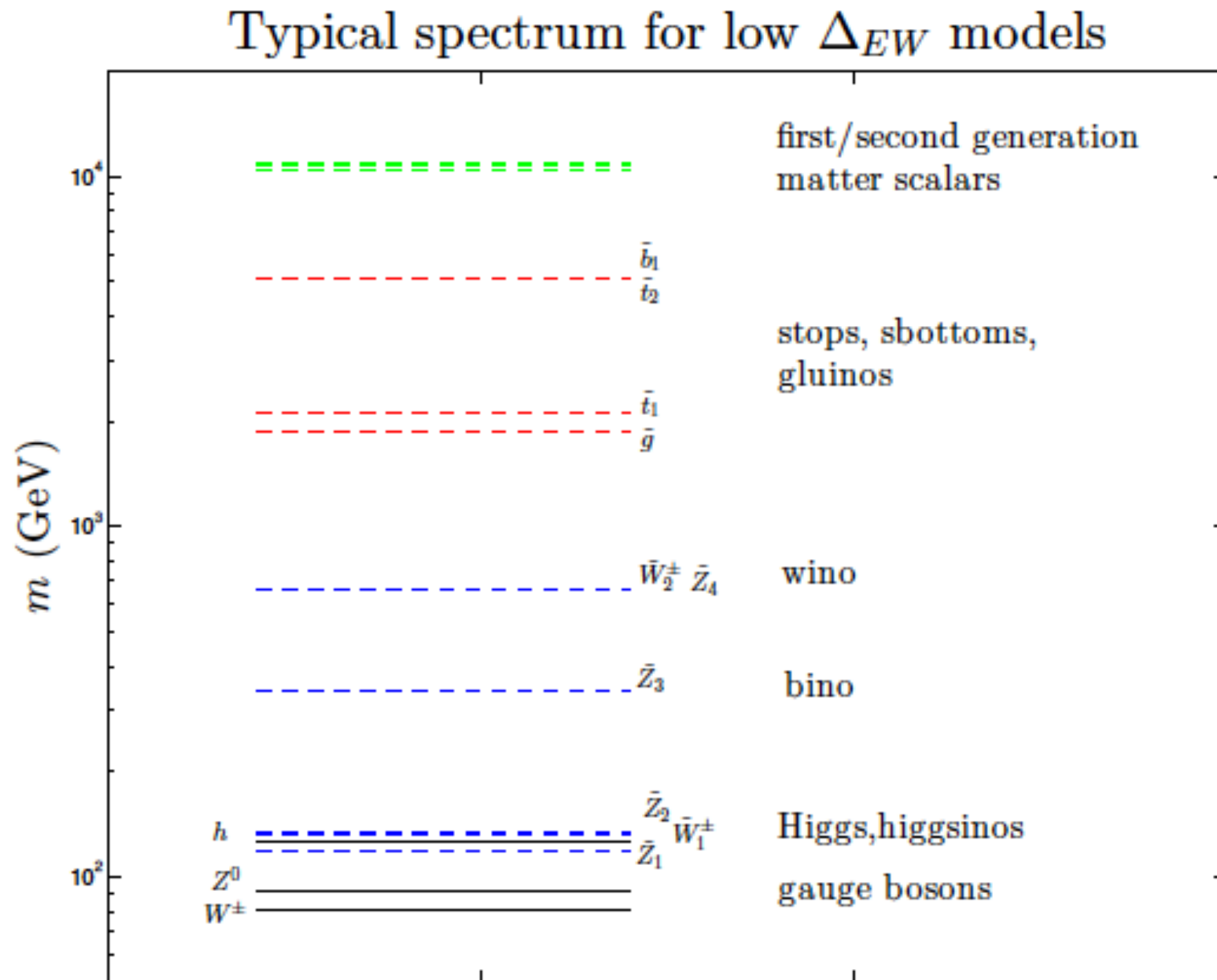
since μ hardly runs, then

$$\begin{aligned} m_Z^2 &\simeq -2\mu^2 + a \cdot m_{3/2}^2 \\ &\simeq -2\mu^2 - 2m_{H_u}^2(weak) \end{aligned}$$

$$m_{H_u}^2(weak) \sim -(100 - 200)^2 \text{ GeV}^2 \sim -a \cdot m_{3/2}^2/2$$

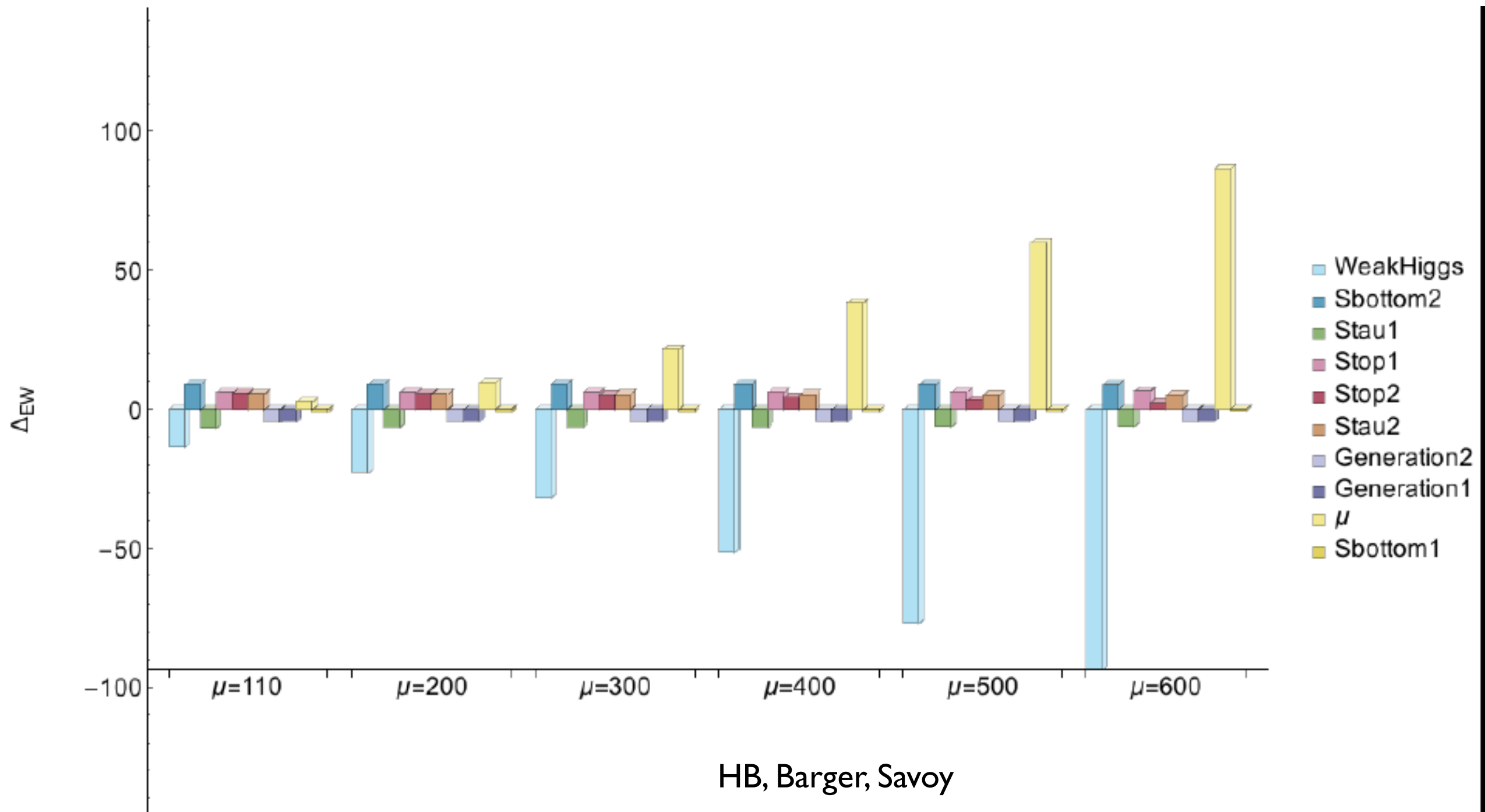
using μ^2 and $m_{3/2}^2$ as fundamental,
then $\Delta_{BG} \simeq \Delta_{EW}$ even using high scale parameters!

SUSY spectra with $\sim 10\%$ EW fine-tuning



easy to hide at LHC

How much is too much fine-tuning?



Visually, large fine-tuning has already developed by $\mu \sim 350$ or $\Delta_{EW} \sim 30$

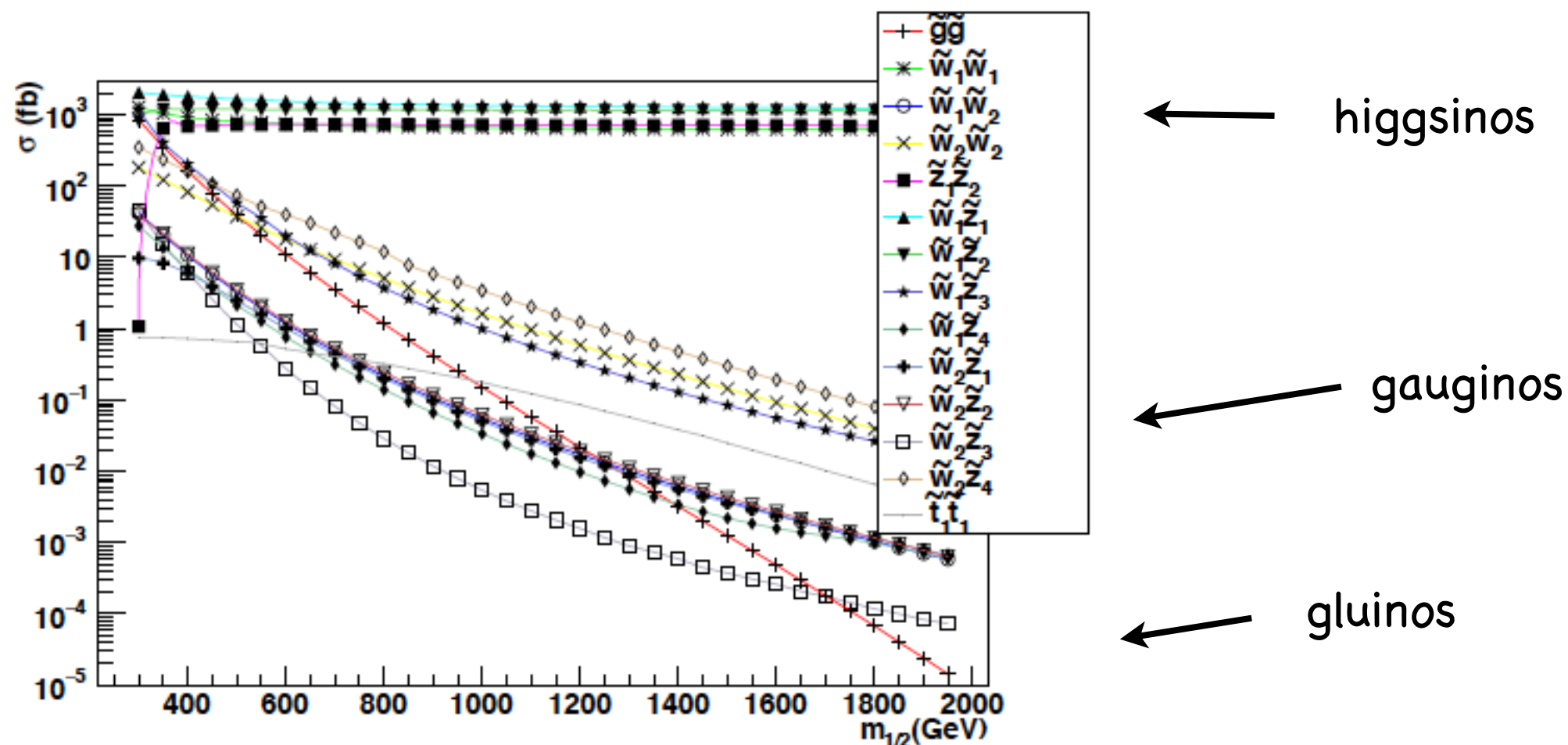
bounds from naturalness (3%)	BG/DG	Delta_EW
mu	350 GeV	350 GeV
gluino	400-600 GeV	4000 GeV
t1	450 GeV	3000 GeV
sq/sl	550-700 GeV	10-20 TeV

h(125) and LHC limits are perfectly compatible
with 3-10% naturalness: **no crisis!**

Prospects for discovering SUSY

with radiatively-driven naturalness
at LHC and ILC

Sparticle prod'n along RNS model-line at LHC14:



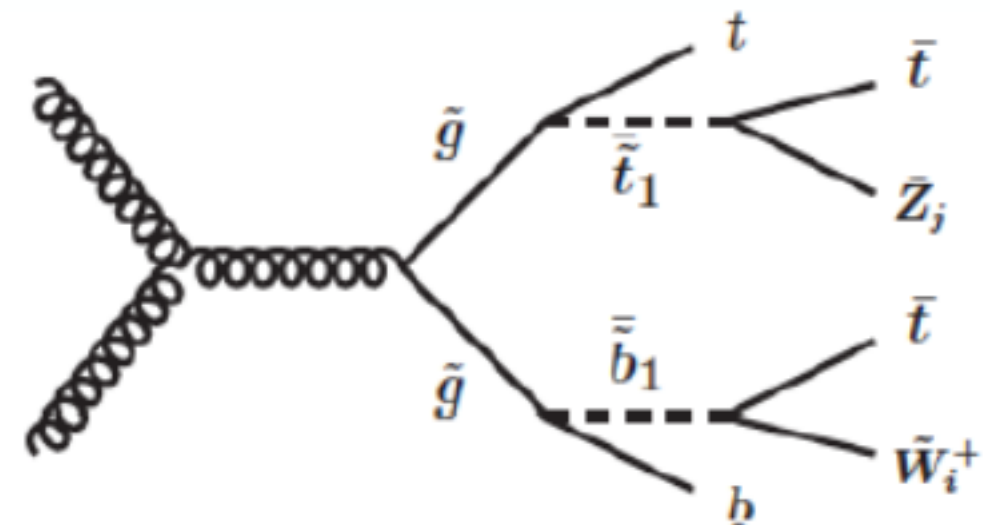
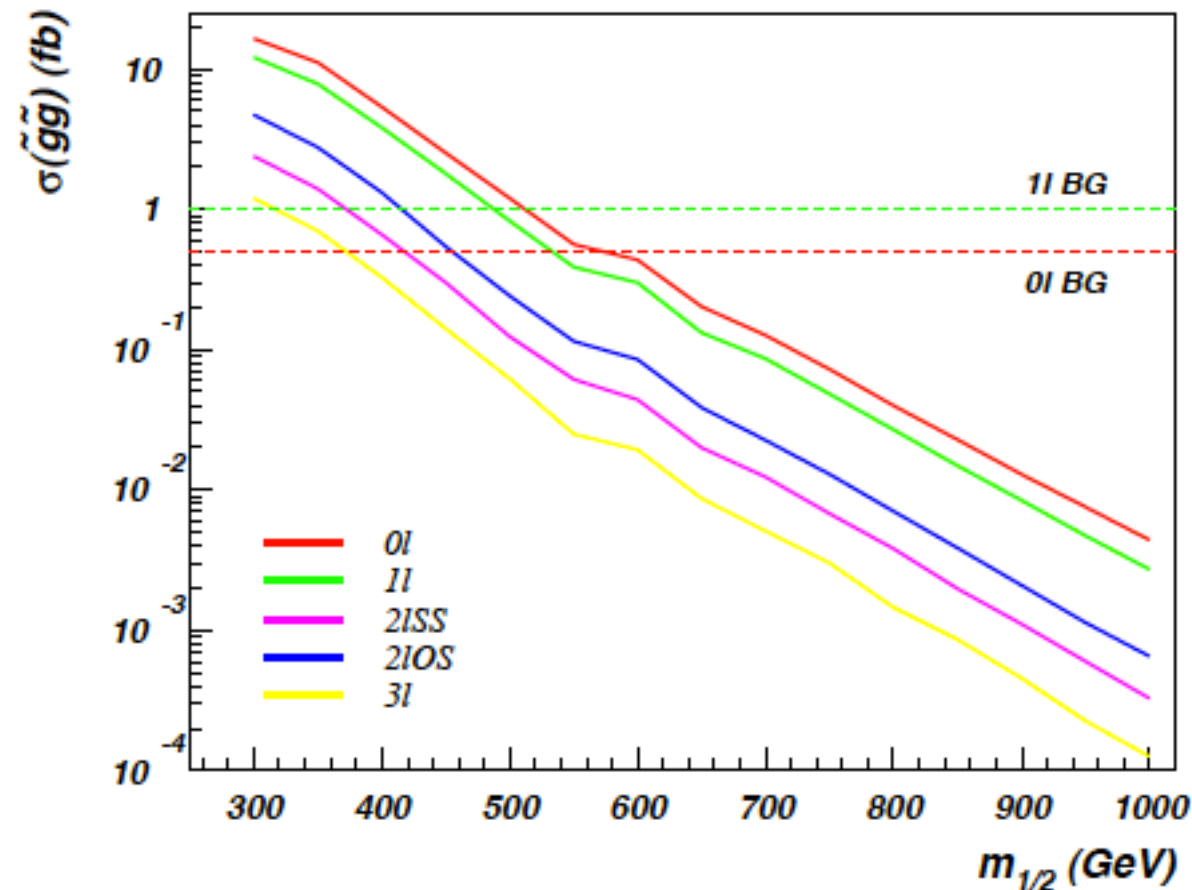
higgsino pair production dominant—but only soft visible energy release from higgsino decays

largest visible cross section: **wino pairs**

gluino pairs sharply dropping

gluino pair cascade decay signatures

NUHM2: $m_0=5 \text{ TeV}$, $A_0=-1.6m_0$, $\tan\beta=15$, $\mu=150 \text{ GeV}$, $m_A=1 \text{ TeV}$



Particle	dom. mode	BF
\tilde{g}	$\tilde{t}_1 t$	$\sim 100\%$
\tilde{t}_1	$b \tilde{W}_1$	$\sim 50\%$
\tilde{Z}_2	$\tilde{Z}_1 f \bar{f}$	$\sim 100\%$
\tilde{Z}_3	$\tilde{W}_1^\pm W^\mp$	$\sim 50\%$
\tilde{Z}_4	$\tilde{W}_1^\pm W^\mp$	$\sim 50\%$
\tilde{W}_1	$\tilde{Z}_1 f \bar{f}'$	$\sim 100\%$
\tilde{W}_2	$\tilde{Z}_i W$	$\sim 50\%$

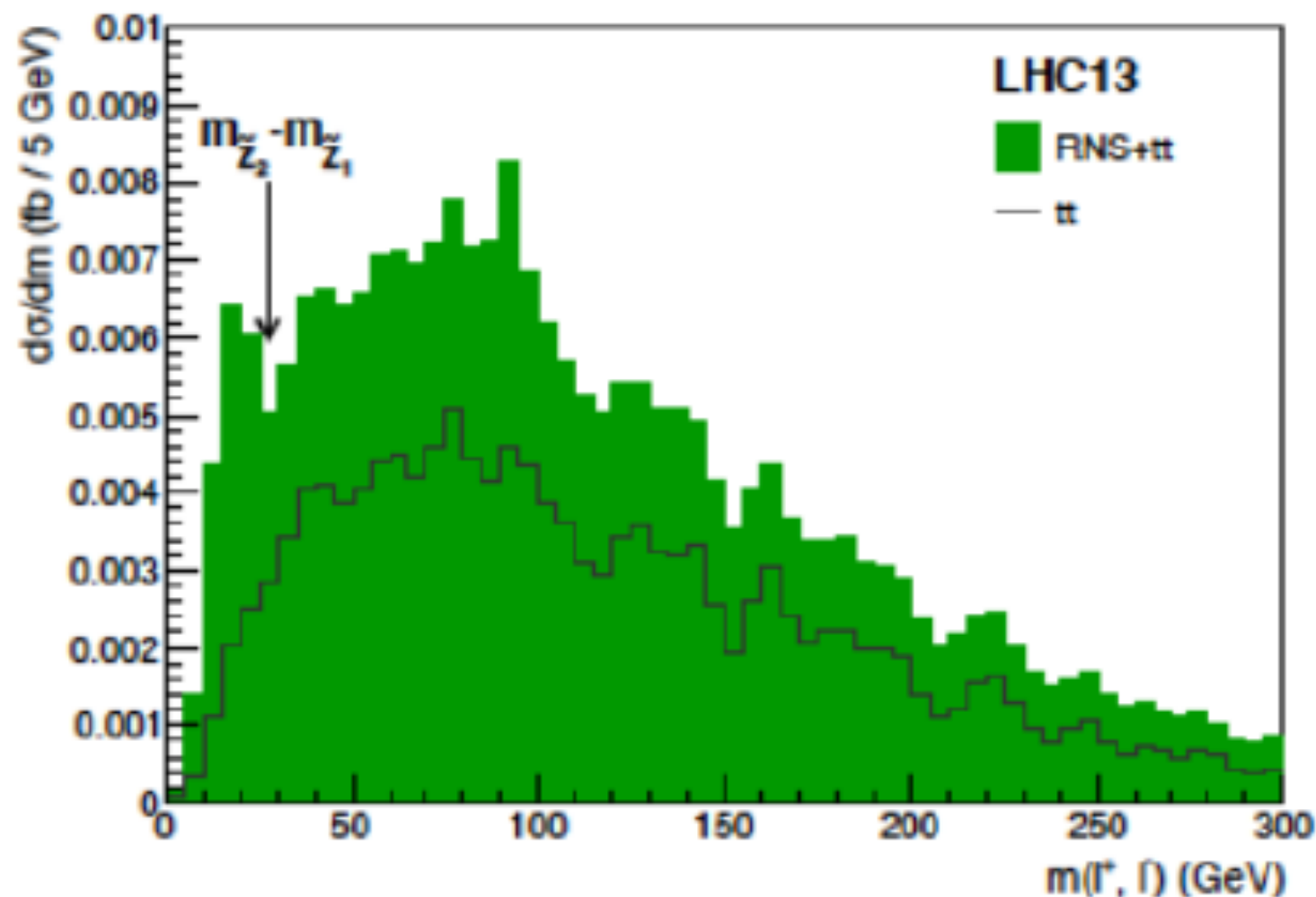
Table 1: Dominant branching fractions of various sparticles along the RNS model line for $m_{1/2} = 1 \text{ TeV}$.

Int. lum. (fb^{-1})	$\tilde{g}\tilde{g}$
10	1.4
100	1.6
300	1.7
1000	1.9

LHC14 5sigma reach
in $m(\text{gluino})$ (TeV)

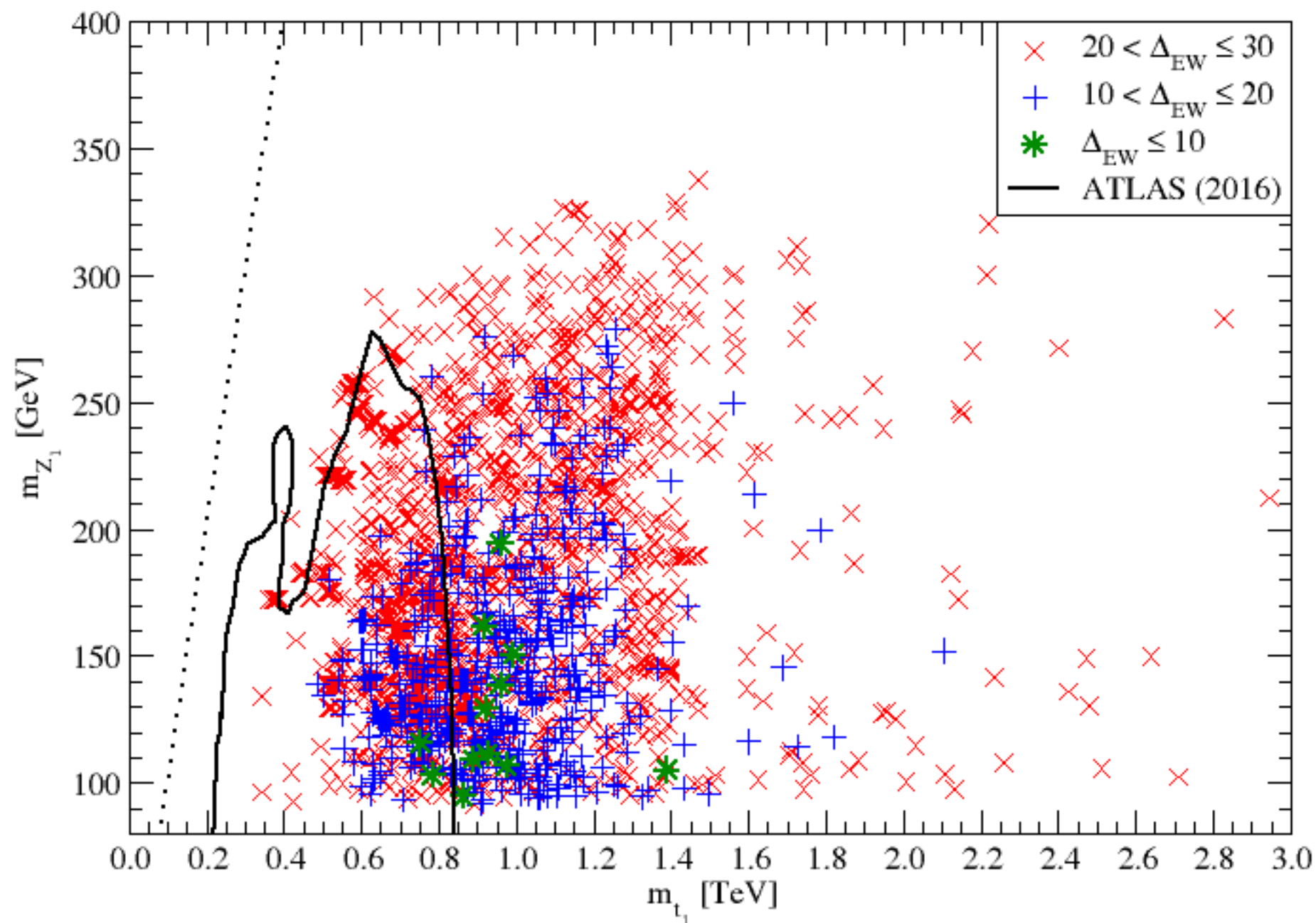
since $m(\text{gluino})$ extends to $\sim 4 \text{ TeV}$,
LHC14 can see about half the low EWFT
parameter space in these modes

LHC14 has some reach for
gluino pair production in RNS;
if a signal is seen,
should be distinctive

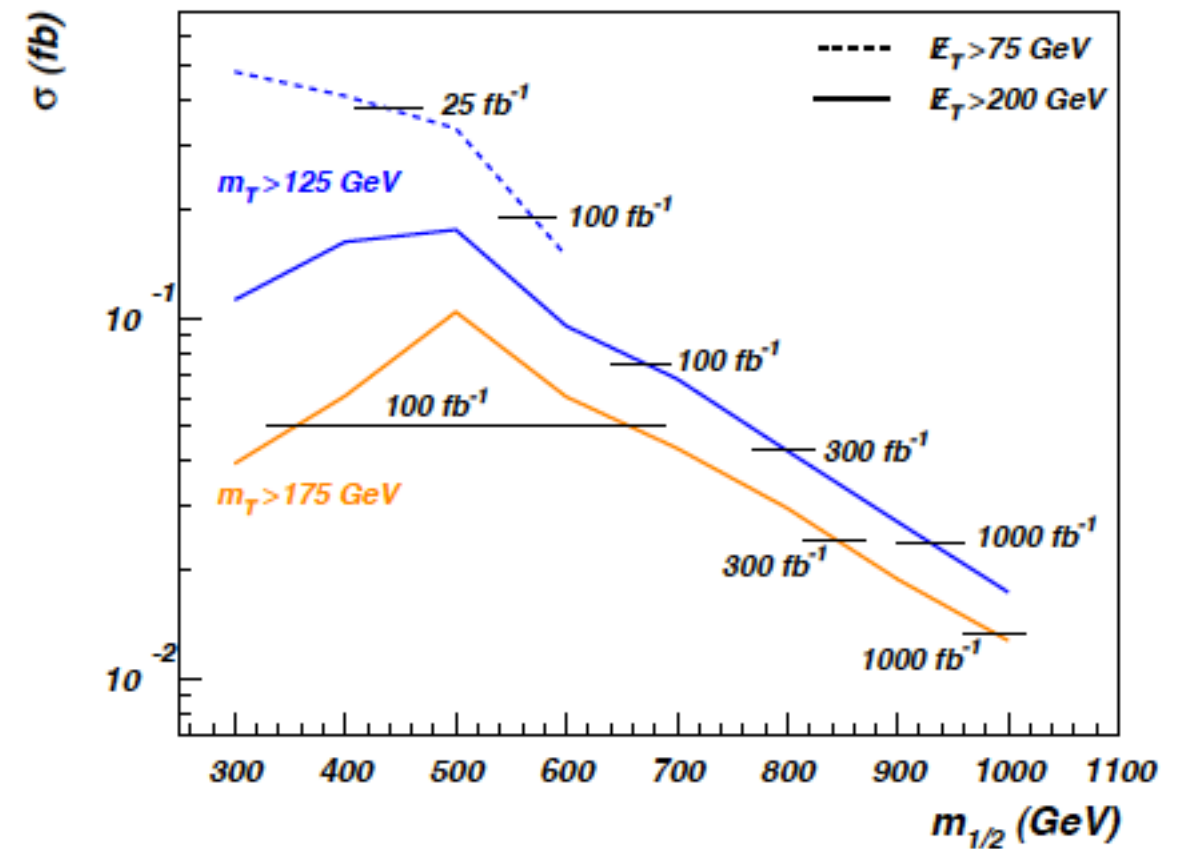
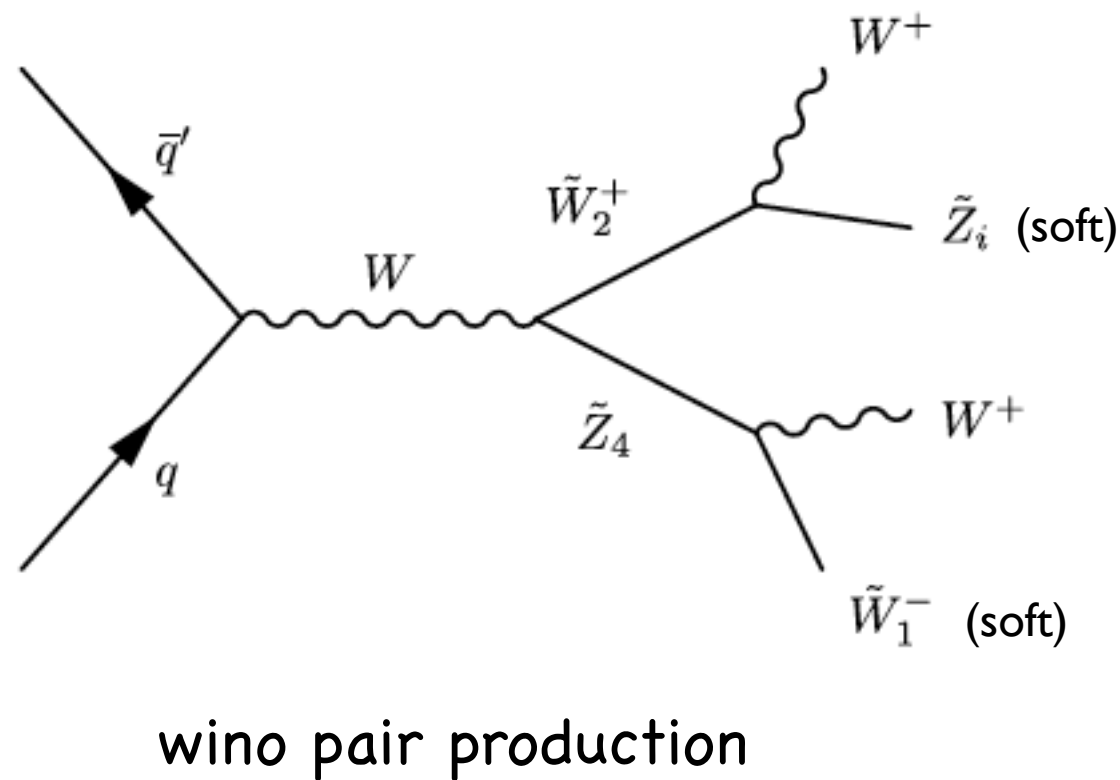


OS/SF dilepton mass
edge apparent from
cascade decays
with $z_2 \rightarrow z_1 + l + l^{\text{bar}}$

top squark pair searches:
LHC has only begun...

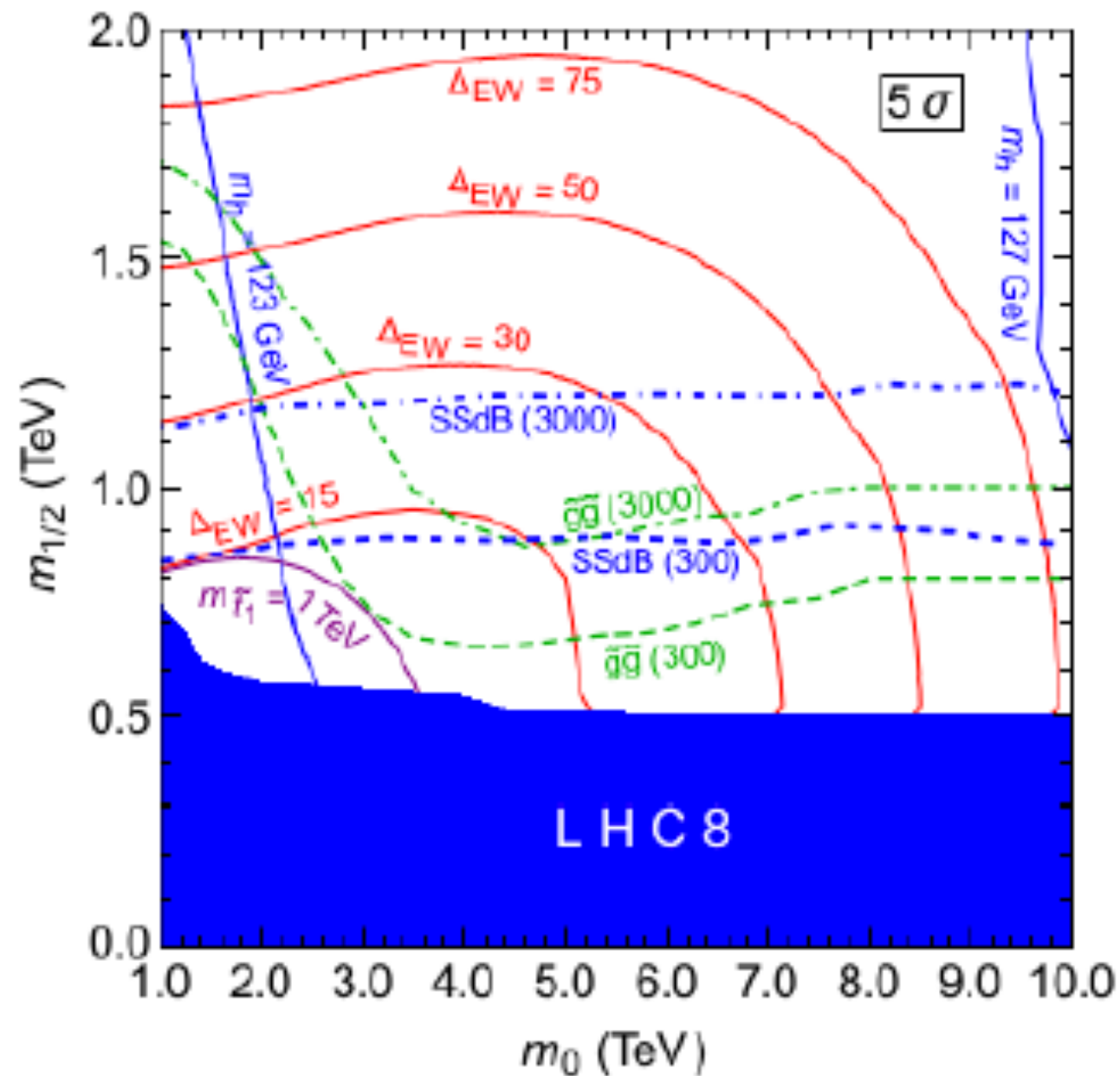


Distinctive same-sign diboson (SSdB) signature from SUSY models with light higgsinos!

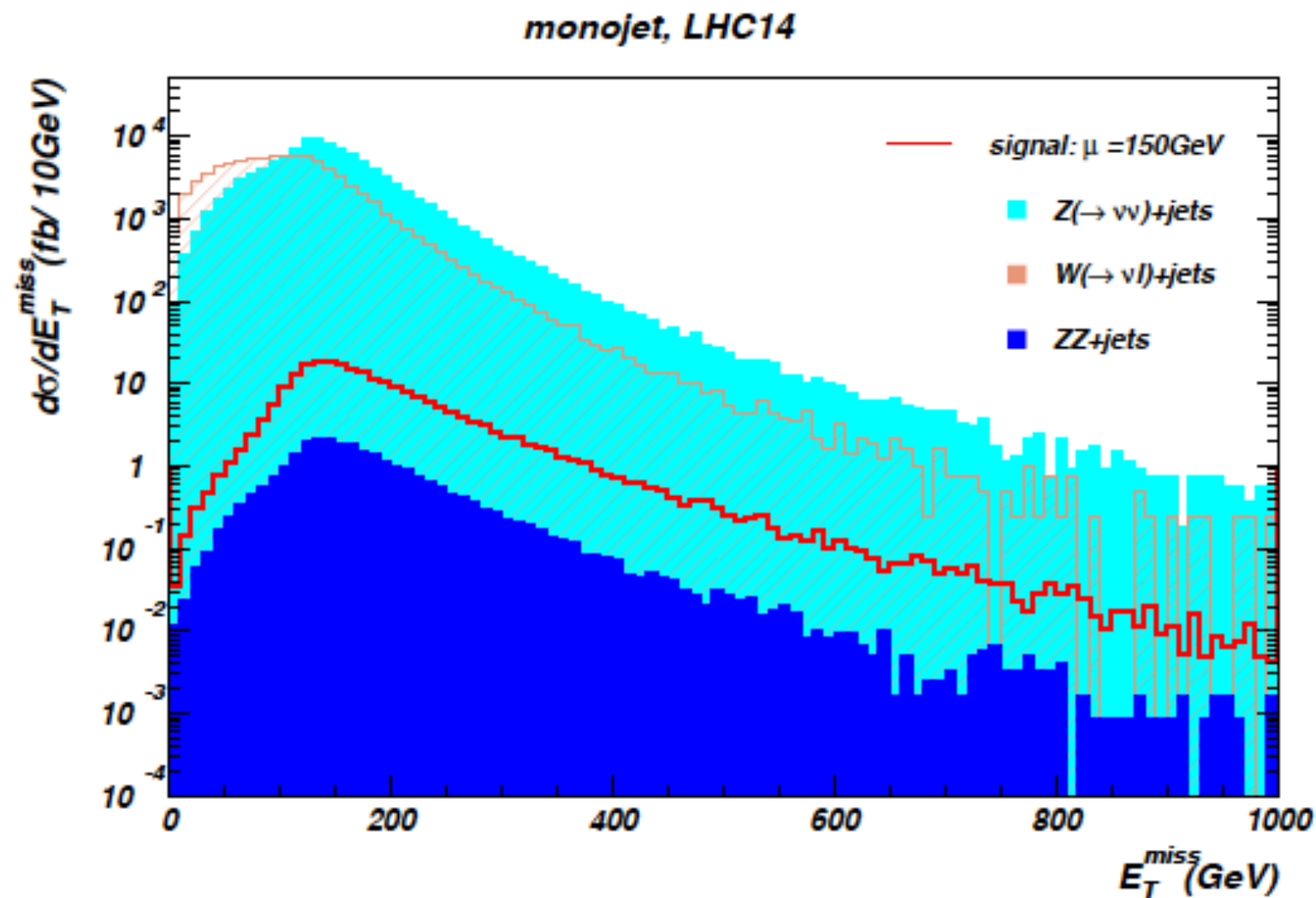


This channel offers best reach of LHC14 for RNS;
it is also indicative of wino-pair prod'n
followed by decay to higgsinos

HL-LHC reach for radiative natural SUSY via
SSdB and $\tilde{g}\tilde{g}$ channels
completely covers $\Delta_{EW} < 30$ at 5σ level!



See direct higgsino pair production
recoiling from ISR (monojet signal)?



typically 1% S/BG after cuts:
very tough to do!

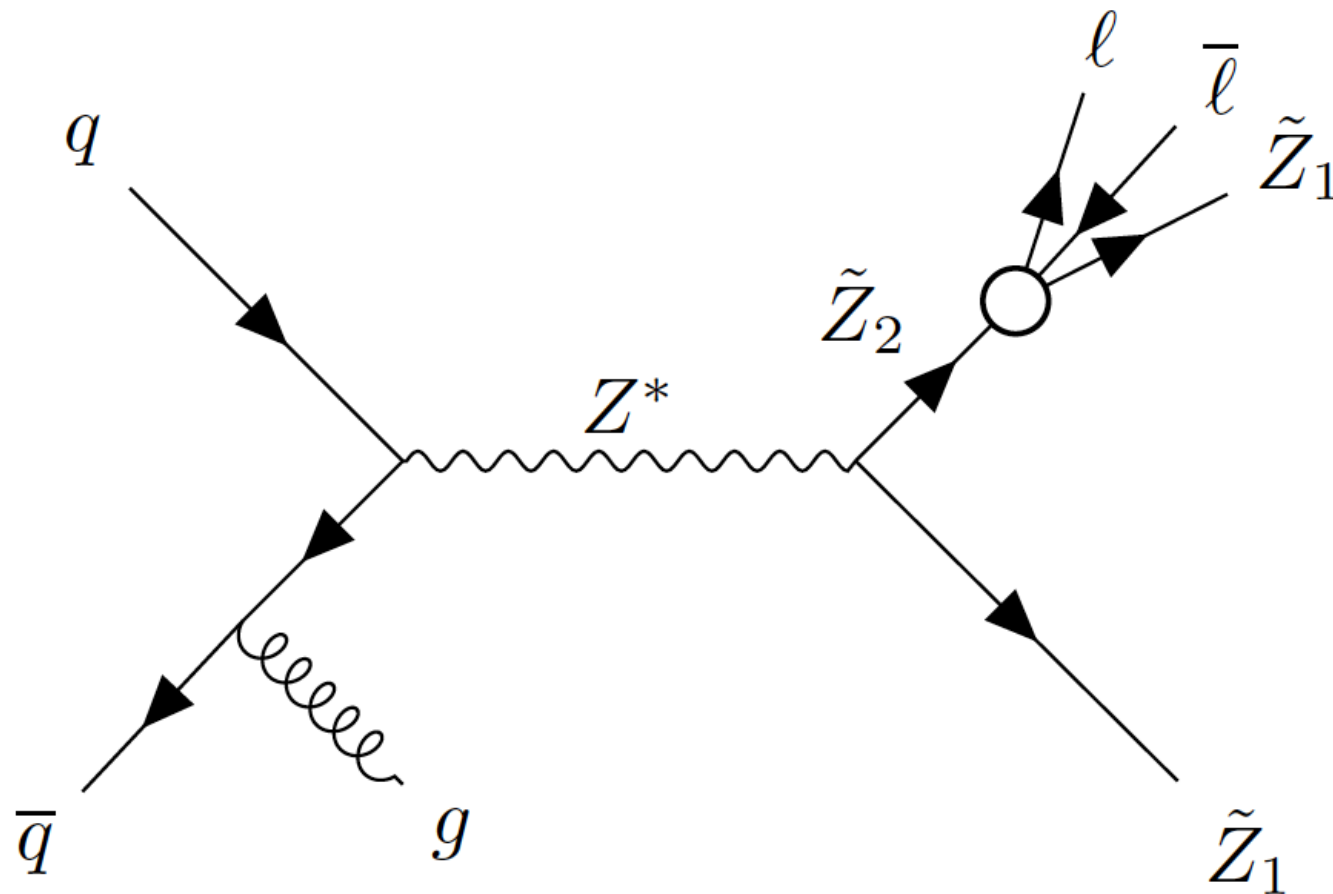
What about $pp \rightarrow \tilde{Z}_1 \tilde{Z}_2 j$ with $\tilde{Z}_2 \rightarrow \tilde{Z}_1 \ell^+ \ell^-$?

di-bosino production

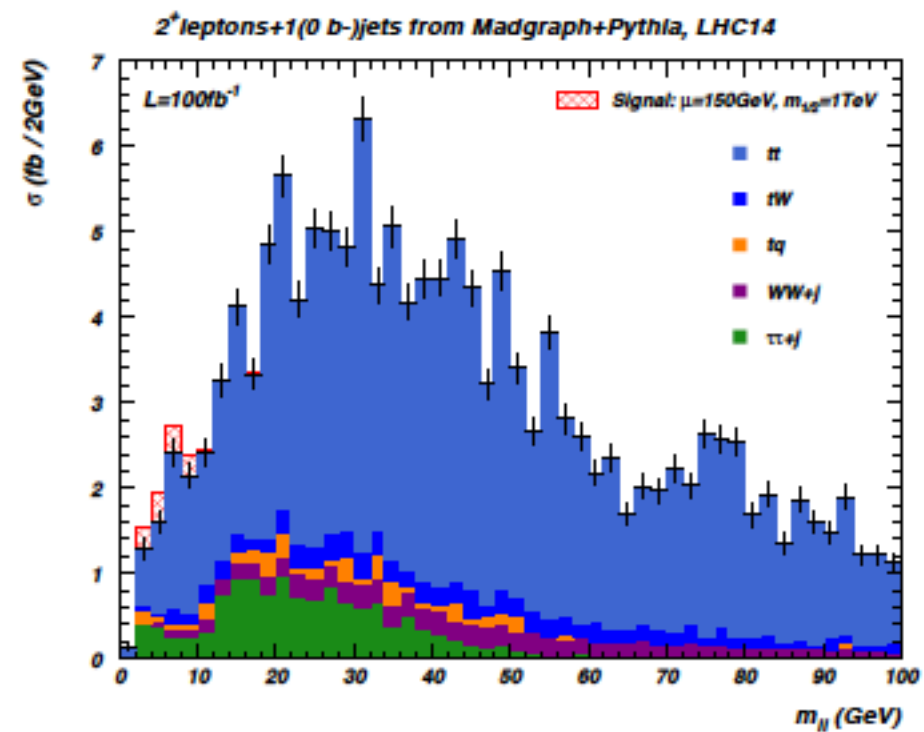
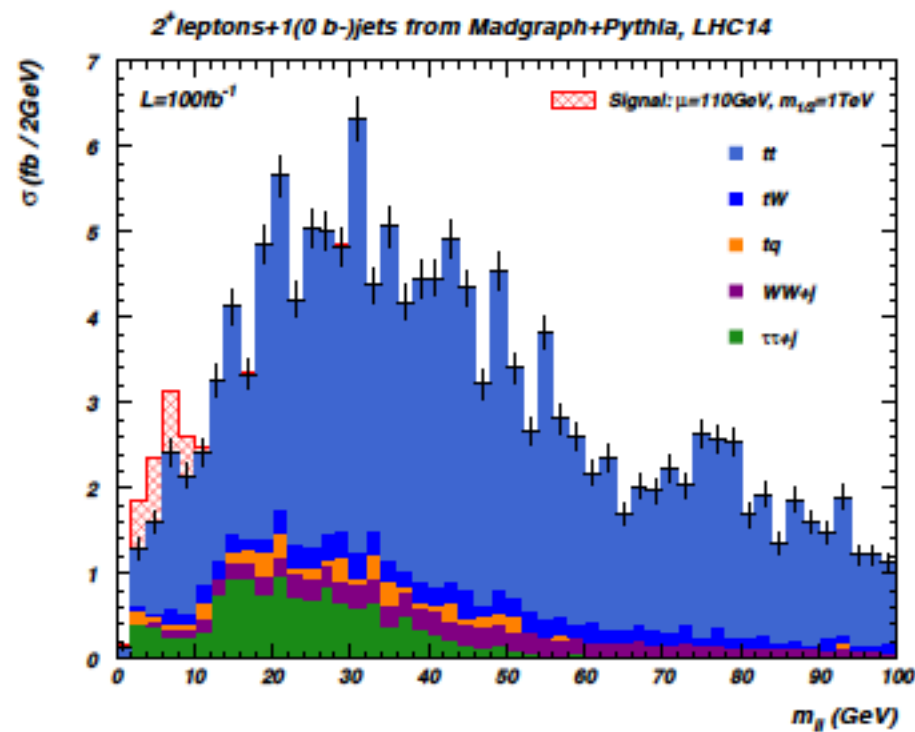
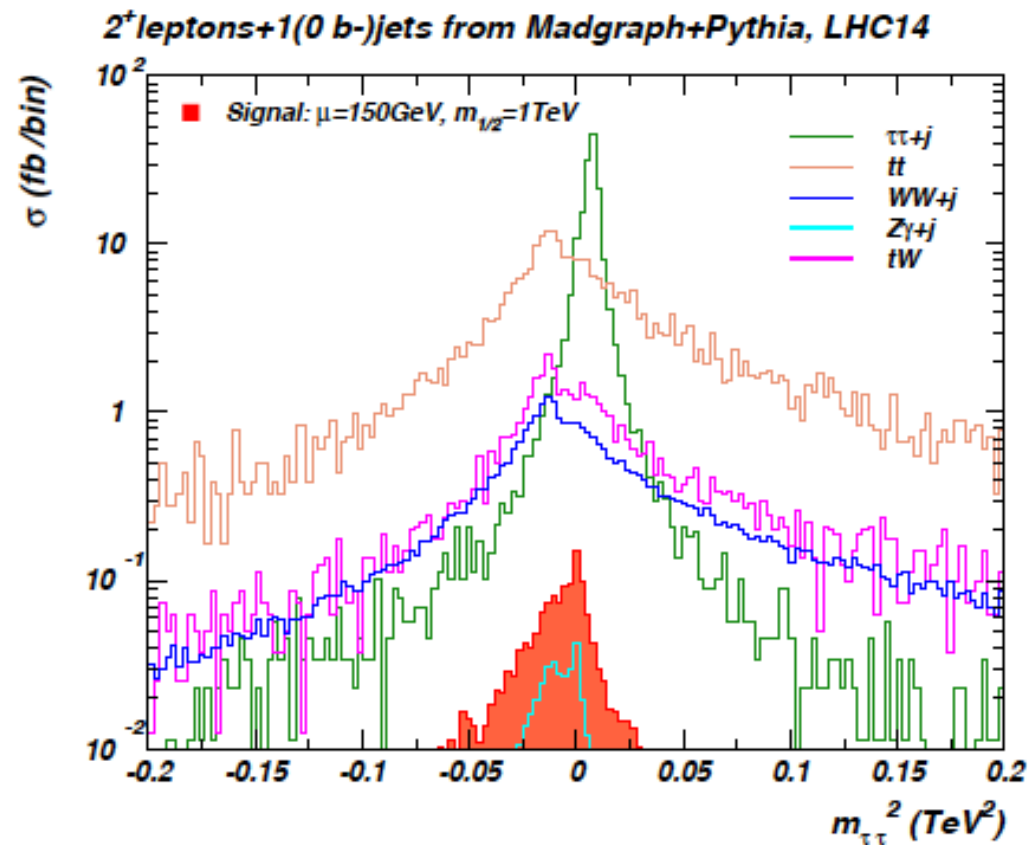
Giudice, T. Han, Wang, Wang, PRD81 (2010) 115011;

Han, Kribs, Martin, Menon, PRD89 (2014) 075007;

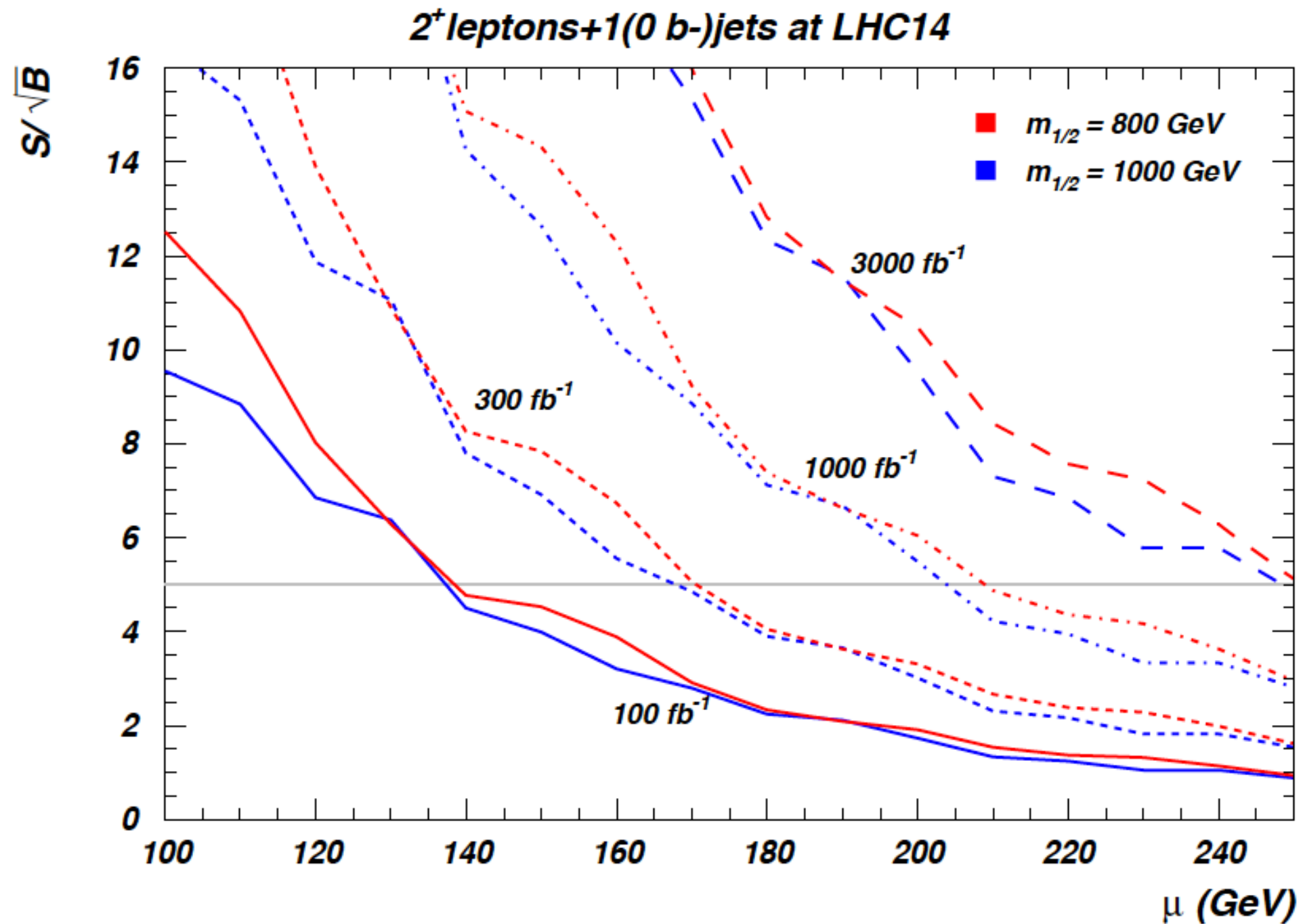
HB, Mustafayev, Tata, PRD90 (2014) 115007;



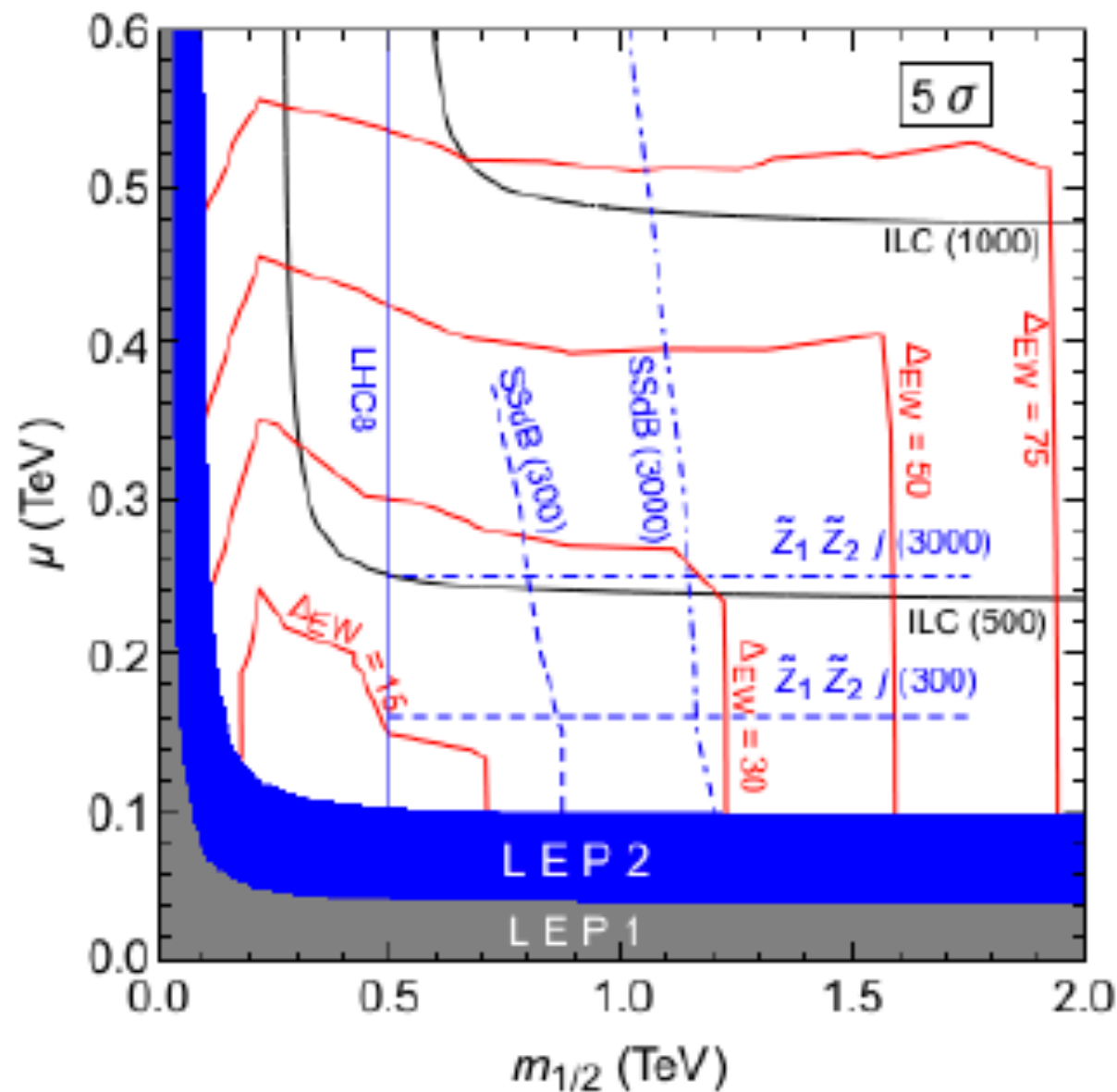
use MET to construct $m^2(\text{tau-tau})$



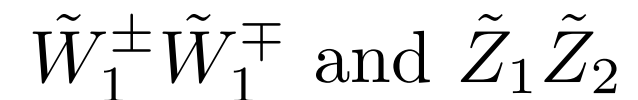
LHC reach for soft dilepton+jet+MET



panoramic view of reach of HL-LHC for natural SUSY



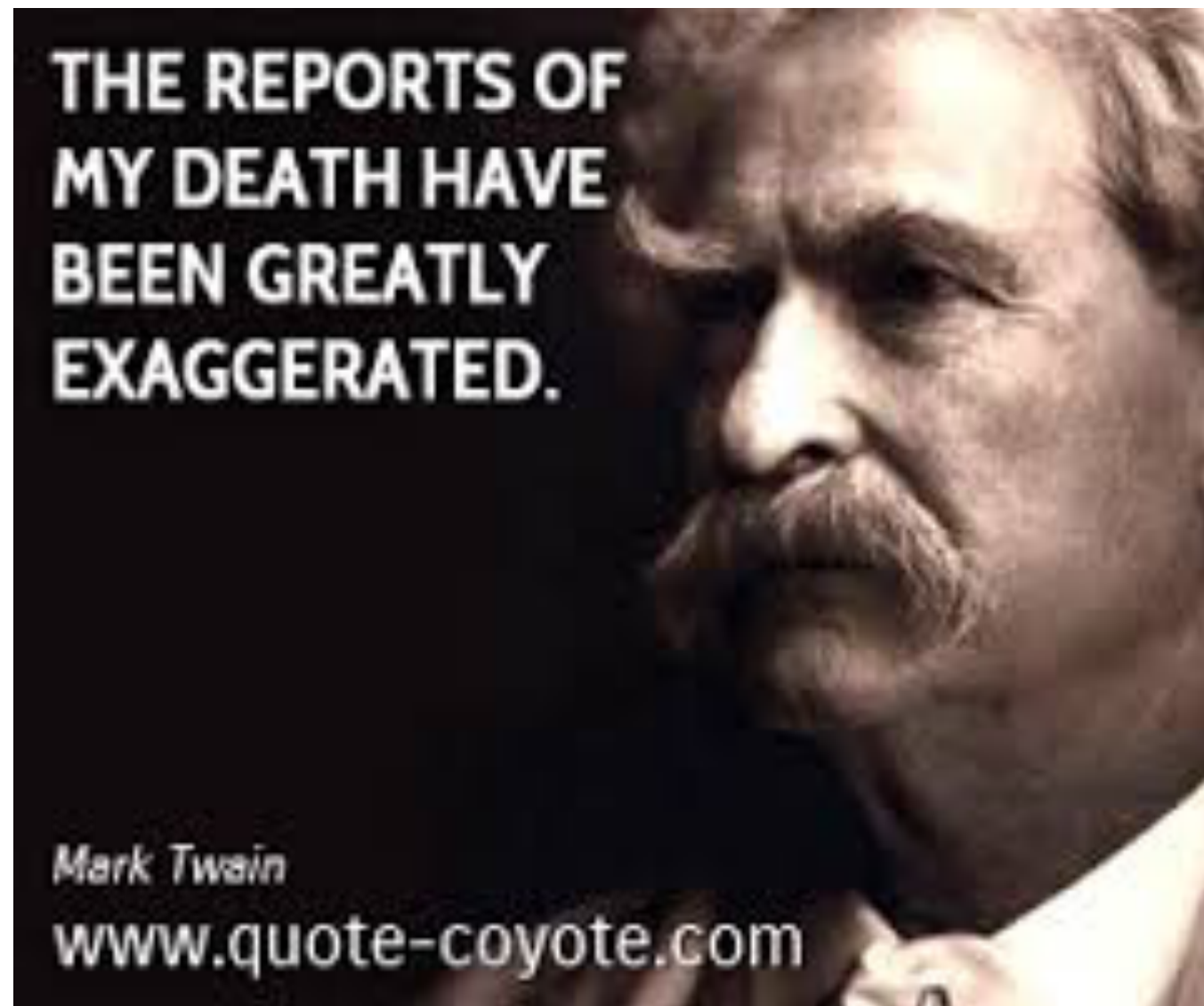
LHC14 with 3000 fb¹ can cover essentially all parameter space with $\Delta_{EW} < 30$, usually with 2-3 distinct signals: $\tilde{g}\tilde{g}$, SSdB and $\tilde{Z}_1 \tilde{Z}_2 j$

$$\sqrt{s} > 2m(higgsino)$$


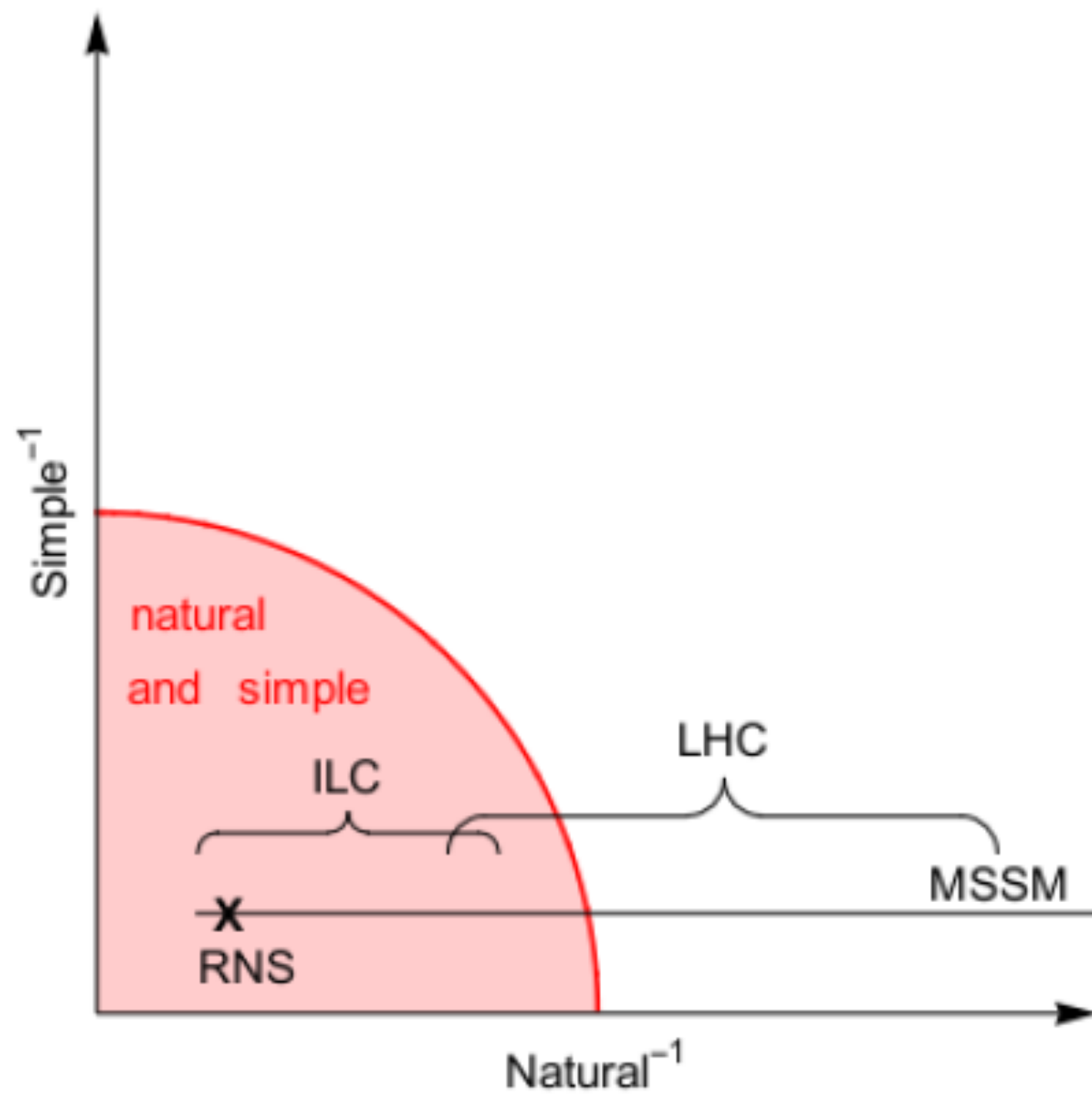
Conclusions: status of SUSY 2016

- nature looking like SUSY: but where are sparticles?
- naturalness: why a Little Hierarchy $\mu \ll m(3/2)$?
- radiatively-driven naturalness: $\mu \sim 100\text{--}200\text{ GeV}$, $m(t_1) < 3\text{ TeV}$, $m(\text{gluino}) < 4\text{ TeV}$
- multi-boson production from gluino/squark cascade decays
- $W1Z2 \rightarrow Wh + \text{MET}$ ultimate search channel in unnatural SUSY like CMSSM/mSUGRA
- natural SUSY: HL-LHC can cover via $SSdB + Z1Z2j$ channels
- expect ILC as higgsino factory
- DM = axion+higgsino-like WIMP admixture ?

Mark Twain, 1835-1910 (or SUSY)

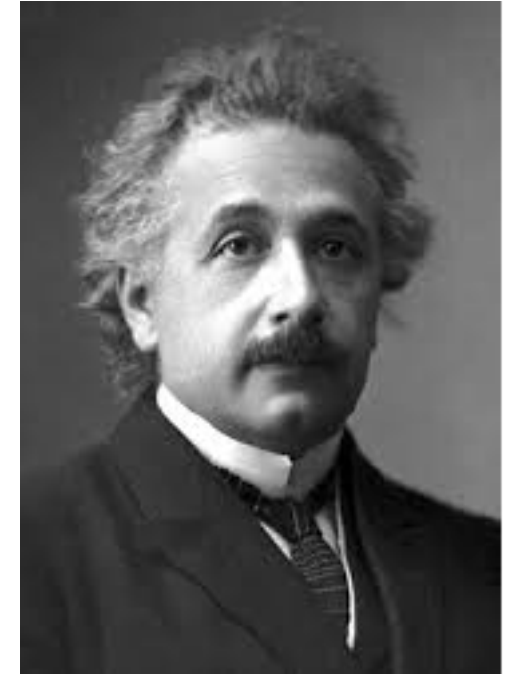


1897





twin pillars of guidance:
naturalness & simplicity



“The appearance of fine-tuning
in a scientific theory is like a
cry of distress from nature,
complaining that something
needs to be better explained”

S. Weinberg

“Everything should be
made as simple as
possible, but not
simpler”

A. Einstein

unnatural theory is
likely wrong theory

the further one strays from the
SM (without good reason),
the more likely one is to be wrong

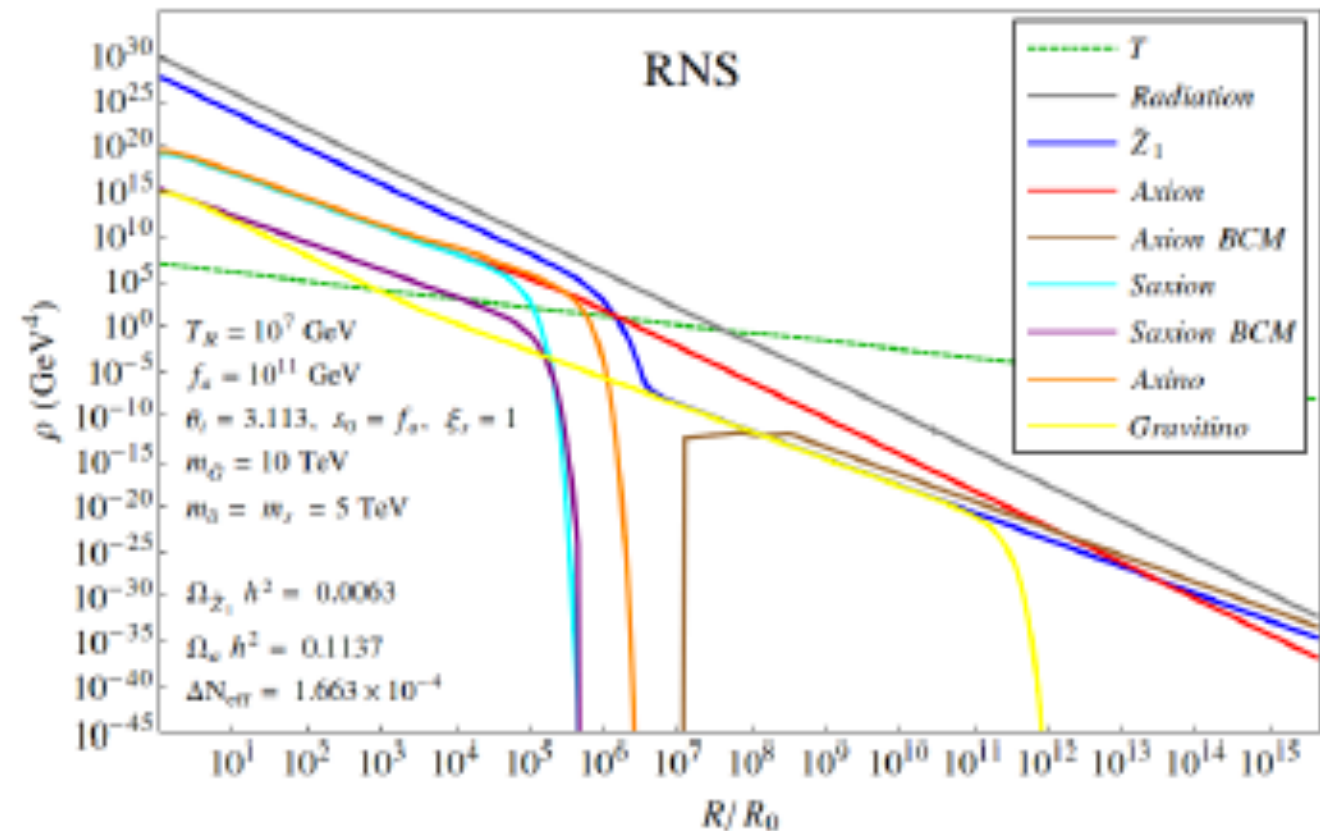
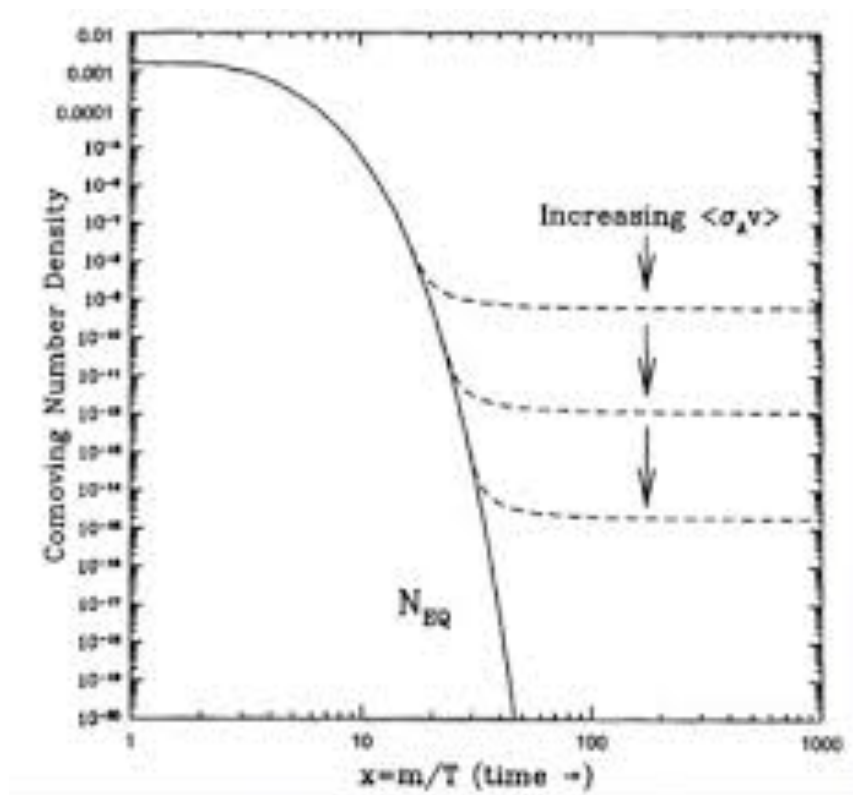
What happens to SUSY WIMP dark matter?

- higgsino-like WIMPs thermally underproduced
- 3 not four light pions \Rightarrow QCD theta vacuum
- EDM(neutron) \Rightarrow axions: no fine-tuning in QCD sector
- SUSY context: axion superfield, axinos and saxions
- DM= axion+higgsino-like WIMP admixture
- DFSZ SUSY axion: solves μ problem with $\mu \ll m_{3/2}$!
- ultimately detect both WIMP and axion!

usual picture

=>

mixed axion/WIMP



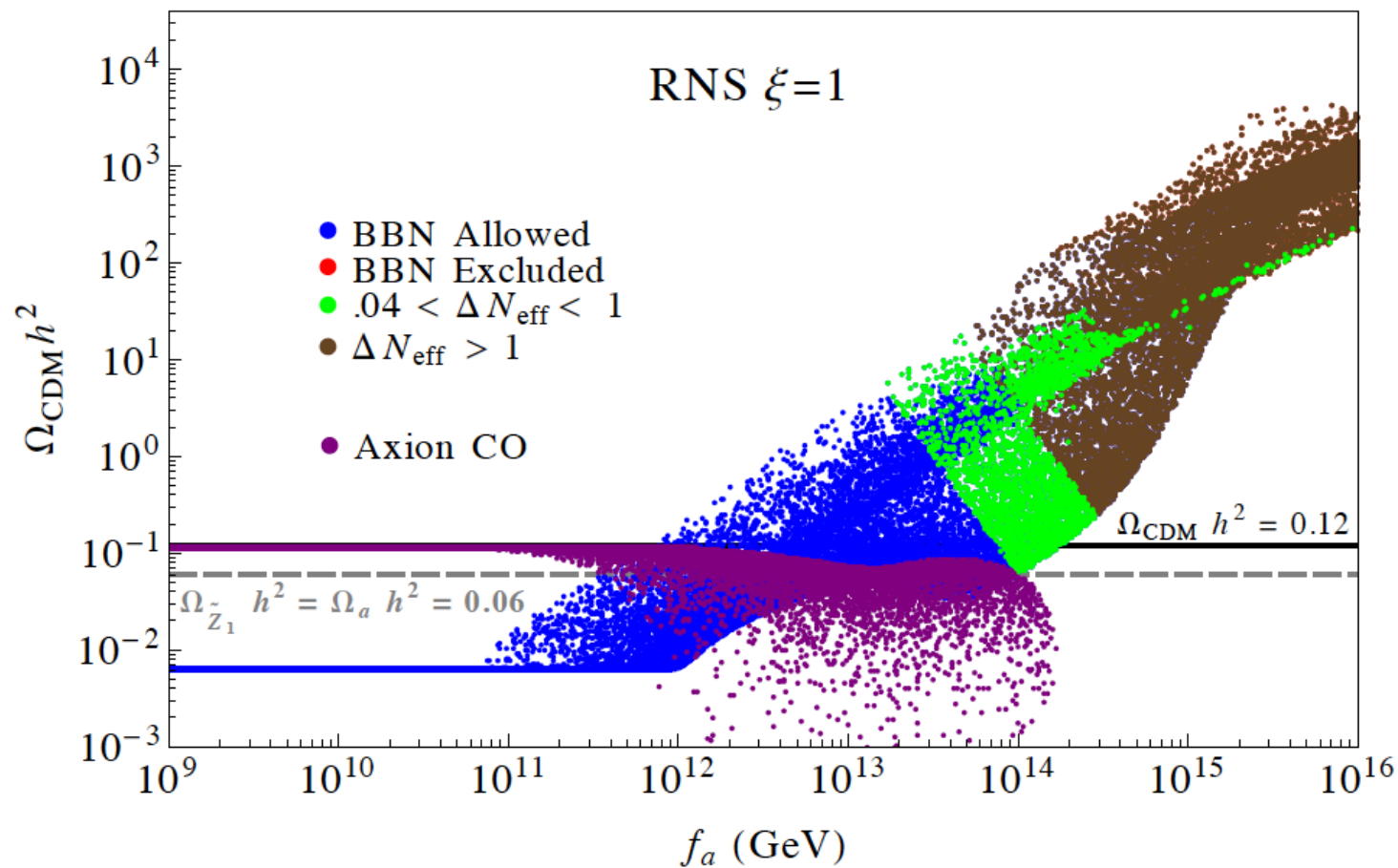
KJ Bae, HB, Lessa, Serce

much of parameter space is axion-dominated
with 10-15% WIMPs



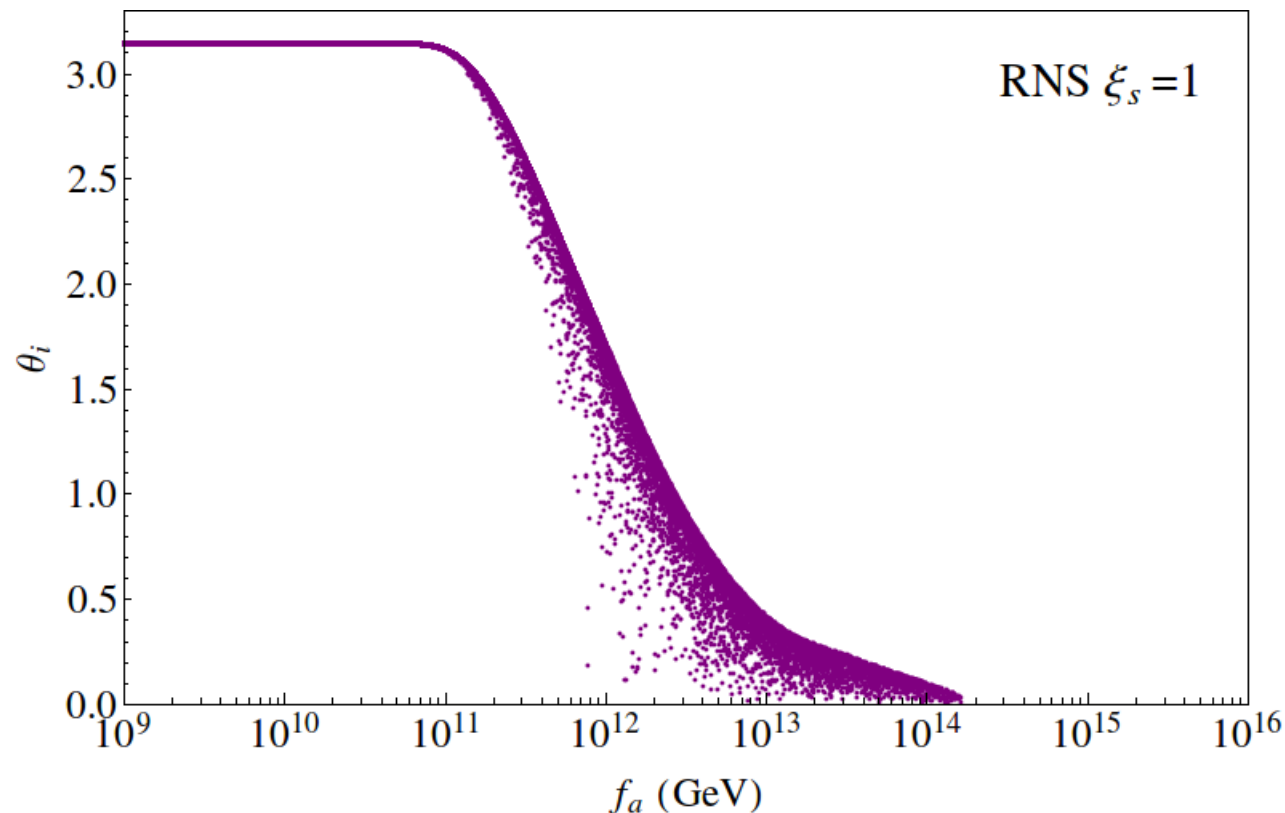
\Rightarrow





higgsino abundance

axion abundance



mainly axion CDM
for $f_a < \sim 10^{12}$ GeV;
for higher f_a , then
get increasing wimp
abundance

Why might $\mu \ll m_{3/2}$?

- Kim-Nilles solution to SUSY μ problem
- SUSY DFSZ axion model: μ forbidden by PQ symmetry
- μ and axion generated via PQ breaking
- $\mu \sim f_a^2/M_P$
- $m_{3/2} \sim m_{hidden}^2/M_P$
- $\mu \ll m_{3/2} \Rightarrow f_a \ll m_{hidden}$?
- models with radiative PQ breaking (MSY, CCK, Y^2) typically generate $\mu \sim 100$ GeV from $m_{3/2} \sim 10$ TeV
- PQ scale f_a sets axion mass, Higgs and higgsino masses!

Little Hierarchy from radiative PQ breaking? exhibited within context of MSY model

Murayama, Suzuki, Yanagida (1992);
Gherghetta, Kane (1995)

Choi, Chun, Kim (1996)

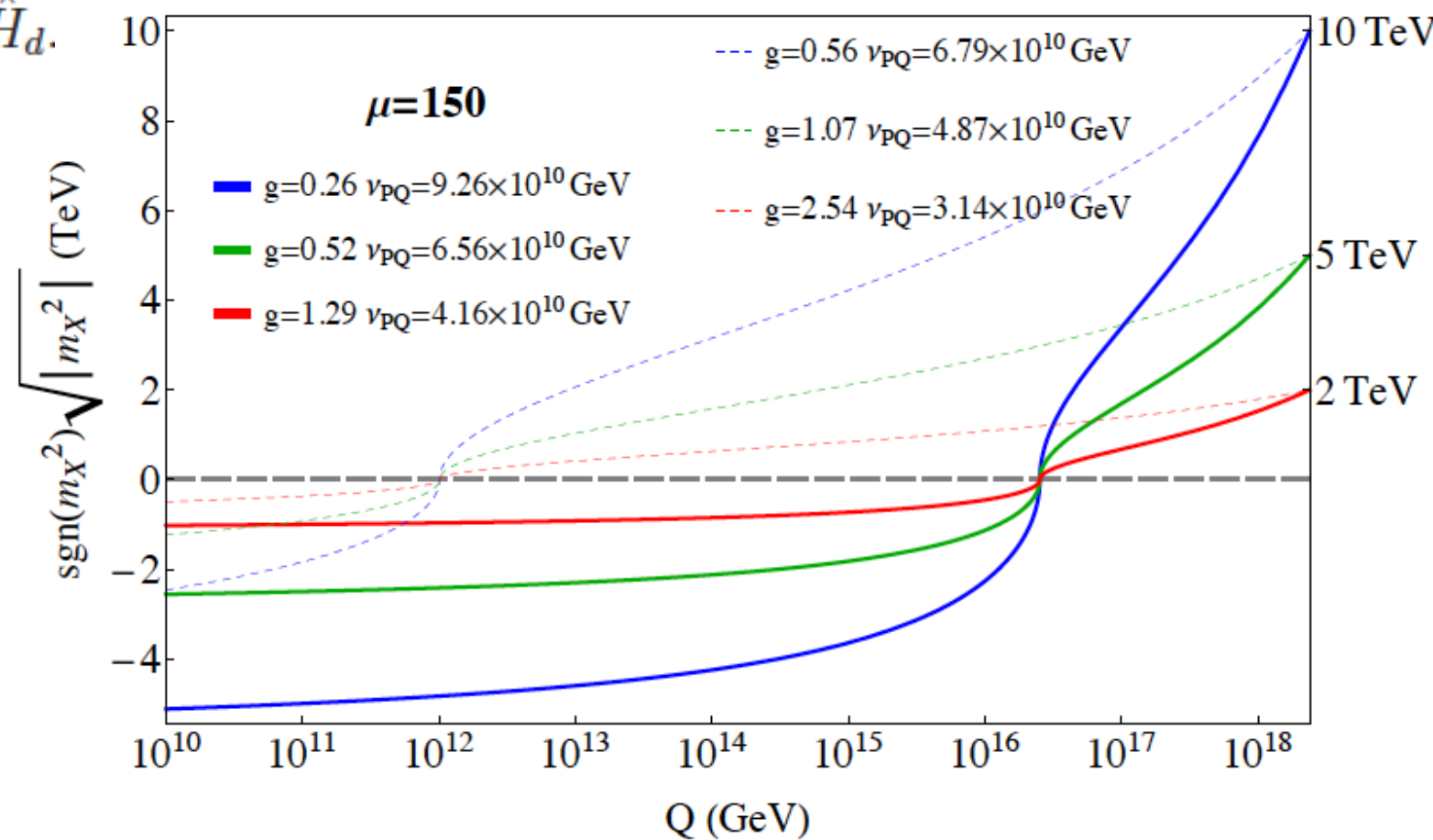
Bae, HB, Serce, PRD91 (2015) 015003

augment MSSM with PQ charges/fields:

$$\hat{f}' = \frac{1}{2} h_{ij} \hat{X} \hat{N}_i^c \hat{N}_j^c + \frac{f}{M_P} \hat{X}^3 \hat{Y} + \frac{g}{M_P} \hat{X} \hat{Y} \hat{H}_u \hat{H}_d.$$

$$M_{N_i^c} = v_X h_i|_{Q=v_X}$$

$$\mu = g \frac{v_X v_Y}{M_P}.$$

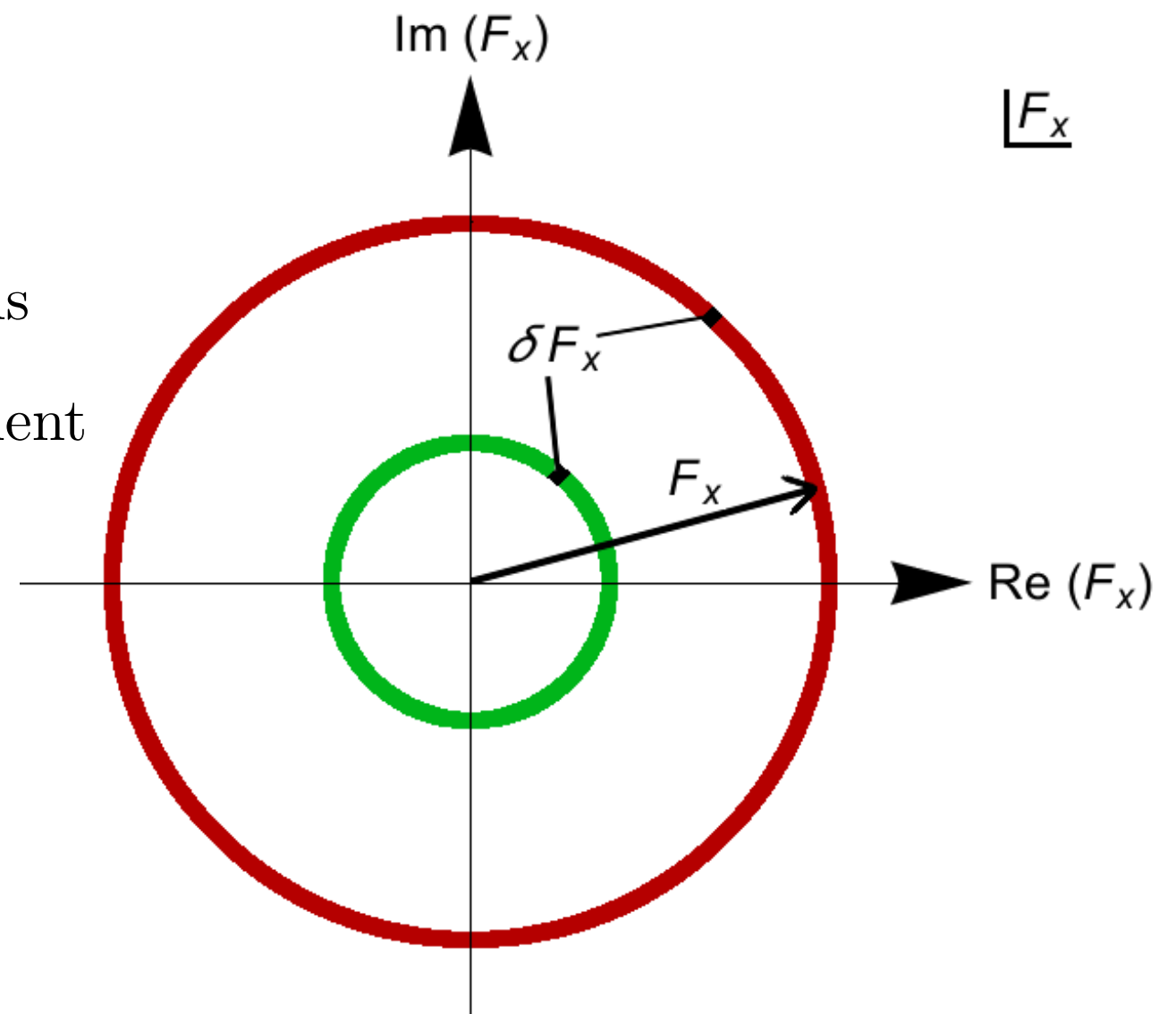


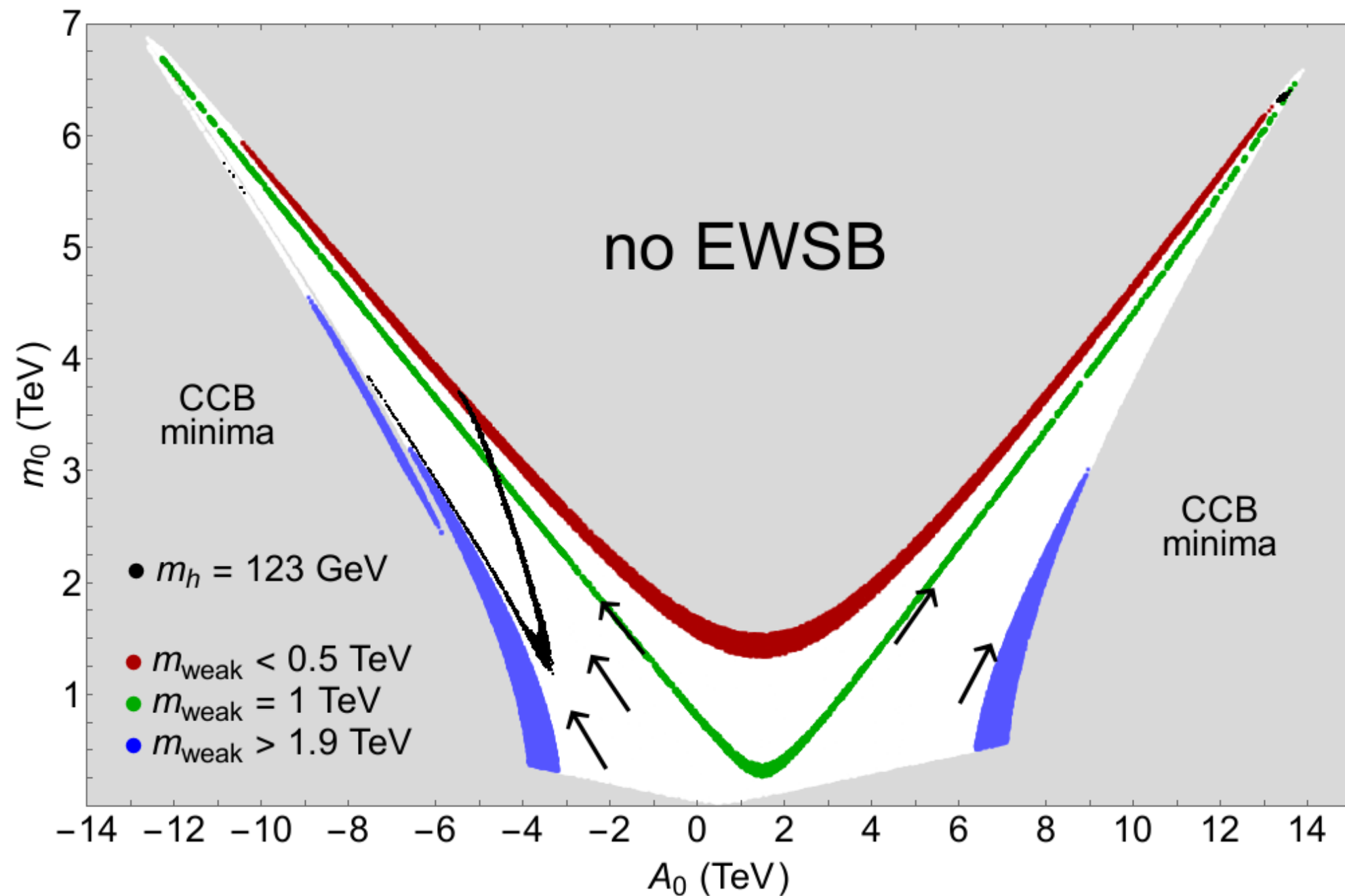
Large $m_{3/2}$ generates small $\mu \sim 100 - 200$ GeV!

why soft terms take on values needed for
natural (barely-broken) EWSB?
string theory landscape?

- assume model like MSY/CCK where $\mu \sim 100$ GeV
- then $m(\text{weak})^2 \sim |m_{H_u}^2|$
- If all values of SUSY breaking field $\langle F_X \rangle$ equally likely, then mild (linear) statistical draw towards large soft terms
- This is balanced by anthropic requirement of weak scale $m_{\text{weak}} \sim 100$ GeV

Anthropic selection of $m_{\text{weak}} \sim 100$ GeV:
If m_W too large, then weak interactions $\sim (1/m_W^4)$ too weak
weak decays, fusion reactions suppressed
elements not as we know them

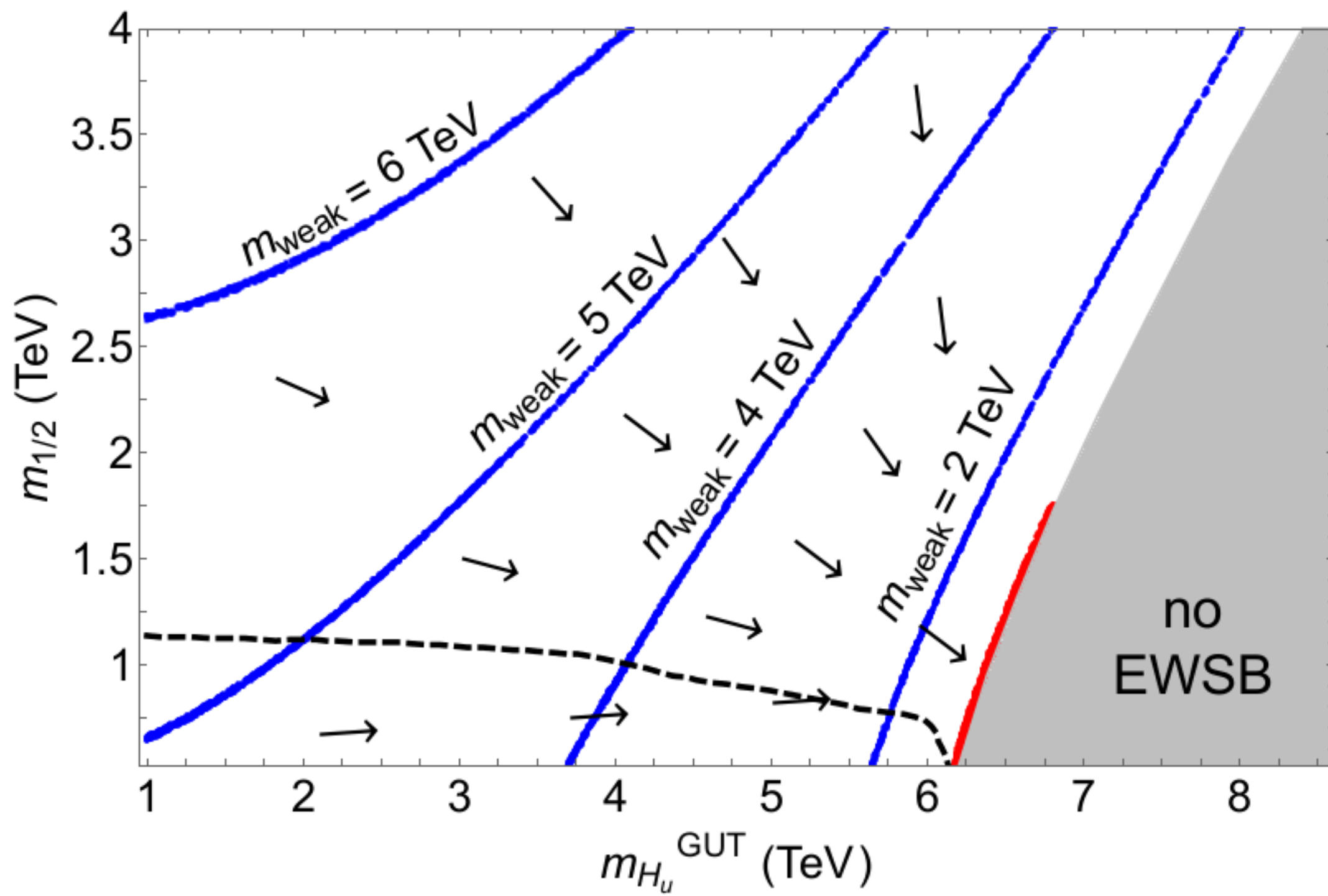




statistical draw to large soft terms balanced by
anthropic draw toward red ($m(\text{weak}) \sim 100$ GeV:
then $m(\text{Higgs}) \sim 125$ GeV and natural SUSY spectrum!

Giudice, Rattazzi, 2006

HB, Barger, Savoy, Serce, PLB758 (2016) 113



statistical/anthropic draw toward FP-like region